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## **Introduction to R**

### **TP-01**

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## Chapter 1

# Introduction to R

### 1.1 Introduction

R is a very powerful, popular environment for statistical computing and graphics, freely available for Mac OS X, Windows, and UNIX systems. Knowing how to use R is an extremely useful skill.[1]

Just to confuse you, R refers to two things. There is R, the programming language, and R, the piece of software that you use to run programs written in R. Fortunately, most of the time it should be clear from the context which R is being referred to. R (the language) was created in the early 1990s by Ross Ihaka and Robert Gentleman, then both working at the University of Auckland. It is based upon the S language that was developed at Bell Laboratories in the 1970s, primarily by John Chambers. R (the software) is a GNU project, reflecting its status as important free and open source software. Both the language and the software are now developed by a group of (currently) 20 people known as the R Core Team.[2]

The fact that R's history dates back to the 1970s is important, because it has evolved over the decades, rather than having been designed from scratch (contrast this with, for example, Microsoft's .NET Framework, which has a much more "created" feel). As with life-forms, the process of evolution has led to some quirks and inconsistencies. The upside of the more free-form nature of R (and the free license in particular) is that if you don't like how something in R is done, you can write a package to make it do things the way that you want. Many people have already done that, and the common question now is not "Can I do this in R?" but "Which of the three implementations should I use?"

R is an interpreted language (sometimes called a scripting language), which means that your code doesn't need to be compiled before you run it. It is a high-level language in that you don't have access to the inner workings of the computer you are running your code on; everything is pitched toward helping you analyze data.[2]

R supports a mixture of programming paradigms. At its core, it is an imperative language (you write a script that does one calculation after another), but it also supports object-oriented programming (data and functions are combined inside classes) and functional programming (functions are first-class objects; you treat them like any other variable, and you can call them recursively). This mix of programming styles means that R code can bear a lot of similarity to several other languages. The curly braces mean that you can write imperative code that looks like C (but

the vectorized nature of R means that you have fewer loops). If you use reference classes, then you can write object-oriented code that looks a bit like C# or Java. The functional programming constructs are Lisp-inspired (the variable-scoping rules are taken from the Lisp dialect, Scheme), but there are fewer brackets.[2] All this is a roundabout way of saying that R follows the Perl ethos:

*“There is more than one way to do it.”*

Larry Wall

### 1.1.1 Installing R

If you are using a Linux machine, then it is likely that your package manager will have R available, though possibly not the latest version. For everyone else, to install R you must first go to <http://www.r-project.org>. Don’t be deceived by the slightly archaic website;2 it doesn’t reflect on the quality of R. Click the link that says “download R” in the “Getting Started” pane at the bottom of the page.[2]

Once you’ve chosen a mirror close to you, choose a link in the “Download and Install R” pane at the top of the page that’s appropriate to your operating system. After that there are one or two OS-specific clicks that you need to make to get to the download. If you are a Windows user who doesn’t like clicking, there is a cheeky shortcut to the setup file at <http://<CRAN MIRROR>/bin/windows/base/release.htm>.[2]

### 1.1.2 Choosing an IDE

If you use R under Windows or Mac OS X, then a graphical user interface (GUI) is available to you. This consists of a command-line interpreter, facilities for displaying plots and help pages, and a basic text editor. It is perfectly possible to use R in this way, but for serious coding you’ll at least want to use a more powerful text editor. There are countless text editors for programmers; if you already have a favorite, then take a look to see if you can get syntax highlighting of R code for it.[2]

If you aren’t already wedded to a particular editor, then I suggest that you’ll get the best experience of R by using an integrated development environment (IDE). Using an IDE rather than a separate text editor gives you the benefit of only using one piece of software rather than two. You get all the facilities of the stock R GUI, but with a better editor, and in some cases things like integrated version control.[2]

The following sections introduce five popular choices, but this is by no means an exhaustive list (a few additional suggestions follow). It is worth trying several IDEs; a development environment is a piece of software that you could be spending thousands of hours using, so it’s worth taking the time to find one that you like. A few additional suggestions follow this selection.[2]

1. RStudio (MAC, Linux, Windows)

2. RKWard (Linux)
3. Tinn-R (Windows)
4. Emacs + ESS (MAC, Linux, Windows)
5. Eclipse/Architect (MAC, Linux, Windows)

## 1.2 Classes

All variables in R have a class, which tells you what kinds of variables they are. For example, most numbers have class numeric (see the next section for the other types), and logical values have class logical. Actually, being picky about it, vectors of numbers are numeric and vectors of logical values are logical, since R has no scalar types. The "smallest" data type in R is a vector.<sup>[2]</sup>

You can find out what the class of a variable is using `class(my variable)`:

```
1 class(c(TRUE, FALSE))
```

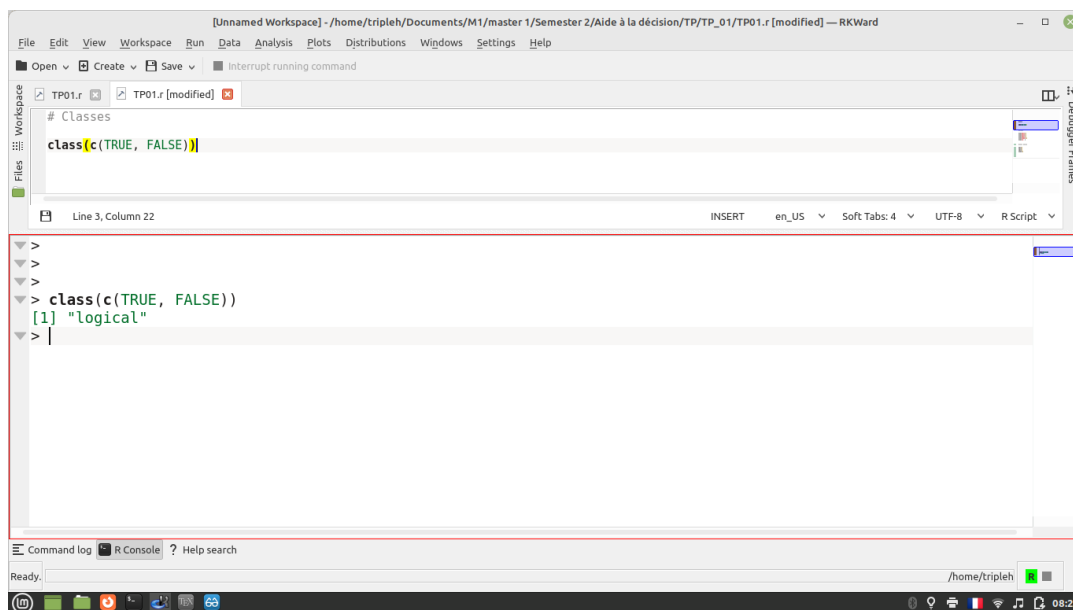


FIGURE 1.1: Classes 1

It's worth being aware that as well as a class, all variables also have an internal storage type (accessed via `typeof`), a mode (see `mode`), and a storage mode (`storage.mode`). All the variables that we created in the previous chapter were numbers, but R contains three different classes of numeric variable: numeric for floating point values; integer for, ahem, integers; and complex for complex numbers. We can tell which is which by examining the class of the variable:

```
2 class(sqrt(1:10))
3
4 class(3 + 1i)
5 # "i" creates imaginary components of complex numbers
6
```

```

7 class(1)
8 #although this is a whole number, it has class numeric
9
10 class(1L)
11 #add a suffix of "L" to make the number an integer
12
13 class(0.5:4.5)
14 #the colon operator returns a value that is numeric...
15
16 class(1:5)
17 #unless all its values are whole numbers

```

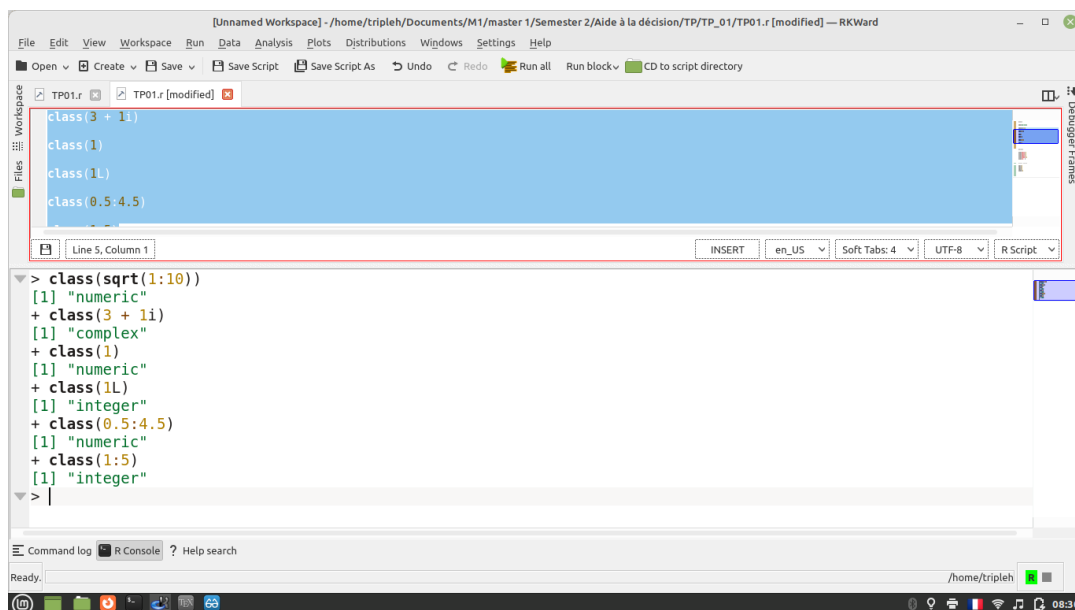


FIGURE 1.2: Classes 2

Note that as of the time of writing, all floating point numbers are 32-bit numbers (“double precision”), even when installed on a 64-bit operating system, and 16-bit (“single precision”) numbers don’t exist.

In addition to the three numeric classes and the logical class that we’ve seen already, there are three more classes of vectors: character for storing text, factors for storing categorical data, and the rarer raw for storing binary data. In this next example, we create a character vector using the `c` operator, just like we did for numeric vectors. The class of a character vector is character:

```

18 class(c("she", "sells", "seashells", "on", "the", "sea", "shore"))

```

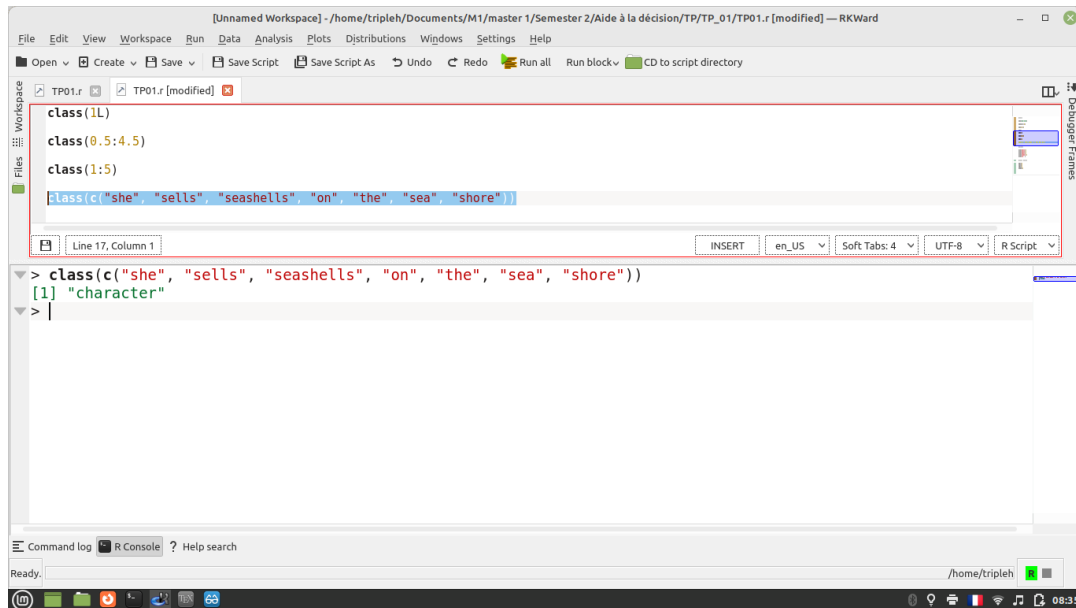


FIGURE 1.3: Classes 3

### 1.3 Vectors

The vector function creates a vector of a specified type and length. Each of the values in the result is zero, FALSE, or an empty string, or whatever the equivalent of “nothing” is:

```

19 vector("numeric", 5)
20 vector("complex", 5)
21 vector("logical", 5)
22 vector("character", 5)
23 vector("list", 5)

```

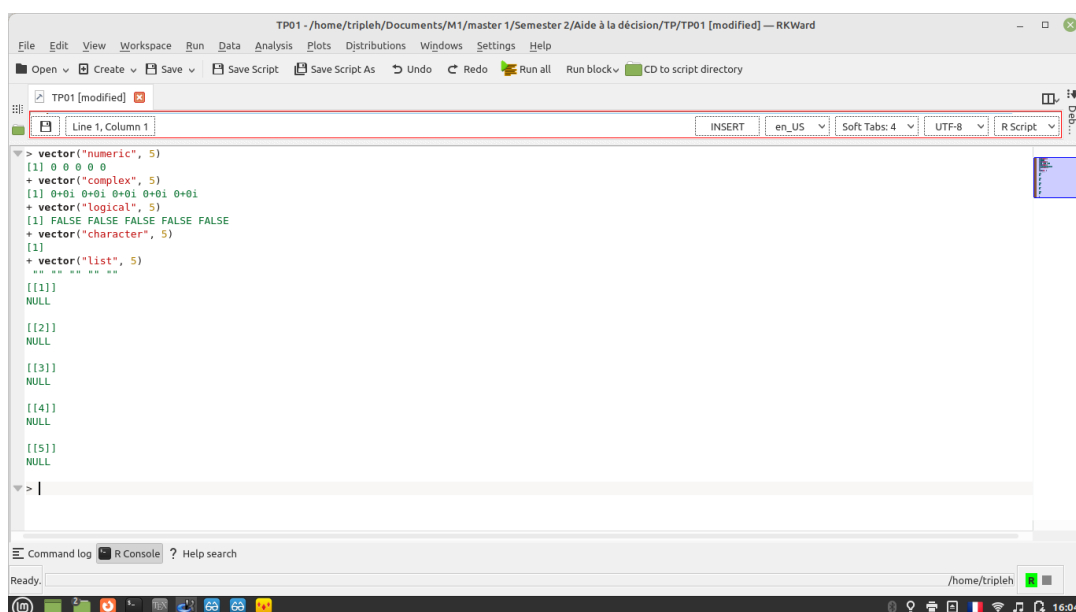


FIGURE 1.4: Vectors

In that last example, NULL is a special “empty” value (not to be confused with NA, which indicates a missing data point). For convenience, wrapper functions exist for each type to save you typing when creating vectors in this way. The following commands are equivalent to the previous ones:

```
24 numeric(5)
25 complex(5)
26 logical(5)
27 character(5)
```

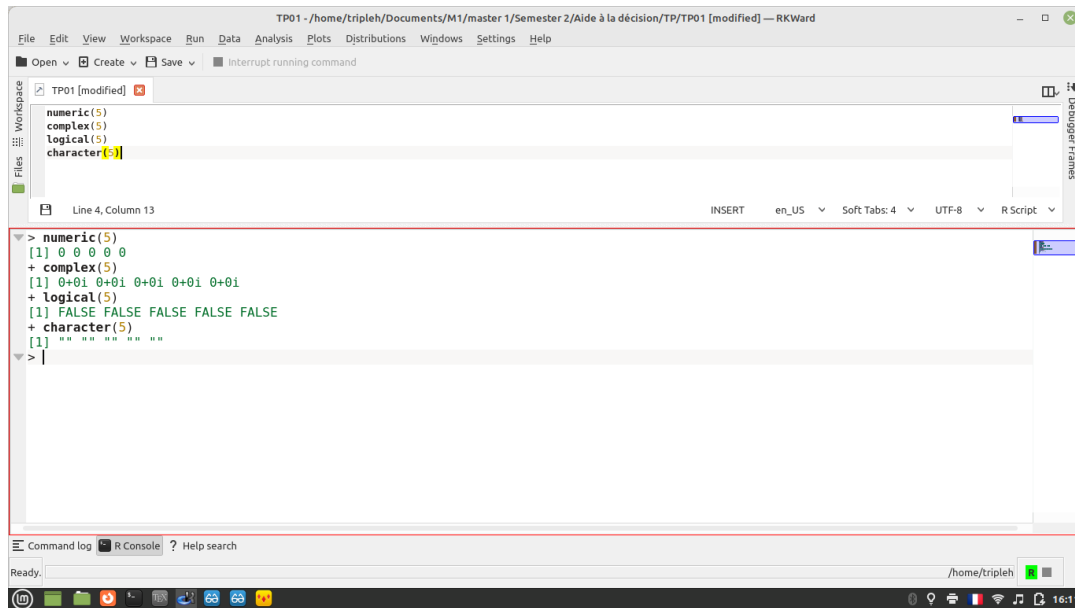


FIGURE 1.5: Vectors 2



Command	What it does
<code>c(1,1,0,2.7,3.1)</code>	creates the vector $(1, 1, 0, 2.7, 3.1)$
<code>1:100</code>	creates the vector $(1, 2, \dots, 100)$
<code>(1:100)^3</code>	creates the vector $(1^3, 2^3, \dots, 100^3)$
<code>rep(0,50)</code>	creates the vector $(0, 0, \dots, 0)$ of length 50
<code>seq(0,99,3)</code>	creates the vector $(0, 3, 6, 9, \dots, 99)$
<code>v[5]</code>	5th entry of vector $v$ (index starts at 1)
<code>v[-5]</code>	all but the 5th entry of $v$
<code>v[c(3,1,4)]</code>	3rd, 1st, 4th entries of vector $v$
<code>v[v&gt;2]</code>	<i>entries</i> of $v$ that exceed 2
<code>which(v&gt;2)</code>	<i>indices</i> of $v$ such that entry exceeds 2
<code>which(v==7)</code>	<i>indices</i> of $v$ such that entry equals 7
<code>min(v)</code>	minimum of $v$
<code>max(v)</code>	maximum of $v$
<code>which.max(v)</code>	indices where $\max(v)$ is achieved
<code>sum(v)</code>	sum of the entries in $v$
<code>cumsum(v)</code>	cumulative sums of the entries in $v$
<code>prod(v)</code>	product of the entries in $v$
<code>rank(v)</code>	ranks of the entries in $v$
<code>length(v)</code>	length of vector $v$
<code>sort(v)</code>	sorts vector $v$ (in increasing order)
<code>unique(v)</code>	lists each element of $v$ once, without duplicates
<code>tabulate(v)</code>	tallies how many times each element of $v$ occurs
<code>table(v)</code>	same as <code>tabulate(v)</code> , except in table format
<code>c(v,w)</code>	concatenates vectors $v$ and $w$
<code>union(v,w)</code>	union of $v$ and $w$ as sets
<code>intersect(v,w)</code>	intersection of $v$ and $w$ as sets
<code>v+w</code>	adds $v$ and $w$ entrywise (recycling if needed)
<code>v*w</code>	multiplies $v$ and $w$ entrywise (recycling if needed)

FIGURE 1.6: Vectors 3

## 1.4 Arrays

To create an array, you call the `array` function, passing in a vector of values and a vector of dimensions. Optionally, you can also provide names for each dimension:

```

28 (three_d_array <- array(
29   1:24,
30   dim = c(4, 3, 2),
31   dimnames = list(
32     c("one", "two", "three", "four"),

```

```

33 c("ein", "zwei", "drei"),
34 c("un", "deux")
35 )
36 ))

```

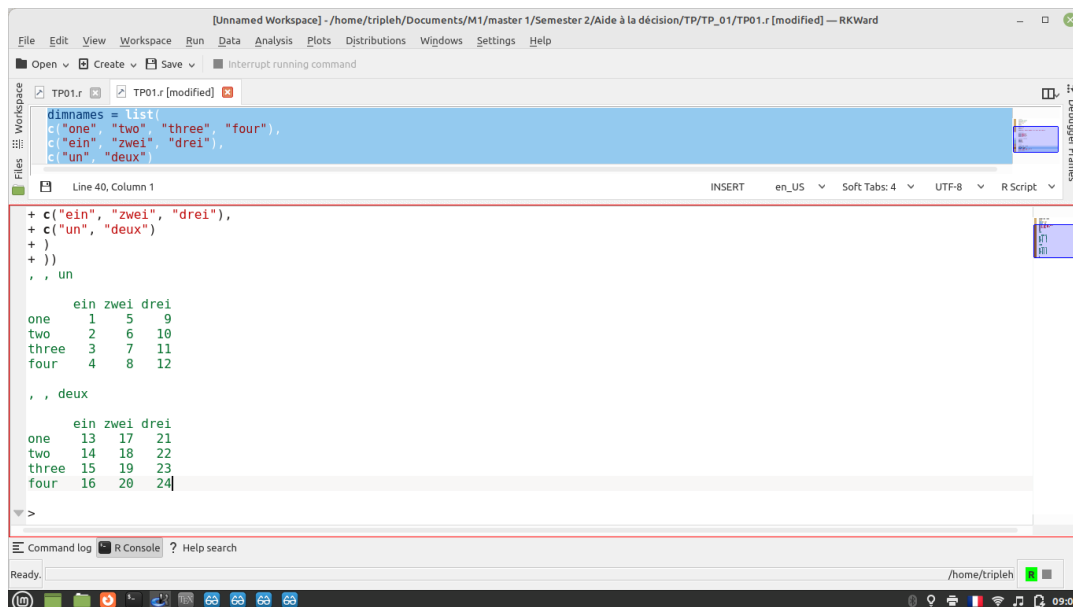


FIGURE 1.7: Arrays

## 1.5 Matrices

The syntax for creating matrices is similar, but rather than passing a `dim` argument, you specify the number of rows or the number of columns:

```

37 (a_matrix <-
38   matrix(
39     1:12,
40     nrow = 4,
41     #ncol = 3 works the same
42     dimnames =
43     list(
44       c("one",
45         "two", "three", "four"),
46       c("ein",
47         "zwei", "drei")
48     )
49   ))

```

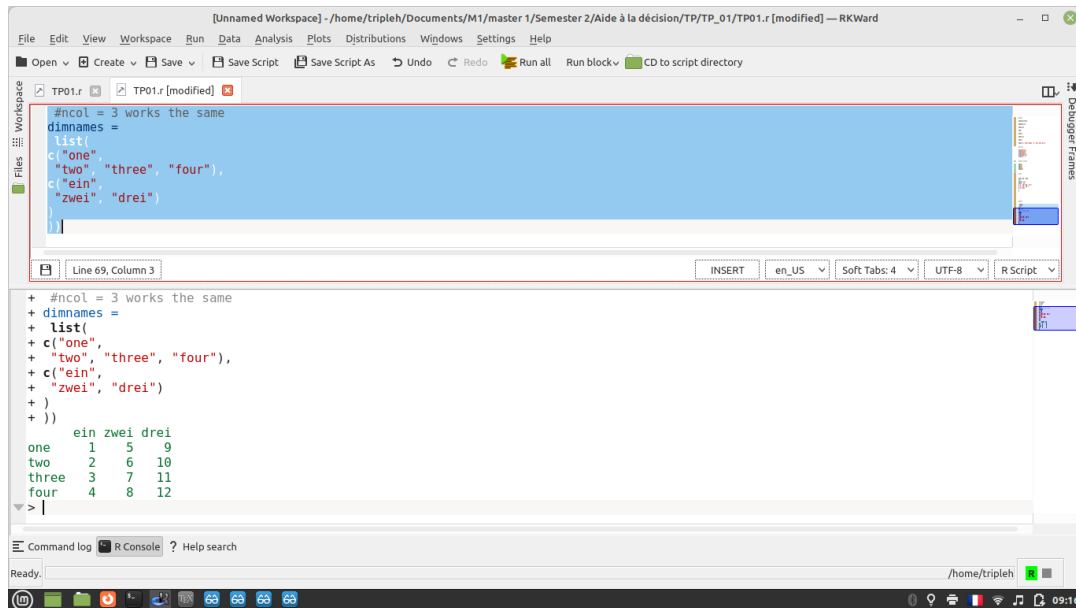


FIGURE 1.8: Matrices 1

This matrix could also be created using the array function. The following two dimensional array is identical to the matrix that we just created (it even has class matrix):

```
50 (two_d_array
51   <- array(
52     1:12,
53     dim = c(4,
54             3),
55     dimnames =
56       list(
57         c("one",
58           "two", "three", "four"),
59         c("ein",
60           "zwei", "drei")
61       )
62   )
)
```

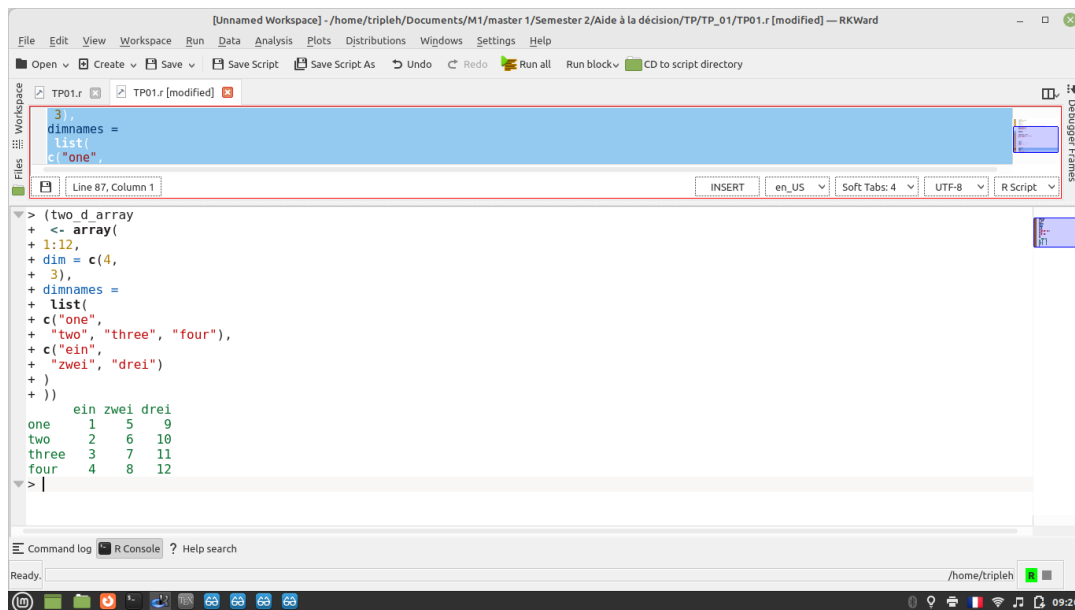


FIGURE 1.9: Matrices 2

When you create a matrix, the values that you passed in fill the matrix column-wise. It is also possible to fill the matrix row-wise by specifying the argument `byrow = TRUE`:

```

63 matrix(
64 1:12,
65 nrow = 4,
66 byrow = TRUE,
67 dimnames = list(
68 c("one", "two", "three", "four"),
69 c("ein", "zwei", "drei")
70 )
71 )

```

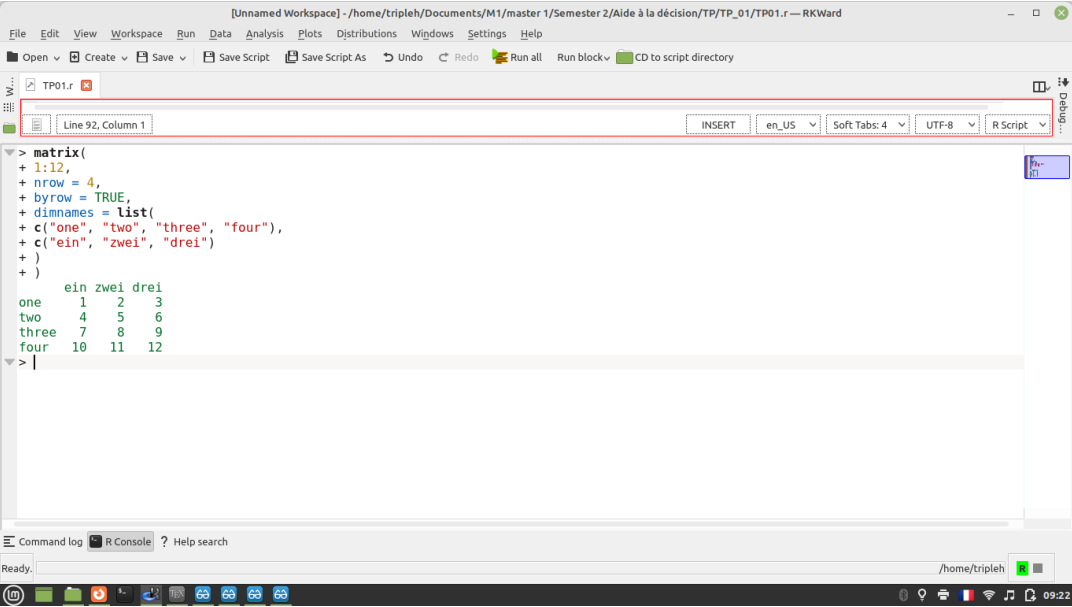


FIGURE 1.10: Matrices 3

Command	What it does
<code>matrix(c(1,3,5,7), nrow=2, ncol=2)</code>	creates the matrix $\begin{pmatrix} 1 & 5 \\ 3 & 7 \end{pmatrix}$
<code>dim(A)</code>	gives the dimensions of matrix $A$
<code>diag(A)</code>	extracts the diagonal of matrix $A$
<code>diag(c(1,7))</code>	creates the diagonal matrix $\begin{pmatrix} 1 & 0 \\ 0 & 7 \end{pmatrix}$
<code>rbind(u,v,w)</code>	binds vectors $u, v, w$ into a matrix, as rows
<code>cbind(u,v,w)</code>	binds vectors $u, v, w$ into a matrix, as columns
<code>t(A)</code>	transpose of matrix $A$
<code>A[2,3]</code>	row 2, column 3 entry of matrix $A$
<code>A[2,]</code>	row 2 of matrix $A$ (as a vector)
<code>A[,3]</code>	column 3 of matrix $A$ (as a vector)
<code>A[c(1,3),c(2,4)]</code>	submatrix of $A$ , keeping rows 1,3 and columns 2,4
<code>rowSums(A)</code>	row sums of matrix $A$
<code>rowMeans(A)</code>	row averages of matrix $A$
<code>colSums(A)</code>	column sums of matrix $A$
<code>colMeans(A)</code>	column means of matrix $A$
<code>eigen(A)</code>	eigenvalues and eigenvectors of matrix $A$
<code>solve(A)</code>	$A^{-1}$
<code>solve(A,b)</code>	solves $Ax = b$ for $x$ (where $b$ is a column vector)
<code>A %*% B</code>	matrix multiplication $AB$
<code>A %^% k</code>	matrix power $A^k$ (using <code>expm</code> package)

FIGURE 1.11: Matrices 4

1.6 Lists

A list is, loosely speaking, a vector where each element can be of a different type. Lists are created with the `list` function, and specifying the contents works much like the `c` function that we’ve seen already. You simply list the contents, with each argument separated by a comma. List elements can be any variable type—vectors, matrices, even functions:

```

72 (a_list <- list(
73   c(1, 1, 2, 5, 14, 42),
74   #See http://oeis.org/A000108
75   month.abb,
76   matrix(c(3, -8, 1, -3), nrow = 2),
77   asin
78 ))

```

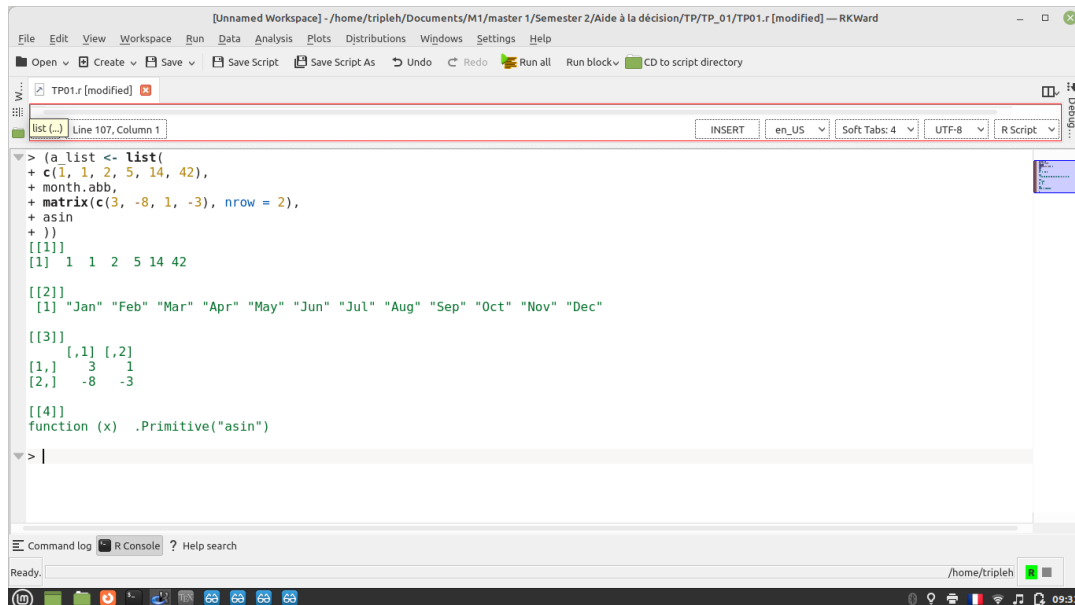


FIGURE 1.12: Lists 1

In theory, you can keep nesting lists forever. In practice, current versions of R will throw an error once you start nesting your lists tens of thousands of levels deep (the exact number is machine specific). Luckily, this shouldn't be a problem for you, since real world code where nesting is deeper than three or four levels is extremely rare.

## 1.7 Tables

Tables are often essential for organizing and summarizing your data, especially with categorical variables. When creating a table in R, it considers your table as a specific type of object (called "table") which is very similar to a data frame. Though this may seem strange since datasets are stored as data frames, this means working with tables will be very easy since we have covered data frames in detail over the previous tutorials. In this chapter, we will discuss how to create various types of tables, and how to use various statistical methods to analyze tabular data. Throughout the chapter, the AOSI dataset will be used.**[donovan\_6\_nodate]**

A contingency table is a tabulation of counts and/or percentages for one or more variables. In R, these tables can be created using `table()` along with some of its variations. To use `table()`, simply add in the variables you want to tabulate separated by

a comma. Note that `table()` does not have a `data=` argument like many other functions do (e.g., `ggplot2` functions), so you must reference the variable using dataset variable. Some examples are shown below. By default, missing values are excluded from the counts; if you want a count for these missing values you must specify the argument `useNA="ifany"` or `useNA="always"`. [donovan\_6\_nodate]

### 1.7.1 Create a table from scratch

```

79 tab <- matrix(c(7, 5, 14, 19, 3, 2, 17, 6, 12), ncol=3, byrow=TRUE)
80 colnames(tab) <- c('colName1', 'colName2', 'colName3')
81 rownames(tab) <- c('rowName1', 'rowName2', 'rowName3')
82 tab <- as.table(tab)
83 tab

```

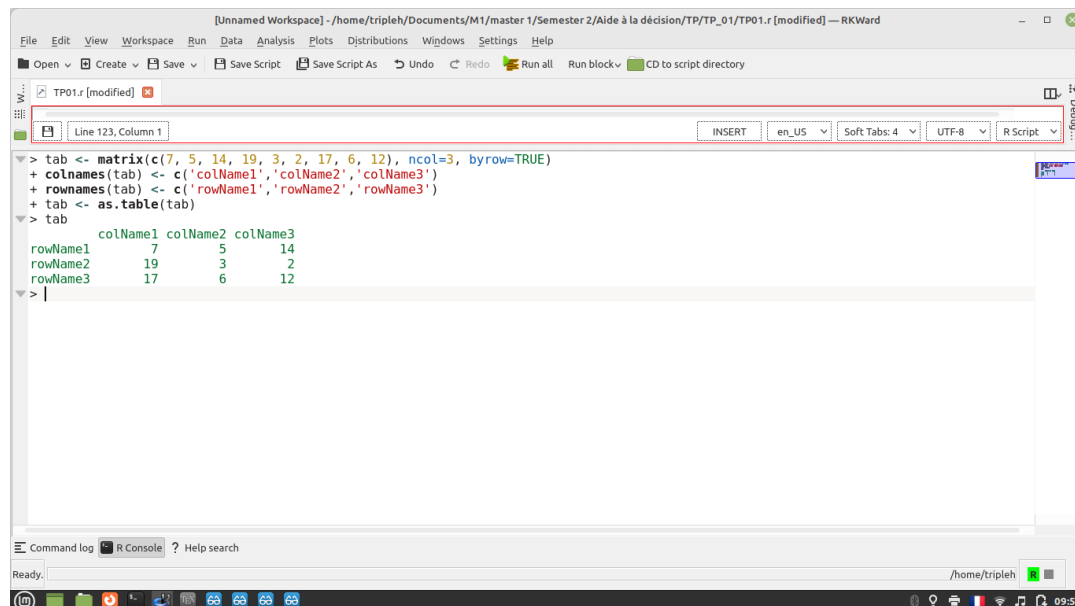


FIGURE 1.13: Tables 1

### 1.7.2 Create a Table from Existing Data

```

84 #make this example reproducible
85 set.seed(1)
86
87 #define data
88 df <- data.frame(team=rep(c('A', 'B', 'C', 'D'), each=4),
89                  pos=rep(c('G', 'F'), times=8),
90                  points=round(runif(16, 4, 20),0))
91
92 #view head of data
93 head(df)
94
95
96 #create table with 'position' as rows and 'team' as columns

```

```
97 | tab1 <- table(df$pos, df$team)
98 | tab1
```

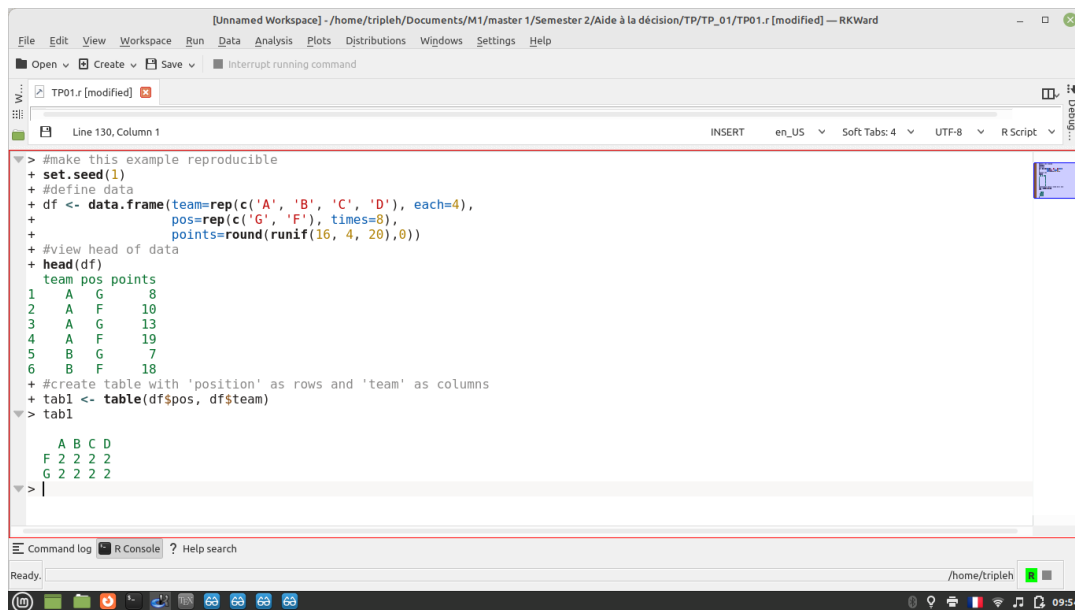


FIGURE 1.14: Tables 2

## 1.8 Data Frames

Data frames are used to store spreadsheet-like data. They can either be thought of as matrices where each column can store a different type of data, or non nested lists where each element is of the same length. We create data frames with the `data.frame` function:

```
99 | (a_data_frame <- data.frame(
100 | x = letters[1:5],
101 | y = rnorm(5),
102 | z = runif(5) > 0.5
103 | ))
```



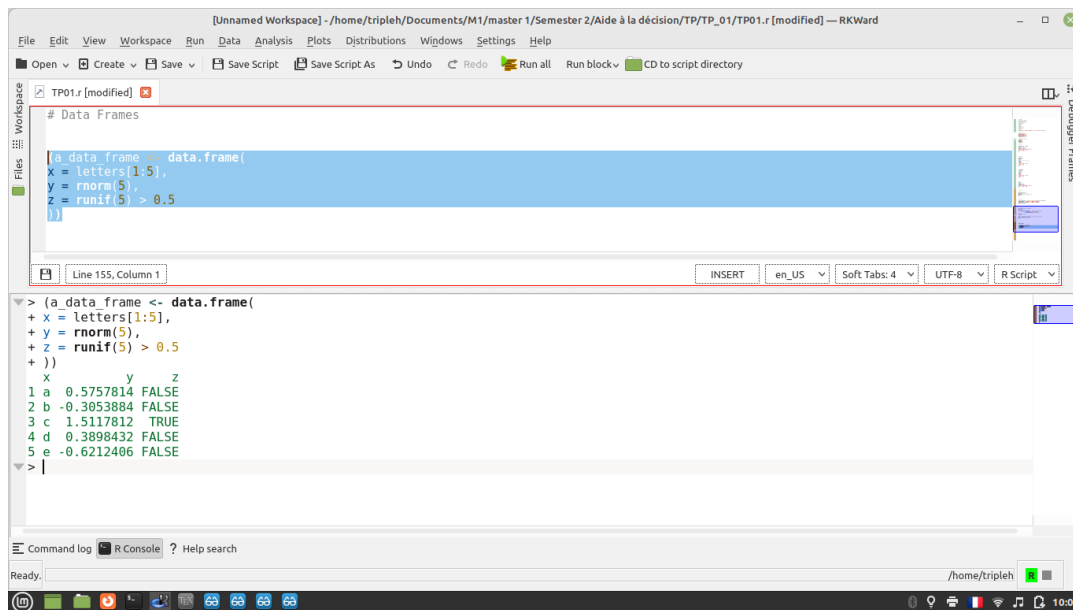


FIGURE 1.15: Data Frames 1

Notice that each column can have a different type than the other columns, but that all the elements within a column are the same type. Also notice that the class of the object is `data.frame`, with a dot rather than a space.

In this example, the rows have been automatically numbered from one to five. If any of the input vectors had names, then the row names would have been taken from the first such vector. For example, if `y` had names, then those would be given to the data frame:

```
104 y <- rnorm(5)
105 names(y) <- month.name[1:5]
106 data.frame(
107 x = letters[1:5],
108 y = y,
109 z = runif(5) > 0.5
110 )
```

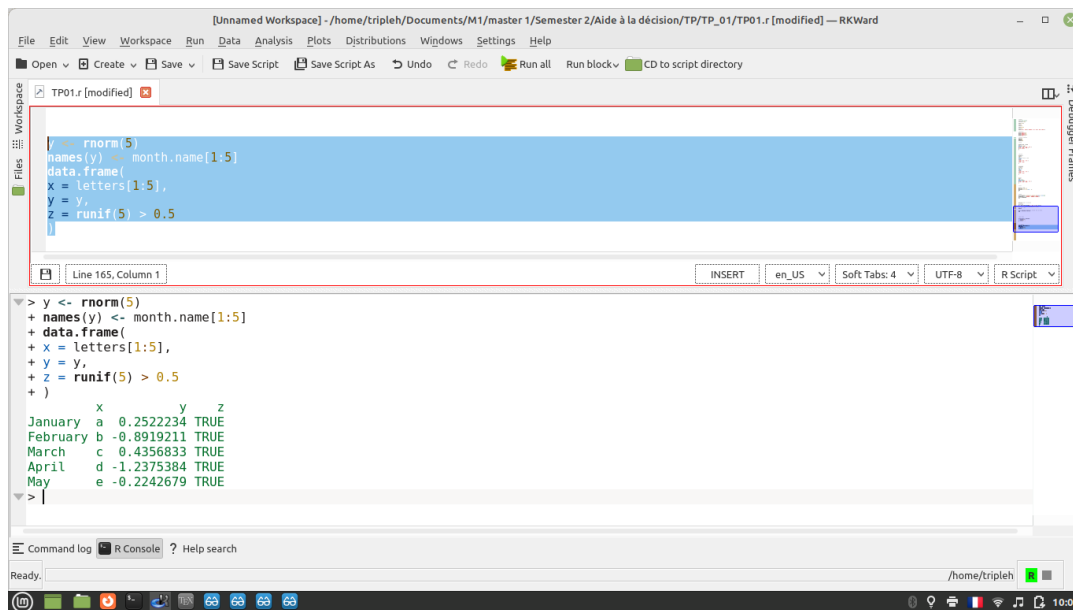


FIGURE 1.16: Data Frames 2

This behavior can be overridden by passing the argument `row.names = NULL` to the `data.frame` function:

```
111 data.frame(
112   x = letters[1:5],
113   y = y,
114   z = runif(5) > 0.5,
115   row.names = NULL
116 )
```

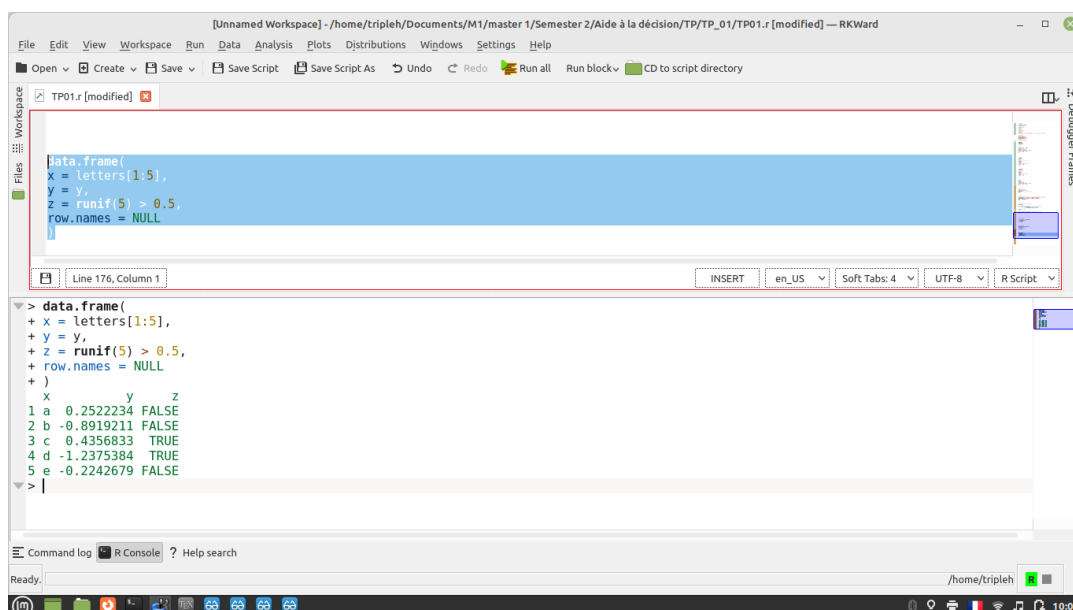


FIGURE 1.17: Data Frames 3

It is also possible to provide your own row names by passing a vector to `row.names`. This vector will be converted to character, if it isn't already that type:

```

117 data.frame(
118   x = letters[1:5],
119   y = y,
120   z = runif(5) > 0.5,
121   row.names = c("Jackie", "Tito", "Jermaine", "Marlon", "Michael")
122 )

```

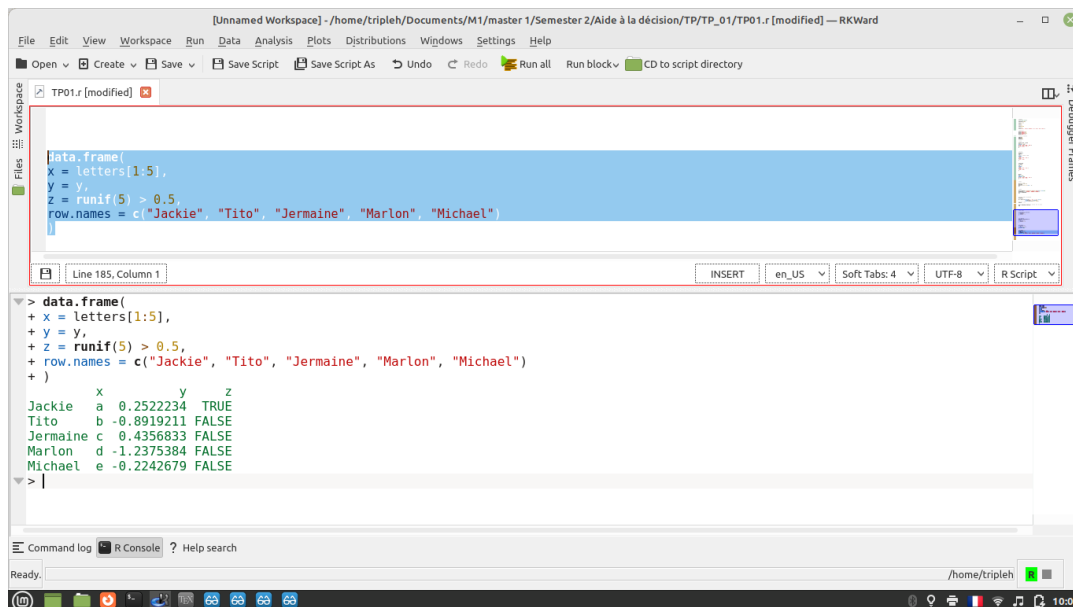


FIGURE 1.18: Data Frames 4

### 1.8.1 Lists vs Data Frames

- Lists can contain different sizes and types of variables in each element.
- Lists are recursive variables, since they can contain other lists.
- You can index lists using `[]`, `[[ ]]`, or `$`.
- `NULL` is a special value that can be used to create “empty” list elements.
- Data frames store spreadsheet-like data.
- Data frames have some properties of matrices (they are rectangular), and some of lists (different columns can contain different sorts of variables).
- Data frames can be indexed like matrices or like lists.
- `merge` lets you do database-style joins on data frames.

## 1.9 Sampling and simulation

The `sample` command is a useful way of drawing random samples in R. (Technically, they are pseudo-random since there is an underlying deterministic algorithm, but they “look like” random samples for almost all practical purposes.) For example,

```
123 n <- 10; k <- 5
124 sample(n,k)
```

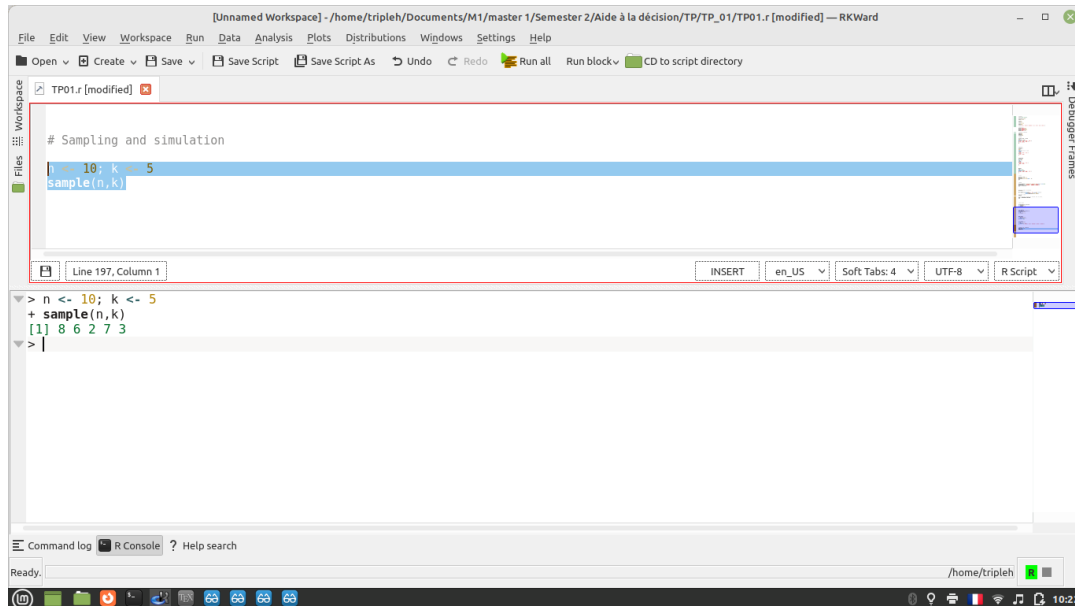


FIGURE 1.19: Sampling 1

generates an ordered random sample of 5 of the numbers from 1 to 10, without replacement, and with equal probabilities given to each number. To sample with replacement instead, just add in `replace = TRUE`:

```
125 n <- 10; k <- 5
126 sample(n,k,replace=TRUE)
```

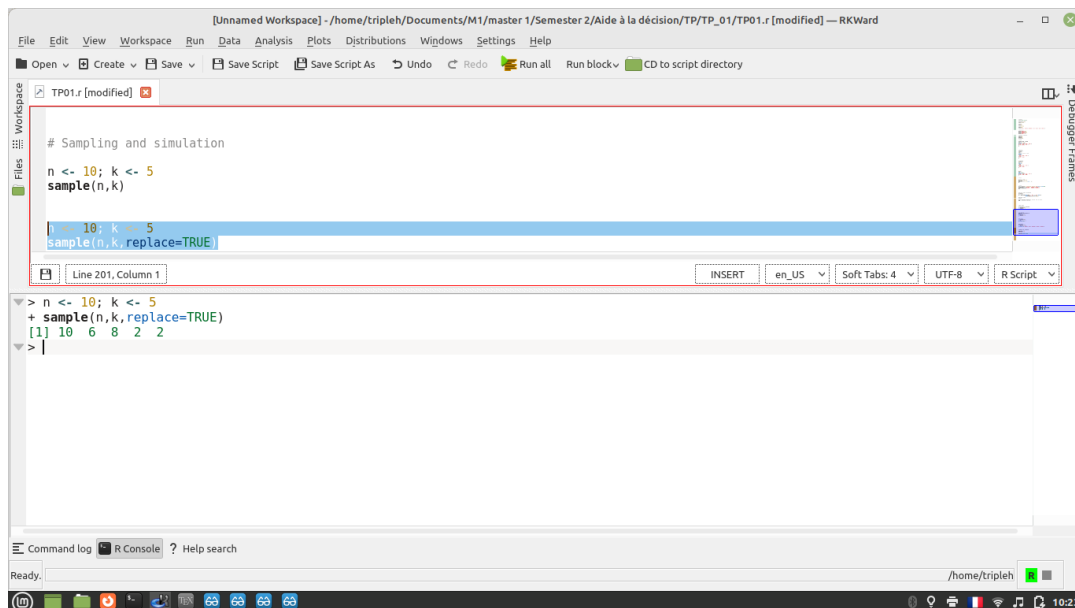


FIGURE 1.20: Sampling 2

To generate a random permutation of  $1, 2, \dots, n$  we can use `sample(n,n)`, which because of R’s default settings can be abbreviated to `sample(n)`. We can also use `sample` to draw from a non-numeric vector. For example, `letters` is built into R as the vector consisting of the 26 lowercase letters of the English alphabet, and `sample(letters,7)` will generate a random 7-letter “word” by sampling from the alphabet, without replacement.[1]

The `sample` command also allows us to specify general probabilities for sampling each number. For example,

127

```
sample(4, 3, replace=TRUE, prob=c(0.1,0.2,0.3,0.4))
```

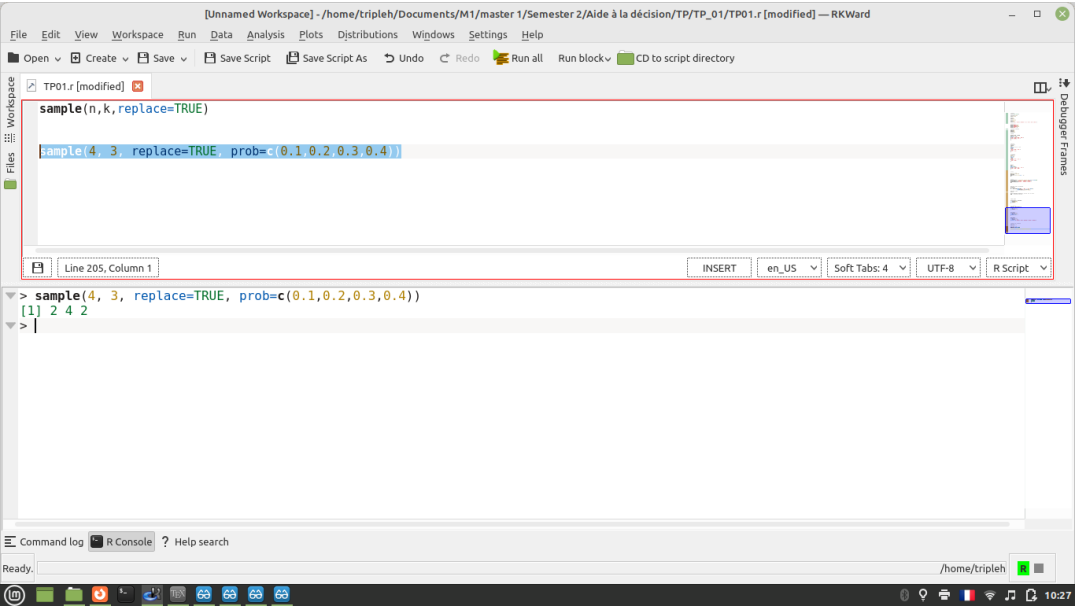


FIGURE 1.21: Sampling 3

`sample` samples three numbers between 1 and 4, with replacement, and with probabilities given by  $(0.1, 0.2, 0.3, 0.4)$ . If the sampling is without replacement, then at each stage the probability of any not-yet-chosen number is proportional to its original probability. Generating many random samples allows us to perform a simulation for a probability problem. The `replicate` command, which is explained below, is a convenient way to do this.[1]

Command	What it does
<code>sample(7)</code>	random permutation of $1, 2, \dots, 7$
<code>sample(52,5)</code>	picks 5 times from $1, 2, \dots, 52$ (don’t replace)
<code>sample(letters,5)</code>	picks 5 random letters of the alphabet (don’t replace)
<code>sample(3,5,replace=TRUE,prob=p)</code>	picks 5 times from $1, 2, 3$ with probabilities $p$ (replace)
<code>replicate(10^4,experiment)</code>	simulates $10^4$ runs of <i>experiment</i>

FIGURE 1.22: Sampling 4

## 1.10 set seed

When you generate “random numbers” in R, you are actually generating pseudorandom numbers. These numbers are generated with an algorithm that requires a seed to initialize. Being pseudorandom instead of pure random means that, if you know the seed and the generator, you can predict (and reproduce) the output. In this tutorial you will learn the meaning of setting a seed, what does `set.seed` do in R, how does `set.seed` work, how to set or unset a seed, and hence, how to make reproducible outputs.[noauthor\_set\_2020]

### 1.10.1 What is to set seed in R?

Setting a seed in R means to initialize a pseudorandom number generator. Most of the simulation methods in Statistics require the possibility to generate pseudorandom numbers that mimic the properties of independent generations of a uniform distribution in the interval  $(0,1)$ . [noauthor\_set\_2020]

In order to obtain these sequences of pseudorandom numbers, we need a recursive algorithm called Random Number Generator (RNG):

$$x_i = f(x_{i-1}, x_{i-2}, x_{i-3}, \dots, x_{i-k})$$

where  $k$  is the order of the generator and  $(x_0, x_1, x_2, \dots, x_{k-1})$  is the seed (or initial state of the generator). [noauthor\_set\_2020]

There are several generators, that can be selected with the `RNGkind` function or with the argument `kind` of the R `set.seed` function, that uses by default the Mersenne-Twister generator.[noauthor\_set\_2020]

### 1.10.2 Why set seed in R?

When using functions that sample pseudorandom numbers, each time you execute them you will obtain a different result. Consider, for instance, that you want to sample 5 numbers from a Normal distribution. For that purpose you could type:

128 `rnorm(5)`

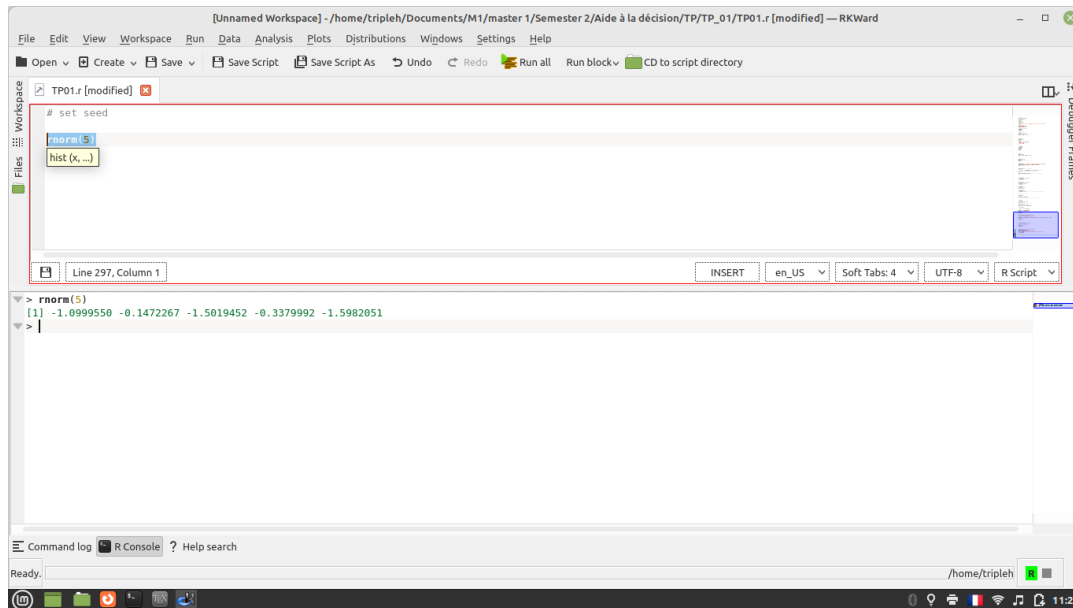


FIGURE 1.23: Set Seed 1

Nevertheless, if you execute the previous code you will obtain a different output. This implies that the code is not reproducible, because you don't know the seed that R used to generate that sequence. [noauthor\_set\_2020]

It is possible that you don't want your code to be reproducible, but there are several cases where reproducibility is desired. Set a seed in R is used for:

1. Reproducing the same output of simulation studies.
2. Help to debug the code when dealing with pseudorandom numbers.

### 1.10.3 How to set seed in R?

The purpose of the R `set.seed` function is to allow you to set a seed and a generator (with the `kind` argument) in R. It is worth to mention that:

1. The state of the random number generator is stored in `.Random.seed` (in the global environment). It is a vector of integers which length depends on the generator.
2. If the seed is not specified, R uses the clock of the system to establish one.

Run again the previous example where we sampled five random numbers from a Normal distribution, but now specify a seed before:

```

129 # Specify any integer
130 set.seed(1)
131
132 rnorm(5) # -0.6264538  0.1836433 -0.8356286  1.5952808  0.3295078

```

If you execute the previous code, you will obtain the same output. However, note that if you run `rnorm(5)` twice, it gives different results:

```

133 set.seed(1)
134
135 rnorm(5) # -0.6264538  0.1836433 -0.8356286  1.5952808  0.3295078
136 rnorm(5) # -0.8204684  0.4874291  0.7383247  0.5757814 -0.3053884

```

It should be noted that the previous block of code returns the same pseudorandom numbers than the following:

```

137 set.seed(1)
138 rnorm(10)
139
140 -0.6264538  0.1836433 -0.8356286  1.5952808  0.3295078
141 -0.8204684  0.4874291  0.7383247  0.5757814 -0.3053884

```

This is due to when calling a random number generation function, the output depends on the values of `.Random.seed`, that changes after executing these functions. If you store the value of `.Random.seed` you can get the current seed state.

```

142 set.seed(1)
143 x <- .Random.seed
144 rnorm(5)
145
146 y <- .Random.seed
147 rnorm(5)
148
149 # .Random.seed is not equal in both cases
150 identical(x, y) # FALSE

```

In consequence, in case you want to output the same numbers twice, you have to set the same seed twice:

```

151 set.seed(1)
152 rnorm(5) # -0.6264538  0.1836433 -0.8356286  1.5952808  0.3295078
153
154 set.seed(1)
155 rnorm(5) # -0.6264538  0.1836433 -0.8356286  1.5952808  0.3295078

```

As we pointed out before, setting a seed in R is useful when working with simulation studies. Suppose that you want to calculate the median of some values from a uniform distribution:

As we used the `set.seed` function, if you execute the previous code you will obtain the following result:

```

156 # Set seed
157 set.seed(1234)
158
159 n_rep <- 10 # Number of repetitions
160 n <- 2      # Number of points
161
162 Median <- numeric(n_rep)
163
164 for (i in 1:n_rep) {

```



```

165     Median[i] <- median(runif(n))
166 }
167
168 Median
169
170
171
172 0.3680014 0.6163271 0.7506130 0.1210231 0.5901674
173 0.6192831 0.6030835 0.5648057 0.2765220 0.2094744

```

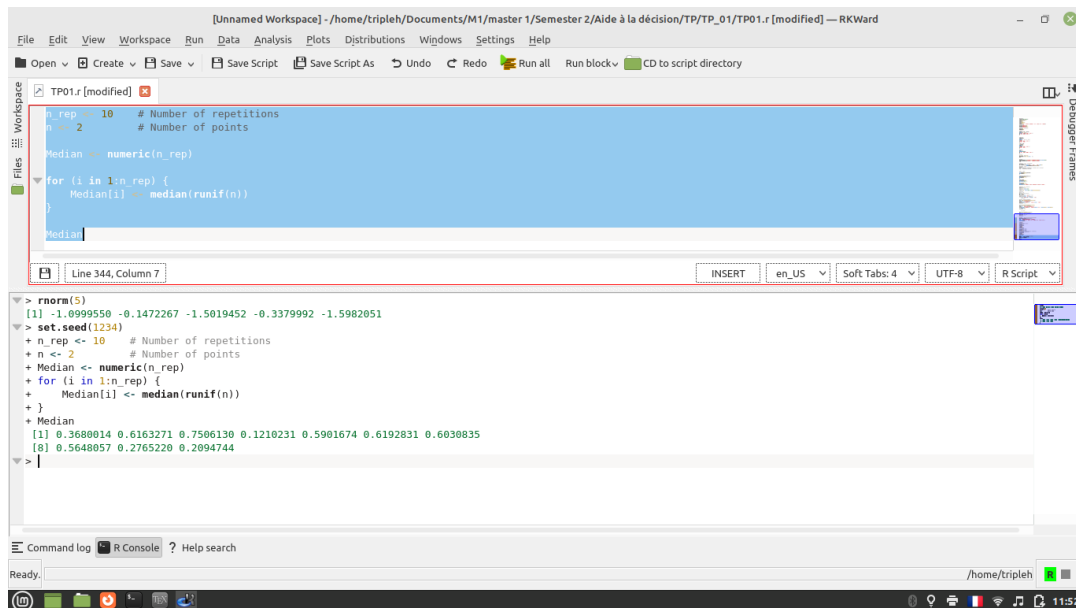


FIGURE 1.24: Set Seed 2

Nonetheless, if for some reason an error appears at some iteration you won't be able to reproduce the error. In order to solve this issue you have two options: saving the value of `.Random.seed` or changing the seed at each iteration:

```

174 set.seed(5)
175
176 for (i in 1:n_rep) {
177   seed <- .Random.seed
178   # If an error arises you can debug with: .Random.seed <- seed
179
180   # Code
181
182 }

```

```

183 for (i in 1:n_rep) {
184   set.seed(i)
185   # If an error arises you can debug with set.seed(i)
186
187   # Code
188
189 }

```

## 1.11 Plotting

the oldest system, having been around as long as R itself. base graphs are easy to get started with, but they require a lot of fiddling and magic incantations to polish, and are very hard to extend to new graph types. To remedy some of the limitations of base, the grid graphics system was developed to allow more flexible plotting. grid lets you draw things at a very low level, specifying where to draw each point, line, or rectangle. While this is wonderful, none of us have time to write a couple of hundred lines of code each time we want to draw a scatter plot. The second plotting system, lattice, is built on top of the grid system, providing high level functions for all the common plot types. It has two standout features that aren't available in base graphics. First, the results of each plot are saved into a variable, rather than just being drawn on the screen. This means that you can draw something, edit it, and draw it again; groups of related plots are easier to draw, and plots can be saved between sessions. The second great feature is that plots can contain multiple panels in a lattice, so you can split up your data into categories and compare the differences between groups.<sup>[2]</sup>

### 1.11.1 Line Plots

A line chart is a graph that connects a series of points by drawing line segments between them. These points are ordered in one of their coordinate (usually the x-coordinate) value. Line charts are usually used in identifying the trends in data.

The `plot()` function in R is used to create the line graph.

```
190 # Create some variables
191 x <- 1:10
192 y1 <- x*x
193 y2 <- 2*y1
194
195 # Create a basic stair steps plot
196 plot(x, y1, type = "S")
197
198
199 # Show both points and line
200 plot(x, y1, type = "b", pch = 19,
201      col = "red", xlab = "x", ylab = "y")
```

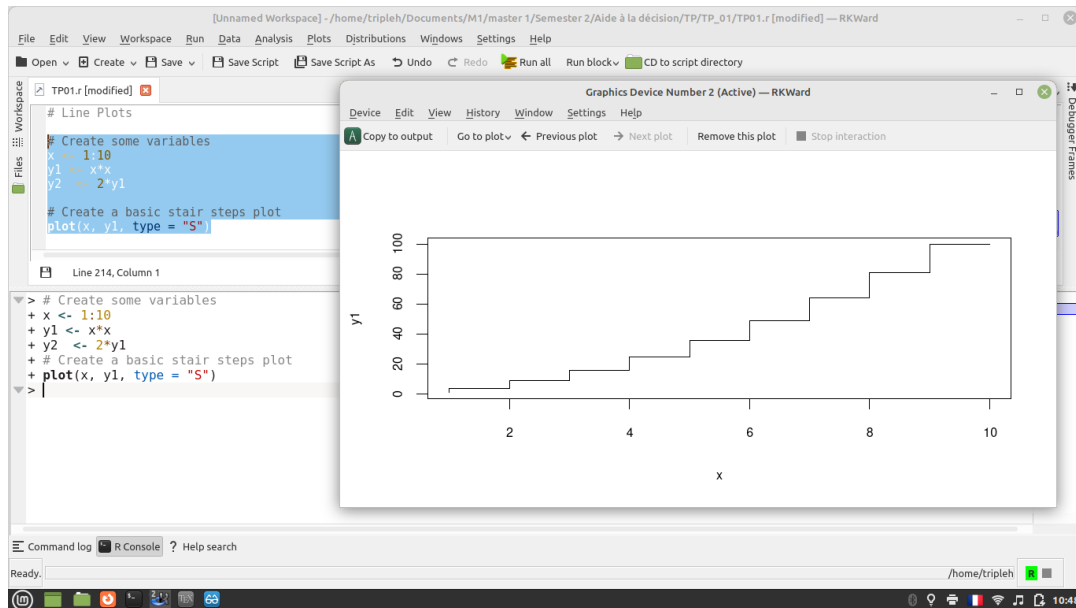


FIGURE 1.25: Line Plot 1

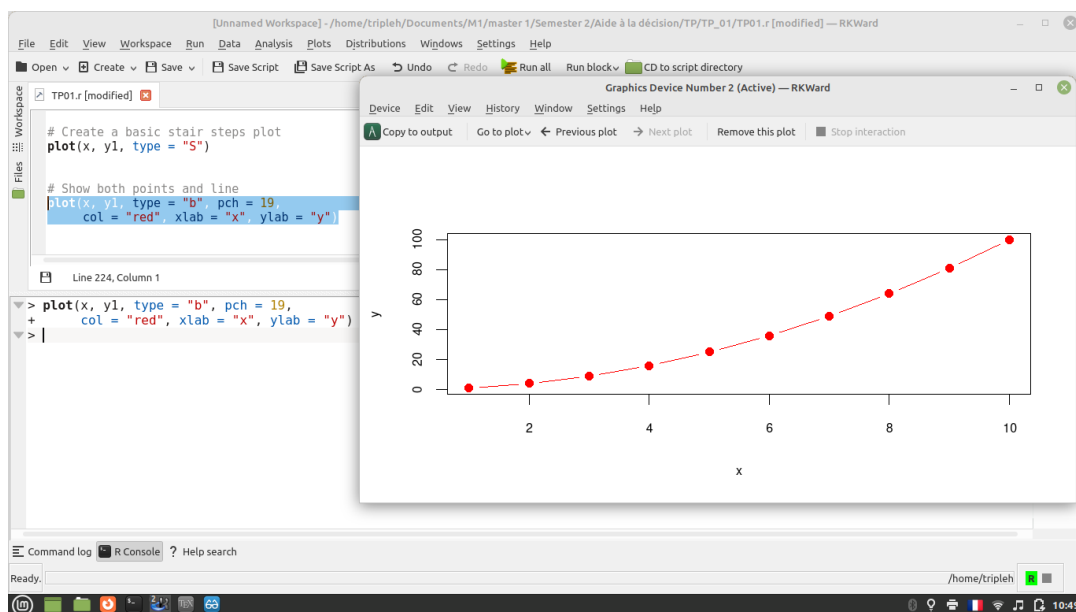


FIGURE 1.26: Line Plot 2

### 1.11.2 Histograms

A histogram represents the frequencies of values of a variable bucketed into ranges. Histogram is similar to bar chart but the difference is it groups the values into continuous ranges. Each bar in histogram represents the height of the number of values present in that range.

R creates histogram using **hist()** function. This function takes a vector as an input and uses some more parameters to plot histograms.

```
202 # Create data for the graph.
203 v <- c(9, 13, 21, 8, 36, 22, 12, 41, 31, 33, 19)
```

```

204
205 # Give the chart file a name.
206 png(file = "histogram.png")
207
208 # Create the histogram.
209 hist(v,xlab = "Weight",col = "yellow",border = "blue")
210
211 # Save the file.
212 dev.off()

```

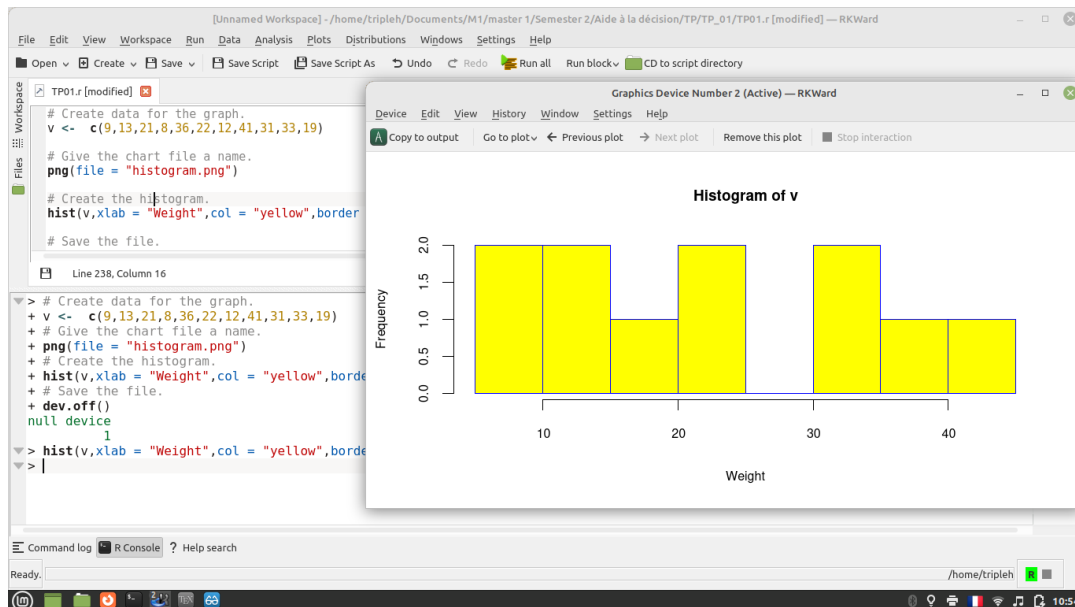


FIGURE 1.27: Histogram 1

To specify the range of values allowed in X axis and Y axis, we can use the `xlim` and `ylim` parameters.

The width of each of the bar can be decided by using `breaks`.

```

213 # Create data for the graph.
214 v <- c(9,13,21,8,36,22,12,41,31,33,19)
215
216 # Give the chart file a name.
217 png(file = "histogram_lim_breaks.png")
218
219 # Create the histogram.
220 hist(v,xlab = "Weight",col = "green",border = "red", xlim = c(0,40)
221      , ylim = c(0,5),
222      breaks = 5)
223
224 # Save the file.
225 dev.off()

```

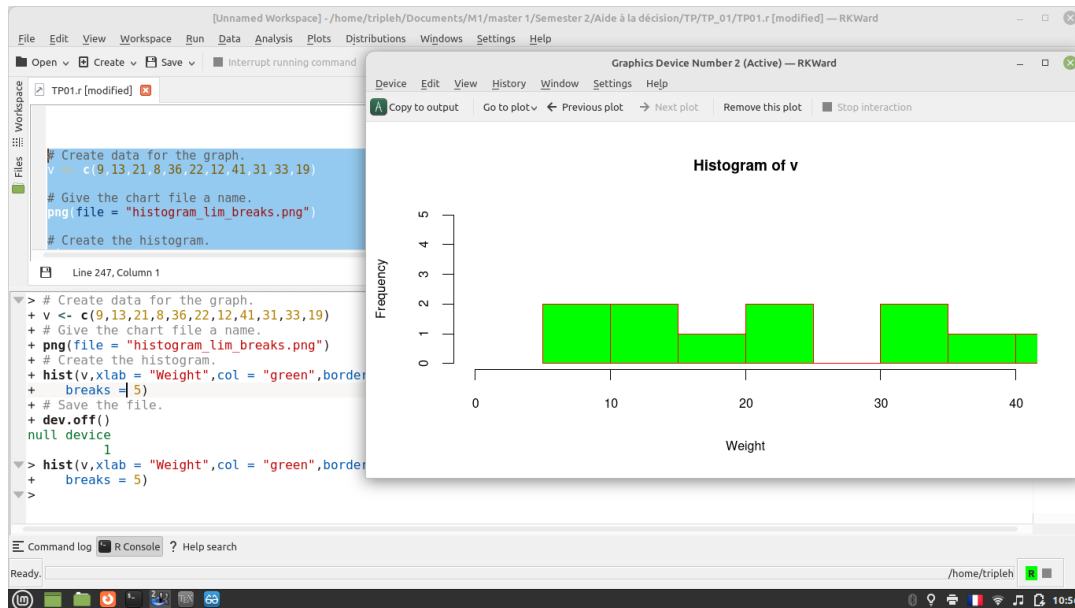


FIGURE 1.28: Histogram 2

### 1.11.3 Bar Charts

Create barplots with the `barplot(height)` function, where `height` is a vector or matrix. If `height` is a vector, the values determine the heights of the bars in the plot. If `height` is a matrix and the option `beside=FALSE` then each bar of the plot corresponds to a column of `height`, with the values in the column giving the heights of stacked “sub-bars”. If `height` is a matrix and `beside=TRUE`, then the values in each column are juxtaposed rather than stacked. Include option `names.arg=(character vector)` to label the bars. The option `horiz=TRUE` to create a horizontal barplot.

```

225 # Create the data for the chart
226 H <- c(7,12,28,3,41)
227
228 # Give the chart file a name
229 png(file = "barchart.png")
230
231 # Plot the bar chart
232 barplot(H)
233
234 # Save the file
235 dev.off()

```

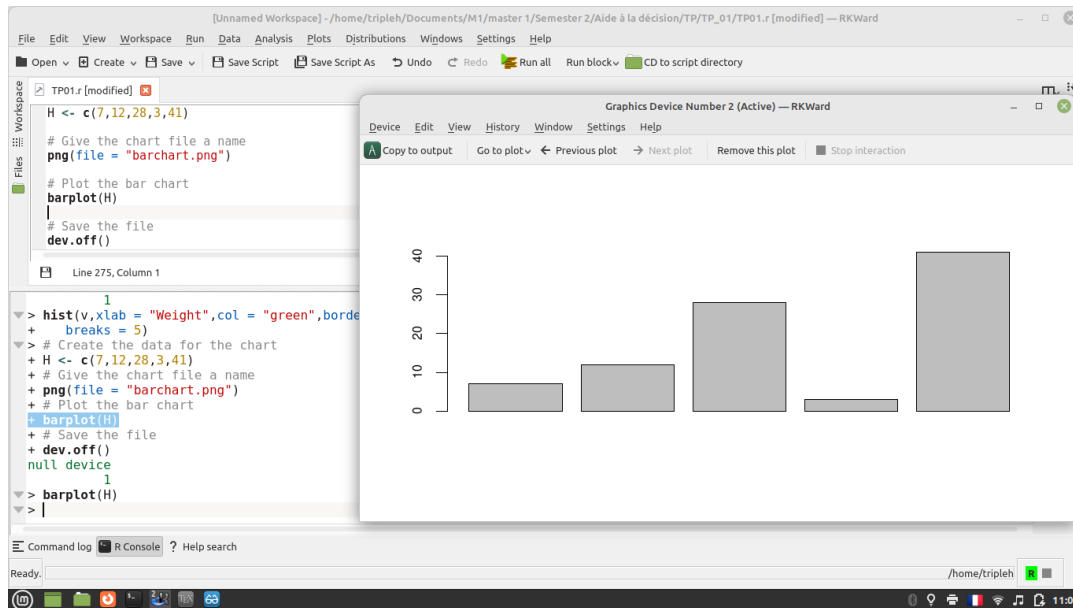


FIGURE 1.29: Bar Chart 1

The features of the bar chart can be expanded by adding more parameters. The main parameter is used to add title. The col parameter is used to add colors to the bars. The args.name is a vector having same number of values as the input vector to describe the meaning of each bar.

```

236 max.temp <- c(22, 27, 26, 24, 23, 26, 28)
237 # barchart with added parameters
238 barplot(max.temp,
239 main = "Maximum Temperatures in a Week",
240 xlab = "Degree Celsius",
241 ylab = "Day",
242 names.arg = c("Sun", "Mon", "Tue", "Wed", "Thu", "Fri", "Sat"),
243 col = "darkred",
244 horiz = TRUE)

```

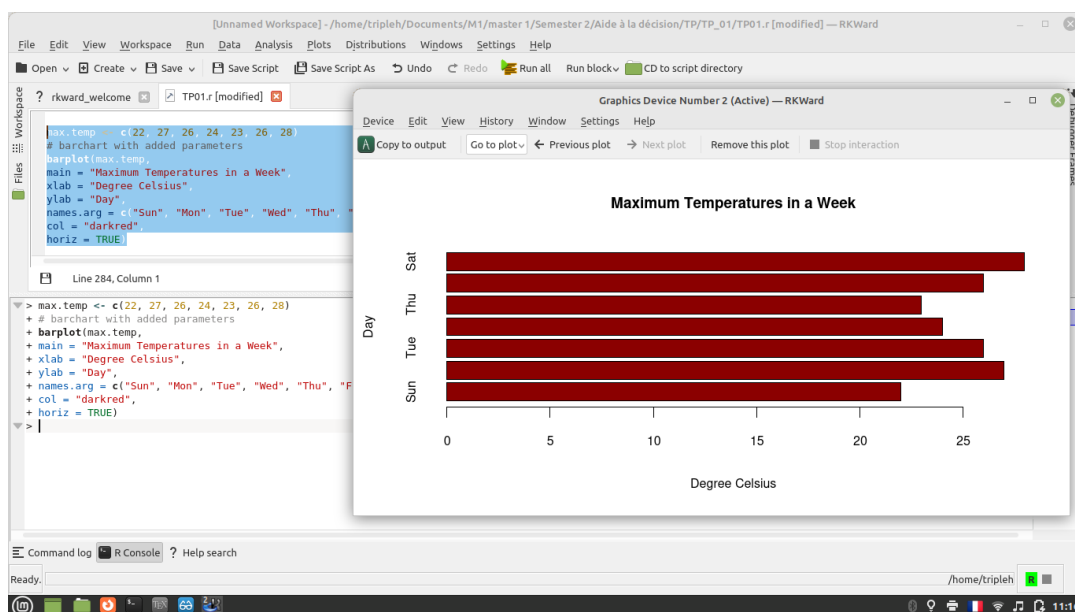


FIGURE 1.30: Bar Chart 2

## Appendix A

# Appendix A

### A.1 R code

```
245 # Classes
246
247 class(c(TRUE, FALSE))
248
249 class(sqrt(1:10))
250
251 class(3 + 1i)
252
253 class(1)
254
255 class(1L)
256
257 class(0.5:4.5)
258
259 class(1:5)
260
261 class(c("she", "sells", "seashells", "on", "the", "sea", "shore"))
262
263
264 # Vectors in R
265
266 vector("numeric", 5)
267 vector("complex", 5)
268 vector("logical", 5)
269 vector("character", 5)
270 vector("list", 5)
271
272
273 # shortcut to Vectors
274
275 numeric(5)
276 complex(5)
277 logical(5)
278 character(5)
279
280
281 # Arrays
282
283
284 (three_d_array <- array(
285 1:24,
286 dim = c(4, 3, 2),
```



```
287 dimnames = list(  
288 c("one", "two", "three", "four"),  
289 c("ein", "zwei", "drei"),  
290 c("un", "deux")  
291 )  
292 ))  
293  
294  
295  
296  
297  
298  
299 # Matrices  
300  
301 (a_matrix <-  
302   matrix(  
303     1:12,  
304     nrow = 4,  
305     #ncol = 3 works the same  
306     dimnames =  
307       list(  
308         c("one",  
309           "two", "three", "four"),  
310         c("ein",  
311           "zwei", "drei")  
312       )  
313     ))  
314  
315  
316  
317  
318 (two_d_array  
319   <- array(  
320     1:12,  
321     dim = c(4,  
322             3),  
323     dimnames =  
324       list(  
325         c("one",  
326           "two", "three", "four"),  
327         c("ein",  
328           "zwei", "drei")  
329       )  
330     ))  
331  
332  
333  
334  
335  
336 matrix(  
337   1:12,  
338   nrow = 4,  
339   byrow = TRUE,  
340   dimnames = list(  
341     c("one", "two", "three", "four"),  
342     c("ein", "zwei", "drei")  
343   )
```

```
344 )
345
346
347
348 # Lists
349
350
351 (a_list <- list(
352 c(1, 1, 2, 5, 14, 42),
353 month.abb,
354 matrix(c(3, -8, 1, -3), nrow = 2),
355 asin
356 ))
357
358
359
360
361 # Tables
362
363 tab <- matrix(c(7, 5, 14, 19, 3, 2, 17, 6, 12), ncol=3, byrow=TRUE)
364 colnames(tab) <- c('colName1', 'colName2', 'colName3')
365 rownames(tab) <- c('rowName1', 'rowName2', 'rowName3')
366 tab <- as.table(tab)
367 tab
368
369
370
371
372
373
374 #make this example reproducible
375 set.seed(1)
376
377 #define data
378 df <- data.frame(team=rep(c('A', 'B', 'C', 'D'), each=4),
379                   pos=rep(c('G', 'F'), times=8),
380                   points=round(runif(16, 4, 20),0))
381
382 #view head of data
383 head(df)
384
385
386 #create table with 'position' as rows and 'team' as columns
387 tab1 <- table(df$pos, df$team)
388 tab1
389
390
391
392
393
394
395
396 # Data Frames
397
398
399 (a_data_frame <- data.frame(
400 x = letters[1:5],
```

```
401 y = rnorm(5),
402 z = runif(5) > 0.5
403 ))
404
405
406
407
408
409 y <- rnorm(5)
410 names(y) <- month.name[1:5]
411 data.frame(
412 x = letters[1:5],
413 y = y,
414 z = runif(5) > 0.5
415 )
416
417
418
419
420 data.frame(
421 x = letters[1:5],
422 y = y,
423 z = runif(5) > 0.5,
424 row.names = NULL
425 )
426
427
428
429 data.frame(
430 x = letters[1:5],
431 y = y,
432 z = runif(5) > 0.5,
433 row.names = c("Jackie", "Tito", "Jermaine", "Marlon", "Michael")
434 )
435
436
437
438
439 # Sampling and simulation
440
441 n <- 10; k <- 5
442 sample(n,k)
443
444
445 n <- 10; k <- 5
446 sample(n,k,replace=TRUE)
447
448
449 sample(4, 3, replace=TRUE, prob=c(0.1,0.2,0.3,0.4))
450
451
452
453
454 # Plotting
455
456 # Line Plots
457
```

```
458 # Create some variables
459 x <- 1:10
460 y1 <- x*x
461 y2 <- 2*y1
462
463 # Create a basic stair steps plot
464 plot(x, y1, type = "S")
465
466
467 # Show both points and line
468 plot(x, y1, type = "b", pch = 19,
469       col = "red", xlab = "x", ylab = "y")
470
471
472 # Histograms
473
474
475
476 # Create data for the graph.
477 v <- c(9,13,21,8,36,22,12,41,31,33,19)
478
479 # Give the chart file a name.
480 png(file = "histogram.png")
481
482 # Create the histogram.
483 hist(v,xlab = "Weight",col = "yellow",border = "blue")
484
485 # Save the file.
486 dev.off()
487
488
489
490
491 # Create data for the graph.
492 v <- c(9,13,21,8,36,22,12,41,31,33,19)
493
494 # Give the chart file a name.
495 png(file = "histogram_lim_breaks.png")
496
497 # Create the histogram.
498 hist(v,xlab = "Weight",col = "green",border = "red", xlim = c(0,40)
499       , ylim = c(0,5),
500       breaks = 5)
501
502 # Save the file.
503 dev.off()
504
505
506
507 # Bar Charts
508
509
510
511 # Create the data for the chart
512 H <- c(7,12,28,3,41)
513
```

```
514 # Give the chart file a name
515 png(file = "barchart.png")
516
517 # Plot the bar chart
518 barplot(H)
519
520 # Save the file
521 dev.off()
522
523
524
525
526
527
528 max.temp <- c(22, 27, 26, 24, 23, 26, 28)
529 # barchart with added parameters
530 barplot(max.temp,
531 main = "Maximum Temperatures in a Week",
532 xlab = "Degree Celsius",
533 ylab = "Day",
534 names.arg = c("Sun", "Mon", "Tue", "Wed", "Thu", "Fri", "Sat"),
535 col = "darkred",
536 horiz = TRUE)
537
538
539 # set seed
540
541 rnorm(5)
542
543
544 # Specify any integer
545 set.seed(1)
546
547 rnorm(5)
548
549
550 set.seed(1)
551
552 rnorm(5)
553 rnorm(5)
554
555 set.seed(1)
556 rnorm(10)
557
558
559 set.seed(1)
560 x <- .Random.seed
561 rnorm(5)
562
563 y <- .Random.seed
564 rnorm(5)
565
566 # .Random.seed is not equal in both cases
567 identical(x, y) # FALSE
568
569
570 set.seed(1)
```

```
571 rnorm(5)
572
573 set.seed(1)
574 rnorm(5)
575
576 # Set seed
577 set.seed(1234)
578
579 n_rep <- 10      # Number of repetitions
580 n <- 2           # Number of points
581
582 Median <- numeric(n_rep)
583
584 for (i in 1:n_rep) {
585   Median[i] <- median(runif(n))
586 }
587
588 Median
```

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