

~~Quiz 5~~ ~~AA~~
~~S24~~

~~Solution~~

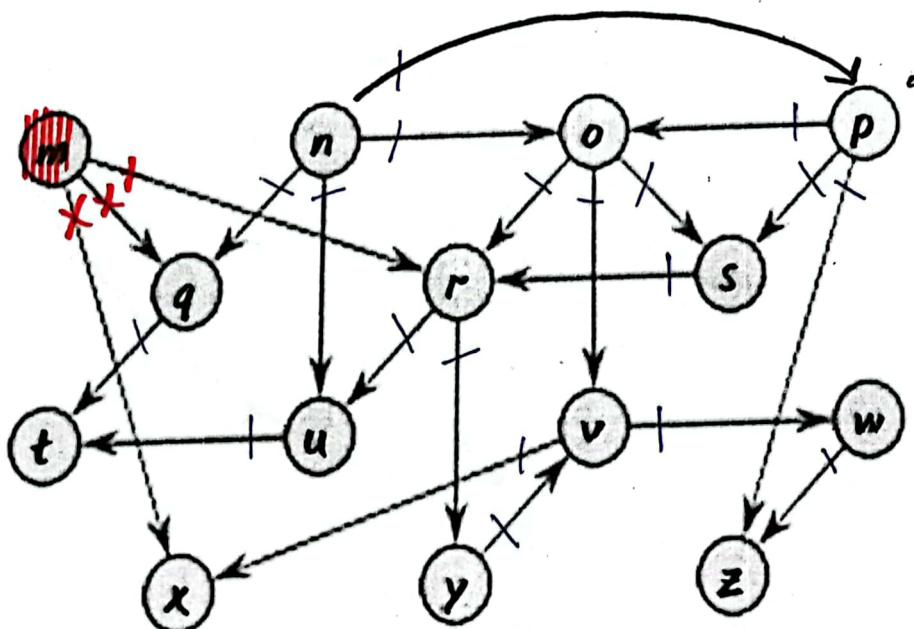
BFS(G, s)

```
1 for each vertex  $u \in G.V - \{s\}$ 
2    $u.color = \text{WHITE}$ 
3    $u.d = \infty$ 
4    $u.\pi = \text{NIL}$ 
5    $s.color = \text{GRAY}$ 
6    $s.d = 0$ 
7    $s.\pi = \text{NIL}$ 
8    $Q = \emptyset$ 
9   ENQUEUE( $Q, s$ )
10  while  $Q \neq \emptyset$ 
11     $u = \text{DEQUEUE}(Q)$ 
12    for each  $v \in G.Adj[u]$ 
13      if  $v.color == \text{WHITE}$ 
14         $v.color = \text{GRAY}$ 
15         $v.d = u.d + 1$ 
16         $v.\pi = u$ 
17        ENQUEUE( $Q, v$ )
18     $u.color = \text{BLACK}$ 
```

Apply BFS algorithm on the given graph and answer the following questions. The source node is 'n'.

(Note: The adjacent nodes of a vertex are to be traversed in alphabetical order.)

1. Mark all the edges and draw the new graph with all the updated vertices and edges.
2. When L13 is executed for the 12th time, write vertices into two different sets, Set1 [vertices available in the queue], & Set2 [vertices dequeue from the queue] – vertex name ['distance', 'predecessor' & 'color']
3. Write value of u and the vertices available in the queue when L11 is executed for 3rd, 5th, 7th time.
Vertex name as u and queue condition at that time



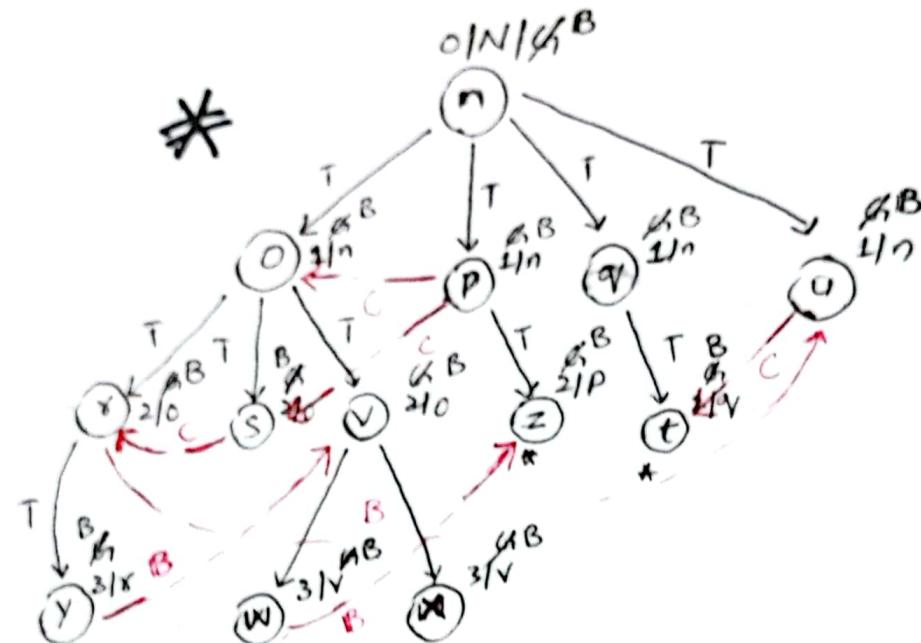
→ AA Quiz 5 S24 Sol

$q=2$ $2^{13} \rightarrow 2^{16}$ time

n	0	P	q	4
o	1	1	1	1
N	n	n	n	n
B	B	B	B	G
—	—	—	—	—
y	s	v	z	t
z	2	2	2	2
o	0	0	P	q
G	G	G	G	G

↑
table

it was already G



& 3
solution

(4) n | o | p | q | u

(3) o | p | q | u | s | v

* (3d) (3) P | q | u | s | z | v | z

(1) q | u | s | v | z | t

* (5th) (1) u | s | v | z | t

(2) s | v | z | t | y

* (7th) (1) s | v | z | t | y no vector added for s

(2) v | z | t | y | w | x

(3) * z | t | y | w | x |

(4) * t | y | w | x | |

(5) y | w | x | |

(6) w | x | |

(7) * x | | | | |

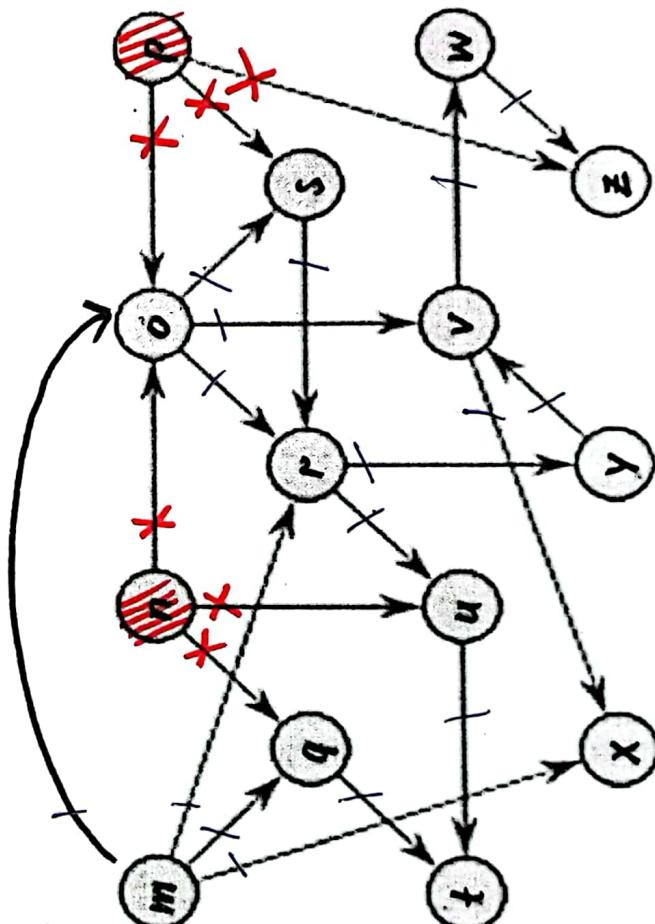
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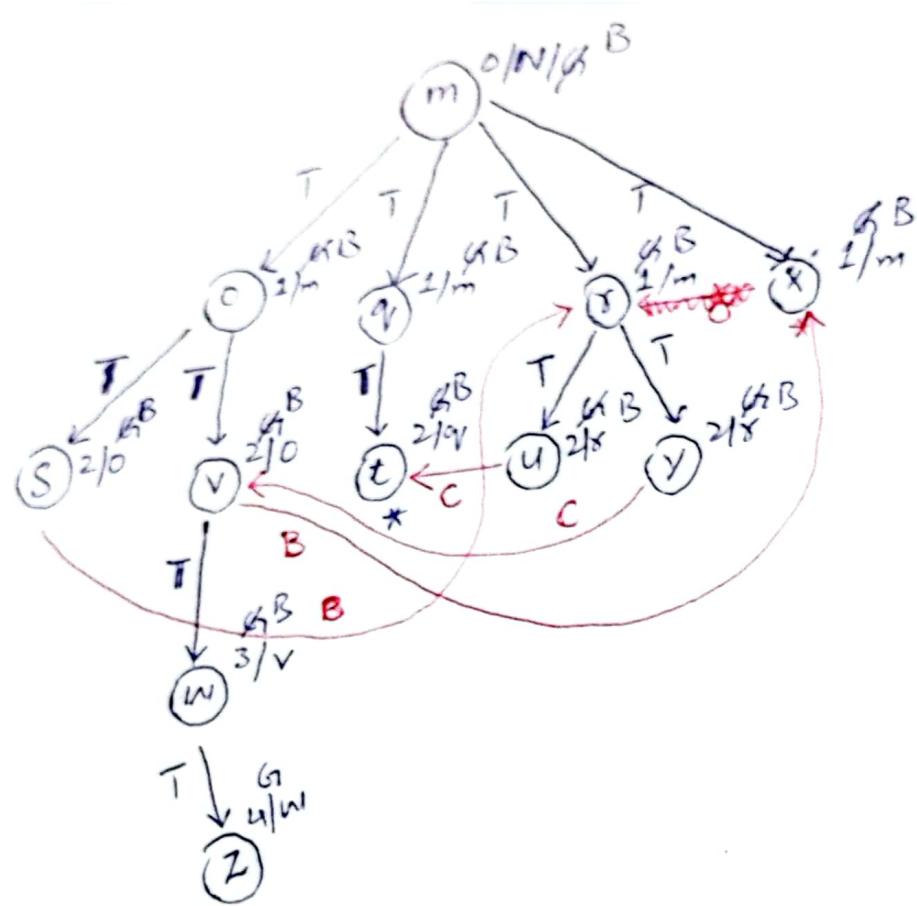
BFS( $G, s$ )
for each vertex  $u \in G.V - \{s\}$ 
     $u.color = \text{WHITE}$ 
     $u.d = \infty$ 
     $u.\pi = \text{NIL}$ 
     $s.color = \text{GRAY}$ 
     $s.d = 0$ 
     $s.\pi = \text{NIL}$ 
     $Q = \emptyset$ 
    ENQUEUE( $Q, s$ )
    while  $Q \neq \emptyset$ 
         $u = \text{DEQUEUE}(Q)$ 
        for each  $v \in G.\text{Adj}[u]$ 
            if  $v.color == \text{WHITE}$ 
                 $v.color = \text{GRAY}$ 
                 $v.d = u.d + 1$ 
                 $v.\pi = u$ 
                ENQUEUE( $Q, v$ )
         $u.color = \text{BLACK}$ 

```

Apply BFS algorithm on the given graph and answer the following questions. The source node is 'm'.
 (Note: The adjacent nodes of a vertex are to be traversed in **alphabetical order**.)

1. Mark all the edges and draw the new graph with all the updated vertices and edges.
2. When L13 is executed for the 12th time, write vertices into two different sets, Set1 [vertices available in the queue], & Set2 [vertices dequeued from the queue] – vertex name ['distance', 'predecessor' & 'color']
3. Write value of u and the vertices available in the queue when L11 is executed for 3rd, 5th, 7th time.
 Vertex name as u and queue condition at that time





<u>m</u>	<u>o</u>	<u>Y</u>	<u>r</u>	<u>X</u>	<u>s</u>	<u>v</u>
<u>o</u>	<u>1</u>	<u>1</u>	<u>1</u>	<u>1</u>	<u>2</u>	<u>2</u>
<u>n</u>	<u>m</u>	<u>m</u>	<u>m</u>	<u>m</u>	<u>o</u>	<u>o</u>
<u>b</u>	<u>B</u>	<u>B</u>	<u>B</u>	<u>B</u>	<u>G</u>	<u>(Not Black)</u>

<u>T</u>	<u>u</u>	<u>Y</u>
<u>2</u>	<u>2</u>	<u>2</u>
<u>q</u>	<u>x</u>	<u>x</u>
<u>G</u>	<u>G</u>	<u>G</u> (was already in queue).

$\Rightarrow P_{8n}$ never discovered

(4) m

(3) o

(1) q

(2) x

(5th) (o)* x

(1) s

(7th) (2) v

* (o) t

* (1) u

(1) y

(1) w

* (o) z

when
7th time

13. completed on
already in
queue

14. 15. 16.

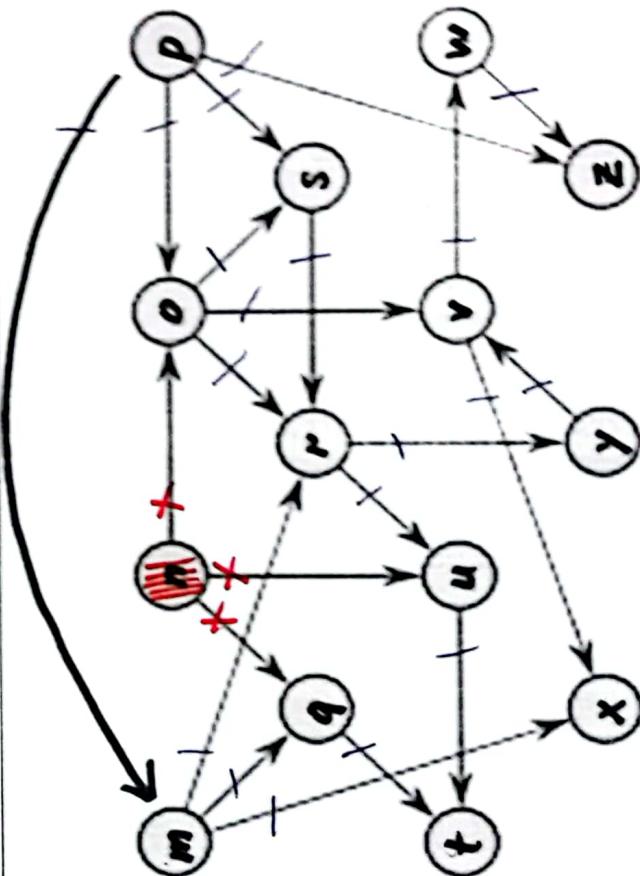
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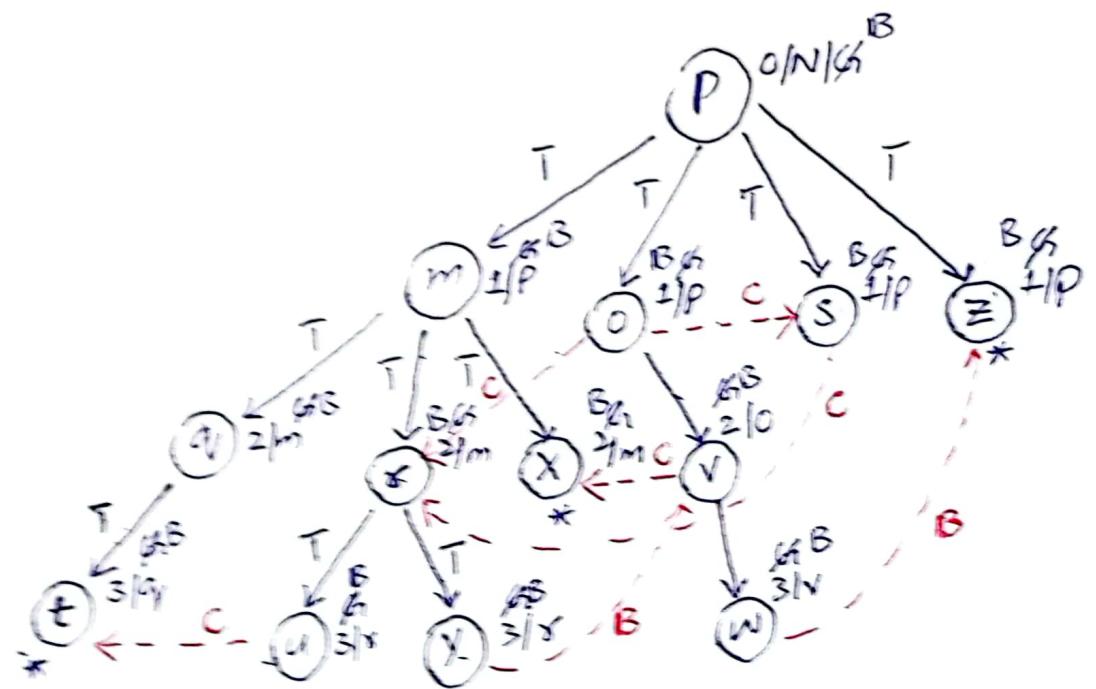
BFS( $G, s$ )
1   for each vertex  $u \in G.V - \{s\}$ 
2      $u.color = \text{WHITE}$ 
3      $u.d = \infty$ 
4      $u.\pi = \text{NIL}$ 
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11       $u = \text{DEQUEUE}(Q)$ 
12      for each  $v \in G.Adj[u]$ 
13        if  $v.color == \text{WHITE}$ 
14           $v.color = \text{GRAY}$ 
15           $v.d = u.d + 1$ 
16           $v.\pi = u$ 
17          ENQUEUE( $Q, v$ )
18       $u.color = \text{BLACK}$ 

```

Apply BFS algorithm on the given graph and answer the following questions. The source node is ' p '.
 (Note: The adjacent nodes of a vertex are to be traversed in alphabetical order.)

1. Mark all the edges and draw the new graph with all the updated vertices and edges.
2. When L13 is executed for the 12th time, write vertices into two different sets, Set1 [vertices available in the queue], & Set2 [vertices dequeue from the queue] – vertex name [$'distance'$, $'predecessor'$ & $'color'$]
3. Write value of u and the vertices available in the queue when L11 is executed for 3rd, 4th, 7th time.
 Vertex name as u and queue condition at that time





P	m	o	s	z	y
o	1	1	1	1	2
N	P	P	P	P	m
B	B	B	B	B	G

y	x	v	t
2	2	2	α
m	m	o	N
G	G	w	

new added
so no data update

n
never approached

(4) IP | 1 | 2 | 3/9 | 4/10 |
 m | o | s | z |
 5/10/13 | 7/15 |
 (3) m | o | s | z | v | y | x |
 10/18 |

[3rd] (3) O | s | z | v | y | x | v |

(2) S | z | v | y | x | v |

[5th] (0)* z | v | y | x | v |

(1) y | x | v | t |

[7th] (2) y | x | v | t | u | y |

7th call executed
(0)* x | v | t | u | y |

(2) v | t | u | y | w |

(0)* t | u | y | w |

(1) u | y | w |

(1) y | w |

(1) w |

Apply BFS algorithm on the given graph and answer the following questions. The source node is 'o'.

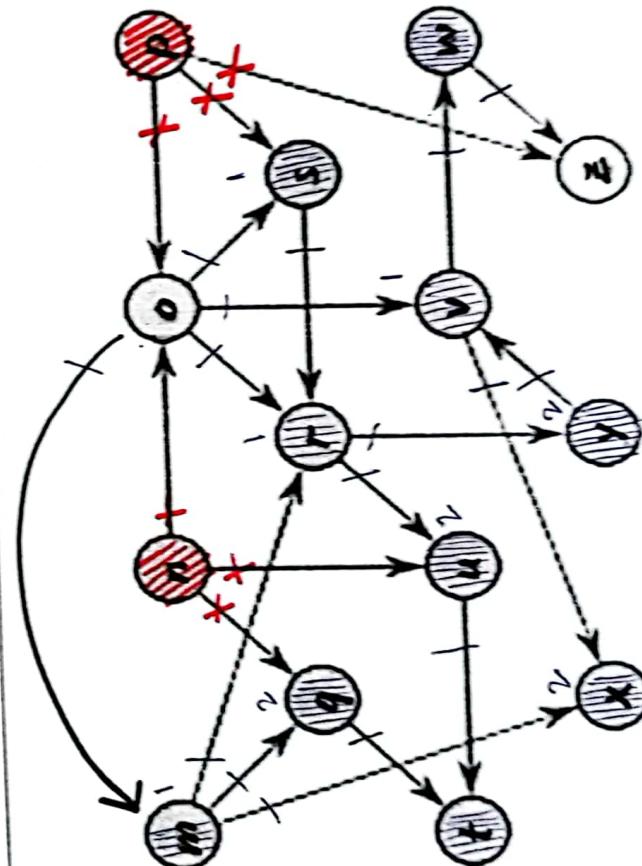
(Note: The adjacent nodes of a vertex are to be traversed in alphabetical order.)

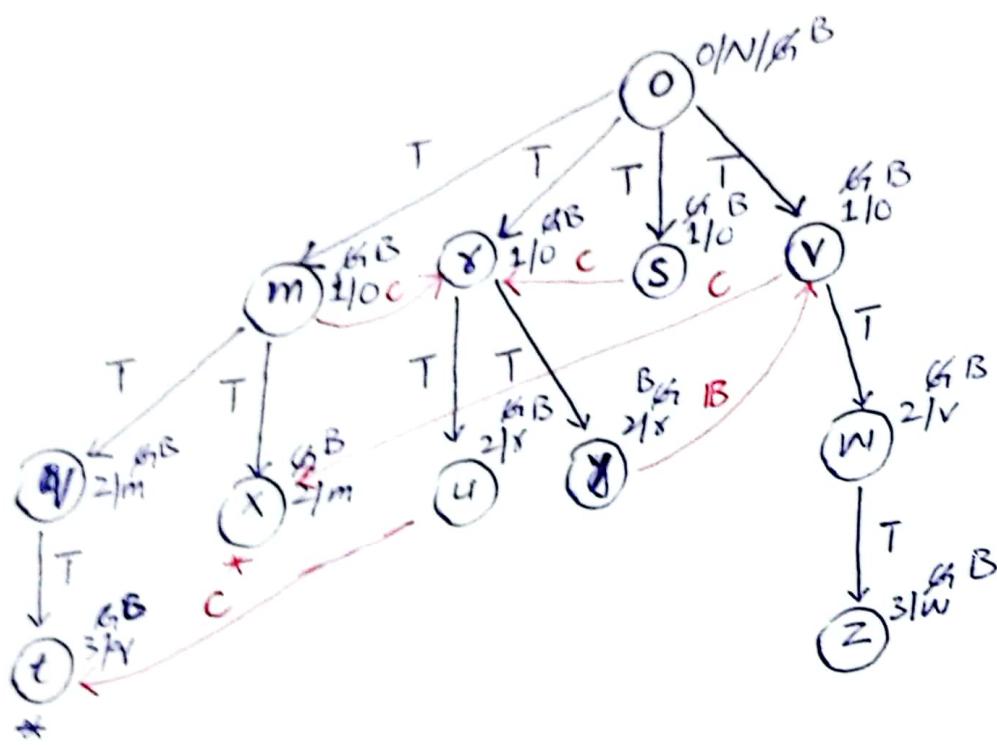
```

BFS( $G, s$ )
1   for each vertex  $u \in G, V - \{s\}$ 
2      $u.color = \text{WHITE}$ 
3      $u.d = \infty$ 
4      $u.\pi = \text{NIL}$ 
5      $s.color = \text{GRAY}$ 
6      $s.d = 0$ 
7      $s.\pi = \text{NIL}$ 
8      $Q = \emptyset$ 
9     ENQUEUE( $Q, s$ )
10    while  $Q \neq \emptyset$ 
11       $u = \text{DEQUEUE}(Q)$ 
12      for each  $v \in G.Adj[u]$ 
13        if  $v.color == \text{WHITE}$ 
14           $v.color = \text{GRAY}$ 
15           $v.d = u.d + 1$ 
16           $v.\pi = u$ 
17          ENQUEUE( $Q, v$ )
18       $u.color = \text{BLACK}$ 
```

1. Mark all the edges and draw the new graph with all the updated vertices and edges.
2. When L13 is executed for the 12th time, write vertices into two different sets, Set1 [vertices available in the queue], & Set2 [vertices dequeue from the queue] – vertex name ('distance', 'predecessor' & 'color')
3. Write value of u and the vertices available in the queue when L11 is executed for 3rd, 5th, 7th time.

Vertex name as u and queue condition at that time





O	m	y	s	v
O	1	1	1	2
N	0	0	0	0
B	B	B	G	

y	x	u	y
2	2	2	2
m	m	y	y
G	G	G	G

(P & n
never kirelled)

- added after
- (4) O m|y|s|v|
6|7|5|7|
- (3) m y|s|v|v|z|
5|9|5|9|
- |3rd| (2) y s|v|q|t|u|y|
15|15|15|15|
- (1) s v|q|t|u|y|
11|11|11|11|
- |5th| (2) v a|x|u|y|z||w|
13|13|13|13|
- (1) a x|u|y|w|t|
14|14|14|14|
- |7th| * (o) x u|y|w|t|
14|14|14|14|
- (1) u y|w|t|
14|14|14|14|
- (1) y w|t|
16|16|16|16|
- (1) w t|z|
16|16|16|16|
- * (o) t z|
16|16|16|16|
- * (o) z |
16|16|16|16|