

Galaxy formation and Evolution

We will discuss the basics of:

- ★ The Big Bang
- ★ Large scale structure formation
- ★ The first stars and galaxies
- ★ The present day Universe



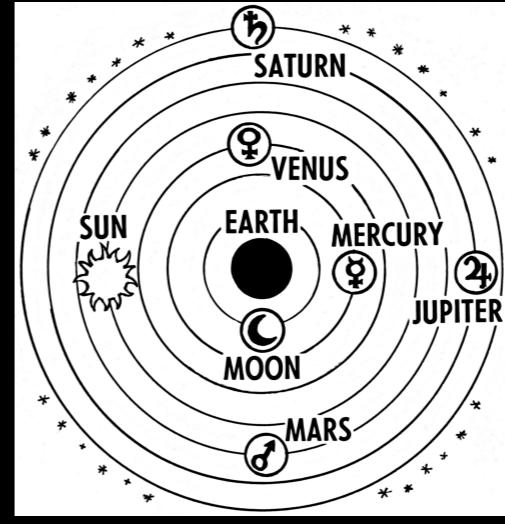
THEMIYA NANAYAKKARA

@themiyan

With contributions from Prof. Rychard Bouwens,
Leiden Observatory

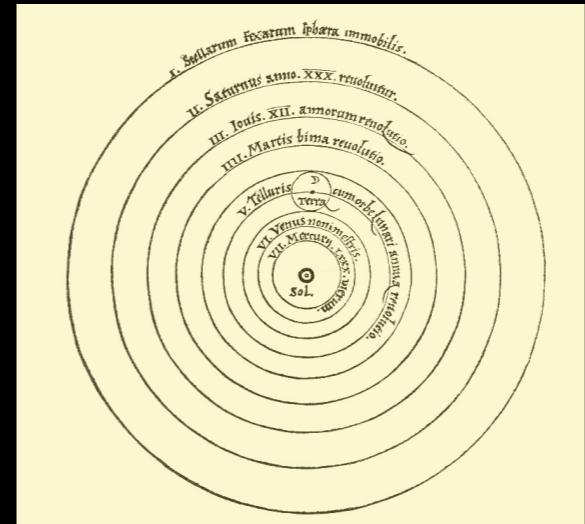
Pre Copernican Universe

Earth is at the centre of the eternal, unchanging Universe: based on Ptolemy's Almagest 150 AD



There is nothing special about the location of Earth in the Universe

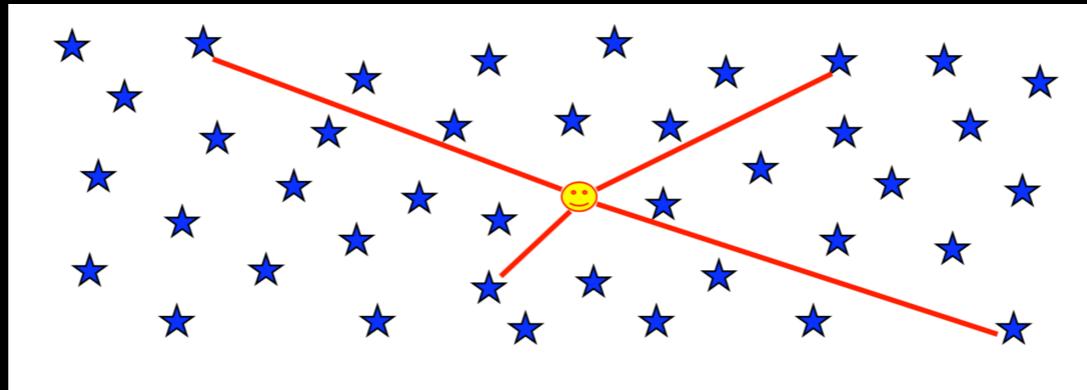
- Work lead by Copernicus, Bruno, Galileo, Kepler
- The Universe was still viewed as eternal and unchanging
- Newtonian Universe



Olber's Paradox

In the 19th century, an astronomer named Heinrich Olbers stumbled on a contradiction that could not be easily explained: **why doesn't the night sky look uniformly bright?**

A sky that is uniformly bright would appear to glow, yet our night sky appears black with a scattering of stars, planets, and galaxies dotting the observable sky.



Olber's Paradox

- Dust attenuation
- Edge to the stars
- Universe/stars has a finite age
- Contractions and expansions

The Universe has a finite age

But dust will heat and re-radiate

Edge to the stars : Violates Copernican Principle

Finite age: Violates permanency

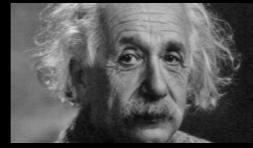
contractions/expansions: Nonoticeable effect unless extreme

Why is the Universe not permanent

- Problems with:
 1. Olber's paradox
 2. Conservation of Energy
 3. Ages of Earth, meteorites, and stars.

Energy conservation: for stars to shine indefinitely they would require an infinite fuel reserve

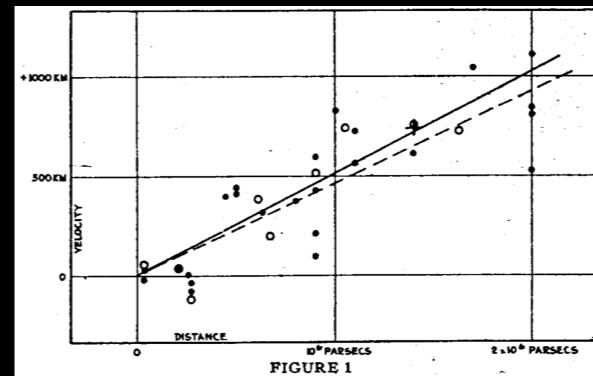
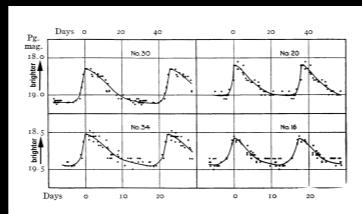
Einstein's Universe



- In order to achieve a static Universe Einstein introduced a counter-balance to his GR models, the famous cosmological constant : agreed with Austrian physicist and philosopher E. Mach (1838-1916) regarding the genesis of the property of inertia.
- According to Mach, the inertial mass of any body is due to the influence of the universe as a whole.

Hubble–Lemaître Law

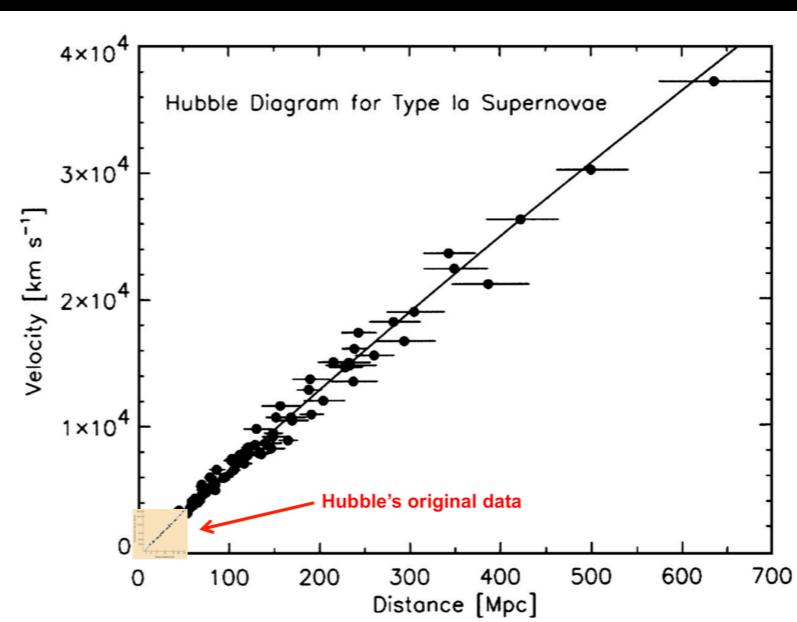
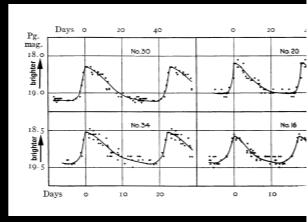
- Discovery of extra-galactic sources.
- Comparison between redshift and Cepheid variables showed that galaxies were moving away from us: recession velocity is proportional to the distance.



- Proved that M31 was external to our galaxy.
- Hubble collected many galaxy images and spectra
- Measured brightest stars and Cepheid variables to get distances
- Also used brightest cluster member
- Measured offset of common spectral features to get velocity

Hubble–Lemaître Law

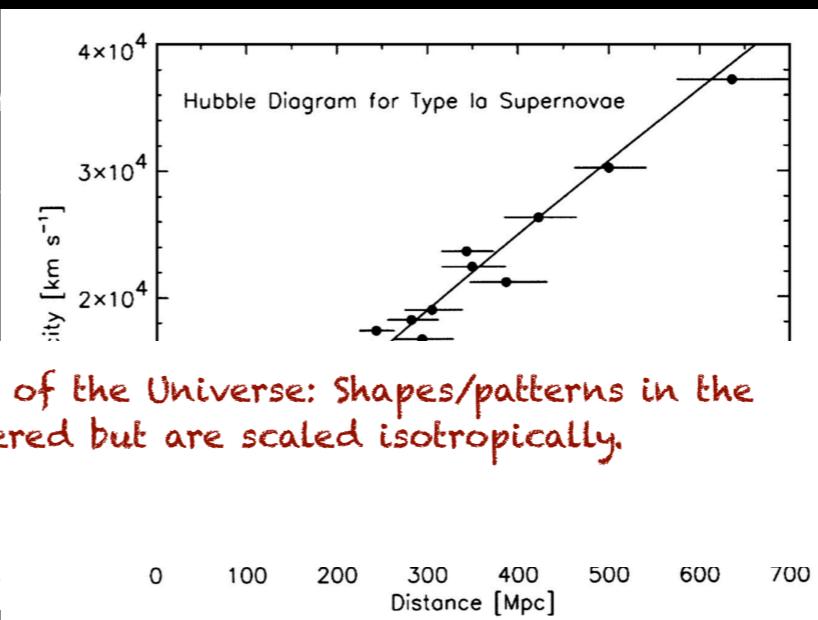
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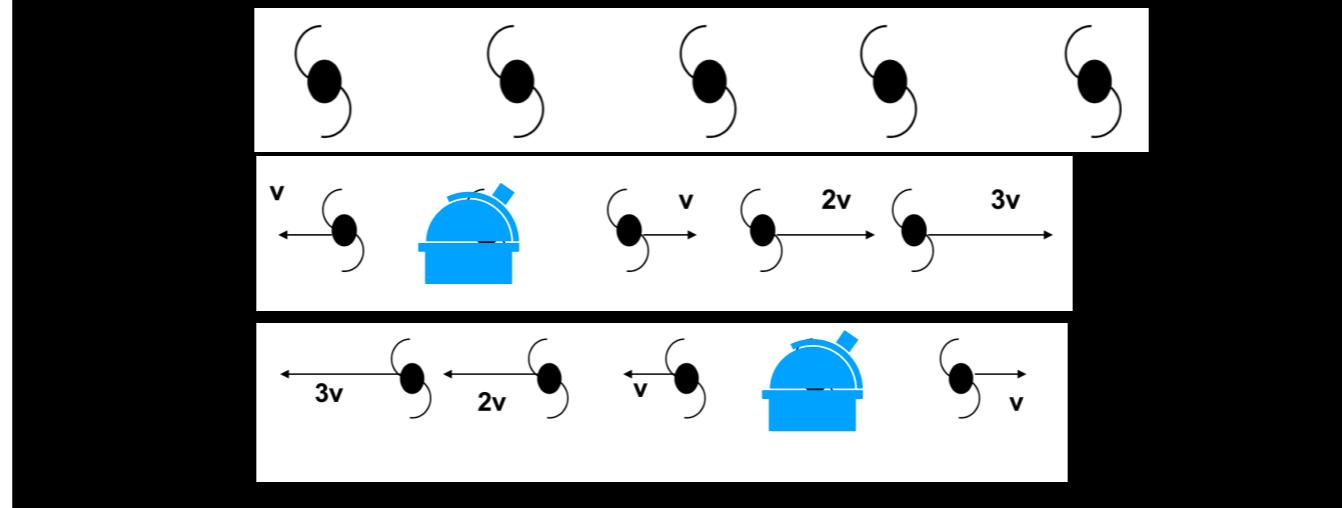
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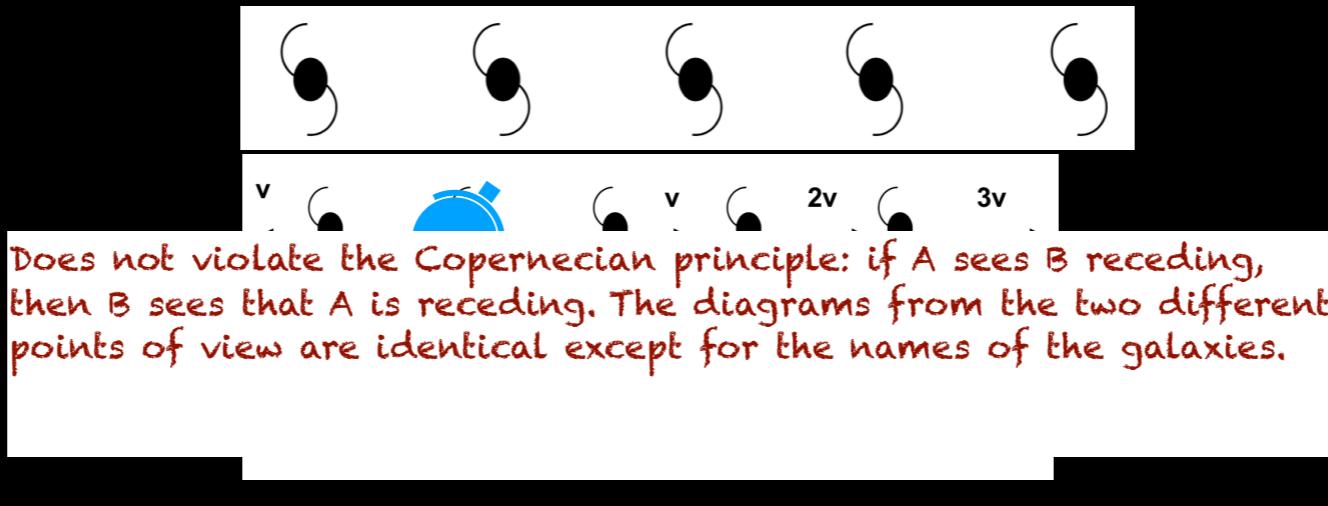
The universal expansion of the Universe

- If we are not in a special place in the Universe why is most galaxies moving away from us?

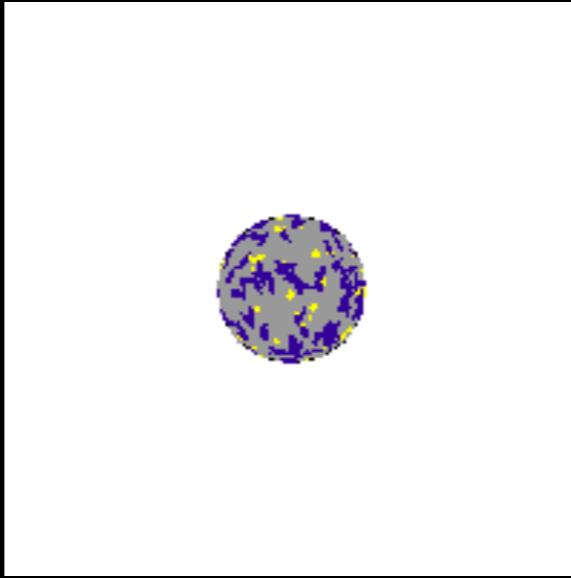


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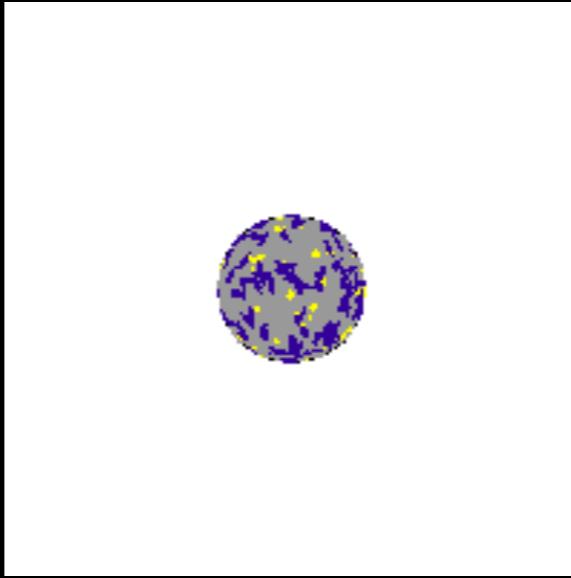
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The universal expansion of the Universe



The universal expansion of the Universe



The age of the Universe

$$t_{Age} = \frac{1}{H_o} = \frac{1}{75} s.Mpc/km$$

$$t_{Age} = \frac{1}{75} \times \left(\frac{10^6 \times 3 \times 10^{16}}{10^3} \right) = 4 \times 10^{17} s$$

$$t_{Age} = 4 \times 10^{17} \times \left(\frac{1}{365.25 \times 24 \times 60 \times 60} \right) yrs$$

$$t_{Age} = 1.267 \times 10^{10} yrs$$

$$t_{Age} \approx 13Gyrs$$

The Big Bang theory



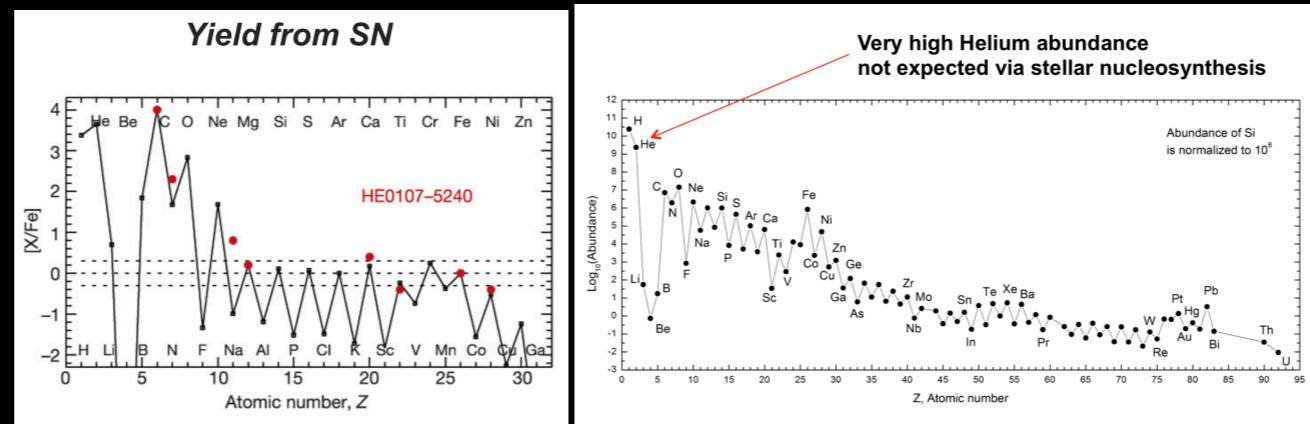
The Big Bang theory



The Big Bang theory

- ★ Developed by Alexander Friedmann and Willem de Sitter on Einstein's general relativity models
- ★ General relativity - cosmological constant provided the basis for expansion
- ★ Solved a few problems known then:
 - ★ Correctly predicts the abundances of light elements
 - ★ Explains the CMB as relic of the hot initial phase
 - ★ Naturally accounts for the expansion of the Universe
 - ★ Provides a framework to understand the formation of cosmic structure

The He problem



<http://adsabs.harvard.edu/abs/1967QJRAS...8..313T>

Early Universe was radiation dominated

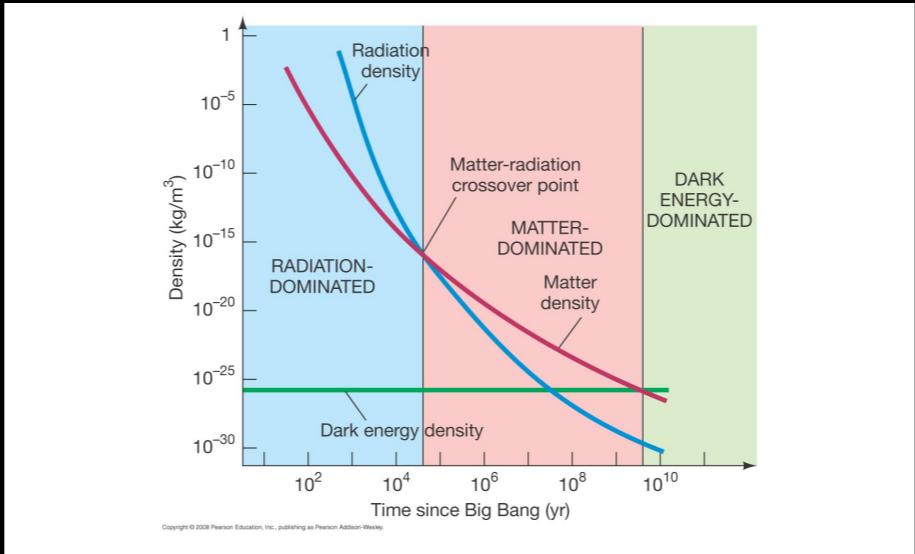
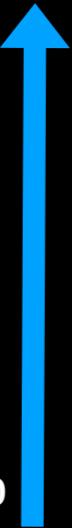


Figure Credit: Pearson Education Inc. Pearson Addison-Wesley

Looking back in time

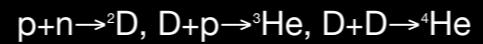
- Radiation-matter coupling (i.e., ionised to compton scattering)
- Nuclei split apart ($D=2\text{MeV}$, $\text{Fe}=7 \text{ MeV}$)
- Neutrons/protons —> Quarks ($n=939.6\text{MeV}$, $p=938.3\text{MeV}$)
- Quarks destroyed ($\sim\text{GeV}+$)
- Pure energy bath (matter being formed and annihilated - abundant energy)
- Singularity, creation event (Big Bang)

t=0



Solution to the He problem

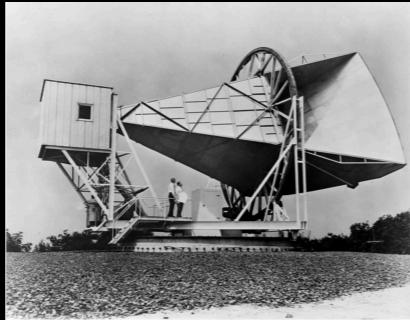
- The high density in the early Universe made it possible for Deuterium to find a partner to produce He



- From big bang cosmology 25% of the baryonic mass is He
- D abundance from QSO sight-lines is a measure of the baryon density of the universe —> 1H atom per 8m³

The Cosmic Microwave Background (CMB)

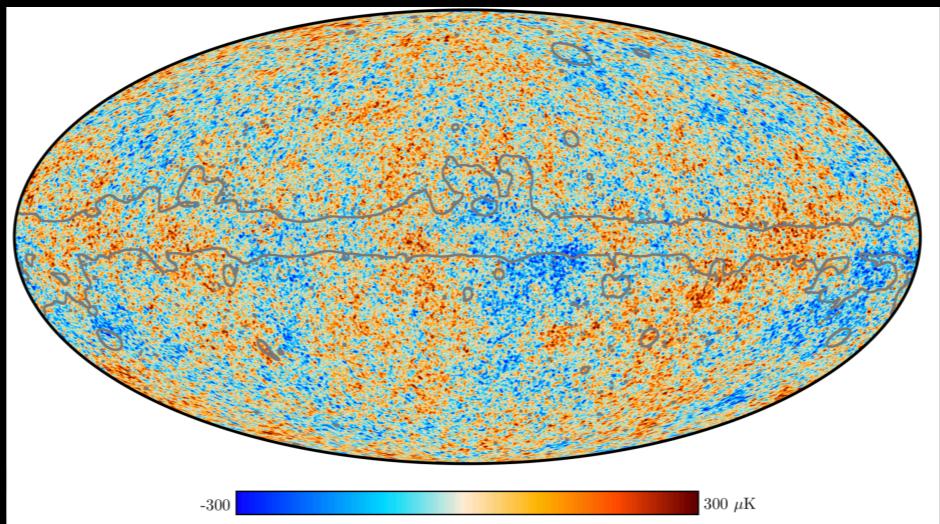
- Predicted by George Gamov, 1948: a perfect black body spectrum should exist with $T \approx 5K$



Penzias and Wilson: Nobel Prize 1978

Unlike the expansion the CMB was predicted before its discovery
Big Bang model adopted over Steady State following CMB
as the Universe expands it cools

All Sky CMB Map



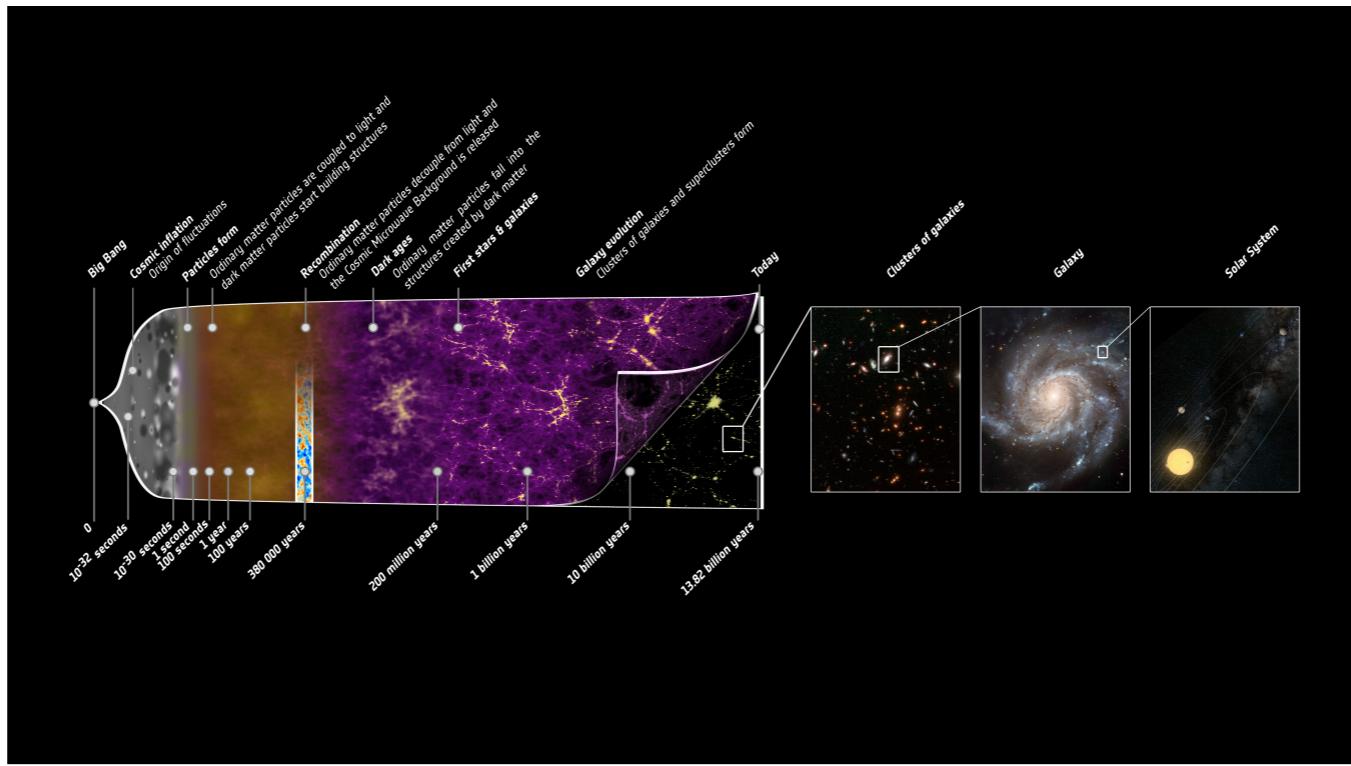
Problems with the Big Bang model

- Origin of the Universe
- The horizon problem
- The flatness problem
- Origin of the baryon asymmetry
- Monopole problem
- Origin of primordial density fluctuations
- Nature of dark matter
- Nature of dark energy

Horizon problem—> 1 degree isotropies expected, observed all sky with CMB

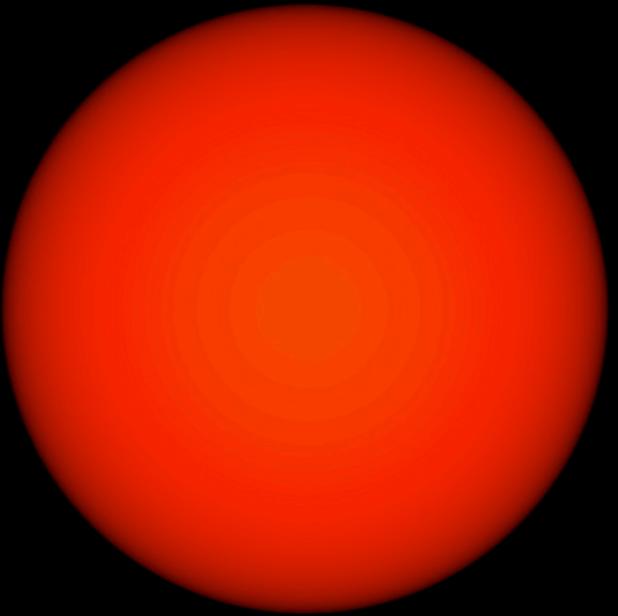
The early Universe according to the Big Bang theory

- Big Bang: singularity, energy appearing from nowhere
- Inflation: the rapid exponential expansion phase of the Universe
- Matter-antimatter annihilation: symmetry broken, high photon-to-baryon ratio
- The quark soup: All possible particles co-exist bubbling in and out of existence.
- Baryogenesis: neutrons and protons made
- Nucleosynthesis: plasma of charged nuclei (75%H, 25%He) + electrons
- Recombination: Neutral atoms, matter and radiation decouple, the surface of last scattering
- Re-ionisation and Galaxy formation



The first stars

- Recombination: Misleading term meaning the combining of electrons + protons to form neutral hydrogen ($z=1100$, $t= 378,000$ yr)
- The first stars are expected to form around dark matter filaments
- Almost no metals existed: so these stars are metal free and very hot!
- Short life time and quick supernovae explosions resulting in the enrichment of metals in the Universe.

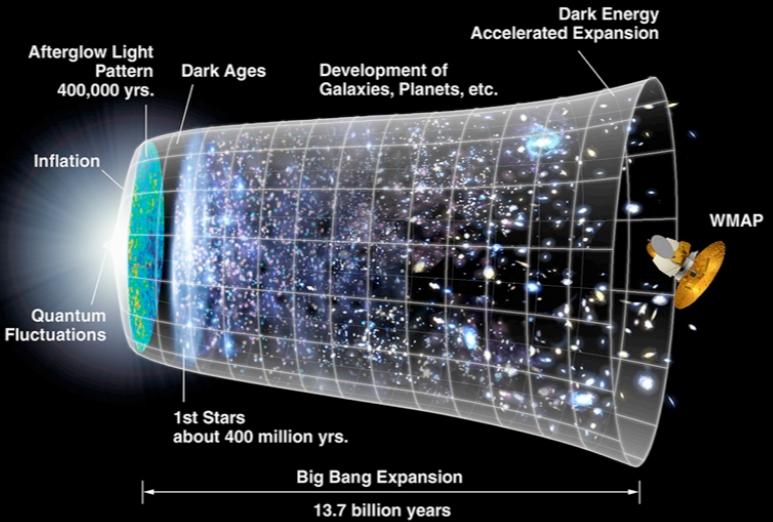


Matthew Bate  UNIVERSITY OF EXETER

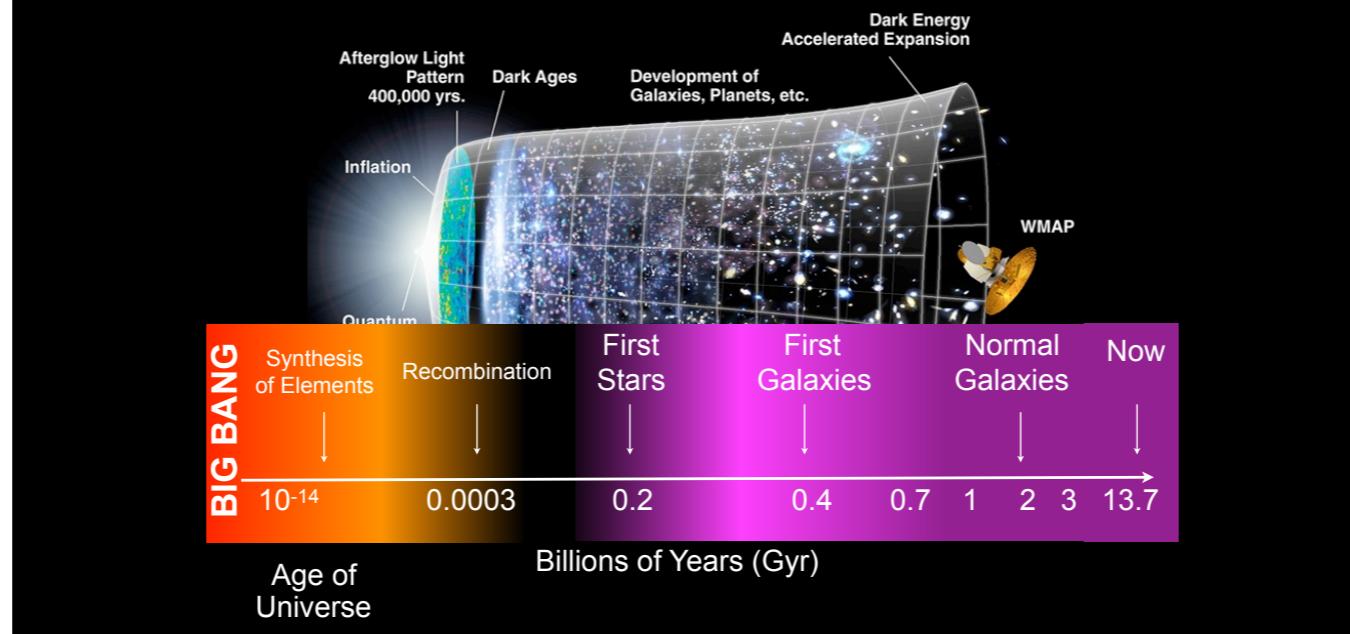


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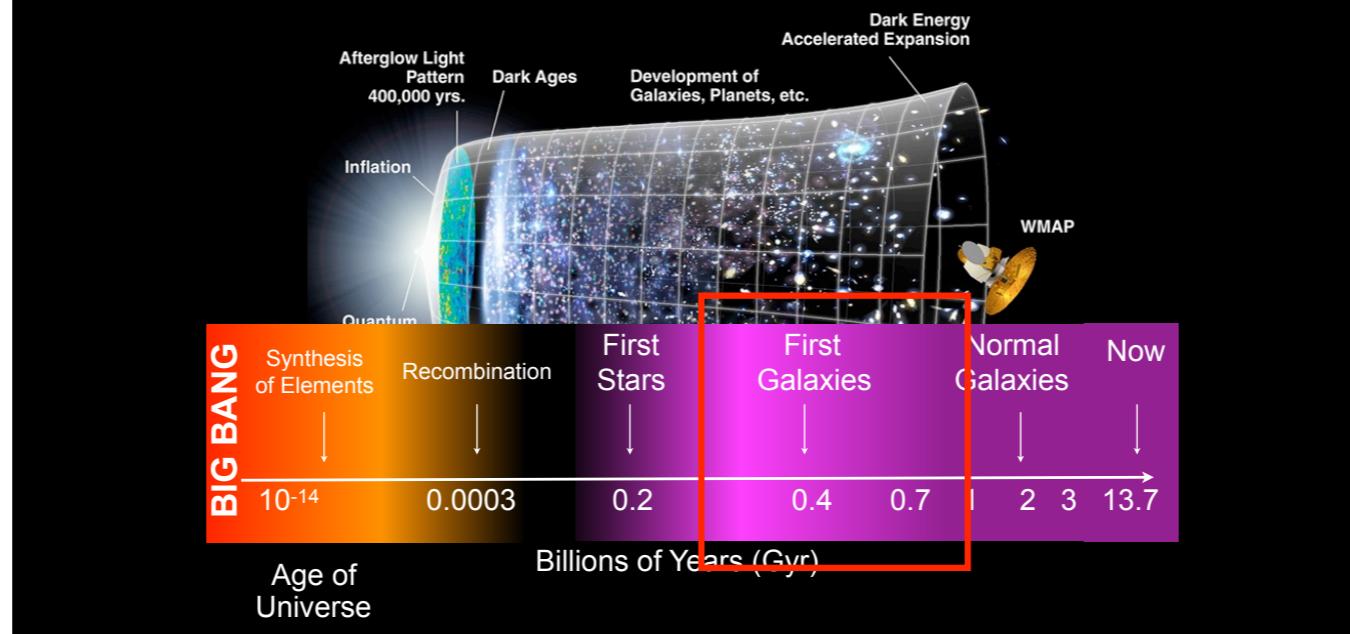
Where Do The Earliest Galaxies Fit into the Timeline of the Universe?



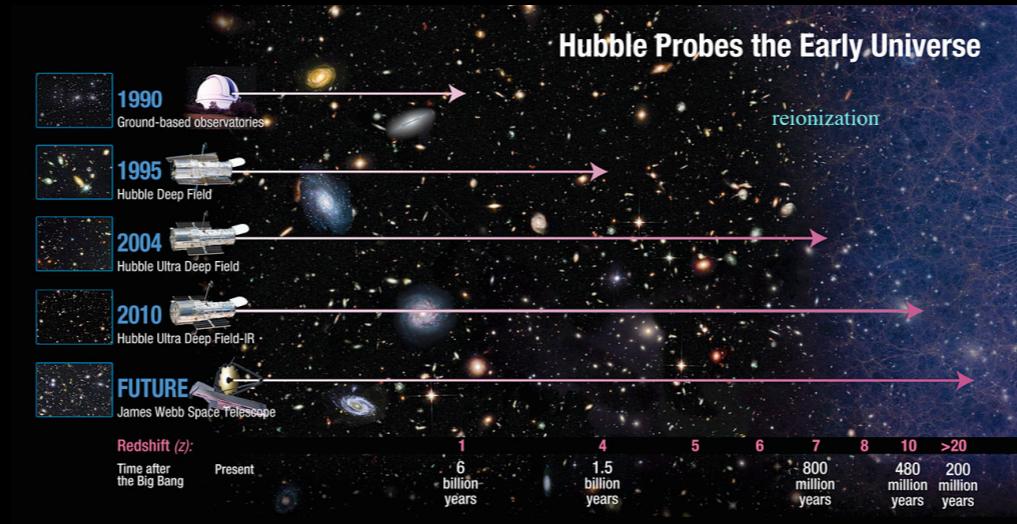
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Hubble is now observing galaxies
97% of the way back to the Big Bang,
during the first 500 million years (redshift $z > 9.5$)



Read TITLE

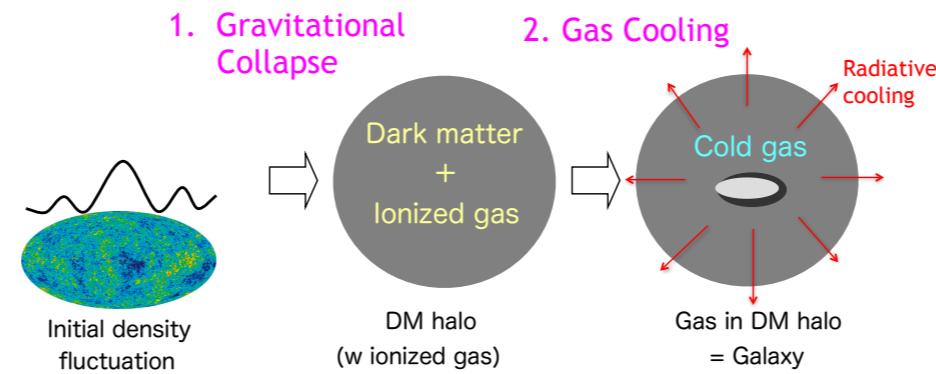
into the epoch of reionization

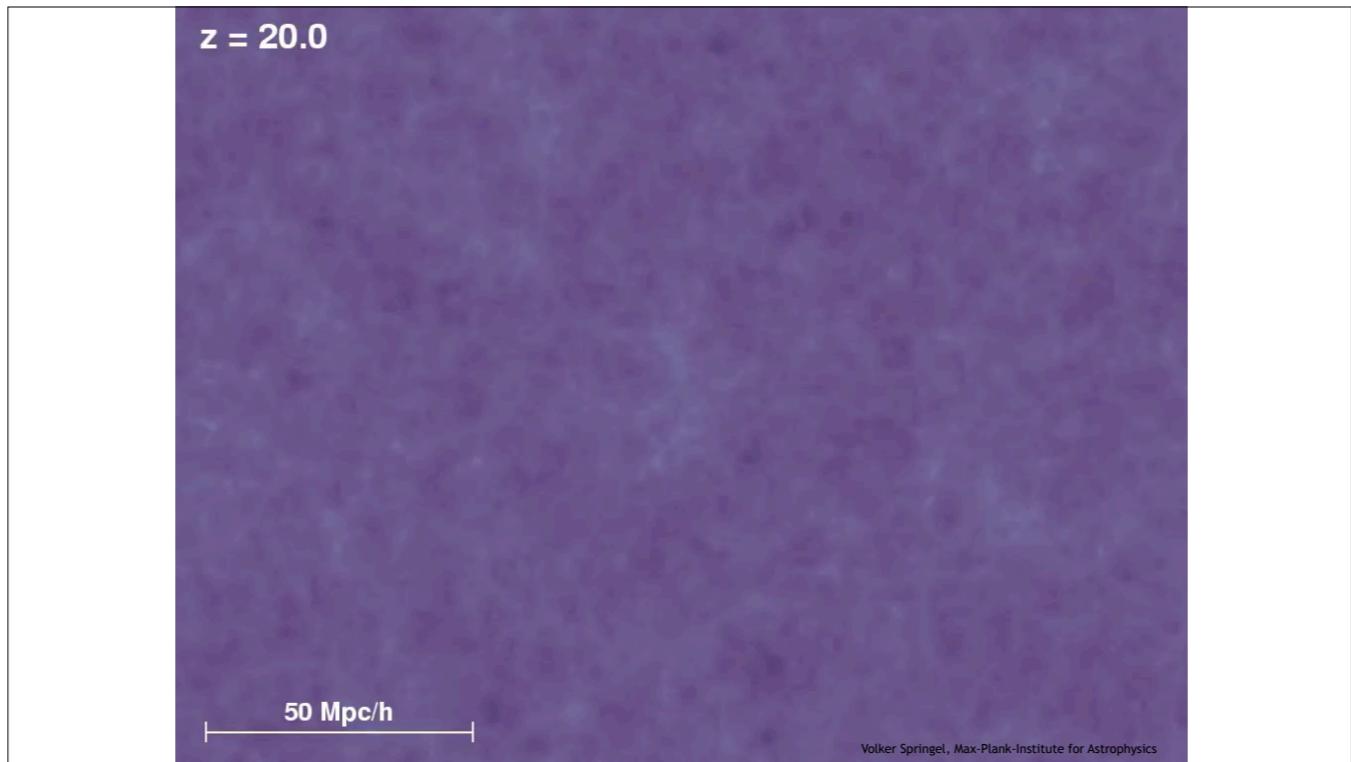
Much of this progress is due to the Hubble Deep Field initiatives over the years, pushing to higher and higher redshifts.

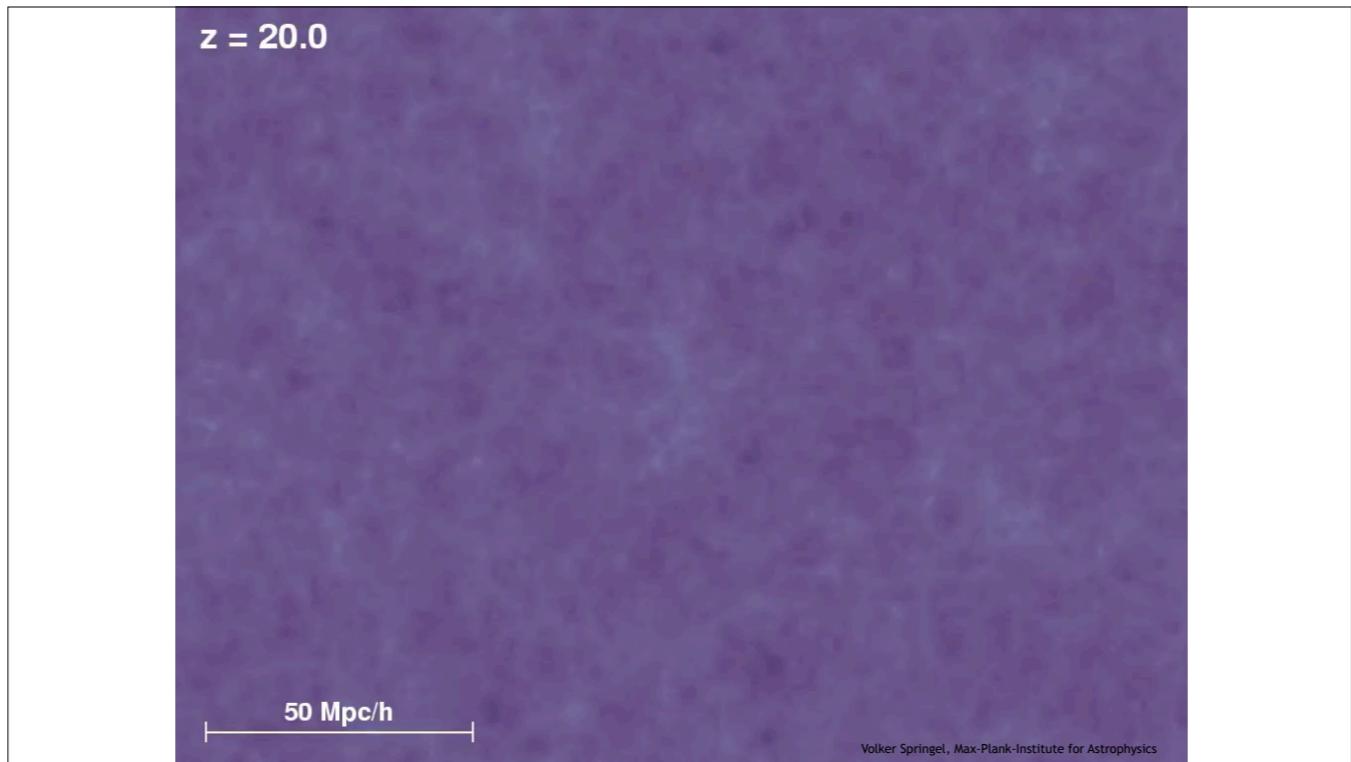
Pauze

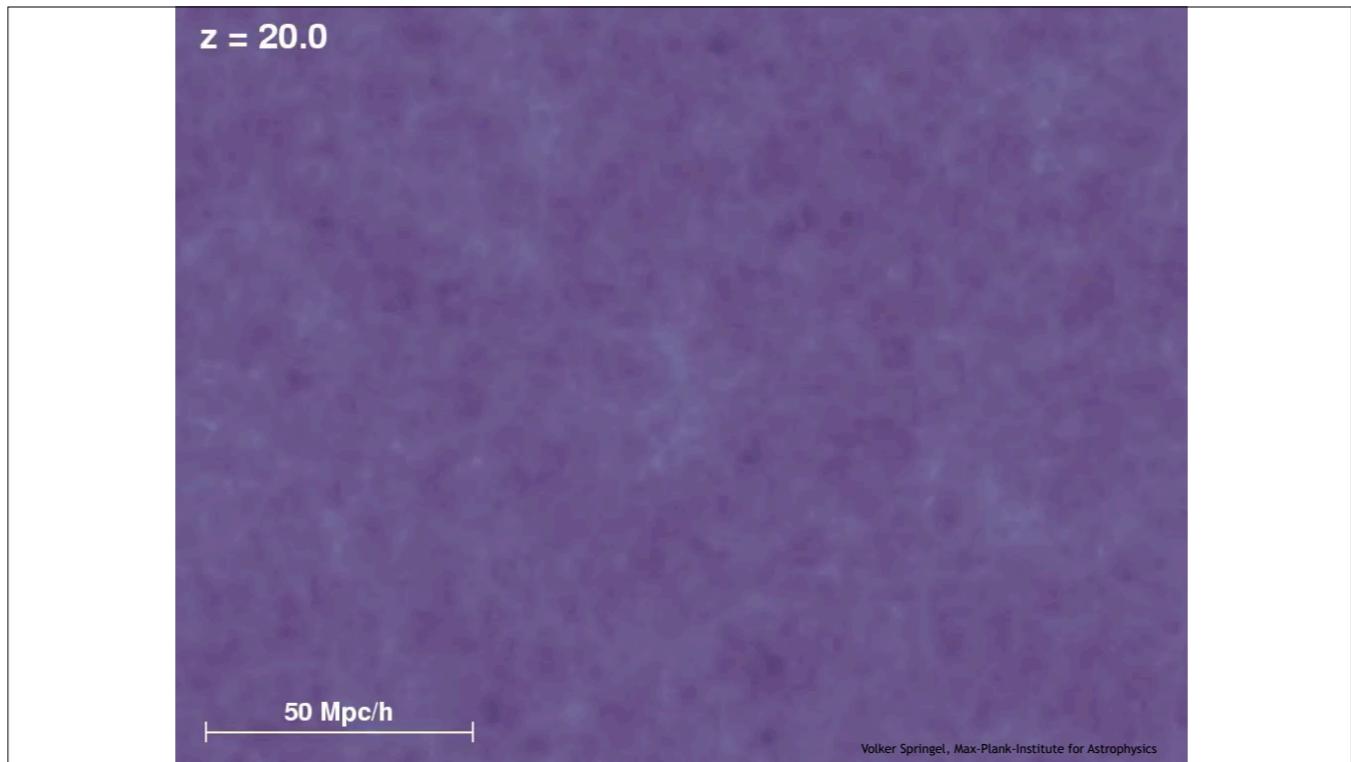
**Now lets take a small detour to
get an overview of the basic
picture of galaxy formation**

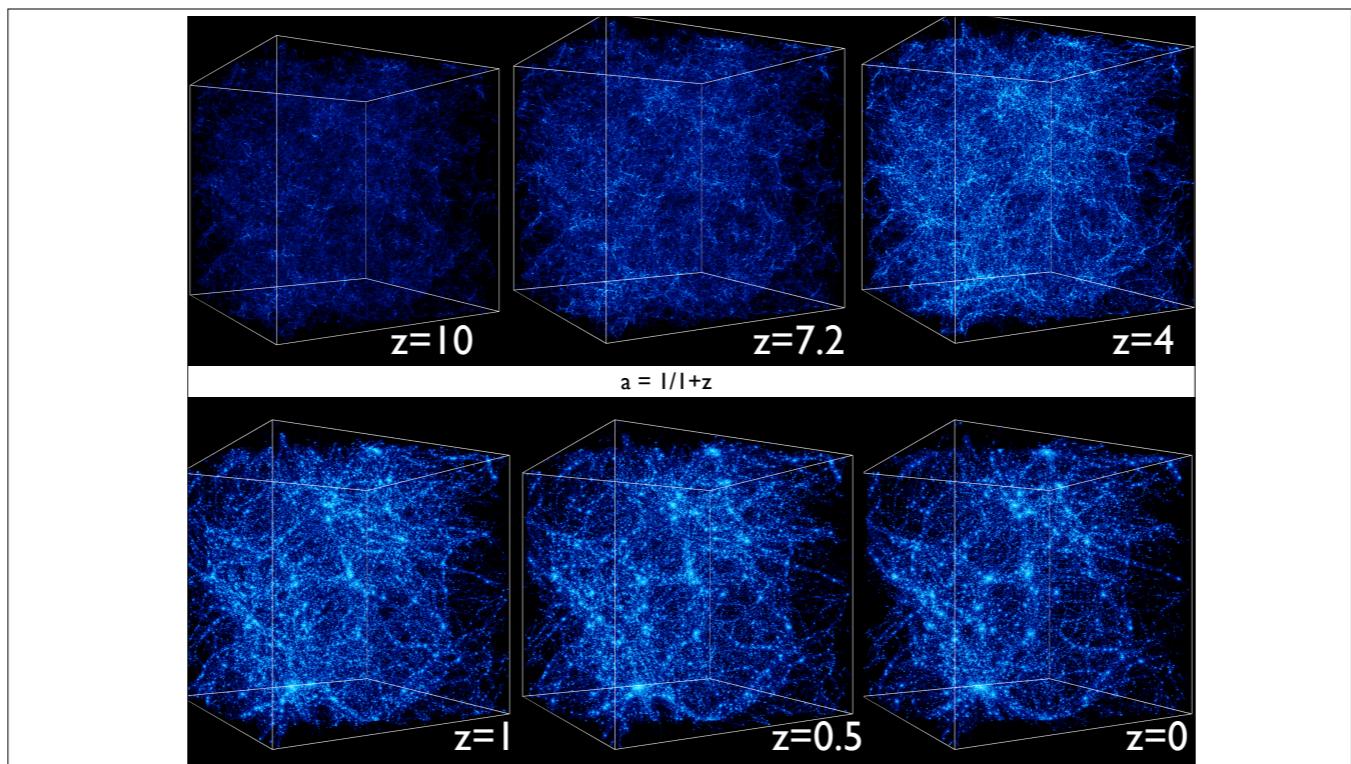
Basic Picture of Galaxy Formation

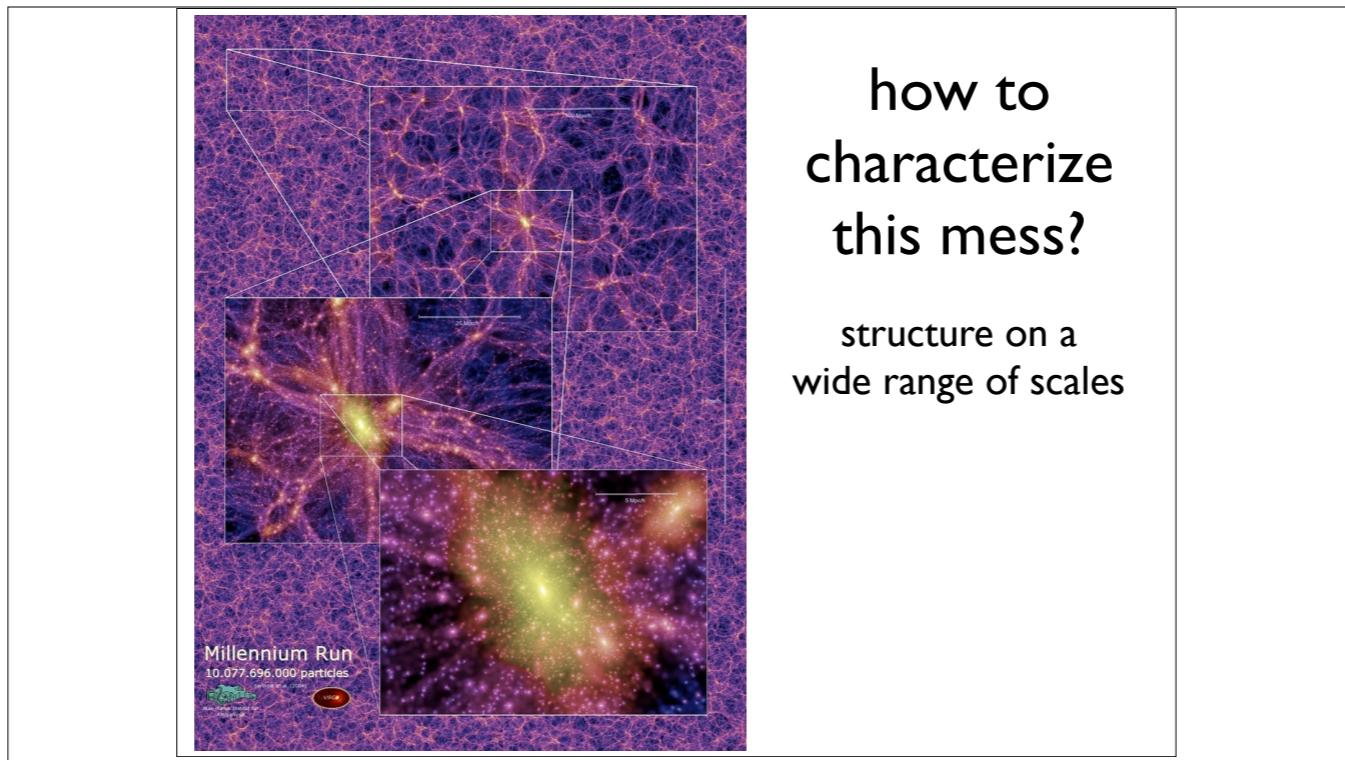












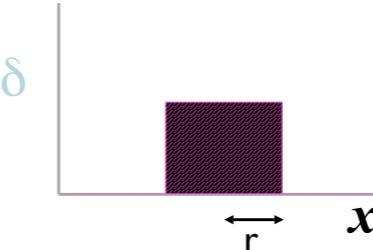
can we understand the
collapsed objects (halo
formation) analytically?

The ‘tophat model’ (spherical collapse)

- consider a uniform, spherical perturbation

$$\delta_i = \rho(t_i)/\rho_b(t_i) - 1$$

$$M = \rho_b(4\pi r_i^3/3)(1 + \delta_i)$$



equation of motion for the perturbation
(same as for a closed universe)

$$\ddot{r} = -\frac{GM}{r^2}$$

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integrating

$$\frac{1}{2}\dot{r}^2 - \frac{GM}{r} = E = \text{constant}$$

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at turnaround,

$$E = -\frac{GM}{r_{\max}}$$

the perturbation will be in
virial equilibrium when

$$2K_{vir} + W_{vir} = 0$$

$$E = K_{vir} + W_{vir} = -W_{vir}/2 \approx \frac{GM}{2r_{vir}} = -\frac{GM}{r_{\max}}$$

which implies

$$r_{vir} = r_{\max}/2 \quad \text{ie, 8 times denser than at turnaround}$$

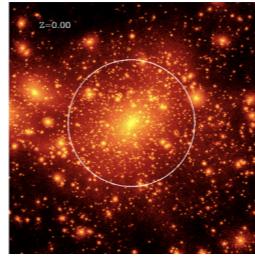
for EdS, solving this
equation gives the density
at turnaround as

$$\frac{\rho_{\max}}{\bar{\rho}} \approx 5.5$$

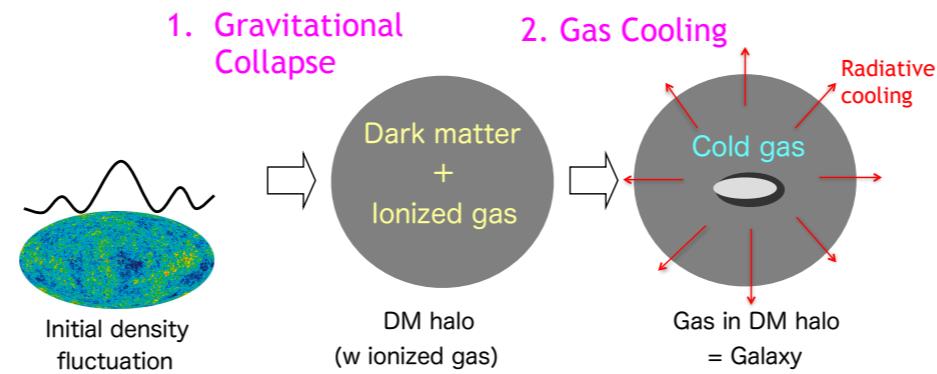
sadly, halos don't
look like this:



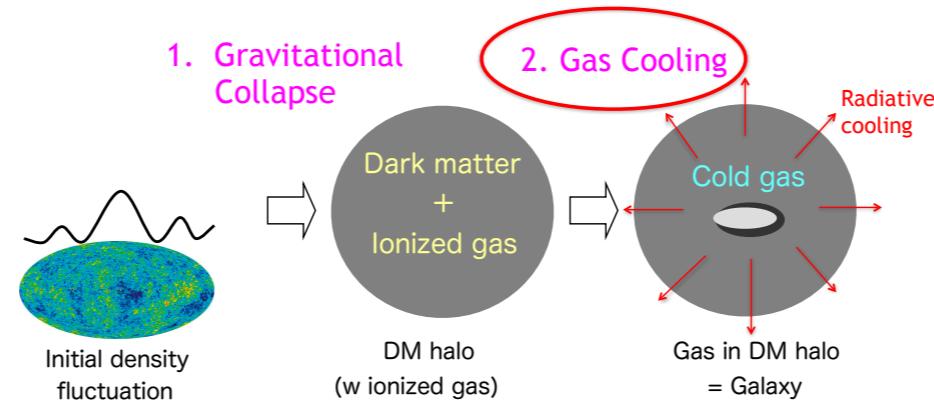
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Basic Picture of Galaxy Formation



Basic Picture of Galaxy Formation



SECOND STEP: Gas cooling

The cooling rate can be expressed as

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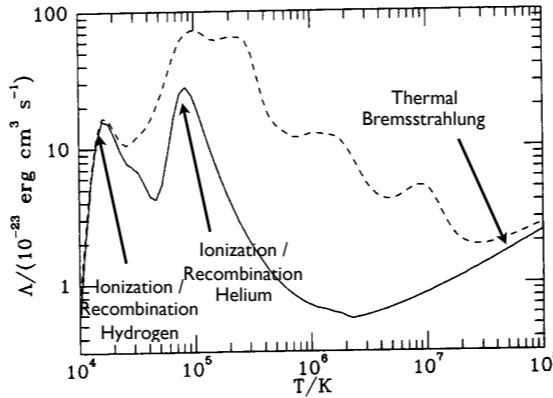


Figure 24.19 The cooling function $\Lambda(T)$. The solid line corresponds to a gas mixture of 90% hydrogen and 10% helium, by number. The dashed line is for solar abundances. (Figure from Binney and Tremaine, *Galactic Dynamics*, Princeton University Press, Princeton, NJ, 1987.)

SECOND STEP: Gas cooling

There are two time scales of interest in thinking about galaxy formation:

- (1) dynamical time scale t_{dyn} ($\propto n^{-1/2}$)
- (2) cooling time scale t_{cool} ($\propto n^{-2} \Lambda^{-1}(T)$)

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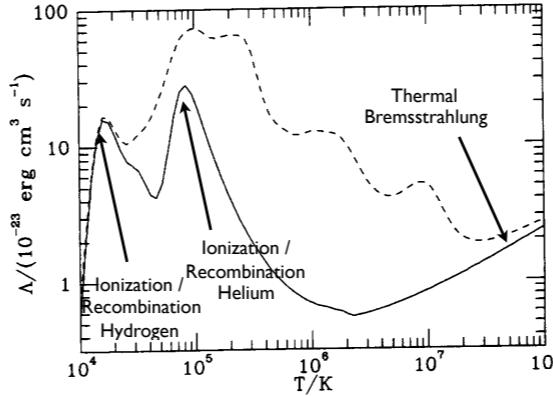


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Can write the equivalent
 $n^{-3/2} < \Lambda(T)$
on this axis

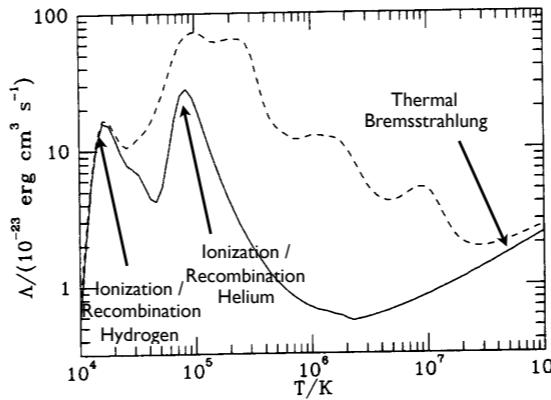


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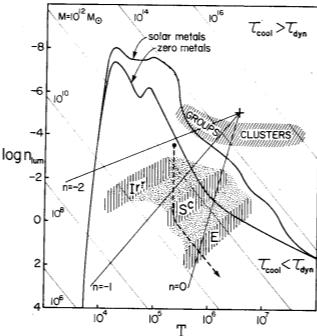


FIG. 1. Ostriker-Rees cooling diagram showing the actual locations of present-day galaxies and clusters. Data on galaxies came from the following sources - E's: σ 's from Terlevich et al. (1981), M_{num}/L from Faber and Gallagher (1979); Sc's: v_{rot} 's and radii from Burstein et al. (1981), M_{num}/L_B assumed to be 1.6; Irr's: Thuan and Seitzer (1979). Data on groups and clusters from Rood and Dicke (1978). Cross is mean mass turning around today (White and Rees 1978). Heavy straight lines are clustering loci for various values of n . Light lines are the mass of a self-gravitating body composed purely of ordinary matter. Dashed line is a sample track for rapid dissipation within a heavy halo (see Figure 2).

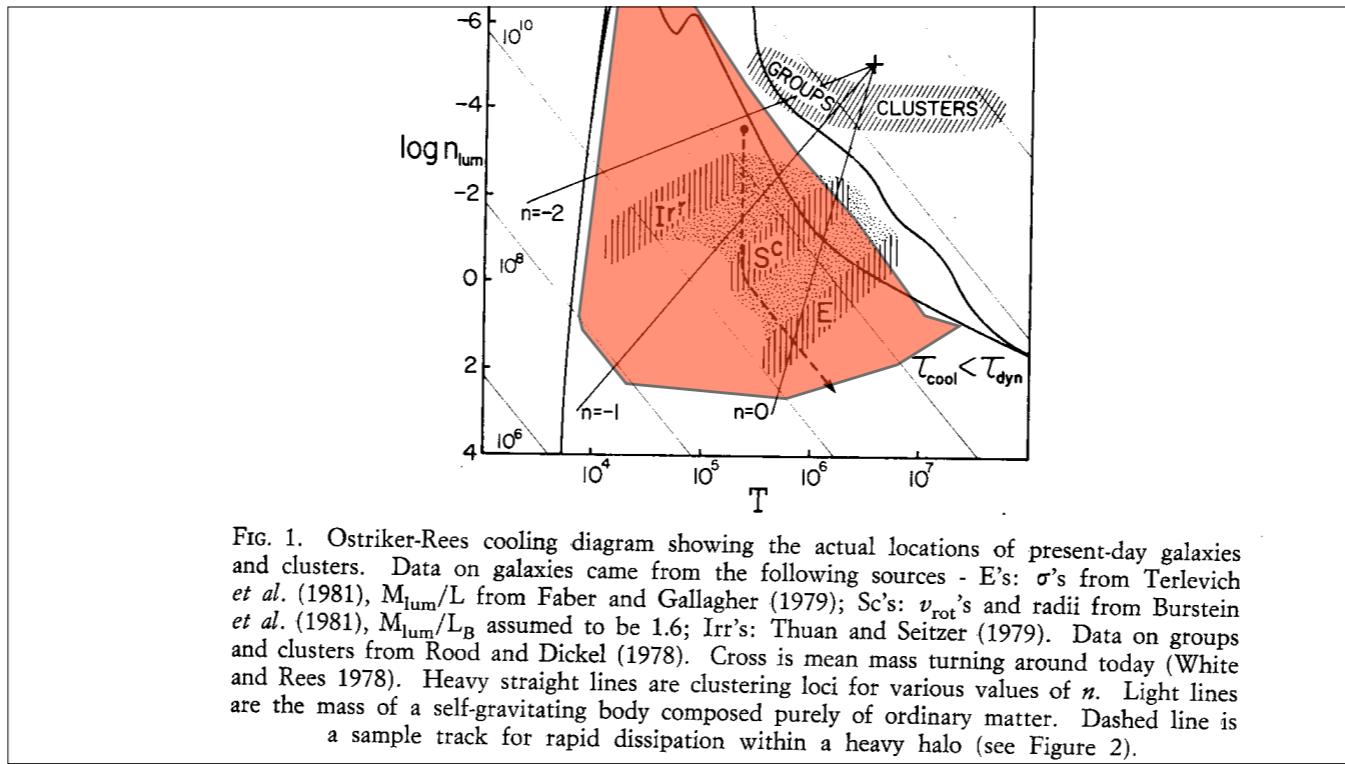


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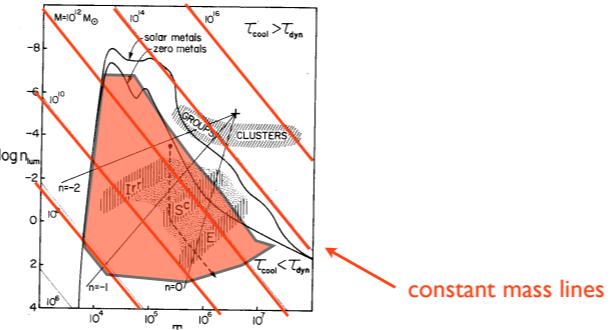


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constant mass lines

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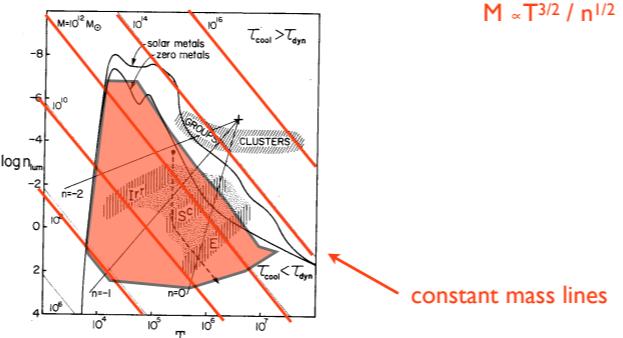


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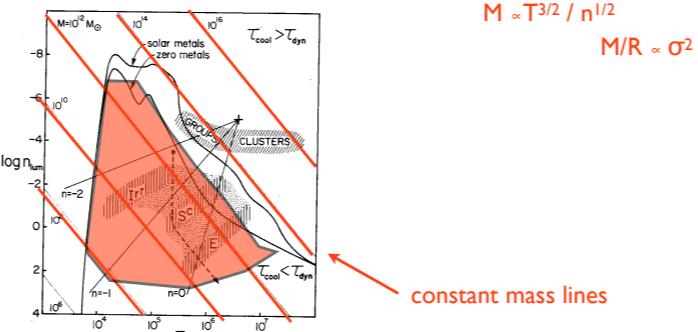


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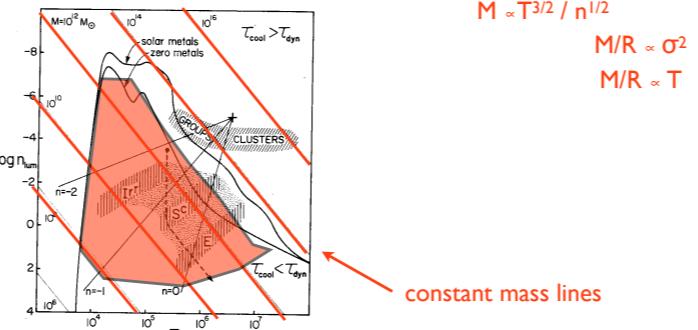


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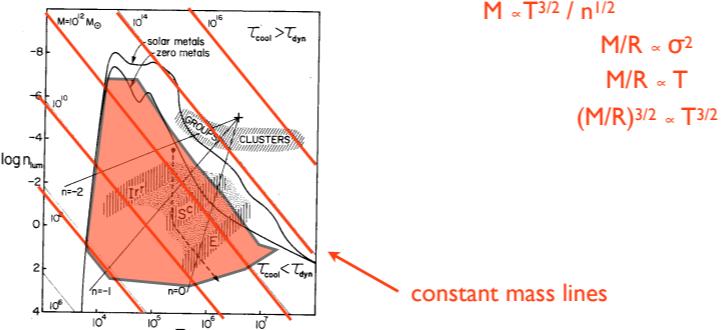


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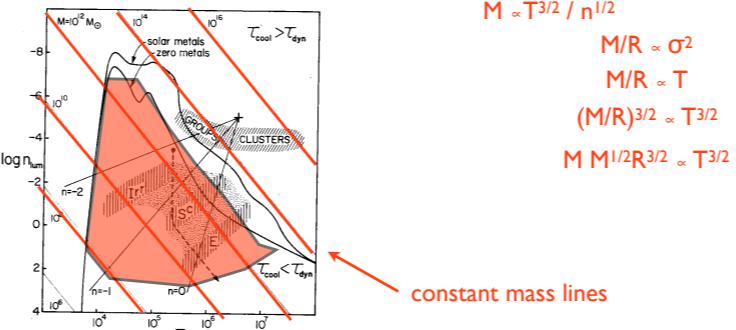


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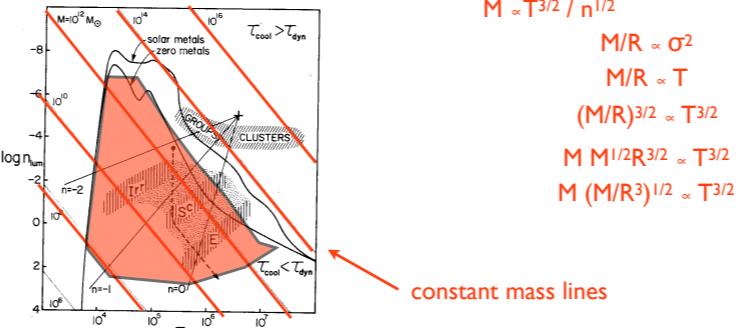


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$$\begin{aligned} M &\propto T^{3/2} / n^{1/2} \\ M/R &\propto \sigma^2 \\ M/R &\propto T \\ (M/R)^{3/2} &\propto T^{3/2} \\ M M^{1/2} R^{3/2} &\propto T^{3/2} \\ M (M/R^3)^{1/2} &\propto T^{3/2} \end{aligned}$$

constant mass lines

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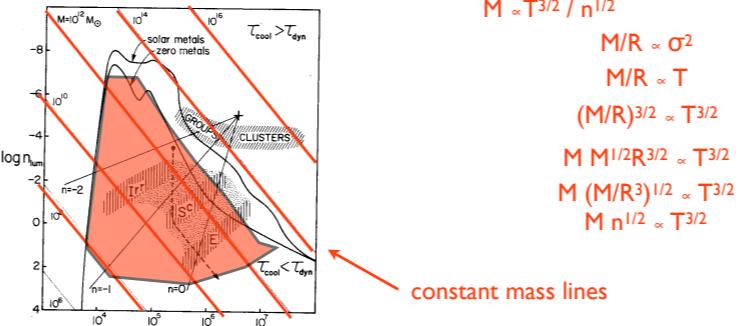


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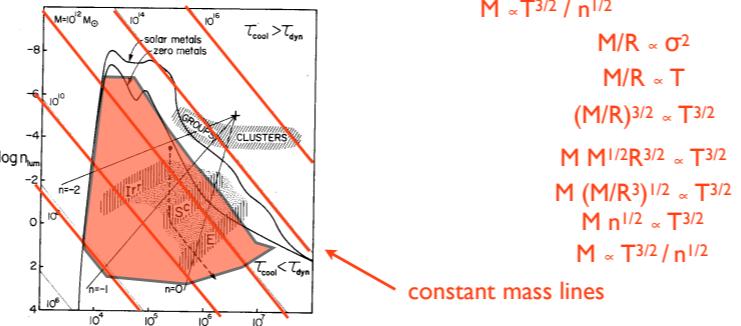


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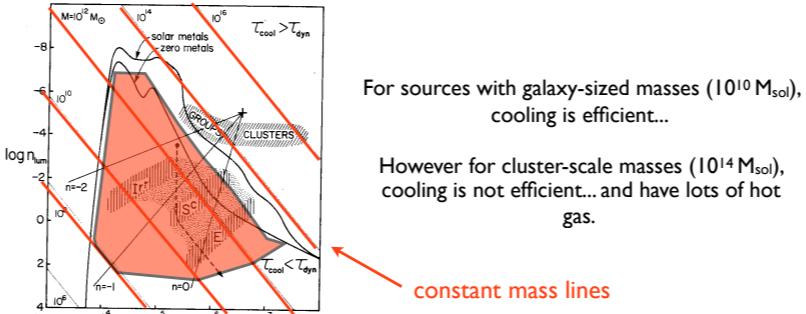


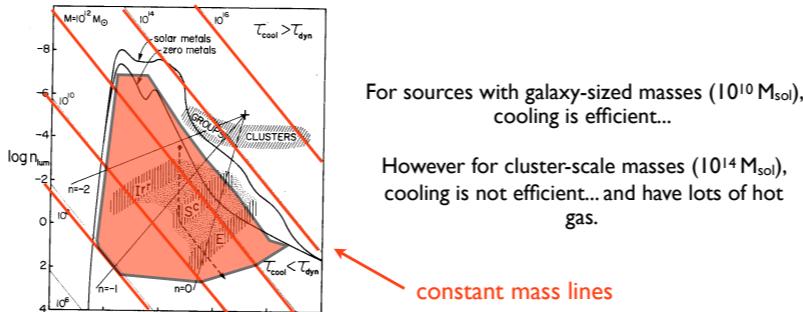
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There are two time scales of interest in thinking about galaxy formation:

- (1) dynamical time scale t_{dyn} ($\propto n^{-1/2}$)
- (2) cooling time scale t_{cool} ($\propto n^{-2} \Lambda^{-1}(T)$)

It is likely a function of the mass of gas that cools inside the collapsed halo.



For sources with galaxy-sized masses ($10^{10} M_{\odot}$), cooling is efficient...

However for cluster-scale masses ($10^{14} M_{\odot}$), cooling is not efficient... and have lots of hot gas.

constant mass lines

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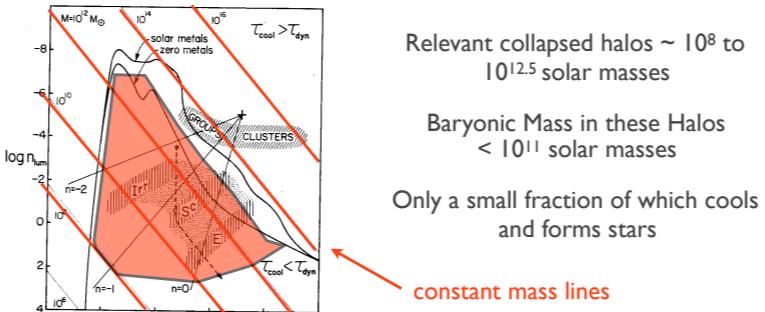


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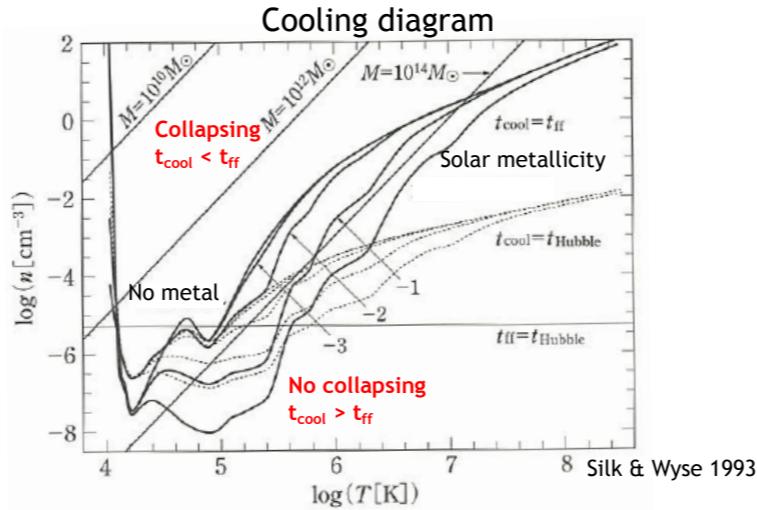
Relevant collapsed halos $\sim 10^8$ to $10^{12.5}$ solar masses

Baryonic Mass in these Halos
 $< 10^{11}$ solar masses

Only a small fraction of which cools
and forms stars

constant mass lines

Conditions for Gas Collapse



- $t_{\text{cool}} < t_{\text{ff}}$: Gas collapse \rightarrow dense gas/star-formation ($10^{12} M_{\odot}$)
- $t_{\text{cool}} > t_{\text{ff}}$: No gas collapse (quasi-static contraction)

Virial temperature as a function of mass and radius: $T = GM\mu m/5kR$ and $M = 3/4\pi R^3 \rho$

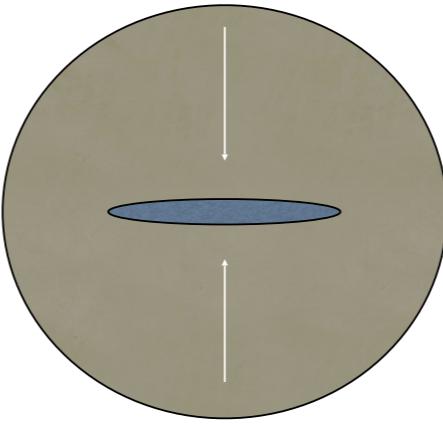
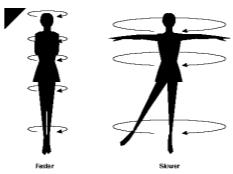
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Disk Formation

gas collapses to form a disk



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While radiative processes can remove energy from the gas, these processes preserve its angular momentum.

This results in the formation of a gas disk (for a disk galaxy), since a disk is the minimum energy configuration that still conserves angular momentum.

What determines the Size of Disk Galaxies?

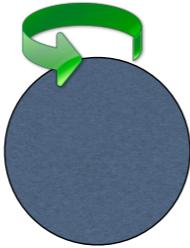
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Likely the angular momentum of the halo

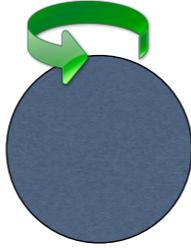
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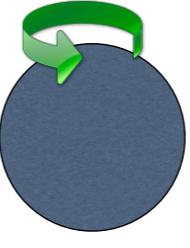
spinning slow



spinning moderate speed

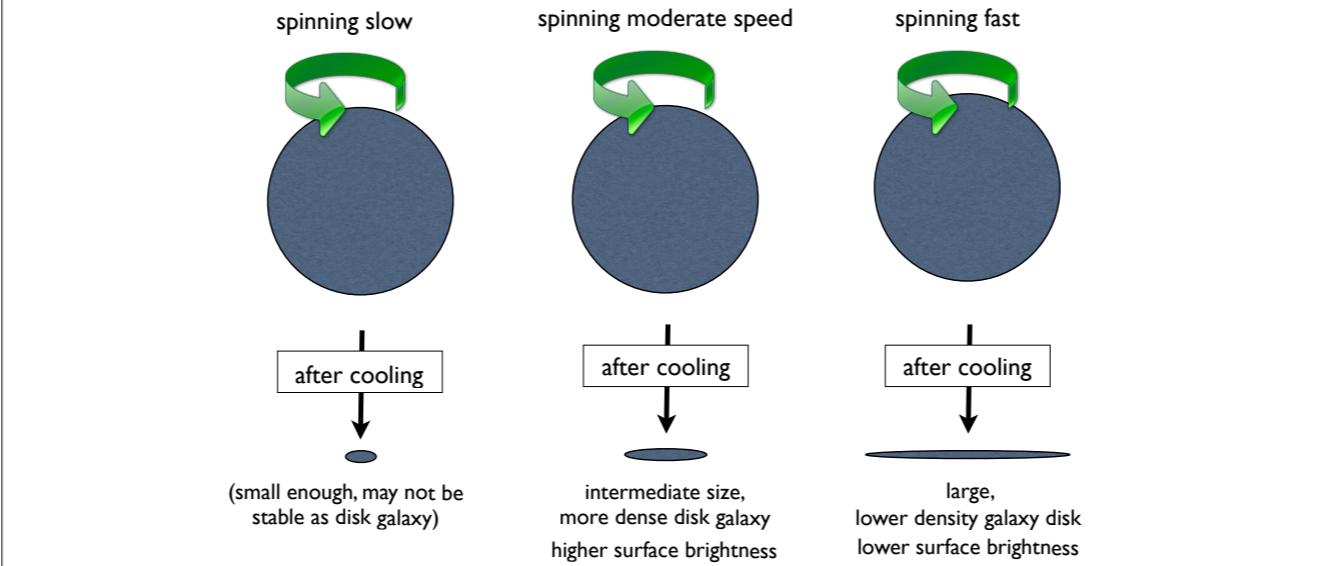


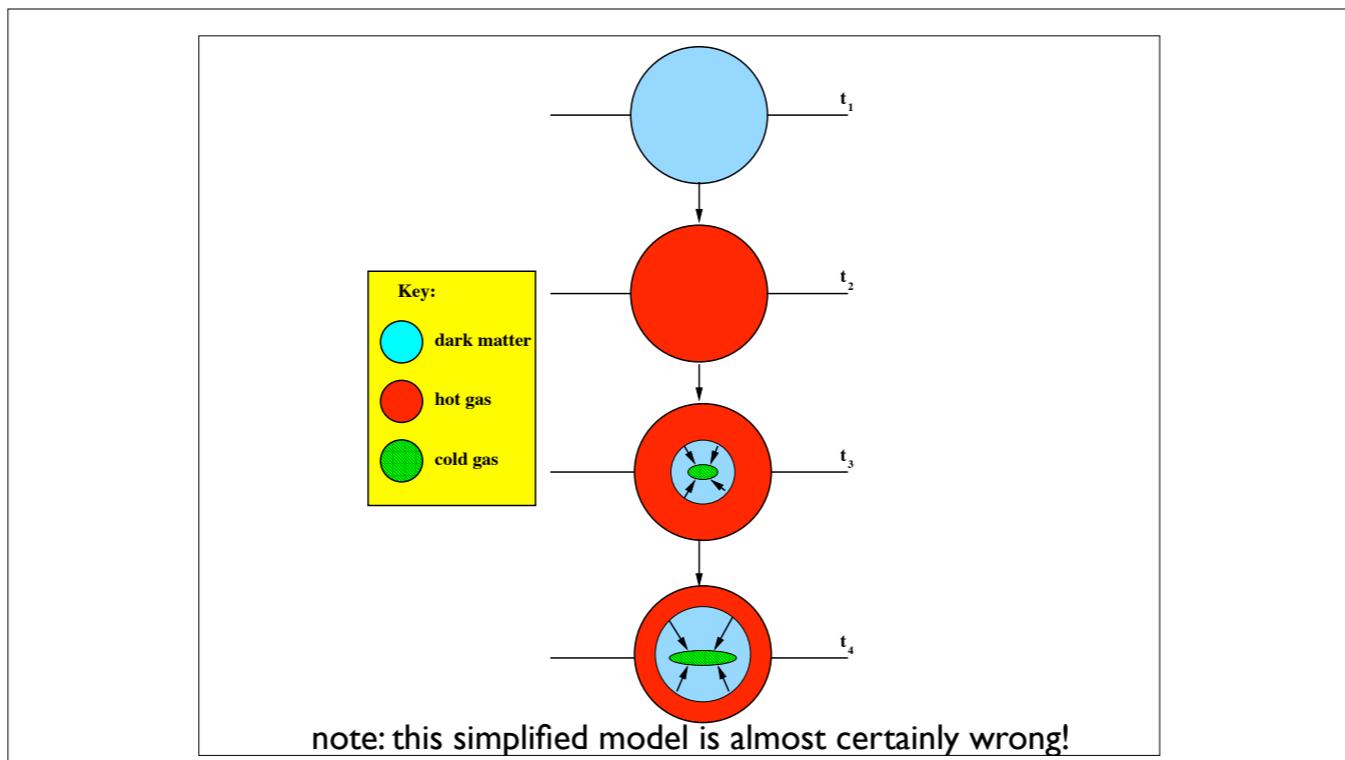
spinning fast



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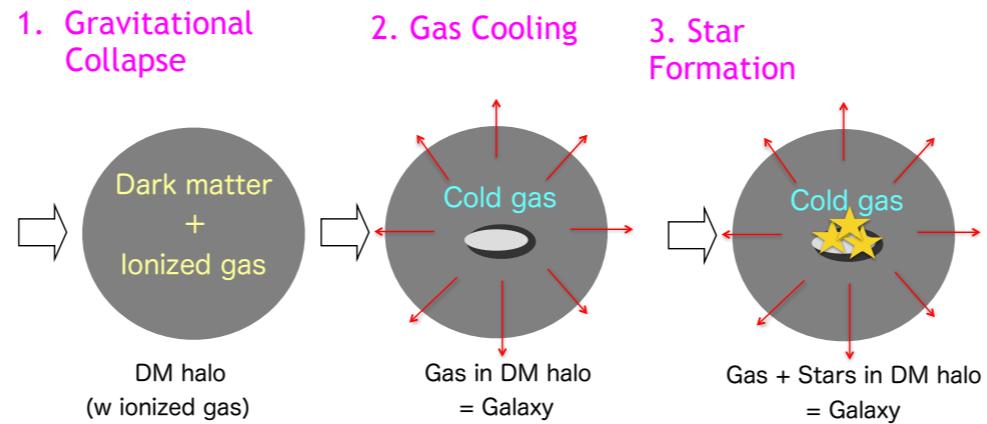
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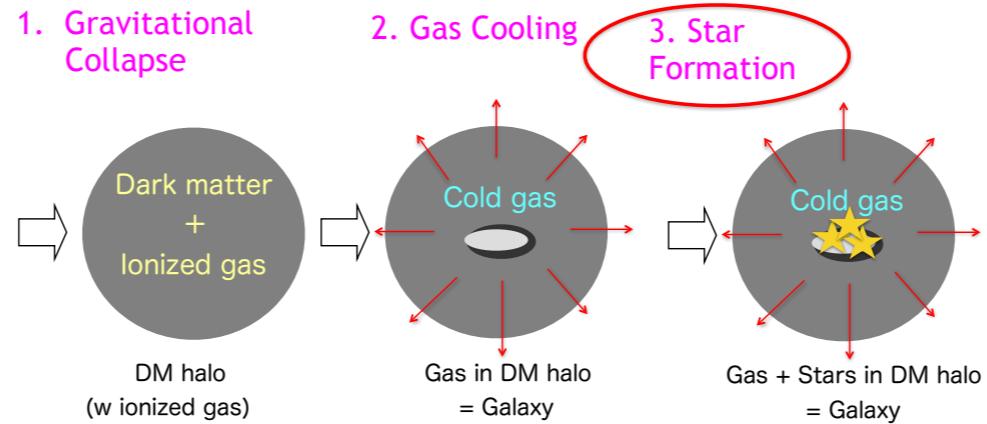
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Basic Picture of Galaxy Formation



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Star-Formation in a Gas Cloud

Star Formation Rate \propto Cool Gas / (time scales_F)

Kennicutt 1998

Below 10⁴ K: Need H₂/metal cooling, to reach a few 10 K
Enough gas density → Star formation: It is not well understood...

Gas contraction by Jeans instability... What is the mass distribution of newborn stars? (e.g. IMF)

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Kennicutt-Schmidt Law

Kennicutt 1998

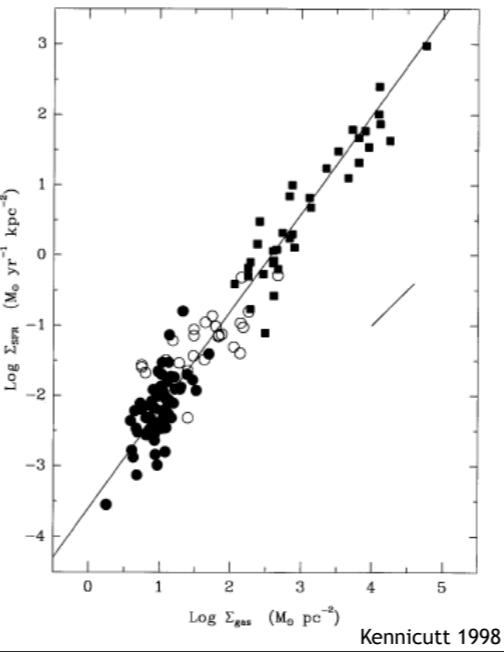
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Star-Formation in a Gas Cloud

- For modeling, one can use an empirical relation (obs. results) e.g.
Kennicutt-Schmidt law
(Kennicutt98)
to reduce the model parameters

$$\Sigma_{\text{SFR}} = (2.5 \pm 0.7) \times 10^{-4} \left(\frac{\Sigma_{\text{gas}}}{1 M_{\odot} \text{ pc}^{-2}} \right)^{1.4 \pm 0.15} M_{\odot} \text{ yr}^{-1} \text{ kpc}^{-2}.$$



Below 10^4 K: Need H₂/metal cooling, to reach a few 10 K
Enough gas density → Star formation: It is not well understood...

Gas contraction by Jeans instability... What is the mass distribution of newborn stars? (e.g. IMF)

As the cool gas forms stars,
there will be SNe explosions...

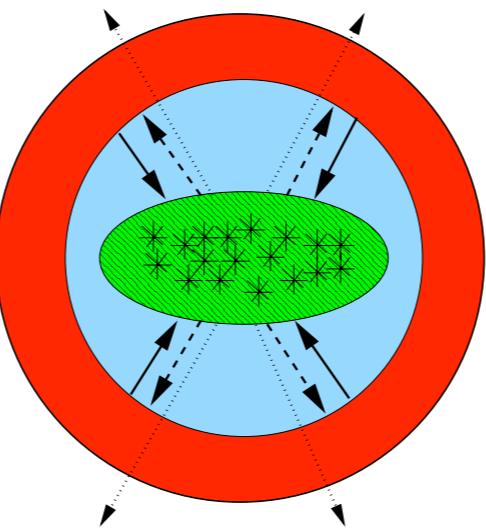
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Feedback from Supernova Explosions



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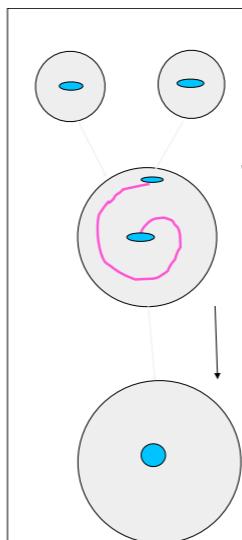
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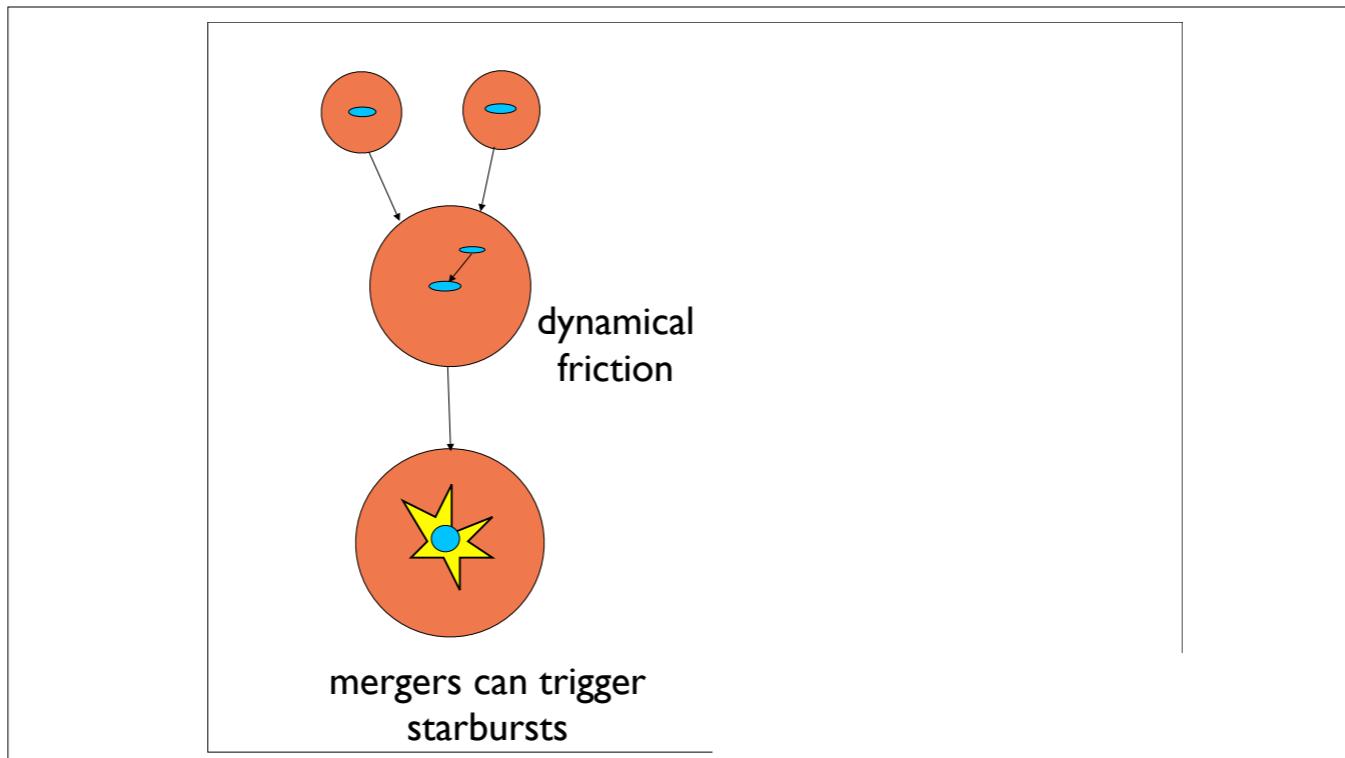


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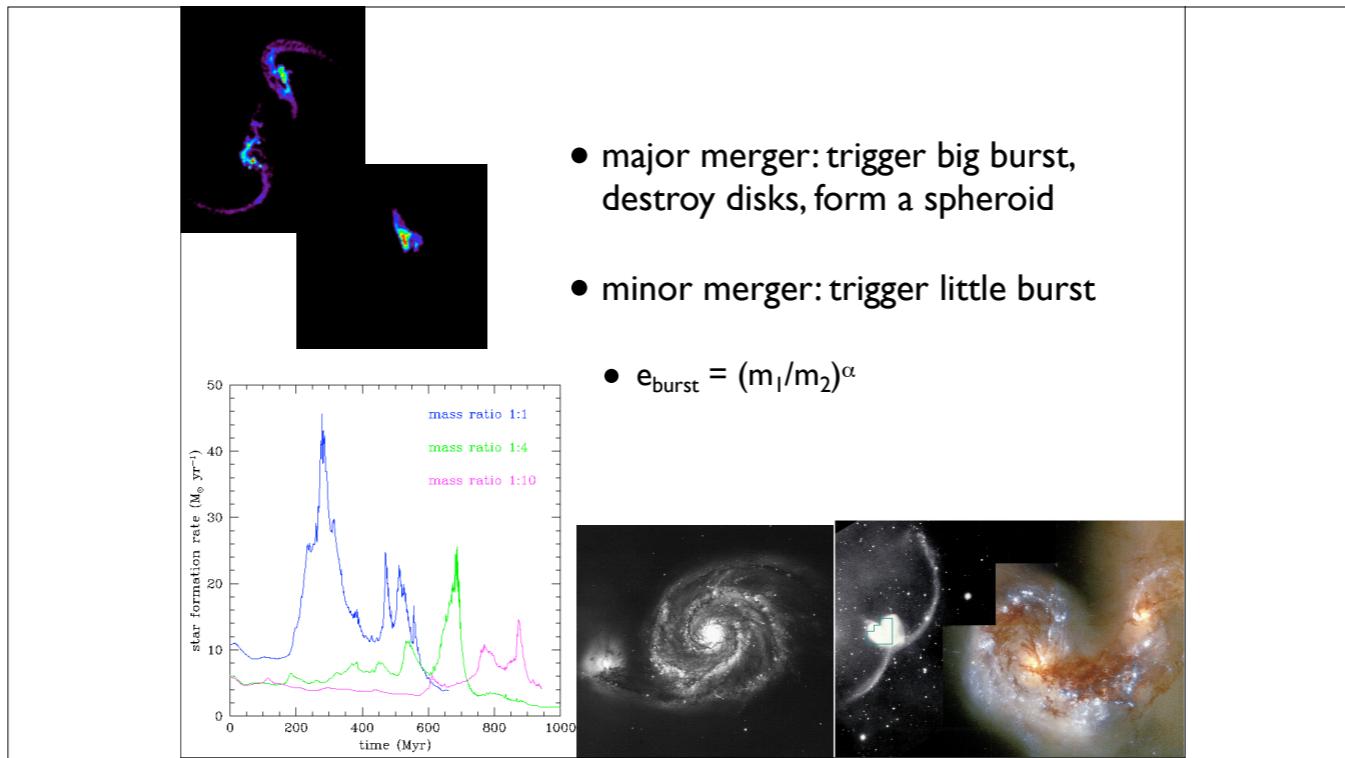


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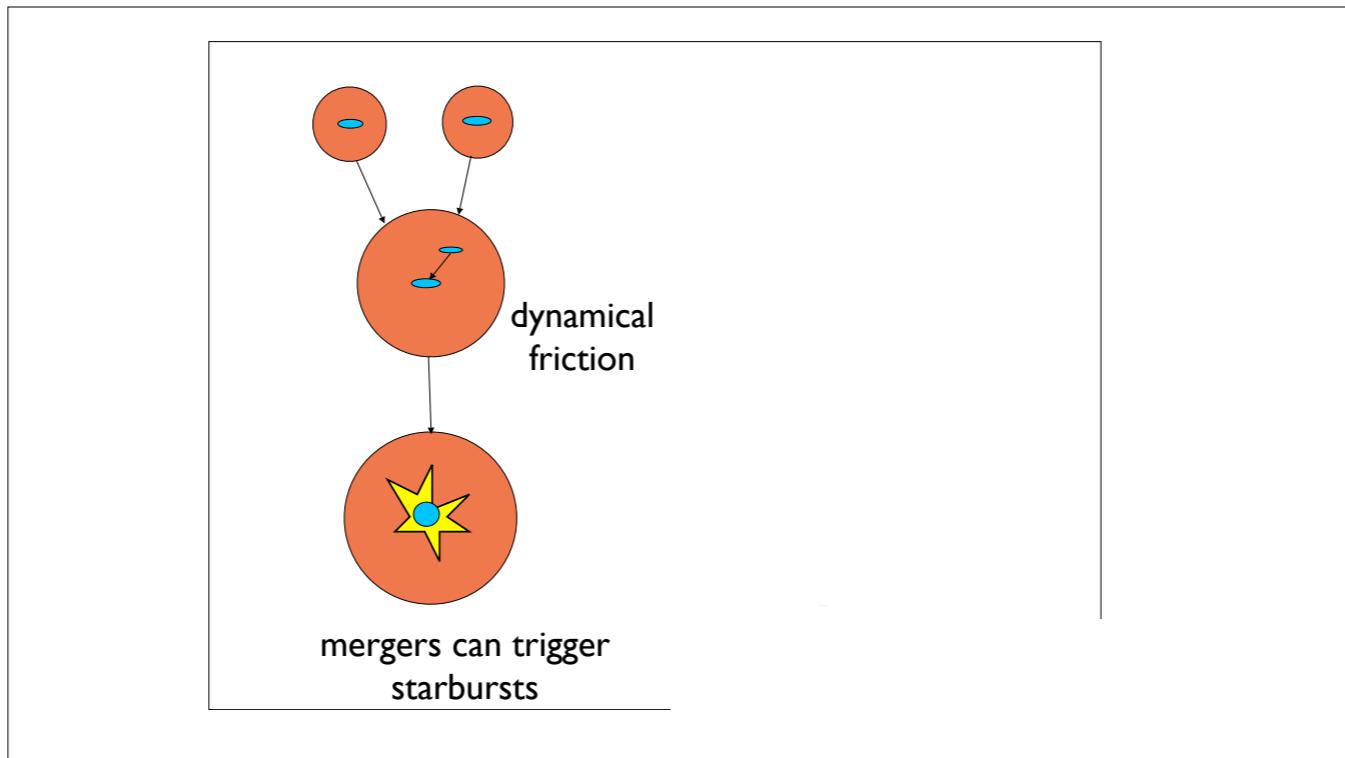


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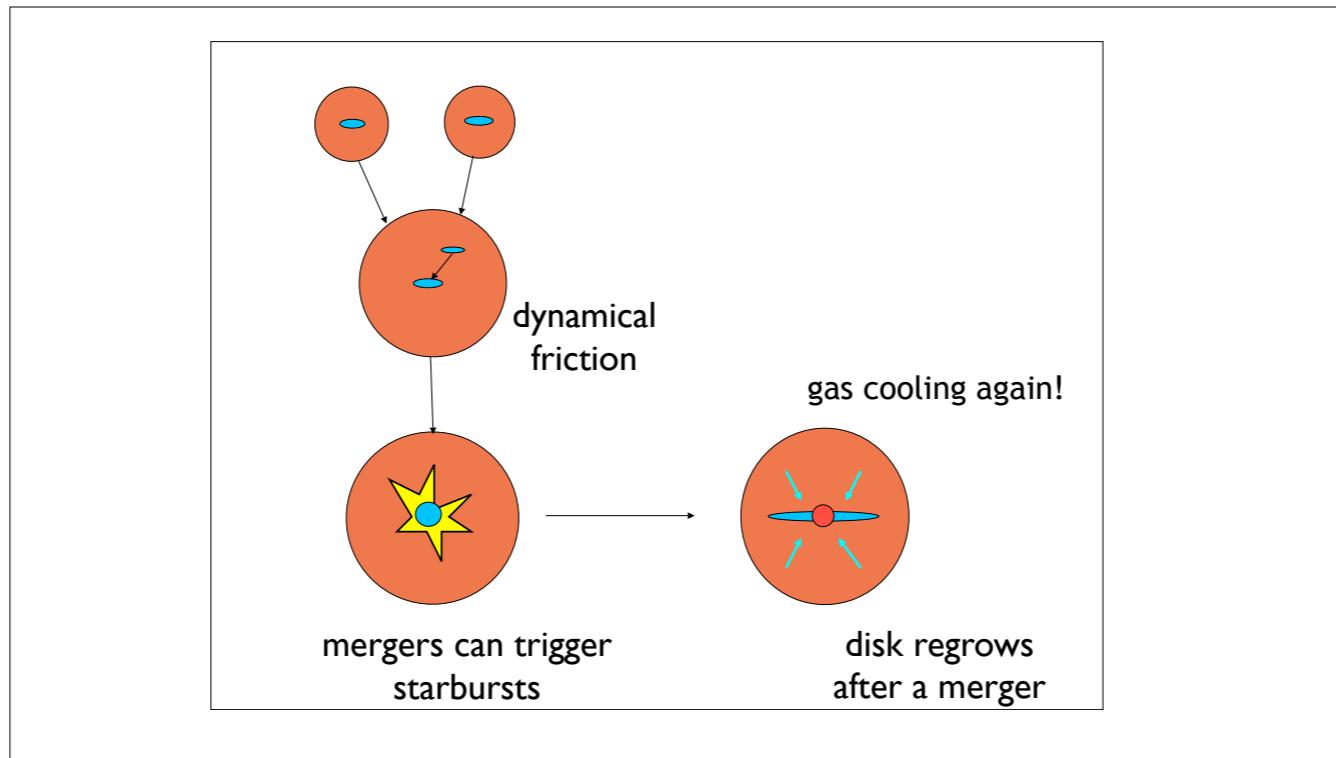


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Virial temperature as a function of mass and radius: $T=GM\mu m/5kR$ and $M=3/4\pi R^3\rho$

For $M=\text{const}$, $T^3 \propto \rho$

For $\rho=\text{const}$, $T^3 \propto M^2$

For $T=\text{const}$, $M^2 \propto 1/\rho$

Gravitationally collapsed
sources continue to grow...
even after the nominal
spherical collapse...

Below 10^4 K: Need H₂/metal cooling, to reach a few 10 K
Enough gas density → Star formation: It is not well understood...

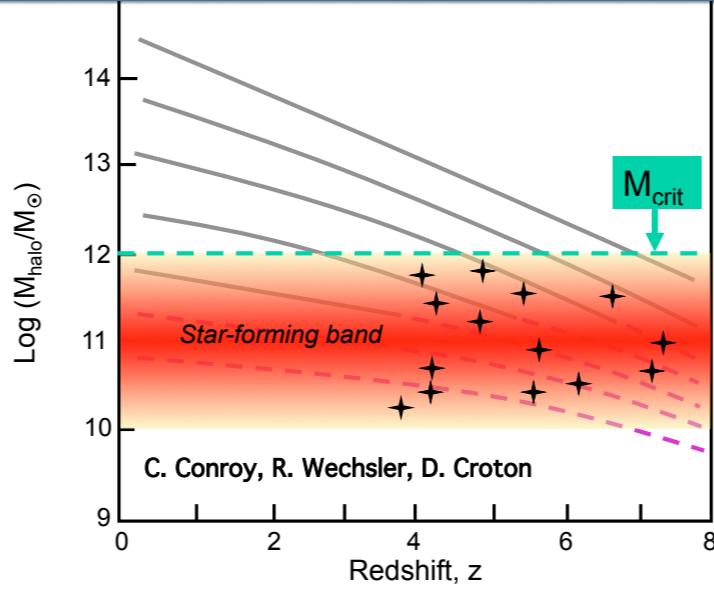
Gas contraction by Jeans instability... What is the mass distribution of newborn stars? (e.g. IMF)

How might we expect a
collapsed source to behave
as it grows in mass?

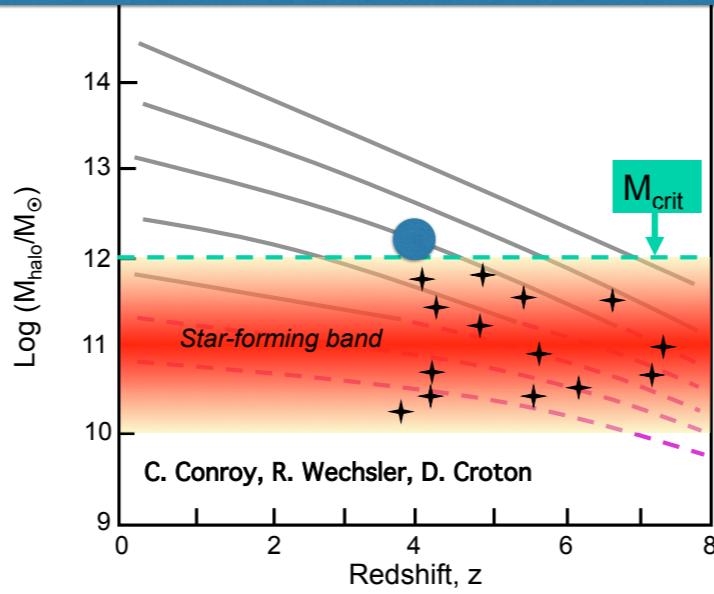
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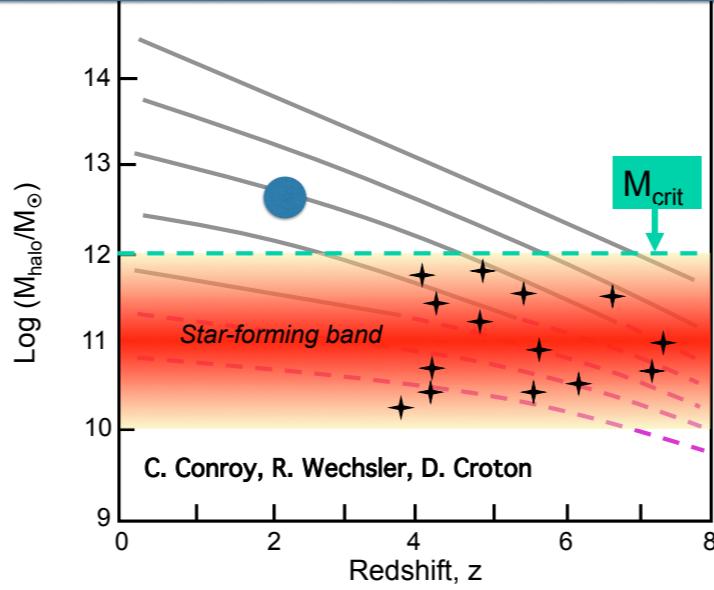
Growing Collapsed Halos Move through Star-Forming Band



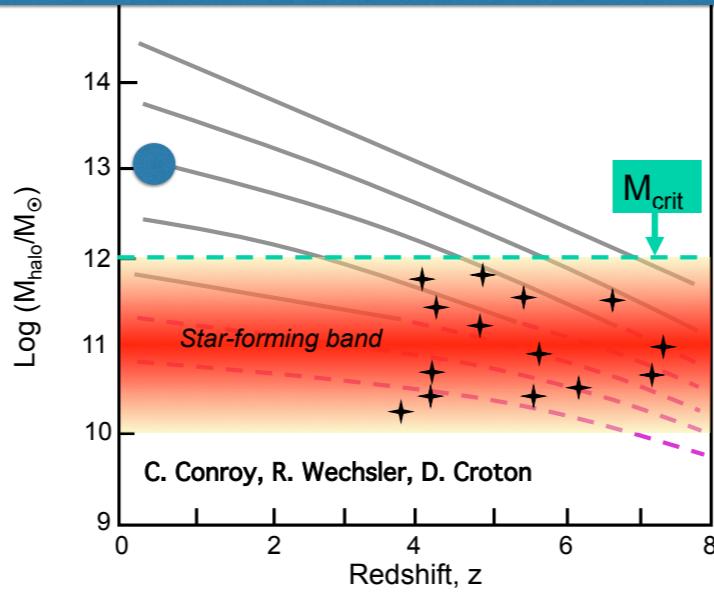
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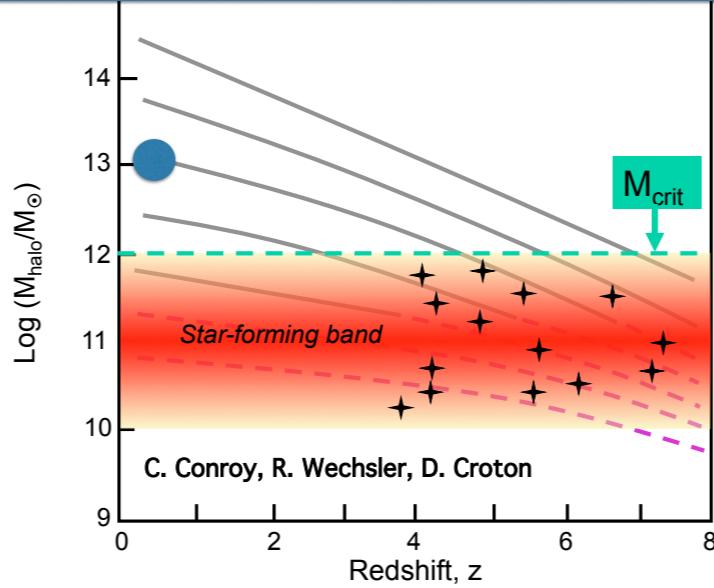
Growing Collapsed Halos Move through Star-Forming Band



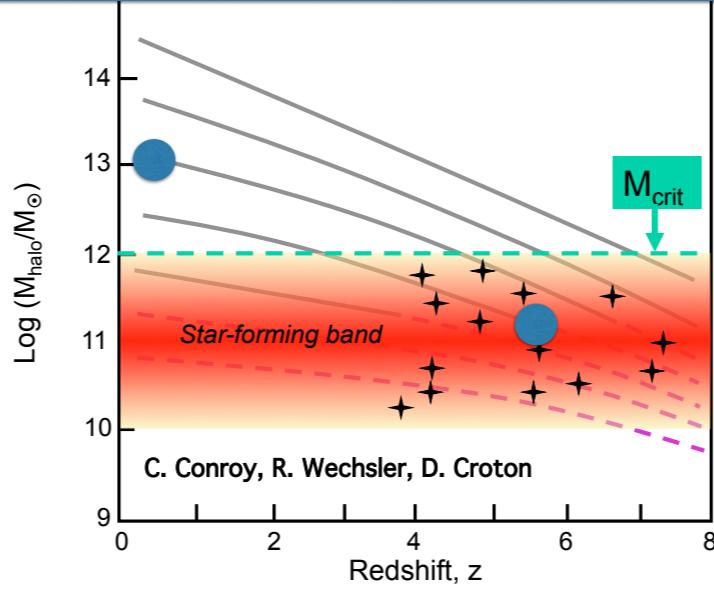
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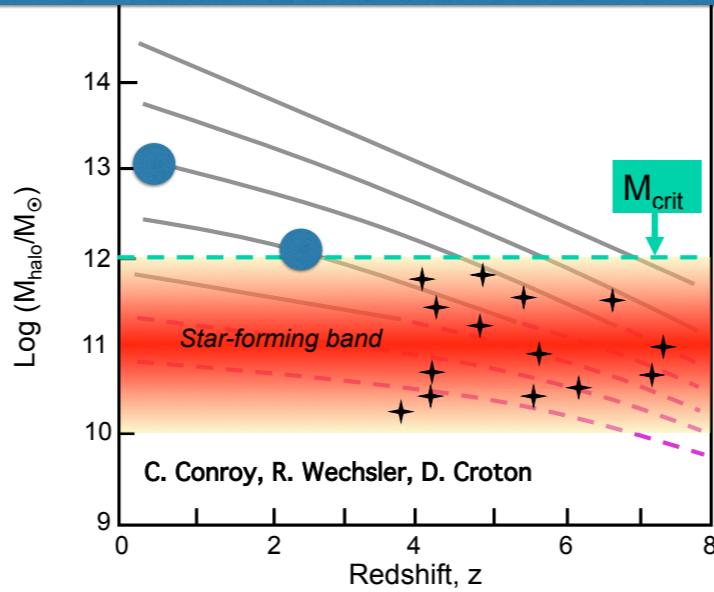
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Growing Collapsed Halos Move through Star-Forming Band

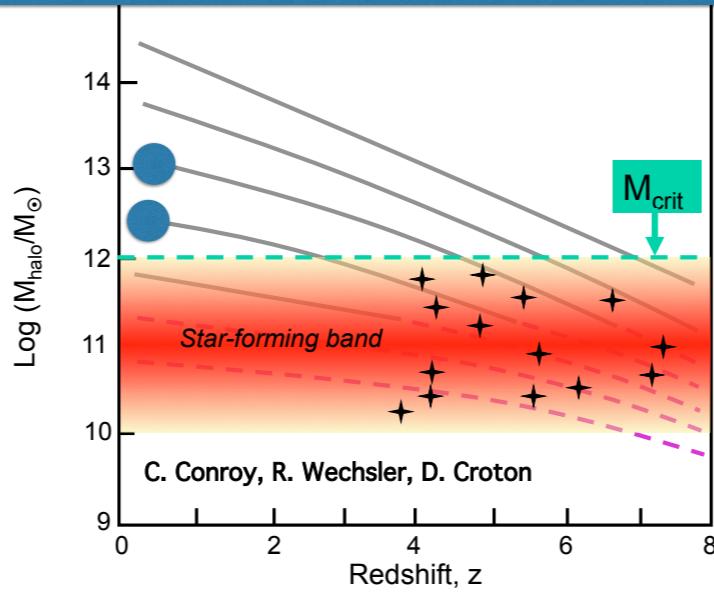


Growing Collapsed Halos Move through Star-Forming Band



C. Conroy, R. Wechsler, D. Croton

Growing Collapsed Halos Move through Star-Forming Band



What happens as galaxies build up in mass?

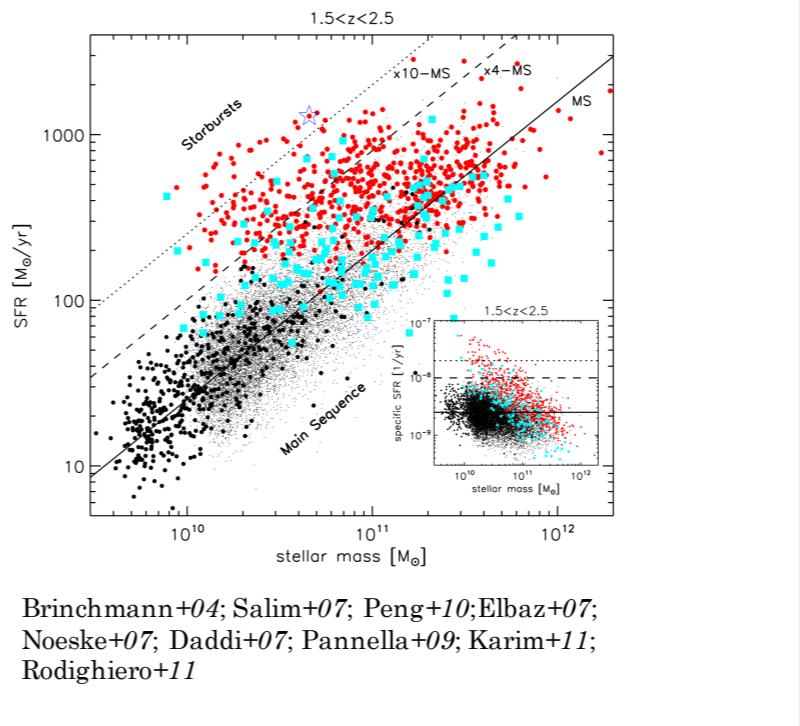
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Enough gas density → Star formation: It is not well understood...

Gas contraction by Jeans instability... What is the mass distribution of newborn stars? (e.g. IMF)

Star Formation Rate

roughly
proportional
to

Stellar Mass



Below 10^4 K: Need H₂/metal cooling, to reach a few 10 K
Enough gas density → Star formation: It is not well understood...

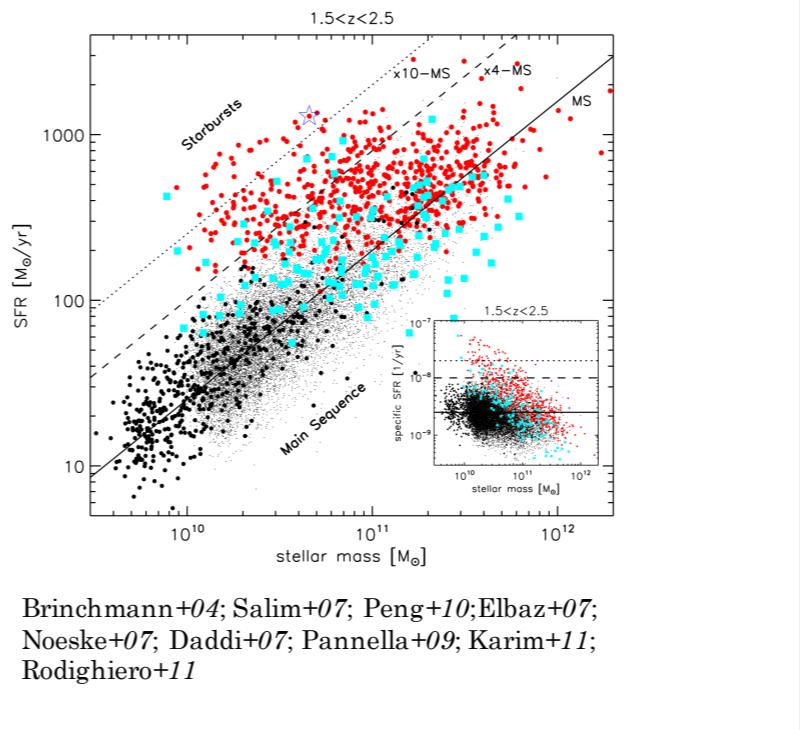
Gas contraction by Jeans instability... What is the mass distribution of newborn stars? (e.g. IMF)

Star Formation Rate

roughly
proportional
to

Stellar Mass

Earlier Heard
Proportional
Gas Mass

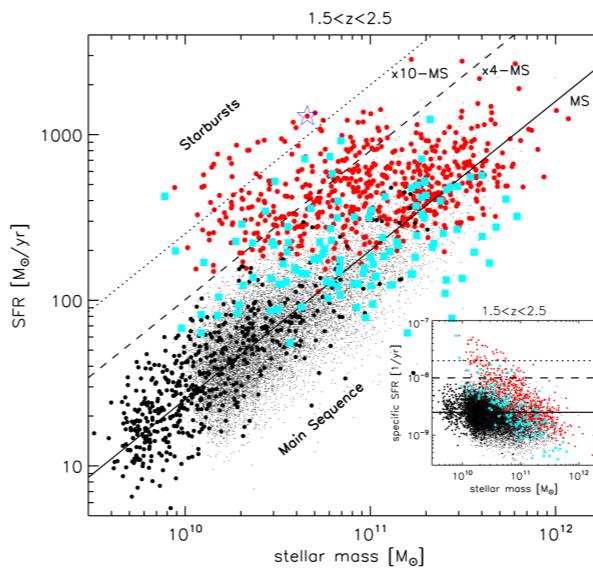


Below 10^4 K: Need H_2 /metal cooling, to reach a few 10 K
Enough gas density → Star formation: It is not well understood...

Gas contraction by Jeans instability... What is the mass distribution of newborn stars? (e.g. IMF)

Called
Main
Sequence of
Star Formation
in Galaxies

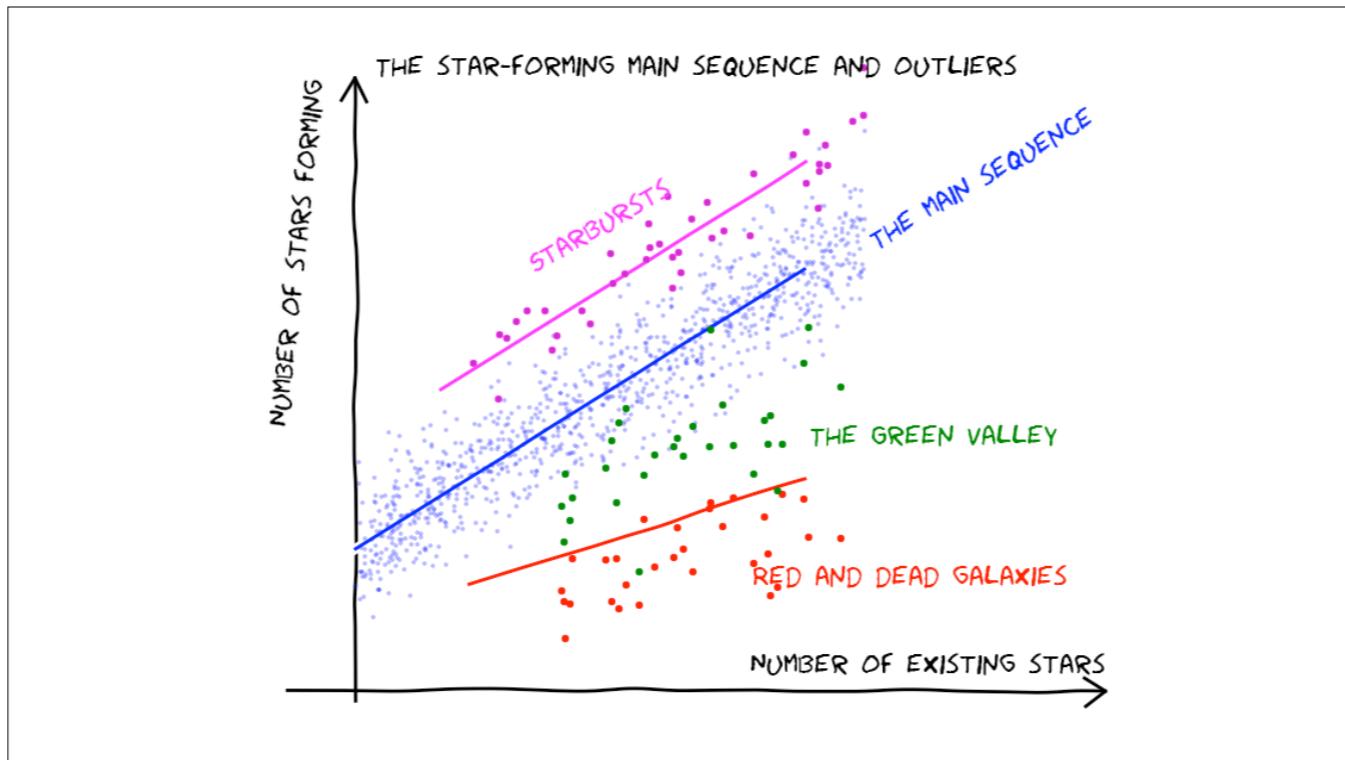
Starbursts
Above
Sequence



Brinchmann+04; Salim+07; Peng+10; Elbaz+07;
Noeske+07; Daddi+07; Pannella+09; Karim+11;
Rodighiero+11

Below 10^4 K: Need H₂/metal cooling, to reach a few 10 K
Enough gas density → Star formation: It is not well understood...

Gas contraction by Jeans instability... What is the mass distribution of newborn stars? (e.g. IMF)



Below 10^4 K: Need H₂/metal cooling, to reach a few 10 K
Enough gas density → Star formation: It is not well understood...

Gas contraction by Jeans instability... What is the mass distribution of newborn stars? (e.g. IMF)

Does the main sequence of star formation in galaxies evolve?

Below 10^4 K: Need H₂/metal cooling, to reach a few 10 K
Enough gas density → Star formation: It is not well understood...

Gas contraction by Jeans instability... What is the mass distribution of newborn stars? (e.g. IMF)

The evolution of the MS galaxies with redshift

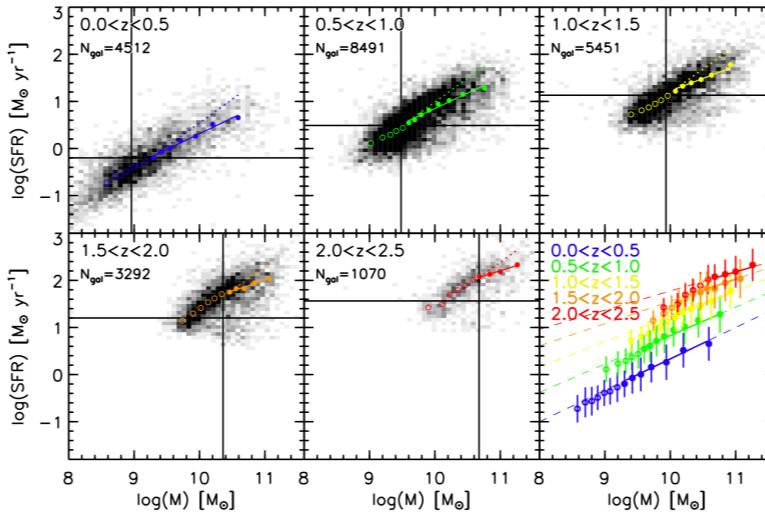


Fig. from Whitaker+12 (e.g. see also Pannella+15; Lee+15)

Below 10^4 K: Need H₂/metal cooling, to reach a few 10 K
Enough gas density → Star formation: It is not well understood...

Gas contraction by Jeans instability... What is the mass distribution of newborn stars? (e.g. IMF)

Evolution likely due to
evolution in accretion
rate of gas across
cosmic time...

Below 10^4 K: Need H₂/metal cooling, to reach a few 10 K
Enough gas density → Star formation: It is not well understood...

Gas contraction by Jeans instability... What is the mass distribution of newborn stars? (e.g. IMF)



Below 10^4 K: Need H₂/metal cooling, to reach a few 10 K
Enough gas density → Star formation: It is not well understood...

Gas contraction by Jeans instability... What is the mass distribution of newborn stars? (e.g. IMF)

This relation is mirrored
when looking at galaxies
as a function of color...

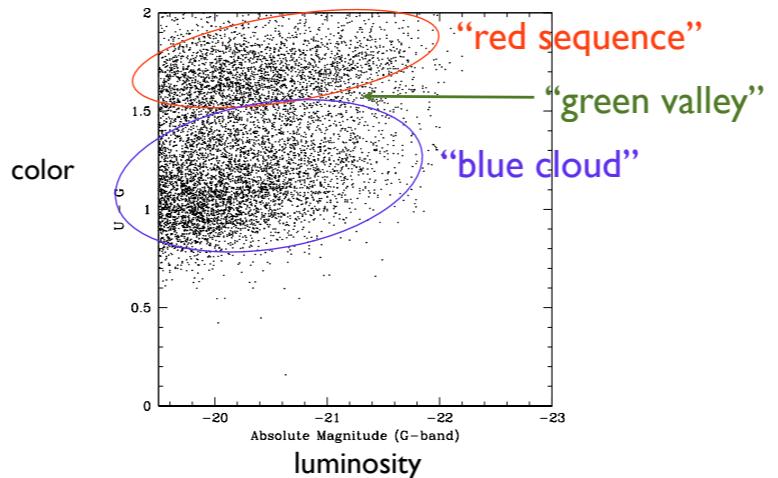
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Enough gas density → Star formation: It is not well understood...

Gas contraction by Jeans instability... What is the mass distribution of newborn stars? (e.g. IMF)

When Dividing Galaxies by Color, One Sees a Bimodal Relation

Galaxies whose colors lie
on “red sequence”

Galaxies whose colors lie
within the “blue cloud”



There is a clear **bimodality** to the distribution!

Observational Fact:

Galaxies are found
to be **blue and star-forming**

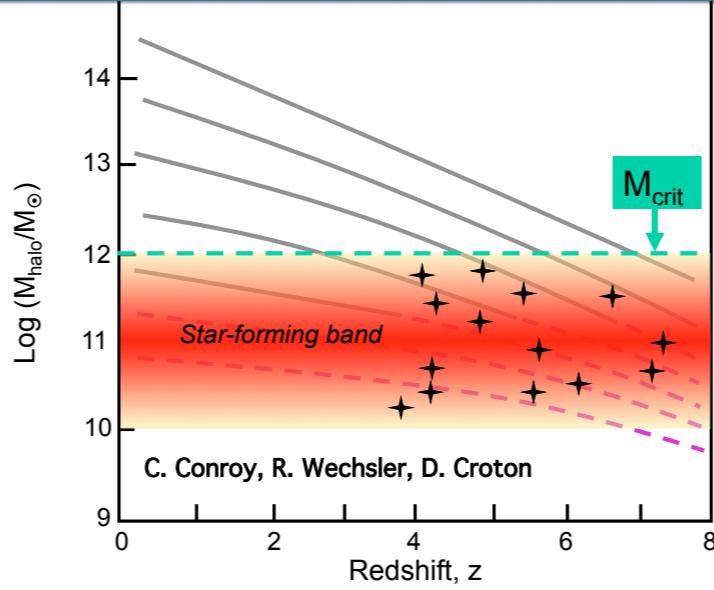
or

red and non-star-forming

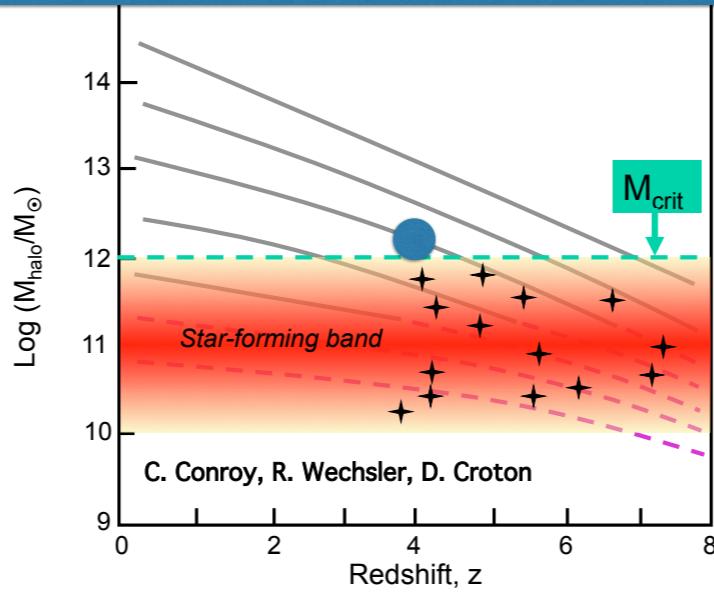
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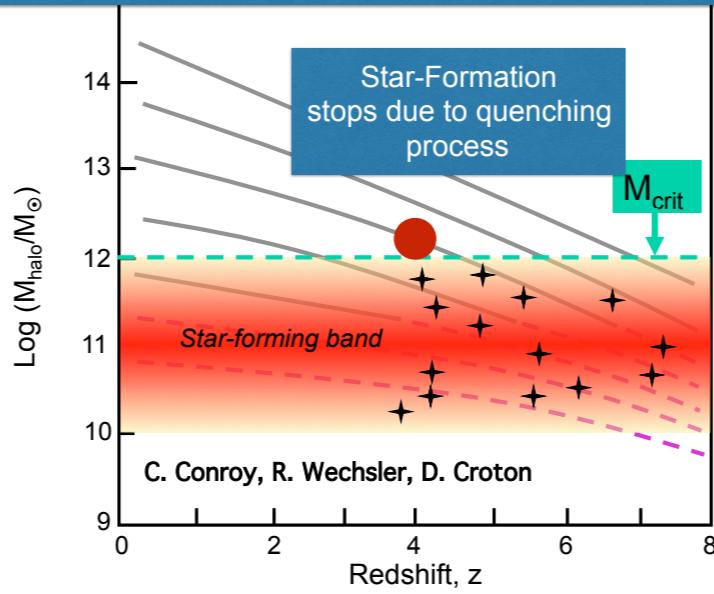
Growing Collapsed Halos Move through Star-Forming Band



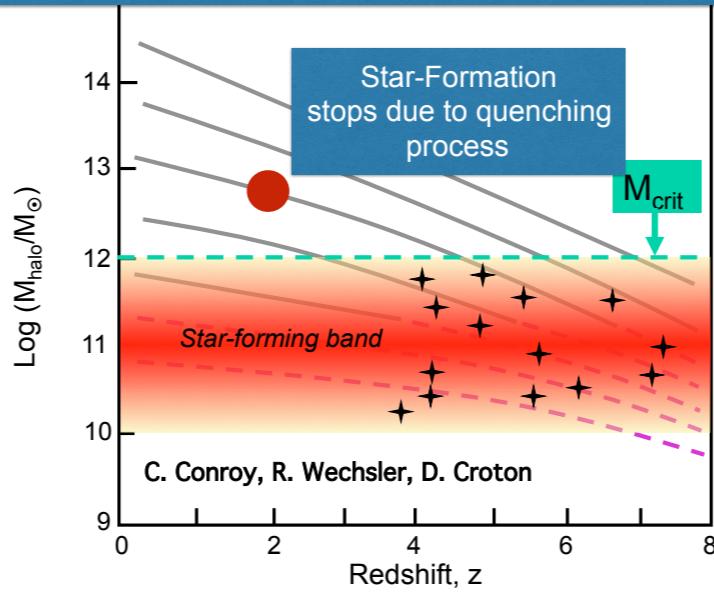
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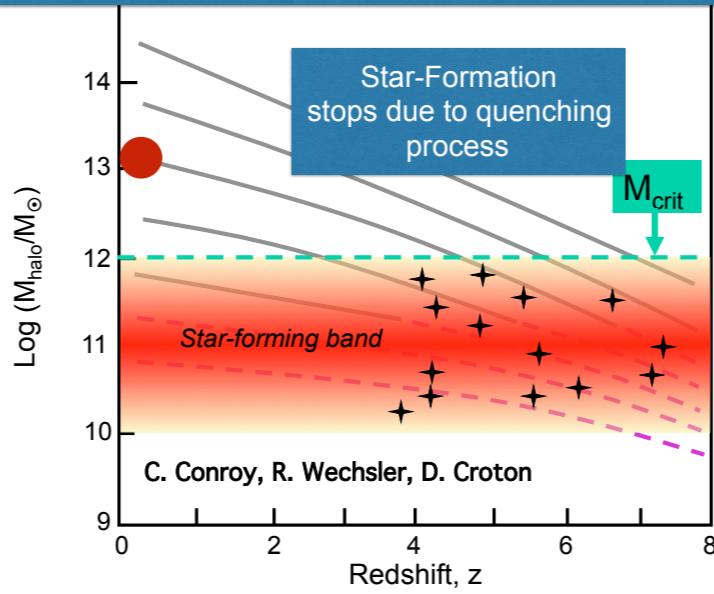
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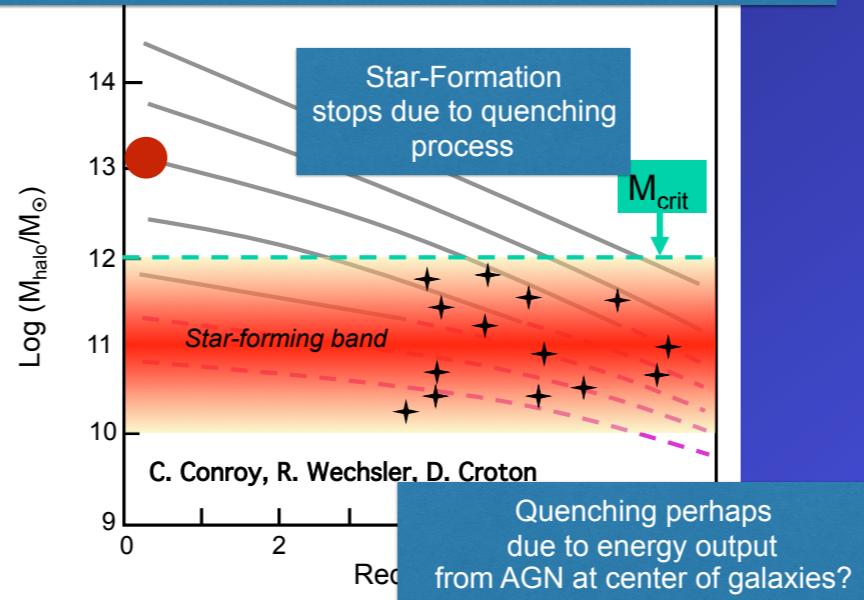
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Growing Collapsed Halos Move through Star-Forming Band

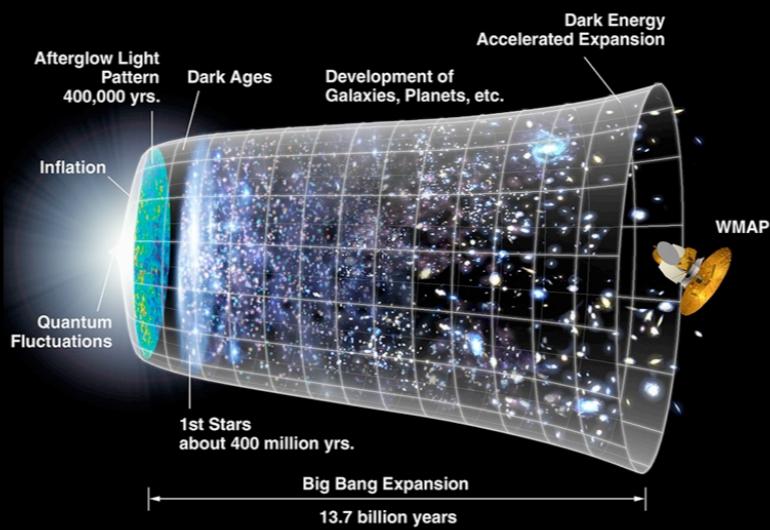


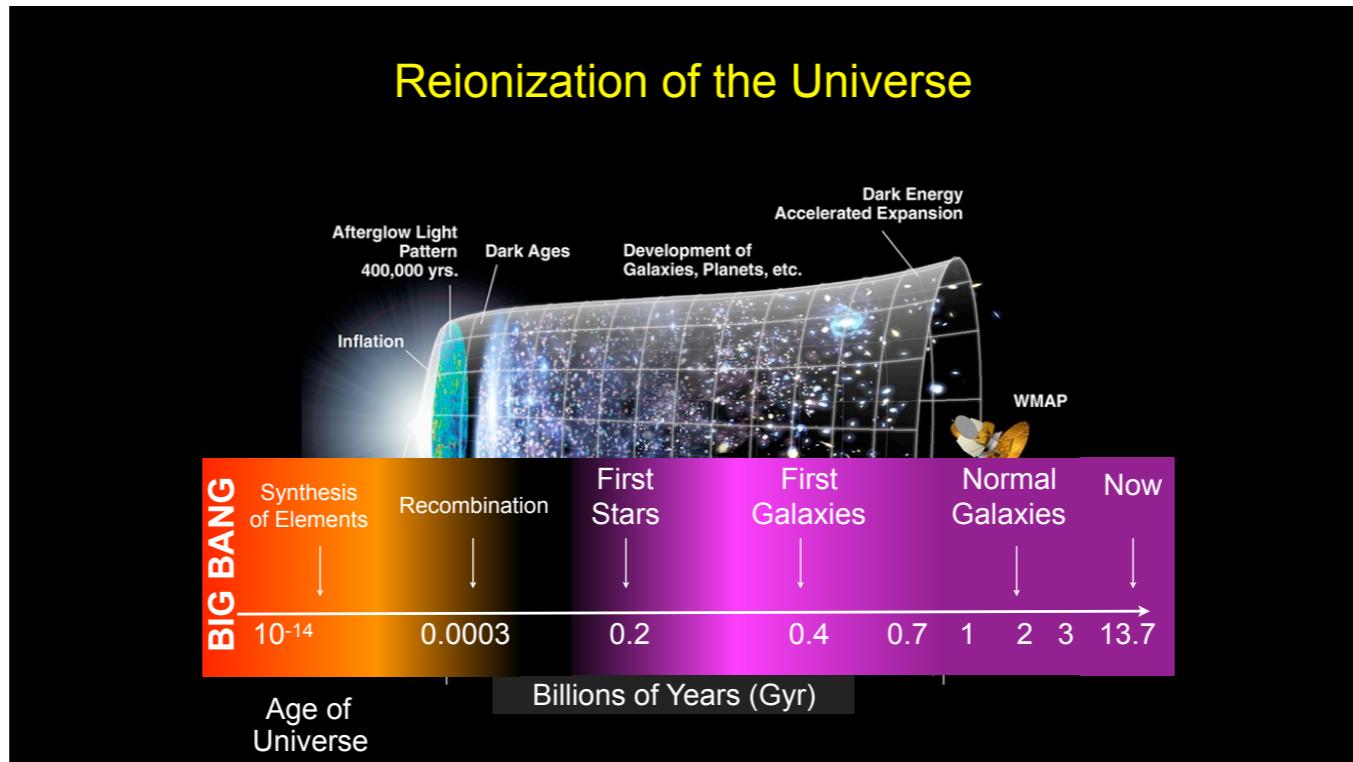
Growing Collapsed Halos Move through Star-Forming Band

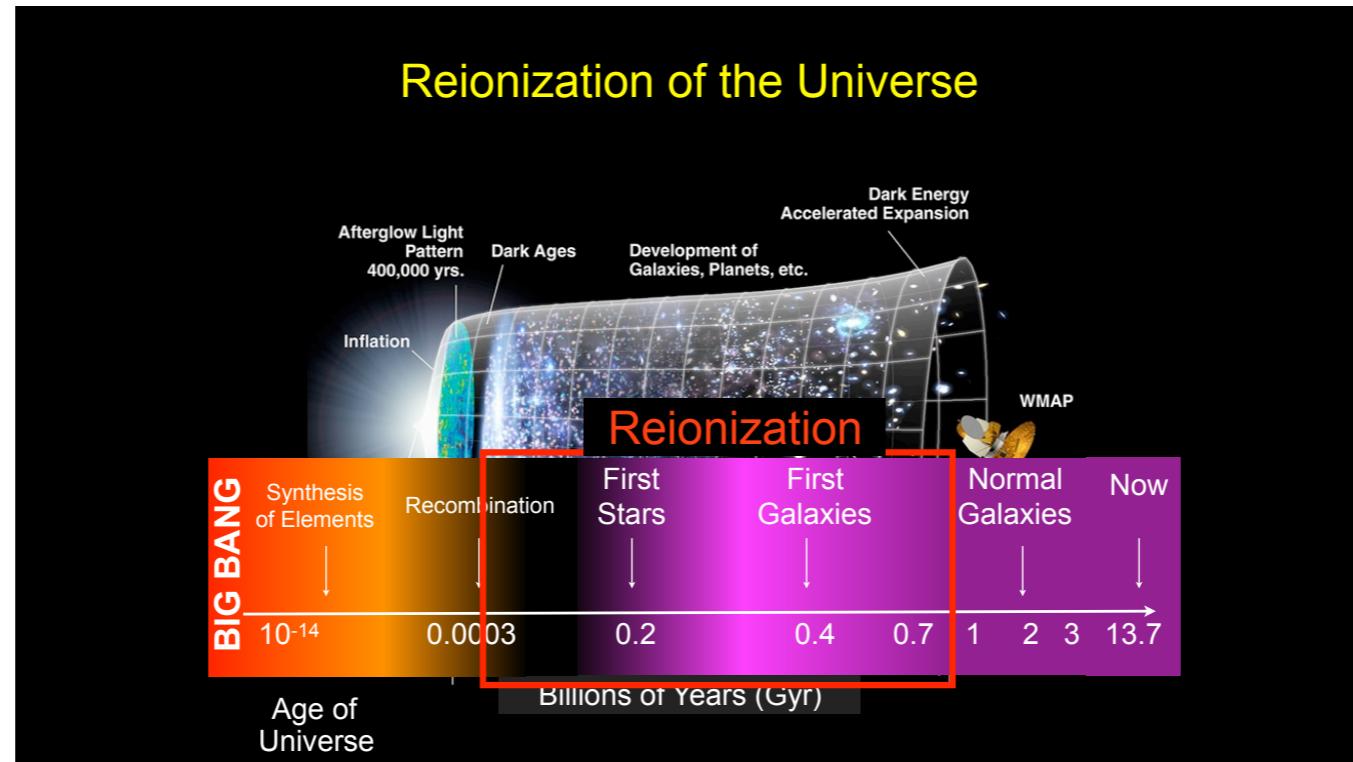


**So how does this fit into
shaping our observed Universe?**

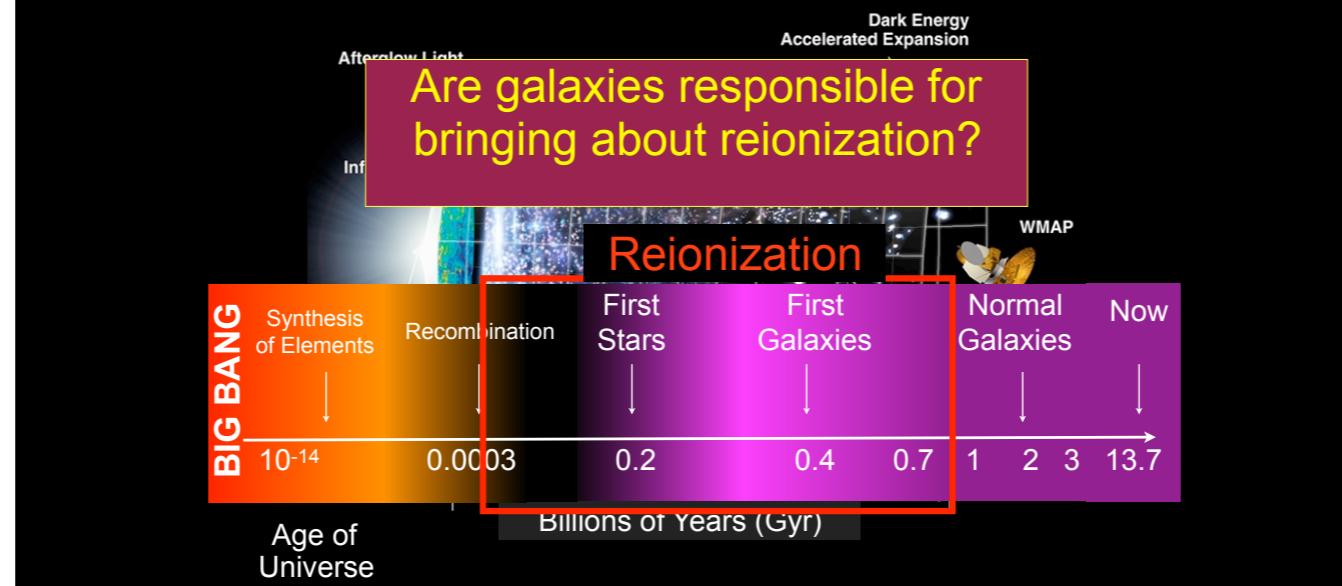
Reionization of the Universe



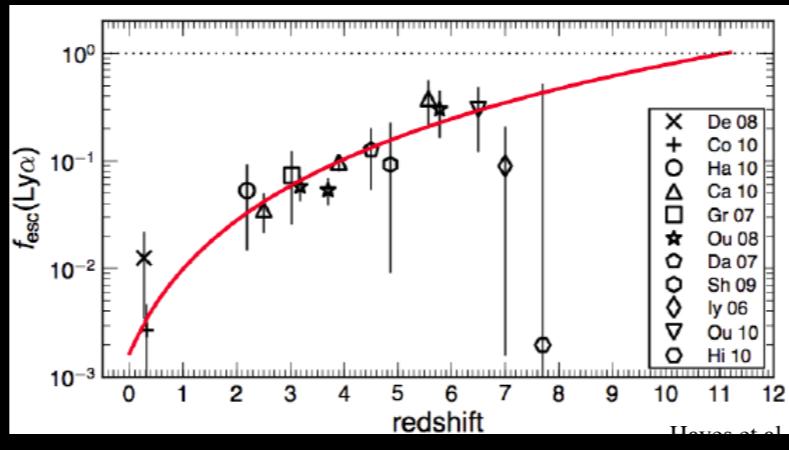




Reionization of the Universe



Ly α Escape Fraction $f_{\text{esc}}(\text{Ly}\alpha)$ Evolution



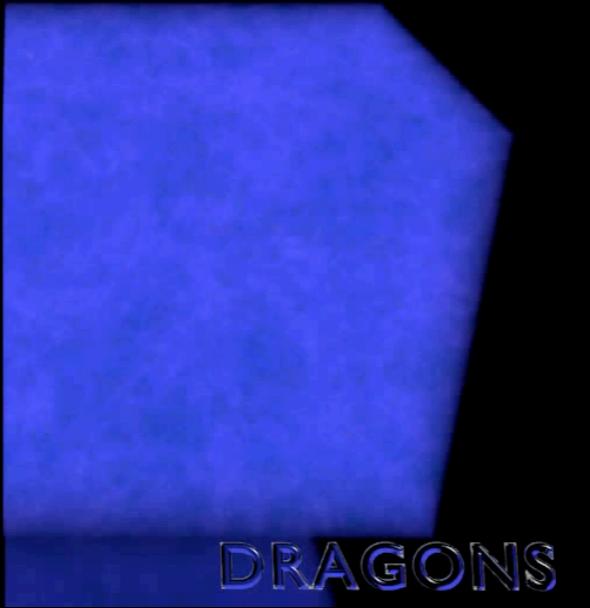
$$f_{\text{esc}}^{\text{Ly}\alpha}(z < 2.3) = \frac{\rho_{\text{L},\text{Ly}\alpha}^{\text{Obs}}}{8.7 \times \rho_{\text{L},\text{H}\alpha}^{\text{Int}}} = \frac{\rho_{\text{L},\text{Ly}\alpha}^{\text{Obs}}}{8.7 \times 10^{0.4E_{B-V}k_{6363}} \cdot \rho_{\text{L},\text{H}\alpha}^{\text{Obs}}},$$

Assuming Case B recombination

- $f_{\text{esc}}(\text{Ly}\alpha)$ shows a monotonic increase up to $z \sim 6$

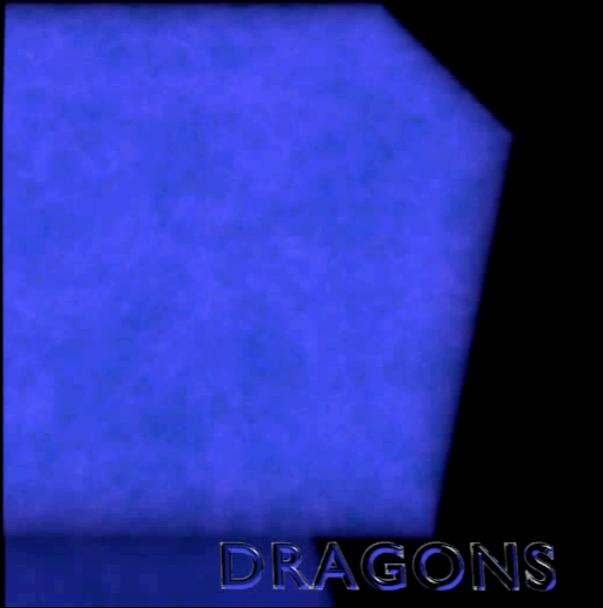
Stellar populations played a fundamental role in the evolutionary processes in the universe

Visualisation: Simon Mutch



Stellar populations played a fundamental role in the evolutionary processes in the universe

Visualisation: Simon Mutch



The EAGLE simulations

EVOLUTION AND ASSEMBLY OF GALAXIES AND THEIR ENVIRONMENTS

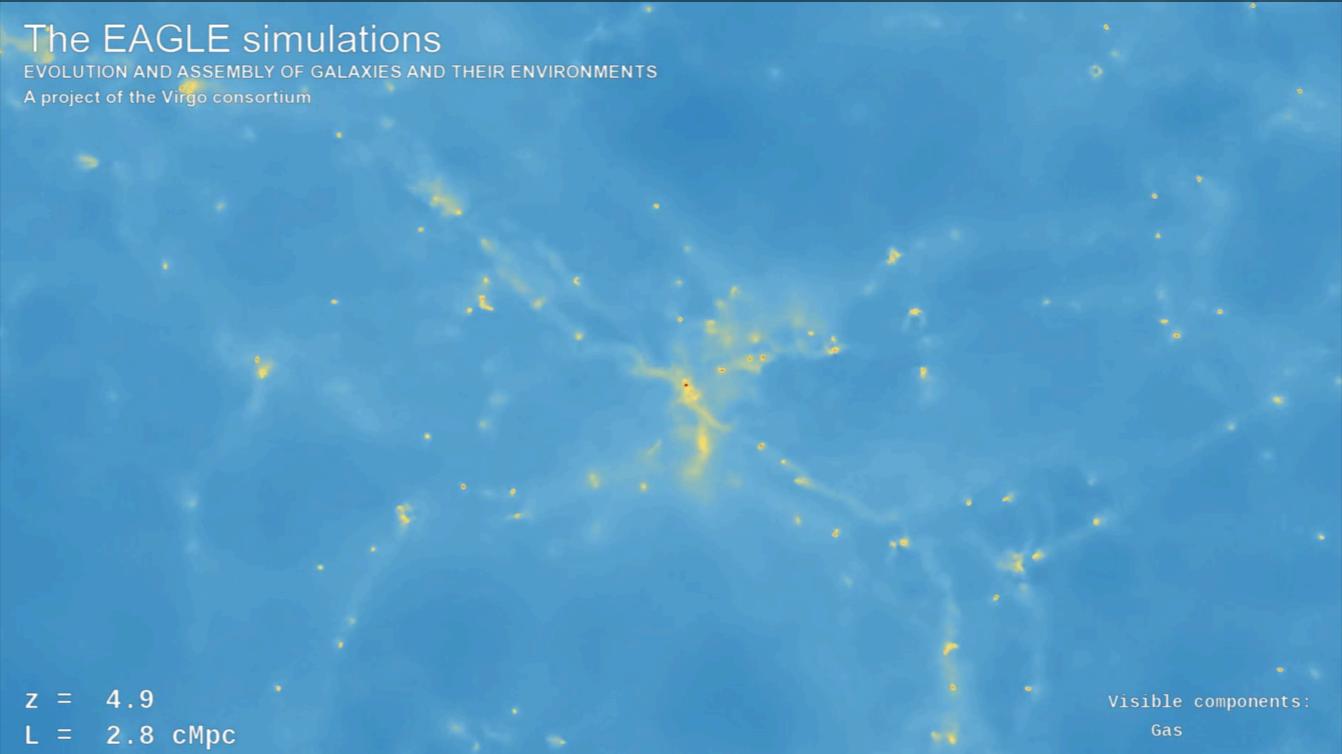
A project of the Virgo consortium

$z = 4.9$

$L = 2.8 \text{ cMpc}$

Visible components:

Gas



The EAGLE simulations

EVOLUTION AND ASSEMBLY OF GALAXIES AND THEIR ENVIRONMENTS

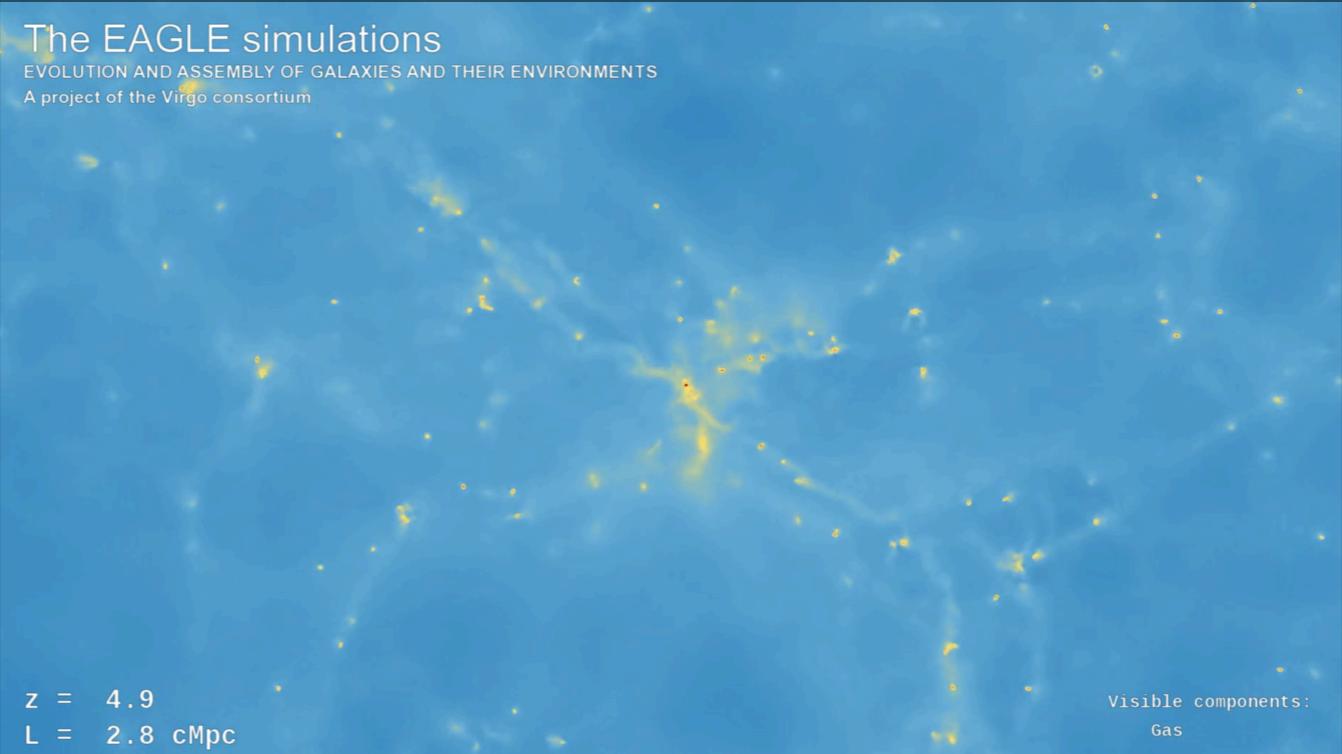
A project of the Virgo consortium

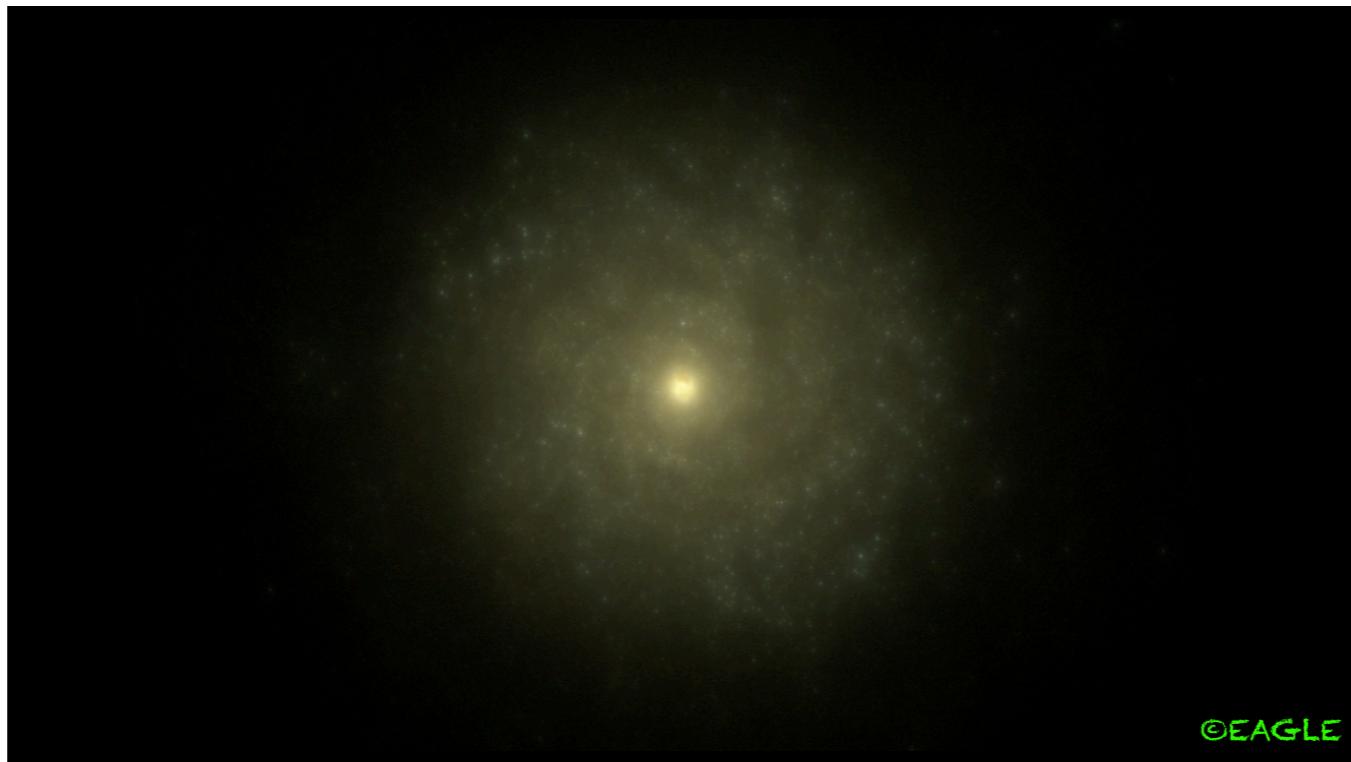
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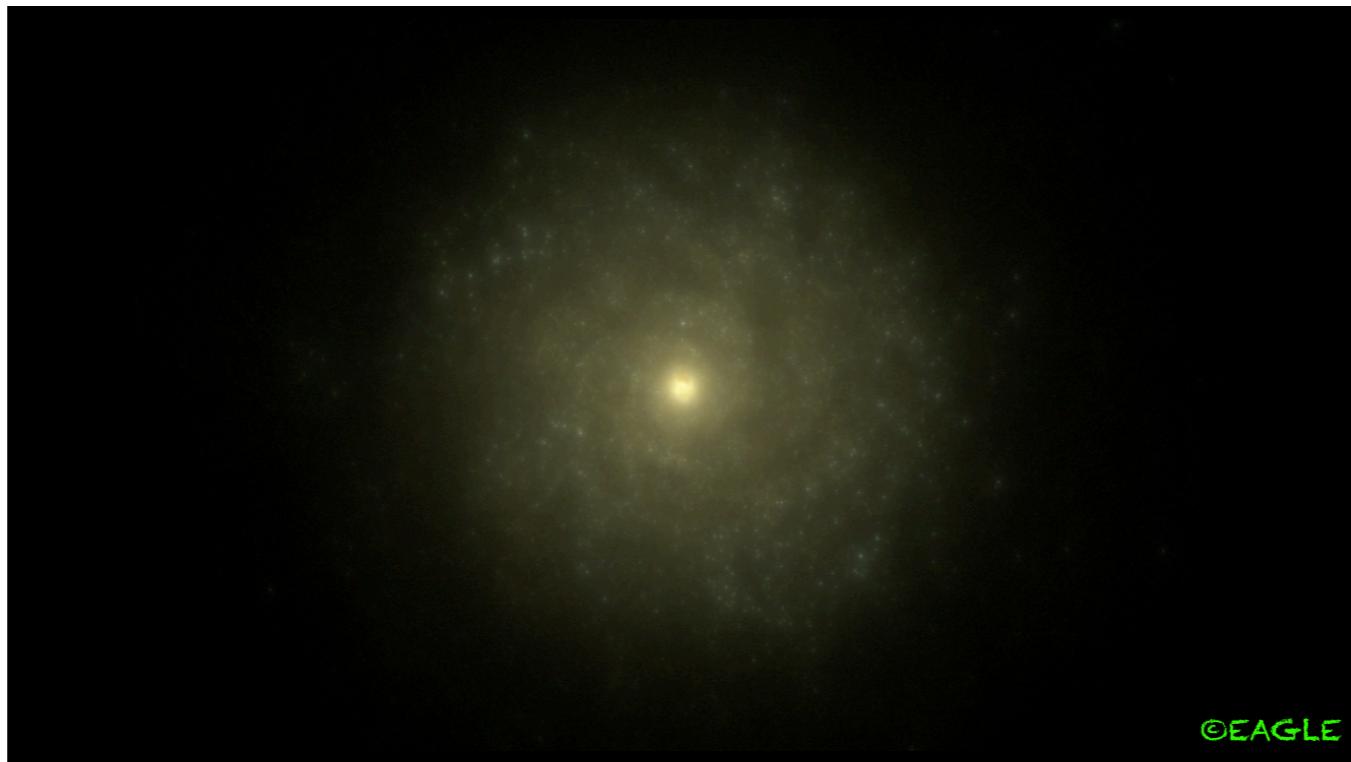
Visible components:

Gas



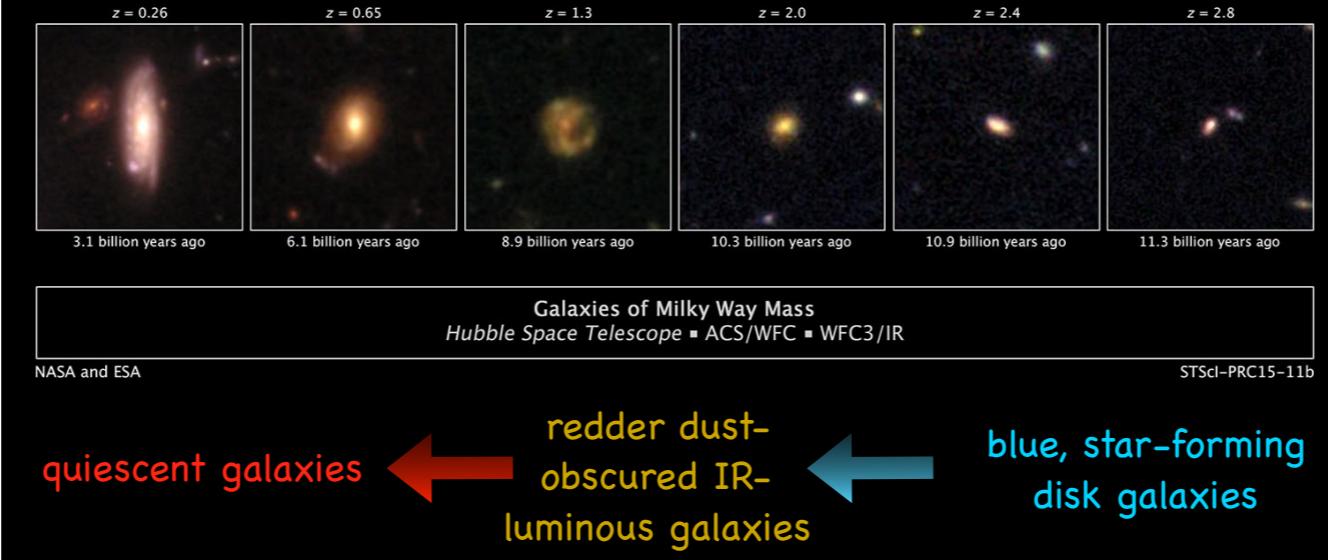


©EAGLE



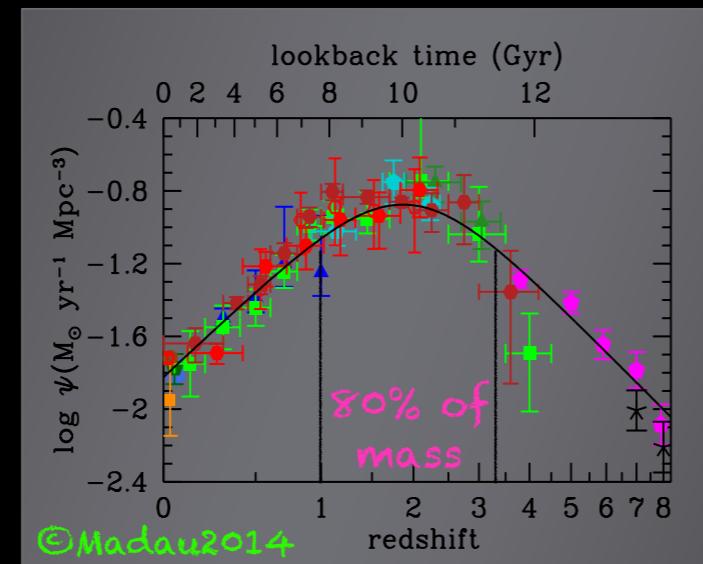
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TRACKING THE EVOLUTION OF THE UNIVERSE

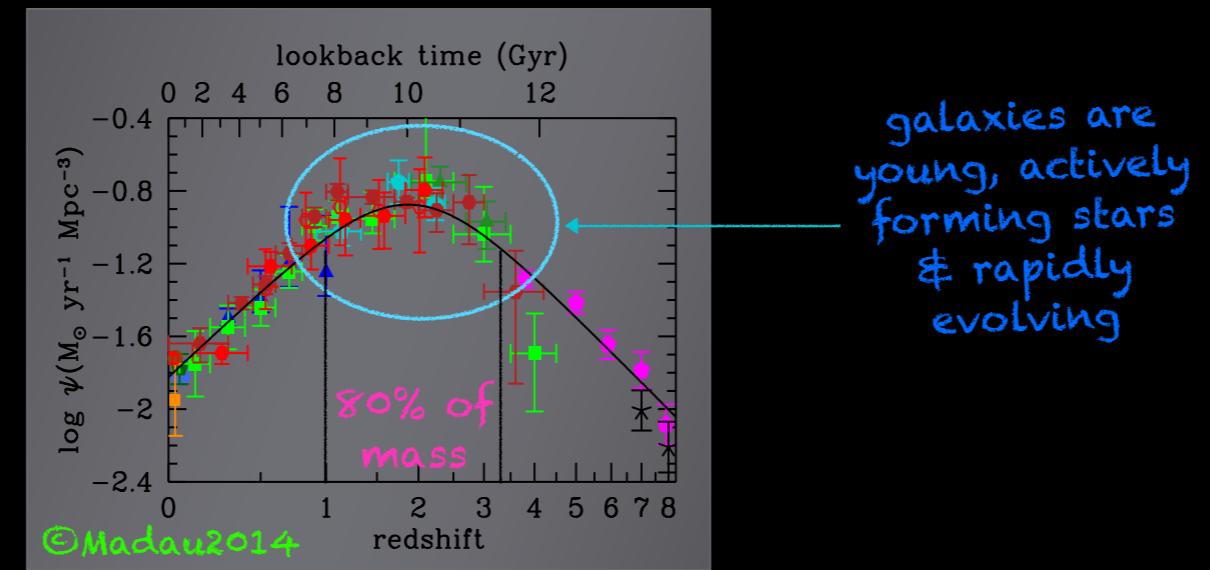


The typical MW-mass and M31-mass progenitors passed through the same evolution stages, evolving from blue, star-forming disk galaxies at the earliest stages to redder dust-obscured IR-luminous galaxies in intermediate stages and to red, more quiescent galaxies at their latest stages. The progenitors of the MW-mass galaxies reached each evolutionary stage at later times (lower redshifts) and with stellar masses that are a factor of two to three lower than the progenitors of the M31-mass galaxies. The process driving this evolution, including the suppression of star formation in present-day M_* galaxies, requires an evolving stellar-mass/halo-mass ratio and/or evolving halo-mass threshold for quiescent galaxies. The effective size and SFRs imply that the baryonic cold-gas fractions drop as galaxies evolve from high redshift to $z \sim 0$ and are strongly anticorrelated with an increase in the Sérsic index. Therefore, the growth of galaxy bulges in M_* galaxies corresponds to a rapid decline in the galaxy gas fractions and/or a decrease in the star formation efficiency.

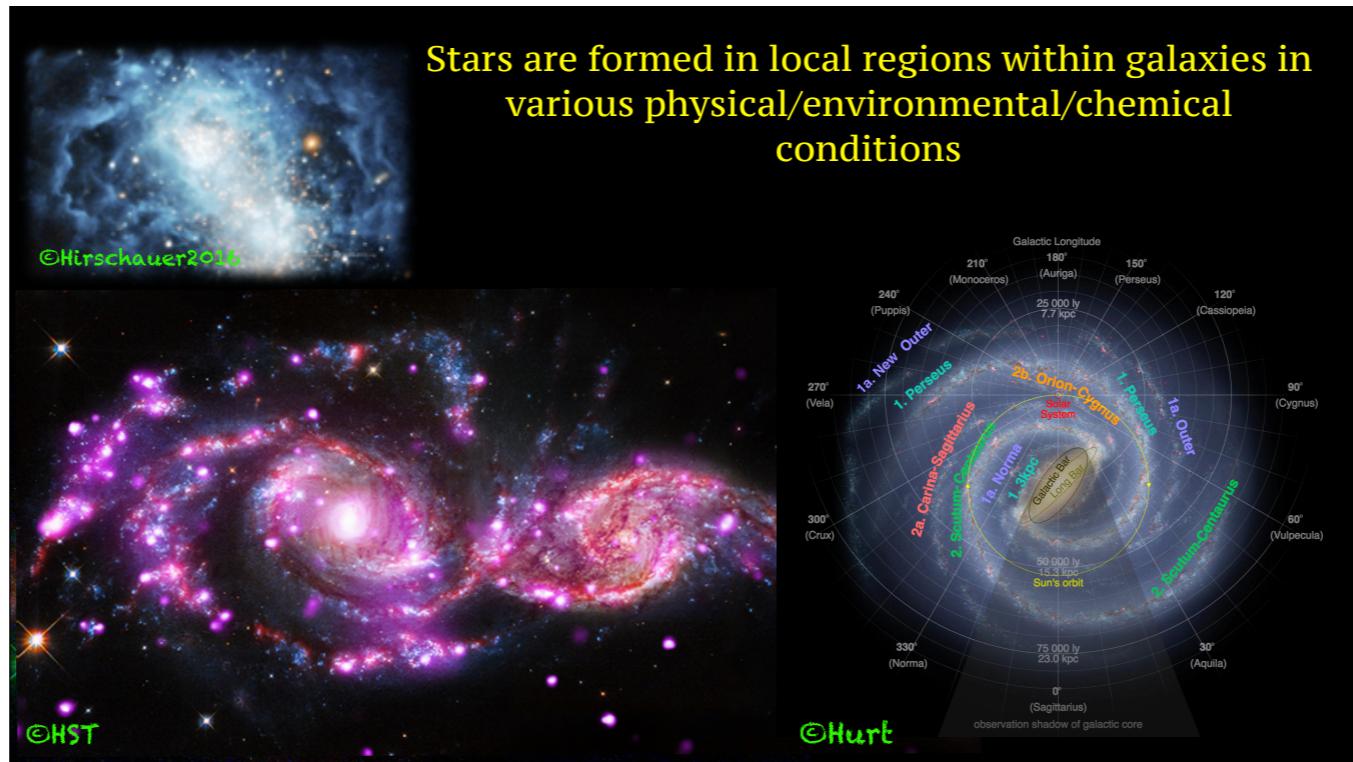
80% OF STARS IN THE UNIVERSE WERE
FORMED BETWEEN $1 < Z < 3$



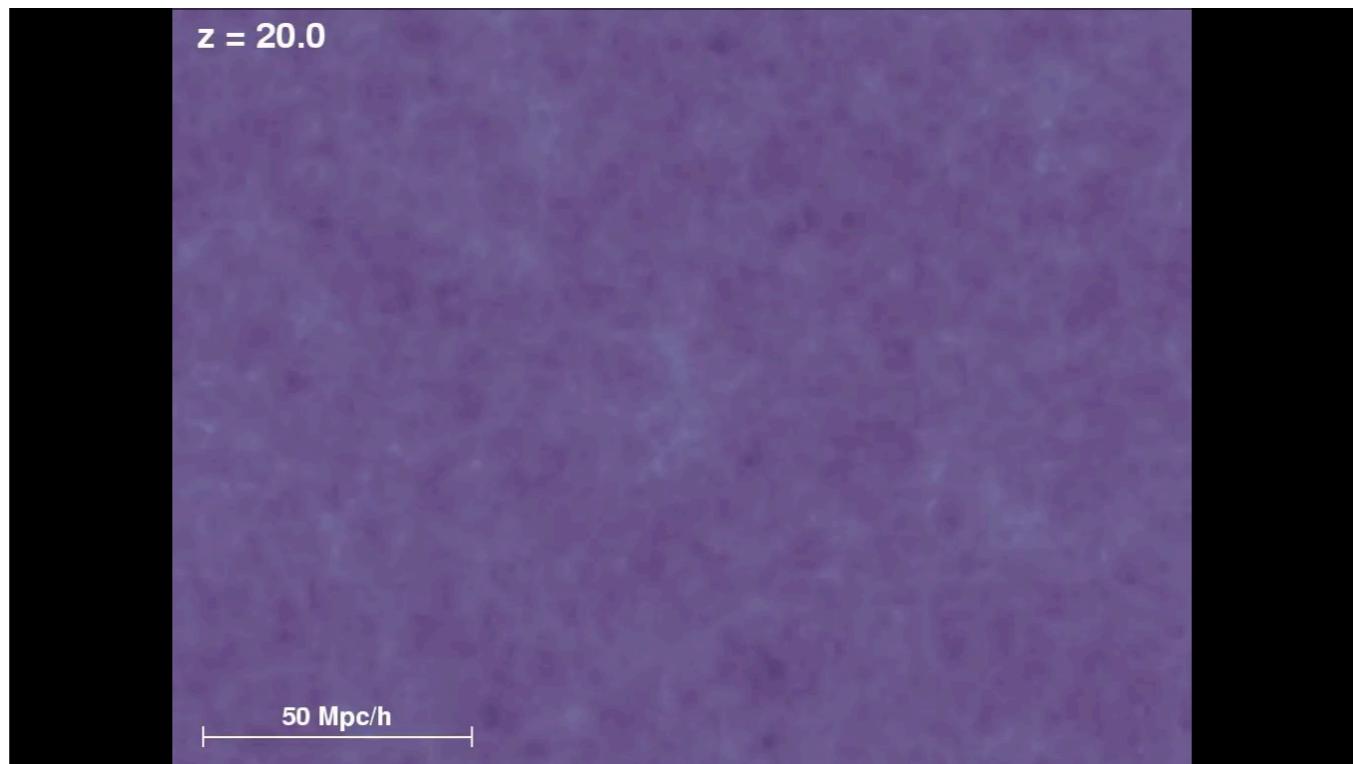
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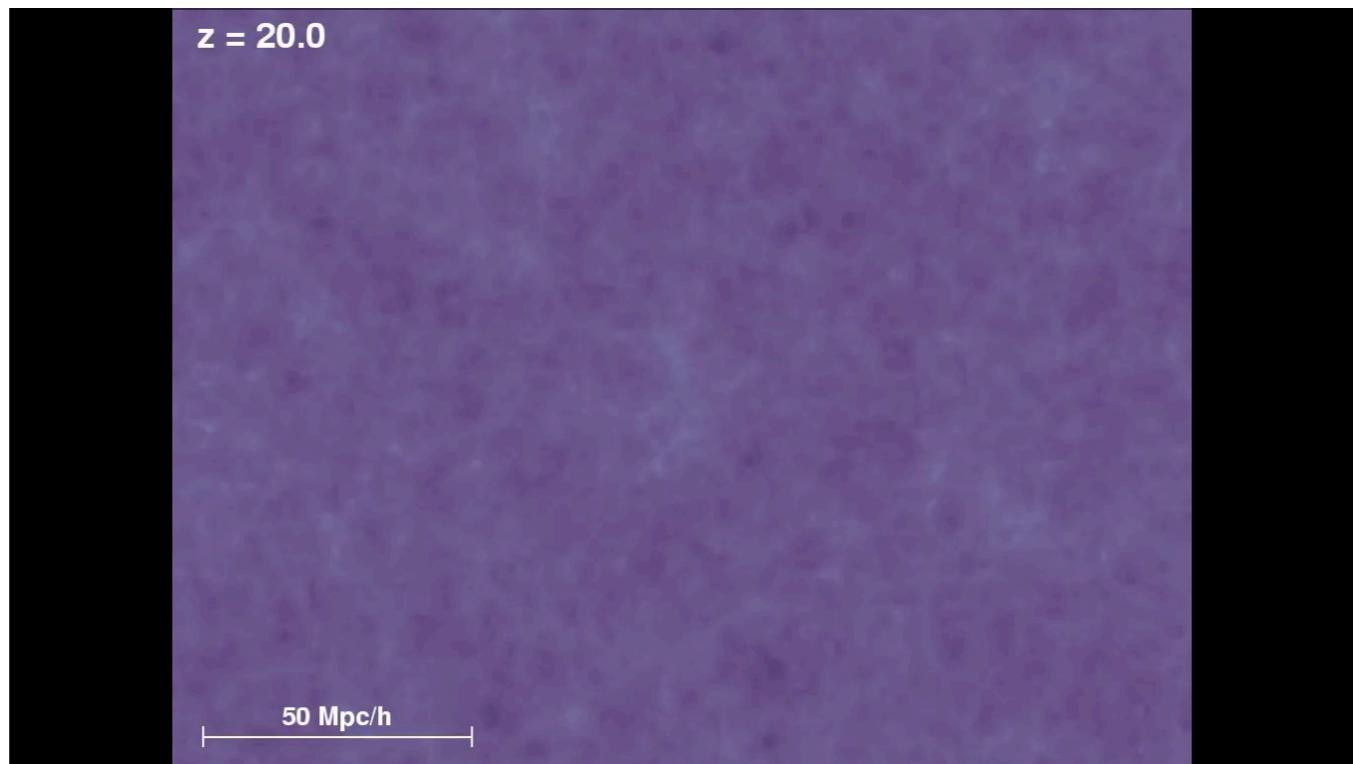


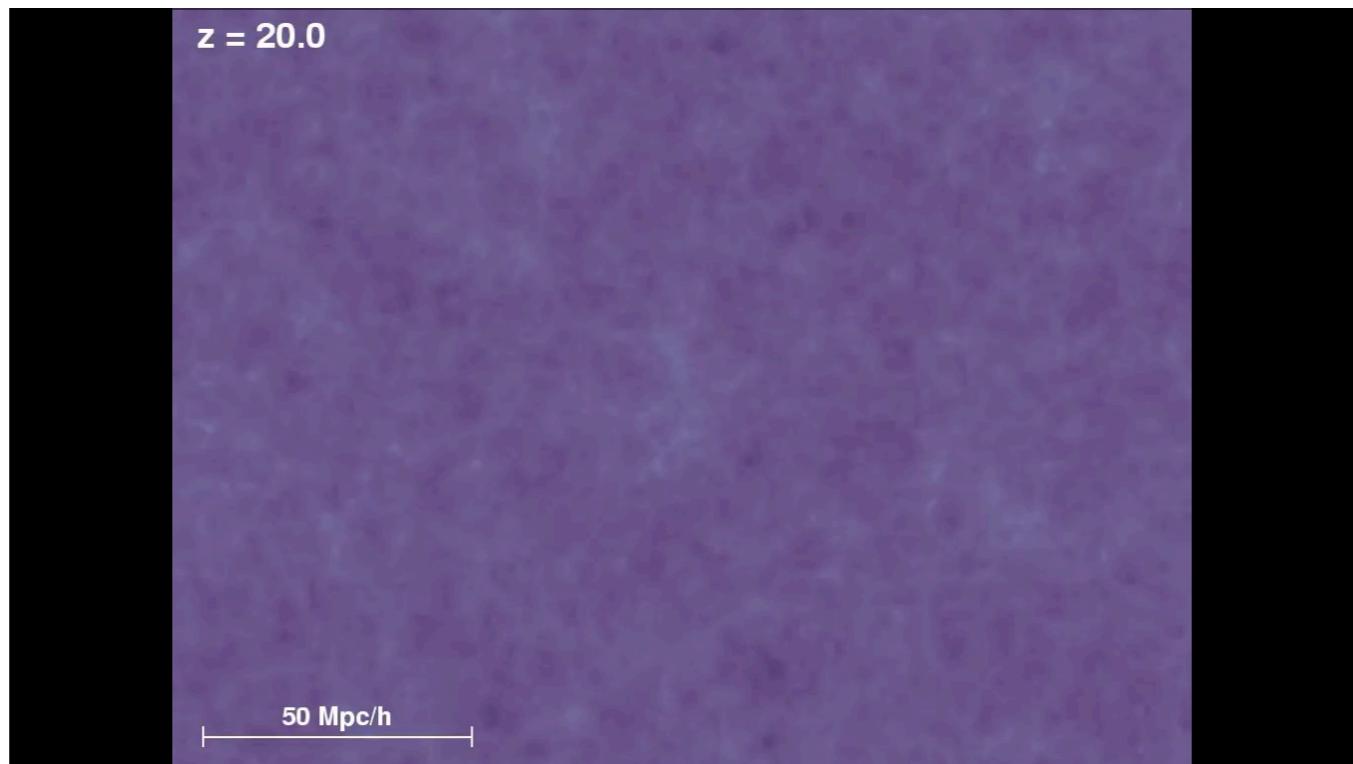
galaxies are
young, actively
forming stars
& rapidly
evolving



env → interaction between gas clouds lead to extra UV flux, strong winds, powerful outflows → suppress low mass stars increasing cloud surface densities leading to radiation trapping favours the formation of high mass stars.



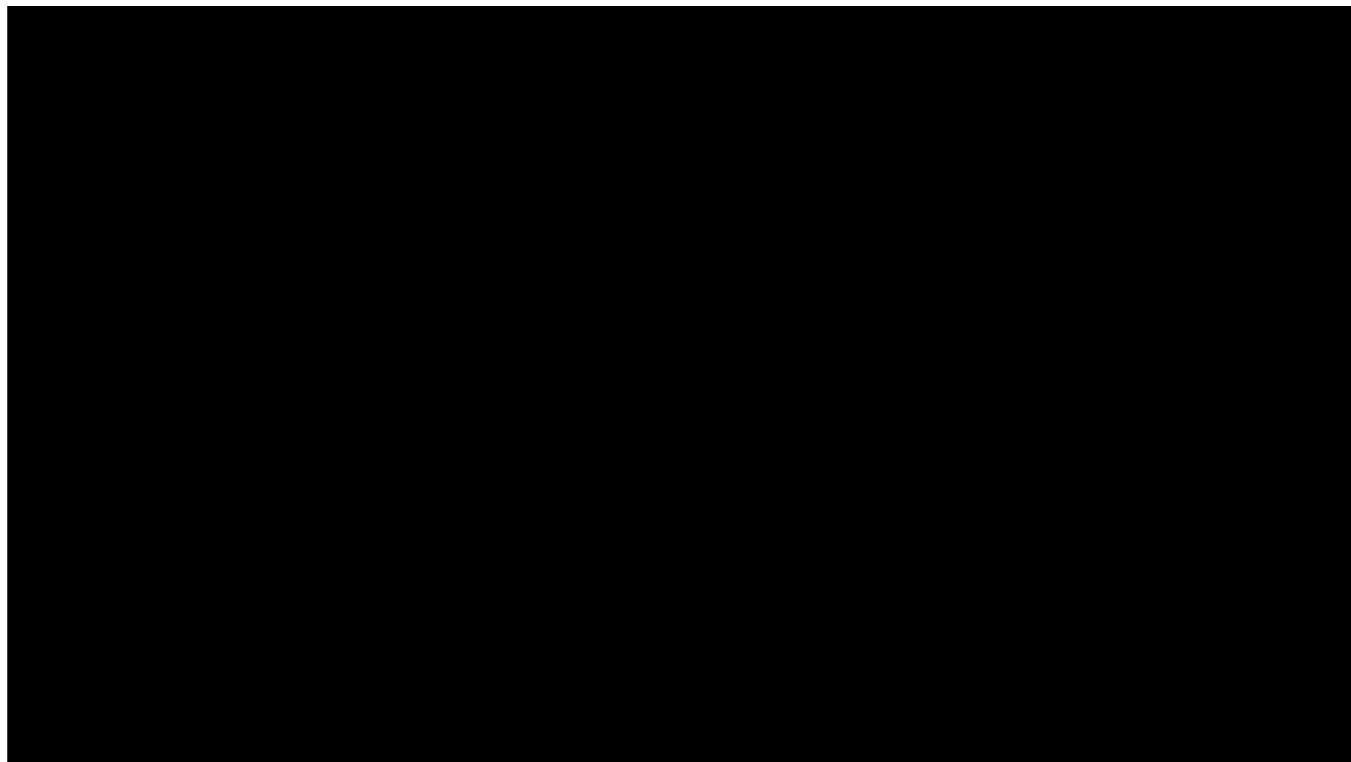




The present day Universe

Today





Questions for groups

GROUP 1

- Define and describe the "tired light hypothesis" and the "steady state universe" as alternatives to the Big Bang. How have they been disproved observationally?
- Sketch out the Hubble sequence. What physical trends are captured by the classification system?

GROUP 2

- What is the 'fine tuning problem'? How do anthropic arguments attempt to resolve it?
- What is the density-morphology relation for galaxies? How is that related to what we know about the relationship between galaxy density and star formation rates in galaxies?

GROUP 3

- What happened in the first 3 minutes after the Big Bang? Why is only He (and tiny traces of Li) synthesized in the Big Bang?
- What evidence is there that most galaxies contain super massive black holes? How do those black holes interact with their host galaxies?

GROUP 4

- What is cosmological inflation? List three important observations which it is intended to explain.
- What is a stellar Initial Mass Function (IMF)? Sketch it. Give a couple of examples of simple parametric forms used to describe the IMF.

Group 1

Tired light: <http://www.astro.ucla.edu/~wright/tiredlit.htm>

Steady state: <http://www.astro.ucla.edu/~wright/stdystat.htm>

Hubble sequence:

Group 2

Fine tuning: Martin Rees and 6 params https://en.wikipedia.org/wiki/Fine-tuned_Universe

Morphology density relation: <http://astronomy.swin.edu.au/cosmos/M/Morphology+Density+Relation>

Group 3

3 min of Big Bang: https://www.physicsoftheuniverse.com/topics_bigbang_timeline.html

SMBH: <http://science.sciencemag.org/content/300/5627/1898>

Group 4

Inflation: Needed to explain horizon problem, magnetic monopole, flatness problem

Show Simon Drivers slides

IMF: Baldry plot