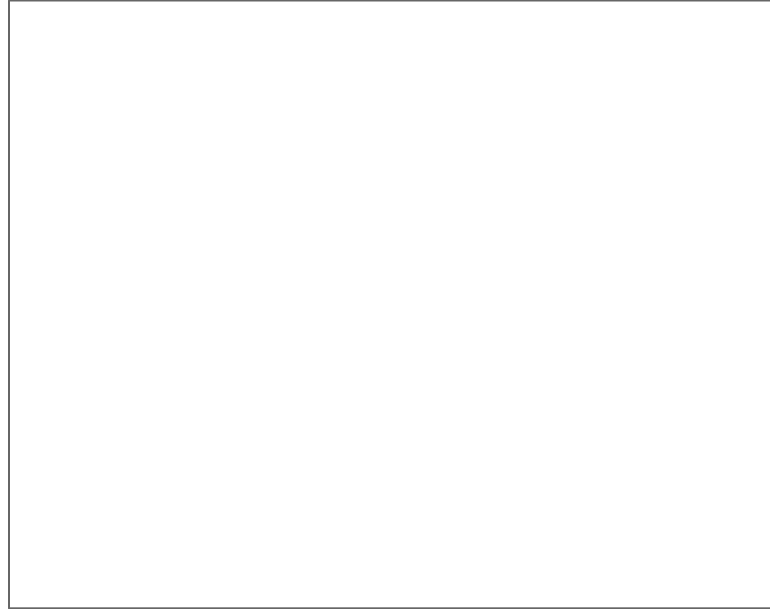


# K-d Tree Insertion Demo

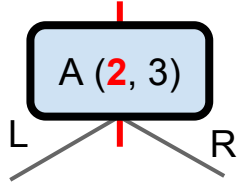
---

Insert A (2, 3) ?

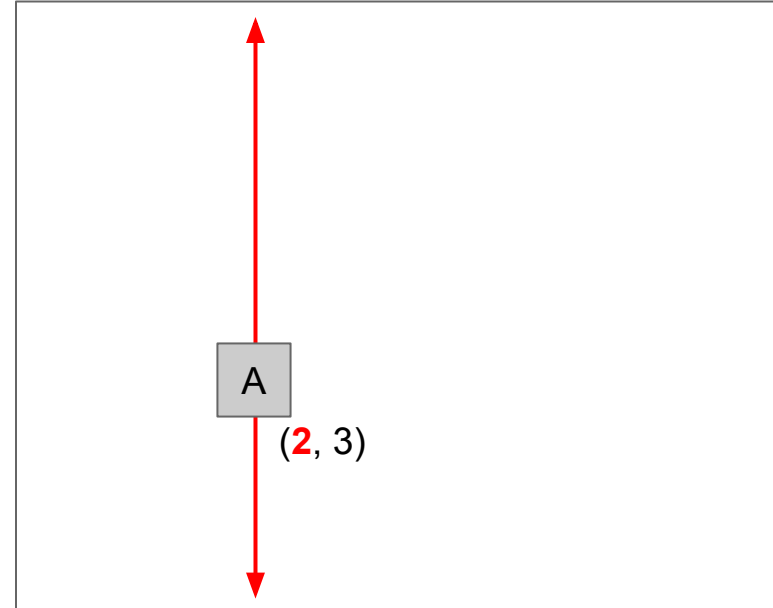


# K-d Tree Insertion Demo

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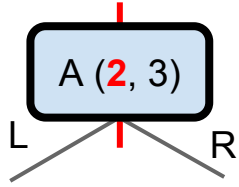


Insert A (2, 3)

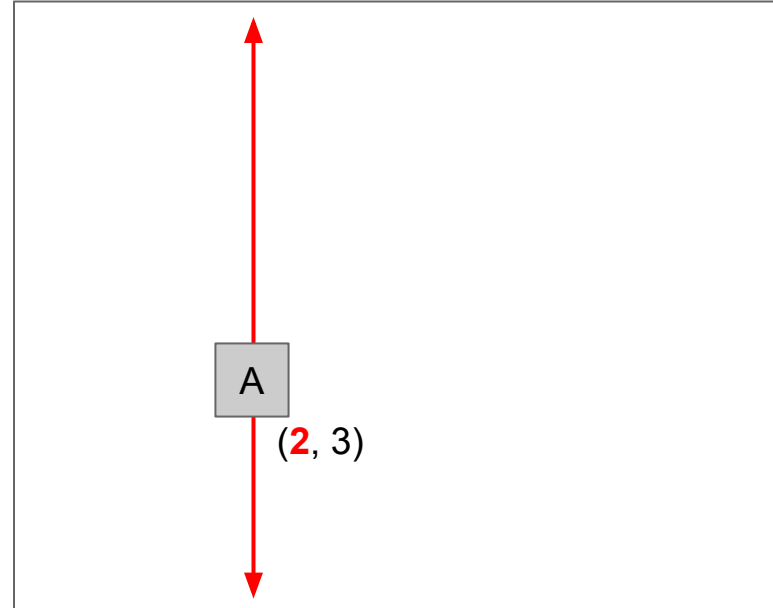


# K-d Tree Insertion Demo

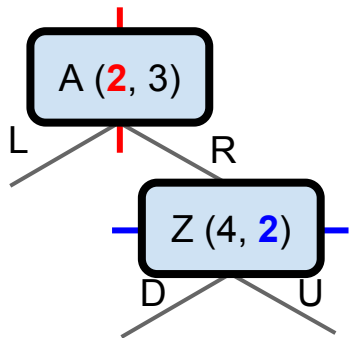
---



Insert Z (4, 2) ?

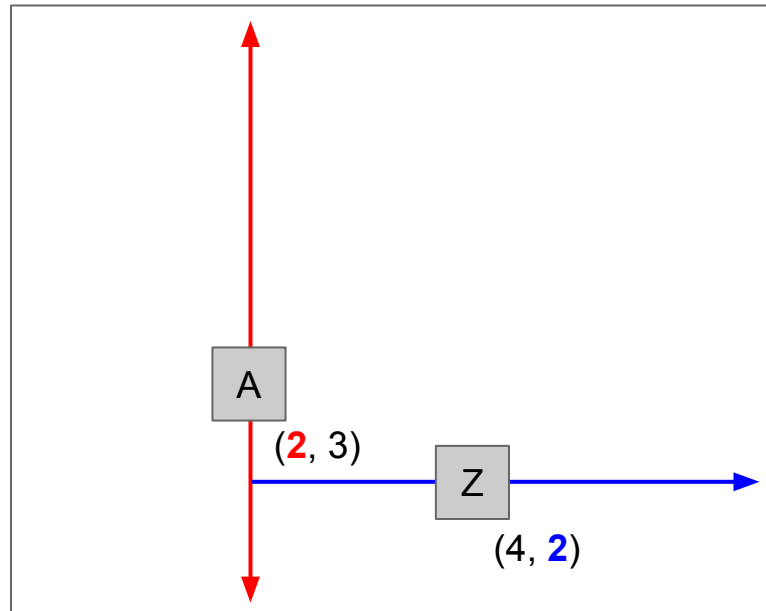


# K-d Tree Insertion Demo

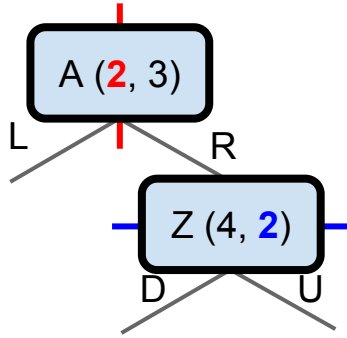


Insert Z (4, 2)

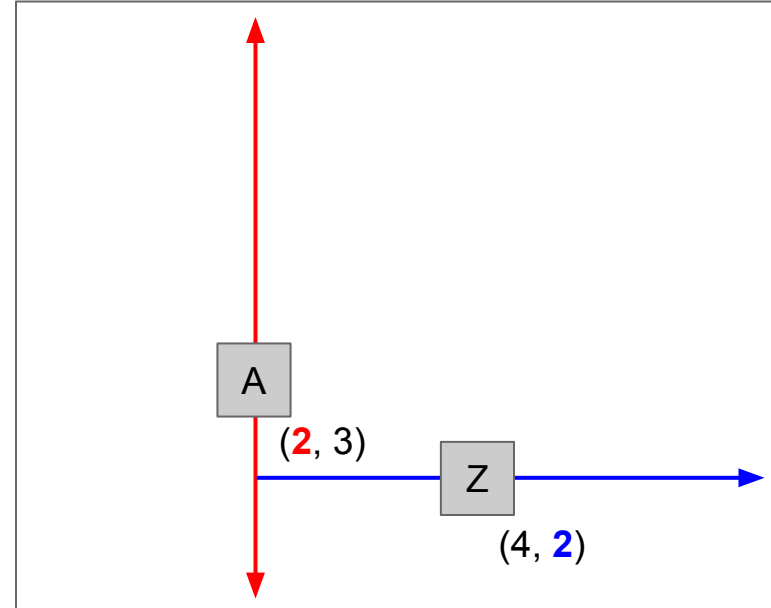
- Z is to the right of A, because  $4 > 2$ .



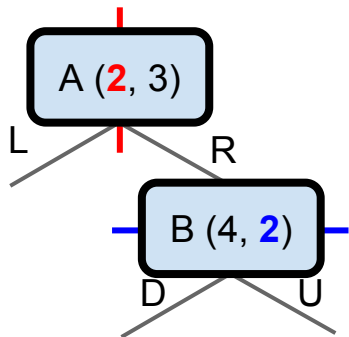
# K-d Tree Insertion Demo



Insert B (4, 2) ?

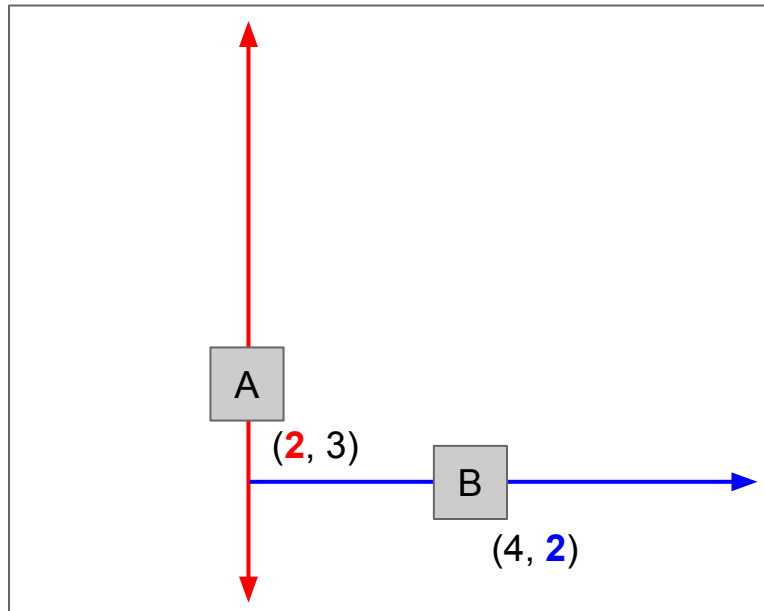


# K-d Tree Insertion Demo



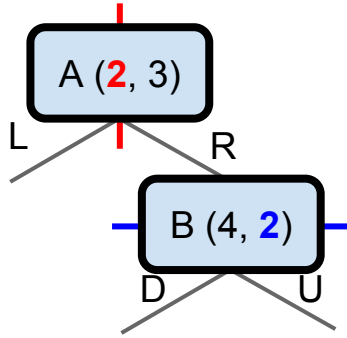
Insert B (4, 2)

- B is to the right of A, because  $4 > 2$ .
- (4, 2) is already a key in our table.
  - Replace with new value B.

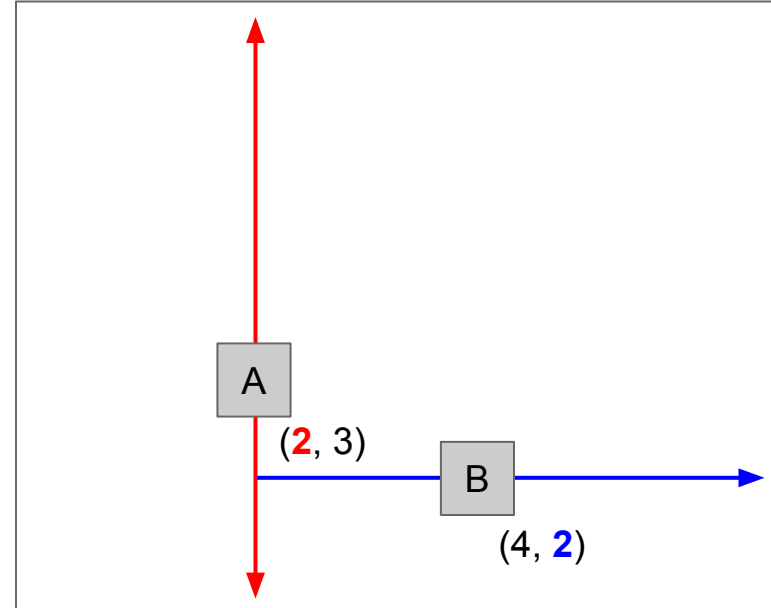


# K-d Tree Insertion Demo

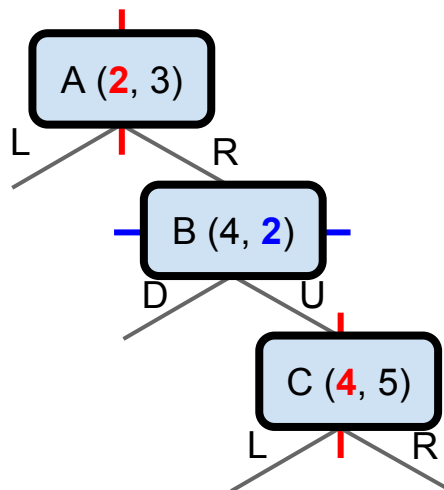
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Insert C (4, 5) ?

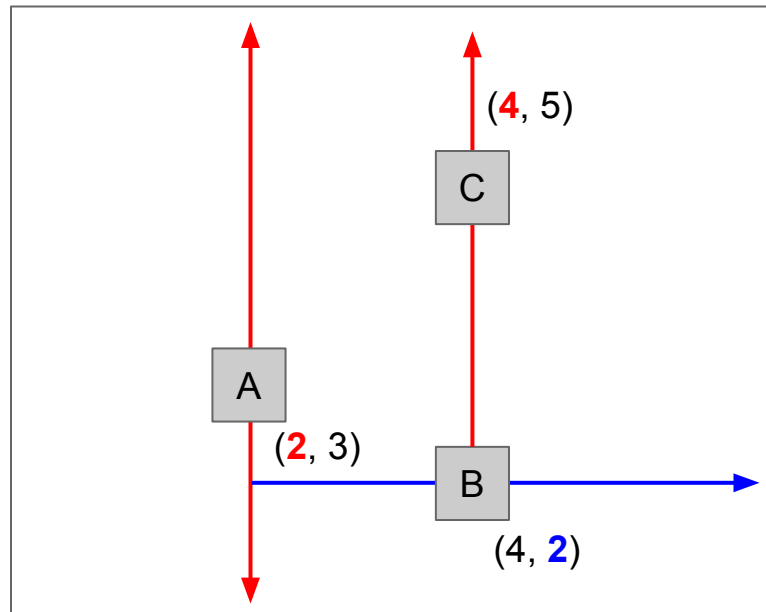


# K-d Tree Insertion Demo



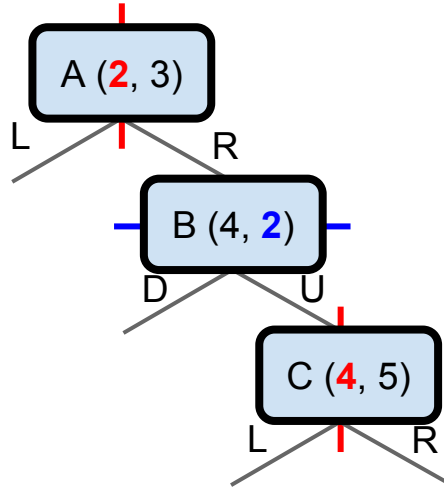
Insert C (4, 5)

- C is to the right of A, because  $4 > 2$ .
- C is to the up of B, because  $5 > 2$ .

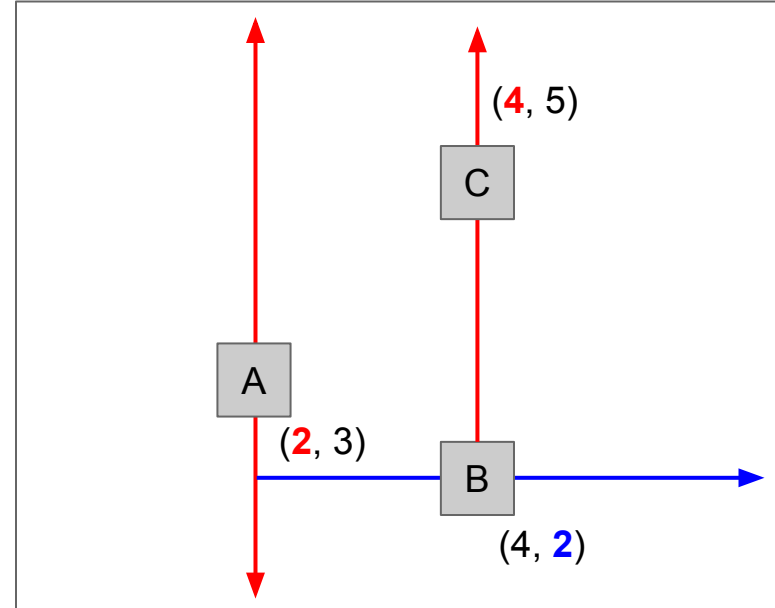




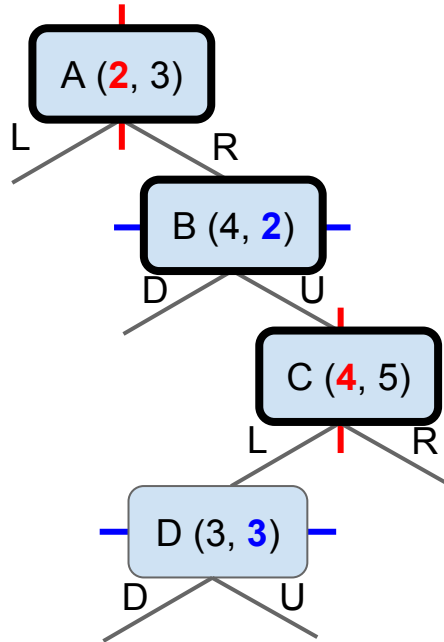
# K-d Tree Insertion Demo



Insert D (3, 3) ?

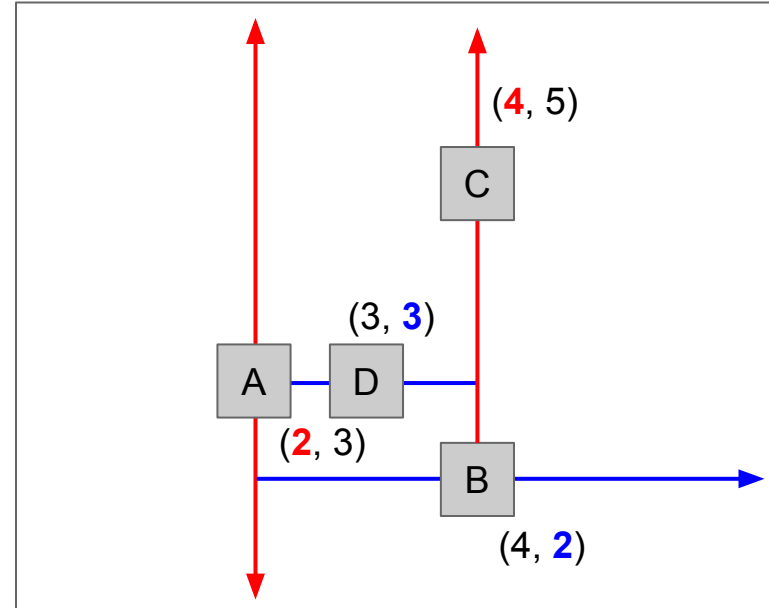


# K-d Tree Insertion Demo

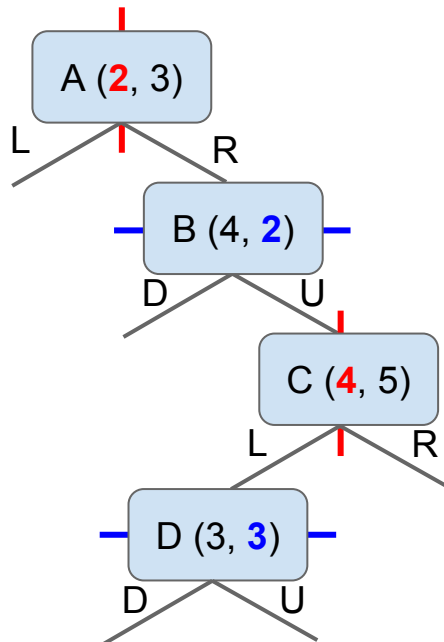


Insert D (3, 3)

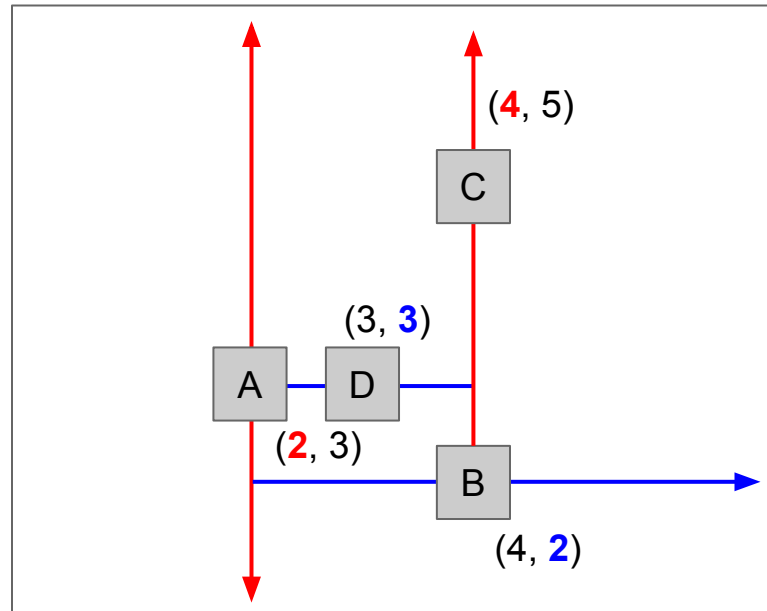
- D is to the right of A, because  $3 > 2$ .
- D is to the up of B, because  $3 > 2$ .
- D is to the left of C, because  $3 < 4$ .



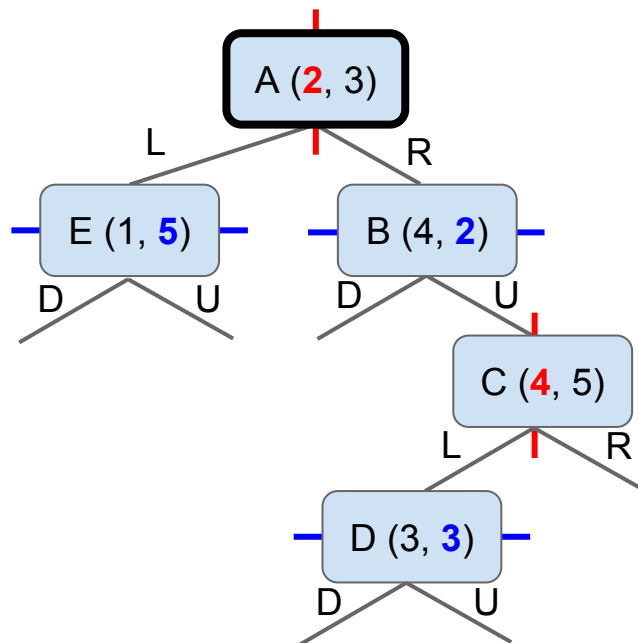
# K-d Tree Insertion Demo



Insert E (1, 5) ?

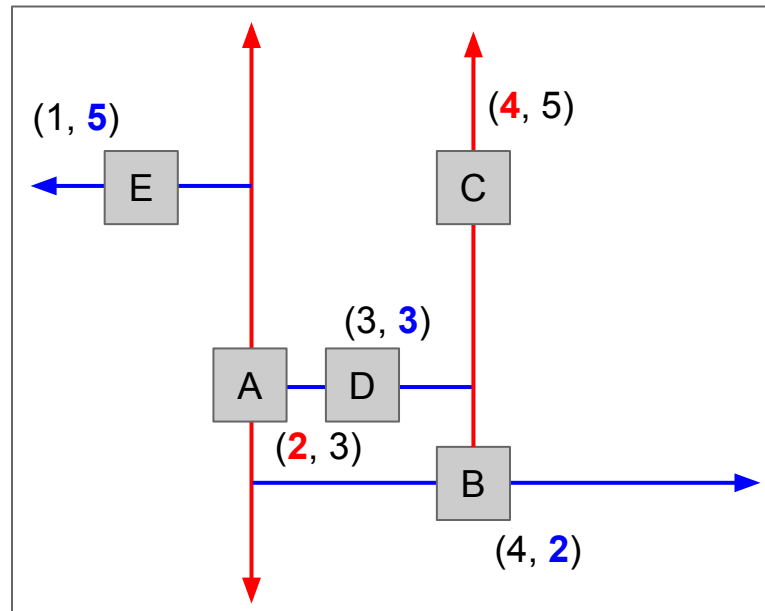


# K-d Tree Insertion Demo

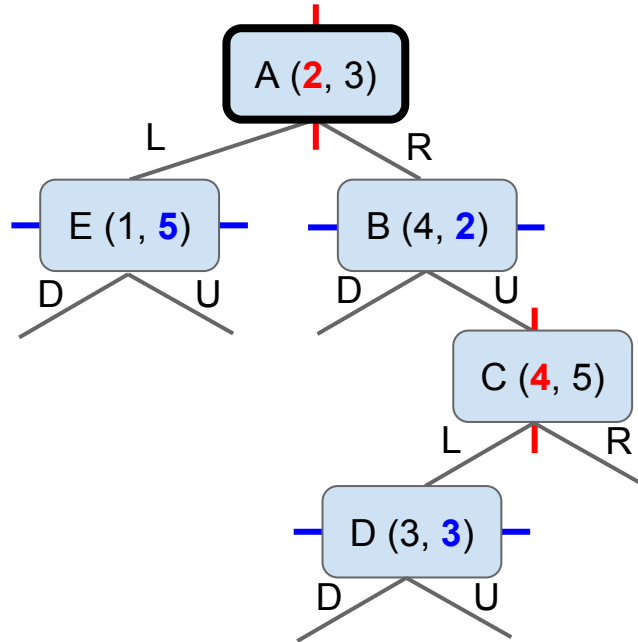


Insert E (1, 5) ?

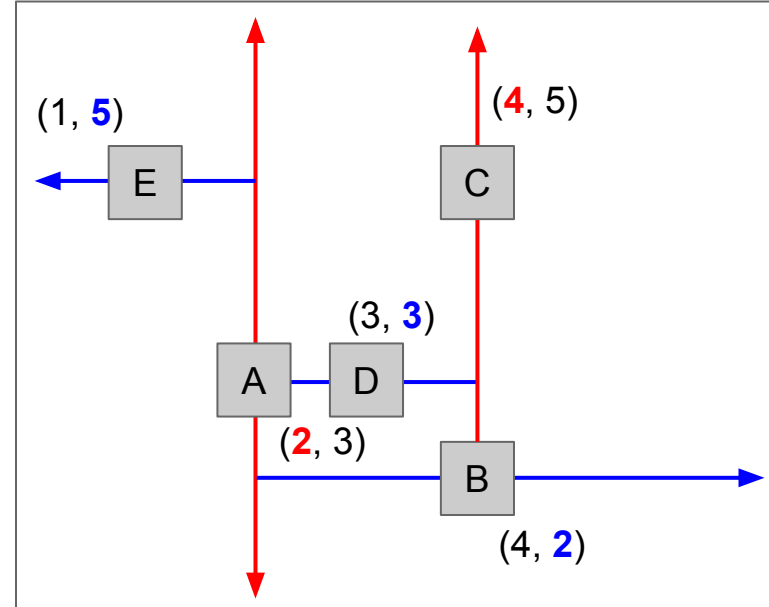
- E is left of A because  $(1 < 2)$ .



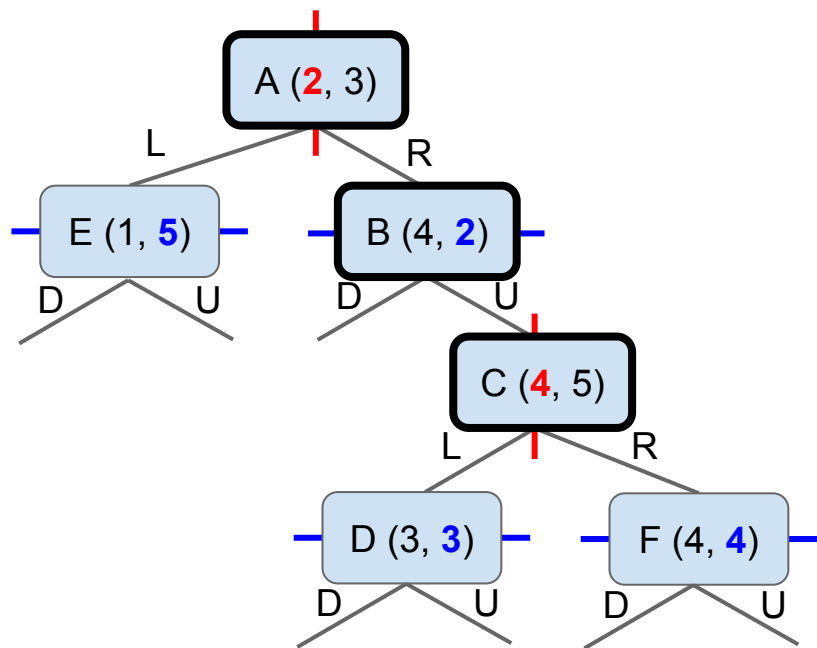
# K-d Tree Insertion Demo



Insert F (4, 4) ?



# K-d Tree Insertion Demo



Insert F (4, 4) ?

- F is right of A because  $4 > 2$ .
- F is up of B because  $4 > 2$ .
- F is right of C because  $4 \geq 4$ .

Have to break ties somehow. We'll say items that are equal in one dimension go off to the right (or up) child of each node.

