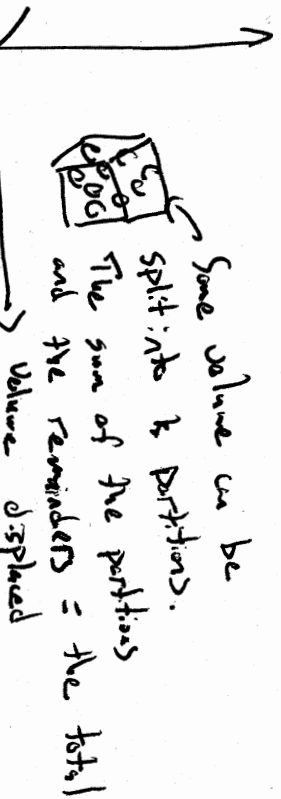


Assume Neutral Buoyancy

then

$$\frac{\sum m_{\text{air}}}{\sum V_{\text{air}}} = \frac{\sum m_{\text{bu}}}{\sum V_{\text{b}}}$$

The densities of the object or collection of objects is equal to the equivalent ~~volume~~ displaced air density.



$$\sum V_{\text{air}} = \sum V_{\text{b or partitions}}$$

Consider a buoyant hollow concrete cube, that a lead weight is added inside to make it not buoyant, no dense packing of the blocks will float b/c the sum of masses are greater than the water displaced.

Allowing a non dense packing to water in between the blocks will give a density ~~the~~ less than the densely packed blocks but still greater than equivalent water volume.

$$\frac{\sum m_{\text{air}}}{\sum V_{\text{air}}} = \frac{\sum m_{\text{bu}}}{\sum V_{\text{b}}} \cdot \frac{1}{1} \Rightarrow \sum m_{\text{air}} = \sum m_{\text{bu}} \text{ So Volume / S.A. is not a factor}$$