

Queues

```
import matplotlib.pyplot as plt

import random as rn
import time

def enqueue (arr,x):
    arr.append(x)
    #return arr

def deque (arr):

    if (len(arr)==0):
        print("Queue is empty")
        return

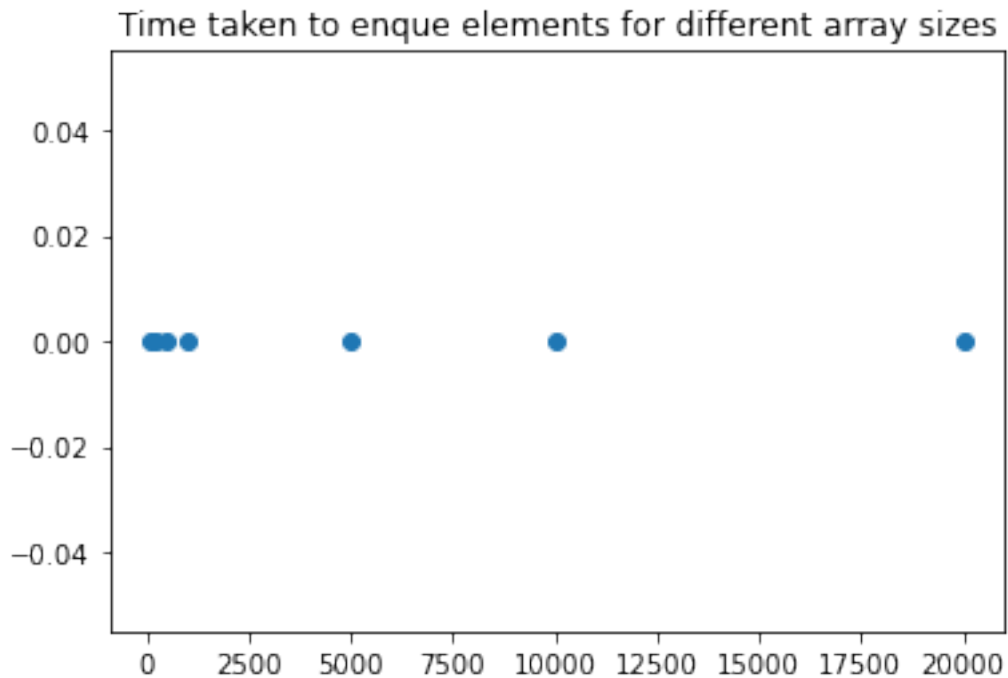
    else:
        for i in range (len(arr)-1):
            arr[i]=arr[i+1]
        arr.pop()
        #return arr

size=[100,200,500,1000,5000,10000,20000]
timeEnque=[]
timeDeque=[]

for j in range (len(size)):
    queue=[]
    for i in range (size[j]):
        queue.append(rn.randint(1,20))
    start=time.time()
    enqueue(queue,25)
    stop=time.time()
    timeEnque.append(stop-start)

    start=time.time()
    deque(queue)
    timeDeque.append(stop-start)

plt.scatter(size,timeEnque)
plt.title('Time taken to enqueue elements for different array sizes')
plt.show()
```



```
def searchQueue(arr,x):
    k=-1
    for i in range (len(arr)):
        if (arr[i]==x):
            k=i
            break

    if (k==-1):
        print("The element is not present in the queue")
        return

    else:
        print("The element is present at the index ",k)
        return

timeSearch=[]

for j in range (len(size)):
    queue=[]
    queue=[]
    for i in range (size[j]-1):
        queue.append(rn.randint(1,20))

    queue.append(25)

    start=time.time()
    searchQueue(queue,25)
    stop=time.time()
```

```

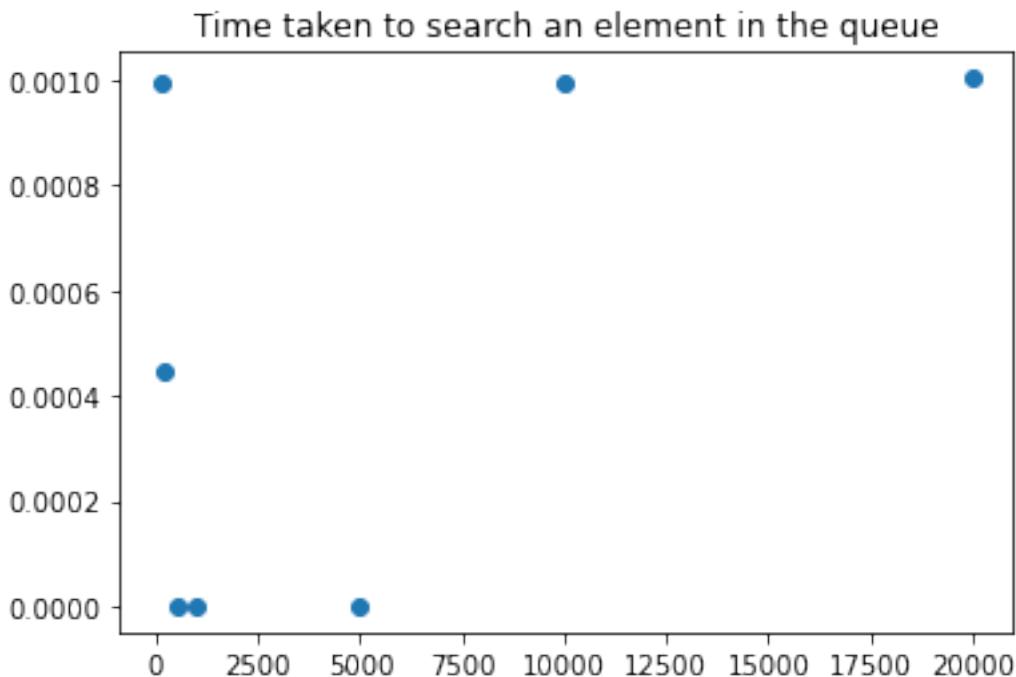
timeSearch.append(stop-start)

print(timeSearch)

The element is present at the index 99
The element is present at the index 199
The element is present at the index 499
The element is present at the index 999
The element is present at the index 4999
The element is present at the index 9999
The element is present at the index 19999
[0.0009968280792236328, 0.0004448890686035156, 0.0, 0.0, 0.0,
0.0009963512420654297, 0.001003265380859375]

plt.scatter(size,timeSearch)
plt.title('Time taken to search an element in the queue')
plt.show()

```



Time complexity

- 1) For insertion or enqueue the element is added directly to the end of the queue. Hence the time complexity for enqueue is $O(1)$.
- 2) For deletion or dequeuing the element at 0 index is removed and the other $n-1$ elements are all shifted to the left by 1 index. Hence the time taken for deletion is $O(n)$.
- 3) For searching, the search technique is similar to that of linear search i.e. all the elements are checked one by one till the element desired is obtained. Hence the time complexity of searching is $O(n)$

Double ended queues

```
def pushBack (arr,x):
    arr.append(x)
    #return arr

def popBack(arr):
    if (len(arr)==0):
        print("queue is empty")
        return
    else:
        arr.pop()
        #return arr

def pushFront(arr,x):
    if (len(arr)==0):
        arr.append(x)
        return
    else:
        temp=arr[len(arr)-1]
        for i in range (len(arr)-1):
            arr[i+1]=arr[i]

        arr.append(temp)
        arr[0]=x
        #return arr

def popFront(arr):
    if (len(arr)==0):
        print("Queue is empty")
        return

    else:
        for i in range (len(arr)-1):
            arr[i]=arr[i+1]
        arr.pop()
        #return arr

def searchQueue(arr,x):
    k=-1
    for i in range (len(arr)):
        if (arr[i]==x):
            k=i
            break

    if (k==-1):
```

```

        print("The element is not present in the queue")
        return

    else:
        print("The element is present at the index ",k)
        return

timePushBack=[]
timePushFront=[]
timePopBack=[]
timePopFront=[]
timeSearch=[]

for j in range (len(size)):
    queue=[]
    for i in range (size[j]):
        queue.append(rn.randint(1,20))

    start=time.time()
    pushBack(queue,25)
    stop=time.time()
    timePushBack.append(stop-start)

    start=time.time()
    popBack(queue)
    stop=time.time()
    timePopBack.append(stop-start)

    start=time.time()
    pushFront(queue,25)
    stop=time.time()
    timePushFront.append(stop-start)

    start=time.time()
    popFront(queue)
    stop=time.time()
    timePopFront.append(stop-start)

    queue.append(25)

    start=time.time()
    searchQueue(queue,25)
    stop=time.time()
    timeSearch.append(stop-start)

```

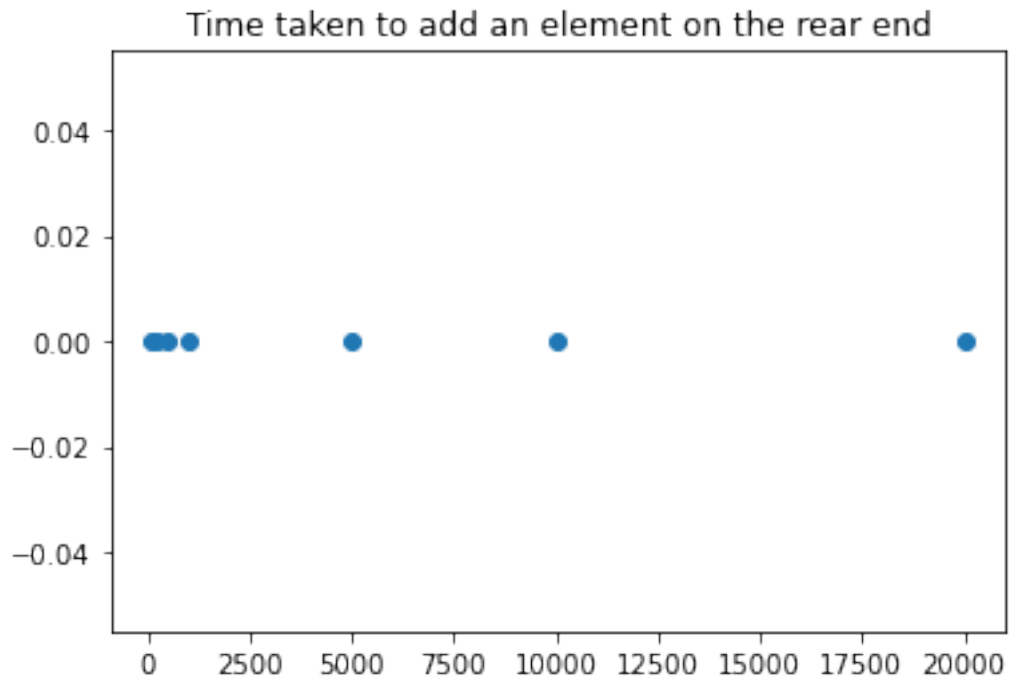
```

The element is present at the index 100
The element is present at the index 200
The element is present at the index 500
The element is present at the index 1000
The element is present at the index 5000

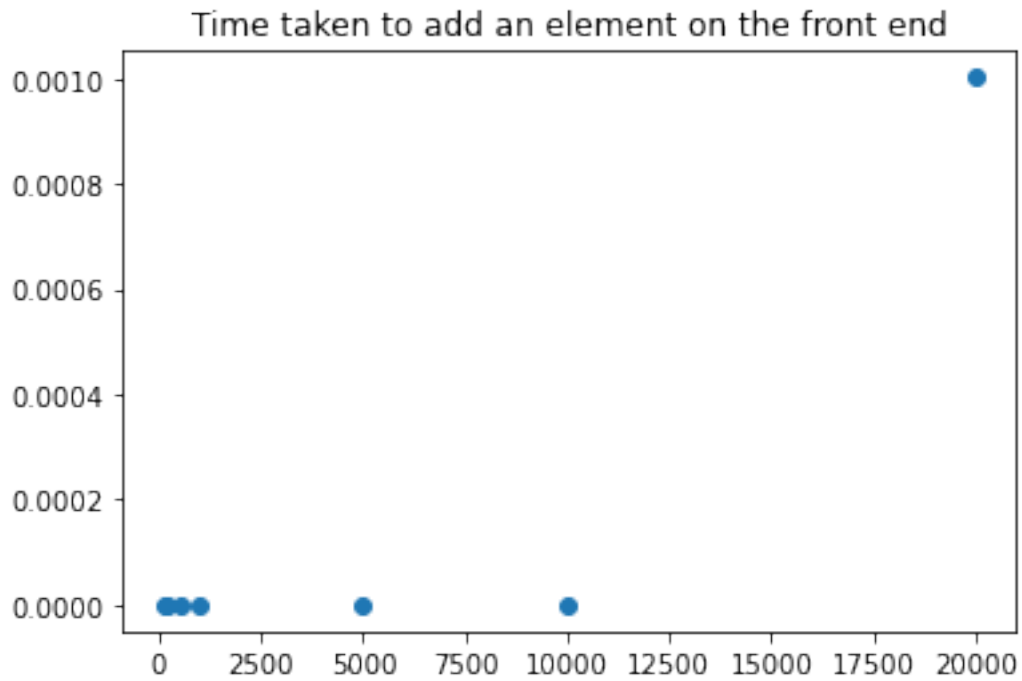
```

The element is present at the index 10000
The element is present at the index 20000

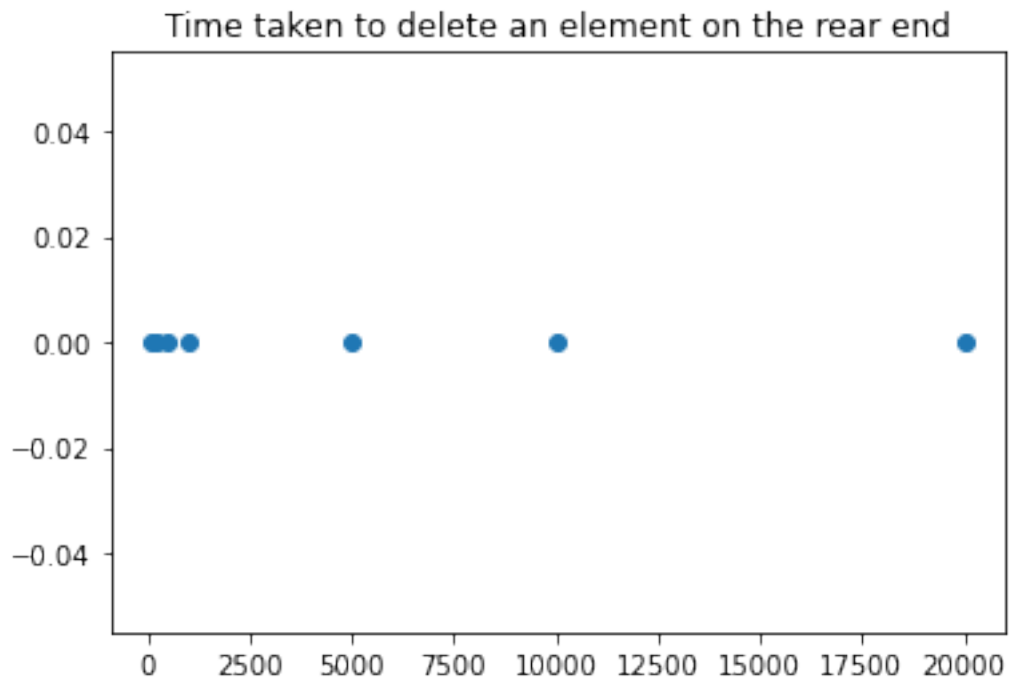
```
plt.scatter(size,timePushBack)  
plt.title('Time taken to add an element on the rear end')  
plt.show()
```



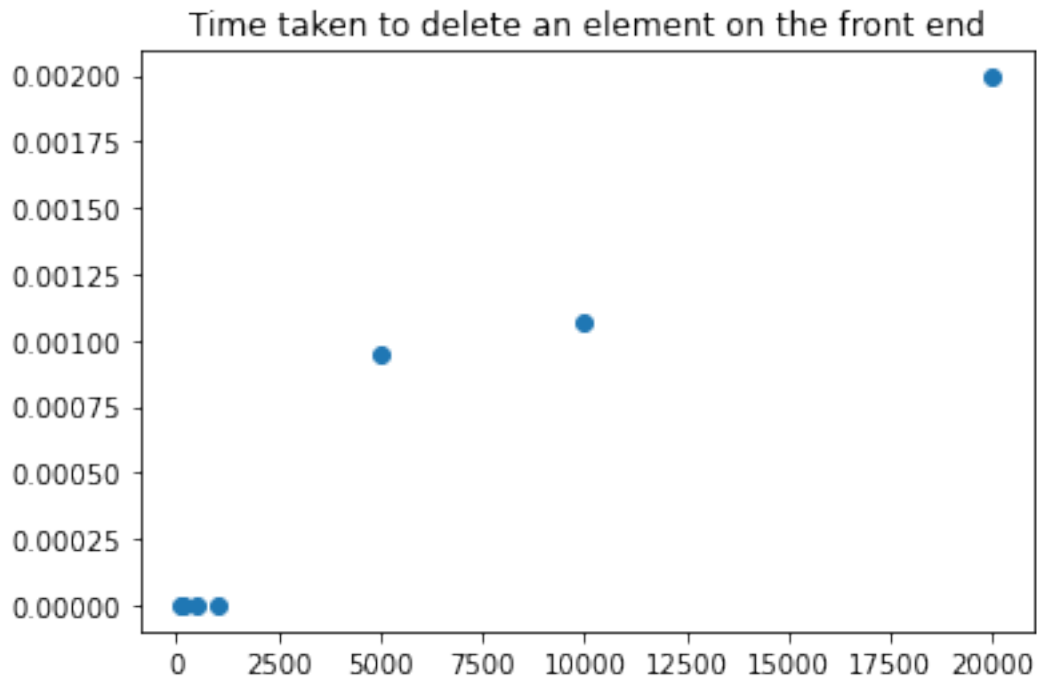
```
plt.scatter(size,timePushFront)  
plt.title('Time taken to add an element on the front end')  
plt.show()
```



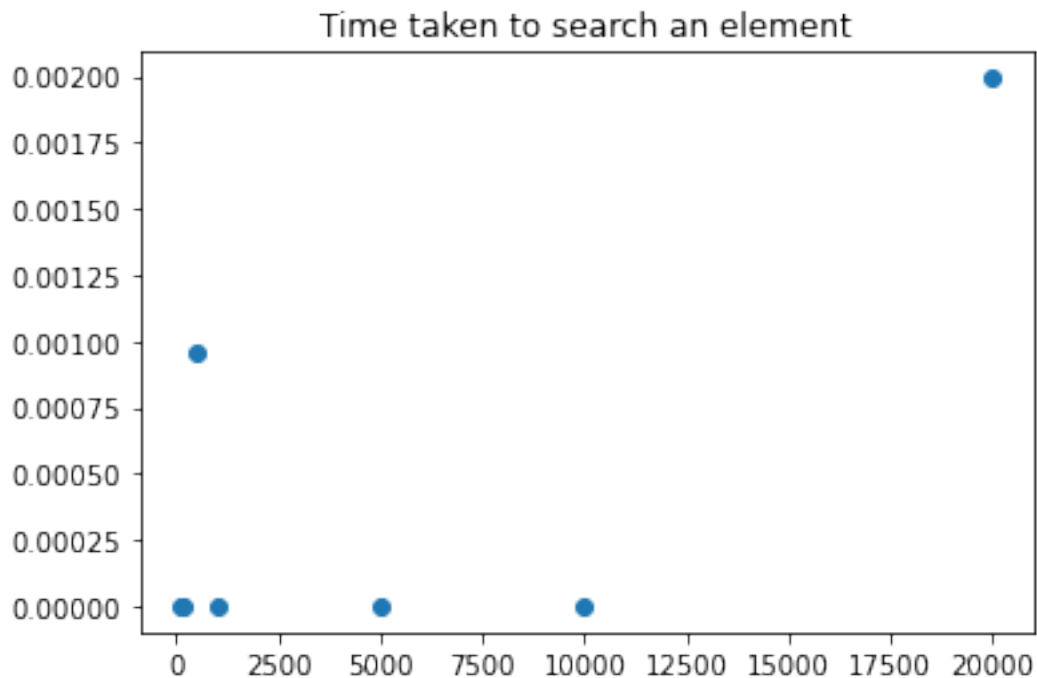
```
plt.scatter(size,timePopBack)  
plt.title('Time taken to delete an element on the rear end')  
plt.show()
```



```
plt.scatter(size,timePopFront)  
plt.title('Time taken to delete an element on the front end')  
plt.show()
```



```
plt.scatter(size,timeSearch)
plt.title('Time taken to search an element')
plt.show()
```



Time Complexity

- 1) For push back we add the elements from the rear side and hence the complexity is $O(1)$

- 2) For pop back we delete the elements from the back and hence the complexity is $O(1)$
 - 3) For push front we shift the n elements to the right by 1 index and add the element in the front. Hence the complexity is $O(n)$
 - 4) For pop front we delete the first element and shift the n elements to the left by 1 index. Hence the time complexity is $O(n)$
 - 5) For searching, the search technique is similar to that of linear search i.e. all the elements are checked one by one till the element desired is obtained. Hence the time complexity of searching is $O(n)$
-

Priority queues

```
def enqueue (arr,x):  
    arr.append(x)  
    #return arr  
  
def dequeue (arr):  
  
    if (len(arr)==0):  
        print("Queue is empty")  
        return  
  
    else:  
        minimum=arr[0]  
        minIndex=0  
  
        for i in range (len(arr)):  
            if (arr[i]<minimum):  
                minimum=arr[i]  
                minIndex=i  
  
        for i in range (minIndex,len(arr)-1):  
            arr[i]=arr[i+1]  
  
        arr.pop()  
        #return arr  
  
def searchQueue(arr,x):  
    k=-1  
    for i in range (len(arr)):  
        if (arr[i]==x):  
            k=i  
            break  
  
    if (k==-1):  
        print("The element is not present in the queue")
```

```

        return

    else:
        print("The element is present at the index ",k)
        return

timeEnquep=[]
timeDequep=[]
timeSearchp=[]

for j in range (len(size)):
    queue=[]
    for i in range (size[j]):
        queue.append(rn.randint(1,20))
    queue.append(25)

    start=time.time()
    enqueue(queue,rn.randint(1,10))
    stop=time.time()
    timeEnquep.append(stop-start)

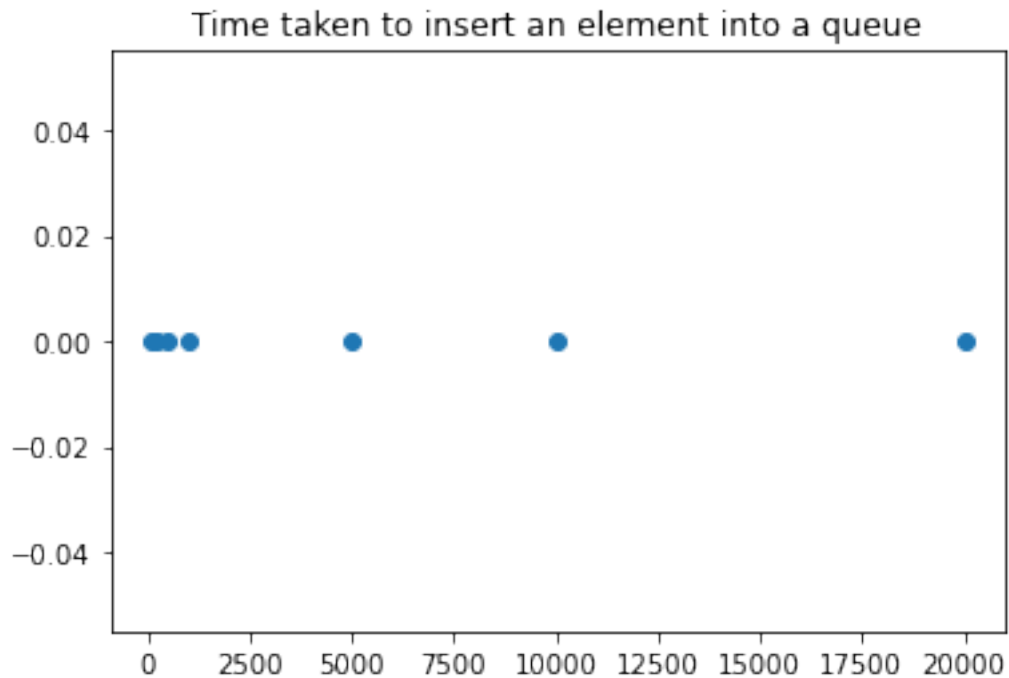
    start=time.time()
    deque(queue)
    stop=time.time()
    timeDequep.append(stop-start)

    start=time.time()
    searchQueue(queue,25)
    stop=time.time()
    timeSearchp.append(stop-start)

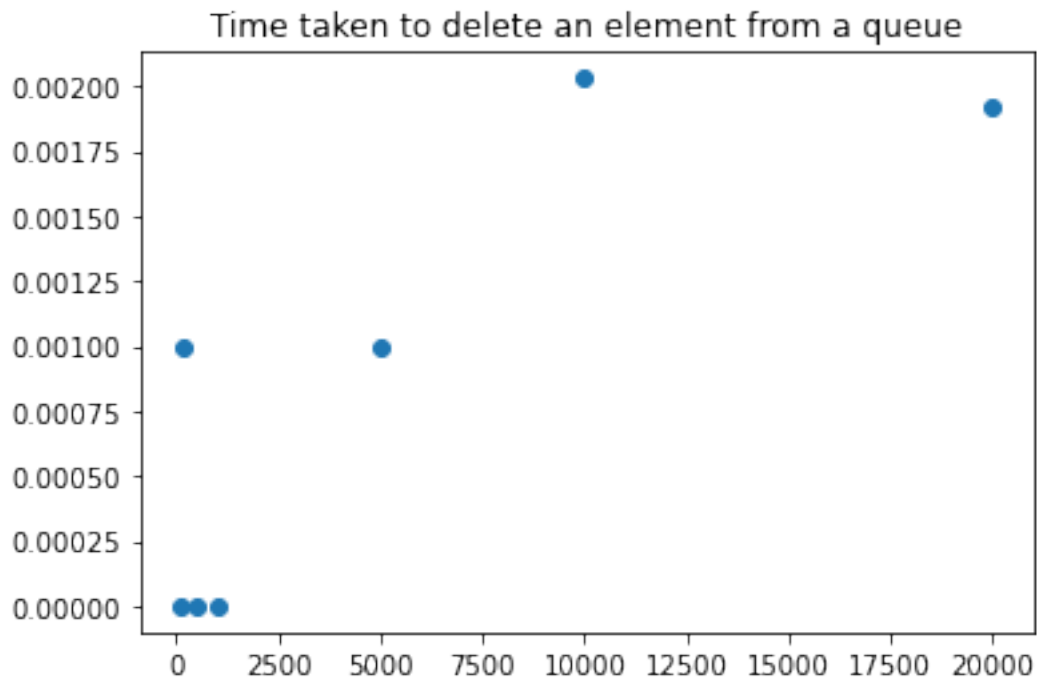
The element is present at the index 99
The element is present at the index 199
The element is present at the index 499
The element is present at the index 999
The element is present at the index 4999
The element is present at the index 9999
The element is present at the index 19999

plt.scatter(size,timeEnquep)
plt.title('Time taken to insert an element into a queue')
plt.show()

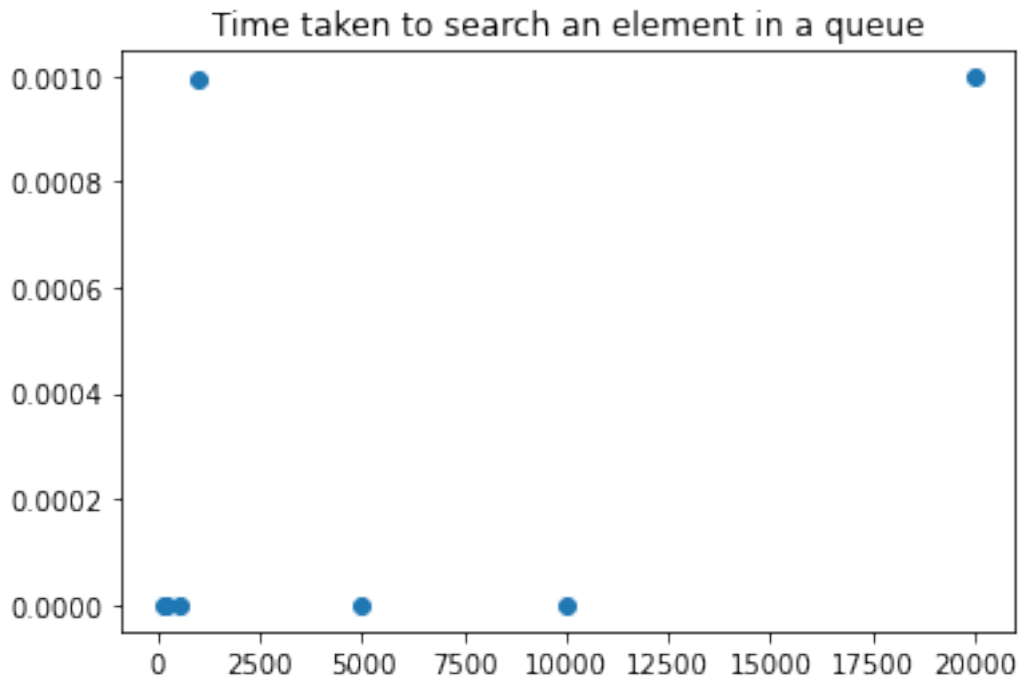
```



```
plt.scatter(size,timeDequeue)
plt.title('Time taken to delete an element from a queue')
plt.show()
```



```
plt.scatter(size,timeSearchp)
plt.title('Time taken to search an element in a queue')
plt.show()
```



Time Complexity

- 1) For insertion or enqueue the element is added directly to the end of the queue. Hence the time complexity for enqueue is $O(1)$.
 - 2) For dequeueing or deletion of an element in a priority queue, we first need to search the element with the highest priority (i.e. the minimum value in the queue), and then delete it. After that we have to shift all the elements after it 1 index to the left. Searching has a time complexity of $O(n)$ and shifting also has a time complexity of $O(n)$. Hence the net time complexity is $O(n) + O(n) = O(n)$.
 - 3) For searching, the search technique is similar to that of linear search i.e. all the elements are checked one by one till the element desired is obtained. Hence the time complexity of searching is $O(n)$.
-

Stack

```
def push(arr,x):
    arr.append(x)
    return

def pop(arr):
    if (len(arr)==0):
        print("The stack is empty")
        return
    else:
```

```

        arr.pop()
        return

def search(arr,x):
    k=-1
    for i in range (len(arr)):
        if (arr[i]==x):
            k=i
            break

    if (k==-1):
        print("The element is not present in the stack")
        return

    else:
        print("The element is present at the index ",k)
        return

timePush=[]
timePop=[]
timeSearch=[]

for j in range (len(size)):
    stack=[]
    for i in range (size[j]):
        stack.append(rn.randint(1,20))

    start=time.time()
    pop(stack)
    stop=time.time()
    timePop.append(stop-start)

    start=time.time()
    push(stack,25)
    stop=time.time()
    timePush.append(stop-start)

    start=time.time()
    search(stack,25)
    stop=time.time()
    timeSearch.append(stop-start)

```

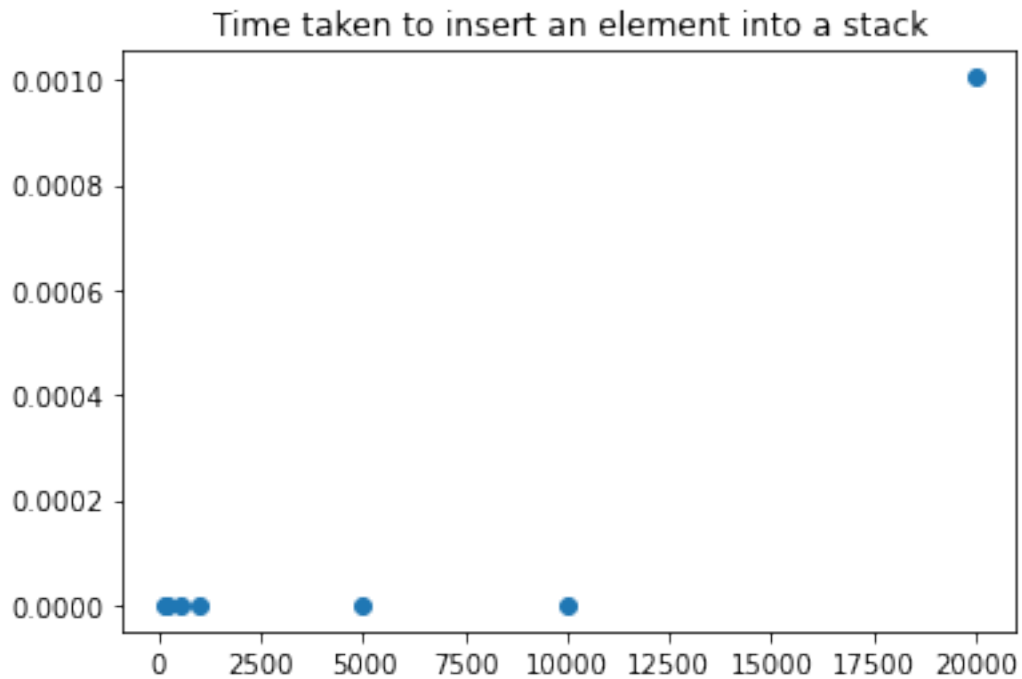
```

The element is present at the index 99
The element is present at the index 199
The element is present at the index 499
The element is present at the index 999
The element is present at the index 4999
The element is present at the index 9999
The element is present at the index 19999

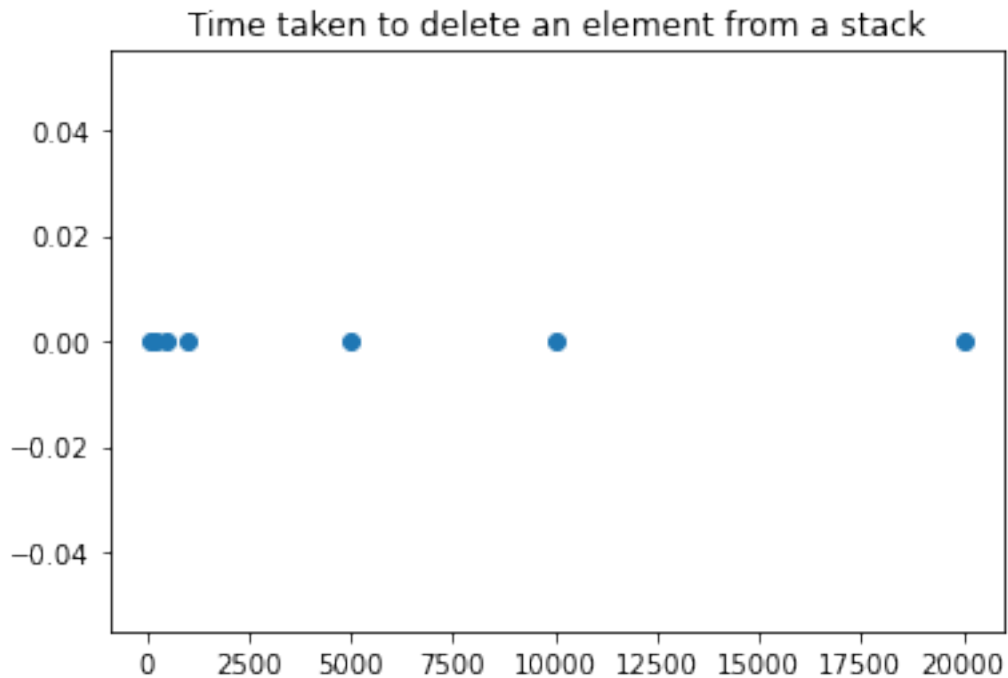
```

```
print(timePush)
[0.0, 0.0, 0.0, 0.0, 0.0, 0.0, 0.001004934310913086]

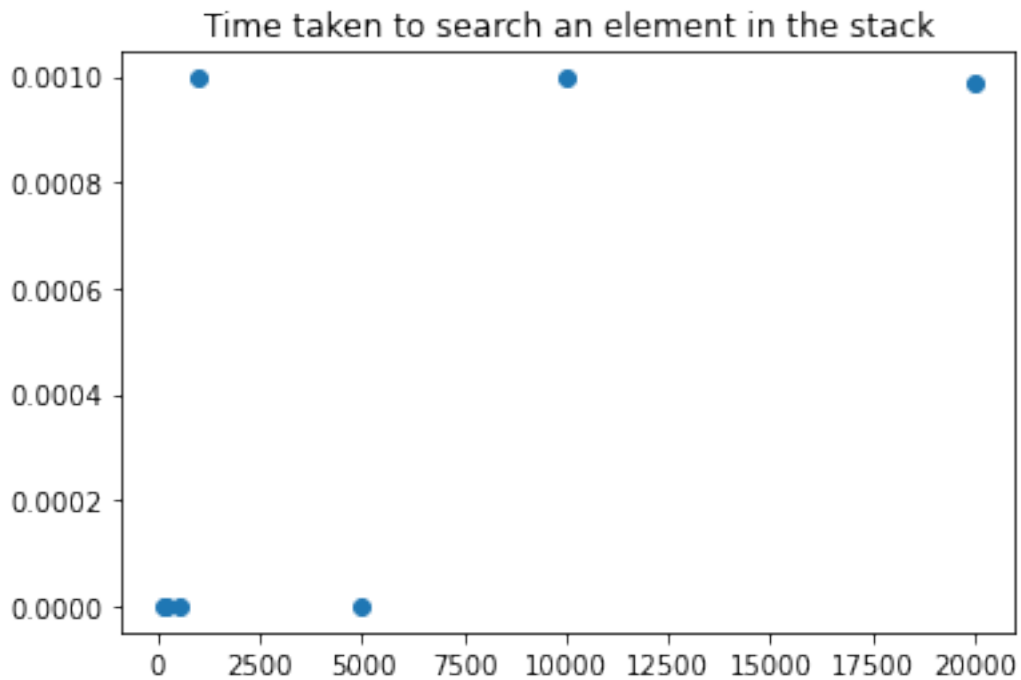
plt.scatter(size,timePush)
plt.title('Time taken to insert an element into a stack')
plt.show()
```



```
plt.scatter(size,timePop)
plt.title('Time taken to delete an element from a stack')
plt.show()
```



```
plt.scatter(size,timeSearch)
plt.title('Time taken to search an element in the stack')
plt.show()
```



Time Complexity

- 1) The elements are added at the end. Hence the time complexity for insertion is $O(1)$.

2) The elements are deleted from the end and hence the time complexity for deletion is $O(1)$

3) For searching, the search technique is similar to that of linear search i.e. all the elements are checked one by one till the element desired is obtained. Hence the time complexity of searching is $O(n)$

Linked lists

```
class Node:
    def __init__(self, data=None, next=None):
        self.data = data
        self.next = next

class linkedList:
    def __init__(self):
        self.head = None

    def print(self):
        if self.head is None:
            print("Linked list is empty")
            return

        itr = self.head
        llstr = ''
        while itr:
            llstr += str(itr.data)+' , '
            if itr.next else str(itr.data)
            itr = itr.next
        print(llstr)

    def length(self):
        count = 0
        itr = self.head
        while itr:
            count+=1
            itr = itr.next

        return count

    def insertBeginning(self, data):
        node = Node(data, self.head)
        self.head = node

    def insertEnd(self, data):
        if self.head is None:
            self.head = Node(data, None)
            return
```



```

itr = self.head

while itr.next:
    itr = itr.next

itr.next = Node(data, None)

def insert(self, index, data):
    if index<0 or index>self.length():
        print("invalid input")
        return

    if index==0:
        self.insertBeginning(data)
        return

    count = 0
    itr = self.head
    while itr:
        if count == index - 1:
            node = Node(data, itr.next)
            itr.next = node
            break

        itr = itr.next
        count += 1

def delete(self, index):
    if index<0 or index>=self.length():
        print("Invalid Index")
        return

    if index==0:
        self.head = self.head.next
        return

    count = 0
    itr = self.head
    while itr:
        if count == index - 1:
            itr.next = itr.next.next
            break

        itr = itr.next
        count+=1

```

```

def search(self,value):
    if self.head is None:
        print("Linked list is empty")
        return

    itr = self.head
    llstr = ''
    while itr:
        llstr += str(itr.data)+' , '
        if itr.next else str(itr.data)
        itr = itr.next

```

```

timeInsert=[]
timeDelete=[]

```

```

size=[5,10,100,500,1000,5000]
for j in range (len(size)):
    ll=linkedList()

```

```

    for i in range (size[j]):
        ll.insertEnd(rn.randint(1,20))
        ll.insertEnd(25)

```

```

    start=time.time()
    ll.insert(size[j],23)
    stop=time.time()
    timeInsert.append(stop-start)

```

```

    start=time.time()
    ll.delete(size[j])
    stop=time.time()
    timeDelete.append(stop-start)

```

```

print(timeInsert,timeDelete)

```

```

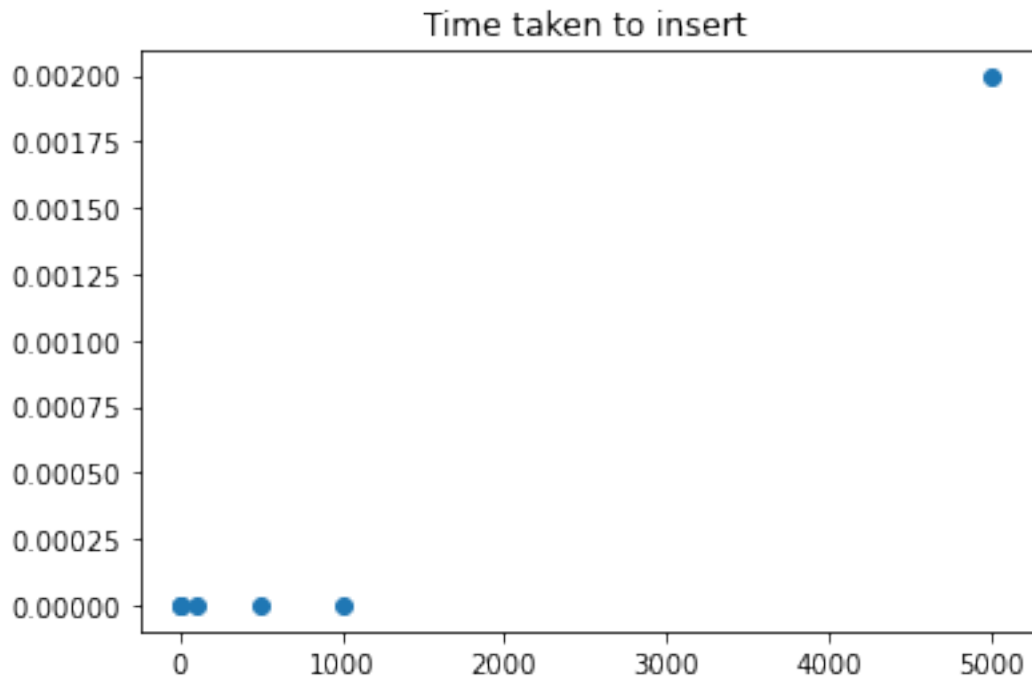
[0.0, 0.0, 0.0, 0.0, 0.0, 0.0019927024841308594] [0.0, 0.0, 0.0, 0.0,
0.0, 0.0010001659393310547]

```

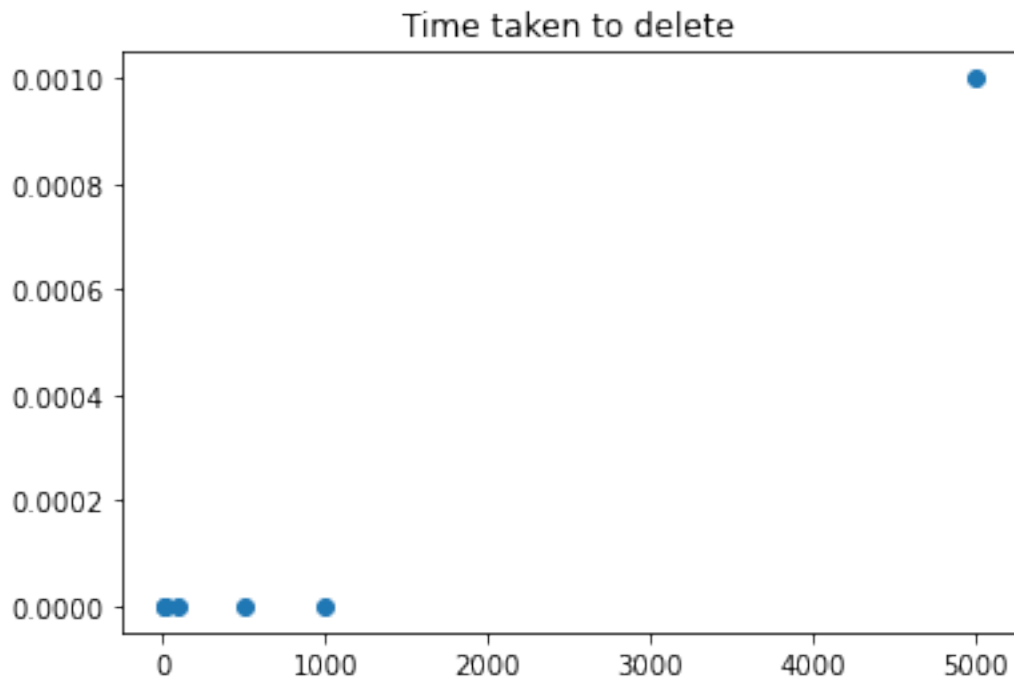
```

plt.scatter(size,timeInsert)
plt.title('Time taken to insert')
plt.show()

```



```
plt.scatter(size,timeDelete)
plt.title('Time taken to delete')
plt.show()
```



Time complexity

1) For inserting an element we need to move the pointer to the desired index and then add the node. To move the pointer to the desired location time Complexity is $O(n)$ and time

taken to create and add the node is $O(1)$. Hence the total time complexity for inserting is $O(n)$.

2) For deleting an element we need to move the pointer to the desired index and then delete the node. To move the pointer to the desired location time Complexity is $O(n)$ and time taken to delete the node is $O(1)$. Hence the total time complexity for deleting $O(n)$.
