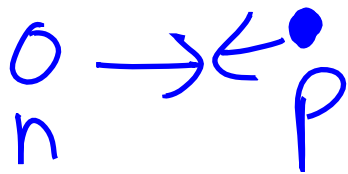
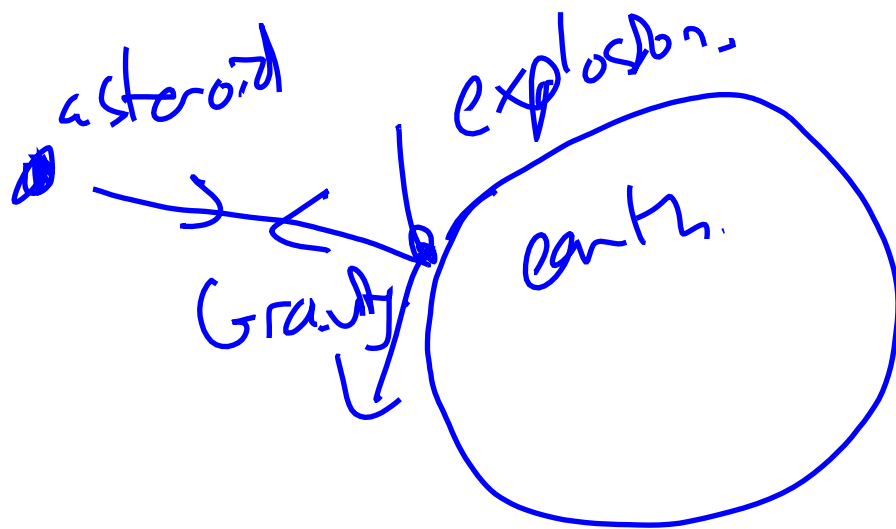


# Lecture 10

## Binding energy.

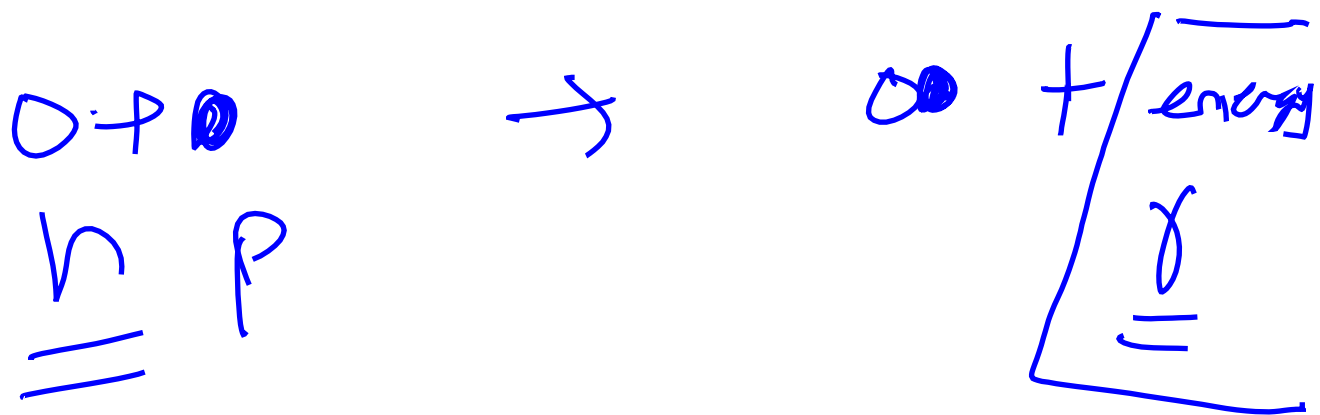


 deuteron.



Heavy  
water.

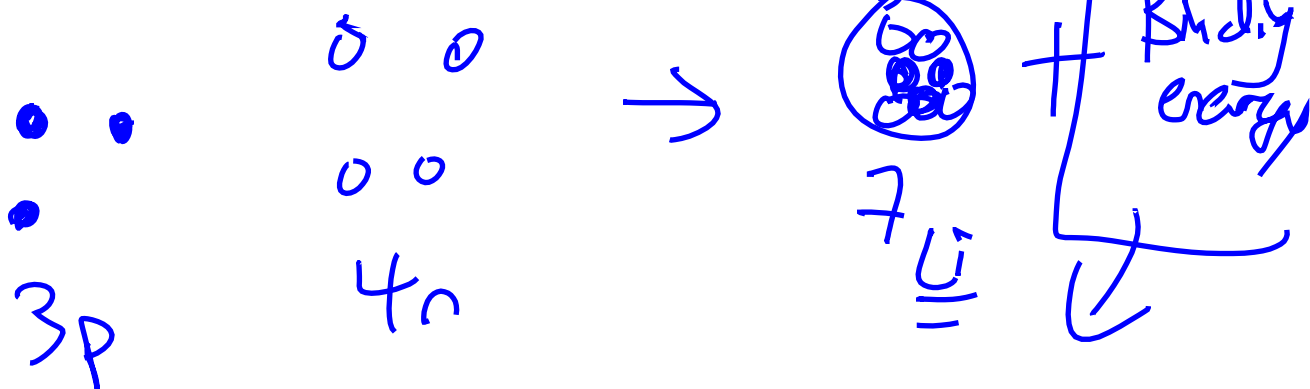




neutron capture.

mass defect  $\neq$  mass excess  
 but they are both used  
 to calc binding energy

Li-7.



What is binding energy useful

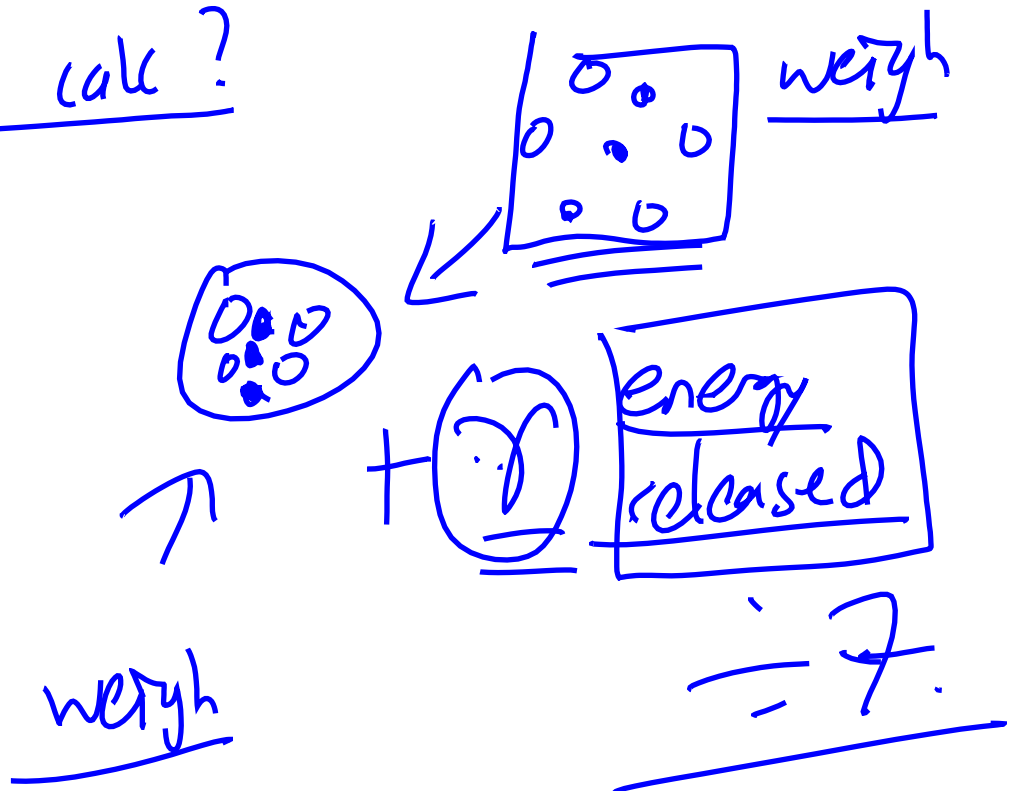
for?

Conceptually speaking BE. / nucleon.  
is useful to describe how tightly  
a nucleus is bound.

How to calc?

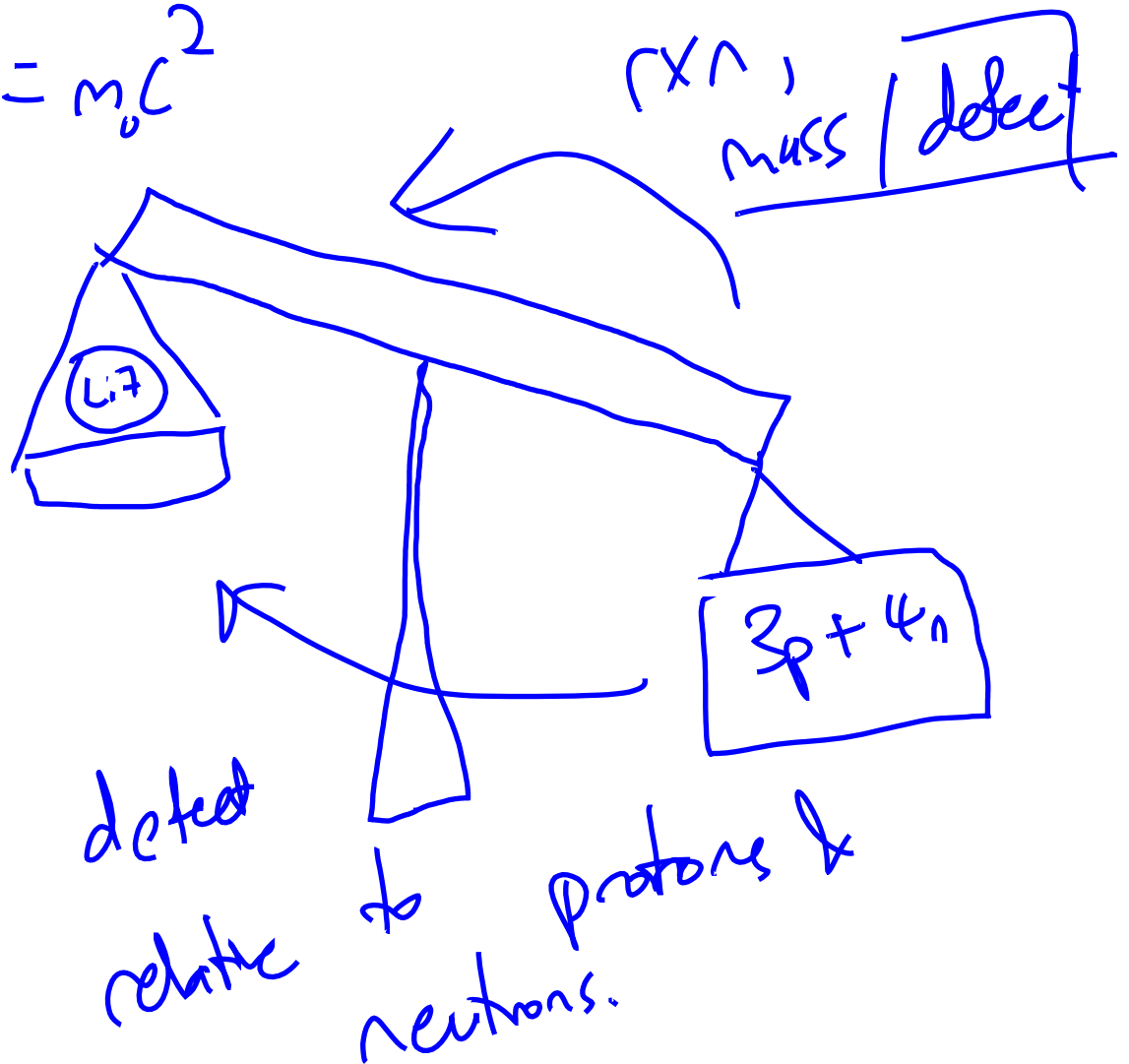
eg.

Li-7



How to measure Binding  
Energy? (BE)

$$E = mc^2$$



# Potential confusion.

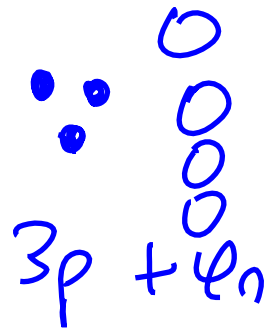
mass defect

VS mass excess.

mass  
defect.



mass  
compare w/



mass  
excess



mass  
comparison  
w/

$\frac{1}{12}$  mass  
of  $^{12}\text{C}$

practical way to  
calc mass excess.  
for  $\text{Li-7}$

a.m.u.  
 $\times$  no. of  
nucleons

mass  $\text{Li}^{-7} = 7.0$

106 Calculating Binding energy  
practically.

→ wallet cards.

$$1 \text{ MeV} = 1.602 \times 10^{-13} \text{ J}$$

$\text{Li}^{-7}$

$\Delta (\text{MeV})$

$$= 14.907 \text{ MeV.}$$

- Calc B.E of  $\text{Li-7}$ .

energy released when

combining individual neutrons  
& protons into the nucleus.

- mass excess = mass of  
particle - no. of nucleons  $\times$   
 $\frac{1}{12} {}^{12}\text{C}$

$\Delta(\text{mev})$  of  ${}^7\text{Li} = 14907\text{mev}$ .

BE of  ${}^7\text{Li}$

$$= \text{mass of Li-7} - \text{mass of } 3p$$

$$= \text{mass of Li-7} - \text{mass of } 4n$$

Substantially  
mass excess

$$= \left( \text{mass of Li-7} - 7 \times \frac{1}{12} {}^{12}\text{C} \right) - 3 \left( \text{mass of } p - \frac{1}{12} {}^{12}\text{C} \right) \frac{1 \text{ Dalton}}{1 \text{ amu.}}$$

$$- 4 \left( \text{mass of } n - \frac{1}{12} {}^{12}\text{C} \right)$$

$$= -7 \times \frac{1}{12} {}^{12}\text{C} + 3 \times \frac{1}{12} {}^{12}\text{C} + 4 \times \frac{1}{12} {}^{12}\text{C}$$



$$+ BE \text{ of } {}^7\text{Li}$$

$$= \Delta(\text{meV}) {}^7\text{Li}$$

$$- 3 \Delta(\text{meV}) \text{ p}$$

$$- 4 \Delta(\text{meV}) \text{ n}$$

$$= 14.907 \text{ MeV}$$

$$- 3 \times \underline{\underline{7.284}} \text{ MeV}$$

$$- 4 \times 8.071 \text{ MeV}$$

$$= \underline{\underline{-39.2 \text{ MeV}}} - 39.244 \text{ MeV}$$

note: BE is the because

you must supply  
energy to break apart  
the nucleus.

$${}^7\text{Li} \quad BE = 39.244 \text{ MeV}$$

$$BE/\text{nucleon} = \frac{39.244}{7} = 5606 \text{ MeV.}$$

# Lecture 11 - Q values

$\Delta$  mass excess is a measure of how tightly a nucleus is bound w.r.t  $^{12}\text{C}$ .

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we bother about Binding energy, mass excess & mass defect, because we are interested in how much energy is

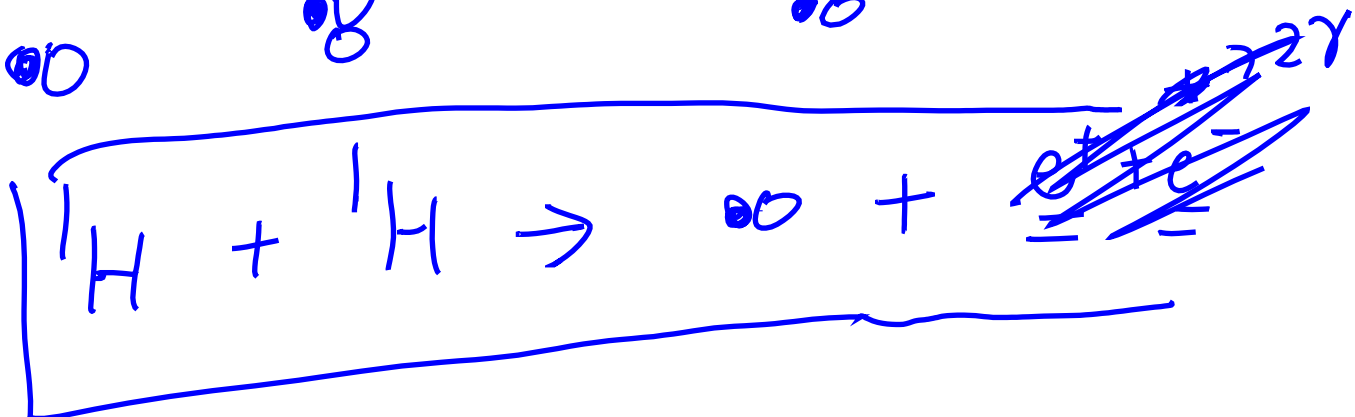
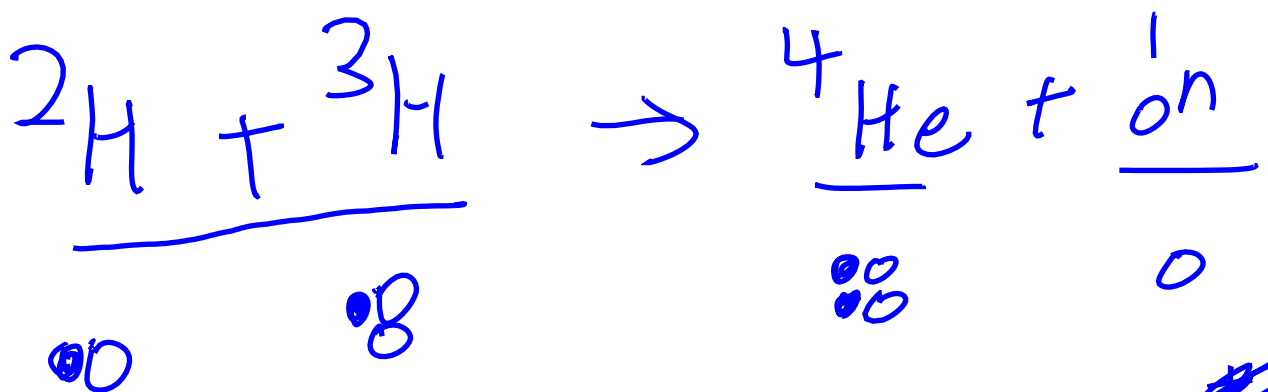
released in fusion/fission processes.

Q-value  $\rightarrow$  energy released in nuclear reaction.

$$\boxed{\underline{Q} + \underline{W} = \Delta U}$$

1st law of Thermodynamics

fusion process.



	$\Delta$
$2_1\text{H}$	13.136
$3_1\text{H}$	14.950
$4_2\text{He}$	2.425
$1_0\text{n}$	8.071

Reactants

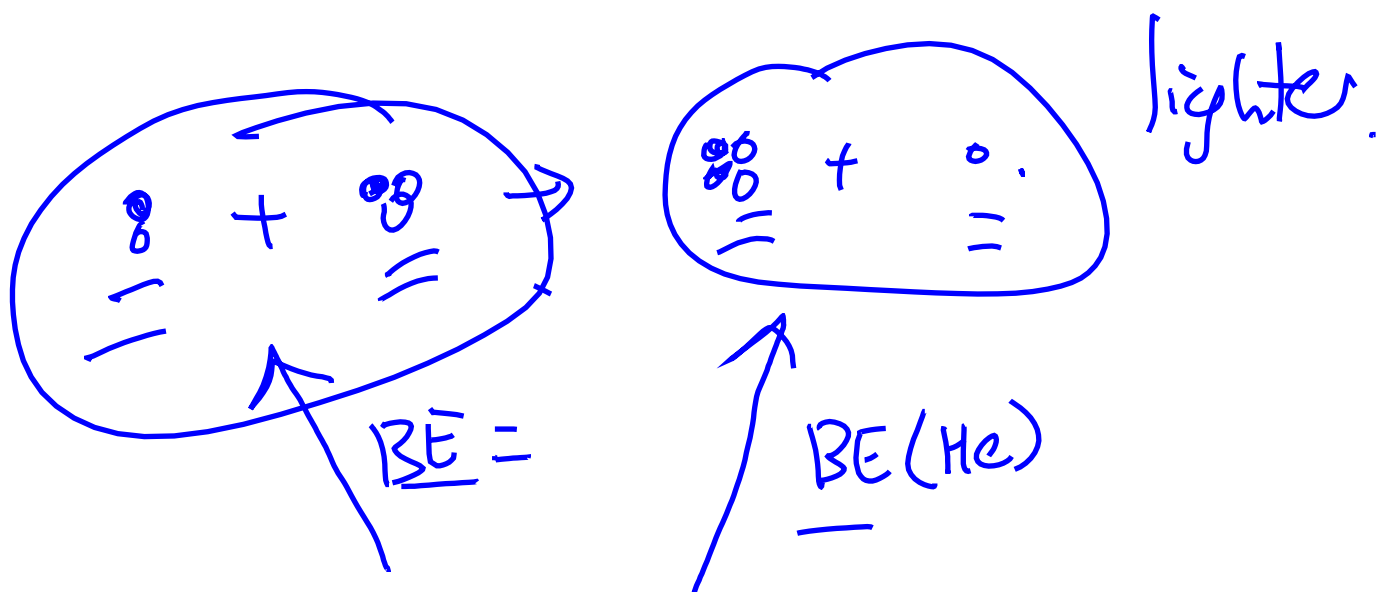
$$13.136 + 14.950$$

Q-value is  
true for  
exothermic  
= (gives heat to  
outside)

Products

$$2.425 + 8.071$$

$$\begin{aligned} \text{Q-value} &= (13.136 + 14.950) \\ &\quad - (2.425 + 8.071) = \underline{\underline{17.59 \text{ MeV}}} \end{aligned}$$



tighter bound nuclei = lighter

$$\left[ \begin{array}{l} \text{(mass of} \\ \text{reactants)} \end{array} \right] - \left[ \begin{array}{l} \text{(mass of} \\ \text{products)} \end{array} \right]$$

$$\Delta m \times c^2 = \underline{\underline{E}} \quad \text{Q-value.}$$



















































































