

# Do we Need Features for Morphosyntax?

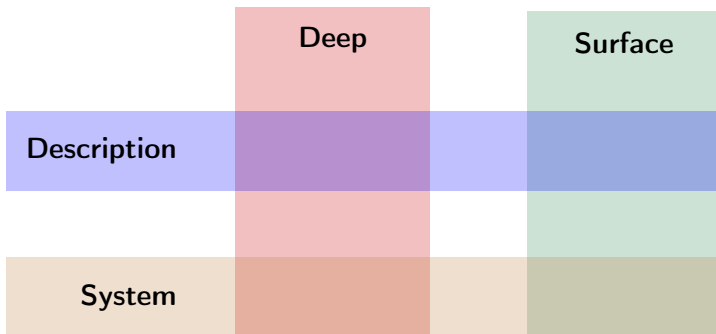
Thomas Graf

Stony Brook University  
`mail@thomasgraf.net`  
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Jun 26, 2017

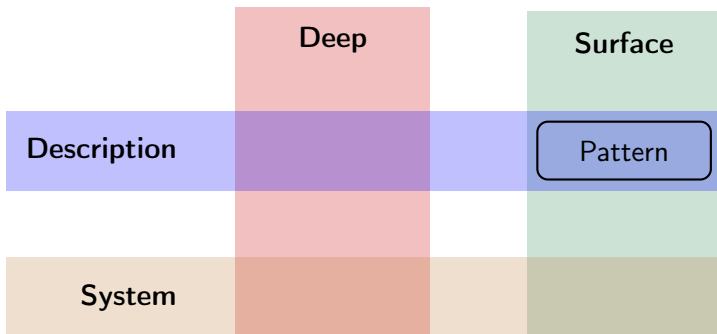
# Two Routes Towards Generalizations



## Why Route 2?

- ▶ Many Surface to Deep mappings
- ▶ Systematize first, then implement at Deep level

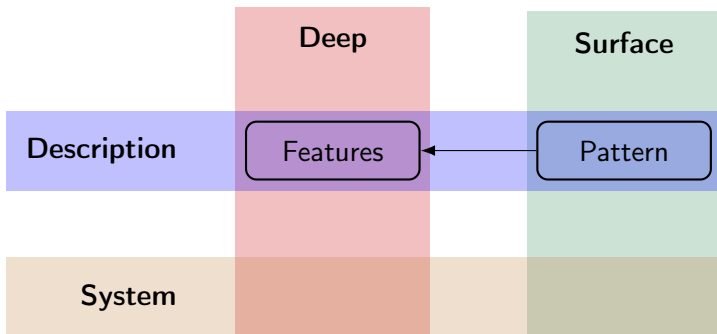
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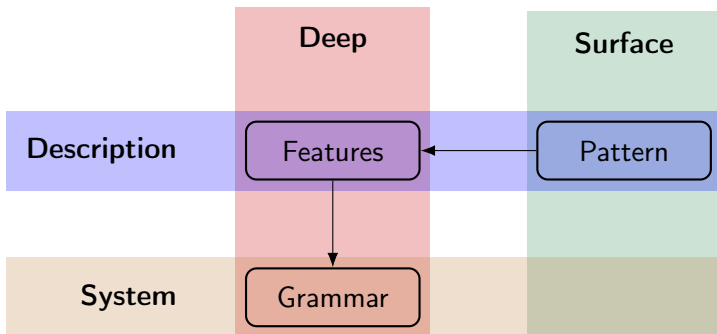
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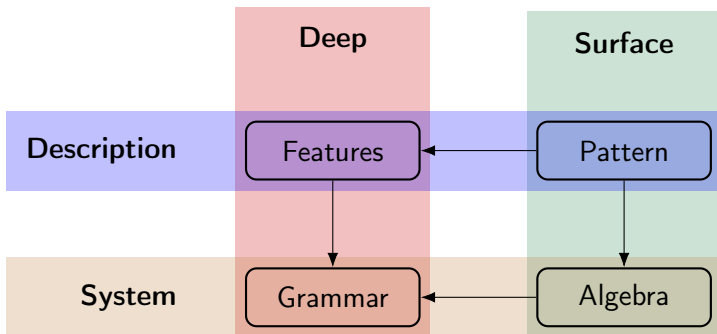
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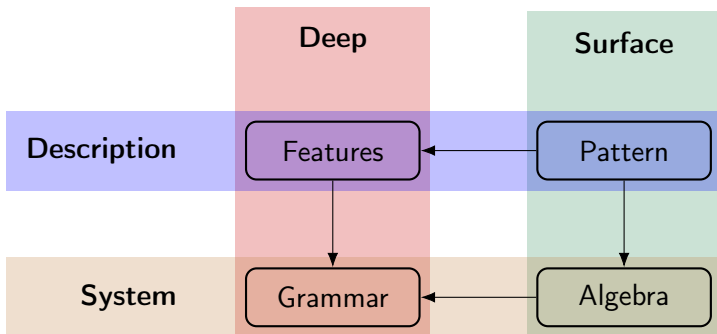
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## A Case Study: \*ABA and PCC

### \*ABA Generalization (Bobaljik 2012)

Two paradigmatic cells cannot be syncretic to the exclusion of any intervening cell.

- (1) a. smart, smarter, smartest (AAA)
- b. good, better, best (ABB)
- c. \* good, better, goodest (ABA)

### Person Case Constraint (PCC; Bonet 1994; Walkow 2012)

The well-formedness of clitic combinations is contingent on their person specification.

- (2) Roger *le*/\**me*                      *leur*            a    présenté.  
      Roger 3SG.ACC/1SG.ACC 3PL.DAT has shown  
      'Roger has shown me/him to them.'



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# Outline

- 1 The \*ABA Generalization: Monotonicity
- 2 \*ABA Revisited: Graph-Theoretic Approach
  - Application to Pronoun Syncretism
  - Computational Motivation
  - Beyond 3-Cell Systems
- 3 Person Case Constraint

## \*ABA: A First Account

- ▶ **Syncretism:** multiple cells mapped to the same output
- ▶ A mapping that produces ABA violates **monotonicity**.

### Monotonicity for Pronoun Syncretism

- ▶ Suppose  $3 < 2 < 1$  (Zwicky 1977)
- ▶ A function  $f$  is **monotonic** iff  $x \leq y$  implies  $f(x) \leq f(y)$ .
- ▶ No monotonic function from  $\{1, 2, 3\}$  to  $\{A, B, C\}$  can produce ABA!
- ▶ This holds irrespective of the structure of  $\{A, B, C\}$ .

# Illustrating Monotonicity

- ▶ Monotonicity is similar to No Crossing Branches constraint in autosegmental phonology. (Goldsmith 1976)

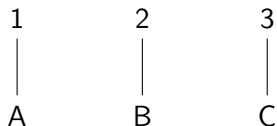
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## Patterns:

- ▶ But why should spell-out functions be monotonic?

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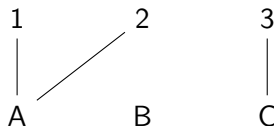


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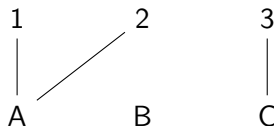


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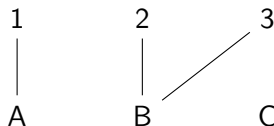
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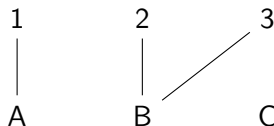


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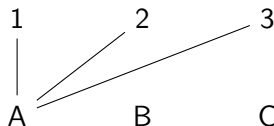


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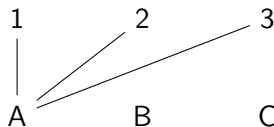


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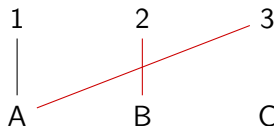


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# A More General View: Graph Structure Preservation

## The General Idea

- ▶ \*ABA is about structure preservation.
- ▶ Syncretism is modification of a base graph.
- ▶ Modification must not contradict orderings of base graph.

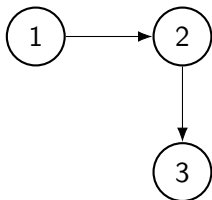
## Definition (Weakly Non-Inverting Graph Mappings)

- ▶ Given input graph  $G$  and output graph  $G'$ 
  - ▶  $x \triangleleft y$  iff  $y$  is reachable from  $x$  in  $G$ ,
  - ▶  $x \blacktriangleleft y$  iff  $y$  is reachable from  $x$  in  $G'$ .
- ▶ A mapping from  $G$  to  $G'$  is **weakly non-inverting** iff
$$x \triangleleft y \wedge y \blacktriangleleft x \rightarrow x \blacktriangleleft y$$

# Weakly Non-Inverting Graph Mappings

- ▶ Since we want graphs to encode hierarchies, they must be *weakly connected*: ignoring the direction of arrows, all nodes are mutually reachable.
- ▶ And the mapping must be weakly non-inverting:

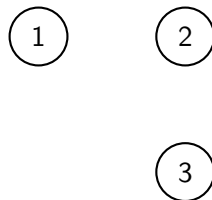
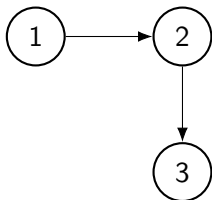
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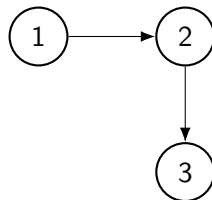
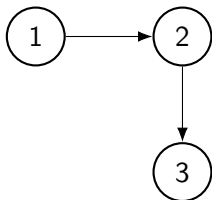




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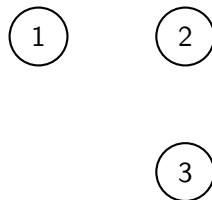
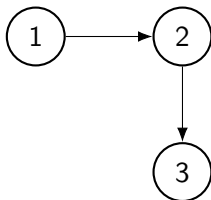
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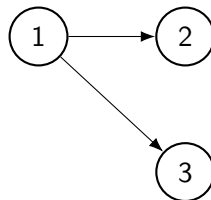
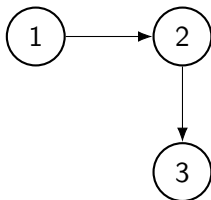
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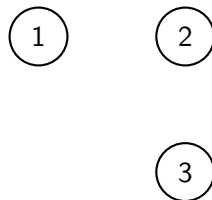
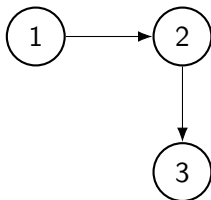
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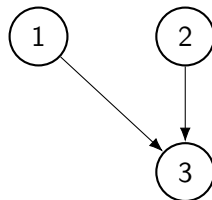
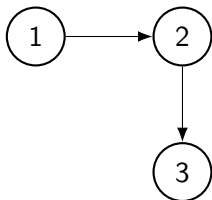
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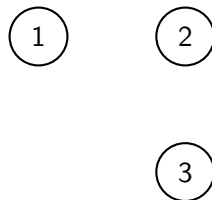
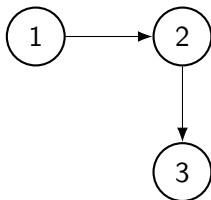
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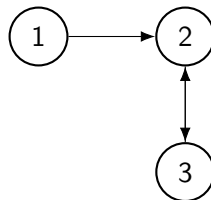
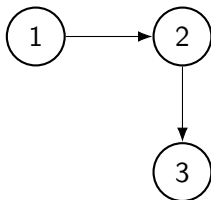
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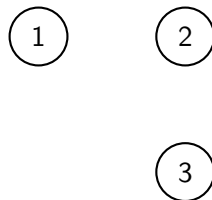
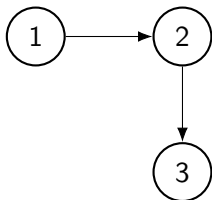
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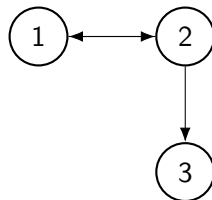
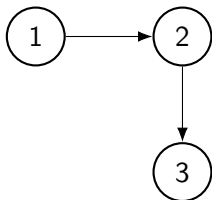




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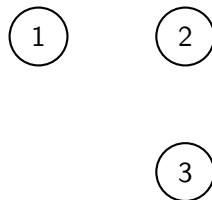
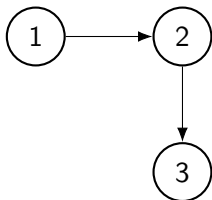
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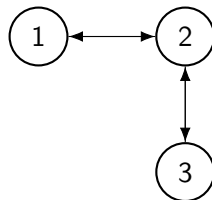
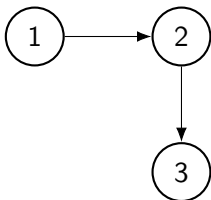
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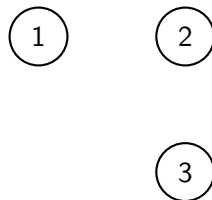
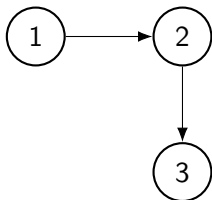
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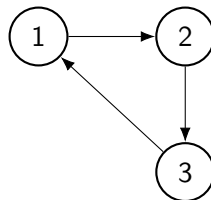
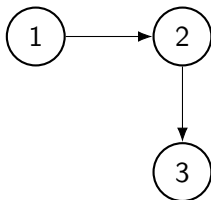
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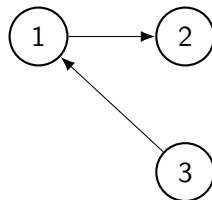
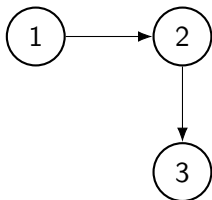
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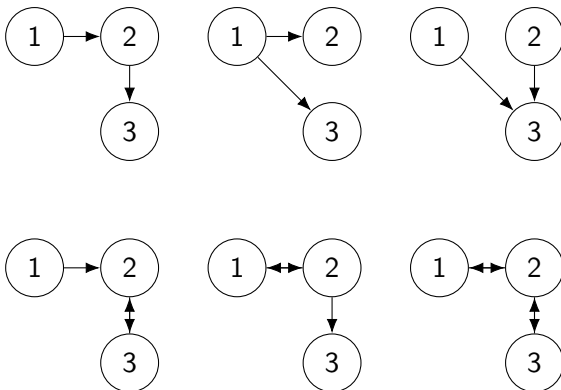
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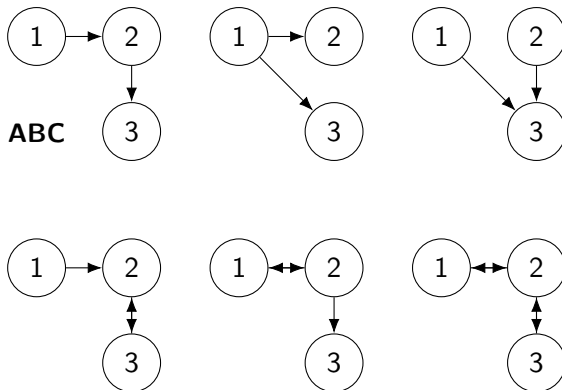
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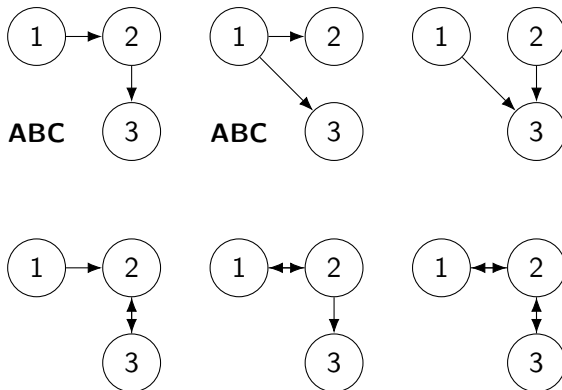
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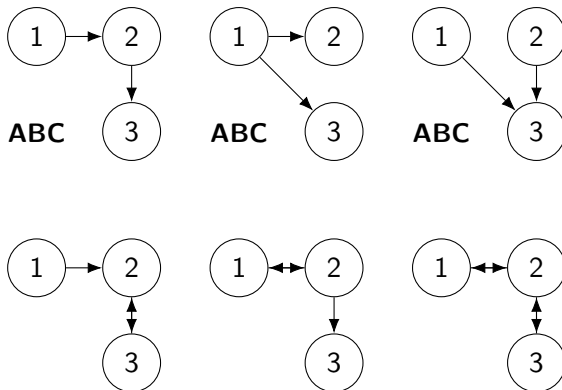
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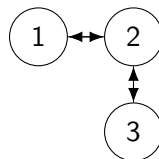
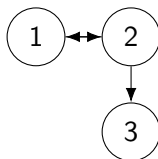
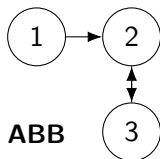
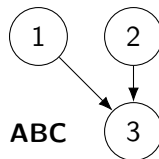
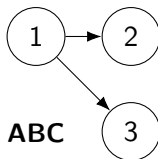
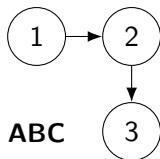
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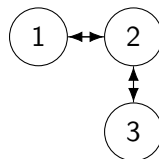
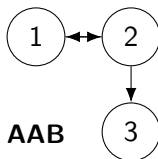
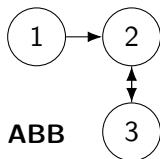
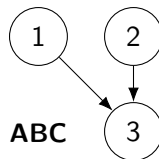
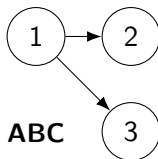
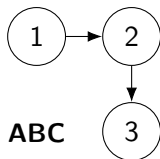
# Graphs and Syncretism

- ▶ Suppose two cells may be syncretic iff they are mutually reachable in a graph.
- ▶ Then the previous set of graphs describes the **class of attested syncretisms**.



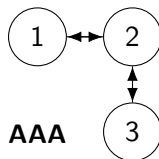
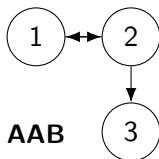
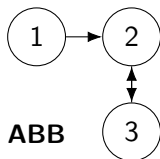
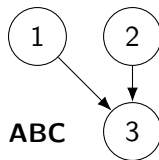
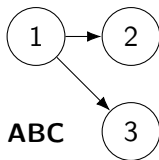
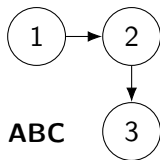
# Graphs and Syncretism

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# Graphs and Syncretism

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# Why Weakly Non-Inverting Maps?

- ▶ The restriction to weakly non-inverting maps reduces computational complexity.
- ▶ These graph mappings correspond to **strictly 1-local string mappings**.
- ▶ Those are the **weakest class of mappings**.
- ▶ So the \*ABA generalization has a third-factor explanation: (Chomsky 2005)
  - ▶ independent base hierarchy of cells
  - ▶ computationally limited changes to hierarchy

# Scaling to Larger Systems

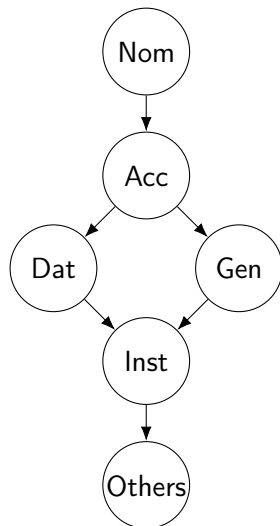
- ▶ Some morphosyntactic phenomena have many different cells.  
case syncretism, noun stem allomorphy
- ▶ Those do not scale well for feature combinatorics.
- ▶ Weakly non-inverting maps still obey \*ABA  
if output graphs must be **connected**:

$$\forall x, y [x \blacktriangleleft y \vee y \blacktriangleleft x]$$

- ▶ Weakly non-inverting + strong connectedness =  
**base arrows must not be removed**

# Case Syncretism

- ▶ Modified case hierarchy as base (Blake 2001)
- ▶ Allows syncretism of both Acc & Dat and Acc & Gen (Harðarson 2016)





# Interim Summary

- ▶ Weakly non-inverting graph mappings preserve aspects of the base order.
- ▶ This structure preservation derives the \*ABA generalization.
- ▶ Some ad hoc stipulations are still needed in certain cases.
- ▶ Those reflect aspects of the syntactic mechanisms, which the graph-theoretic view abstracts away from.

| Phenomenon           | Target graph       | Constraints   |
|----------------------|--------------------|---|
| Pronoun allomorphy   | (weakly) connected | none  |
| Adjectival gradation | (weakly) connected | $2 \blacktriangleleft 1 \rightarrow 3 \blacktriangleleft 1$   |
| Case syncretism      | connected          | none  |
| Noun stem suppletion | connected          | $\neg \exists z[z \triangleleft x] \rightarrow (y \blacktriangleleft x \rightarrow x \blacktriangleleft y)$<br>$\exists z[z \triangleleft x] \rightarrow (x \blacktriangleleft y \leftrightarrow y \blacktriangleleft x)$ |

# The Graph-Theoretic View of the Person Case Constraint

- ▶ There are four attested variants of the PCC:
  - S(trong)-PCC DO must be 3.  
(Bonet 1994)
  - U(ltrastrong)-PCC DO is less prominent than IO,  
where 3 is less prominent than 2,  
and 2 is less prominent than 1.  
(Nevins 2007)
  - W(eak)-PCC 3IO combines only with 3DO.  
(Bonet 1994)
  - M(e first)-PCC If IO is 2 or 3, then DO is not 1.  
(Nevins 2007)
- ▶ But symmetric variants have been discovered.  
(Stegovec 2016)
- ▶ This looks like a mess!

# A More Systematic Perspective (Walkow 2012)

| IO↓/DO→ | 1  | 2  | 3  |
|---------|----|----|----|
| 1       | NA | ✓  | ✓  |
| 2       | *  | NA | ✓  |
| 3       | *  | *  | NA |

**U-PCC**

| IO↓/DO→ | 1  | 2  | 3  |
|---------|----|----|----|
| 1       | NA | *  | ✓  |
| 2       | *  | NA | ✓  |
| 3       | *  | *  | NA |

**S-PCC**

| IO↓/DO→ | 1  | 2  | 3  |
|---------|----|----|----|
| 1       | NA | ✓  | ✓  |
| 2       | ✓  | NA | ✓  |
| 3       | *  | *  | NA |

**W-PCC**

| IO↓/DO→ | 1  | 2  | 3  |
|---------|----|----|----|
| 1       | NA | ✓  | ✓  |
| 2       | *  | NA | ✓  |
| 3       | *  | ✓  | NA |

**M1-PCC**

# Graph-Theoretic Unification

## Generalized PCC

**y** must not be  
reachable from **x**.

Standard PCCs:

**y** = IO, **x** = DO

Symmetric PCCs:

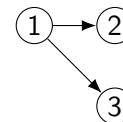
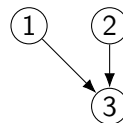
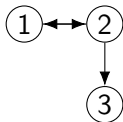
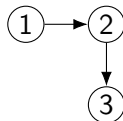
**y** = DO, **x** = IO

| U | 1  | 2  | 3  |
|---|----|----|----|
| 1 | NA | ✓  | ✓  |
| 2 | *  | NA | ✓  |
| 3 | *  | *  | NA |

| S | 1  | 2  | 3  |
|---|----|----|----|
| 1 | NA | *  | ✓  |
| 2 | *  | NA | ✓  |
| 3 | *  | *  | NA |

| W | 1  | 2  | 3  |
|---|----|----|----|
| 1 | NA | ✓  | ✓  |
| 2 | ✓  | NA | ✓  |
| 3 | *  | *  | NA |

| M1 | 1  | 2  | 3  |
|----|----|----|----|
| 1  | NA | ✓  | ✓  |
| 2  | *  | NA | ✓  |
| 3  | *  | ✓  | NA |



# Overview of Relevant Graph Classes

| Phenomenon           | Target graph  | Constraints   |
|----------------------|---------------|---|
| Pronoun allomorphy   | (w-)connected | none  |
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| PCC                  | w-connected   | $\neg \exists z[z \blacktriangleleft x] \rightarrow (y \blacktriangleleft x \rightarrow x \blacktriangleleft y)$<br>$\neg \exists z[x \blacktriangleleft z] \rightarrow \neg \exists z[x \blacktriangleleft z]$                     |

# Conclusion

- ▶ Graphs generalize across domains of morphosyntax
- ▶ No need for features, **talk directly about cells**
- ▶ Scales better than combinatorics
- ▶ Can be a theory of markedness rather than well-formedness
- ▶ **But:** a lot of work still to be done  
Gender Case Constraint, inverse marking, resolved agreement, . . .

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