

Merge Sort: In merge sort we divide the master array into two subarrays and merging the subarrays. Time taken to merge sort subarrays will be  $T(n/2) * 2$  if we assume time taken to merge sort master array as  $T(n)$  and time taken to merge will be  $cn$ . Hence time taken is given by  $T(n) = T(n/2) + cn$ . Time complexity is  $n * \log_2(n)$

Insertion Sort: There can be a maximum of  $n*(n-1)/2$  inversions while implementing insertion sort. Hence the time complexity of insertion sort is  $O(n^2)$ .

Selection sort: In selection sort we implement nested loops. So, the total number of loops implemented will be summation of  $n$  ( $n*(n+1)/2$ ). Hence the time complexity is  $O(n^2)$ .

Bubble sort: similar to selection sort we implement nested loops here also but total number of loops implement will be summation of  $n-1$  ( $n*(n-1)/2$ ). Hence the time complexity is  $O(n^2)$ .

Binary Search: Binary Search has a similar algorithm to Merge sort and hence the time complexity is  $n * \log_2(n)$

Linear search: In linear search the elements are compared one by one to check if the element is present. Hence the time taken will be  $cn$  where  $c$  is the time taken to check 1 index . Hence the time complexity is  $O(n)$ .