Definition

when an equation involves one or more desivatives w. v. t a particular variable. Then that variable is called an independent variable is called an independent variable. A variable is called dependent variable if a desivative of that dent variable if a desivative of that variable occurs. The a equation

 (\prime)

 $\frac{\partial^2 V}{\partial x^2} + \frac{\partial^2 V}{\partial y^2} = 0$

has condependent variable V and two independent variables x and y.

Definition An equation involving one dependent variable and its delivative w. N.t one or more independent variables, is called a Differential equetion . 09;

i) $\frac{d}{dn^2}y + 2 \frac{d}{dn}y + y = 0$

 $u) \frac{\partial^2 u_t}{\partial x^2} \frac{\partial^2 u_t}{\partial y^2} \frac{\partial^2 u_t}{\partial x^2} = 0$

There are two types of Differential equations:

i) Ostlinaly Differential equations ii) Partial Differential equations.

i) Oldinary Differential equation (3) A differential equation which involves the desivatives of the dependent variable W. & t à Single independent variable is known as "Ordinary Differential equation". eg; i) $\frac{dy}{dx} + 2y = \cos x$ $ii) \frac{d^3y + \chi y}{dx^3} \left(\frac{dy}{dx}\right) = 0$ iii) $\left(\frac{d^2y}{dx^2}\right) + x - \frac{dy}{dx} - 4xy = 0$ are ordinary differential equations.

ii) Partial Dyserential equation.

A differential equation colich contains two or more independent variables and partial desirative w.r.t. them is called a Partial Differential equation. eg;

$$u) \frac{\partial^2 V_+}{\partial x^2} \frac{\partial^2 V_+}{\partial z^2} \frac{\partial^2 V_-}{\partial z^2} = 0.$$

$$\overline{iii}) \quad \frac{\partial^3}{\partial t^3} V = K \cdot \left(\frac{\partial^2}{\partial x^1} V\right)^{\frac{1}{2}}$$

are the partial differential equations.

Order of a Differential equation The order of a differential equation is the order of the highest ordered delivative that occurs in the equation. e.g., $\frac{dy}{dx} \neq 2x = 0$ has order 1. and $\frac{d^2y}{da^2y} + 2\left(\frac{d}{dn}y\right) + y = 0$ has order 2

Degree et a Differential equation The degree of a disperential equation is defined to be the expo-nent of the highest order desiration i) (dy) = cose $(i) \left(\frac{d^2y}{dx^2}\right) + 4y = 0$ $\frac{d^2y}{dx^2y} + 7\left(\frac{dy}{dx}y\right) - 8y = 0.$ $(\frac{d}{dx}y)^{2} - 2(\frac{d}{dx}y)^{2} + y = 0.$ 1,1,1,2,. has digrees