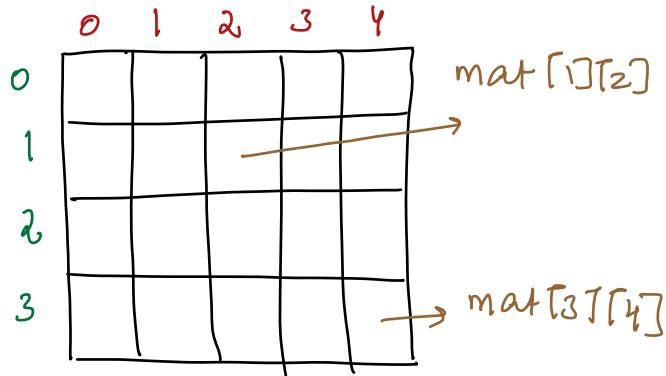


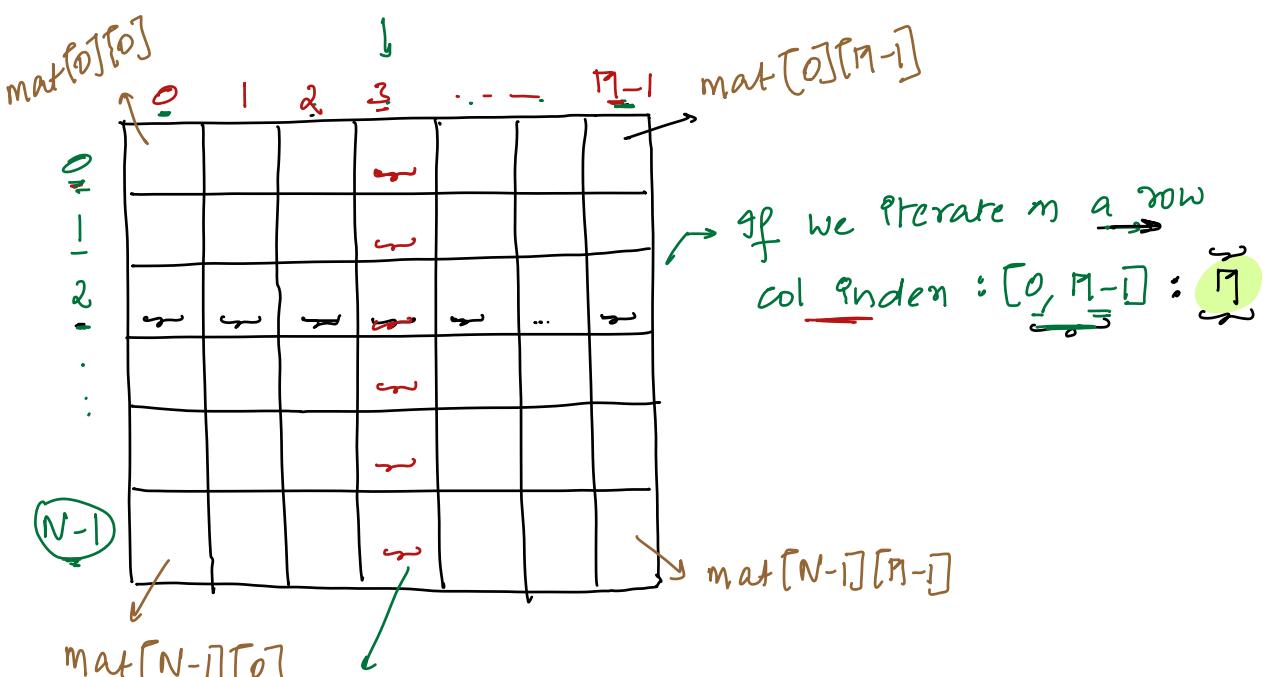
- Satya Sai : 2019 VNR CSE 2 year's DSA
- Max Subarray Sum : $N = 10^6$ (TLE) : Time Limit Exceeded
 ↳ Easy → Advanced Batch

int mat[4][5]

rows cols
 Horizontal Vertical



int mat[N][M]



If we iterate in a col

row index : $[0, N-1]$: N Elements

1Q) Given $\text{mat}[N][M]$, print row-wise $\rightarrow \text{TC: } O(N \cdot M) \text{ SC: } O(1)$

$\text{mat}[3][4]$

	0	1	2	3
0	3	8	9	2
1	1	2	3	4
2	4	10	11	17

```
i = 0; i < N; i++) {
    j = 0; j < M; j++) {
        cout << mat[i][j];
    }
}
```

2Q) Given $\text{mat}[N][M]$, find max column sum

Idea: For each column get sum & calculate overall max.

	0	1	2	3
0	3	8	9	2
1	1	2	3	4
2	4	10	11	17

↓ ↓ ↓ ↓

8 20 23 16

$$\text{Ans} = 23$$

$$\text{TC: } O(N \cdot M)$$

$$\text{SC: } O(1)$$

```
- INFINE
maxsum = INT_MIN / mat[0][0] *
j = 0; j < M; j++) { // Column
    sum = 0
    for (i = 0; i < N; i++) { // Row
        sum = sum + mat[i][j]
    }
    maxsum = max(maxsum, sum)
}
```

Ques) Given a $\text{mat}[N][N]$ print diagonals Left to Right Right to left

$\rightarrow \text{mat}[4][4] \quad N$

	0	1	2	3
0	0,0			
1		1,1		
2			2,2	
3				3,3
N				

```
i = 0;
while (i <= N)
    print(mat[i][i])
    i++;
}
```

$T_C: O(N)$
 $S_C: O(1)$

	0	1	2	3
0	(0,0)			(0,3)
1		(1,1)		(1,2)
2	(2,0)			
3				

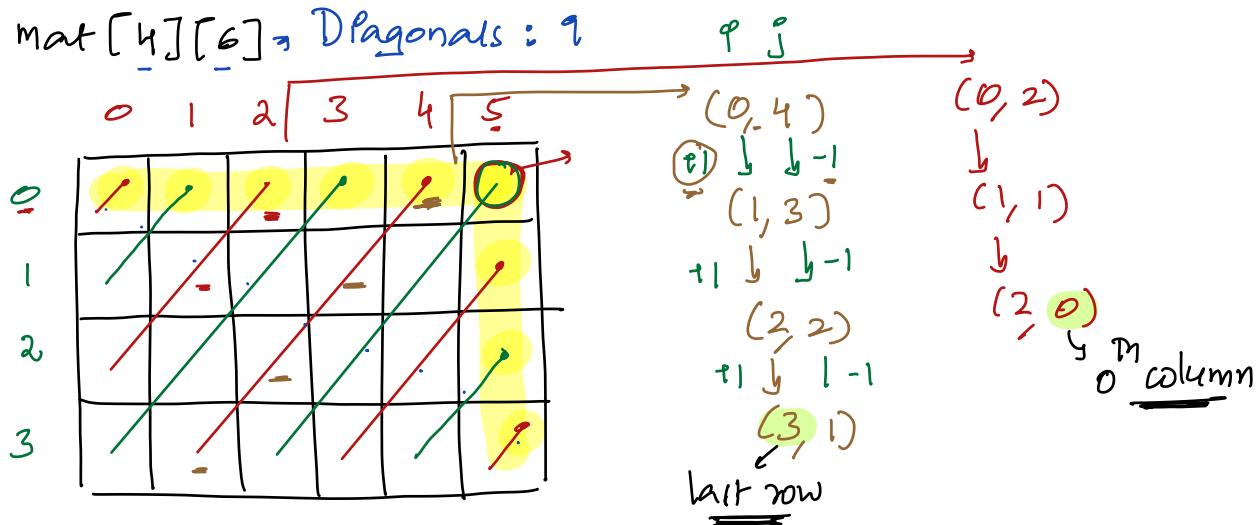
```
i = 0, j = N-1
while (i <= N && j >= 0)
    print(mat[i][j])
    i++;
    j--;
}

```

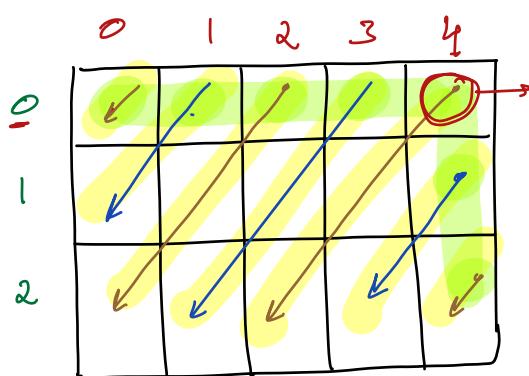
$T_C: O(N)$
 $S_C: O(1)$

48) Given $\text{mat}[N][M]$ print all diagonals going R-L

$\text{mat}[4][5] \rightarrow \text{Diagonals} : 9$



$\text{mat}[3][5] : \text{Diagonals} : 7$



$$T_C = O(NM)$$

Note: R-L diagonals can start from 0^{th} row or $M-1^{\text{th}}$ col

M cells

N cells

$$(N+M-1) \times \min(N, M)$$

$$\boxed{\text{Total Diagonals} = N+M-1}$$

This comes in both 0^{th} row

& $M-1^{\text{th}}$ col.

// Print all diagonals starting at 0^{th} row

$i = 0; j \leq M; j++ \}$

$$(n, y) = (0, j)$$

Take we start diagonal at (n, y)

while ($n < N \& y < M$) {

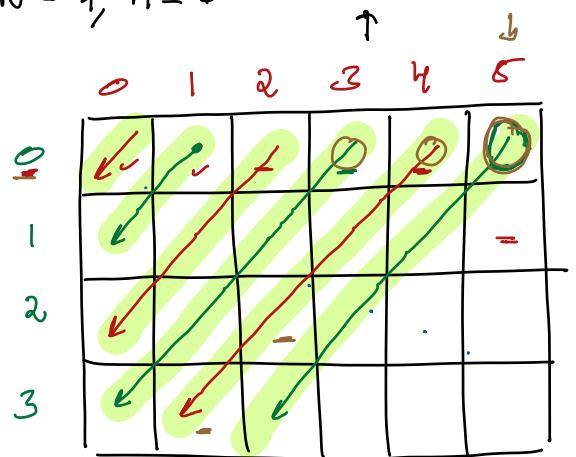
 print(mat[n][y])

 n++, y++;

}

}

$$N = 4, M = 6$$



// Print all diagonals starting at $M-1^{\text{th}}$ col

$i = 1; i \leq N; i++ \}$

$$(n, y) = (i, M-1)$$

while ($n < N \& y < M$) {

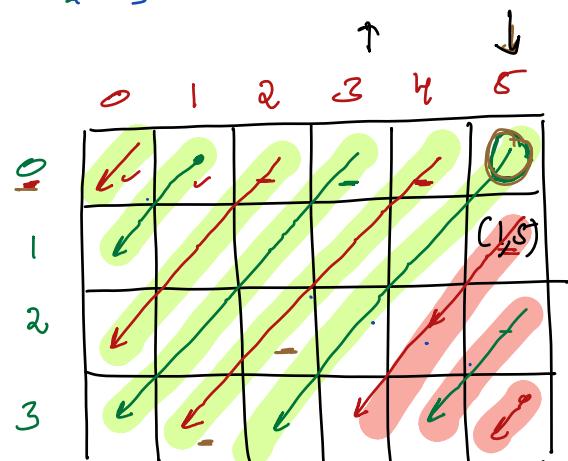
 print(mat[n][y])

 n++, y--;

}

}

$$M-1^{\text{th}} \text{ col}$$



10:37PM

TC: $O(N \cdot M)$ SC: $O(1)$ }

58) Given a $\underline{\text{mat}[N][N]}$ find the transpose inplace

① Given input $\underline{\text{mat}[n][n]}$ should update, SC: $O(1)$

$\rightarrow \text{mat}[5][5] \rightarrow \text{mat}[5][5]$

	0	1	2	3	4
0	1	2	3	4	5
1	6	7	8	9	10
2	11	12	13	14	15
3	16	17	18	19	20
4	21	22	23	24	25

1	6	11	16	21
2	7	12	17	22
3	8	13	18	23
4	9	14	19	24
5	10	15	20	25

$\text{mat}[3][4] \xrightarrow{\text{After}} [4 \times 3] \text{ we need a matrix}$

	0	1	2	3
0	1	2	3	4
1	5	6	7	8
2	9	10	11	12

1	5	9
2	6	10
3	7	11
4	8	12

$\text{mat}[5][5]$

	0	1	2	3	4
0	1	2	3	4	5
1	6	7	8	9	10
2	11	12	13	14	15
3	16	17	18	19	20
4	21	22	23	24	25

$\text{mat}[5][5] -$

	0	1	2	3	4
0	1	6	11	16	21
1	2	7	12	17	22
2	3	8	13	18	23
3	4	9	14	19	24
4	5	10	15	20	25

$$\left\{ \begin{array}{l} \text{mat}[0][1] \leftrightarrow \text{mat}[1][0] \\ \text{mat}[2][0] \leftrightarrow \text{mat}[0][2] \\ \text{mat}[4][0] \leftrightarrow \text{mat}[0][4] \\ \text{mat}[3][1] \leftrightarrow \text{mat}[1][3] \end{array} \right.$$

$$\boxed{\text{mat}[i][j] \leftrightarrow \text{mat}[j][i]}$$

$$\text{mat}[p][q] \leftrightarrow \text{mat}[q][p]$$

$$\text{mat}[2][2] \leftrightarrow \text{mat}[2][2]$$

Pseudo Code

$i = 0; i < N; i++ \}$

$j = 0; j < N; j++ \}$

Swap $\text{mat}[i][j]$ & $\text{mat}[j][i]$

}

i, j

$0 \underline{3} \Rightarrow \text{mat}[0][3] \leftrightarrow \text{mat}[3][0]$

$3 \underline{0} \Rightarrow \text{mat}[3][0] \leftrightarrow \text{mat}[0][3]$

Will give same matrix

	0	1	2	3	4
0	1	2	3	4	5
1	6	7	8	9	10
2	11	12	13	14	15
3	16	17	18	19	20
4	21	22	23	24	25

Iterate in upper triangular matrix & do Swap
 (TODO) ✓

Iterate in lower triangular matrix & do Swap.
(TODO) —

Q8) Given a mat[N][N] rotate 90° Clockwise, SC: $O(1)$

	0	1	2	3	4
0	1	2	3	4	5
1	6	7	8	9	10
2	11	12	13	14	15
3	16	17	18	19	20
4	21	22	23	24	25

Rotate 90°
 → Transpose + Reverse Each Row
 $\underline{O(N^2)}$ $N * O(N) : O(\underline{N^2})$
 → Overall TC: $O(N^2)$
 → Space Complexity: $O(1)$

rotate

↓

Transpose

	0	1	2	3	4
0	1	6	11	16	21
1	2	7	12	17	22
2	3	8	13	18	23
3	4	9	14	19	24
4	5	10	15	20	25

→

reverse

0 → 1 → 2 → 3 → 4

	0	1	2	3	4
0	21	16	11	17	21
1	22	17	12	17	22
2	23	18	13	18	23
3	24	19	14	19	24
4	25	20	15	15	25

⇒ $\text{mat}[3][2] \rightarrow \text{After rotating: } 2 \times 3$

1	2
3	4
5	6

5	2	1
6	4	3

- Given a $\text{mat}[N][N]$ print all boundaries in **clockwise**

	0	1	2	3	4
0	1	6	11	16	21
1	2	7	12	17	22
2	3	8	13	18	23
3	4	9	14	19	24
4	5	10	15	20	25

Output

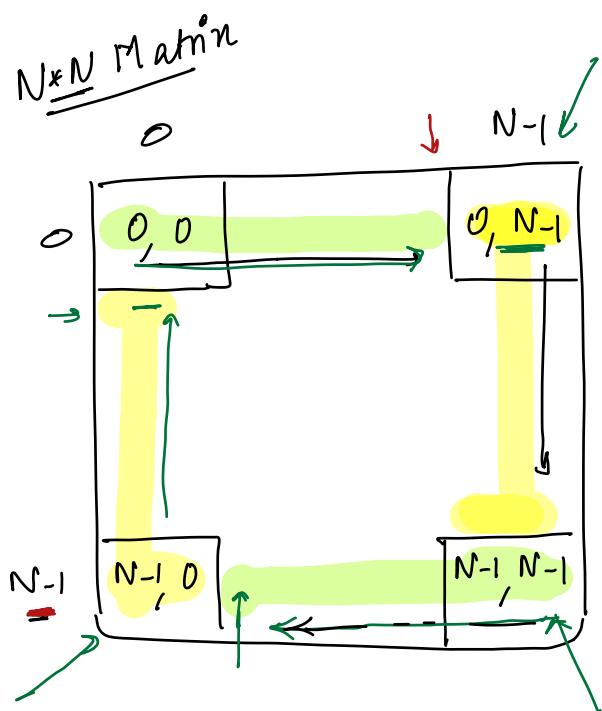
Print $^{\text{th}} \underline{0 \text{ row}}$: $[0, 0] \rightarrow [0, 3] = 4 \text{ elements}$

Print $^{\text{th}} N-1 \text{ col}$: $[0, 4] \rightarrow [3, 4] = 4 \text{ elements}$

Print $^{\text{th}} N-1 \text{ row}$: $[4, 4] \rightarrow [4, 1] = 4 \text{ elements}$

Print $^{\text{th}} 0 \text{ col}$: $[4, 0] \rightarrow [1, 0] = 4 \text{ elements}$

$$[a \ b] = b - a + 1$$



$[0, 0] \rightarrow [0, N-2] = N-1 \text{ Elements}$

$[0, N-1] \rightarrow [N-2, N-1] = N-1 \text{ Elements}$

$[N-1, N-1] \rightarrow [N-1, 0] = N-1 \text{ Elements}$

$[N-1, 0] \rightarrow [1, 0] = N-1 \text{ Elements}$

→ Border Pointing

$i, j = (0, 0)$ \rightarrow It is used for iteration

$k = 1; k < N; k++) \{ \text{Iterating } N-1 \text{ times}$

point (mat[?][?])
J++ //

$$||i,j = (0, N-1)$$

$k = 1 ; k < N ; k+1) \{$

point (m) at $[ij(p)]$
 $p_{pp} //$

$$\text{if } i, j = (N-1, N-1)$$

$k=1; k < N; k+1) \{$

point (mat[i][j])
j--; // N-1

$$\{i,j\} = (N-1, 0)$$

$k=1; k < N; k+1 \{$

print (mat [i] [j])
i--;

$$||(i,j)| = 0, 0$$

$i, j = (0, 0) \rightarrow$ **Spiral Printing**
 TC: $O(N^2)$ SC: $\underline{\underline{O(1)}}$

```

while (N > 1) {
    k = 1; k < N; k++) {
        print (mat[i][j])
        j++ // =
    }
    k = 1; k < N; k++) {
        print (mat[i][j])
        i++ // =
    }
    k = 1; k < N; k++) {
        print (mat[i][j])
        j--; // N-1
    }
    k = 1; k < N; k++) {
        print (mat[i][j])
        i--;
    }
}
if (N % 2 == 1) {
    print (mat[i][j])
}
    
```

\Rightarrow

	0	1	2	3	4
0	1	6	11	16	21
1	2	7	12	17	22
2	3	8	13	18	23
3	4	9	14	19	24
4	5	10	15	20	25

$i, j \quad N \quad i, j \quad i, j, N=N-2$

$0, 0$	5	$0, 0$	$1, 1, 3$
$1, 1$	3	$1, 1$	$2, 2$

$\underline{2} \underline{2}$, ① → we are missing center element

$\overrightarrow{\text{mat}[8][8]}$

	0	1	2	3	4	5	6	7
0	1	2	3	4	5	6	7	
1		1	2	3	4	5	6	
2			1	2	3	4	5	
3				1	2	3	4	
4					1	2	3	
5						1	2	
6							1	
7								1

	i, j	N	i, j	i, j	N
$0, 0$	8	$0, 0$	$1, 1$	$1, 1$	-2
$1, 1$	6	$1, 1$	$+1$	$+1$	-2
$2, 2$	4	$2, 2$	$+1$	$+1$	-2
$3, 3$	2	$3, 3$	$+1$	$+1$	-2
$4, 4$	0				

// 9f Rectangular matrix: TODO