

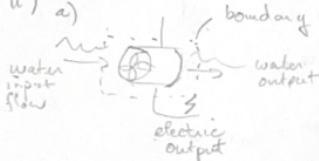
Problem 1

i) A system is closed when it does not undergo mass transfer (c)

A closed system can undergo work and heat transfer with the environment (a,b)

- a) Yes
- b) Yes
- c) No (unless internal)

ii)



i) open and interacting system

ii)  $Q \sim 0?$   $W < 0$  into system more than out.  
net work.

iii)  $\Delta E = 0?$



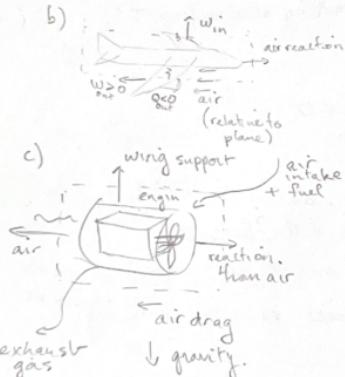
Efficiency  $\sim$  const.

otherwise energy would  
build up in the system

i) open and  
interacting

ii) cooling?  
 $Q < 0$  and  $(W_{\text{out}} - W_{\text{in}}) > 0$  (unfuel)

iii)  $\Delta E < 0$ , burning fuel to maintain speed + altitude



i) open and interacting

ii) cooling?  
 $Q < 0$   $W > 0$  use fuel energy from sys.  
unless excluded from sys.  
to work off air  $W$ ?

iii)  $\Delta E = 0?$

d)



i) closed and interacting

ii)  $Q > 0$   $W > 0$  electric power  
is consumed.

iii)  $\Delta E = Q - W ?$

Problem 2

ii) candle burning



room  
and system  
boundary

$$\text{"perfectly insulated"} \rightarrow Q=0$$

$$\rightarrow w_{\text{air}}=0$$

a) since  $Q=0$ ,  
no heat transfer  
with environment

iii) Assuming the system includes the air and fan  
and is bound by the walls of the room, the air  
could be slightly heated by the inefficiencies  
in the fan's power transfer. Assuming no  
cooling in neighboring rooms, as well.  
The air in the room wouldn't cool  
dust by mixing with itself if starting at a uniform  $T^*$ .

i) Probably an optical illusion...



$$\Delta E_{\text{gravitational}} < 0$$

$$\Delta E_{\text{kinetic}} > 0$$

assuming the car is actually rolling downhill,  
we might think it is moving up hill because of  
sense of where the horizon is might be confused  
by the angle of surrounding trees, and the viewing  
angle with respect to the road.

b) chemical energy in  
candle  $\rightarrow$  heat  
no net energy change

$$\Delta E = Q_{\text{in}}^{\circ} - w_{\text{out}}^{\circ}$$

$$= 0$$

### Problem 3

SYS: Noise bottle - closed

System properties: a, b, c, d, g, i, k, m, n, o?,  
P?

depends  
on "sea surface"  
variability: e, f

not property: h, j?, l, q?, r

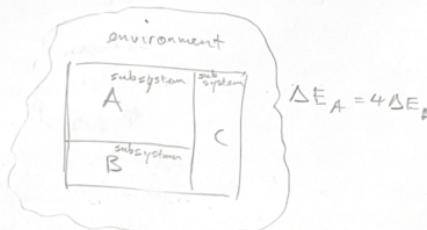
- does temp change based on depth?  
→ probably since fixing thermometers value is necessary.

SYS: An electric toothbrush

System properties: a, b, d, e, f, g, k?, l,

Not property: c, h, i, j?, m, n?

### Problem 4



a) entire system  
 $30 \text{ kJ}$  into system

$$\rightarrow Q > 0$$

$$\rightarrow Q = 30 \text{ kJ}$$

$$W = 0$$

$$\Delta E = Q - W = 30 \text{ kJ}$$

b) environment (as a system).  
 $30 \text{ kJ}$  out.

$$\rightarrow Q = -30 \text{ kJ}$$

$$W = 0$$

$$\Delta E = Q - W = -30 \text{ kJ}$$

c) subsystem A  
 $Q = 30 - 6 + 4 = 28 \text{ kJ}$   
 $H = 20 \text{ kJ}$  (out of system)  
 $\Delta E = 8 \text{ kJ}$

d) subsystem B  
 $Q = 6 - 4 = 2 \text{ kJ}$   
 $W = 0$   
 $\Delta E = 2 \text{ kJ}$

e) subsystem C  
 $Q = 0$   
 $W = -20 \text{ kJ}$   
 $\Delta E = -20 \text{ kJ}$

f) subsystem A+B  
 $Q = +30 \text{ kJ}$   
 $W = 20 \text{ kJ}$   
 $\Delta E = 10 \text{ kJ}$

state 1 → state 2 .

$$\text{Env} \xrightarrow{30 \text{ kJ}} A \quad (\text{HT})$$

$$A \leftrightarrow B \quad (\text{HT})$$

$$\frac{4}{5} 30 \quad \frac{1}{5} 30$$

$$4 \xrightarrow[20 \text{ kJ}]{\text{WT}} C \quad (\text{WT})$$

$$A \leftrightarrow B \quad (\text{HT})$$

$$-\frac{4}{5} 20 \quad \frac{1}{5} 20$$

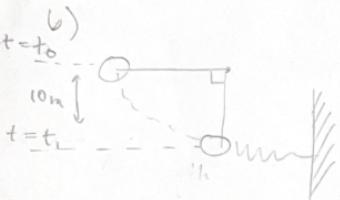
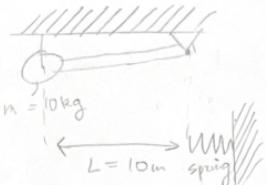
End result

$$\begin{aligned} B: & +6 \text{ kJ} \quad (\text{HT}) \\ & -4 \text{ kJ} \quad (\text{HT}) \\ \Delta & = 2 \text{ kJ} \end{aligned}$$

$$\begin{aligned} A: & +30 \text{ kJ} \quad (\text{HT}) \\ & -6 \text{ kJ} \quad (\text{HT}) \\ & -20 \text{ kJ} \quad (\text{WT}) \\ & +4 \text{ kJ} \quad (\text{HT}) \\ \Delta & = 8 \text{ kJ} \end{aligned}$$

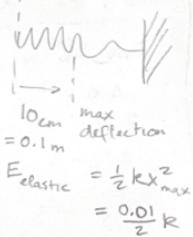
$$\begin{aligned} C: & +20 \text{ kJ} \quad (\text{WT}) \\ \Delta & = 20 \text{ kJ} \end{aligned}$$

### Problem 5



$$\begin{aligned} W &= \int F \cdot dr \\ &= 10 \text{ kg} \times 9.81 \times 10 \text{ m} = \boxed{981 \text{ J}} \quad (\text{leaving system}) \end{aligned}$$

c)



At max deflection, assuming no energy loss

$$E_{\text{elastic max}} = E_{\text{gravitational initial}}$$

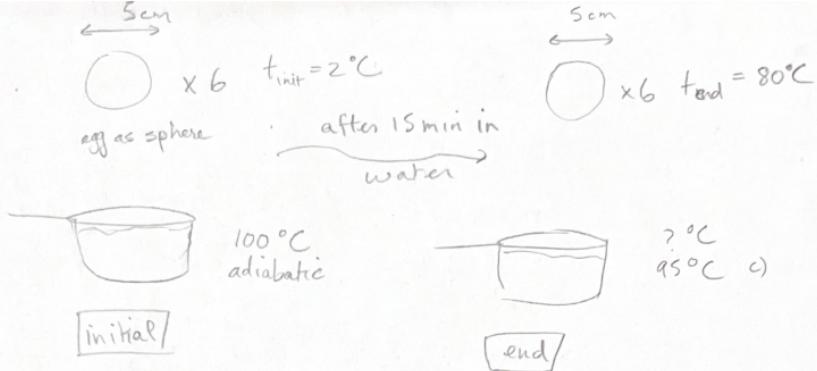
$$\rightarrow \frac{0.01}{2} k = 981 \text{ J}$$

$$\rightarrow k = \boxed{196200 \text{ N/m}}$$

- a)
- 1) after the string is cut, the sphere will swing like a pendulum until it reaches the spring.
  - 2) Once the sphere reaches the spring, assuming a clean collision, the kinetic energy of the sphere is converted to elastic potential energy of the spring. Energy may be dissipated as heat due to friction, internal deformation, etc.

- 3) Assuming the spring is strong and stiff enough to only deform elastically, and not break, at some equilibrium point, the spring will start decompressing and accelerate the sphere back. The pendulum and spring will oscillate back and forth until air drag and other inefficiencies dissipate all the energy.

Problem 6



parameters

$$P_w = 1000 \text{ kg/m}^3$$

$$C_w = 4.187 \frac{\text{kJ}}{\text{kg K}}$$

$$\rho_{\text{egg}} = 1020 \text{ kg/m}^3$$

$$C_{\text{egg}} = 3.3 \frac{\text{kJ}}{\text{kg K}}$$

$$V_{\text{egg}} = \frac{4}{3} \pi (0.025)^3 = 6.54 \times 10^{-5} \text{ m}^3$$

$$m_{\text{egg}} = \rho \times V = 66.8 \text{ g} = 0.0668 \text{ kg}$$

a) As a simple model for the HT to the egg we can use  $Q = m_c C_e \Delta T$  where the system is the egg at final end state.

This assumes no W is done, no phase change or other energy sinks, and the the amount of water is consistent (+adiabatic)

$$b) \Delta E = Q - W^0 = m_c C_e (T_{\text{end}} - T_{\text{init}})$$

$$= \rho_{\text{egg}} \times V_{\text{egg}} \times 3.3 \times 10^3 (80 - 2) \quad \begin{matrix} \text{(temp difference} \\ \text{is same in K)} \end{matrix}$$

$$= 0.4 \times 3.3 \times 10^3 (78)$$

$$= 103102 \text{ J}$$

$$\text{or } \boxed{103 \text{ kJ}}$$

$$c) Q_{\text{water}} = m_{\text{water}} C_w \Delta T_w = 103 \text{ kJ}$$

$$\Rightarrow m = \frac{103,102}{4.187 \times (100-95)}$$

$$= 4.9 \text{ kg}$$

$$\rightarrow 4.9 \text{ liters or } \boxed{0.0049 \text{ m}^3}$$

d) to find the number of eggs n

Assuming the amount of time/energy lost by water remains the same  $\rightarrow 15 \text{ min} / 103 \text{ kJ}$ :

$$n = \left( \frac{Q_{\text{water}}}{Q_{\text{egg}} (\text{single})} \right) = \frac{103 \text{ kJ}}{0.0668 \times 3.3 (68) \text{ kJ} (\approx 15)} \quad \boxed{n \approx 6.87}$$

so at least  
6 eggs

e) since 103 kJ is enough to cook 6.87 eggs to 70°C we can lose 0.87 x the energy cost of 1 egg  
 $\rightarrow \approx 15 \text{ kJ} \times 0.87 \approx 13 \text{ kJ}$