# Landslide Analysis

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Here is a data dictionary containing all features of interest to our project.

This first model is a attempt at predicting the possibility of a landslide occurring at a specific specific region of a 100 mile radius.

### **Data Cleaning**

Step 1, get the columns we want. Not the redundant columns that contain the same information or identification numbers, or columns that we don't know what it means.

```
landslide_ trigger fatalities injuries landslide1 distance population key_
1
   Mudslide Downpour
                                              Medium
                                                       2.12825
                                                                      6523
                               0
                                              Medium 215.44888
  Landslide
                 Rain
                                        0
                                                                             ID
3
   Mudslide
                 Rain
                               0
                                              Medium 199.44893
                                                                     8987
                                                                             CA
                               0
                                        0
                                                                             CA
4
    Complex Downpour
                                              Medium 178.23706
                                                                     33430
5
   Mudslide Downpour
                               0
                                        0
                                               Small 176.02202
                                                                     14708
                                                                             CA
   Mudslide Downpour
                                        0
                                              Medium 166.44009
                                                                     33430
                                                                             CA
 latitude longitude
  41.5585 -73.4020 03/07/2011 08:00:00 AM +0000
   0.1115 113.9171 04/01/2008 07:00:00 AM +0000
  52.3545 -127.6980 01/30/2015 08:00:00 AM +0000
  50.7053 -127.5062 09/24/2010 07:00:00 AM +0000
  53.3319 -132.4149 08/31/2014 07:00:00 AM +0000
  50.4335 -127.4846 09/24/2010 07:00:00 AM +0000
```

The month and the year are under the column "date\_", we'll need to extract this into respective columns to properly use them as features in our model.

Extracting the month and the year

```
library(stringr)
# Convert to Date :
```

```
# Convert to Date format
parsed_datetime <- strptime(landslide_data$date_, "%m/%d/%Y %I:%M:%S %p %z")

# Extract year, month, day, etc.
landslide_data$year <- format(parsed_datetime, "%Y")
landslide_data$month <- format(parsed_datetime, "%m")

# Convert to numeric if needed
landslide_data$year <- as.integer(landslide_data$year)
landslide_data$month <- as.integer(landslide_data$month)
head(landslide_data)</pre>
```

```
landslide_ trigger fatalities injuries landslide1 distance population key_

        mudslide
        trigger
        ratalities
        injuries
        randslide
        distance
        population
        key_

        mudslide
        o
        0
        medium
        2.12825
        6523
        US

        landslide
        rain
        0
        0
        medium
        215.44888
        0
        ID

        mudslide
        rain
        0
        0
        medium
        199.44893
        8987
        CA

        complex
        downpour
        0
        0
        medium
        178.23706
        33430
        CA

        mudslide
        downpour
        0
        0
        medium
        166.44009
        33430
        CA

        latitude
        longitude
        date
        vear
        month

2 landslide rain
4
5 mudslide downpour
6 mudslide downpour
  latitude longitude
                                                              date_ year month
1 41.5585 -73.4020 03/07/2011 08:00:00 AM +0000 2011
    0.1115 113.9171 04/01/2008 07:00:00 AM +0000 2008
3 52.3545 -127.6980 01/30/2015 08:00:00 AM +0000 2015
4 50.7053 -127.5062 09/24/2010 07:00:00 AM +0000 2010
5 53.3319 -132.4149 08/31/2014 07:00:00 AM +0000 2014
6 50.4335 -127.4846 09/24/2010 07:00:00 AM +0000 2010
Now we can remove the date column
landslide_data <- subset(landslide_data, select = -date_)</pre>
Now we'll remove all the rows containing NA:
landslide_data <- na.omit(landslide_data)</pre>
Let's visualize the triggers, are there any dominant triggers that can be identified.
# Load necessary libraries
library(knitr)
library(kableExtra)
library(gridExtra)
# Assuming 'landslide_data' is your dataset and 'trigger' is the feature you're interested in
# Calculate frequency of each trigger type
trigger_frequencies <- table(landslide_data$trigger)</pre>
# Convert to data frame for better readability
trigger_df <- as.data.frame(trigger_frequencies)</pre>
colnames(trigger_df) <- c("Trigger_Type", "Frequency")</pre>
# Display the table with kable
kable_table <- kable(trigger_df, caption = "Frequencies of Different Triggers") %>%
  kable_styling(bootstrap_options = c("striped", "hover"))
# Save the table as a PNG image
png("trigger_table.png", width = 800, height = 600) # Set PNG file size
grid.table(trigger_df) # Plot the table
dev.off() # Close the plotting device and save the PNG
pdf
  2
kable_table
```

Table 1: Frequencies of Different Triggers

$Trigger\_Type$	Frequency
-----------------	-----------

construction continuousrain damembankmentcollapse downpour earthquake	21 271 4 3887 34
flooding freezethaw miningdigging monsoon noapparenttrigger	14 13 38 70 4
other rain snowfall tropicalcyclone unknown	12 1573 46 457 338

```
# Calculate the number of occurrences for each month
month_count <- table(landslide_data$month)</pre>
```

Now to turn all the columns into numerical values to be able to be used in our model:

```
landslide_data$landslide_ <- factor(landslide_data$landslide_)
landslide_data$landslide_ <- as.integer(landslide_data$landslide_)
landslide_data$trigger <- factor(landslide_data$trigger)
landslide_data$trigger <- as.integer(landslide_data$trigger)
landslide_data$landslide1 <- factor(landslide_data$landslide1)
landslide_data$landslide1 <- as.integer(landslide_data$landslide1)
landslide_data$key_ <- factor(landslide_data$key)
landslide_data$key_ <- as.integer(landslide_data$key)</pre>
```

#### head(landslide\_data)

	landslide_	trigger	fatalities	injuries	landslide1	distance	population	key_
1	6	4	0	0	4	2.12825	6523	116
2	5	12	0	0	4	215.44888	0	54
3	6	12	0	0	4	199.44893	8987	20
4	1	4	0	0	4	178.23706	33430	20
5	6	4	0	0	5	176.02202	14708	20
6	6	4	0	0	4	166.44009	33430	20

```
latitude longitude year month
1 41.5585 -73.4020 2011 3
2 0.1115 113.9171 2008 4
3 52.3545 -127.6980 2015 1
4 50.7053 -127.5062 2010 9
5 53.3319 -132.4149 2014 8
6 50.4335 -127.4846 2010 9
```

Now to make our predictions easier, we'll create another feature grouping the observations into regions of 100 mile radius. For a region to exist there needs to be at least 5 observations within it

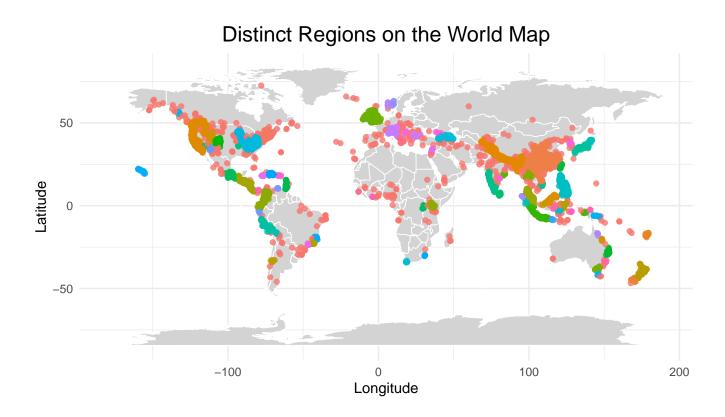
```
library(dbscan)
```

```
coords <- landslide_data[, c("longitude", "latitude")] #Extract the lat and long cols</pre>
```

```
clustering <- dbscan(coords, eps = 1.45, minPts = 5) # eps = 160.934/111 where 1 degree is 111 kilometers
landslide_data$region <- clustering$cluster
landslide_data$region <- factor(landslide_data$region)</pre>
```

Now we have a new column of regions grouping together all observations together within a 100 mile radius ~~~~~~Data Cleaning Complete

```
library(ggplot2)
library(maps)
# Get the world map data
world_map <- map_data("world")</pre>
# Plot the clusters (regions) on the map without a legend
ggplot() +
  geom_map(data = world_map, map = world_map, aes(x = long, y = lat, map_id = region),
           fill = "lightgray", color = "white", size = 0.3) +
  geom_point(data = landslide_data, aes(x = longitude, y = latitude, color = factor(region)),
             size = 1.5, alpha = 0.8) +
  theme_minimal() +
  labs(
    title = "Distinct Regions on the World Map",
    x = "Longitude",
   y = "Latitude"
  coord_fixed(ratio = 1.1) +
  theme(
    plot.title = element_text(hjust = 0.5, size = 16),
   legend.position = "none" # Hide the legend
```

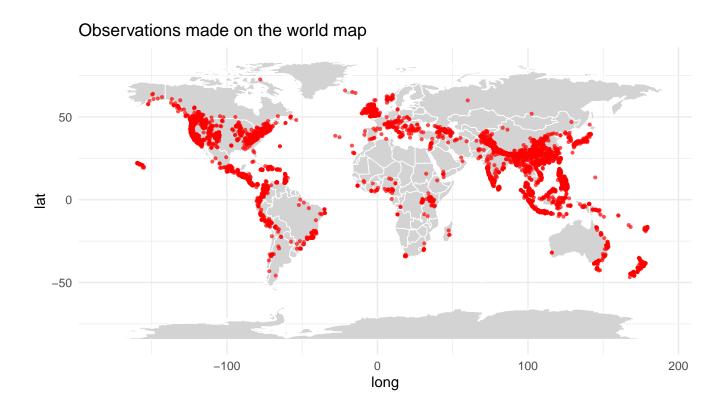


### Visualization

Next, let's visualize our data and our regions. This could give us a idea on spatial dependencies between the data points where those coordinates nearby are more likely to observe landslides as well.

```
# Assuming your 'landslide_data' has columns 'longitude' and 'latitude'
world_map <- map_data("world")

# Create a basic world map
ggplot() +
   geom_map(data = world_map, map = world_map, aes(x = long, y = lat, map_id = region),
        fill = "lightgray", color = "white", size = 0.3) +
   geom_point(data = landslide_data, aes(x = longitude, y = latitude),
        color = "red", size = .75, alpha = 0.7) +
   theme_minimal() +</pre>
```



Indeed, we can see a pattern of grouping among the data points. Thus coordinates near a landslide is much more likely to experience another landslide. This violates the simple linear regression assumption of linearly independent observations, thus just by this visualization we know that a linear relationship is not a good fit for our research question.

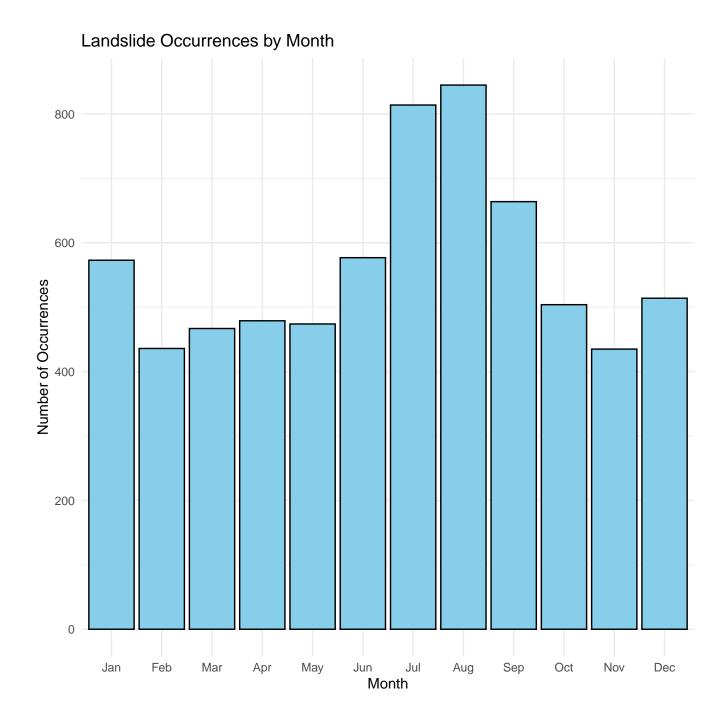
A case we need to consider is the use of coordinates as features. The whole point of this model is to make predictions on future landslides on where they might appear, thus if we include the coordinates as predictors which is directly correlated to the landslide regions we constructed earlier, this would also lead to data leakage. And if we already know the coordinates of where the landslide will appear, then it's pretty pointless to predict the region it appears in. Thus, we'll remove coordinates from the dataset.

landslide\_data <- subset(landslide\_data, select = -c(latitude, longitude))
head(landslide\_data)</pre>

landslide\_ trigger fatalities injuries landslide1 distance population key\_

```
4
                               0
                                        0
                                                   4 2.12825
                                                                      6523
1
           6
                                                                            116
2
           5
                  12
                               0
                                        0
                                                   4 215.44888
                                                                         0
                                                                              54
3
           6
                  12
                               0
                                        0
                                                   4 199.44893
                                                                      8987
                                                                              20
4
           1
                   4
                               0
                                        0
                                                   4 178.23706
                                                                     33430
                                                                              20
5
           6
                   4
                               0
                                        0
                                                   5 176.02202
                                                                     14708
                                                                              20
           6
                               0
                                        0
                                                   4 166.44009
                                                                     33430
                                                                              20
 year month region
1 2011
           3
                  1
2 2008
                  0
           4
3 2015
           1
                  0
                  2
4 2010
           9
5 2014
           8
                  0
           9
                  2
6 2010
```

Next, let's visualize the time-related features. Let's look at the months and the frequency of landslides for each month.



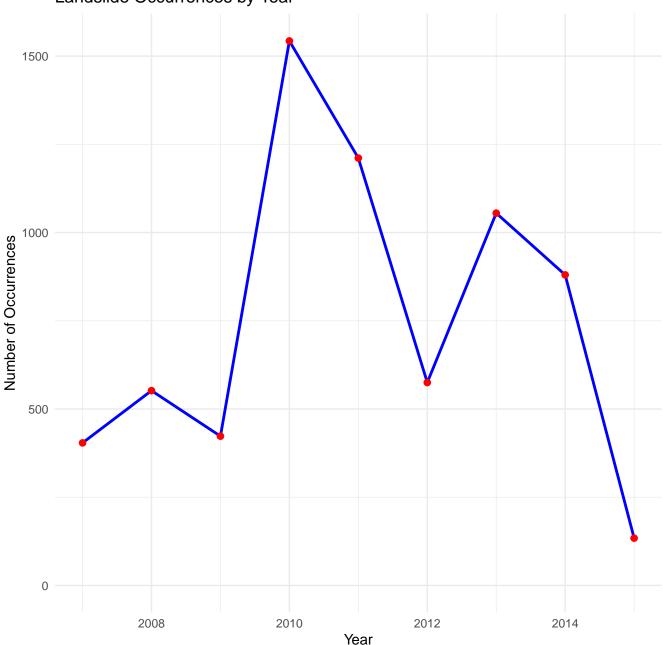
We can see that the most observations of landslides occurred in the month of August and July which is surprising considering that the most common trigger to landslides is due to downpour. Thus it's only natural to assume that the months with the most precipitation would contain the most landslide occurrences.

Now let's visualize the occurances of landslides throughout the timeline.

```
# Aggregate the data by year to count the number of occurrences per year
library(dplyr)
yearly_counts <- landslide_data %>%
    group_by(year) %>%
    summarise(occurrences = n())

# Create the plot
library(ggplot2)
# Create the line plot, starting from 2007
ggplot(yearly_counts, aes(x = year, y = occurrences)) +
    geom_line(color = "blue", size = 1) + # Line plot
```





Overall we can see harsh peaks and drops from 2007-2015. Most likely since this is a natural disaster has to relate to changes in climate, particularly if those years contain more downpour which as shown above is the most frequent trigger for the landslides. Additionally we can see a trend in the plot as generally it follows the pattern of increasing landslide occurrences for one year then followed by 2 years of decreasing occurrences.

Thus, due to the potential temporal trends (increasing or decreasing based on climate changes),if we randomly pick 70% observations for training and 30% for testing this could lead to data leakage. If the training data contains all landslides across the entire time, (2007-2015) as we randomly pick 70% from all the years this can allow the model to be overly reliant on the trends in the training data. Thus if we were to make predictions on testing data, say for 2012, but we already know about landslide occurrences before and after thus the model may be overly reliant on the trend from the training data.

Thus a better solution is to pick training data to be from 2007-2012 and testing data be the landslides after 2012. This creates a better simulation of the testing cases as we only know about the previous landslide data and need to predict on unseen data in the future.

```
# Split the data into training and testing sets
landslide_train <- subset(landslide_data, year < 2012)  # Data before 2012
landslide_test <- subset(landslide_data, year >= 2012)  # Data from 2012 onward

# Check the number of rows in each dataset
cat("Training data size:", nrow(landslide_train), "\n")

Training data size: 4138

cat("Testing data size:", nrow(landslide_test), "\n")

Testing data size: 2644

# Convert 'region' to a factor in both the training and testing sets
landslide_train$region <- as.factor(landslide_train$region)
landslide_test$region <- as.factor(landslide_test$region)

# Ensure both training and testing sets have the same factor levels
levels(landslide_test$region) <- levels(landslide_train$region)</pre>
```

### **Model Fitting**

For our use case of predicting the likelihood of landslides based on coordinates, country, time of the year. We need to consider models that links the relationship between location, and previous occurrences of landslides. We are predicting which region the next landslide will occur in.

Thus the model I would like to use is a random forest due to their ability to handle high-dimensional data especially with spatial features, in our case coordinates. Additionally, the random forest is a flexible model that works well with a mix of categorical and numerical features which is contained in our landslide\_data. However, a big difference between a random forest is that it is a supervised machine learning algorithm, contrary to kNN. The logic behind the random forest is majority rules as it runs multiple iterations through different decision trees and averages the different outcomes to finalize a prediction.

#Initial Model fitting with random forest

We will try to use cross validation with 5 folds to make our model more robust to untouched data.

Additionally we will iterate through different values of mtry: Number of variables to be picked as candidates for each split in the tree We will also test through different values of the tree, how many trees we use and find the average out of

```
library(caret)
# Define training method (without cross-validation)
train_control <- trainControl(method = "none")  # Set method to "none" to remove cross-validation
# Initialize a list to store results and track the best model for each ntree
best_accuracies <- list() # Store best accuracy for each ntree</pre>
# Loop over ntree values
for (ntree in c(100, 200, 300)) { # Looping through ntree values
    # Initialize variables to track best accuracy for the current ntree
    best_accuracy_for_ntree <- 0 # Variable to store best accuracy for this ntree
    best_mtry_for_ntree <- NA # Variable to store the corresponding mtry for the best accuracy
    # Loop over mtry values
    for (mtry_value in c(10, 12, 14, 16, 18, 20)) { # Looping through mtry values
        cat("Training with ntree =", ntree, " and mtry =", mtry_value, "\n")
        # Train the model for each ntree and mtry value (without cross-validation)
        tuned_model <- train(region ~ .,</pre>
                             data = landslide_train,
                             method = "rf",
                             trControl = train control,
                             ntree = ntree, # Set the ntree
                             tuneGrid = data.frame(mtry = mtry_value)) # Set the mtry
        best_model <- tuned_model$finalModel # Extract the final trained model</pre>
        predicted_regions_test <- predict(best_model, newdata = landslide_test) # Test on testing data</pre>
        # Calculate accuracy on test data
        accuracy <- sum(predicted_regions_test == landslide_test$region) / length(predicted_regions_test)
        accuracy_percentage <- accuracy * 100 # Convert to percentage</pre>
        # Update the best accuracy for this ntree if current model is better
        if (accuracy_percentage > best_accuracy_for_ntree) {
            best_accuracy_for_ntree <- accuracy_percentage</pre>
            best_mtry_for_ntree <- mtry_value # Track the mtry value that gave best accuracy
        }
    }
    # Store best accuracy for current ntree
    best_accuracies[[paste("ntree", ntree, sep = "_")]] <- list(</pre>
        best_accuracy = best_accuracy_for_ntree,
        best_mtry = best_mtry_for_ntree
    )
    # Print the best accuracy for the current ntree value
    cat("\nBest Accuracy for ntree =", ntree, ":", round(best_accuracy_for_ntree, 2), "%\n")
    cat("Best mtry for ntree =", ntree, ":", best_mtry_for_ntree, "\n")
}
Training with ntree = 100 and mtry = 10
Training with ntree = 100 and mtry = 12
Training with ntree = 100 and mtry = 14
```

```
Training with ntree = 100 and mtry = 16
Training with ntree = 100 and mtry = 18
Training with ntree = 100 and mtry = 20
Best Accuracy for ntree = 100 : 70.5 %
Best mtry for ntree = 100 : 20
Training with ntree = 200 and mtry = 10
Training with ntree = 200 and mtry = 12
Training with ntree = 200 and mtry = 14
Training with ntree = 200 and mtry = 16
Training with ntree = 200 and mtry = 18
Training with ntree = 200 and mtry = 20
Best Accuracy for ntree = 200 : 70.76 \%
Best mtry for ntree = 200 : 20
Training with ntree = 300 and mtry = 10
Training with ntree = 300 and mtry = 12
Training with ntree = 300 and mtry = 14
Training with ntree = 300 and mtry = 16
Training with ntree = 300 and mtry = 18
Training with ntree = 300 and mtry = 20
Best Accuracy for ntree = 300 : 70.65 %
Best mtry for ntree = 300 : 18
# Optionally, print the stored best results for each ntree
cat("\nSummary of Best Accuracy for each ntree:\n")
Summary of Best Accuracy for each ntree:
for (ntree in names(best_accuracies)) {
  cat("\n", ntree, ":\n")
  cat("Best Accuracy: ", best_accuracies[[ntree]]$best_accuracy, "%\n")
  cat("Best mtry: ", best_accuracies[[ntree]]$best_mtry, "\n")
ntree_100 :
Best Accuracy: 70.49924 %
Best mtry: 20
ntree_200 :
Best Accuracy: 70.76399 %
Best mtry: 20
ntree_300 :
Best Accuracy: 70.65053 %
Best mtry: 18
```

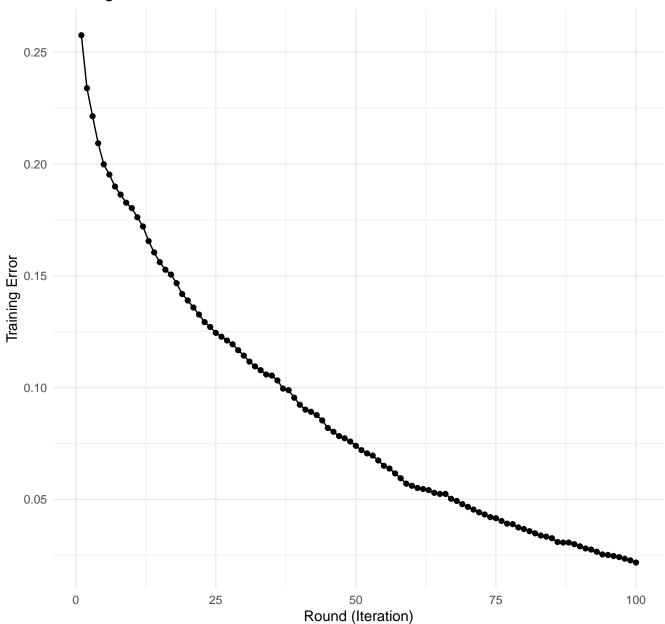
After tuning the hyper parameters we are able to get accuracy of 68% however our accuracies aren't really improving from increasing ntree or mtry which is usually the case.

Thus we need to analyze our data and model more and see what else we can change to help give us a better prediction.

Let us try XGBoost which is another tree based model. The main difference is that with Random Forests, trees are built during training and averaged out for a outcome, XGBoost trains one tree after another where each iteration is focused on correcting the error from the previous tree.

```
library(xgboost)
train_matrix <- as.matrix(landslide_train[, -which(names(landslide_train) == "region")]) # Exclude the target
train_label <- as.factor(landslide_train$region) # Convert target to factor
# Ensure labels are zero-indexed (convert factor levels to integers starting from 0)
train_label <- as.numeric(train_label) - 1 # Subtract 1 to start from 0</pre>
test_matrix <- as.matrix(landslide_test[, -which(names(landslide_test) == "region")])</pre>
test_label <- as.factor(landslide_test$region)</pre>
test_label <- as.numeric(test_label) - 1  # Zero-index the test labels as well
params <- list(</pre>
  objective = "multi:softmax", # Multi-class classification
  num_class = length(unique(train_label)), # Number of classes in the target
  eval_metric = "merror",
                             # Evaluation metric: Multi-class classification error
  max_depth = 6,
                                # Maximum depth of the trees
  eta = 0.1
                                # Learning rate
)
# Train the model
xgb_model <- xgboost(</pre>
  data = train_matrix,
  label = train_label,
  params = params,
                                # Number of boosting rounds (trees)
  nrounds = 100,
  verbose = 0
)
# Plot training error during the boosting rounds
evals_result <- xgb_model$evaluation_log</pre>
# Create a line plot of the training error (merror) over boosting rounds
ggplot(evals_result, aes(x = iter, y = train_merror)) +
  geom_line() +
  geom_point() +
  labs(
    title = "Training error over rounds",
    x = "Round (Iteration)",
    y = "Training Error",
    caption = "Analyzing the performance of XGBoost Model"
  theme_minimal()
```

## Training error over rounds



Analyzing the performance of XGBoost Model

```
# Make predictions
predictions <- predict(xgb_model, newdata = test_matrix)

# Calculate accuracy
accuracy <- sum(predictions == test_label) / length(test_label) * 100
cat("\nTest Accuracy: ", round(accuracy, 2), "%\n")</pre>
```

Test Accuracy: 70.92 %

Even with a basic XGBoost without hyperparameter tuning we are able to get better performance than a optimized random forest. However, it is still overfitting to the data. Next technique I would like to try is bootstrapping.