for d from 2 to factorial(1000) do b := Powers(n, a, d);g := gcd(b+-1, n);if 1 < g then a := 3;retur Exemple du livre de Silverman section 4.4 Pollard (1715761513) 26927 double permet de calculer kP avec P=(x1,y1) et la courbe elliptique donne $par y^2=x^3+bx+c$ **return** $max(gcd(A[1, 2*j], n), gcd(4*A[1, 2*j+-1]^3+4*b*A[1, 2*j+-1$ mod(-lambda * A[1, 2 * j + 1] - nu, n) \mathbf{else} Factorisation de Lenstra par les courbes elliptiques ou ECM for p from 2 to factorial(1000) do Q := double(factorial(p), x1, y1, b, c, n); $\mathbf{if} Q :: integer \mathbf{then}$ $\mathbf{return}\,Q$ Exemple du livre de Silverman Section 4.4 Lenstra (1715761513) 26927 Q[1, 1] := h[1, 1];-(a+2)*P[1, 1]*P[1, 2], n);Q[1, 2] := h[1, 2];P[1, 1] := m[1, 1];Q := echelle(p, x1, a, b, n); a := rand(); x1 := rand();to 300000000 do $\mathbf{if} Q :: integer \mathbf{then}$ $\mathbf{return}\,Q$ with (numtheory) $ssqrfree, ith rational, jacobi, kronecker, \lambda, legendre, mcombine, mersenne, migcdex, minkowski, mipolys, mlog, mobius, mroot, msqrt, nearestp$ $y, s; s := 0; \quad \mathbf{for} \, x \, \mathbf{from} \, 0 \, \mathbf{to} \, p + -1 \, \mathbf{do}$ $y := x^3 + a * x^2 + b * x + c;$ s := s + 1 + numtheory : -legendre(y, p) end

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Powerspermet de calculer a k mod n en dcomposant k en base 2.

end do;;

Algorithme p-1 de Pollard

card (1525453, 45646, 166, 11)

r := r + 1

while $2^r \& lek do$

 $Powers := \mathbf{proc}(nak)\mathbf{local}\,X,\,Z,\,r,\,Y,\,A,\,i,\,j; \quad X := convert(k,\,'base',\,2); \quad Z := convert(X,\,array);$

A := Matrix(1, r); A[1, 1] := a; for i from 2 to r do A[1, i] := mod(A[1, i + i])