

Apply DFS algorithm on the given graph and answer the following questions.

(Note: The adjacent nodes of a vertex are to be traversed in increasing order, and DFS algorithm will also work in **numerical order**.) The source node is '11'.

1. Write the type of each edge of the below graph, complete work should be there.
2. Write updated details for all the vertices when DFS-VISIT (G, u)
[7th line inside the DFS-VISIT] called for the 6th time (Just Called) write the values for all vertices ('Parent', 'color', 'd-time', 'f-time').
3. Write down details for all the vertices when Line 8 inside the DFS-VISIT completed its work for 5th time - write the values of their ('Parent', 'color', 'd-time', 'f-time').

<pre> DFS(G) 1 for each vertex $u \in G.V$ 2 $u.color = \text{WHITE}$ 3 $u.\pi = \text{NIL}$ 4 $time = 0$ 5 for each vertex $u \in G.V$ 6 if $u.color == \text{WHITE}$ 7 DFS-VISIT(G, u) </pre> <pre> DFS-VISIT(G, u) 1 $time = time + 1$ 2 $u.d = time$ 3 $u.color = \text{GRAY}$ 4 for each $v \in G.Adj[u]$ 5 if $v.color == \text{WHITE}$ 6 $v.\pi = u$ 7 DFS-VISIT(G, v) 8 $u.color = \text{BLACK}$ 9 $time = time + 1$ 10 $u.f = time$ </pre>	
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DFS( $G$ )
1 for each vertex  $u \in G.V$ 
2    $u.color = \text{WHITE}$ 
3    $u.\pi = \text{NIL}$ 
4    $time = 0$ 
5 for each vertex  $u \in G.V$ 
6   if  $u.color == \text{WHITE}$ 
7     DFS-VISIT( $G, u$ )

```

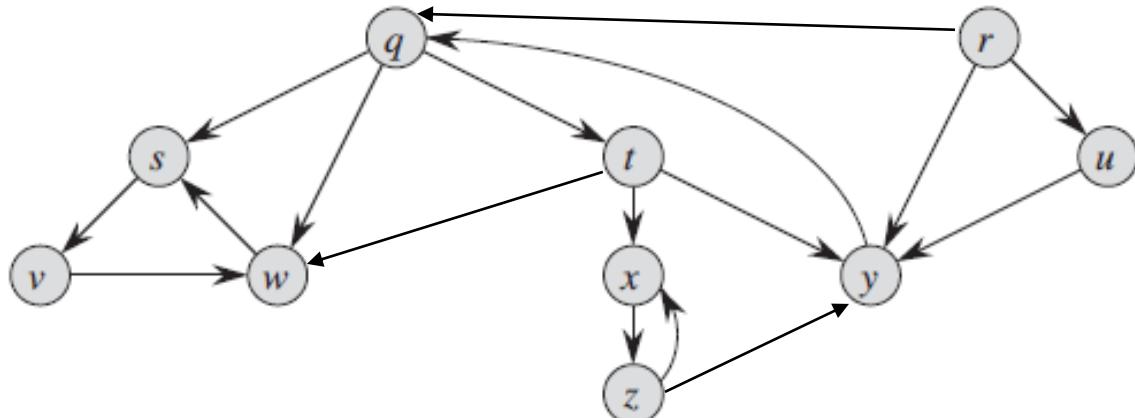
```

DFS-VISIT( $G, u$ )
1  $time = time + 1$ 
2  $u.d = time$ 
3  $u.color = \text{GRAY}$ 
4 for each  $v \in G.Adj[u]$ 
5   if  $v.color == \text{WHITE}$ 
6      $v.\pi = u$ 
7     DFS-VISIT( $G, v$ )
8  $u.color = \text{BLACK}$ 
9  $time = time + 1$ 
10  $u.f = time$ 

```

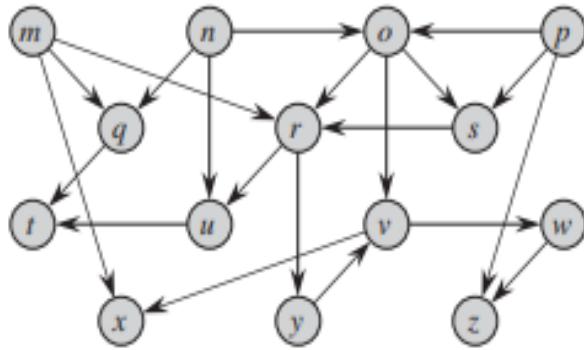
Apply DFS algorithm on the given graph and answer the following questions. (**Note:** The adjacent nodes of a vertex are to be traversed in alphabetical order, and DFS algorithm will also work in **alphabetical order**.) The source node is 's'.

1. Write the type of each edge of the below graph, complete work should be there.
2. Write updated details for all the vertices when DFS-VISIT (G, u)
[7th line inside the DFS-VISIT] called for the 6th time (Just Called) write the values for all vertices ('Parent', 'color', 'd-time', 'f-time').
3. Write down details for all the vertices when Line 8 of DFS-VISIT (G, u) completed its work for 5th time - write the values of their ('Parent', 'color', 'd-time', 'f-time').



BFS(G, s)

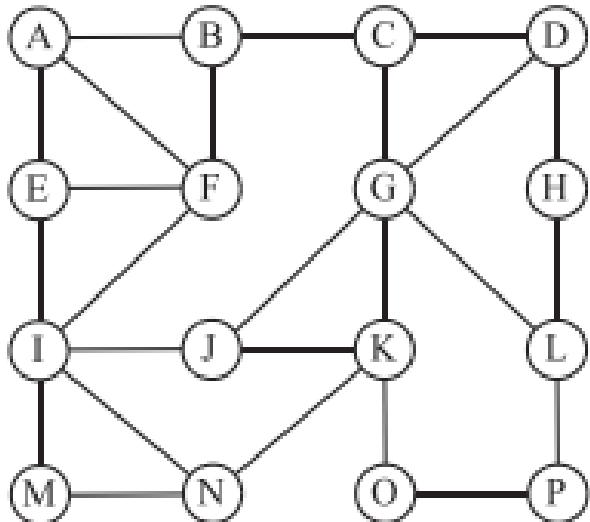
```
1  for each vertex  $u \in G.V - \{s\}$ 
2       $u.color = \text{WHITE}$ 
3       $u.d = \infty$ 
4       $u.\pi = \text{NIL}$ 
5   $s.color = \text{GRAY}$ 
6   $s.d = 0$ 
7   $s.\pi = \text{NIL}$ 
8   $Q = \emptyset$ 
9  ENQUEUE( $Q, s$ )
10 while  $Q \neq \emptyset$ 
11      $u = \text{DEQUEUE}(Q)$ 
12     for each  $v \in G.Adj[u]$ 
13         if  $v.color == \text{WHITE}$ 
14              $v.color = \text{GRAY}$ 
15              $v.d = u.d + 1$ 
16              $v.\pi = u$ 
17             ENQUEUE( $Q, v$ )
18      $u.color = \text{BLACK}$ 
```



1. Mark all the edges and draw the new graph with all the updated vertices and edges.
2. Write the names of the nodes/vertices into two sets, when L17 is reached for the 6th time and also write the values of their '**distance**', '**predecessor**' and '**color**' attributes.
Into two different sets. **Set1** [vertices available in the queue], & **Set2** [vertices dequeue from the queue]
3. Write the names of the nodes/vertices into two sets, when L13 is executed for the 12th time and also write the values of their '**distance**', '**predecessor**' and '**color**' attributes.
Set1 [vertices available in the queue], & **Set2** [vertices dequeue from the queue]

BFS(G, s)

```
1  for each vertex  $u \in G.V - \{s\}$ 
2       $u.color = \text{WHITE}$ 
3       $u.d = \infty$ 
4       $u.\pi = \text{NIL}$ 
5   $s.color = \text{GRAY}$ 
6   $s.d = 0$ 
7   $s.\pi = \text{NIL}$ 
8   $Q = \emptyset$ 
9  ENQUEUE( $Q, s$ )
10 while  $Q \neq \emptyset$ 
11      $u = \text{DEQUEUE}(Q)$ 
12     for each  $v \in G.Adj[u]$ 
13         if  $v.color == \text{WHITE}$ 
14              $v.color = \text{GRAY}$ 
15              $v.d = u.d + 1$ 
16              $v.\pi = u$ 
17             ENQUEUE( $Q, v$ )
18      $u.color = \text{BLACK}$ 
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1. Mark all the edges and draw the new graph with all the updated vertices and edges.
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