# Oral Presentation Multiscale Texture Synthesis

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#### Paper: Multiscale Texture Synthesis

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University of Columbia, 2008.

Source URL: <a href="https://www.cs.columbia.edu/cg/mts/index.html">https://www.cs.columbia.edu/cg/mts/index.html</a>

#### **Overview**

Example-based Texture Synthesis vs Multiscale Texture Synthesis

- Proposed Multiscale Texture Synthesis:
  - Infinite Zoom
  - Inconsistency Corrections
  - Optimized Performance

#### Example-Based Texture Synthesis

Takes as input a single exemplar image.

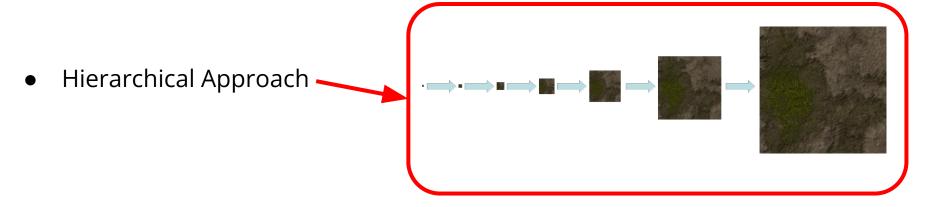
Specific limitations, usually resolution-based.

Hierarchical Approach

#### Example-Based Texture Synthesis

Takes as input a single exemplar image.

Specific limitations, usually resolution-based.



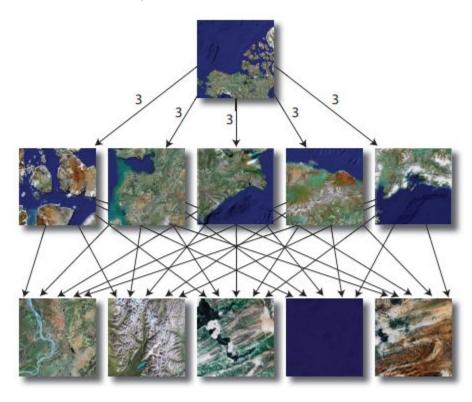
#### Multiscale Texture Synthesis

Exemplar Graph instead of single exemplar input

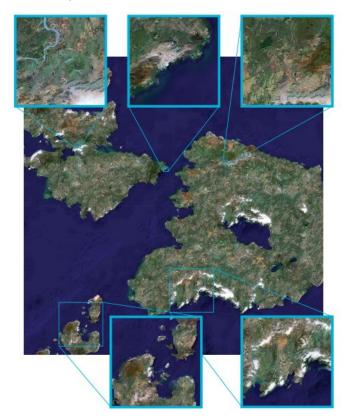
Multiple samples are connected to create the synthesized result.

Support for single exemplar graph by looping over its contents.

#### Multiscale Texture Synthesis



### Multiscale Texture Synthesis



Exemplar Graph

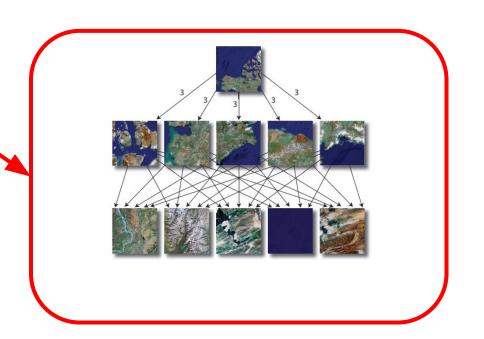
Gaussian Stack

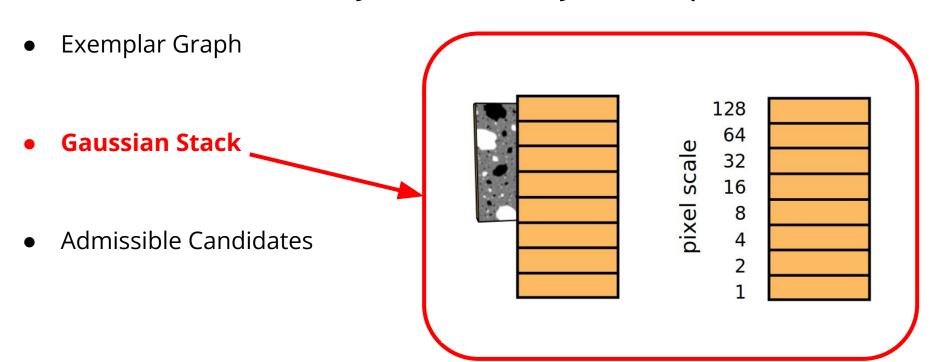
Admissible Candidates

• Exemplar Graph

Gaussian Stack

Admissible Candidates

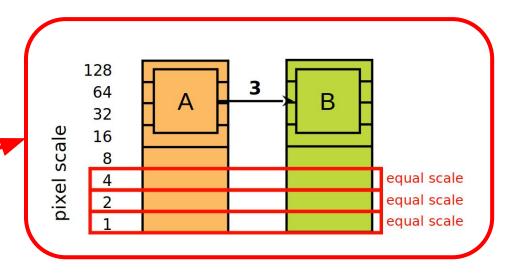




Exemplar Graph



Admissible Candidates



$$\mathcal{A}(E_k^i) = \{ E_l^j \mid \exists (i, j, k - l) \in \mathbb{E}, \ 0 \le l < L \},$$

• Input

Upsampling

Jitter

Correction

Input

Upsampling

Jitter

Correction

- Images are represented by coordinates
- Therefore they contain coordinates in format of (i, k, u)

Input

Upsampling

Jitter

Correction

 We upsample the given stack level to the next one:

$$S_t \left[ 2p + \Delta + \left( \frac{1}{2}, \frac{1}{2} \right) \right] \coloneqq \left( i, k+1, u + \lfloor h_k \Delta \rfloor \pmod{m} \right) ,$$
 where  $\Delta \in \left\{ \left( \pm \frac{1}{2}, \pm \frac{1}{2} \right) \right\}$ .

Input

Upsampling

Jitter

Correction

 Now that we have expanded the scale we need jittering:

$$S_t[p] := (i, k, u + J_t(p) \pmod{m}),$$

where 
$$J_t(p) = \left[ h_k \mathcal{H}(p) \rho_t + \left( \frac{1}{2}, \frac{1}{2} \right) \right]$$

Input

Upsampling

Jitter

Correction

- Final step is to correct the new level
- Re-arranging neighborhoods
- k-coherence algorithm
- Pick admissible candidates that minimize error functional:

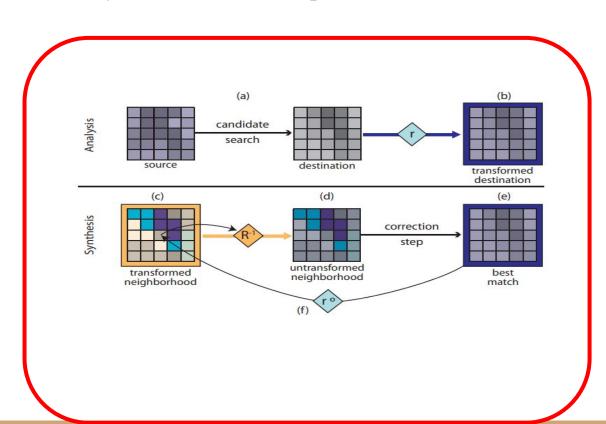
$$\sum_{\delta \in \{-2\dots+2\}^2} \left\| E_k^i[u+\delta h_k] - E_l^j[v+\delta h_l] \right\|^2$$

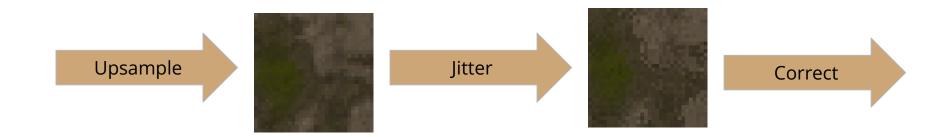
Input

Upsampling

Jitter

Correction



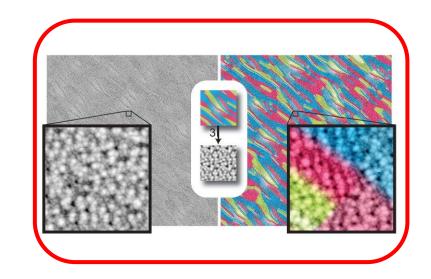


• Corrections is possible to lead to inconsistencies

Transfer functions

Corrections is possible to lead to inconsistencies

Transfer functions

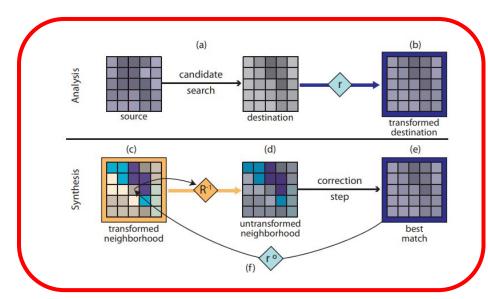


Corrections is possible to lead to inconsistencies

Transfer functions

Corrections is possible to lead to inconsistencies

Transfer functions



Corrections is possible to lead to inconsistencies

Transfer functions

$$\mathbf{b} = \frac{1}{25} \sum_{\delta \in \{-2...+2\}^2} \left( E_k^i [u + \delta h_k] - E_l^j [v + \delta h_l] \right)$$

$$\sum_{\delta \in \{-2\dots+2\}^2} \left\| \mathbf{R}_p^{-1} (\mathbf{R}_{p+\delta}(*S_t[p+\delta])) - \mathbf{r}_v \left( E_l^j[v+\delta h_l] \right) \right\|^2$$

Superexemplar

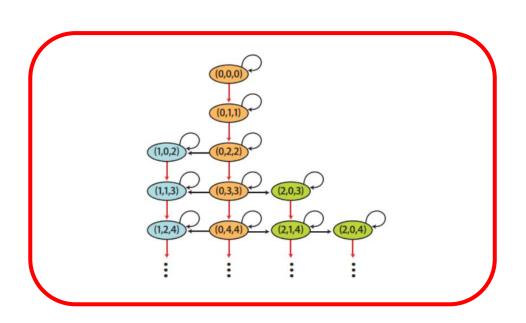
• PCA Projection

Texture Packing

Superexemplar

PCA Projection

Texture Packing



Superexemplar

PCA Projection

Texture Packing

Superexemplar

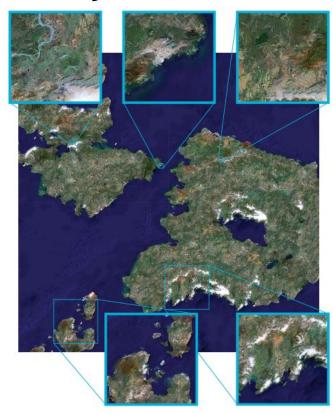
PCA Projection

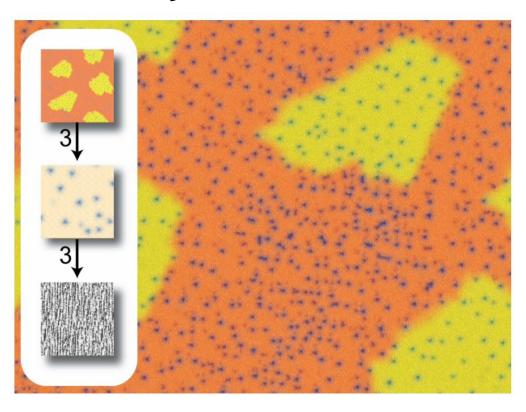
Texture Packing

All stack levels: RGB Texture

 3 RGBA Textures for PCA-reduced candidate neighborhoods

16-bit RGBA for transfer functions











## Thank you!