

# CS61C Summer 2015 Discussion 10

## Thread Level Parallelism

```
#pragma omp parallelism
{
    /* code here */
}
```

\*Each thread runs a copy of code within the block  
\*Thread scheduling is non-deterministic

```
#pragma omp parallel for
for (int i = 0; i < n; i++)
{
    /* code here */
}
```

Same as: 

```
#pragma omp parallel
{
    #pragma omp for
    for (int i = 0; i < n; i++) {...}
}
```

1. For the following snippets of code below, circle one of the following to indicate what issue, if any, the code will experience. Then provide a short justification. Assume the default number of threads is greater than 1. Assume no thread will complete before another thread starts executing. Assume arr is an int array with length n.

a)  
// Set element i of arr to i  
#pragma omp parallel  
(int i = 0; i < n; i++)  
 arr[i] = i;

Sometimes incorrect      Always incorrect      **Slower than serial**      Faster than serial

**Slower than serial** – there is no for directive, so every thread executes this loop in its entirety. n threads running n loops at the same time will actually execute in the same time as 1 thread running 1 loop. Despite the possibility of false sharing, the values should all be correct at the end of the loop. Furthermore, the existence of parallel overhead due to the extra number of threads could slow down the execution time.

b)  
// Set arr to be an array of Fibonacci numbers.  
arr[0] = 0;  
arr[1] = 1;  
#pragma omp parallel for  
for (int i = 2; i < n; i++)  
 arr[i] = arr[i-1] + arr[i - 2];

Sometimes incorrect      **Always incorrect**      Slower than serial      Faster than serial

**Always incorrect (if n>4)** – Loop has data dependencies, so the calculation of all threads but the first one will depend on data from the previous thread. Because we said “assume no thread will complete before another thread starts executing,” then this code will always be wrong from reading incorrect values.

c)  
// Set all elements in arr to 0;  
int i;  
#pragma omp parallel for  
for (i = 0; i < n; i++)  
 arr[i] = 0;

Sometimes incorrect      Always incorrect      Slower than serial      **Faster than serial**

Faster than serial – the for directive actually automatically makes loop variables (such as the index) private, so this will work properly. The for directive splits up the iterations of the loop into continuous chunks for each thread, so no data dependencies or false sharing.

2. Consider the following code:

```
// Decrements element i of arr. n is a multiple of omp_get_num_threads()
#pragma omp parallel
{
    int threadCount = omp_get_num_threads();
    int myThread = omp_get_thread_num();
    for (int i = 0; i < n; i++) {
        if (i % threadCount == myThread)
            arr[i] -= arr[i];
    }
}
```

What potential issue can arise from this code?

False sharing arises because different threads can modify elements located in the same memory block simultaneously. This is a problem because some threads may have incorrect values in their cache block when they modify the value `arr[i]`, invalidating the cache block. A fix to this will be discussed in lab.

3. Consider the following function:

```
void transferFunds(struct account *from, struct account *to, long cents) {
    from->cents -= cents;
    to->cents += cents;
}
```

a. What are some data races that could occur if this function is called simultaneously from two (or more) threads on the same accounts? (Hint: If the problem isn't obvious, translate the function into MIPS first)

Each thread needs to read the “current” value, perform an add/sub, and store a value for `from->cents` and `to->cents`. Two threads could read the same “current” value and the later store essentially overwrites the other transaction at either line.

b. How could you fix or avoid these races? Can you do this without hardware support?

Wrap `transferFunds` in a critical section, or divide up the accounts array and for loop in a way that you can have separate threads work on different accounts

## Floating Point

How a float is interpreted depends on the values in the exponent and significand fields:

For normalized floats:

$$\text{Value} = (-1)^{\text{Sign}} \times 2^{(\text{Exponent} - \text{Bias})} \times 1.\text{significand}_2$$

For denormalized floats:

$$\text{Value} = (-1)^{\text{Sign}} \times 2^{(\text{Exponent} - \text{Bias} + 1)} \times 0.\text{significand}_2$$

Exponent	Significand	Meaning
0	Anything	Denorm
1-254	Anything	Normal
255	0	Infinity
255	Nonzero	NaN

## Exercises

1. Convert the following numbers from binary to decimal or from decimal to binary. You may leave decimals as expressions:

10.75

3.328125

0xB0BA0000

0x412c0000

0x40550000

$-1.453125 \times 2^{-30}$