## **Defining System**

```
M=1000;
m1=100;
m2=100;
11=20;
12=10;
g=9.81;
A=[0\ 1\ 0\ 0\ 0\ 0;
    0 \ 0 \ -(m1*g)/M \ 0 \ -(m2*g)/M \ 0;
    000100;
    0 \ 0 \ -((M+m1)*g)/(M*l1) \ 0 \ -(m2*g)/(M*l1) \ 0;
    000001;
    0 \ 0 \ -(m1*g)/(M*12) \ 0 \ -(g*(M+m2))/(M*12) \ 0];
B=[0; 1/M; 0; 1/(M*11); 0; 1/(M*12)];
Q=[1000 0 0 0 0 0;
0 0.00001 0 0 0 0;
0 0 1000 0 0 0;
000000;
0 0 0 0 1000 0;
0 0 0 0 0 0];
R=0.0001;
C1=[1 0 0 0 0 0];
```

## **Linearized System**

```
% Vd=0.3*rand( 1 )*eye ( 6 ) ; %Process
% Vn=0.1*rand ( 1 ); %Measurement
% K=lqr(A,B,Q,R);
% L=lqr(A',C1',Vd,Vn)';
%
% AL1=[(A-(B*K)) B*K;
% zeros(size(A)) A-L*C1];
% BL1 = [B ; zeros(size(B))];
%
% CL1=[C1 zeros(size(C1))];
%
% DL1=0;
% SS1= ss(AL1,BL1,CL1,DL1);
```

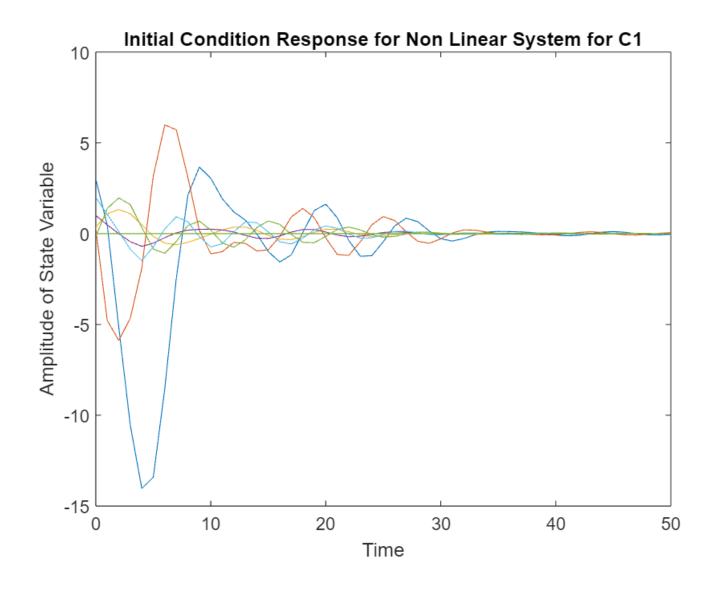
```
%
  figure
% step(SS1)
%
% initial_state = [3,0.3,deg2rad(20),1,deg2rad(-10),2,0,0,0,0,0,0];
% figure
% initial(SS1,initial_state)
```

## **Plotting Response of Non Linear System**

```
time_span = 0:1:50;
[time,out] = ode45(@(time,input)non_linear(time,input,C1),time_span,initial_state);
figure

plot(time,out)

title('Initial Condition Response for Non Linear System for C1')
xlabel('Time')
ylabel('Amplitude of State Variable')
```



```
Q=[10 0 0 0 0 0;
0 0.00001 0 0 0 0;
0 0 1000 0 0 0;
000000;
0 0 0 0 1000 0;
0 0 0 0 0 0];
R=0.0001;
th1 = input(3);
th2 = input(5);
th_dot1 = input(4);
th_dot2 = input(6);
K = lqr(A,B,Q,R);
F=-K*input(1:6);
x_{dot} = ((F_{m1}*\sin(th1))*g*\cos(th1)+l1*(th_{dot1.^2}))-(m2*\sin(th1)*(g*\cos(th2)+l2*(th_{dot2^2}))
th_dot1 = (x_dot*cos(th1)-g*sin(th1))/l1;
th_dot2 = (x_ddot*cos(th2)-g*sin(th2))/12;
Vd=0.3*rand( 1 )*eye ( 6 ); %Process
Vn=0.1*rand ( 1 ); %Measurement
L=lqr(A',C',Vd,Vn)';
estimator = (A-L*C)*input(7:12);
value = zeros(12,1);
value(1) = input(2);
value(2) = x_ddot;
value(3) = input(4);
value(4) = th_ddot1;
value(5) = input(6);
value(6) = th_ddot2;
value(7) = estimator(1);
value(8) = estimator(2);
value(9) = estimator(3);
value(10) = estimator(4);
value(11) = estimator(5);
value(12) = estimator(6);
end
```