

$$R := -iR_{20}^0 + \dot{S}^A, \quad (1)$$

wir wählen  $\Sigma$  mit Gleichzeitigkeitsflächen, daher verschwindet  $\dot{S}^A$  (wie auf jeder Blätterung). Ab jetzt gilt  $R_{20} := R_{20}^0$ .

$$\langle \phi, R_{20}(t)\psi \rangle = \int_{x \in \Sigma_t} \int_{y \in \Sigma_t} \bar{\phi}(x)_\gamma (d^4x) r_{20}(x, y, 0) i_\gamma (d^4y) \psi(y), \quad \psi, \phi \in \mathcal{H}_{\Sigma_t} \quad (216, \text{ivp2})$$

$$r_{20} := r_3 + r_{18} \quad (215)$$

$$r_{18} := \frac{r_{24}}{8m} + \frac{i}{8m}(r_{26} + r_{29}) \quad (214)$$

$$E_\mu := F_{\mu,0} \quad (2)$$

$$D(w) := \frac{1}{(2\pi)^3 m} \int_{\mathcal{M}^-} e^{ipw} i_p (d^4p) \quad (3)$$

$$p^{A,0}(x,y) := e^{-i\lambda^A(x,y)} p^-(z) \quad (4)$$

$$p^-(z) := \frac{-i\cancel{\phi} + m}{2m} D(z) \quad (5)$$

$$z := y - x \quad (6)$$

$$r^2 := -(y - x)^2 \quad (7)$$

$$r_{29} := -4\gamma^0 z^0 \cancel{E} \cancel{\phi} D \quad (208)$$

$$r_{26} := -\gamma^0 \gamma^\mu \gamma^0 \cancel{E} \cancel{z}_\mu m^2 D + \gamma^0 \cancel{E} \cancel{z}_\mu m^2 D \gamma^\mu \gamma^0 \quad (199)$$

$$r_{24} := r_{23} + 0 \quad (196)$$

$$r_{23} := r_{22} + i\gamma^0 \gamma^\mu (\partial_\mu^x [\gamma^0 \cancel{E}]) r^2 D + 0 \quad (194)$$

$$r_{22} := -\gamma^0 (m + \cancel{A}(x)) [\gamma^0 \cancel{E}(x) r^2 \cancel{\phi} D] + [\gamma^0 \cancel{E}(x) r^2 \cancel{\phi} D] (m + \cancel{A}(y)) \gamma^0 \quad (193)$$

$$r_3 := r_2 + r_7 - \frac{i}{4m} r_{16} \quad (181)$$

$$r_{16} := r_{12} + r_{15} \quad (178)$$

$$r_{15} := z^\mu \cancel{\phi} D(z) \gamma^\nu (F_{\mu,\nu}(x) - F_{\mu,\nu}(y)) \gamma^0 \quad (175, 173)$$

$$r_{12} := -2\gamma^\nu z^0 F_{\mu,\nu}(x) \partial^\mu D(z) \quad (170)$$

$$r_7 := \frac{1}{2} \gamma^0 \gamma^\nu F_{\mu,\nu}(x) z^\mu r_6 + \frac{1}{2} r_6 \gamma^\nu F_{\mu,\nu}(y) z^\mu \gamma^0 \quad (155)$$

$$r_6 := \frac{1}{2} e^{-i\lambda^A(x,y)} D(z) + (e^{-i\lambda^A(x,y)} - 1) p^-(z) \quad (152)$$

$$r_2 := \frac{1}{2} \gamma^0 r_5(x,y) p^{A,0}(x,y) - \frac{1}{2} p^{A,0}(x,y) r_5(y,x) \gamma^0 \quad (150)$$

$$r_5 := \gamma^\nu [A_\nu(y) - A_\nu(x) - (y^\mu - x^\mu) \partial_\mu^x A_\nu(x)] \quad (146)$$