

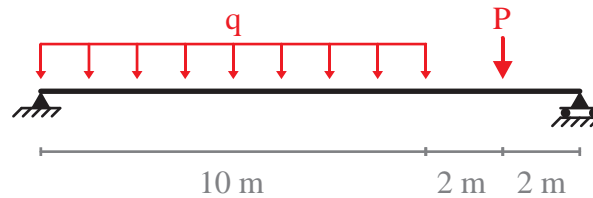
Homework 1 Due: Friday, September 25, 2015 @ 5:00 PM in E218

For each of the systems shown below:

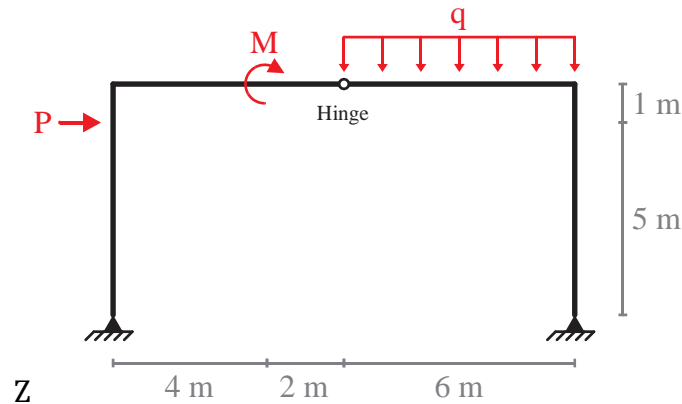
- Find the reactions and draw the complete FBD
- For the beam and frame: draw the shear and moment diagrams (onto the actual structure)
For the truss: calculate axial forces and label on the FBD
- Sketch the approximate deformed shape (you do not need to calculate for deflections)

Show all calculations, provide all critical values for shear and moment diagrams, use a ruler for diagrams, and use consistent sign convention. $M = 5 \text{ kNm}$, $P = 10 \text{ kN}$, $q = 2 \text{ kN/m}$. **10 pts each.**

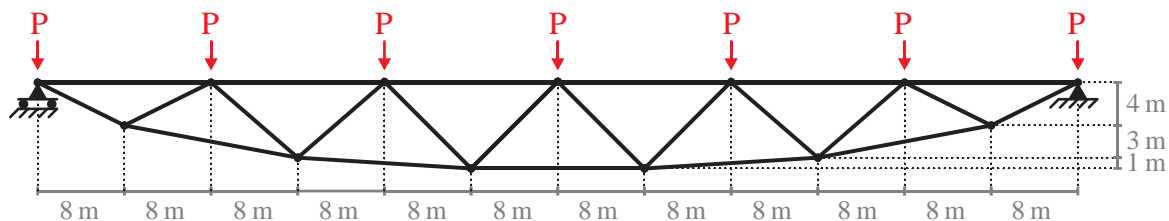
1. Beam:



2. Frame:



3. Truss:



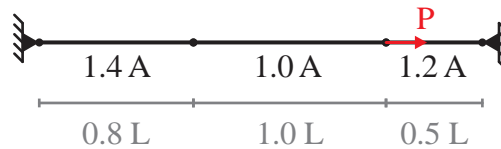
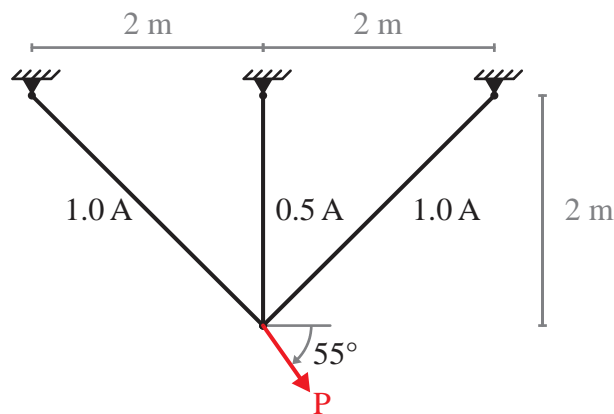
Homework 2**Due: Friday, October 2, 2015 @ 5:00 PM in E218**

Solve each problem by hand:

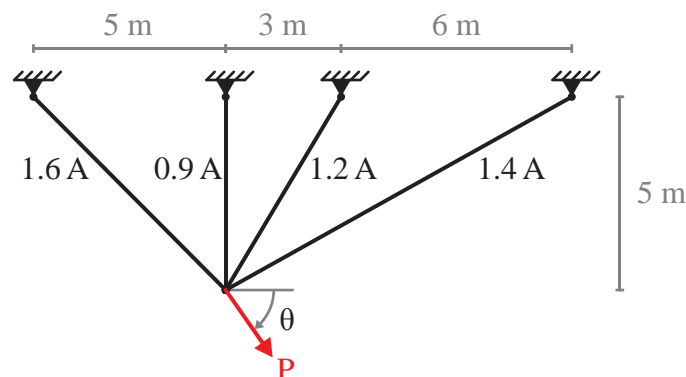
- Redraw the diagram and label your degrees of freedom
- Generate the element and global stiffness matrices
- Solve for the displacements, reactions, and axial forces
- Draw the FBD (with axial forces labeled) and sketch the deformed shape

Also perform an analysis using SAP2000:

- Provide labeled images of your input geometry (with loads shown) and the deformed shape
- Compare (tabulate and discuss) your hand calculations with your SAP2000 analysis

1. 1D truss: $P = 60 \text{ kN}$, $E = 200\,000 \text{ MPa}$, $A = 1000 \text{ mm}^2$, $L = 3 \text{ m}$. 15 pts**2. 2D truss: $P = 100 \text{ kN}$, $E = 200\,000 \text{ MPa}$, $A = 1000 \text{ mm}^2$. 20 pts**

3. 2D truss: Find the magnitude (P) and direction (θ) required to obtain a displacement at the bottom node of $\{u, v\} = \{3 \text{ mm}, -2 \text{ mm}\}$. $E = 200\,000 \text{ MPa}$, $A = 10\,000 \text{ mm}^2$. Hint: how many unknown displacements are there? 20 pts

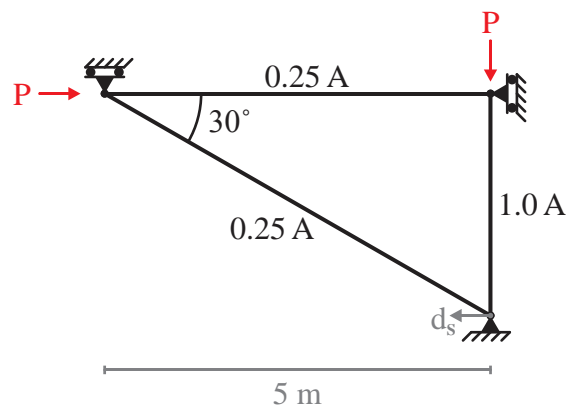
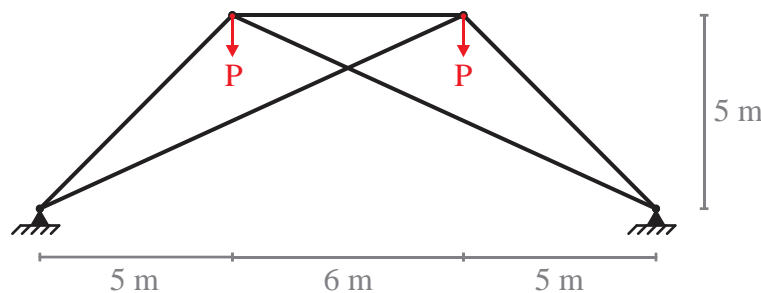
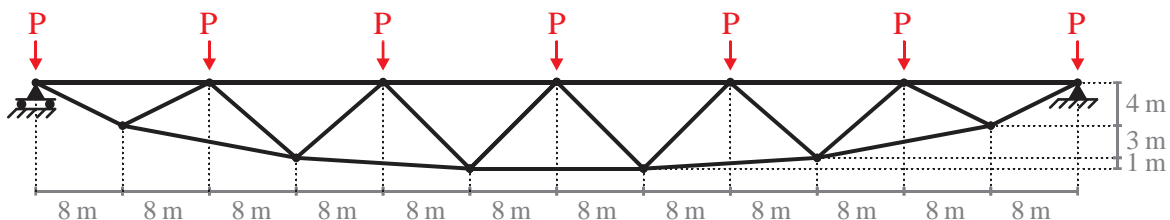


Homework 3**Due: Friday, October 9, 2015 @ 5:00 PM in E218**Solve **Questions 1 and 2** by hand:

- Redraw the diagram and label your nodes and degrees of freedom
- Generate the element stiffness matrices, but not the global stiffness matrix
- Solve for the displacements, reactions, and axial forces without the global stiffness matrix
- Draw the FBD (with axial forces labeled) and sketch the deformed shape

Also perform an analysis with your MATLAB program for **Questions 1, 2, and 3**:

- Provide labeled images of your input geometry (with loads shown) and the deformed shape
- Compare (tabulate and discuss) your hand calculations with your MATLAB analysis
- Provide a short description of your code changes and attach a printout only of the parts of the code that you changed

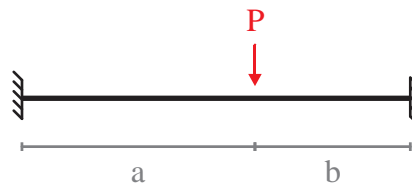
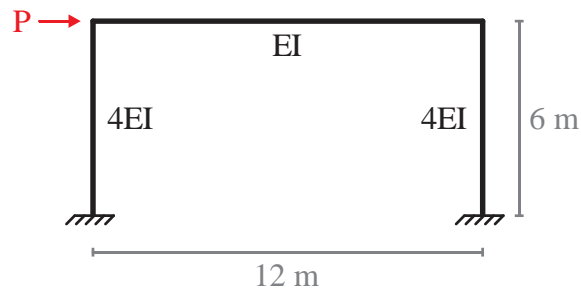
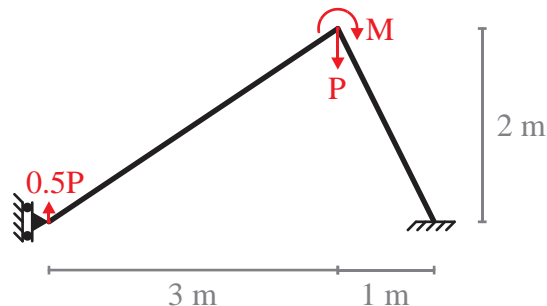
1. Truss: $d_s = 1$ mm to the left. $P = 100$ kN, $E = 200\,000$ MPa, $A = 2000$ mm². **15 pts****2. Truss:** $P = 10$ kN, $E = 120\,000$ MPa, $A = 1500$ mm². You will need to use symmetry. **15 pts****3. Truss:** Use hand calculations from HW1 for relevant comparisons. $P = 10$ kN, $E = 200,000$ MPa, $A = 1200$ mm². **10 pts**

Homework 4**Due: Friday, October 16, 2015 @ 5:00 PM in E218**Solve **Questions 1 and 2** by hand:

- i) Redraw the diagram and label your nodes and degrees of freedom
- ii) Generate the element stiffness matrices and the global stiffness matrix
- iii) Solve for the displacements, reactions, and internal moments and shears
- iv) Draw the Free Body, moment, and shear diagrams, and sketch the deformed shape

Code in the beam element into MATLAB and perform an analysis for **Questions 2 and 3**:

- v) Provide labeled images of your input geometry (with loads shown) and the deformed shape
- vi) Compare (tabulate and discuss) your hand calculations with your MATLAB analysis
- vii) Provide a short description of your codes changes and attach a printout only of the parts of the code that you changed

1. Beam: Solve in variable form. E, I are constant. Hint: $a^3 + 3a^2b + 3ab^2 + b^3 = (a + b)^3$. **10 pts****2. Frame:** Ignore axial deformations. $P = 12 \text{ kN}$, $E = 30\,000 \text{ MPa}$, $I = 2 \times 10^9 \text{ mm}^4$. **20 pts****3. Frame:** You do not need to provide a comparison with any hand calculations, but you still need to provide a table of results. Also, draw the Free Body, moment and shear diagrams by hand. $P = 200 \text{ kN}$, $M = 100 \text{ kNm}$, $E = 100\,000 \text{ MPa}$, $A = 5000 \text{ mm}^2$, $I = 200 \times 10^6 \text{ mm}^4$. **10 pts**

Homework 5**Due: Friday, October 23, 2015 @ 5:00 PM in E218**

For all questions:

- i) Find the Equivalent Nodal Forces by hand (be sure to include diagrams)

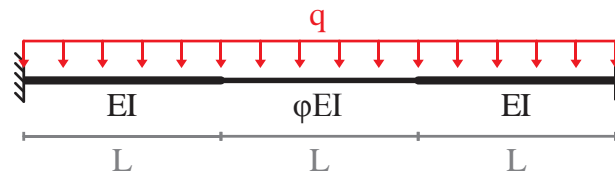
Solve **Questions 1 and 2** by hand:

- ii) Redraw the diagram and label your nodes and degrees of freedom
- iii) Generate the element stiffness matrices, but not the global stiffness matrix
- iv) Solve for displacements, reactions, and internal forces without the global stiffness matrix
- v) Draw the FBD, moment and shear diagrams, and sketch the deformed shape

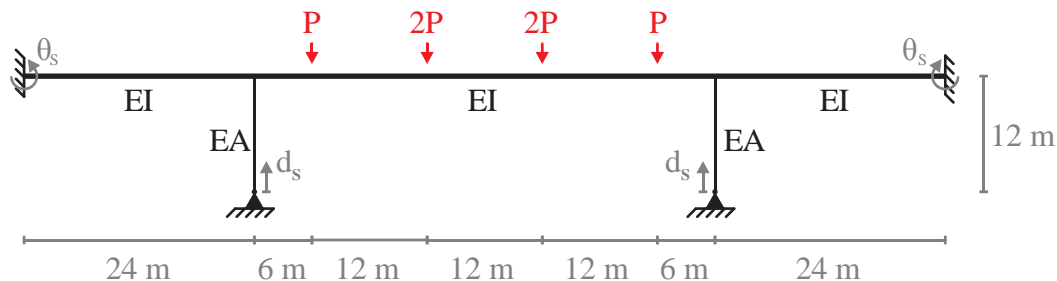
Code in the hinge element into MATLAB and perform an analysis for **Questions 2 and 3**:

- vi) Provide labeled images of your input geometry with loading and the deformed shape
- vii) Compare (tabulate and discuss) your hand calculations with your software analysis
- viii) Provide a short description of your codes changes and attach a printout only of the parts of the code that you changed

- 1. Beam:** Find ϕ that makes the moments zero at a distance L from either support. **15 pts**



- 2. Beam/Truss Hybrid:** The horizontal beam is supported by two truss elements. $P = 60 \text{ kN}$, $\theta_s = 1 \times 10^{-4} \text{ rad}$, $d_s = 2 \text{ mm}$, $E = 50\,000 \text{ MPa}$, $I = 1.2 \times 10^{12} \text{ mm}^4$, $A = 90\,000 \text{ mm}^2$. **25 pts**



- 3. Frame:** Tabulate displacements, reactions, internal forces, and draw shear, moment, and free body diagrams. Use hand calculations from HW1 for relevant comparisons. $M = 5 \text{ kNm}$, $P = 10 \text{ kN}$, $q = 2 \text{ kN/m}$, $E = 200\,000 \text{ MPa}$, $I = 60 \times 10^9 \text{ mm}^4$, $A = 120\,000 \text{ mm}^2$. **10 pts**

