Parallel Programming

Recitation Session 3

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March 18, 2010

Executive Summary

- Java Questions?
 - Please send me an email if you want me to discuss something specific in the recitation session
- Synchronization
- Loop Examples
 - Pre Increment
 - Post Increment
- MergeSort: How to parallelize?
- Performance Measurement
 - Harsh realities of parallelization
 - Amdahl's law

Outline

- 1 Last Assignment
- 2 Loop Examples
- 3 MergeSort
- 4 Parallelizing MergeSort
- **5** Performance Measurement
- 6 The Harsh Realities of Parallelization

Question

Why is it not sufficient to add the synchronized keyword to the read() and write() methods to guarantee the specified behavior of the producer/consumer problem?

Answer

Synchronization ensures that the producer and the consumer can not access the buffer at the same time.

But it does not prevent the consumer to read a value more than one time or the producer to overwrite a value that was not read.

Question

Would it be safe to use a boolean variable as a "guard" within the read() and write() methods instead of using the synchronized keyword?

Answer

No, reading and writing a value is not atomic! Why is i++ is not atomic?

Question

Would it suffice to use a simple synchronized(this) within the run() method of each the producer and the consumer to guard the updating of the buffer?

Answer

No, since producer and consumer are different objects with different locks \rightarrow no mutual exclusion guaranteed

Question

What is the object that should be used as the shared monitor and therefore the object upon which the threads are synchronized()?

Answer

The shared instance of UnsafeBuffer.

Question

What could you have used instead?

Answer

A dedicated shared lock object.

Question

What are the potential advantages/disadvantages of synchronizing the producer/consumer over synchronizing the buffer?

Advantages

- Can use arbitrary (also unsafe!) buffers
- Can do things in the Producer/Consumer that need to be done before the other thread can use the buffer, for example print something to the console.

Disadvantages

- More work to do :-)
- More error-prone

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```
int j, m;
System.out.println("Loop 1");
j = 0;
while (j < 10) {
    j = j + 1;
    System.out.print(" " + j);
}</pre>
```

```
System.out.println("Loop 2");
j = 0;
while (j++ < 10) {
   System.out.print(" " + j);
}</pre>
```

```
System.out.println("Loop 3");
j = 0;
while (++j < 10) {
   System.out.print(" " + j);
}</pre>
```

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MergeSort

■ Problem: Sort a given list *I* of *n* numbers

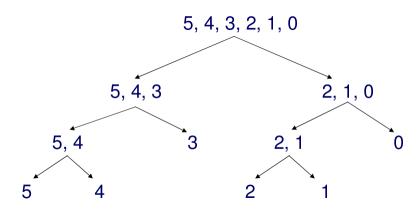
Example:

Input: 9 8 7 6 5 4 3 2 1 0Output: 0 1 2 3 4 5 6 7 8 9

Algorithm

- Divide I into two sub-lists of size n/2
- Sort each sub-list recursively by re-applying MergeSort
 - End of recursion: Size of the sub-list becomes 1
 - lacksquare If size of a sub-list $>1\Rightarrow$ other sorting needed
- Merge the two sub-lists back into one sorted list

Example: Divide into sub-lists

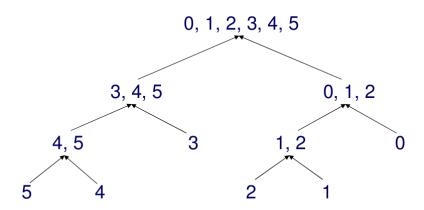


Merging

- Combine two sorted lists into sorted list
- Example:
 - List 1: 0, 5
 - List 2: 3, 4, 45
 - Output: 0, 3, 4, 5, 45

| List 1 | List 2 | Merged list |
|--------|------------------------|-----------------------------------------------------------------|
| | | $0 < 3 \rightarrow \text{insert 0 in merged list: } 0$ |
| 0, 5 | <mark>3</mark> , 4, 45 | $3 < 5 \rightarrow \text{insert 3 in merged list: 0, 3}$ |
| 0, 5 | 3, 4 , 45 | $4 < 5 \rightarrow \text{insert 4 in merged list: 0, 3, 4}$ |
| 0, 5 | 3, 4, <mark>45</mark> | $5 < 45 \rightarrow \text{insert 5 in merged list: 0, 3, 4, 5}$ |
| 0, 5 | 3, 4, <mark>45</mark> | Finally, insert 45 in merged list: 0, 3, 4, 5, 45 |

Example: Merging sorted sub-lists



Code skeletons

Eclipse

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Which operations can be done in parallel?

Sorting

Each sub-list can be sorted by a separate thread

Merging

Two ordered sub-lists can be merged by a thread

Parallelization issues

Synchronization issues

Limitations in parallelization?

 \hookrightarrow Merge can only happen if two sub-lists are sorted

Performance issues

- Number of threads?
- Size of array to sort?

Load balancing

What do we do if the threads cannot be evenly distributed?

size of array % numThreads != 0

Simple (proposed) solution

Assign remaining elements to one thread

Balanced (more complicated) solution

Distribute remaining elements to more threads

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Performance Measurement

| | Number of threads | | | | | | | | | |
|------------|-------------------|---|---|---|----|----|----|--|------|--|
| Array size | 1 | 2 | 4 | 8 | 16 | 32 | 64 | | 1024 | |
| 100'000 | | | | | | | | | | |
| 500'000 | | | | | | | | | | |
| | | | | | | | | | | |
| 10'000'000 | | | | | | | | | | |

How to measure time?

```
public class StopWatch {
  private long startTime = 0;
  private long stopTime = 0;
  private boolean running = false;
  public void start() {
    this.startTime = System.currentTimeMillis():
    this.running = true;
 public void stop() {
    this.stopTime = System.currentTimeMillis();
    this.running = false:
  public long getElapsedTime() {
    if (running) {
      return System.currentTimeMillis() - startTime;
    } else {
      return stopTime - startTime;
```

Measure time

- System.currentTimeMillis() might not be exact
 - Granularity might be higher than a millisecond
 - Might be slightly inaccurate
- System.nanoTime(): Nanosecond precision, but not nanosecond accuracy
- For our measurements System.currentMillis() is good enough

K-Best Measurement Scheme

- Measure the *K* best execution times of the program
- K measurements should be close to the best performance value
- Three parameters required:
 - Number of measurement (K = 3)
 - lacksquare How close the measurements should be $(\epsilon=5\%)$
 - The maximum number of measurements/time before we give up
- In the table: arithmetic average of measured values

Questions to be answered

- Is the parallel version faster?
- How many threads give the optimum performance?
- What is the influence of the CPU model/CPU frequency?

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The Harsh Realities of Parallelization

Ideally

Upgrading from uni-processor to *n*-way multiprocessor should provide an *n*-fold increase in computational power

Real world

Most computations cannot be efficiently parallelized

 \hookrightarrow Sequential code, synchronization, communication

Speedup

$$\mathsf{Speedup} = \frac{\mathsf{time}(\mathsf{single\ processor})}{\mathsf{time}(n\ \mathsf{concurrent\ processors})}$$

Amdahl's Law

Speedup of any complex job is limited by how much of the job must be executed sequentially

Amdahl's Law

$$S = \frac{1}{\underbrace{1 - p}_{\text{serial}} + \underbrace{\frac{p}{n}}_{\text{parallel}}}$$

Parameters

- 1: normalized sequential execution time
- p: fraction that can be executed in parallel
- *n*: number of processors

Example

Question

5 painters, and 5 rooms, 4 small rooms have the same size, one big room has twice the size of a small room.

What is the speedup?

Solution

$$n = 5$$
, $p = \frac{5}{6}$, $1 - p = \frac{1}{6}$

$$S = \frac{1}{1 - p + \frac{p}{n}} = \frac{1}{\frac{1}{6} + \frac{1}{6}} = 3$$

Even worse?

Question

10 painters, and 10 rooms, 9 small rooms have the same size, 1 big room has twice the size of a small room.

What is the speedup?

Solution

$$n = 10, p = \frac{10}{11}, 1 - p = \frac{1}{11}$$

$$S = \frac{1}{1-p+\frac{p}{n}} = \frac{1}{\frac{1}{11}+\frac{1}{11}} = 5.5$$

 \hookrightarrow Even if we manage to parallelize 90% of the application, but not the remaining 10% we end up with a five-fold speedup

Summary

- Please send me your questions and remarks
- Synchronization
- Pre and Post Increment
- MergeSort and parallel MergeSort
- How to measure time in Java
- Amdahl's law

