

Lab FAT

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CODE :

```
clc

clear all

close all

D = './images';

% pattern to match filenames.

S = dir(fullfile(D,'*.jpg'));

%to get execution time

tic;


% Loading query image

query_image = imread('images/yellow16.jpg');

query_image = rgb2hsv(query_image);


% Extracting colour planes of query image

q_h = single(query_image(:,:,1));
```

```
q_s = single(query_image(:,:,2));

q_v = single(query_image(:,:,3));

% Table for storing the information for the images

info_table = cell2table(cell(0, 20), 'VariableNames',
{'file_name', 'h_mean', 'h_median','h_std', 'h_var',
'h_skewness', 'h_kurtosis','s_mean', 's_median', 's_std',
's_var', 's_skewness', 's_kurtosis', 'v_mean', 'v_median',
'v_std', 'v_var', 'v_skewness', 'v_kurtosis',
'manhattan_distance'});

% Looping through all the images in the directory

for k = 1:numel(S)

F = fullfile(D,S(k).name);

I = imread(F);

%converting to HSV

I = rgb2hsv(I);

[rows, cols] = size(I);

noof_chanl = size(I,3);

S(k).data = I; % optional, save data.
```

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% Extracting the colour plane of the current image from data
base

h = single(I(:, :, 1));

s = single(I(:, :, 2));

v = single(I(:, :, 3));

% Calculating the manhattan distance between the query image and
the current image.

manhattan_distance = abs(mean(q_h(:)) - mean(h(:)))+
abs(median(q_h(:)) - median(h(:))) + abs(std(q_h(:)) - std(h(:)))
+ abs(var(q_h(:)) - var(h(:))) + abs(skewness(q_h(:)) -
skewness(h(:))) + abs(kurtosis(q_h(:)) - kurtosis(h(:))) +
abs(mean(q_s(:)) - mean(s(:))) + abs(median(q_s(:)) -
median(s(:))) + abs(std(q_s(:)) - std(s(:))) + abs(var(q_s(:)) -
var(s(:))) + abs(skewness(q_s(:)) - skewness(s(:))) +
abs(kurtosis(q_s(:)) - kurtosis(s(:))) + abs(mean(q_v(:)) -
mean(v(:))) + abs(median(q_v(:)) - median(v(:))) +
abs(std(q_v(:)) - std(v(:))) + abs(var(q_v(:)) - var(v(:))) +
abs(skewness(q_v(:)) - skewness(v(:))) + abs(kurtosis(q_v(:)) -
kurtosis(v(:)));

% Inserting features of current image in table

new_row = {S(k).name, mean(h(:)), median(h(:)), std(h(:)),
var(h(:)), skewness(h(:)), kurtosis(h(:)), mean(s(:)),
median(s(:)), std(s(:)), var(s(:)), skewness(s(:)),

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kurtosis(s(:)), mean(v(:)), median(v(:)), std(v(:)),
var(v(:)),skewness(v(:)), kurtosis(v(:)), manhattan_distance};

% Appending the entry in the table

info_table = [info_table;new_row];

end

% Replacing the NaN with values in the previous cell and sorting
the rows in the table in the ascending order of
manhattan_distance

info_table = sortrows(fillmissing(info_table, 'previous'),
'manhattan_distance');

%writing the table to excel sheet

writetable(info_table, 'LABFAT.xls')

% Displaying the top 10 images

subplot(3, 5, 3);

imagesc(query_image);

title('Query image');

file_names = info_table(:, 'file_name').file_name; % Extracting
the filenames of the images

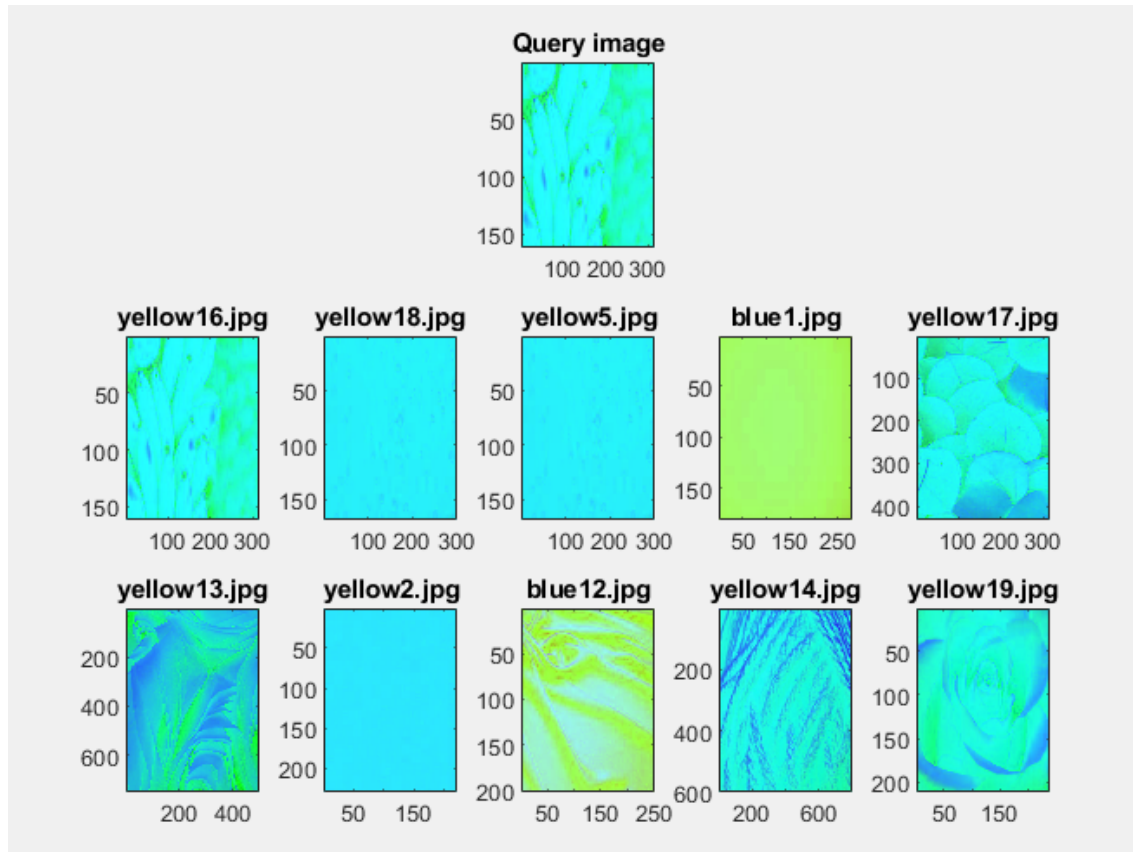
for i = 1:10

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```
F = fullfile(D,char(file_names(i)));  
  
I = imread(F);  
  
subplot(3, 5, i+5);  
  
imagesc(rgb2hsv(I));  
  
title(char(file_names(i)));  
  
end  
  
Toc;
```

OUTPUT

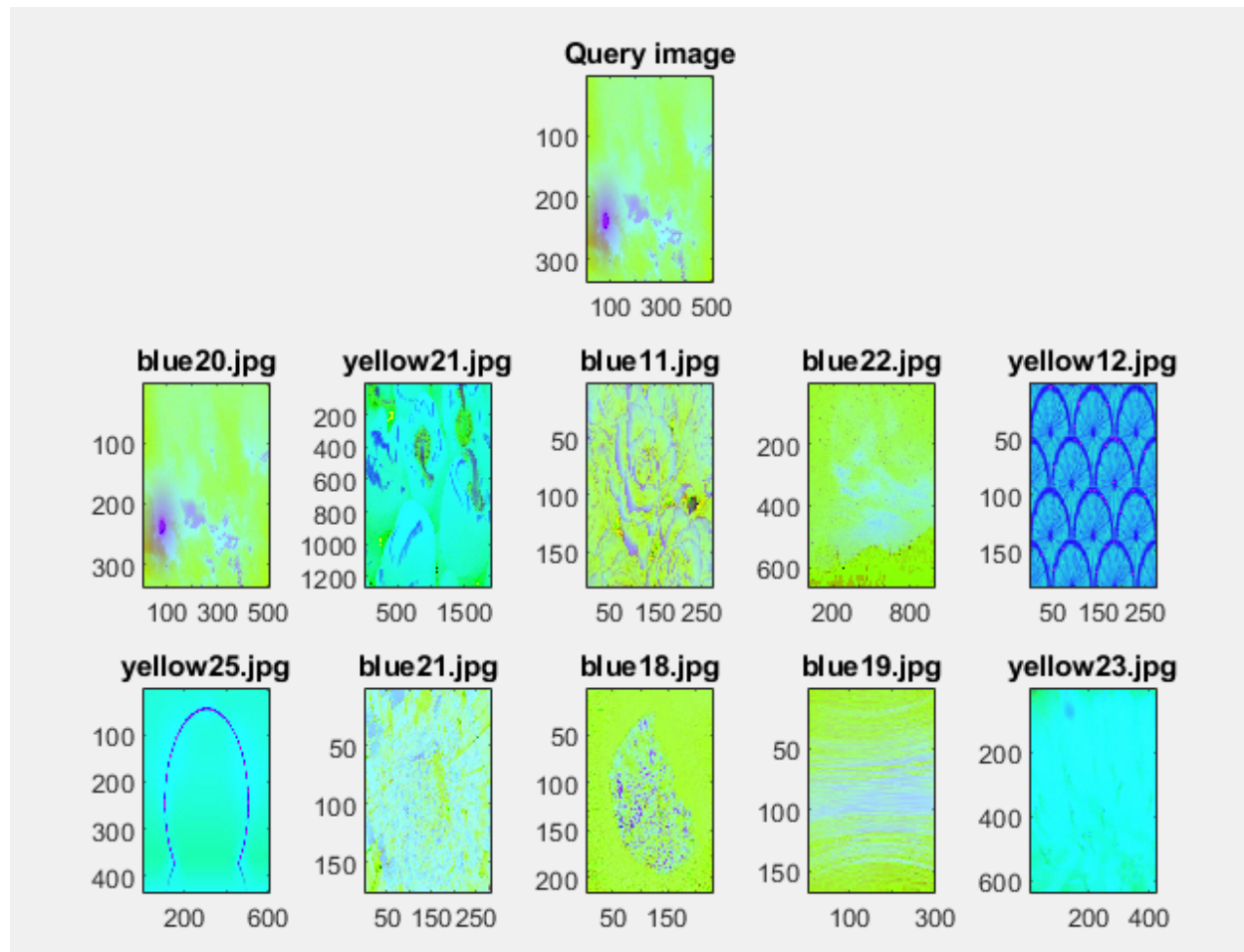
1. Query image - yellow16.jpg



$$\text{Precision} = 8/(8+2) = 0.2$$

$$\text{Recall} = 8/25 = 0.32$$

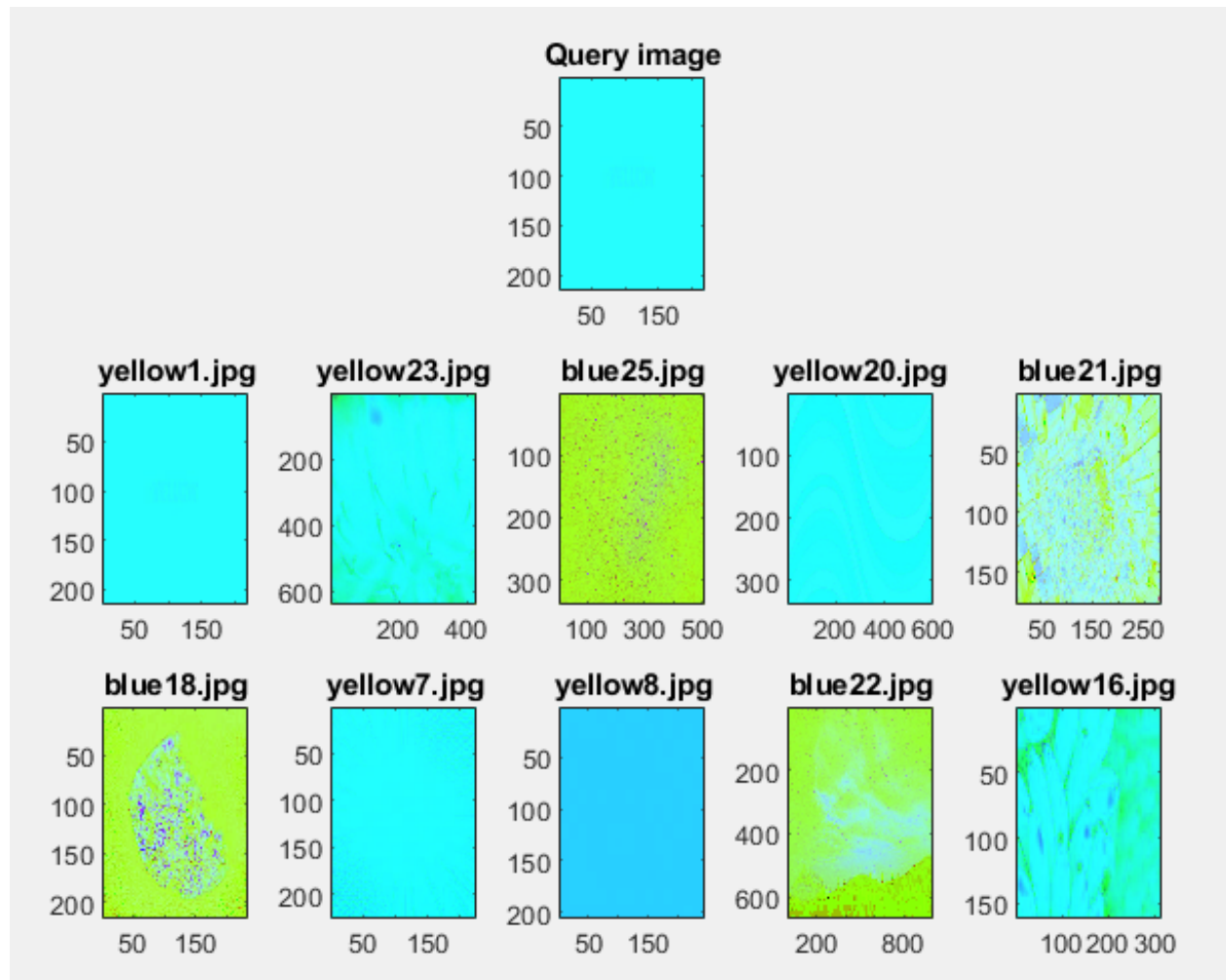
2. Query image - blue20.jpg



Precision = $6/(6+4) = 0.6$

Recall = $6/25 = 0.24$

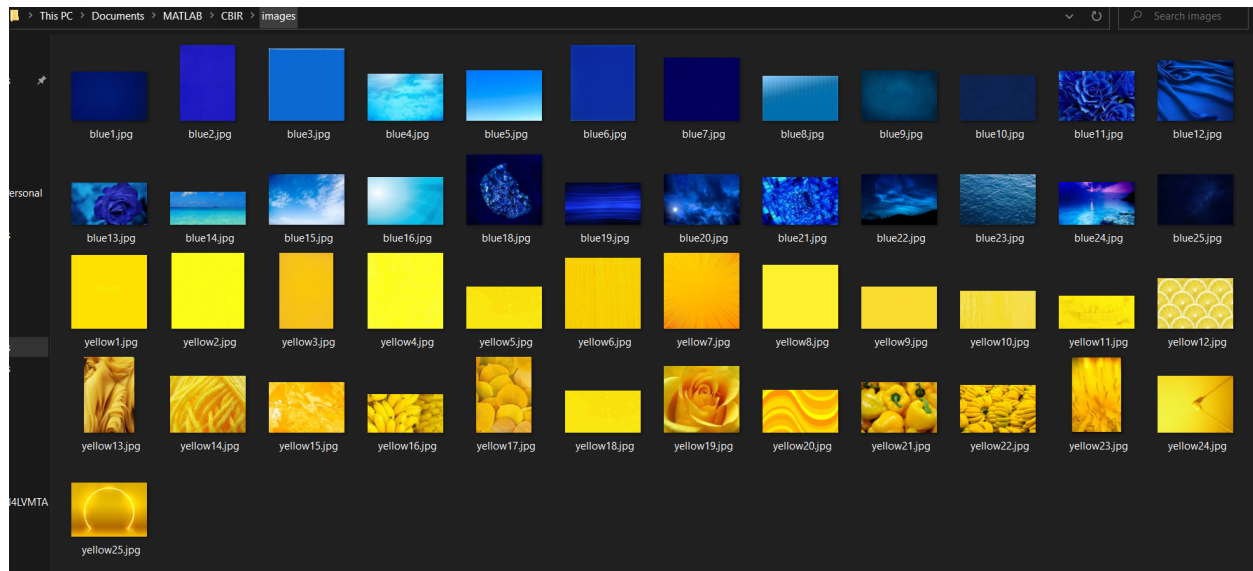
3. Query image - Yellow1.jpg



Precision = $6/(6+4) = 0.6$

Recall = $6/25 = 0.24$

Database



ALGORITHM:

- ① Get Query image
- ② Convert to ~~RGB~~ HSP
- ③ Extract each color plane.
- ④ Create a table with column names
hue mean, hue median,
- ⑤ Get image from Database.
- ⑥ Convert to HSV
- ⑦ Extract color plane.
- ⑧ Find absolute difference between mean,
median, standard deviation, variance,
skewness and kurtosis for each
color plane.
- ⑨ Sum above differences to get manhattan distance.
- ⑩ store all values in table along with manhattan
distance.
- ⑪ Repeat step 5 to 10 for all images in
database
- ⑫ Store all values in excel sheet
- ⑬ Print/show the top 10 images.

EQUATIONS

① Manhattan distance:

$$|x_1 - x_2| + |y_1 - y_2| + \dots$$

② Mean:

$$\bar{E}_i = \sum_{j=1}^J \frac{1}{N} p_{ij}$$

③ SD

$$\sigma_i = \sqrt{\frac{1}{N} \left(\sum_{j=1}^J (p_{ij} - \bar{E}_i)^2 \right)}$$

$$\text{variance} = \sigma^2$$