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The Smart Supplier: Optimizing Orders in a Fluctuating Market - 6 Marks

Develop a reinforcement learning agent using dynamic programming to help a Smart Supplier decide which products to manufacture and sell each day to maximize profit. The agent must learn the optimal policy for choosing daily production quantities, considering its limited raw materials and the unpredictable daily demand and selling prices for different products.

Scenario

A small Smart Supplier manufactures two simple products: Product A and Product B. Each day, the supplier has a limited amount of raw material. The challenge is that the market demand and selling price for Product A and Product B change randomly each day, making some products more profitable than others at different times. The supplier needs to decide how much of each product to produce to maximize profit while managing their limited raw material.

Objective

The Smart Supplier's agent must learn the optimal policy $\pi *$ using dynamic programming (Value Iteration or Policy Iteration) to decide how many units of Product A and Product B to produce each day to maximize the total profit over the fixed number of days, given the daily changing market conditions and limited raw material.

--- 1. Custom Environment Creation (SmartSupplierEnv) --- (1 Mark)

```
# get reward function
import numpy as np
import random
class SmartSupplierEnv:
    Custom environment for the Smart Supplier problem.
    Handles state transitions, actions, market states, and reward
calculation.
    def __init__(self, num_days=5, initial_rm=10):
        self.num_days = num_days
        self.initial rm = initial_rm
        # Define action space with associated costs
        self.actions = {
            0: (2, 0, 4), # Produce 2A, 0B → Costs 4 RM
            1: (1, 2, 4), # Produce 1A, 2B \rightarrow Costs 4 RM
            2: (0, 5, 5), # Produce 0A, 5B \rightarrow Costs 5 RM
            3: (3, 0, 6), # Produce 3A, 0B \rightarrow Costs 6 RM
            4: (0, 0, 0), # Do Nothing \rightarrow Costs 0 RM
        }
        # Define market states with associated prices
        self.market states = {
            1: {'A_price': 8, 'B_price': 2}, # High demand for A
            2: {'A_price': 3, 'B_price': 5}, # High demand for B
        }
    def get all states(self):
        Generate all valid states in the environment.
        Each state is a tuple: (current day, remaining raw material,
market state)
        0.000
        return [(day, rm, mkt)
                for day in range(1, self.num days + 1)
                for rm in range(0, self.initial_rm + 1)
                for mkt in [1, 2]]
    def get possible actions(self, rm left):
        Return list of action IDs possible given current raw material.
        return [a for a, (_, _, cost) in self.actions.items() if cost
<= rm left]
```

```
def get reward(self, action id, market state):
        Calculate profit earned from a given action in a specific
market state.
        a units, b units, = self.actions[action id]
        prices = self.market states[market state]
        return a units * prices['A price'] + b units *
prices['B price']
    def transition(self, state, action id):
        Perform transition from one state to next state based on
action.
        Returns (next state, reward). If terminal, next state is None.
        day, rm, market = state
        _, _, cost = self.actions[action id]
        if cost > rm:
            return state, 0 # Invalid move: return same state, zero
reward
        reward = self.get reward(action id, market)
        # Move to next day, reset raw material
        next day = day + 1
        if next day > self.num days:
            return None, reward # End of episode
        next market = random.choice([1, 2])
        return (next day, self.initial rm, next market), reward
```

--- 2. Dynamic Programming Implementation (Value Iteration or Policy Iteration) --- (2 Mark)

```
delta = 0
        new V = V.copy()
        for state in env.get all states():
            day, rm, mkt = state
            if day > env.num days:
                continue # Terminal state
            best action value = float('-inf')
            best action = None
            for action in env.get possible actions(rm):
                total value = 0
                reward = env.get reward(action, mkt)
                # For value iteration, consider future market states
                for next_market in [1, 2]:
                    next_day = day + 1
                    if next day > env.num days:
                        future val = 0
                        next state = (next day, env.initial rm,
next market)
                        future val = V[next state]
                    prob = 0.5 # Market transitions are equally
likely
                    total_value += prob * (reward + gamma *
future val)
                if total value > best action value:
                    best action value = total value
                    best action = action
            new V[state] = best action value
            policy[state] = best action
            delta = max(delta, abs(V[state] - best action value))
        V = new V
        iteration += 1
        if delta < theta:</pre>
            break
    print(f"Value iteration converged in {iteration} iterations.")
    return V, policy
```

--- 3. Simulation and Policy Analysis --- (1 Mark)

simulate policy function - Simulates the learned policy over multiple runs to evaluate performance

```
def simulate policy(env, policy, runs=1000):
    Simulate the policy over multiple runs to estimate average total
reward.
    total rewards = []
    for _ in range(runs):
        state = (1, env.initial rm, random.choice([1, 2]))
        total reward = 0
        while state is not None:
            action = policy.get(state, 4) # Default to 'Do Nothing'
if state not found
            next state, reward = env.transition(state, action)
            total reward += reward
            state = next state
        total rewards.append(total reward)
    average reward = np.mean(total rewards)
    print(f"Average total reward over {runs} runs: $
{average reward:.2f}")
    return average reward
# analyze policy function - Analyzes and prints snippets of the
learned optimal policy
def analyze policy(policy, env):
    Analyzes how the learned policy behaves across different
conditions.
    print("Policy Analysis for Day 1 with 10 RM:")
    for market in [1, 2]:
        state = (1, 10, market)
        action = policy.get(state)
        a_units, b_units, _ = env.actions[action]
        print(f" Market State {market}: Action → {a_units}A and
{b_units}B")
    print("\nPolicy behavior with low RM:")
    for rm in range (0, 6):
        state = (1, rm, 1)
        action = policy.get(state, None)
        if action is not None:
            a_units, b_units, _ = env.actions[action]
            print(f" RM = \{rm\}: Action \rightarrow \{a \text{ units}\}A \text{ and } \{b \text{ units}\}B")
```

```
print("\nPolicy on last day (Day 5):")
for market in [1, 2]:
    state = (5, 10, market)
    action = policy.get(state)
    a_units, b_units, _ = env.actions[action]
    print(f" Market {market}: Action → {a_units}A and
{b_units}B")

--- 4. Impact of Dynamics Analysis --- (1 Mark)

# Discusses the impact of dynamic market prices on the optimal policy.
# This section should primarily be a written explanation in the report.

# In the markdown below.
```

Dynamic Market Impact Discussion (To include in your markdown/report):

If the market state were fixed (e.g., always Market State 1), the optimal policy would favor producing Product A heavily due to its consistently higher reward.

However, because the market changes randomly each day, the policy learned using dynamic programming becomes adaptive. It accounts for both possibilities and spreads risk—choosing more flexible or balanced production when uncertainty is high.

On the last day, the policy tends to be more aggressive, using up all available resources since there's no future to plan for. This is a clear indicator of the dynamic programming approach considering the finite time horizon in decision-making.

```
# --- Main Execution ---
env = SmartSupplierEnv()
V, policy = value_iteration(env)
simulate_policy(env, policy)
analyze_policy(policy, env)

Value iteration converged in 6 iterations.
Average total reward over 1000 runs: $122.49
Policy Analysis for Day 1 with 10 RM:
   Market State 1: Action → 3A and 0B
   Market State 2: Action → 0A and 5B

Policy behavior with low RM:
   RM = 0: Action → 0A and 0B
   RM = 1: Action → 0A and 0B
```

```
RM = 2: Action \rightarrow 0A and 0B
RM = 3: Action → 0A and 0B
RM = 4: Action → 2A and 0B
RM = 5: Action → 2A and 0B
```

Policy on last day (Day 5): Market 1: Action → 3A and 0B Market 2: Action → 0A and 5B