1. (Eexo92.tex)

$$\frac{1}{2} + \frac{1}{2}\cos 2x$$

2. (Ectrigus6.tex)

$$e^a \sin b$$

3. (Eexo96.tex)

$$\frac{1}{2}\arccos x$$

4. (Eexo242.tex)  $\alpha + \pi$ 

5. (Eexo232.tex) 
$$\frac{1}{2}\cos y - \frac{1}{4}\cos(2x - y) - \frac{1}{4}\cos(2x + y)$$

6. (Ectrigus43.tex)

$$-\frac{2\pi}{5}, -\frac{\pi}{5}, 0, \frac{\pi}{5}, \frac{2\pi}{5}$$

7. (Ectrigus102.tex)

$$\frac{2\sqrt{ab}}{b-a}$$

8. (Ectrigus40.tex)

$$\pm \left(\sqrt{2} + i\sqrt{3}\right)$$

9. (Ectrigus73.tex)

$$-\frac{2xy}{(x^2+y^2)^2}$$

10. (Eexo245.tex)

$$\pm(3-2i)$$

11. (Ectrigus11.tex) 
$$2\sqrt{n+1} - 2 \le S_n \le 2\sqrt{n} - 1$$

12. (Ectrigus126.tex) solutions: 1 et 4

13. (Ectrigus84.tex)

$$\arcsin y, \pi - \arcsin y$$

14. (Ectrigus131.tex) Ensemble des solutions :

$$\left\{-\frac{\pi}{2}-a+2k\pi,k\in\mathbb{Z}\right\}\cup\left\{\frac{\pi}{2}+a+2k\pi,k\in\mathbb{Z}\right\}$$

15. (Ectrigus34.tex)

$$1/4 \sin(c+a-b) - 1/4 \sin(-c+a-b) - 1/4 \sin(c+a+b) + 1/4 \sin(-c+a+b)$$

16. (Ectrigus45.tex)

$$\lfloor \frac{n}{2} \rfloor + 1$$

 $17.~_{\rm (Eexo136.tex)}$ 

$$\frac{n(n+1)(2n+1)}{6}$$

18. (Ectrigus60.tex)

$$\sqrt{\frac{\sqrt{2}+1}{2\sqrt{2}}}$$

19. (Ectrigus 109.tex) solutions : -1 + i et 1 - 2i.

 $20.~{\rm (Ectrigus 29.tex)}$ 

$$\frac{(2n)(2n-1)\cdots(n)}{(n+1)!}$$

 $21.~{\tiny (Ectrigus27.tex)}$ 

$$\frac{(n)(n-1)\cdots(n-p+1)}{p!}$$

22. (Ectrigus105.tex)

$$2\operatorname{ch}(2b) - 2\cos(2a)$$

23. (Ectrigus44.tex)

$$\left\{\frac{k\pi}{n}, k \in \{0, \cdots, \lfloor \frac{n}{2} \rfloor\}\right\}$$

 $24.~_{\rm (Ectrigus 15.tex)}$ 

$$1 + 2i, -(1 + 2i)$$

25. (Ectrigus115.tex)  $\sqrt{a^2+b^2}\cos(x-\alpha)$ 

26. (Ectrigus132.tex) Ensemble des solutions :

$$\left\{-\frac{\pi}{2}-a+2k\pi,k\in\mathbb{Z}\right\}\cup\left\{-\frac{\pi}{2}+a+2k\pi,k\in\mathbb{Z}\right\}$$

27. (Ectrigus42.tex)

$$\left\{\frac{(2k+1)\pi}{2n}, k \in \{0, \cdots, n-1\}\right\}$$

28. (Ectrigus137.tex)

$$(a-b)(a-c)(b-c)(a+b+c)$$

29. (Ectrigus117.tex)  $\sqrt{a^2 + b^2} \cos(x + \alpha - \frac{\pi}{2})$ 

 $30.~_{\rm (Ectrigus 87.tex)}$ 

$$] - \arccos x, \arccos x[$$

31. (Ectrigus99.tex)  $(-1)^{n+1}g(t)$ 

32. (Ectrigus31.tex)

$$\frac{1}{4} - \frac{1}{4}\cos(6x) - \frac{1}{4}\cos(2x) + \frac{1}{4}\cos(4x)$$

 $33. \ \scriptscriptstyle (\mathrm{Ectrigus2.tex}) \quad non$ 

34. (Ectrigus54.tex)

$$\left] -\frac{\pi}{2}, -\frac{\pi}{4} \right[ \cup \left] 0, \frac{\pi}{2} \right[ \cup \left] \frac{3\pi}{4}, \pi \right[$$

35. (Eexo98.tex)

$$\frac{5\pi}{8}$$

36. (Ectrigus 81.tex)  $i\mathbb{R}_{-}$ 

37. (Ectrigus 49.tex)  $\ln(2+\sqrt{3})$ 

38. (Ectrigus39.tex)

$$e^{i(b-a)}$$

39. (Ectrigus65.tex)

$$\frac{2\pi}{3} - \frac{\pi}{2} = \frac{\pi}{6}$$

40. (Ectrigus63.tex)

$$\frac{1}{3} - \frac{1}{2} = \frac{1}{6}$$

$$\frac{2\pi}{3} + \pi = \frac{5\pi}{3}$$

 $41.~_{\rm (Ectrigus 23.tex)}$ 

$$1 + 2i, -2 - i$$

 $42.~_{\rm (Ectrigus 3.tex)}$ 

$$\operatorname{sh} t + i \operatorname{ch} t$$

43. (Eexo249.tex)

$$\pi - \arcsin b$$

44. (Ectrigus119.tex)  $\exists \rho > 0 \text{ tel que } z = \rho e^{i\theta}$ .

- 45. (Eexol.tex)  $-\pi x$
- $46.~_{\rm (Ectrigus 94.tex)}$

$$\left(\frac{n+1}{n}\right)^n$$

47. (Ectrigus128.tex) solutions:

1, 
$$\alpha^{\frac{1}{\alpha-1}}$$

48. (Ectrigus24.tex)

$$-2 - i$$
,  $-1 - 2i$ 

49. (Ectrigus21.tex)

$$3+2i,-(3+2i)$$

50. (Eexo250.tex)

 $51.~\scriptscriptstyle{\rm (Ectrigus111.tex)}$ 

$$\frac{1}{4}\sin 2x + \frac{1}{4}\sin 4x - \frac{1}{4}\sin 6x$$

52. (Ectrigus61.tex)

$$\frac{1}{2}\sqrt{1+\sqrt{5}}$$

- 53. (Ectrigus50.tex) 0
- 54. (Eexo203.tex)  $n \ln x + \ln(n!)$
- 55. (Ectrigus19.tex)

$$\pm \left(\sqrt{3} + i\sqrt{2}\right)$$

56. (Ectrigus 57.tex)

$$\pi - 2 \arctan x$$

57. (Eexo97.tex)

$$\frac{\sin(n+1)\frac{\theta}{2}\sin n\frac{\theta}{2}}{\sin\frac{\theta}{2}}$$

58. (Eexo109.tex)

$$\frac{\sin(n+1)\frac{\theta}{2}\cos n\frac{\theta}{2}}{\sin\frac{\theta}{2}}$$

59. (Ectrigus35.tex)

$$1/4\cos(-c+a-b) + 1/4\cos(c+a-b) + 1/4\cos(-c+a+b) + 1/4\cos(c+a+b)$$

- 60. (Ectrigus135.tex) La simplification conduit à 0.
- 61. (Ectrigus130.tex) Ensemble des solutions :

$$\left\{\frac{\pi}{2}-a+2k\pi,k\in\mathbb{Z}\right\}\cup\left\{-\frac{\pi}{2}+a+2k\pi,k\in\mathbb{Z}\right\}$$

62. (Ectrigus108.tex)

$$2 \operatorname{ch}(2a) + 2 \cos(2b)$$

- 63. (Ectrigus114.tex)  $p^{q-1} q$
- 64. (Ectrigus68.tex)

$$2\cos\frac{5\pi}{12}$$

65. (Eexo201.tex)

$$\frac{1 - (\ln x)^{n+1}}{1 - \ln x}$$

 $66.~_{\rm (Ectrigus 10.tex)}$ 

 $\cos(\ln 2)$ 

67. (Eexo246.tex)

$$\pm(\sqrt{2}-i\sqrt{3})$$

68. (Ectrigus66.tex)

$$\frac{2\pi}{3} + \frac{\pi}{2} = \frac{7\pi}{6}$$

69. (Ectrigus112.tex) 1 (simplification par  $\ln x$  au cours du calcul)

$$\left(\frac{\beta}{\alpha}\right)^{\frac{1}{\beta-\alpha}}$$

- 70. (Eexo237.tex)  $\alpha + \pi$
- $71.~{\rm \scriptscriptstyle (Ectrigus1.tex)}~non$
- $72.~_{\rm (Ectrigus 104.tex)}$

$$4\cos\frac{\varphi-\psi}{2}\cos\frac{\varphi+\psi}{2}e^{i\varphi}$$

- 73. (Ectrigus 82.tex)  $i\mathbb{R}_+$
- 74. (Ectrigus76.tex)

$$2\cos\theta e^{-i\theta}$$

- 75. (Eexo120.tex)  $\frac{7}{6}$
- $76.~{\rm (Ectrigus123.tex)}$

$$s_{n+1} = \sqrt{\frac{1 - c_n}{2}}$$

77. (Eexo95.tex)

$$2\sin\frac{x-y+\frac{\pi}{2}}{2}\cos\frac{x+y-\frac{\pi}{2}}{2}$$

78. (Ectrigus67.tex)

$$\frac{\pi}{12}$$

- 79. (Ectrigus37.tex)  $b \ln 2$
- 80. (Ectrigus22.tex)

$$\pm \left(\sqrt{3}-i\sqrt{2}\right)$$

81. (Ectrigus64.tex)

$$\frac{2\pi}{3}$$

82. (Ectrigus69.tex)

$$\frac{7\pi}{10}$$

83. (Ectrigus17.tex)

$$2+i, -(2+i)$$

84. (Ectrigus 85.tex)

$$]-\pi-\arcsin y,\arcsin y[$$

85. (Ectrigus86.tex)

$$[-\pi, -\arccos x[\,\cup\,]\arccos x, \pi]$$

86. (Eexo243.tex)

$$\pm (2 + 3i)$$

87. (Eexo91.tex)

$$\frac{1}{2} - \frac{1}{2}\cos 2x$$

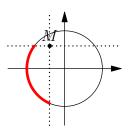


Fig. 1 – Solution Exercice Ectrigus90

88. (Eexo204.tex)

$$e^x \frac{1 - e^{n+1}}{1 - e}$$

89. (Ectrigus 90.tex)

90. (Ectrigus124.tex)

$$t_n = \frac{2t_{n+1}}{1 + t_{n+1}^2}$$

 $91.~_{\rm (Ectrigus72.tex)}$ 

$$-\frac{1}{r^2}\sin(2\theta)$$

92. (Ectrigus122.tex)

$$c_{n+1} = \sqrt{\frac{c_n + 1}{2}}$$

 $93.~_{\rm (Ectrigus28.tex)}$ 

$$\frac{(2n)(2n-1)\cdots(n+2)}{(n-1)!}$$

94. (Ectrigus14.tex)  $ie^{i(\beta-\alpha)}$ 

 $95.~_{\rm (Eexo2.tex)}$ 

$$\frac{1}{2}\cos(x-y) - \frac{1}{2}\cos(x+y)$$

96. (Ectrigus93.tex)

$$\frac{2(2n+1)}{n+1}$$

97. (Ectrigus91.tex)

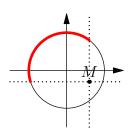


Fig. 2 – Solution Exercice Ectrigus91

98. (Ectrigus7.tex)

$$e^a$$

99. (Eexo121.tex)  $-\frac{\pi}{2}$ 

$$100.~_{\rm (Ectrigus121.tex)}$$

$$\frac{\ln 2}{\ln a} + i \frac{\pi}{\ln a} + \frac{2i\pi}{\ln a} \mathbb{Z}$$

101. (Ectrigus113.tex)  $2^n$ 

 $102.~_{\rm (Eexo82.tex)}$ 

$$\frac{1}{2}(1+\tan^2\frac{x}{2})$$

103. (Ectrigus118.tex) 
$$\sqrt{a^2 + b^2} \cos(x - \alpha + \frac{\pi}{2})$$

104. (Ectrigus136.tex)

$$(a-b)(a-c)(b-c)$$

105. (Ectrigus25.tex)

$$1+2i$$

(racine double)

106. (Ectrigus41.tex)

$$\frac{\pi}{10}, \frac{3\pi}{10}, \frac{5\pi}{10}, \frac{7\pi}{10}, \frac{9\pi}{10}$$

107. (Eexo31.tex) module:  $\frac{1}{2\cos\frac{\theta}{2}}$ 

$$\operatorname{argument}: -\frac{\theta}{2}$$

108. (Eexo244.tex) R\_

$$109.~{\rm (Ectrigus 32.tex)}$$

$$1/4 \sin(4x) + 1/4 \sin(2x) + 1/4 \sin(6x)$$

110. (Eexo241.tex)  $\alpha$ 

111. (Ectrigus33.tex)

$$1/4 \sin (c + a - b) - 1/4 \sin (-c + a - b) + 1/4 \sin (c + a + b) - 1/4 \sin (-c + a + b)$$

112. (Eexo240.tex)  $\alpha + \pi$ 

113. (Ectrigus96.tex)

$$\frac{(2n+1)n^n}{(n+1)^{n+1}}$$

114. (Eexo236.tex)

$$\frac{1}{4}\sin(y+z) - \frac{1}{4}\sin(y-z)$$
$$-\frac{1}{8}\sin(2x+y+z) + \frac{1}{8}\sin(2x+y-z)$$
$$+\frac{1}{8}\sin(2x-y-z) - \frac{1}{8}\sin(2x-y+z)$$

115. (Ectrigus55.tex)

$$\sum_{k=0}^{p} \binom{p}{k} i(p-k,a)i(k,b)$$

 $116.\ \scriptscriptstyle{(\mathrm{Ectrigus}_{139.tex})}$ 

$$(\ln x)^{\frac{\ln x}{\ln(\ln x)}} = x$$

 $117.~\scriptscriptstyle{(\mathrm{Eexo248.tex})}$ 

$$-\arccos a$$

118. (Eexo238.tex)  $\alpha + \pi$ 

119. (Ectrigus9.tex)

$$\sin(\ln 2)$$

120. (Ectrigus51.tex) 0

121. (Ectrigus100.tex)

$$\ln\left(x+\sqrt{x^2-1}\right)$$

122. (Ectrigus78.tex)  $\emptyset$ 

123. (Eexo71.tex) 
$$\frac{5\pi}{12}$$

124. (Ectrigus74.tex)

$$1 + \frac{x^2 - y^2}{(x^2 + y^2)^2}$$

$$2^{n-1}3-1$$

## 149. (Ectrigus107.tex)

$$2\operatorname{ch}(2a) - 2\cos(2b)$$

$$126.~_{\rm (Ectrigus 70.tex)}$$

$$2\sin\frac{5\pi}{12}$$

$$1 + \frac{1}{n^2}\cos(2\theta)$$

127. (Ectrigus127.tex)

$$\frac{1}{\ln a \ln b \ln c}$$

$$151.~\scriptstyle{\rm (Ectrigus 59.tex)}$$

$$\frac{(2n)!}{n!}n^{-n}$$

$$2\arctan x - \pi$$

$$\frac{(2n)!}{n!}n^{-n}$$

152. (Ectrigus12.tex)  $1 - \frac{1}{n+1} \le S_n \le 2 - \frac{1}{n+1} - \frac{1}{(n+1)^2}$ Remarquer que l'on peut aussi écrire

$$S_{n+1} - 1 \le 1 - \frac{1}{n+1}$$

 $129.~{\scriptstyle (\rm Ectrigus 88.tex)}$ 

$$[-\pi, -\arccos x[\,\cup\,]\arccos x, \pi]$$

et obtenir

$$S_n \le 2 - \frac{1}{n}$$

130. (Ectrigus 46.tex)  $\ln(1+\sqrt{2})$ 

131. (Ectrigus47.tex)  $1 + \sqrt{2}$ 

132. (Eexo235.tex)

$$\frac{1}{8}\sin(x+3y) + \frac{1}{8}\sin(x-3y) + \frac{3}{8}\sin(x+y) + \frac{3}{8}\sin(x-y)$$

en décalant l'indice.

153. (Eexo233.tex)  $\frac{3}{8}\sin(x+y) + \frac{3}{8}\sin(x-y) - \frac{1}{8}\sin(3x+y) - \frac{1}{8}\sin(3x-y)$ 

133. (Ectrigus116.tex)  $\sqrt{a^2+b^2}\cos(x+\alpha)$ 

 $154.~{\scriptstyle ({\rm Eexo}_{28.tex})}$ 

$$\frac{1}{2}\sin(x+y) + \frac{1}{2}\sin(x-y)$$

134. (Ectrigus79.tex)  $\mathbb{R}_+$ 

155. (Ectrigus129.tex) Ensemble des solutions :

$$2-3i, -(2-3i)$$

$$\left\{\frac{\pi}{2} - a + 2k\pi, k \in \mathbb{Z}\right\} \cup \left\{\frac{\pi}{2} + a + 2k\pi, k \in \mathbb{Z}\right\}$$

136. (Eexo205.tex)  $(\ln x)^n n!$ 

 $156.~_{\rm (Ectrigus 83.tex)}$ 

$$\ln\left(x+\sqrt{x^2+1}\right)$$

$$[-\pi, \arcsin y[\,\cup\,]\pi - \arcsin y, \pi]$$

138. (Ectrigus125.tex)

$$\frac{1}{\sqrt{3}}e^{\frac{5i\pi}{6}}$$

157. (Ectrigus52.tex) 0

158. (Eexo78.tex) 
$$\frac{1}{4}\sin(2x+y) - \frac{1}{4}\sin(2x-y) + \frac{1}{2}\sin y$$

139. (Ectrigus18.tex)

$$2-i, -(2-i)$$

159. (Eexo26.tex)

$$(2x+y) - \frac{1}{4}\sin(2x-y) + \frac{1}{2}\sin y$$

 $140.~_{\rm (Ectrigus 16.tex)}$ 

$$1-2i, -(1-2i)$$

$$\frac{1}{8}(3-4\cos 2x+\cos 4x)$$

141. (Ectrigus8.tex)

$$-2i, -(1-2i)$$

160. (Ectrigus 48.tex)  $2 + \sqrt{3}$ 

 $161.~_{\rm (Ectrigus 58.tex)}$ 

 $2 \arctan x$ 

142. (Ectrigus 75.tex) Les propriétés a, b, e sont vraies. Les pro- 162. (Eexo30.tex) priétés c, d sont fausses.

$$\frac{1}{2}\cos(x+y) + \frac{1}{2}\cos(x-y)$$

143. (Eexo202.tex)

$$\frac{n(n+1)}{2}\ln x$$

163. (Ectrigus36.tex)

$$\ln(n+1) \le S_n \le 1 + \ln n$$

 $144.~_{\rm (Ectrigus 62.tex)}$ 

$$\frac{1}{2}\sqrt{2+\sqrt{3}}$$

164. (Eexo234.tex)  $\frac{1}{4} - \frac{1}{4}\cos 2x - \frac{1}{4}\cos 2y + \frac{1}{8}\cos(2x + 2y) + \frac{1}{8}\cos(2x - 2y)$ 

145. (Ectrigus134.tex) La simplification conduit à 0.

 $\tan\frac{x}{2}$ 

 $146.~{\scriptstyle (\rm Ectrigus 26.tex)}$ 

$$\frac{(2n)(2n-1)\cdots(n+1)}{n!}$$

166. (Ectrigus13.tex)  $e^{i(\alpha+\beta)}$ 

0 pour la première somme,  $\frac{n}{2}$  pour la se-167. (Ectrigus 95.tex) 147. (Ectrigus53.tex) conde.

$$\frac{2(2n+1)n^{n-1}}{(n+1)^n}$$

148. (Ectrigus 98.tex)  $(-1)^{n+1}g(t)$ 

- 168. (Eexo239.tex)  $\alpha$
- $169.~_{\rm (Ectrigus120.tex)}$

$$i\frac{\pi}{\ln a} + \frac{2i\pi}{\ln a}\mathbb{Z}$$

 $170.~{\tiny ({\tt Eexo135.tex})}$ 

$$\frac{n(n-1)}{2}$$

 $171.~{\scriptstyle ({\tt Eexo11.tex})}$ 

$$\frac{1}{2}\arccos x$$

172. (Ectrigus 138.tex) La partie imaginaire doit être 4. Une seule solution :

$$3 + 4i$$

 $173.~_{\rm (Ectrigus5.tex)}$ 

$$e^{e^a\cos b}$$

174. (Ectrigus92.tex)

$$\frac{\lambda + \mu}{2}\sin(a+b) + \frac{\lambda - \mu}{2}\sin(a-b)$$

175. (Ectrigus30.tex)

$$\frac{1}{4} - \frac{1}{4}\cos 2x + \frac{1}{4}\cos 4x - \frac{1}{4}\cos 6x$$

176. (Eexo75.tex)

$$-\frac{1}{2\cos\frac{\theta}{2}}, \qquad -\frac{\theta}{2} + \pi$$

177. (Ectrigus103.tex)

$$-4\sin\frac{\varphi-\psi}{2}\sin\frac{\varphi+\psi}{2}e^{i\varphi}$$

178. (Ectrigus133.tex)

$$\prod_{j=2}^{n} \frac{j-1}{j} \prod_{j=2}^{n} \frac{j+1}{j} = \frac{1}{n} \frac{n+1}{2}$$

- 179. (Ectrigus 97.tex) g(t)
- 180. (Ectrigus77.tex)  $\mathbb{C} \setminus \mathbb{R}_{-}$
- 181. (Ectrigus110.tex)

$$z^2 - 2iz + 2 - 4i = 0$$

 $182.~{\scriptstyle ({\rm Ectrigus}_{106.tex})}$ 

$$2\operatorname{ch}(2b) + 2\cos(2a)$$

- 183. (Ectrigus 80.tex)  $\mathbb{C} \setminus iR_{-}$
- 184. (Ectrigus4.tex)

$$-ie^{i(a+b)} = e^{i(a+b-\frac{\pi}{2})}$$

 $185.~\scriptscriptstyle{\rm (Eexo206.tex)}$ 

$$e^{nx+\frac{n(n+1)}{2}}$$

186. (Ectrigus56.tex)

$$2 \arctan x$$

 $187.~{\scriptstyle ({\tt Eexo111.tex})}$ 

$$\frac{1}{8}(3+4\cos 2x+\cos 4x)$$

188. (Ectrigus89.tex)

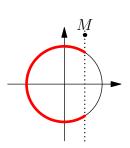


Fig. 3 – Solution Exercice Ectrigus89