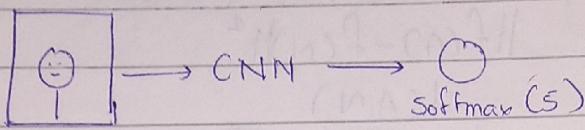


Week 1 Face Recognition System

face Verification

One shot Learning Problem

The model has to learn by looking at the picture once.



if you have 5 employees in your company

What if another one add to your company? You will need to change softmax o/p which is not possible

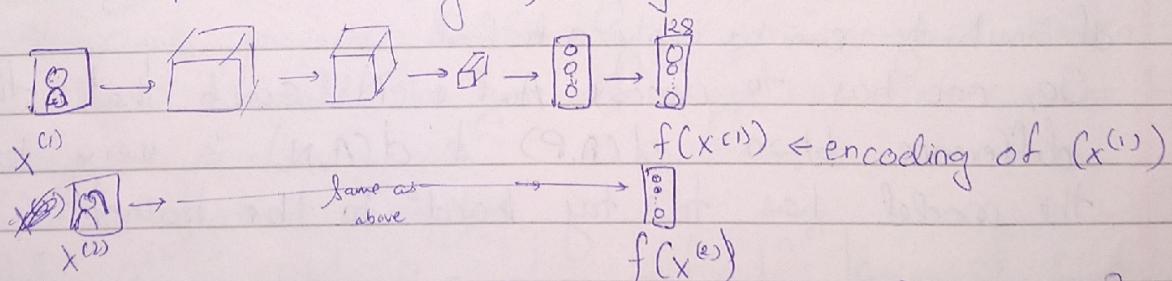
Learning a "similarity" function

$d(\text{img1}, \text{img2})$ = degree of difference b/w. images
if $d(\text{img1}, \text{img2}) \leq \tau$ "same"
 $> \tau$ "different"

This is called face Verification

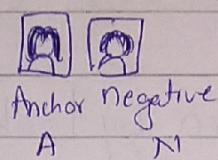
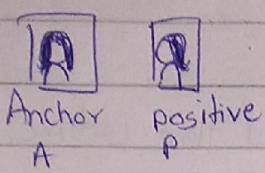
To do face recognitn, you can compare ^{second} image of person2 with all other images and o/p to model, that it has the most similarity with person2 than with other persons
Thus, inputting $f^n d$ with pair of images, solves one shot learning problem.

To compare to images, using d uses siamese n/w.



$$\text{Instead of } d(x^{(1)}, x^{(2)}) = \|f(x^{(1)}) - f(x^{(2)})\|_2^2 \quad \begin{cases} \text{if small} \rightarrow \text{same} \\ \text{if large} \rightarrow \text{diff. persons} \end{cases}$$

Learning Objective



$$\frac{\|f(A) - f(P)\|^2}{d(A,P)} \leq \frac{\|f(A) - f(N)\|^2}{d(A,N)}$$

$$\|f(A) - f(P)\|^2 - \|f(A) - f(N)\|^2 + \alpha \leq 0$$

+ α generally written here

Alpha is a hyperparameter which is added to not let all the encoding output a zero, and get a zero vector.

Triplet Loss function

Given 3 images A, P, N

$$L(A, P, N) = \max(\|f(A) - f(P)\|^2 - \|f(A) - f(N)\|^2 + \alpha, 0)$$

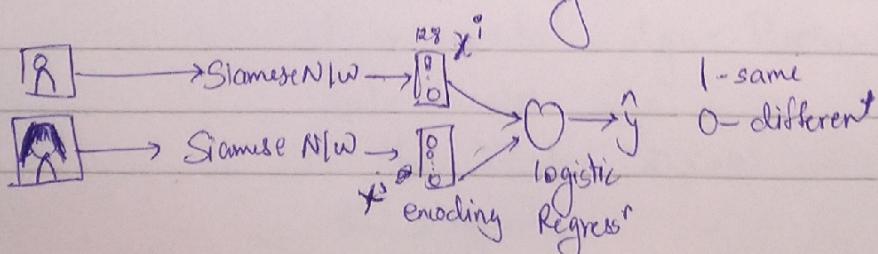
$$J = \sum_{i=1}^m L(A^{(i)}, P^{(i)}, N^{(i)})$$

Training set: [10k] Pictures of 1k Persons

For this you need pairs of Anchor & Positive images. For N, one can choose randomly. But if chosen randomly, the constraint of similarity can be easily satisfied.

So, one has to choose A, P & N such that the difference b/w $d(A,P)$ & $d(A,N)$ is very less, and the model has to try "hard" to be trained.

Face Verification & Binary Classification



This can serve as an alternative to triplet loss function

$$\hat{y} = \sigma \left(\sum_{k=1}^{128} w_k |f(x^{(k)})|_2 - f(x^{(0)})_2 + b \right)$$

The sigmoid function of logistic regression

Neural Style Transfer

Picture + drawing → picture in ^{the texture of} a drawing
Content(c) {Style(s)} Generator(G)

Cost function

$$J(G) = \alpha J_{\text{content}}(c, G) + \beta J_{\text{style}}(s, G)$$

Finding Generator image G

(1) Initialize G randomly

$$G: 100 \times 100 \times 3$$

(2) Use gradient descent to minimize $J(G)$

$$G = G - \frac{\partial}{\partial G} J(G)$$

Content Cost function

(of entire NN)

- Let's assume you use hidden layer l , to compute content cost.
- if ~~big~~ l is small, the generated image will be similar to content image
- Use pretrained ConvNet
- Let $a^{[c](l)}$ and $a^{[c](n)}$ be activatedⁿ of layer l on the images
- if $a^{[c](l)}$ & $a^{[c](n)}$ are similar, both images have similar content

So,

$$J_{\text{content}}(c, G) = \frac{1}{2} \| a^{[c](l)} - a^{[c](G)} \|_2^2$$

↑ maybe it was alpha

$\frac{1}{2} (n_H * n_W * n_C)$ gives correct o/p

Style Cost Function

One can define style as correlation between activations ~~across~~ across layers

It checks whether a particular low level features comes with a high-level feature or not. This can be said for features of the same layer too (i.e. their correlatⁿ)

So, we make a style matrix containing correlations.

Let $a_{ijk}^{[l]}$ = activation at (i, j, k) $\begin{matrix} i \\ \downarrow \\ h \end{matrix}$ $\begin{matrix} j \\ \downarrow \\ w \end{matrix}$ $\begin{matrix} k \\ \nearrow \\ c \end{matrix}$ $l \rightarrow \text{layer}$

$G^{[l]}$ is $n_c^{[l]} \times n_c^{[l]}$

$G_{kk'}^{[l]}$ = correlation of channel k , with channel k' , $k, k' \in [1, n_c]$

if $a_{ijk}^{[l]}$ & $a_{ijk'}^{[l]}$ are highly correlated than value of $G_{kk'}$ will be large, and small otherwise

You compute this for style & generated image

finally the cost function will be

$$J_{\text{style}}^{[l]}(S, G) = \frac{1}{(2n_h^{[l]}n_w^{[l]}n_c^{[l]})^2} \left\| G^{[l](S)} - G^{[l](G)} \right\|_F^2$$

\uparrow normalizedⁿ constants

This is called forbenius norm.

Now instead of using this for a single layer we use it for multiple layers

$$J_{\text{style}}(S, G) = \sum_l \lambda^{[l]} J_{\text{style}}^{[l]}(S, G)$$

\uparrow hyperparameters