# DESIGN AND ANALYSIS OF ALGORITHMS

( QUESTION: 7, DEPTH FIRST SEARCH ) EXERCISE 7

SUBMITTED BY-

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#### 1. The objective of the Experiment

The objective of the experiment is to traverse all nodes present in tree or graph data structure via **Depth First Search**.

#### 2. Solution Code

```
#include<bits/stdc++.h>
using namespace std;
vector<int> adjnodes[100];
bool isVisited[100];
int main()
{
      int vertices=9,edges=22;
      for(int i = 0; i < vertices; i++)
      isVisited[i + 1] = false;
      for(int i = 0; i < edges; i++)
      {
      int u, v;
      cin >> u >> v;
      adjnodes[u].push back(v);
      adjnodes[v].push back(u);
      int start=0;
      stack<int> s;
      s.push(start);
      cout<<"DFS(all trees):| ";
      while(!s.empty())
      int popped = s.top();
  if(isVisited[popped]==true)
  cout<<"";
```

```
else{
    isVisited[popped] = true;
    cout<<popped<<" ";
    }
    s.pop();
    for(int n: adjnodes[popped])
    {
        if(!isVisited[n])
            s.push(n);
    }
    cout<<"| ";
    for(int i = 0; i <vertices; i++) {
        if(!isVisited[i])
        cout<<i<<" ";
    }
    return 0;
}</pre>
```

## 3. Summary of the program

Depth first traversal or Depth first Search is a recursive algorithm for searching all the vertices of a graph or tree data structure.

A standard DFS implementation puts each vertex of the graph into one of two categories:

- 1. Visited
- 2. Not Visited

The purpose of the algorithm is to mark each vertex as visited while avoiding cycles.

The DFS algorithm works as follows:

- 4. Start by putting any one of the graph's vertices on top of a stack.
- 5. Take the top item of the stack and add it to the visited list.
- **6.** Create a list of that vertex's adjacent nodes. Add the ones which aren't in the visited list to the top of the stack.
- 7. Keep repeating steps 2 and 3 until the stack is empty.

The time complexity of the DFS algorithm is represented in the form of O(V + E), where V is the number of nodes and E is the number of edges.

The space complexity of the algorithm is O(V).

### 4. Sample Output

#### Input-

0 1

10

07

7 0

12

2 1

17

7 1

28

8 2

3 4

43

35

53

45

54

67

76

68

86

78

87

## **Output-**

DFS(all trees):| 0 7 8 6 2 1 | 3 4 5