# VGK ARMA-X Analysis

## Contents

F	TSE Developed Europe All Cap Index Univariate ARMA-X Models		
	Tweet Dummy as Exogenous	2	
	Tweet Count as Exogenous	(	
	Tariff as Exogenous	11	
	Trade Mention as Exogenous	16	
	China Mention as Exogenous	20	
	Positive Vibe as Exogenous	25	
	Negative Vibe as Exogenous	30	

	Model 1
ar1	0.9844***
	(0.0025)
ma1	-0.7428***
	(0.0075)
ma2	$-0.1699^{***}$
	(0.0087)
ma3	$-0.0270^{***}$
	(0.0072)
intercept	0.0003***
•	(0.0001)
$dummy_lag_0$	$0.0000^{*}$
v— v—	(0.0000)
dummy_lag_1	0.0000
v— v—	(0.0000)
$dummy_lag_2$	0.0000
v — 0—	(0.0000)
AIC	-200264.8032
AICc	-200264.7942
BIC	-200193.6858
Log Likelihood	100141.4016
Num. obs.	19969
***p < 0.001; **p < 0.0	01; *p < 0.05

p < 0.001; \*\*p < 0.01; \*p < 0.05

Table 1: ARMAX Model Results

### FTSE Developed Europe All Cap Index Univariate ARMA-X Models

Here we try various specifications with multiple variables to see what comes out.

#### Tweet Dummy as Exogenous

```
#auto.armax selects the lowest AIC value given r (exogenous variable lags)
res1 = auto.armax(data$VGK_vol,xreg=data$dummy,nb.lags=2,
               latex=T, max.p = 6, max.q = 6, max.d=0)
#armax enables a custom armax specification with p,q,r
res2 = armax(data$VGK_vol, xreg=data$dummy, nb.lags=2,
                   p=5, q=0, d=0, latex=T)
\#auto.armax.r selects the lowest AIC checking all 3 p,q,r values
res3 = auto.armax.r(data$VGK_vol, x=data$dummy,
               max_p = 3, max_q = 3, max_r = 3, criterion = "AIC", latex=T)
#we want to plot the IRFs of these models
nb.periods = 7 * 20
irf.plot(res1,nb.periods)
```

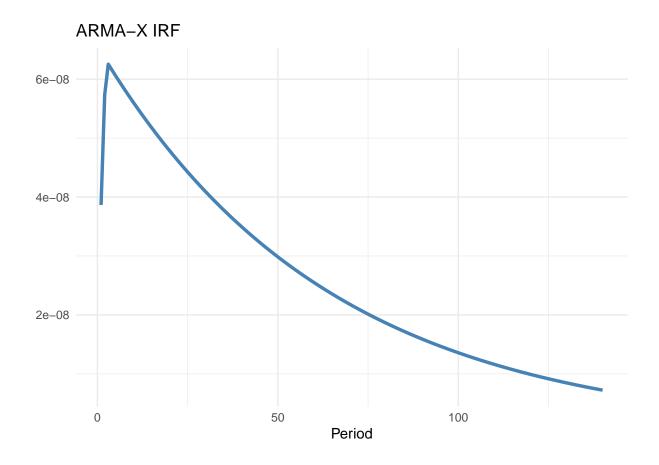
	Model 1
ar1	0.2612***
	(0.0071)
ar2	$0.0243^{***}$
	(0.0073)
ar3	$0.0306^{***}$
	(0.0073)
ar4	0.0391***
	(0.0073)
ar5	$0.0471^{***}$
	(0.0071)
intercept	0.0003***
	(0.0000)
$dummy_lag_0$	0.0000**
	(0.0000)
$dummy\_lag\_1$	0.0000
	(0.0000)
$dummy\_lag\_2$	0.0000
	(0.0000)
AIC	-199889.4166
AICc	-199889.4056
BIC	-199810.3972
Log Likelihood	99954.7083
Num. obs.	19969
*** $p < 0.001$ ; ** $p < 0.00$	01: *p < 0.05

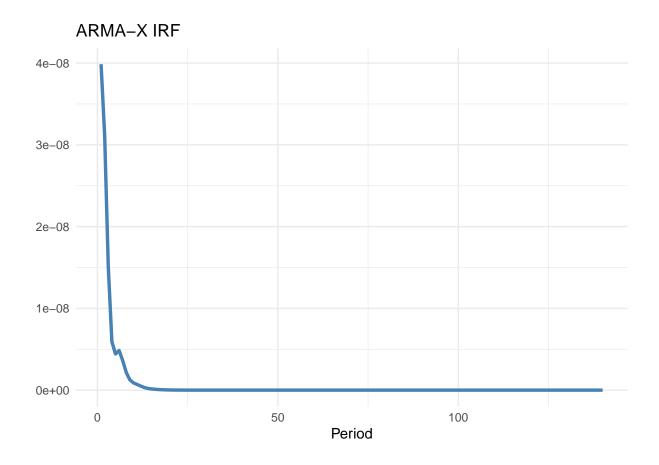
p < 0.001; p < 0.01; p < 0.05

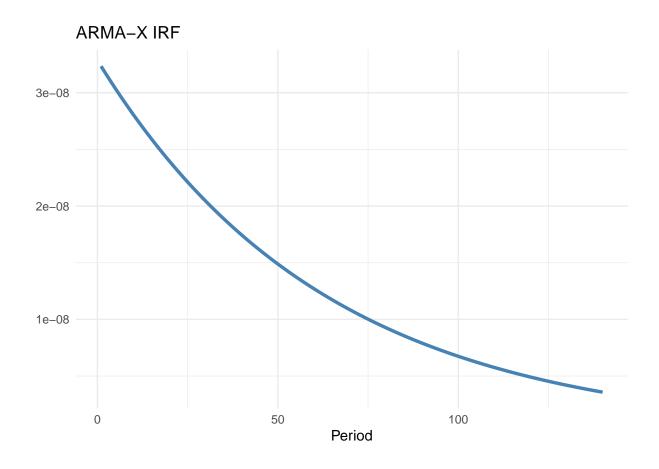
Table 2: ARMAX Model Results

	Model 1
ar1	0.9843***
	(0.0025)
ma1	$-0.7428^{***}$
	(0.0075)
ma2	$-0.1703^{***}$
	(0.0087)
ma3	-0.0265***
	(0.0072)
intercept	0.0004
dummy_lag_0	0.0000
AIC	-200279.9599
AICc	-200279.9543
BIC	-200224.6457
Log Likelihood	100146.9800
Num. obs.	19971
*** $p < 0.001$ ; ** $p < 0.001$	01; *p < 0.05

Table 3: ARMAX selected by AIC  $\,$ 







#### Tweet Count as Exogenous

```
#we want to plot the IRFs of these models
nb.periods = 7 * 20

irf.plot(res1,nb.periods)
```

	Model 1
ar1	0.2611***
	(0.0071)
ar2	0.0237**
	(0.0073)
ar3	0.0309***
	(0.0074)
ar4	0.0395***
	(0.0073)
ar5	0.0466***
	(0.0071)
intercept	0.0004***
	(0.0000)
$N_{lag_0}$	0.0000
	(0.0000)
N_lag_1	0.0000
	(0.0000)
$N_{lag_2}$	0.0000
	(0.0000)
AIC	-199875.0009
AICc	-199874.9899
BIC	-199795.9815
Log Likelihood	99947.5004
Num. obs.	19969
***n < 0.001 · **n < 0.0	01. *n < 0.05

<sup>\*\*\*</sup>p < 0.001; \*\*p < 0.01; \*p < 0.05

Table 4: ARMAX Model Results

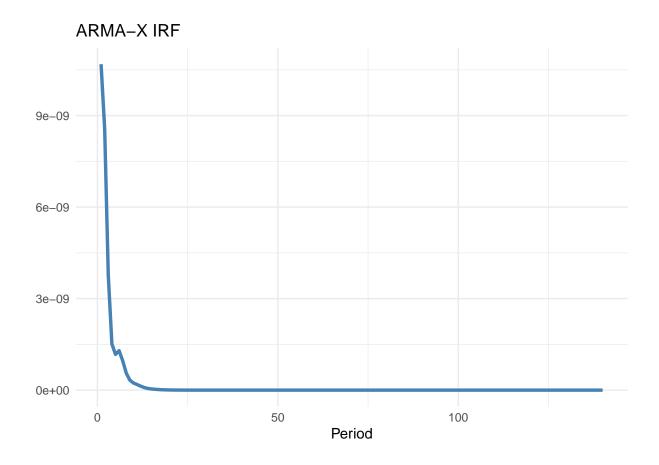
	Model 1
ar1	0.2611***
	(0.0071)
ar2	$0.0237^{**}$
	(0.0073)
ar3	$0.0309^{***}$
	(0.0074)
ar4	$0.0395^{***}$
	(0.0073)
ar5	0.0466***
	(0.0071)
intercept	0.0004***
	(0.0000)
$N_{lag_0}$	0.0000
	(0.0000)
$N_{lag}1$	0.0000
	(0.0000)
$N_{lag_2}$	0.0000
	(0.0000)
AIC	-199875.0009
AICc	-199874.9899
BIC	-199795.9815
Log Likelihood	99947.5004
Num. obs.	19969
***n < 0.001 · **n < 0.0	01: *n < 0.05

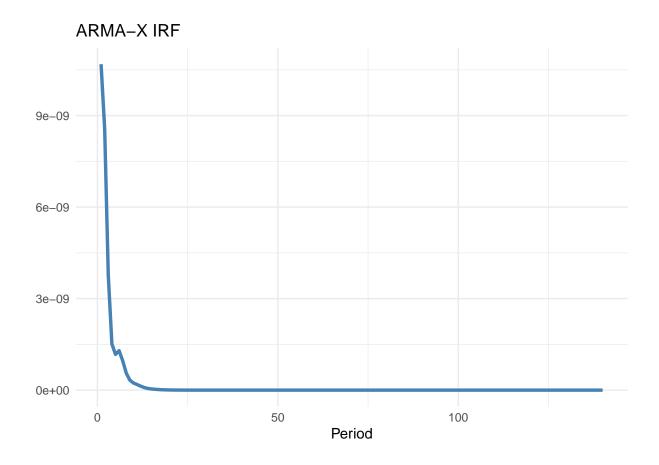
<sup>\*\*\*</sup>p < 0.001; \*\*p < 0.01; \*p < 0.05

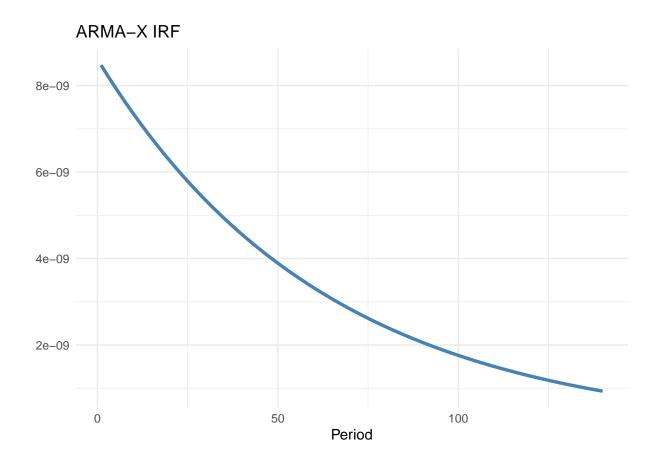
Table 5: ARMAX Model Results

	Model 1
ar1	0.9843***
	(0.0025)
ma1	$-0.7427^{***}$
	(0.0075)
ma2	-0.1708***
	(0.0087)
ma3	-0.0260***
	(0.0072)
intercept	0.0004
$N_{lag}0$	0.0000
AIC	-200269.0091
AICc	-200269.0035
BIC	-200213.6949
Log Likelihood	100141.5046
Num. obs.	19971
*** $p < 0.001$ ; ** $p < 0$ .	01; *p < 0.05

Table 6: ARMAX selected by AIC







#### Tariff as Exogenous

```
#we want to plot the IRFs of these models
nb.periods = 7 * 20

irf.plot(res1,nb.periods)
```

	Model 1
ar1	1.1886***
	(0.0089)
ar2	-0.2208***
	(0.0111)
ar3	0.0049
	(0.0110)
ar4	0.0131
	(0.0075)
ma1	$-0.9477^{***}$
	(0.0054)
intercept	0.0004***
1	(0.0000)
$tariff_lag_0$	0.0000
_ 0_	(0.0000)
tariff lag 1	0.0002***
_ 0_	(0.0000)
$tariff_lag_2$	0.0001*
_ 0_	(0.0000)
AIC	-200247.2535
AICc	-200247.2424
BIC	-200168.2341
Log Likelihood	100133.6267
Num. obs.	19969
*** n < 0.001: ** n < 0.0	01: *n < 0.05

<sup>\*\*\*</sup>p < 0.001; \*\*p < 0.01; \*p < 0.05

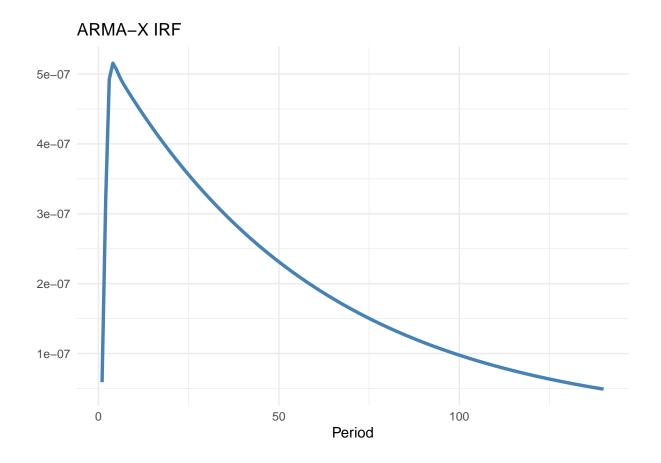
Table 7: ARMAX Model Results

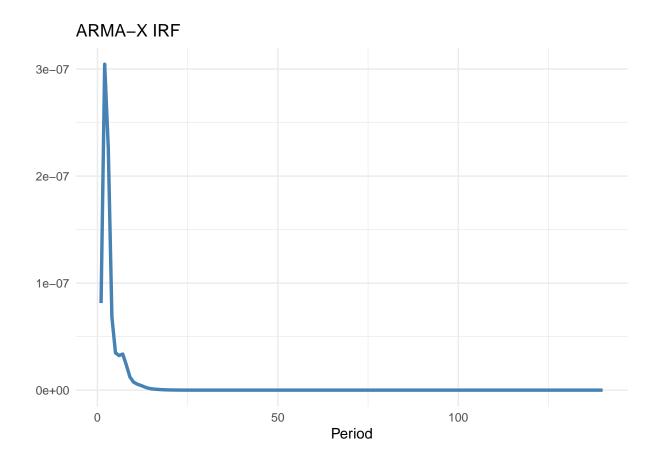
	Model 1
ar1	0.2606***
	(0.0071)
ar2	$0.0232^{**}$
	(0.0073)
ar3	$0.0284^{***}$
	(0.0073)
ar4	$0.0376^{***}$
	(0.0073)
ar5	$0.0461^{***}$
	(0.0071)
intercept	0.0004***
	(0.0000)
$tariff\_lag\_0$	0.0001
	(0.0000)
$tariff\_lag\_1$	$0.0002^{***}$
	(0.0000)
$tariff\_lag\_2$	0.0001**
	(0.0000)
AIC	-199877.9797
AICc	-199877.9687
BIC	-199798.9603
Log Likelihood	99948.9898
Num. obs.	19969
***p < 0.001; **p < 0.0	01; *p < 0.05

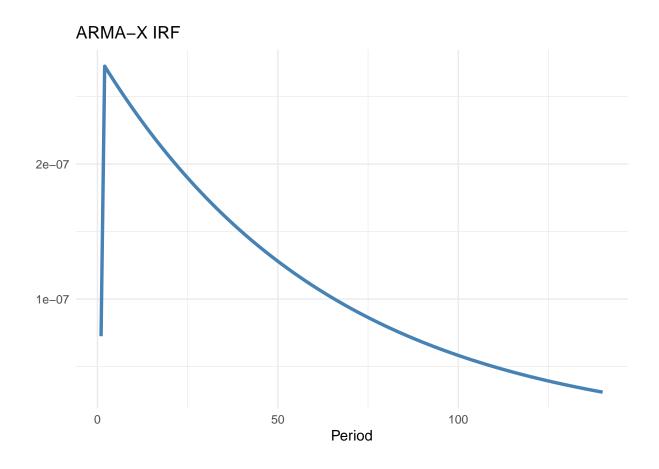
Table 8: ARMAX Model Results

	Model 1
ar1	0.9844***
	(0.0025)
ma1	$-0.7432^{***}$
	(0.0075)
ma2	$-0.1701^{***}$
	(0.0087)
ma3	$-0.0270^{***}$
	(0.0073)
intercept	0.0004***
	(0.0000)
$tariff\_lag\_0$	0.0000
	(0.0000)
$tariff\_lag\_1$	$0.0001^{***}$
	(0.0000)
AIC	-200253.6847
AICc	-200253.6775
BIC	-200190.4688
Log Likelihood	100134.8424
Num. obs.	19970
*** $p < 0.001$ ; ** $p < 0.00$	01; *p < 0.05

Table 9: ARMAX selected by AIC







#### Trade Mention as Exogenous

```
#we want to plot the IRFs of these models
nb.periods = 7 * 20

irf.plot(res1,nb.periods)
```

	Model 1
ar1	0.9844***
	(0.0025)
ma1	$-0.7425^{***}$
	(0.0075)
ma2	$-0.1709^{***}$
	(0.0087)
ma3	$-0.0266^{***}$
	(0.0072)
intercept	0.0004***
•	(0.0000)
trade lag 0	-0.0000
	(0.0000)
$trade\_lag\_1$	0.0000
	(0.0000)
$trade_lag_2$	$0.0001^{'}$
	(0.0000)
AIC	-200224.4642
AICc	-200224.4552
BIC	-200153.3468
Log Likelihood	100121.2321
Num. obs.	19969
***n < 0.001: **n < 0.0	01. *n < 0.05

<sup>\*\*\*</sup>p < 0.001; \*\*p < 0.01; \*p < 0.05

Table 10: ARMAX Model Results

	Model 1
ar1	0.2615***
	(0.0071)
ar2	$0.0232^{**}$
	(0.0073)
ar3	$0.0298^{***}$
	(0.0073)
ar4	$0.0386^{***}$
	(0.0073)
ar5	$0.0458^{***}$
	(0.0071)
intercept	0.0004***
	(0.0000)
$trade\_lag\_0$	-0.0000
	(0.0000)
${\rm trade\_lag\_1}$	0.0000
	(0.0000)
$trade\_lag\_2$	0.0001
	(0.0000)
AIC	-199846.8393
AICc	-199846.8283
BIC	-199767.8200
Log Likelihood	99933.4197
Num. obs.	19969
*** < 0.001. ** < 0.0	01 * .0.05

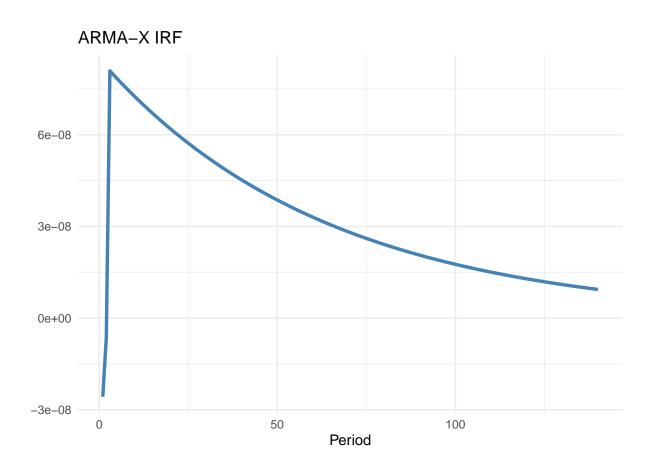
<sup>\*\*\*</sup>p < 0.001; \*\*p < 0.01; \*p < 0.05

Table 11: ARMAX Model Results

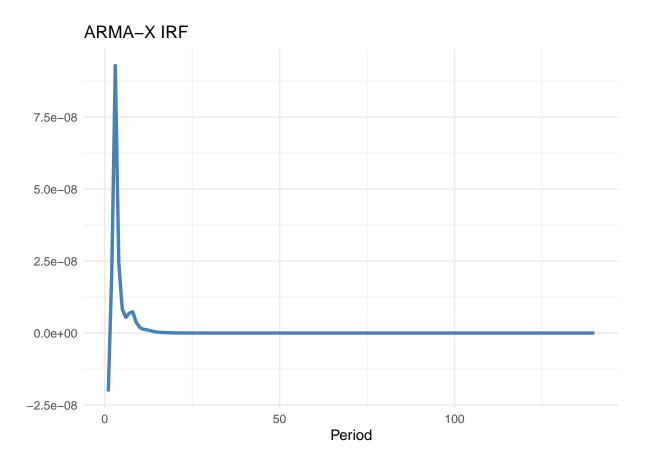
	Model 1
ar1	0.9843***
	(0.0025)
ma1	$-0.7424^{***}$
	(0.0075)
ma2	$-0.1706^{***}$
	(0.0087)
ma3	$-0.0267^{***}$
	(0.0072)
intercept	0.0004***
	(0.0000)
$trade\_lag\_0$	-0.0000
	(0.0000)
AIC	-200248.5095
AICc	-200248.5039
BIC	-200193.1952
Log Likelihood	100131.2548
Num. obs.	19971
*** $n < 0.001 \cdot **n < 0.01 \cdot *n < 0.05$	

 $<sup>^{***}</sup>p < 0.001; \ ^{**}p < 0.01; \ ^{*}p < 0.05$ 

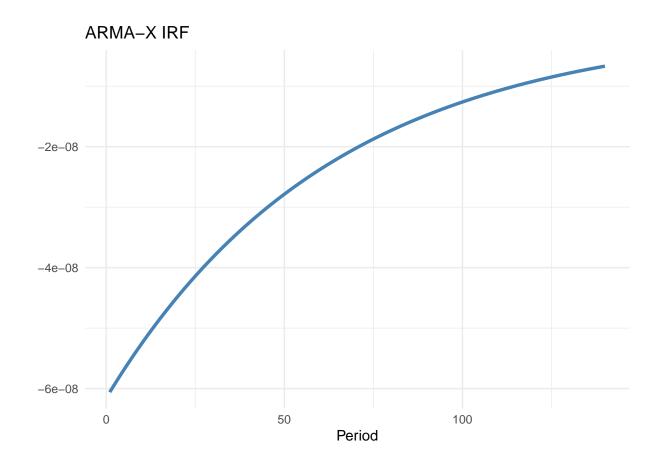
Table 12: ARMAX selected by AIC



irf.plot(res2,nb.periods)



irf.plot(res3\$model,nb.periods)



#### China Mention as Exogenous

```
#we want to plot the IRFs of these models
nb.periods = 7 * 20

irf.plot(res1,nb.periods)
```

	Model 1
ar1	1.1894***
	(0.0088)
ar2	$-0.2214^{***}$
	(0.0111)
ar3	0.0064
	(0.0110)
ar4	0.0119
	(0.0075)
ma1	$-0.9482^{***}$
	(0.0053)
intercept	0.0004***
1	(0.0000)
china_lag_0	0.0001*
_ 0_	(0.0000)
china lag 1	0.0001*
_ 0_	(0.0000)
china_lag_2	0.0000
_ 0_	(0.0000)
AIC	-200232.3259
AICc	-200232.3148
BIC	-200153.3065
Log Likelihood	100126.1629
Num. obs.	19969
***n < 0.001: **n < 0.0	01: *n < 0.05

\*\*\*p < 0.001; \*\*p < 0.01; \*p < 0.05

Table 13: ARMAX Model Results

	Model 1
ar1	0.2610***
	(0.0071)
ar2	$0.0232^{**}$
	(0.0073)
ar3	0.0300***
	(0.0073)
ar4	0.0389***
	(0.0073)
ar5	0.0460***
	(0.0071)
intercept	0.0004***
	(0.0000)
$china_lag_0$	$0.0001^*$
-	(0.0000)
china_lag_1	0.0001**
	(0.0000)
$china\_lag\_2$	0.0000
	(0.0000)
AIC	-199856.3346
AICc	-199856.3236
BIC	-199777.3152
Log Likelihood	99938.1673
Num. obs.	19969
***n < 0.001: **n < 0.0	01·*n < 0.05

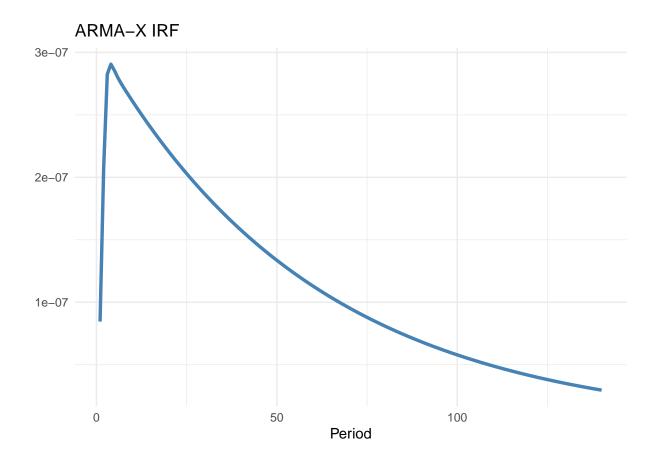
\*\*\*p < 0.001; \*\*p < 0.01; \*p < 0.05

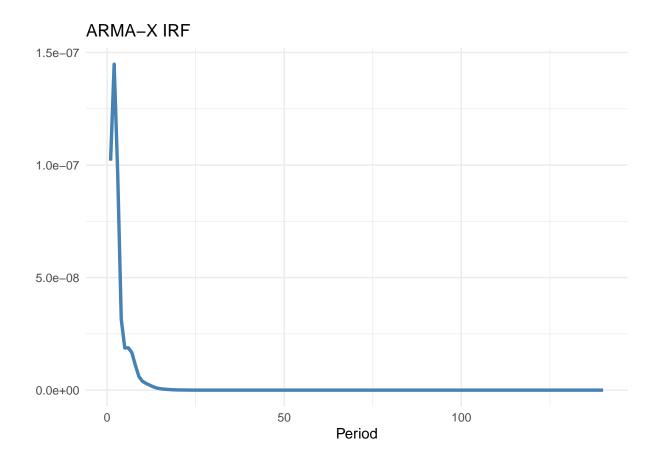
Table 14: ARMAX Model Results

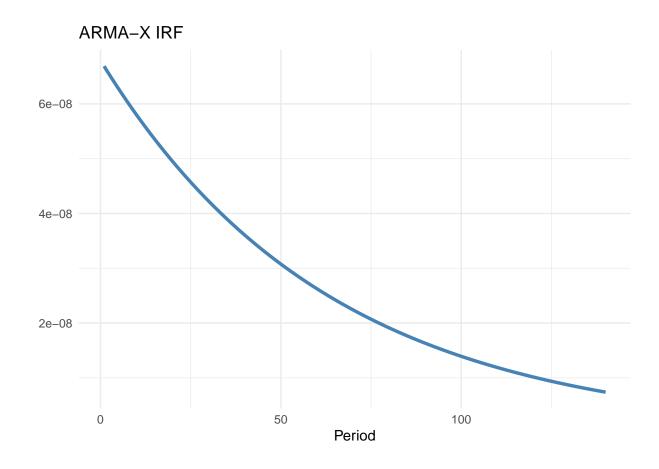
	Model 1
ar1	0.9843***
	(0.0025)
ma1	$-0.7427^{***}$
	(0.0075)
ma2	$-0.1708^{***}$
	(0.0087)
ma3	$-0.0261^{***}$
	(0.0072)
intercept	0.0004***
	(0.0000)
$china\_lag\_0$	0.0000
	(0.0000)
AIC	-200251.1835
AICc	-200251.1779
BIC	-200195.8692
Log Likelihood	100132.5917
Num. obs.	19971
*** $p < 0.001$ ; ** $p < 0.01$ ; * $p < 0.05$	

I . . . . . , I . . . . , I

Table 15: ARMAX selected by AIC







#### Positive Vibe as Exogenous

```
#we want to plot the IRFs of these models
nb.periods = 7 * 20

irf.plot(res1,nb.periods)
```

	Model 1
ar1	1.1896***
	(0.0088)
ar2	$-0.2216^{***}$
	(0.0111)
ar3	0.0068
	(0.0110)
ar4	0.0116
	(0.0075)
ma1	$-0.9483^{***}$
	(0.0053)
intercept	0.0003***
-	(0.0000)
prop_positive_lag_0	0.0001**
	(0.0000)
prop_positive_lag_1	0.0001
	(0.0000)
prop_positive_lag_2	0.0000
	(0.0000)
AIC	-200235.6804
AICc	-200235.6694
BIC	-200156.6611
Log Likelihood	100127.8402
Num. obs.	19969

<sup>\*\*\*</sup>p < 0.001; \*\*p < 0.01; \*p < 0.05

Table 16: ARMAX Model Results

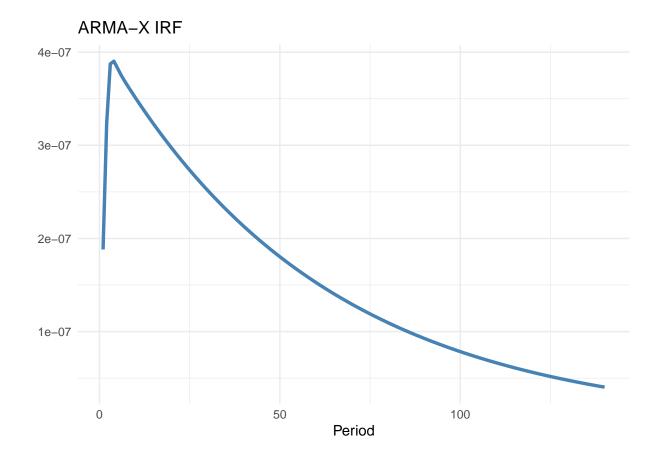
	Model 1
ar1	0.2612***
	(0.0071)
ar2	$0.0233^{**}$
	(0.0073)
ar3	$0.0304^{***}$
	(0.0073)
ar4	0.0392***
	(0.0073)
ar5	0.0465***
	(0.0071)
intercept	0.0003***
	(0.0000)
$prop\_positive\_lag\_0$	0.0001***
	(0.0000)
prop_positive_lag_1	0.0001
	(0.0000)
$prop\_positive\_lag\_2$	0.0000
	(0.0000)
AIC	-199857.8911
AICc	-199857.8800
BIC	-199778.8717
Log Likelihood	99938.9455
Num. obs.	19969
***n < 0.001 · **n < 0.01 · *n < 0.00 · *n	0.05

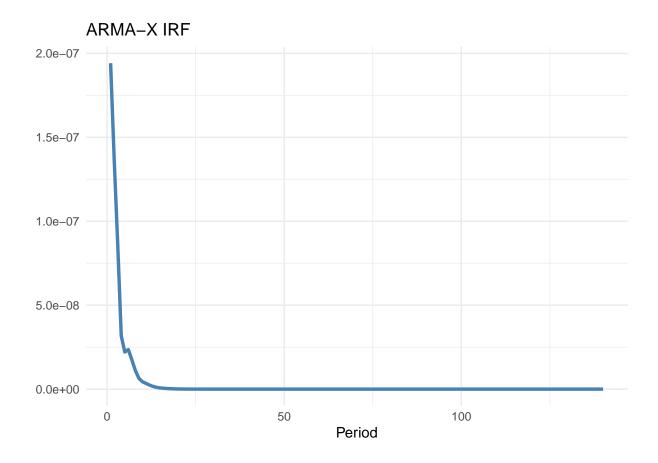
<sup>\*\*\*</sup>p < 0.001; \*\*p < 0.01; \*p < 0.05

Table 17: ARMAX Model Results

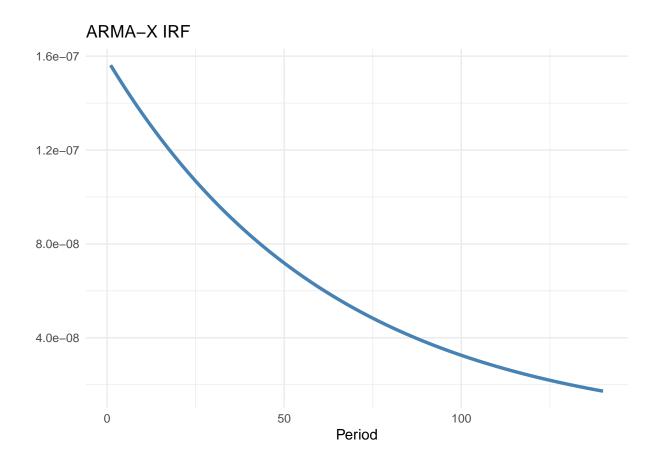
	Model 1
ar1	0.9843***
	(0.0025)
ma1	$-0.7426^{***}$
	(0.0075)
ma2	$-0.1708^{***}$
	(0.0087)
ma3	$-0.0262^{***}$
	(0.0072)
intercept	0.0004***
	(0.0000)
$prop\_positive\_lag\_0$	$0.0001^{**}$
	(0.0000)
AIC	-200258.3763
AICc	-200258.3707
BIC	-200203.0620
Log Likelihood	100136.1881
Num. obs.	19971
*** $p < 0.001$ ; ** $p < 0.01$ ; * $p < 0.05$	

Table 18: ARMAX selected by AIC





irf.plot(res3\$model,nb.periods)



#### Negative Vibe as Exogenous

```
#we want to plot the IRFs of these models
nb.periods = 7 * 20

irf.plot(res1,nb.periods)
```

	Model 1
ar1	1.1897***
	(0.0088)
ar2	$-0.2216^{***}$
	(0.0111)
ar3	0.0063
	(0.0110)
ar4	0.0119
	(0.0075)
ma1	$-0.9482^{***}$
	(0.0053)
intercept	0.0004***
	(0.0000)
prop_negative_lag_0	0.0001
	(0.0000)
$prop\_negative\_lag\_1$	0.0001
	(0.0000)
$prop\_negative\_lag\_2$	0.0000
	(0.0000)
AIC	-200224.5140
AICc	-200224.5030
BIC	-200145.4947
Log Likelihood	100122.2570
Num. obs.	19969

<sup>\*\*\*</sup>p < 0.001; \*\*p < 0.01; \*p < 0.05

Table 19: ARMAX Model Results

	Model 1
ar1	0.2614***
	(0.0071)
ar2	$0.0233^{**}$
	(0.0073)
ar3	0.0301***
	(0.0073)
ar4	0.0389***
	(0.0073)
ar5	0.0459***
	(0.0071)
intercept	$0.0004^{***}$
	(0.0000)
prop_negative_lag_0	0.0001
	(0.0000)
prop_negative_lag_1	0.0000
	(0.0000)
$prop\_negative\_lag\_2$	-0.0000
	(0.0000)
AIC	-199846.3333
AICc	-199846.3223
BIC	-199767.3140
Log Likelihood	99933.1667
Num. obs.	19969
*** n < 0.001, ** n < 0.01, * n < 0	0.5

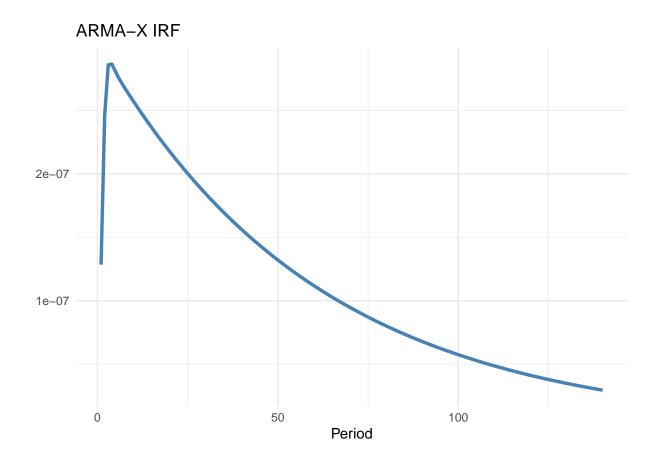
<sup>\*\*\*</sup>p < 0.001; \*\*p < 0.01; \*p < 0.05

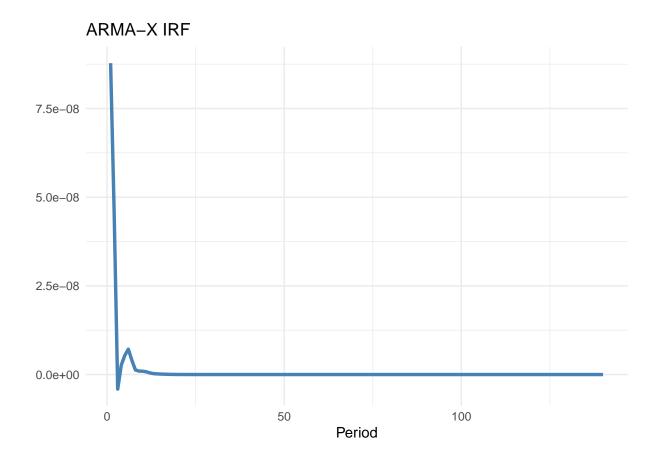
Table 20: ARMAX Model Results

	Model 1
ar1	0.9843***
	(0.0025)
ma1	$-0.7425^{***}$
	(0.0075)
ma2	$-0.1707^{***}$
	(0.0087)
ma3	-0.0265***
	(0.0072)
intercept	0.0004***
	(0.0000)
$prop\_negative\_lag\_0$	0.0001
	(0.0000)
AIC	-200250.1442
AICc	-200250.1386
BIC	-200194.8300
Log Likelihood	100132.0721
Num. obs.	19971

<sup>\*\*\*</sup>p < 0.001; \*\*p < 0.01; \*p < 0.05

Table 21: ARMAX selected by AIC





irf.plot(res3\$model,nb.periods)

