# Lab 7 Machine Learning 1

Thoi Tran (A17035545)

Today we are going to laern how to apply different machine learning methods beginning with clustering:

The goal hear is to find group/clusters in your input data.

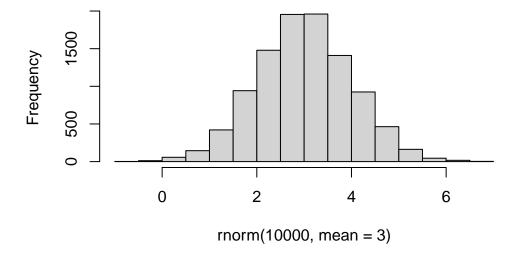
First I will make up some data with clear groups. For this I will use the rnorm() function.

## rnorm(10)

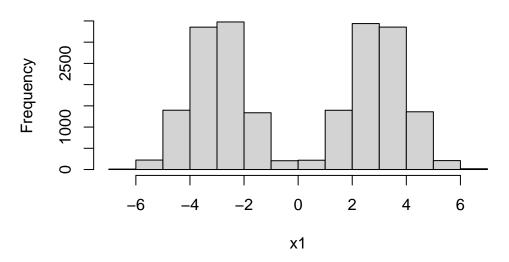
- [7] 1.27724954 0.77822301 0.85095336 0.83982910

hist(rnorm(10000, mean = 3))

## Histogram of rnorm(10000, mean = 3)



## Histogram of x1



```
      [1]
      2.3768350
      2.9973342
      2.1842681
      1.6847966
      3.1513466
      2.4196309

      [7]
      2.7152919
      4.3935185
      1.7428376
      3.0174235
      1.5159110
      3.2200436

      [13]
      2.8960347
      2.3559274
      3.9095316
      4.5949817
      3.6737325
      2.7482953

      [19]
      2.0404963
      1.2657200
      3.0884499
      3.4294076
      3.1764566
      2.1219954

      [25]
      5.3136093
      2.6428071
      0.8516846
      1.4160197
      2.7002378
      4.0210024

      [31]
      -3.2208292
      -4.3039351
      -2.5446458
      -1.9835657
      -4.3624589
      -3.2270507

      [37]
      -2.1402619
      -2.7537926
      -1.7354415
      -3.3719119
      -2.1478115
      -2.3539349

      [43]
      -3.0914865
      -3.2919338
      -2.9899810
      -3.4128246
      -1.8160872
      -3.5548561

      [49]
      -3.6686480
      -3.6754627
      -4.8060391
      -3.6178336
      -3.1185065
      -3.0816384

      [55]
      -2.4309373
      -2.6788785
      -2.4847508
      -3.7484769
      -3.8243966
      -2.8259836
```

```
y <- rev(x)
y
```

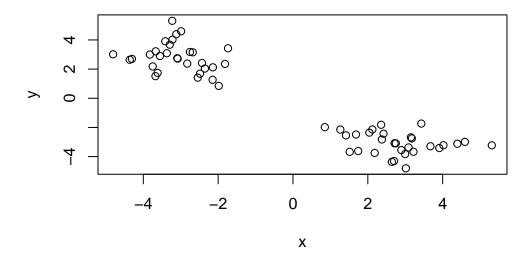
```
[1] -2.8259836 -3.8243966 -3.7484769 -2.4847508 -2.6788785 -2.4309373 [7] -3.0816384 -3.1185065 -3.6178336 -4.8060391 -3.6754627 -3.6686480
```

```
[13] -3.5548561 -1.8160872 -3.4128246 -2.9899810 -3.2919338 -3.0914865
[25] -3.2270507 -4.3624589 -1.9835657 -2.5446458 -4.3039351 -3.2208292
[31]
     4.0210024
              2.7002378
                        1.4160197 0.8516846
                                           2.6428071 5.3136093
[37]
     2.1219954
              3.1764566
                        3.4294076
                                 3.0884499
                                           1.2657200
                                                    2.0404963
[43]
     2.7482953
              3.6737325
                        4.5949817
                                 3.9095316
                                           2.3559274
                                                     2.8960347
[49]
     3.2200436
              1.5159110
                        3.0174235
                                 1.7428376
                                           4.3935185
                                                     2.7152919
[55]
     2.4196309
              3.1513466
                        1.6847966
                                 2.1842681
                                           2.9973342
                                                    2.3768350
```

# z <- cbind(x, y) head(z)</pre>

```
x y
[1,] 2.376835 -2.825984
[2,] 2.997334 -3.824397
[3,] 2.184268 -3.748477
[4,] 1.684797 -2.484751
[5,] 3.151347 -2.678878
[6,] 2.419631 -2.430937
```

## plot(z)



## **K\_means Clustering**

Use kmeans() function setting k to 2 and nstart = 10 Inspect/print the results

Q. How many points are in each cluster?

```
km <- kmeans(z, centers = 2)
km</pre>
```

K-means clustering with 2 clusters of sizes 30, 30

Cluster means:

x y 1 2.788854 -3.075479 2 -3.075479 2.788854

Clustering vector:

Within cluster sum of squares by cluster:

[1] 47.5451 47.5451 (between\_SS / total\_SS = 91.6 %)

Available components:

[1] "cluster" "centers" "totss" "withinss" "tot.withinss" [6] "betweenss" "size" "iter" "ifault"

Results in kmeans object km.

#### attributes(km)

## \$names

[1] "cluster" "centers" "totss" "withinss" "tot.withinss" [6] "betweenss" "size" "iter" "ifault"

#### \$class

[1] "kmeans"

Q. What component of your result object details? - Cluster size? - Cluster assignment/membership? - Cluster center?

Cluster size?

## km\$size

[1] 30 30

Cluster assignment/membership?

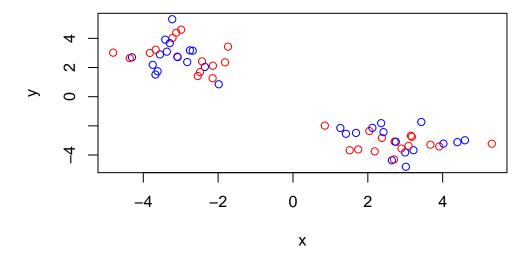
## km\$cluster

Cluster center?

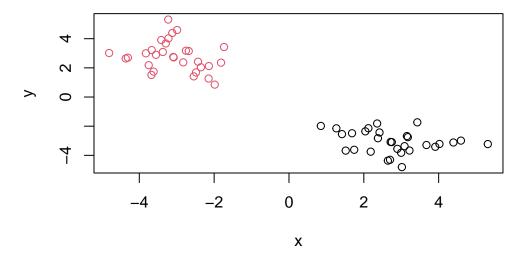
## km\$centers

Q. Plot z colored by the kmeans cluster assignment and add cluster centers as blue points.

R will recycle shorter color vectore to be the same length as the longer (number of data points) in z.

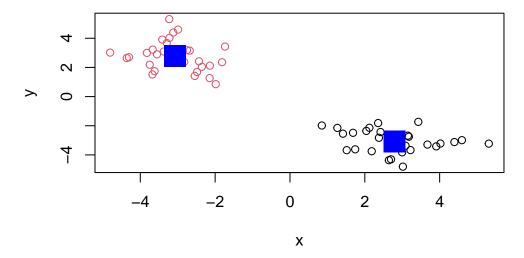


## plot(z, col = km\$cluster)



We can use the points() funciton to add new points to an exsiting plot, like the cluster centers.

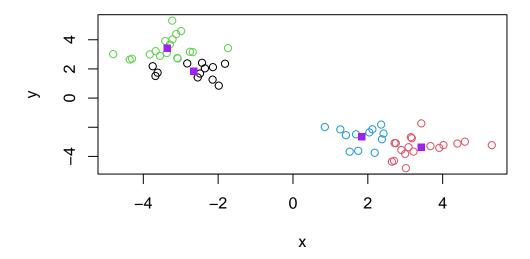
```
plot(z, col = km$cluster)
points(km$centers, col = "blue", pch = 15, cex = 3)
```



Q. Can you run kmeans and ask for 4 clusters and plot the results?

```
km_1 <- kmeans(z, centers = 4)</pre>
```

```
plot(z, col = km_1$cluster)
points(km_1$centers, col = "purple", pch = 15)
```



## **Hierarchical Clustering**

Let's take our same data z and see how hclust works.

First we need a distance matrix of our data to be clustered

```
d <- dist(z)
hc <- hclust(d)
hc</pre>
```

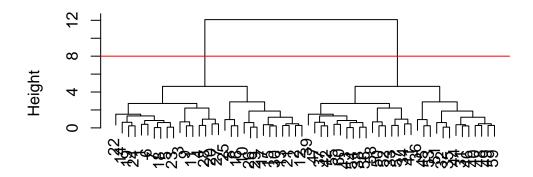
# Call: hclust(d = d)

Cluster method : complete
Distance : euclidean

Number of objects: 60

```
plot(hc)
abline(h = 8, col = "red")
```

## **Cluster Dendrogram**

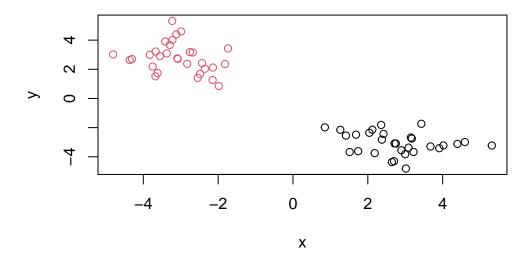


d hclust (\*, "complete")

I can get my cluster membership vector by "cutting the tree" with the cutree() function.

```
grps <- cutree(hc, h = 8)
grps</pre>
```

Q. Can you plot z colored by our hclust results?



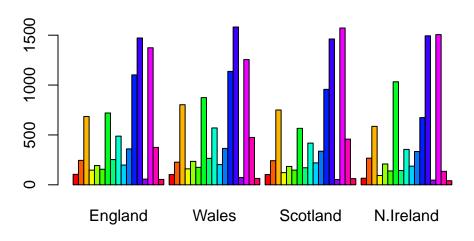
## PCA of UK food Data

Read data from the UK on food consumption in different parts of the UK.

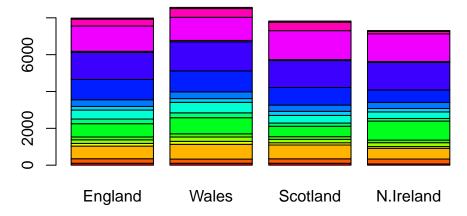
```
url <- "https://tinyurl.com/UK-foods"
x <- read.csv(url, row.names = 1)
head(x)</pre>
```

	England	Wales	${\tt Scotland}$	${\tt N.Ireland}$
Cheese	105	103	103	66
Carcass_meat	245	227	242	267
Other_meat	685	803	750	586
Fish	147	160	122	93
Fats_and_oils	193	235	184	209
Sugars	156	175	147	139

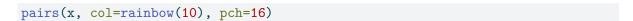
barplot(as.matrix(x), beside=T, col=rainbow(nrow(x)))

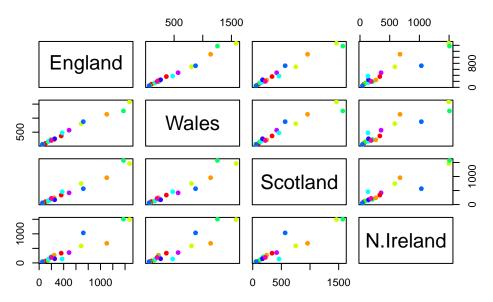


barplot(as.matrix(x), beside=F, col=rainbow(nrow(x)))



A so-called "Pairs" plot can be usefull for small datasets like this.





It's hard to see structure and trends in even this small dataset. How will we ever do this when we have big datasets with 1,000s or 10s of thousands of things we are measuring.

## PCA to the rescue

Let's see how PCA deals with this dataset. So the main function in base R to do PCA is called prcomp().

```
pca <- prcomp(t(x))
summary(pca)</pre>
```

## Importance of components:

```
PC1 PC2 PC3 PC4
Standard deviation 324.1502 212.7478 73.87622 3.176e-14
Proportion of Variance 0.6744 0.2905 0.03503 0.000e+00
Cumulative Proportion 0.6744 0.9650 1.00000 1.000e+00
```

Let's see what is inside this pca object that we created from running prcomp().

#### attributes(pca)

#### \$names

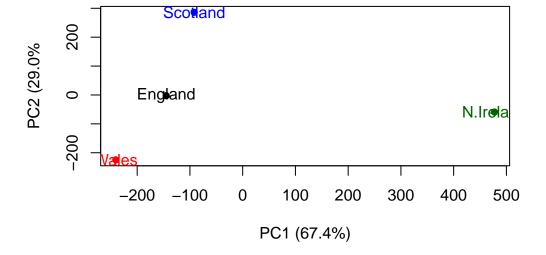
[1] "sdev" "rotation" "center" "scale" "x"

#### \$class

[1] "prcomp"

#### pca\$x

```
PC1 PC2 PC3 PC4
England -144.99315 -2.532999 105.768945 -4.894696e-14
Wales -240.52915 -224.646925 -56.475555 5.700024e-13
Scotland -91.86934 286.081786 -44.415495 -7.460785e-13
N.Ireland 477.39164 -58.901862 -4.877895 2.321303e-13
```



## Digging deeper (variable loadings)

