Enduring understanding

The following are the four ideas that I hope will persist with students after the minutia of the Poisson distribution has faded from memory.

- 1. Probability is a framework for organizing beliefs; it is not a statement of what your beliefs should be.
- 2. Probability is a framework for coherently updating beliefs based on new information and data.
- 3. Probability models are a powerful framework for describing and simplifying real world phenomena as a means of answering research questions.
- 4. Probability models can be expressed and applied mathematically and computationally.

Learning outcomes

The learning outcomes are listed below with course topics listed to the right.

- 1. Probability is a framework for organizing beliefs; it is not a statement of what your beliefs should be.
 - Student will ...
 - (a) compare and contrast different definitions of probability, illustrating differences with simple examples
- long-run proportion
- personal beliefs
- combination of beliefs and data

- (b) verbally express the rules of probability.
- (c) mathematically express the rules of probability.
- (d) computationally express the rules of probability.
- (e) illustrate the rules of probability with examples.
- (f) using the long-run proportion definition of probability, derive the univariate rules of probability.
- (g) organize/express bivariate random variables in cross tables.
- (h) define joint, conditional, and marginal probabilities.
- (i) identify J, C, and M probabilities in cross tables.
- (j) identify when a research question calls for a J, C, or M probability.
- (k) describe the connection between conditional probabilities and prediction.
- (1) derive Bayes rule from cross tables.
- (m) apply Bayes rules to answer research questions.
- (n) determine if joint outcomes are independent.
- (o) calculate a measure of association between joint outcomes.
- 2. Probability is a framework for coherently **updating** beliefs based on new information and data.
- 3. Probability models are a powerful framework for describing and simplifying real world phenomena as a means of answering research questions.
- 4. Probability models can be expressed and applied mathematically and computationally.