

DJILLALI LIABES UNIVERSITY OF SIDI BEL ABBES  
FACULTY OF EXACT SCIENCES  
DEPARTMENT OF COMPUTER SCIENCES



*Module : Aide à la décision*  
1ST YEAR OF MASTER'S DEGREE IN  
NETWORKS, INFORMATION SYSTEMS & SECURITY (RSSI)  
2021/2022

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## **Confidence Intervals and Risk in R**

### **PART 2**

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*Students:*

HADJAZI M.Hisham  
AMOUR Wassim Malik  
*Group: 01 / RSSI*

*Instructors:*

Pr. YOUSFATE  
Abderrahmane  
Dr. BENBEKRITI Soumia

*A paper submitted in fulfilment of the requirements for the*  
*Aide à la décision TP-06*

May 11, 2022

# Contents

<b>1</b>	<b>Confidence Intervals in R</b>	<b>1</b>
1.1	Confidence Interval with runif . . . . .	1
1.1.1	Generation of Random uniform Distribution Seed . . . . .	1
1.1.2	Finding Mean and Standard Deviation . . . . .	2
1.1.3	Plotting Density . . . . .	3
1.1.4	Right Risk of 95% . . . . .	3
	calculating 95% error rate, upper limit . . . . .	3
1.1.5	Finding all Values at Risk (Right) . . . . .	4
1.1.6	Left Risk of 95% . . . . .	5
	calculating 95% error rate, lower limit . . . . .	5
1.1.7	Finding all Values at Risk (Left) . . . . .	6
1.1.8	Balanced Risk of 95% . . . . .	7
	calculating 95% error rate, upper limit and lower limit . . . . .	7
1.1.9	Finding all Values at Risk (Right and Left) . . . . .	8

## Chapter 1

# Confidence Intervals in R

### 1.1 Confidence Interval with runif

As requested we will using **runif** function to generates random deviates of the **uniform distribution** from size of 1000 and range between -2 and 3.

#### 1.1.1 Generation of Random uniform Distribution Seed

```

1 LO = -2 # Declaration of lower bownd
2 UP = 3 # Declaration of upper bownd
3 n = 1000 # Declaration of sample size
4
5 x <- runif(n, LO, UP) # Running runif function to create population
6 hist(x, freq = FALSE, xlab = 'x', density = 20) # Histogram of
   population
7 x # all generated values

```

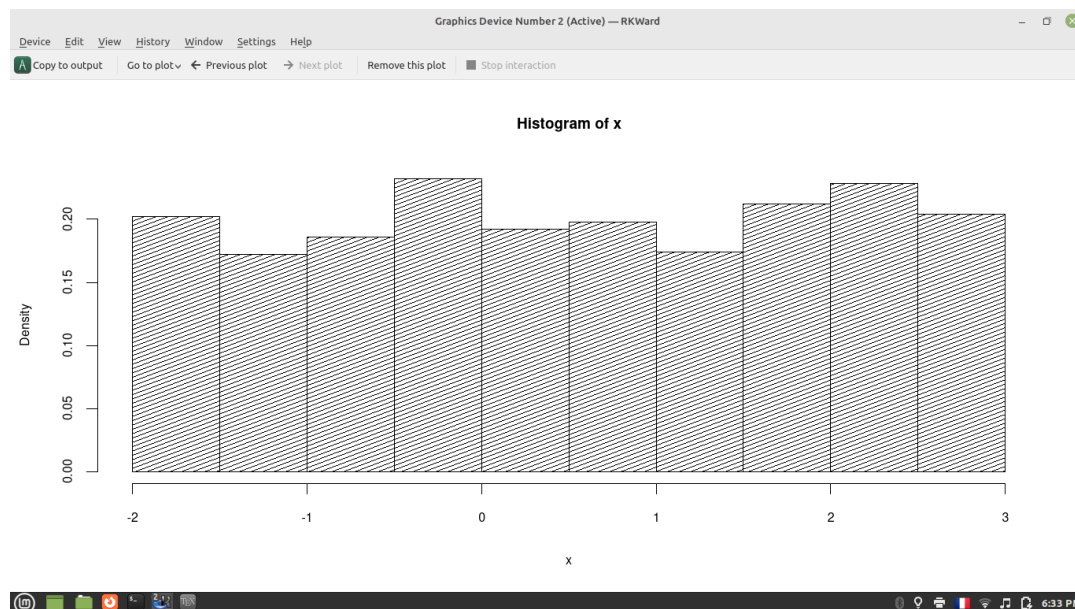


FIGURE 1.1: Seed Histogram.

**Sample of generated numbers :**

```
[656] 0.3813996161 2.4257347495 2.9501461792 -0.3439974906 2.6721924189
```

```

[661] -1.7069758398 -1.9919105659 -0.5682839947 -0.1698572240 2.1766188550
[666] 2.1259460303 -0.4748134005 2.6861825290 -0.3083081152 0.8204065480
[671] 2.7893994430 -0.4446464770 -1.2376538937 1.7844204041 -0.4890021197
[676] 2.9545168958 -0.9832733071 -0.1086031161 1.9523365453 0.1649452916
[681] -0.8115781138 -1.5075847686 2.1916635458 -0.6813517509 1.1595426821
[686] -1.2972299247 1.1057026773 -1.0271868056 0.0378431329 1.4667883010
[691] 1.6694702739 2.1264238802 2.9148606462 2.6315843845 0.8007933067
[696] 2.0933396120 1.8568044163 1.5384381283 2.9681203486 -1.4027119374
[701] 0.5982736656 -0.4392616409 0.0532791491 1.1336477492 -0.4013634117
[706] 2.1036622517 1.1725118810 1.4840549517 1.4851128771 -0.9378550777
[711] 1.3588998194 -1.7498405632 -1.0858148329 2.7649365244 -1.6944917948
[716] 2.6904253052 -1.3718907470 1.4137118515 -0.3775374934 -0.8040759950
[721] -1.3621708534 0.0552953065 -1.6524381090 1.5260674357 2.5928918663
[726] 2.7491736128 -1.8523521284 0.2638581775 0.3966596590 -1.4307652919
[731] -1.5760219381 -1.1228304966 -1.8921418609 1.4406364267 0.5347665627
[736] 1.9234586596 -0.7565151707 2.0440741449 2.7295886686 1.1158512493
[741] 1.5015663505 0.5561288605 1.4875788400 2.3570341938 2.8440772563
[746] -0.3308353100 0.4111624272 1.3974237274 1.0447405553 -1.3868167617
[751] 1.6946422944 2.7661013680 1.5291836690 2.9929703807 -0.5640524689
[756] -0.8812302880 -0.0748715147 -1.1108034016 1.6513440299 1.8687401486
[761] -1.2423470458 -1.7383970383 1.5178913060 -1.1912305378 0.7003954467
[766] 2.4230878598 -0.9534112730 1.1830788974 1.1611230748 -1.1721150582
[771] 1.7582610291 0.0346237416 1.9112062566 1.4791723755 -1.7659081384
[776] 1.5747120762 2.1935196554 -0.2110054267 2.6586451575 0.6185839961
[781] 0.9111335962 2.9610665615 1.2534163748 0.7543342090 0.4418109108
[786] 1.7382183538 2.7631716216 0.3801716522 -0.3324272453 -1.6288395429
[791] 0.9629155551 -0.9031352359 0.0713478327 -1.9929349020 0.2839912050
[796] -0.2094068220 2.1137463006 1.1335198425 -1.3629527255 0.7328717150
[801] -0.8635372289 -1.2511274433 2.0804919973 -0.0102763081 2.0244089393
[806] 2.0593909181 1.4906496108 1.6627415335 2.8765612335 2.5833753119
[811] 2.7221900942 -0.2749454468 2.9613368977 -1.4997302629 2.2851109779
[816] -0.2907404716 -1.0059362201 -1.3930226308 -0.5002697073 -0.6187703651
[821] 2.3164683203 0.3184335779 2.9863529194 2.7773846728 0.4733544211

```

## 1.1.2 Finding Mean and Standard Deviation

```

8 stddev = sd(x) # Calculating standard deviation
9 stddev # standard deviation
10 center = mean(x) # Calculating mean
11 center # mean

```

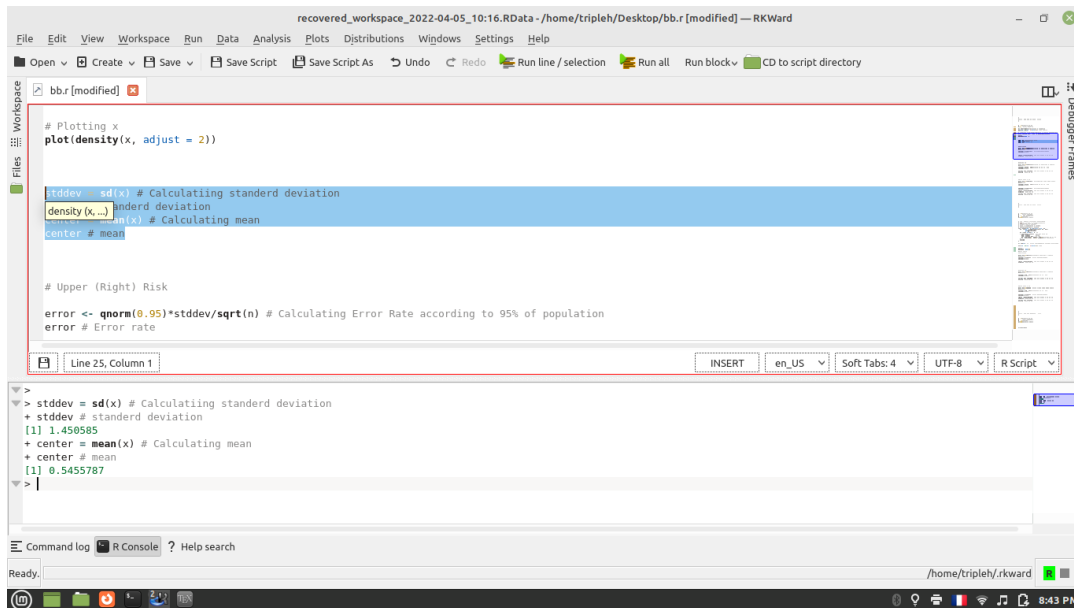


FIGURE 1.2: Mean and SD.

### 1.1.3 Plotting Density

```
12 # Plotting
13 plot(density(x, adjust = 2))
```

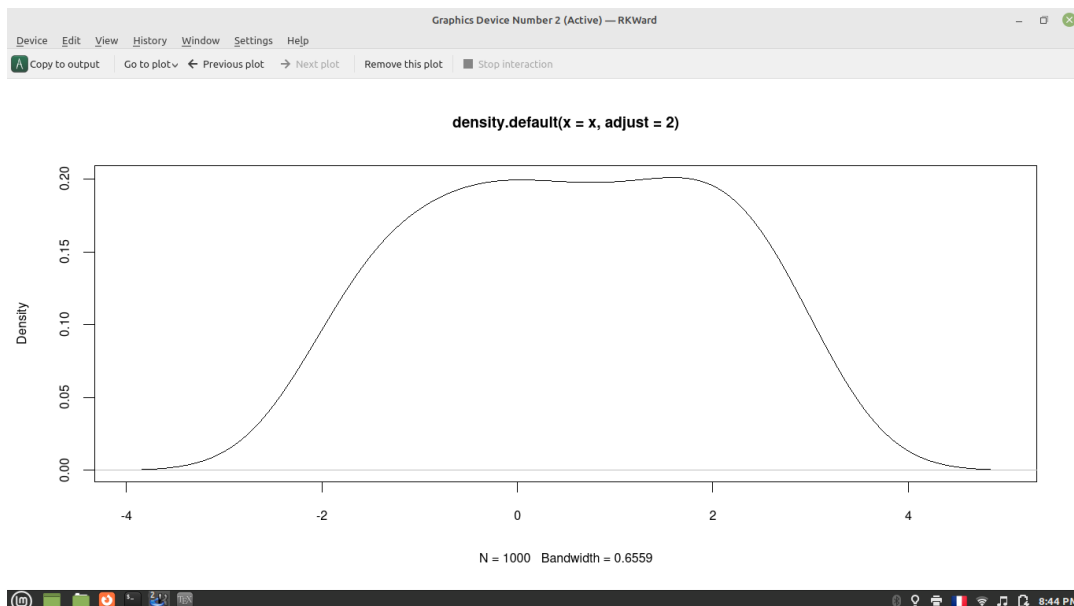


FIGURE 1.3: Plot Density.

### 1.1.4 Right Risk of 95%

**calculating 95% error rate, upper limit**

```
14 error <- qnorm(0.95)*stddev/sqrt(n) # Calculating Error Rate
    according to 95% of population
```

```

15 error # Error rate
16
17 upper_bound <- UP - (center + error) # calculating upper bound (
    risk a droit)
18 upper_bound # upper bound

```

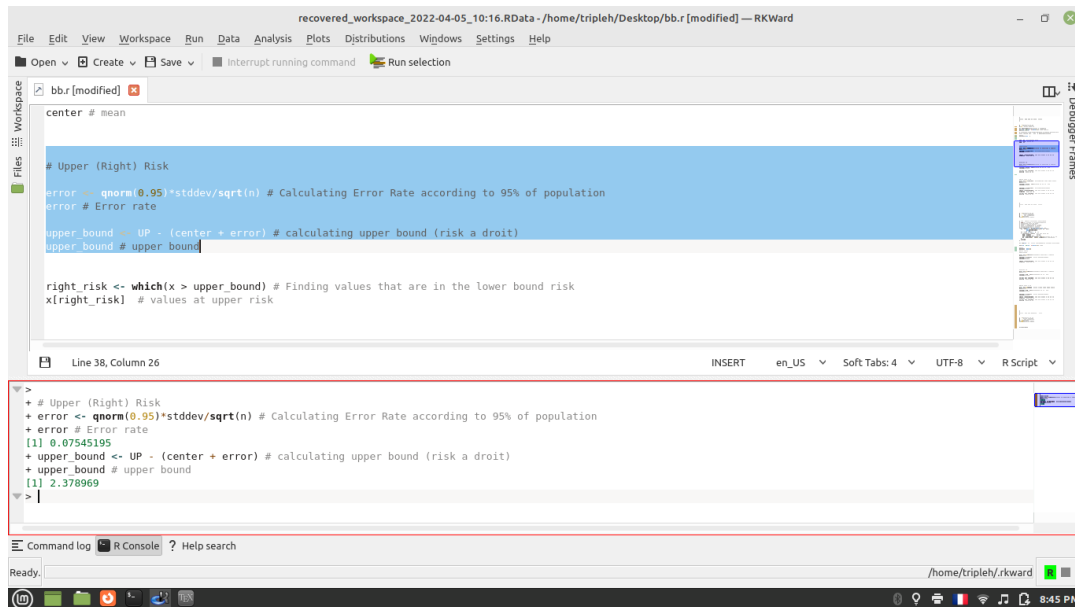


FIGURE 1.4: Error Rate Right.

## Upper Limit

```

+ error # Error rate
[1] 0.07545195

+ upper_bound # upper bound
[1] 2.378969

```

### 1.1.5 Finding all Values at Risk (Right)

```

19 right_risk <- which(x > upper_bound) # Finding values that are in
    the lower bound risk
20 x[right_risk] # values at upper risk

```

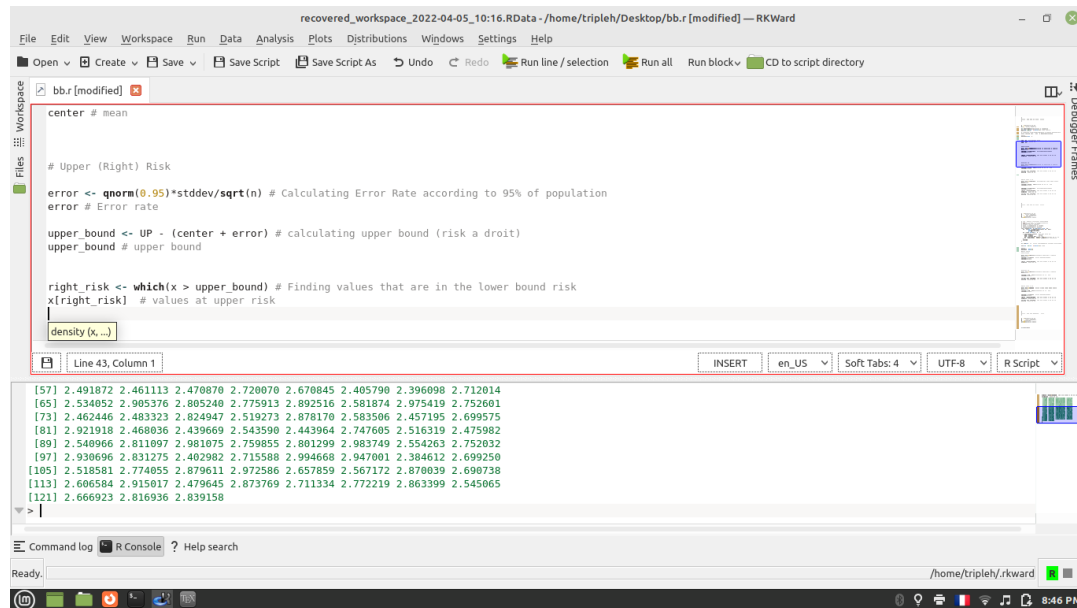


FIGURE 1.5: Finding numbers at Risk.

### Values at Upper (Right) Risk :

```
[1] 2.710283 2.764196 2.705285 2.444434 2.755979 2.878734 2.711472 2.722598
[9] 2.850662 2.882673 2.563105 2.680986 2.776878 2.963367 2.644889 2.612474
[17] 2.937783 2.577454 2.708086 2.786869 2.612106 2.468001 2.704758 2.639299
[25] 2.572904 2.624294 2.791844 2.703460 2.924236 2.915694 2.769651 2.387021
[33] 2.786046 2.777726 2.875089 2.828911 2.760081 2.577049 2.795525 2.654686
[41] 2.916622 2.979905 2.681292 2.915171 2.885494 2.407985 2.924766 2.494888
[49] 2.951954 2.717667 2.403572 2.706490 2.950434 2.801669 2.904595 2.647996
[57] 2.491872 2.461113 2.470870 2.720070 2.670845 2.405790 2.396098 2.712014
[65] 2.534052 2.905376 2.805240 2.775913 2.892516 2.581874 2.975419 2.752601
[73] 2.462446 2.483323 2.824947 2.519273 2.878170 2.583506 2.457195 2.699575
[81] 2.921918 2.468036 2.439669 2.543590 2.443964 2.747605 2.516319 2.475982
[89] 2.540966 2.811097 2.981075 2.759855 2.801299 2.983749 2.554263 2.752032
[97] 2.930696 2.831275 2.402982 2.715588 2.994668 2.947001 2.384612 2.699250
[105] 2.518581 2.774055 2.879611 2.972586 2.657859 2.567172 2.870039 2.690738
[113] 2.606584 2.915017 2.479645 2.873769 2.711334 2.772219 2.863399 2.545065
[121] 2.666923 2.816936 2.839158
```

### 1.1.6 Left Risk of 95%

calculating 95% error rate, lower limit

```
21 error <- qnorm(0.95)*stddev/sqrt(n) # Calculating Error Rate
    according to 95% of population
22 error # Error rate
23
24 lower_bound <- LO +(center - error) # Calculating lower bound (risk
    a gauche)
25 lower_bound # lower bound
```

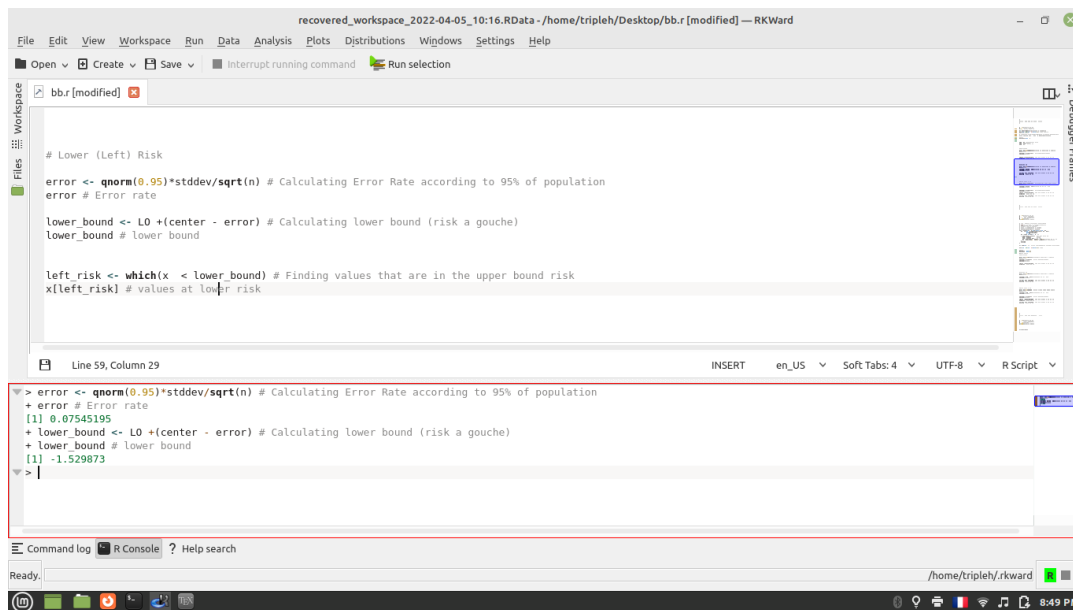


FIGURE 1.6: Error Rate Left.

## Lower Limit

```
[1] 0.07545195
```

```
+ lower_bound # lower bound
```

```
[1] -1.529873
```

### 1.1.7 Finding all Values at Risk (Left)

```
26 left_risk <- which(x < lower_bound) # Finding values that are in
    the upper bound risk
27 x[left_risk] # values at lower risk
```



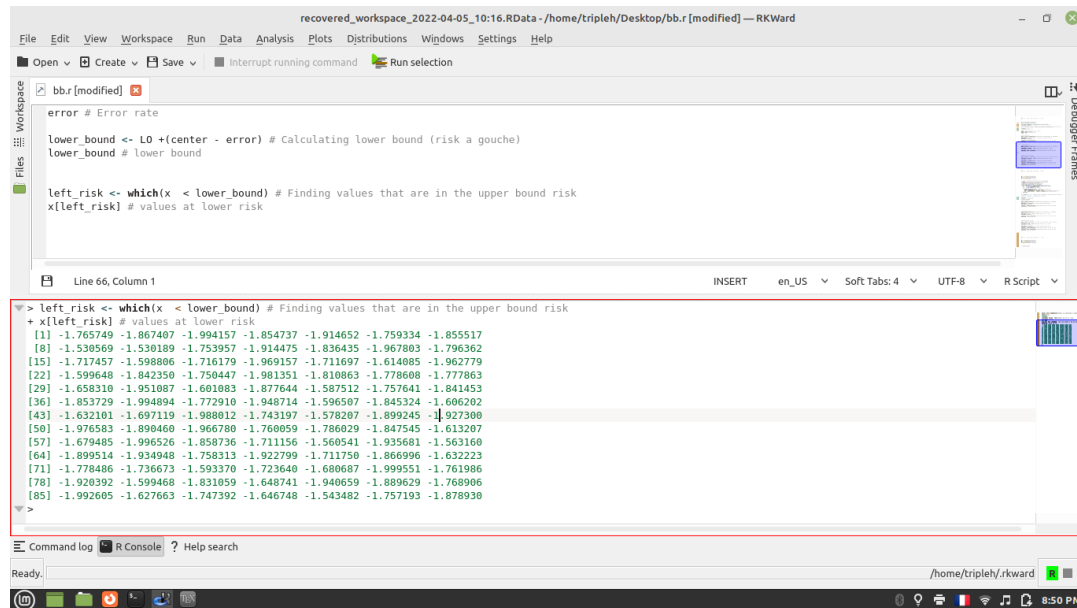


FIGURE 1.7: Finding numbers at Left.

### Values at Lower (Left) Risk :

```

[1] -1.765749 -1.867407 -1.994157 -1.854737 -1.914652 -1.759334 -1.855517
[8] -1.530569 -1.530189 -1.753957 -1.914475 -1.836435 -1.967803 -1.796362
[15] -1.717457 -1.598806 -1.716179 -1.969157 -1.711697 -1.614085 -1.962779
[22] -1.599648 -1.842350 -1.750447 -1.981351 -1.810863 -1.778608 -1.777863
[29] -1.658310 -1.951087 -1.601083 -1.877644 -1.587512 -1.757641 -1.841453
[36] -1.853729 -1.994894 -1.772910 -1.948714 -1.596507 -1.845324 -1.606202
[43] -1.632101 -1.697119 -1.988012 -1.743197 -1.578207 -1.899245 -1.927300
[50] -1.976583 -1.890460 -1.966780 -1.760059 -1.786029 -1.847545 -1.613207
[57] -1.679485 -1.996526 -1.858736 -1.711156 -1.560541 -1.935681 -1.563160
[64] -1.899514 -1.934948 -1.758313 -1.922799 -1.711750 -1.866996 -1.632223
[71] -1.778486 -1.736673 -1.593370 -1.723640 -1.680687 -1.999551 -1.761986
[78] -1.920392 -1.599468 -1.831059 -1.648741 -1.940659 -1.889629 -1.768906
[85] -1.992605 -1.627663 -1.747392 -1.646748 -1.543482 -1.757193 -1.878930

```

## 1.1.8 Balanced Risk of 95%

### calculating 95% error rate, upper limit and lower limit

```

28 error <- qnorm(0.975)*stddev/sqrt(n) # Calculating Error Rate
    according to 95% of population
29 error # Error rate
30
31 lower_bound <- LO +(center - error) # Calculating lower bound (risk
    a gauche)
32 lower_bound # lower bound
33
34
35 upper_bound <- UP - (center + error) # calculating upper bound (
    risk a droite)
36 upper_bound # upper bound

```

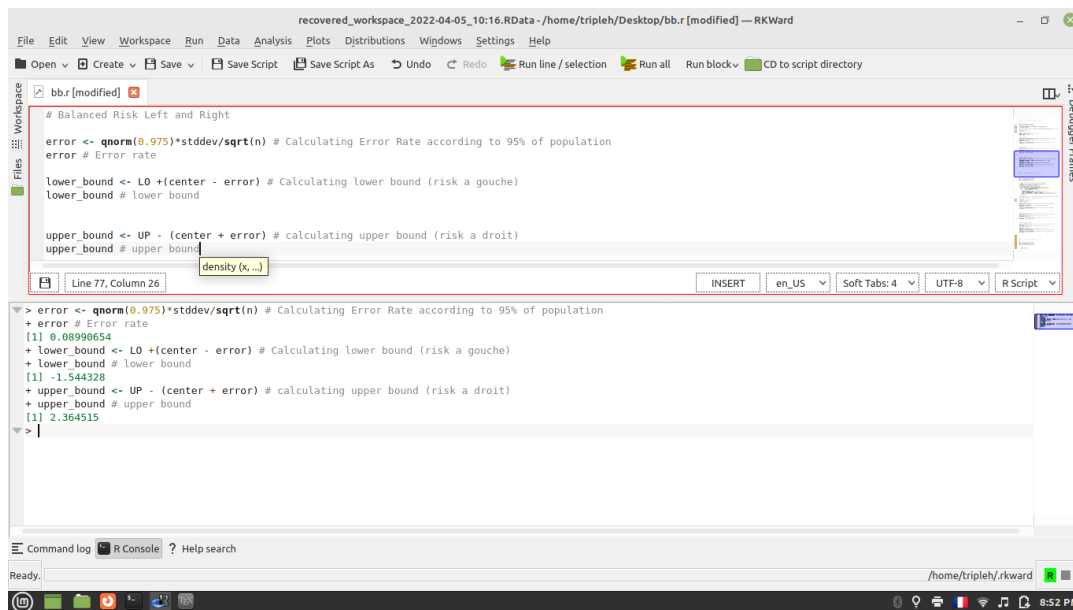


FIGURE 1.8: Error Rate.

## Upper Limit and Lower Limit

```
+ error # Error rate
[1] 0.08990654

+ lower_bound # lower bound
[1] -1.544328

+ upper_bound # upper bound
[1] 2.364515
```

### 1.1.9 Finding all Values at Risk (Right and Left)

```
37 right_risk <- which(x > upper_bound) # Finding values that are in
    the lower bound risk
38 x[right_risk] # values at upper risk
39
40 left_risk <- which(x < lower_bound) # Finding values that are in
    the upper bound risk
41 x[left_risk] # values at lower risk
```

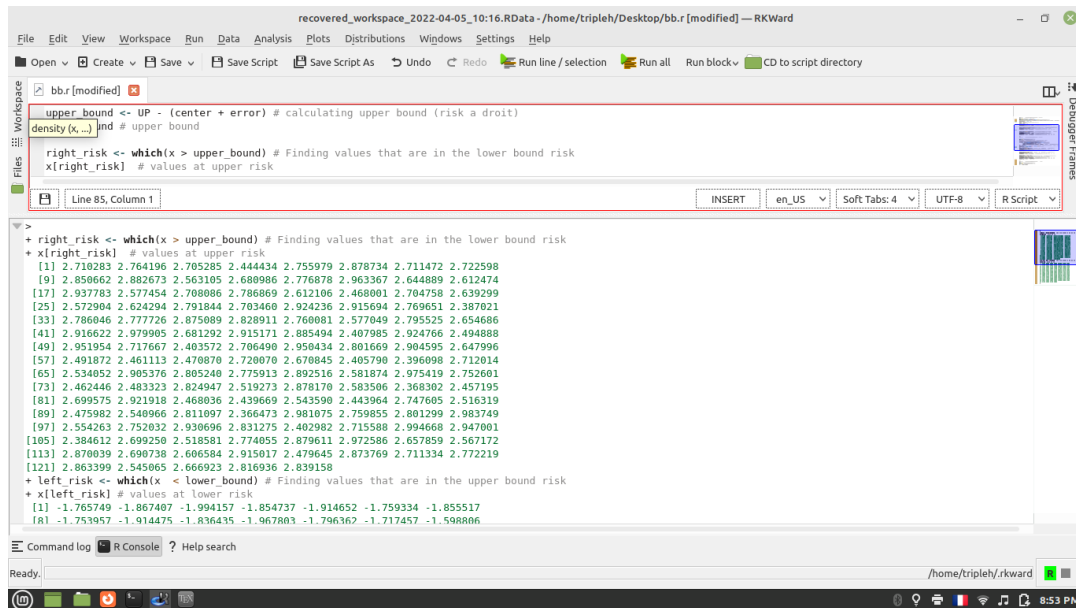


FIGURE 1.9: Finding numbers at Risk.

**Values at Upper (Right) Risk :**

```
[1] 2.710283 2.764196 2.705285 2.444434 2.755979 2.878734 2.711472 2.722598
[9] 2.850662 2.882673 2.563105 2.680986 2.776878 2.963367 2.644889 2.612474
[17] 2.937783 2.577454 2.708086 2.786869 2.612106 2.468001 2.704758 2.639299
[25] 2.572904 2.624294 2.791844 2.703460 2.924236 2.915694 2.769651 2.387021
[33] 2.786046 2.777726 2.875089 2.828911 2.760081 2.577049 2.795525 2.654686
[41] 2.916622 2.979905 2.681292 2.915171 2.885494 2.407985 2.924766 2.494888
[49] 2.951954 2.717667 2.403572 2.706490 2.950434 2.801669 2.904595 2.647996
[57] 2.491872 2.461113 2.470870 2.720070 2.670845 2.405790 2.396098 2.712014
[65] 2.534052 2.905376 2.805240 2.775913 2.892516 2.581874 2.975419 2.752601
[73] 2.462446 2.483323 2.824947 2.519273 2.878170 2.583506 2.368302 2.457195
[81] 2.699575 2.921918 2.468036 2.439669 2.543590 2.443964 2.747605 2.516319
[89] 2.475982 2.540966 2.811097 2.366473 2.981075 2.759855 2.801299 2.983749
[97] 2.554263 2.752032 2.930696 2.831275 2.402982 2.715588 2.994668 2.947001
[105] 2.384612 2.699250 2.518581 2.774055 2.879611 2.972586 2.657859 2.567172
[113] 2.870039 2.690738 2.606584 2.915017 2.479645 2.873769 2.711334 2.772219
[121] 2.863399 2.545065 2.666923 2.816936 2.839158
```

**Values at Lower (Left) Risk :**

```
[1] -1.765749 -1.867407 -1.994157 -1.854737 -1.914652 -1.759334 -1.855517
[8] -1.753957 -1.914475 -1.836435 -1.967803 -1.796362 -1.717457 -1.598806
[15] -1.716179 -1.969157 -1.711697 -1.614085 -1.962779 -1.599648 -1.842350
[22] -1.750447 -1.981351 -1.810863 -1.778608 -1.777863 -1.658310 -1.951087
[29] -1.601083 -1.877644 -1.587512 -1.757641 -1.841453 -1.853729 -1.994894
[36] -1.772910 -1.948714 -1.596507 -1.845324 -1.606202 -1.632101 -1.697119
[43] -1.988012 -1.743197 -1.578207 -1.899245 -1.927300 -1.976583 -1.890460
[50] -1.966780 -1.760059 -1.786029 -1.847545 -1.613207 -1.679485 -1.996526
[57] -1.858736 -1.711156 -1.560541 -1.935681 -1.563160 -1.899514 -1.934948
[64] -1.758313 -1.922799 -1.711750 -1.866996 -1.632223 -1.778486 -1.736673
[71] -1.593370 -1.723640 -1.680687 -1.999551 -1.761986 -1.920392 -1.599468
[78] -1.831059 -1.648741 -1.940659 -1.889629 -1.768906 -1.992605 -1.627663
[85] -1.747392 -1.646748 -1.757193 -1.878930
```