

Feature-based Time Series Forecasting

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Joint work with

Introduction

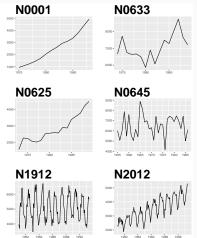
Big picture of the problem

Time series features

■ Transform a given time series $y = \{y_1, y_2, \dots, y_n\}$ to a feature vector $F = (f_1(y), f_2(y), \dots, f_p(y))'\}$.

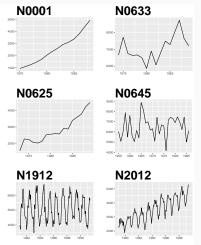
Time series features

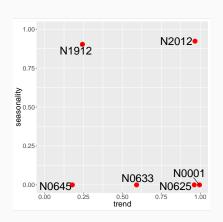
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Time series features

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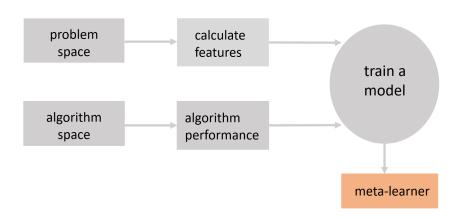


Features used to select a forecasting model

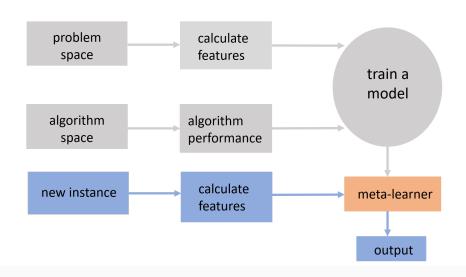
- length
- strength of seasonality
- strength of trend
- linearity
- curvature
- spikiness
- stability
- lumpiness
- parameter estimates of Holt's linear trend method
- spectral entropy
- Hurst exponent
- nonlinearity

- parameter estimates of Holt-Winters' additive method
- unit root test statistics
- crossing points, flat spots
- peaks, troughs
- ACF and PACF based features - calculated on raw, differenced, and remainder series.
- ARCH/GARCH statistics and ACF of squared series and residuals.

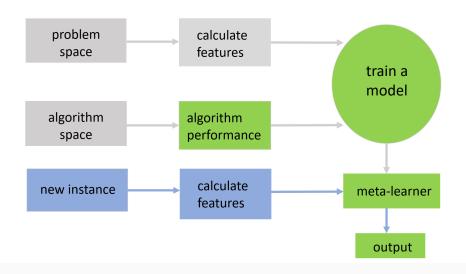
Meta-learning



Meta-learning



Feature-based forecasting algorithms



FFORMS: Feature-based FORecast Model Selection

Peeking inside FFORMS

Feature-based FORecast Model Averaging

Feature-based FORecast Model Performance Prediction

R packages

References