

**Topic: Associative Property**

**Question:** Which of these equations best represents the Associative Property of Addition?

**Answer choices:**

A  $(a + b) + c = a + (b + c)$

B  $a + b + c = a + c + b$

C  $a + b + c = b + a + c$

D  $a(b + c) = ab + ac$



**Solution: A**

Answer choice A is the Associative Property of Addition,  $(a + b) + c = a + (b + c)$ . Order doesn't matter when adding three or more numbers. The other answer choices are properties we'll learn about later in this section.



**Topic: Associative Property**

**Question:** Which equation is true based on the Associative Property of Multiplication?

**Answer choices:**

A  $(4 \cdot 3) \cdot 2 = 4 \cdot (3 \cdot 2)$

B  $4 \cdot 3 \cdot 2 = 4 \cdot 2 \cdot 3$

C  $4 \cdot 3 \cdot 2 = 3 \cdot 4 \cdot 2$

D  $4(3 + 2) = (4)(3) + (4)(2)$



**Solution: A**

Answer choice A illustrates the Associative Property of Multiplication, which tells us that, when we're doing multiplication, we can group terms together in any order we'd like, and the result remains the same.



**Topic: Associative Property**

**Question:** Which equation shows the Associative Property of Addition?

**Answer choices:**

A  $(x + y) + 2z = x + y + 2z$

B  $x + (y + 2z) = (x + (y + 2z))$

C  $x + y + 2z = (x + 2z + y)$

D  $x + (y + 2z) = (x + y) + 2z$



**Solution: D**

The Associative Property has to do with different ways of grouping terms.

Answer choice A shows no grouping on the right, so rule out A.

Answer choice B shows a parenthesis error on the right side: two left parentheses, but only one right parenthesis. Rule out B.

Answer choice C shows no grouping on the left. Also,  $y$  and  $2z$  are in a different order on the right. Rule out C.

Answer choice D correctly shows grouping one pair of terms,  $(y + 2z)$ , on the left and a different pair of terms,  $(x + y)$ , on the right.

