Modelling uncertainty of the Rhenium-Osmium cosmic clock

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What is a cosmic clock?

Why use ${}^{187}_{75}Re^{-187}_{76}Os?$

Advantages

Halflife
$$T_{\beta}=43.3~{
m Gyr}^1~(\lambda_{\beta}=rac{\ln 2}{T_{eta}})$$

Different sources Slow and rapid neutron capture process

Nucleosynthesis

How was the nuclear elements created?

- Big bang nucleosynthesis
- Fusion of lighter elements (up to iron)
- Neutron capture processes

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slow \beta^--decays before succesive neutron capture rapid capture multiple neutrons before \beta^--decay
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Slow and rapid neutron capture around $^{187}_{75}\text{Re-}^{187}_{76}\text{Os}$

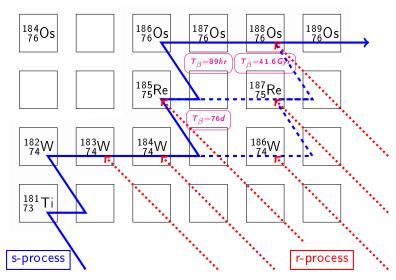


Figure: Adopted from fig.1 in Clayton (1964)

Analytical models of $^{187}_{75}$ Re- $^{187}_{76}$ Os cosmic clock

$$\frac{dN}{dt} = -\lambda N$$

$${}^{187}_{76}\text{Os}_{\odot} = {}^{187}_{76}\text{Os}_{s} + {}^{187}_{76}\text{Os}_{p} + {}^{187}_{76}\text{Os}_{c}$$

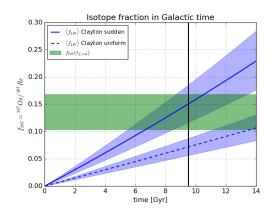
$$\frac{d}{dt} \left[{}^{187}_{76}\text{Os}_{c} \right] = \lambda_{\beta} {}^{187}_{75}\text{Re}$$

$$\frac{d}{dt} \left[{}^{187}_{75}\text{Re} \right] = A(t) - \lambda_{\beta} {}^{187}_{75}\text{Re}$$

Using the analytical model from Clayton (1964)

$$A(t) = A_0 e^{-\lambda_r t}$$
 $f_{187} \equiv rac{{}^{187}_{76} \mathrm{Os}_c}{{}^{187}_{75} \mathrm{Re}} = rac{rac{\lambda_eta}{\lambda_r} (1 - e^{-\lambda_r t}) - (1 - e^{-\lambda_eta t})}{e^{-\lambda_r t} - e^{-\lambda_eta t}}$

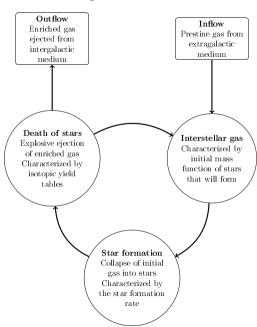
Observed isotope fraction from meteorites and solar atmosphere



Observed isotope fraction from meteorites (Shizuma, T. et al. 2005, Bouvier, A. et al. 2010, Snelling, A.A. 2015)



Chemical enrichment of galactic medium

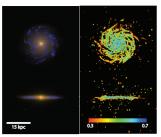


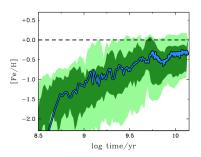
Explosive events

- Asymptotic giant branch stars (not really explosive)
- Core collapse supernovae
- ► Type 1a supernovae
- Neutron star mergers

Eris simulation

THE ASTROPHYSICAL JOURNAL, 742:76 (10pp), 2011 December 1





- Smoothed particle hydrodynamics simulation (Guedes et al. 2011)
- ▶ 3D
- ▶ 18.6 million particles
- Postprocessing to add rapid neutron capture elements from neutron star mergers (Shen et al. 2015)

Figures/images from Guedes et al. (2011) and Shen et al. (2015)

Omega semianalytical model (Côté 2016)

- ► SFR + timestep → stellar mass formed
- lacktriangleright stellar mass formed ightarrow stellar population
- ▶ stellar population + yield tables + delay-time → isotopic yields recycled into ISM + remnant
- ▶ remnants → secondary events

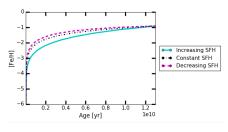


Figure: Image from github.com/NuGrid/NuPyCEE/



Modelling uncertainty of the Rhenium-Osmium cosmic clock

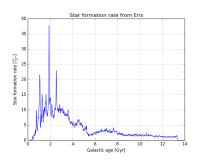
Methods

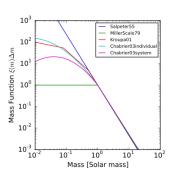
- ▶ Fitting Omega to data from Eris
- Manipulate yields in Omega
- Main experiments
- Postprocessing

Fitting Omega to data from Eris

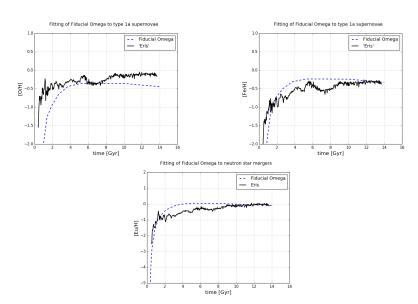
- Rough model
- " χ^2 -by-eye"
- Star formation rate, stellar mass, total mass, [O/H], [Fe/H], [Eu/H]

Fitting Omega to data from Eris

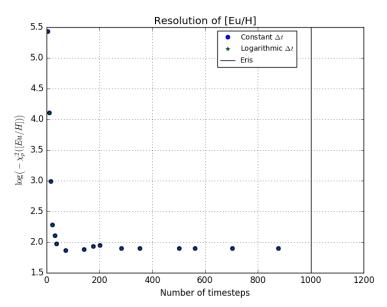




Fitting Omega to data from Eris



Size of time steps



Manipulate yields in Omega

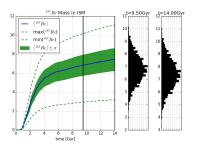
isotope	standard	min	max	σ_{lower}	σ_{upper}
Re-187	0.0318	0.027	0.0359	-0.1509	0.1289
Re-185	0.0151	0.011	0.0176	-0.2715	0.1656
Os-188	0.0707	0.0633	0.0781	-0.1047	0.1047
Os-189	0.103	0.0961	0.109	-0.067	0.0583
Os-190	0.152	0.137	0.168	-0.0987	0.1053
Os-192	0.273	0.252	0.289	-0.0769	0.0586
Eu-151	0.0452	0.0267	0.0482	-0.4093	0.0664
Eu-153	0.0495	0.046	0.0526	-0.0707	0.0626

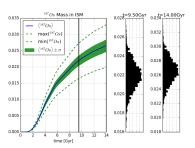
Table: Values and uncertainties of r-process nuclei near $^{187}_{75}$ Re from (Arnould et al. 2007)

Main experiments

- Draw random "fudge-factor" from gaussian distribution
- ▶ 1500 individual calculations
- ▶ Yields
- Yields+IMFslope
- Yields+IMFslope+NSM

Results - Yields without postprocessing





Postprocessing

$$eta^-$$
-decay $^{187}_{75}\mathrm{Re}
ightarrow ^{187}_{76}\mathrm{Os} + e^- + ar{
u}_e$

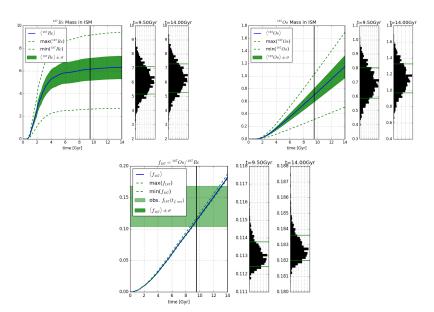
- $ightharpoonup \Delta \mathrm{Re} = -\lambda_{\mathrm{Re}} \mathrm{Re} \Delta t$
- $ightharpoonup \Delta Os = \lambda_{Re} Re \Delta t$

Removing negative yields

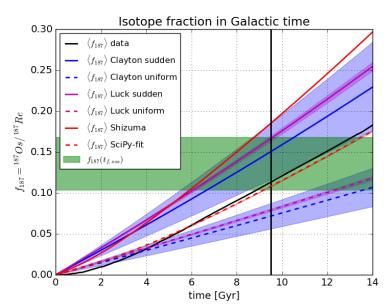
Do not

 $\hat{Y} \leq 0 \rightarrow \text{consider}$

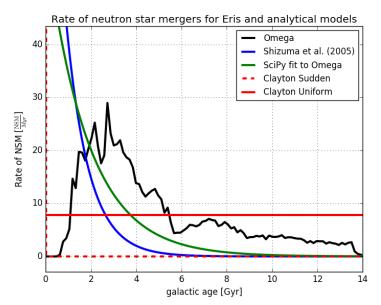
Results - Yields with postprocessing



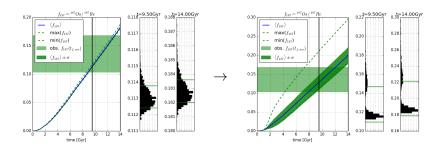
Comparing models



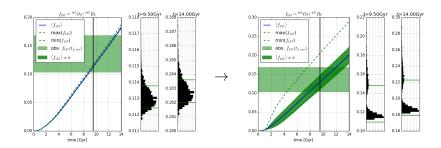
Comparing models



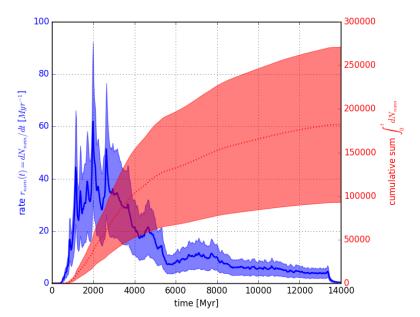
Results - Uncertainties of Yields+IMFslope



Results - Uncertianties of Yields+IMFslope+NSM



Results - Uncertianties of Yields+IMFslope+NSM



Conclusions/summary

- Yields
- Yields+IMFslope
- Yields+IMFslope+NSM
- Uncertainties with and without β^- -decay
- Uncertainties of models and observations
- Little uncertainty from nuclear r-process abundance
- Additional uncertainties from the slope of the *Initial Mass Function*
- Additional uncertainties from Neutron Star Mergers