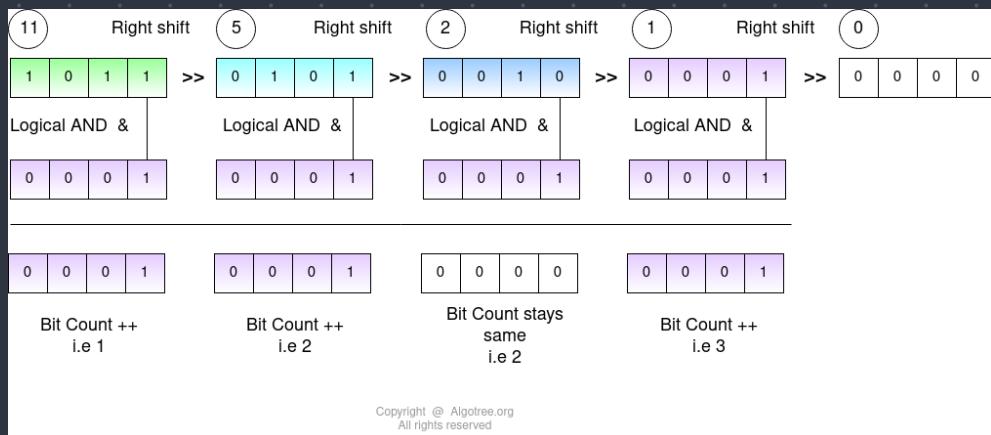


If Counting Set Bits

→ Naive Approach :-

$$84 \rightarrow 1010100$$

We will use right shift operator with logical 'd' to keep count of set bits until the no. becomes 0.



Time Complexity: $O(\log(n))$
Space Complexity: $O(1)$

→ Brian Kernighan's Algorithm :-

$$\begin{array}{r}
 n = 1010100 \\
 \underline{-1} \\
 (n-1) = \underbrace{1010}_{\text{Same}} \underbrace{011}_{\text{flip}}
 \end{array}
 \quad
 n \& (n-1)$$

$$n \& (n-1) = 1010000$$

Repeat this same step

$$\begin{array}{r}
 n = 1010000 \\
 \underline{-1} \\
 (n-1) = \underbrace{1001}_{\text{Same}} \underbrace{111}_{\text{flip}}
 \end{array}
 \quad
 n \& (n-1) = 1000000$$

$$n = 1000000$$

$$n-1 = \frac{-1}{011111}$$

$$n \& n-1 = 0$$

\Rightarrow There are 3 set bits since the loop ran 3 times.

| | |
|---|--|
| Time Complexity: $O(n)$ Space Complexity: $O(1)$ |  n → no. of set bits |
|---|--|

\rightarrow Built-in Method :-

`-- builtin_popcount(84); 113`

| |
|---|
| Time Complexity: $O(1)$ Space Complexity: $O(1)$ |
|---|