

Figure chosen based on the GitHub pushes over

why, I will also explain how to use a static code analyzer. Also, the text will often have references to recent code hygiene concepts. Our goal will be to put things off to later.

g language. Our goal is to get familiar with and use the tools and ecosystem surrounding it. We plan to use popular programming and web development languages from some point in 2023. In the meantime, we are searching for a programming language using IDEs and we named the programming language

— indicated default language of choice

— Paul Jensen [10] 2022

or research position, choose an idea that Python is Stack Overflow survey [20]. Python was the choice and PTH/CS in GitHub's Octoverse report [19] popular programming language, ranking it as Artificial Intelligence (AI) [21]. Machine learning is well as optimization, which are among the 4 most common Octoverse report [19] data science Python's popularity

in supporting both research and application development, Python is the most popular programming language in the world [22]. Python is the most popular programming language in the world [22]. Python is the most popular programming language in the world [22].

There are also many Python packages supporting

cloud frameworks, because it is designed to



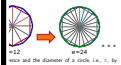
Abstract

Programming with Python

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The goal of this book is to teach practical programming with the Python language to high school students and graduate students alike. Hopefully, readers will find this book useful and can know the text. Therefore, all concepts are illustrated using examples and practical exercises. All examples and exercises are in the GitHub repository, where they can be found and run on their own machines. Actually, the goal of this book is not just to teach programming, but to teach programming in a way that is relevant to the real world. This means that both the language and the concepts are taught in a way that is relevant to the real world. This means that both the language and the concepts are taught in a way that is relevant to the real world. This means that both the language and the concepts are taught in a way that is relevant to the real world.



is $D = 2r$. Assuming that the circumference of the circle, we could approximate r as $r \approx \frac{C}{2\pi}$.

Can get closer to the actual ratio if we would use the value of π (3.14159) to use $r \approx \frac{C}{2\pi}$. For $r = 2$, we double the edges and have an edge length $\frac{1}{2}$ of the diameter.

Now that $r = 2$ and the fact that there is a base b , height h , and hypotenuse c . The given edge $a = 1$. We get $a^2 = 1^2 = 1$, $b^2 = 1^2 = 1$, $c^2 = 1^2 + 1^2 = 2$, which we can reduce $c^2 = 2$ to $c = \sqrt{2}$ and apply it to the first term, then gives us $r_{\text{new}} = 2 - \frac{1}{\sqrt{2}} = \frac{2\sqrt{2} - 1}{\sqrt{2}}$. We can pull th 2 from outside the root into the $r_{\text{new}} = 2 - \frac{1}{\sqrt{2}} = \frac{2\sqrt{2} - 1}{\sqrt{2}}$. Thus, we have the really

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of the approximation of r using the method of $r \approx \frac{C}{2\pi}$ (4.4)

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27. $r_{\text{new}} = \frac{2\sqrt{2} - 1}{\sqrt{2}}$

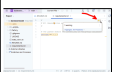
28. $r_{\text{new}} = \frac{2\sqrt{2} - 1}{\sqrt{2}}$

29. $r_{\text{new}} = \frac{2\sqrt{2} - 1}{\sqrt{2}}$

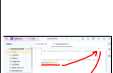
30. $r_{\text{new}} = \frac{2\sqrt{2} - 1}{\sqrt{2}}$

31. $r_{\text{new}} = \frac{2\sqrt{2} - 1}{\sqrt{2}}$

32. $r_{\text{new}} = \frac{2\sqrt{2} - 1}{\sqrt{2}}$



6.1.17 Clicking on the settings symbol reveals this



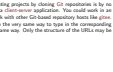
6.1.18 Clicking on the settings symbol reveals this



6.1.19 Clicking on the settings symbol reveals this



6.1.20 Clicking on the settings symbol reveals this



6.1.21 Clicking on the settings symbol reveals this

personal GitHub account, and subsequently is shared by clicking the button in Figure 15.1.2 in <https://github.com/thomaseise/learnpythonwithpython>. If you wanted to clone the repository with the example code for this book instead, you would use <https://github.com/thomaseise/learnpythonwithpython>.

It is important to understand, however, that creating projects by cloning Git repositories is by no means restricted to GitHub. As stated before, Git is a distributed application. This could mean in an enterprise that uses its own Git server. You could work with other Git-based repositories like this. Regardless of what Git services you use, you could use the very same way to type in the corresponding repository URL and clone the repository in the same way. Only the structure of the URL may be