

## EXPERIMENT NO : 01

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**Title:** Binary search techniques using array and recursion. Analyse time and space complexity.

### 1) Binary search using Array.

```
#include <stdio.h>
int binarySearch(int arr[], int n, int key) {
    int low = 0, high = n - 1;

    while (low <= high) {
        int mid = (low + high) / 2;

        if (arr[mid] == key)
            return mid;

        else if (arr[mid] < key)
            low = mid + 1;

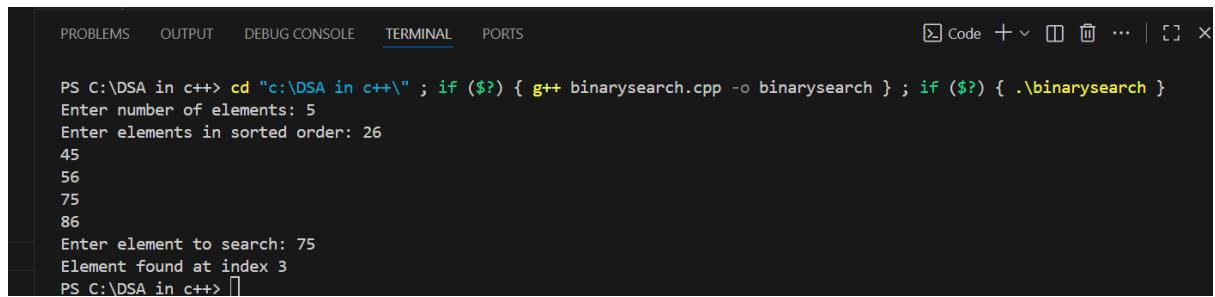
        else
            high = mid - 1;
    }

    return -1;
}

int main() {
    int n, key, result;
    printf("Enter number of elements: ");
    scanf("%d", &n);
    int arr[n];
    printf("Enter elements in sorted order: ");
    for (int i = 0; i < n; i++) {
        scanf("%d", &arr[i]);
    }
    printf("Enter element to search: ");
    scanf("%d", &key);
    result = binarySearch(arr, n, key);
    if (result == -1)
        printf("Element not found\n");
    else
        printf("Element found at index %d\n", result);

    return 0;
}
```

## OUTPUT



```
PS C:\DSA in c++> cd "c:\DSA in c++\" ; if ($?) { g++ binarysearch.cpp -o binarysearch } ; if ($?) { .\binarysearch }
Enter number of elements: 5
Enter elements in sorted order: 26
45
56
75
86
Enter element to search: 75
Element found at index 3
PS C:\DSA in c++>
```

## Time complexity & space complexity:

### Time Complexity

Best Case: O(1)

When the middle element is the key (found in the first comparison).

Worst Case / Average Case: O(log n)

Because each step halves the search space. For n elements, maximum comparisons are about  $\log_2(n)$ .

### Space Complexity

O(1)

Only a few extra variables (low, high, mid, key, etc.) are used, no additional data structures.

## Applications & Limitations:

### Applications of Binary Search

#### 1. Searching in sorted arrays/lists

Quickly find elements in a sorted dataset (e.g., roll numbers, IDs).

#### 2. Databases and Libraries

Used to index and quickly retrieve records.

#### 3. Gaming / Leaderboards

To locate player scores or ranks efficiently.

#### 4. Dictionary / Spell Checkers

To check if a word exists in a sorted word list.

## 5. Range searching / Lower and Upper Bound

Used in competitive programming and algorithms like `lower_bound` in C++ STL.

### Limitations of Binary Search

#### 1. Array must be sorted

Cannot work on unsorted data; sorting adds extra overhead ( $O(n \log n)$ ).

#### 2. Random Access Required

Works efficiently only on data structures that allow direct access (like arrays, not linked lists).

#### 3. Static Data

Not suitable if elements are frequently inserted or deleted (re-sorting is required).

#### 4. Not suitable for very small datasets

Linear search can sometimes be faster for tiny arrays due to less overhead.

#### 2) Binary search using recursion:

```
#include <stdio.h>
int binarySearch(int arr[], int low, int high, int key) {
    if (low > high)
        return -1; // Element not found

    int mid = (low + high) / 2;

    if (arr[mid] == key)
        return mid; // Element found
    else if (arr[mid] < key)
        return binarySearch(arr, mid + 1, high, key);
    else
        return binarySearch(arr, low, mid - 1, key); }

int main() {
    int n, key, result;

    printf("Enter number of elements: ");
    scanf("%d", &n);
```

```

int arr[n];

printf("Enter elements in sorted order: ");
for (int i = 0; i < n; i++) {
    scanf("%d", &arr[i]);
}

printf("Enter element to search: ");
scanf("%d", &key);

result = binarySearch(arr, 0, n - 1, key);

if (result == -1)
    printf("Element not found\n");
else
    printf("Element found at index %d\n", result);

return 0;
}

```

## OUTPUT

```

PROBLEMS OUTPUT DEBUG CONSOLE TERMINAL PORTS
PS C:\DSA in c++> cd "c:\DSA in c++\" ; if ($?) { g++ binarysearch.cpp -o binarysearch } ; if ($?) { .\binarysearch }
Enter number of elements: 5
Enter elements in sorted order: 26
45
56
75
86
Enter element to search: 75
Element found at index 3
PS C:\DSA in c++> []

```

## Time complexity & space complexity:

### Time Complexity

Best Case: O(1)

→ When the middle element is the key (found in first call).

Worst Case / Average Case: O(log n)

→ Each recursive call halves the search range, so total calls are about  $\log_2(n)$ .

### Space Complexity

O(log n)

→ Each recursive call adds a new function frame to the call stack.

→ For n elements, maximum recursive depth =  $\log_2(n)$ .

## **Applications & Limitations:**

### Applications

1. Searching in sorted arrays – Fast search in roll numbers, IDs, etc.
2. Databases/Indexing – Used in sorted datasets for quick retrieval.
3. Gaming/Leaderboards – Searching scores or rankings efficiently.
4. Dictionary/Spell Checkers – Check word existence in sorted lists.
5. Range Queries (lower/upper bound) – Common in competitive programming.

### Limitations

1. Extra Space Usage

Each recursive call uses stack memory, so space complexity is  $O(\log n)$ .

2. Risk of Stack Overflow

For very large arrays, deep recursion may cause stack overflow.

3. Same Sorting Requirement

Array must be sorted; otherwise, it won't work.

4. Slightly Slower than Iterative

Function calls add overhead compared to iterative binary search.

## **Conclusion:**

This, From this experiment i understand the time and space complexity of binary search using recursion and array aslo there applications and limitations.