

Mathematica Command line

- `Clear["`*"]`: Clear all the variables.
- `Clear[w0]`: Clear the variable w0.
- `w0=.`: Clear the variable w0.
- `%`: The last calculation result.
- + + : Insert α .
- `\[Alpha]`: Insert α .

Matrix and array

$$A = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix}, \quad B = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix} \quad (1)$$

$$C = AB$$

Rendered as the below code in Mathematica:

```
A = {{1, 2, 3}, {4, 5, 6}, {7, 8, 9}};
B = {{1, 2, 3}, {4, 5, 6}, {7, 8, 9}};
C = A.B;
```

Plot

Plot the function $V = \frac{4}{\pi} \frac{V_{in}}{Z_{in2}}$, $Z_{in2} = \omega M + \frac{R_1(R_2 + R_e)}{\omega M}$ from $R_e = 0\Omega$ to $R_e = 10\Omega$ (Assume that all the other variables are defined except R_e):

```
Zin2 = w M + (R1 * (R2 + Req)) / w / M;
V2 = 4 / Pi Vin / Zin2;
Plot[V2, {Req, 0, 10}]
```

Plot first-order differential equation

$$\dot{x} + 3x = 0, \quad x(0) = 1 \quad (2)$$

Plot the solution $x(t)$ from $t = 0$ to $t = 10$.

```
Clear[x]
xout = NDSolveValue[{x'[t] + 3*x[t] == 0, x[0] == 1},
  x, {t, 0, 10}]
Plot[xout[t], {t, 0, 10}, PlotRange -> All]
```

Plot second-order differential equation

$$\ddot{y} + \sin(y) = 0, \quad y(0) = 2, \quad \dot{y}(0) = 1 \quad (3)$$

Plot the solution $y(t)$ from $t = -10$ to $t = 10$:

```
Clear[y]
ode1 = {y''[t] + Sin[y[t]] ==
  0, y[0] == 2, y'[0] == 1};
sol = NDSolve[ode1, y, {t, -10, 10}]
Plot[y[t] /. sol, {t, -10, 10}] (* For only y *)
Plot[Evaluate[{y[t], y'[t], y''[t]} /. sol],
  {t, -10, 10}] (* For y, ydot and yddot *)
```

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