INDIAN INSTITUTE OF TECHNOLOGY, KHARAGPUR

Department of Computer Science & Engineering

Programming and Data Structures (CS11001)

Midsem (Autumn, 1st Year)

Date: Thurs, Sep 27, 2012

Students: 660

Time: 09:00-11:00am

Marks: 60

Answer ALL the questions.

Only the answers on the question paper itself in the spaces provided will be evaluated.

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1. (a) Convert the following for-loop into the corresponding while-loop:

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 (b) Represent the integer -520 in sign-magnitude and 2's complement representations using number of bits. Show the steps of your calculations. -520 in sign-magnitude representation is	minimum
and in 2's complement representation is	

(c) Represent 67.375×2^{47} in IEEE 754 single precision format. Show the steps of your calculation clearly:

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(d) Let T be a function from the set of non-negative numbers to itself. Let it be defined as follows:

$$T(n)=1,$$
 for $n\leq 2$ $=3\times T(n/3)+n,$ for $n>2,$ where 'l' stands for integer division. Show that $T(n)=O(n\cdot log_3n).$

5

```
#include <stdio.h>
main()
 { int x, d, f;
   int n, i;
   printf ("feed the number of numbers:");
   scanf ("%d", &n);
   printf ("feed the first two numbers:");
   scanf ("%d, %d", &d, &f);
   if (d < f) \{ i = d; d = f; f = i; \}
   for (i = 0; i < n - 2; i++)
       printf ("feed the next number:");
       scanf ("%d", &x);
       if (x < f)
         \{ d = f; f = x; \}
        else if (x < d) d = x;
   printf ("left with:%d\n", d);
```

Hint: Hand execute for some typical inputs and hence infer what it does in general. Partial marks will be given if you can choose a relevant set of inputs and show the results correctly for this chosen set.

3. Write a C program which reads an integer n > 10 and a real variable $x, 0 \le |x| \le 1$, and computes and prints

the sum of the series up to n terms for the value of x read: $sin^{-1}(x) = x + \frac{1}{2} \cdot \frac{x^3}{3} + \frac{1}{2} \cdot \frac{3}{4} \cdot \frac{x^5}{5} + \frac{1}{2} \cdot \frac{3}{4} \cdot \frac{5}{6} \cdot \frac{x^7}{7} + \dots + \frac{1}{2} \cdot \frac{3}{4} \cdot \frac{5}{6} \times \dots \times \frac{2i-3}{2i-2} \cdot \frac{x^{2i-1}}{2i-1} + \dots$ The program should NOT use any function from the math library; in each step, the term to be added should be obtained from the previous term.

4. What does the following function return?

Hint: hand execute for m = 26, n = 10.

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5. The following program generates the series of numbers

1, 11, 21, 1121, 112112, 21122112, 2112221221, 112211231221,...

that is, given any number, n say, of the series, its successor n^+ is obtained by examining the digits of n from the least significant digit (lsd) position onward. The new number n^+ contains the digits extracted from n followed by the number of consecutive occurrences of the digit extracted in n. At any point, let d be the lsd of n and let it occur c_d number of times from this 1sd onward; note that c_d does not reflect the number of other occurrences of d, if any, in n. First d is accommodated as the lsd of n^+ pushing its other digits computed so far to the respective higher significant positions; then c_d is similarly accommodated in n^+ , as its new lsd. Hence, the digits of n occur in reverse sequence in n^+ interspersed with their respective counts of consecutive occurrences.

For example consider the fourth number 1121 = n. The next number n^+ is obtained as follows: the lsd of n is 1; so the most significant digit of n^+ is 1; since the next digit of n is 2, there is only one consecutive occurrence of 1 in n; so the next digit of n^+ is 1. Thus eventually, after all the digits of n are accounted for the first two digits of n^+ become 1 and 1. Similarly, the next digit of n is 2; so, the next significant digit of n^+ is 2; it occurs consecutively only once; so the digit of n^+ next to 2 is 1. Finally, the next digit of n is 1 and it occurs consecutively two times; so the next two digits of n^+ will be 1 followed by 2. Thus, n^+ becomes 112112 (which is interpreted as: "the digits of n from 1sd onward are -1 one time, 2 one time and 1 two times").

Fill in the blanks in the following program so that it generates this series:

{ next++;

```
#include <stdio.h>
main()
 { int till, pres = 1; // the present number in the series initialized
                       // the next number in the series
   int next;
        digit, nextDigit;
   printf("till how many terms of the series?:");
   scanf ("%d", &till);
   next = ____; // next number -- initialized
   while (till _____0)
    { printf ("%d, ", pres);
      digit = _____; // extract lsd of pres
                               __; // accommodate "digit"
                                 // accommodate its count so far
      next = next * 10 + 1;
      pres /= ____; /* place the next higher significant digit of
                          "pres" in its lsd */
      /* now count the number of consecutive occurrences
         of the last digit introduced in "next" */
      while (pres != 0)
       { nextDigit = _____; // get next digit of "pres"
         while (nextDigit \frac{1}{2} digit && pres != 0)
                              // increase the count of digit
```

```
_; // put next digit of "pres" in its 1sd
        nextDigit = ____
       } // counting consecutive occurrences
       //control here with nextDigit != digit OR pres == 0
      if (pres != 0)
      { // next digit != digit
        digit = nextDigit;
        next = next * 10 + digit; // "digit" (= nextDigit) in "next"
        next = next * 10 + 1; // put its count (= 1) in "next"
        pres /= 10;
    } // while pres != 0
  pres = ____; // take up "next" as the present member
              // and the "next" (successor to "pres") initialized
  next = 0;
  till--;
 } /* as long as till not 0 */
printf ("\n");
```

6. Consider the following C program, and assuming that the user always enters a word with less than 20 characters, explain what this program performs.

```
#include <stdio.h>
 void myfunc(char *s);
 int main ()
  {
    char c, s[20];
    int i = 0;
    while ((c = getchar())!=' \n') s[i++] = c;
    s[i] = c;
    myfunc(s);
    return 0;
  }
void myfunc (char *s)
 { .
   if (*s != '\n') myfunc (s+1);
 }
   printf("%c",*s);
 }
```

7. (a) Write a C function

void multTerm (int f[], int deg, int coef, int p[]), which modifies p[i+deg] by adding to its present content the product of f[i] and coef, $0 \le i \le 5$.

(b) Write a C function

void polymul (int f[], int g[], int p[]), where the arrays f and g contain the coefficients of the polynomials f(x) and g(x), both of the form $a_5x^5 + a_4x^4 + a_3x^3 + a_2x^2 + a_1x + a_0$, where each a_i is an integer ($|a_i| \ge 0$). The function computes the coefficients of the product polynomial (of f(x) and g(x)) in the array p. This function should use the function mult Term.

No need to write the main function.

Rough Work