

Two-sum

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-1 6 2 -4 3 7 9 11 5
0 1 2 3 4 5 6 7 8

target = 11

(2, 9) ←

$$x + y = 11$$

1.) Brute force: Run a for loop from $i=0$ and go to each elements one by one

i.e, $x = \text{arr}[i]$, $y = \text{arr}[j]$ {where $j = i+1$ }

⇒ two for loops of n →

⇒ $O(n^2)$ $O(1)$ $\text{arr}[i] + \text{arr}[j] = 11$
TC SC

2.) Unordered map/set: We can store the elements of the array in a map and corresponding to each element, we store its indices.

e.g.

-1	0
6	1
2	2
⋮	⋮

we will run a for loop from $i=0$ which will represent x

Now, $y = 11 - x$.

So, we will find if y is present in the map or not.

Return the indices

⇒ $O(n+n) = O(n) + O(1) = O(n)$ $O(n)$
↑ ^{traversing} ↑
to insert elements searching in
in the map map
TC SC

3.) Sorting : a) We will pair the elements with their indices before sorting them.

pair $\langle \text{int}, \text{int} \rangle$ $(-1, 0), (6, 1), \dots$

b) Form a vector of this pair

c) Sort the vector according to the first value

$s \rightarrow \dots \leftarrow e$

-4	-1	2	3	5	6	7	9	11
3	0	2	4	8	1	5	6	7

d) Two pointers, $s=0$, $e=n-1$

e) We add s & e and check with 11

if < 11 , then $s++$

if > 11 , then $e--$

f) when $s=e=11$, return indices.

\Rightarrow $O(n \log n)$ $O(n)$
TC SC

For unsorted array, best approach is (2) and for sorted array (3)