

# COMP 472 - Mini Project 2

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# Heuristic 1

- Counts available lines for X, O to win
  - Checks every line of size  $s$  around every tile
  - If no O and rest empty:  $X\_win + 1$
  - If no X and rest empty:  $O\_win + 1$
  - returns  $O\_win - X\_win$
- 
- easier than e2, but still 4 lists for every tile every round
  - evaluation time with  $d=6$ ,  $n=8$ ,  $s=5$  first move: 4.68s

# Heuristic 2

- Assigns a positive value to every  $n$ -in-a-row the player X has
  - A negative value to every  $n$ -in-a-row Player O has
  - An  $n$ -in-a-row is worth about an order of magnitude more than an  $(n-1)$ -in-a-row
  - Player O rows are slightly worth more than Player X
  - This encourage player X to block before building its own row which makes this heuristic more defensive than heuristic 1.
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- evaluation time with  $d=6$ ,  $n=8$ ,  $s=5$  first move: 4.76s

# Resolving Time Constraint

## Option 1 (alphabeta)

- Reduce max\_depth in search in 2 steps
- allows using most of the time → never violates constraint

## Option 2 (minimax)

- return worst-case value for all nodes if leftover time is too low
- don't lose good deep evaluations
- makes comparing heuristics more difficult

# Performance with same depths

Expectation: e1 should win more since e2 is looking to block first

	e1	e2	tie	
4435	20%	10%	70%	both player have similar number of wins
4431	0%	0%	100%	every game is tied
5445	10%	0%	90%	O only wins
8651	60%	40%	0%	Player O only wins via time → low average move per round of only 10.35 compare to 8655->39.6
8655	20%	0%	70%	both player have similar number of wins

Result:

- Most games are even but e1 has slightly better win percentage which was expected

# Performance with different depths

Expectation: e1 ~ e2, but player with higher depth wins more often

	e1 [%]	e2 [%]	
<b>5441</b>	50	0	Only O wins; 1 s restrictive for depth(X) = 6
<b>8551</b>	50	0	Only O wins; 1 s restrictive for depth(X) = 6
<b>8555</b>	15	0	Only O wins; more ties due to more time

Result:

- e2 is defensive → less ambition to win
- e1 is quicker: doesn't run into time constraint with higher depth

# Performance with larger state spaces & short time

Expectation: time constraint → random moves → shorter games

	e1 [%]	e2 [%]	average moves	
<b>4431</b>	0	0	12	well-balanced
<b>5441</b>	50	0	<b>16</b>	
<b>5445</b>	50	0	19	more time → better moves → longer games
<b>8651</b>	60	40	<b>10</b>	O only wins by time → low average moves
<b>8655</b>	100	0	40	not balanced, e2 recommends too defensive moves

Result: time constraint forces moves: e1 quicker/less affected → more wins

# Performance with larger state spaces & short time

Player X plays H1

```
  ABCDEFGH
+-----+
0|0.....0
1|#.#..0.X
2|.0X.X...
3|X.....X.
4|.X.XXX..
5|0..X....
6|.#0....0
7|0#...#0#
```

8655: time constraint

Player O plays C4

```
  ABCDEFGH
+-----+
0|XX000XXX
1|#X#XX..0
2|X0X.0X.0
3|OX000.0X
4|X00000..
5|XX00....
6|0#X0...X
7|X#..X#X#
```

8655: board filled from A0  
→ H7 (depth reduction?)