FC Net

In this section all relevant python code files will be displayed in their entirety. Each file will be labeled accordingly.

```
fc_net.py
import numpy as np
from .layers import *
from .layer_utils import *
class TwoLayerNet(object):
  A two-layer fully-connected neural network with ReLU nonlinearity and
  softmax loss that uses a modular layer design. We assume an input dimension
  of D, a hidden dimension of H, and perform classification over C classes.
  The architecure should be affine - relu - affine - softmax.
  Note that this class does not implement gradient descent; instead, it
  will interact with a separate Solver object that is responsible for running
  optimization.
  The learnable parameters of the model are stored in the dictionary
  self.params that maps parameter names to numpy arrays.
  def __init__(self, input_dim=3*32*32, hidden_dims=100, num_classes=10,
               dropout=0, weight_scale=1e-3, reg=0.0):
    Initialize a new network.
    Inputs:
    - input_dim: An integer giving the size of the input
    - hidden_dims: An integer giving the size of the hidden layer
    - num_classes: An integer giving the number of classes to classify
    - dropout: Scalar between 0 and 1 giving dropout strength.
    - weight_scale: Scalar giving the standard deviation for random
     initialization of the weights.
    - reg: Scalar giving L2 regularization strength.
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self.params = {}
self.reg = reg

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# ----- #
 # YOUR CODE HERE:
 # Initialize W1, W2, b1, and b2. Store these as self.params['W1'],
    self.params['W2'], self.params['b1'] and self.params['b2']. The
 # biases are initialized to zero and the weights are initialized
 # so that each parameter has mean O and standard deviation weight_scale.
   The dimensions of W1 should be (input_dim, hidden_dim) and the
    dimensions of W2 should be (hidden dims, num classes)
 self.params['W1'] = np.random.randn(input_dim,hidden_dims)*weight_scale
 self.params['b1'] = np.zeros((hidden_dims,))
 self.params['W2'] = np.random.randn(hidden dims,num classes)*weight scale
 self.params['b2'] = np.zeros((num classes,))
 # ------ #
 # END YOUR CODE HERE
 # ----- #
def loss(self, X, y=None):
 Compute loss and gradient for a minibatch of data.
 Inputs:
 - X: Array of input data of shape (N, d_1, \ldots, d_k)
 - y: Array of labels, of shape (N,). y[i] gives the label for X[i].
 Returns:
 If y is None, then run a test-time forward pass of the model and return:
 - scores: Array of shape (N, C) giving classification scores, where
   scores[i, c] is the classification score for X[i] and class c.
 If y is not None, then run a training-time forward and backward pass and
 return a tuple of:
 - loss: Scalar value giving the loss
 - grads: Dictionary with the same keys as self.params, mapping parameter
  names to gradients of the loss with respect to those parameters.
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 scores = None
 # ----- #
 # YOUR CODE HERE:
 # Implement the forward pass of the two-layer neural network. Store
 # the class scores as the variable 'scores'. Be sure to use the layers
 # you prior implemented.
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h1,cache1 = affine_relu_forward(X,self.params['W1'],self.params['b1'])
       scores,cache2 = affine_forward(h1,self.params['W2'],self.params['b2'])
        # ------ #
        # END YOUR CODE HERE
        # ----- #
       \# If y is None then we are in test mode so just return scores
       if y is None:
           return scores
       loss, grads = 0, \{\}
       # ----- #
        # YOUR CODE HERE:
              Implement the backward pass of the two-layer neural net. Store
            the loss as the variable 'loss' and store the gradients in the
              'grads' dictionary. For the grads dictionary, grads['W1'] holds
              the gradient for W1, grads['b1'] holds the gradient for b1, etc.
             i.e., grads[k] holds the gradient for self.params[k].
              Add L2 regularization, where there is an added cost 0.5*self.reg*W^2
        #
              for each W. Be sure to include the 0.5 multiplying factor to
             match our implementation.
              And be sure to use the layers you prior implemented.
        loss,dLdz = softmax_loss(scores,y)
       loss += 0.5*self.reg*np.linalg.norm(self.params['W1'])**2 +0.5*self.reg*np.linalg.norm(self.params['W1'])**2 +0.5*self.reg*np.linalg.norm(self.params['W1'])**2
       dLdh1,dLdw2, dLdb2 = affine_backward(dLdz,cache2)
       dLdx,dLdw1,dLdb1 = affine_relu_backward(dLdh1,cache1)
       grads['W2'] = dLdw2 + self.reg*self.params['W2']
       grads['b2'] = dLdb2
       grads['W1'] = dLdw1 + self.reg*self.params['W1']
       grads['b1'] = dLdb1
       # END YOUR CODE HERE
        return loss, grads
class FullyConnectedNet(object):
   A fully-connected neural network with an arbitrary number of hidden layers,
   ReLU nonlinearities, and a softmax loss function. This will also implement
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dropout and batch normalization as options. For a network with L layers,

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the architecture will be
\{affine - [batch norm] - relu - [dropout]\}\ x\ (L - 1) - affine - softmax
where batch normalization and dropout are optional, and the {...} block is
repeated L - 1 times.
Similar to the TwoLayerNet above, learnable parameters are stored in the
self.params dictionary and will be learned using the Solver class.
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def __init__(self, hidden_dims, input_dim=3*32*32, num_classes=10,
            dropout=0, use_batchnorm=False, reg=0.0,
            weight scale=1e-2, dtype=np.float32, seed=None):
  Initialize a new FullyConnectedNet.
  - hidden_dims: A list of integers giving the size of each hidden layer.
  - input_dim: An integer giving the size of the input.
  - num_classes: An integer giving the number of classes to classify.
  - dropout: Scalar between 0 and 1 giving dropout strength. If dropout=0 then
   the network should not use dropout at all.
  - use_batchnorm: Whether or not the network should use batch normalization.
  - req: Scalar giving L2 regularization strength.
  - weight scale: Scalar giving the standard deviation for random
   initialization of the weights.
  - dtype: A numpy datatype object; all computations will be performed using
   this datatype. float32 is faster but less accurate, so you should use
   float64 for numeric gradient checking.
  - seed: If not None, then pass this random seed to the dropout layers. This
   will make the dropout layers deteriminstic so we can gradient check the
   model.
  self.use_batchnorm = use_batchnorm
 self.use_dropout = dropout > 0
 self.reg = reg
 self.num_layers = 1 + len(hidden_dims)
  self.dtype = dtype
 self.params = {}
  # YOUR CODE HERE:
  # Initialize all parameters of the network in the self.params dictionary.
  # The weights and biases of layer 1 are W1 and b1; and in general the
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weights and biases of layer i are Wi and bi. The

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# biases are initialized to zero and the weights are initialized
 # so that each parameter has mean 0 and standard deviation weight_scale.
 # ------ #
 for i in range(self.num_layers):
   w_i = W' + str(i+1)
   b_i = b'+str(i+1)
   if(i==0):
     self.params[w i] = np.random.randn(input dim,hidden dims[i])*weight scale
     self.params[b_i] = np.zeros((hidden_dims[i],))
   elif(i==self.num layers-1):
     self.params[w_i] = np.random.randn(hidden_dims[i-1],num_classes)*weight_scale
     self.params[b_i] = np.zeros((num_classes,))
     self.params[w_i] = np.random.randn(hidden_dims[i-1],hidden_dims[i])*weight_scale
     self.params[b i] = np.zeros((hidden dims[i],))
 # END YOUR CODE HERE
 # When using dropout we need to pass a dropout_param dictionary to each
 # dropout layer so that the layer knows the dropout probability and the mode
 # (train / test). You can pass the same dropout_param to each dropout layer.
 self.dropout_param = {}
 if self.use dropout:
   self.dropout_param = {'mode': 'train', 'p': dropout}
   if seed is not None:
     self.dropout_param['seed'] = seed
 # With batch normalization we need to keep track of running means and
 # variances, so we need to pass a special bn_param object to each batch
 # normalization layer. You should pass self.bn params[0] to the forward pass
 # of the first batch normalization layer, self.bn_params[1] to the forward
 # pass of the second batch normalization layer, etc.
 self.bn_params = []
 if self.use_batchnorm:
   self.bn_params = [{'mode': 'train'} for i in np.arange(self.num_layers - 1)]
 # Cast all parameters to the correct datatype
 for k, v in self.params.items():
   self.params[k] = v.astype(dtype)
def loss(self, X, y=None):
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Compute loss and gradient for the fully-connected net.
Input / output: Same as TwoLayerNet above.
X = X.astype(self.dtype)
mode = 'test' if y is None else 'train'
# Set train/test mode for batchnorm params and dropout param since they
# behave differently during training and testing.
if self.dropout_param is not None:
 self.dropout_param['mode'] = mode
if self.use_batchnorm:
 for bn_param in self.bn_params:
   bn param[mode] = mode
scores = None
# ----- #
# YOUR CODE HERE:
# Implement the forward pass of the FC net and store the output
# scores as the variable "scores".
# ----- #
hs = []
caches= []
for i in range(self.num_layers):
 #generate keys
 w i = 'W' + str(i+1)
 b i = 'b' + str(i+1)
 if(i==0):
   h_i, cache = affine_relu_forward(X,self.params[w_i], self.params[b_i])
   hs.append(h_i)
   caches.append(cache)
 elif(i!= self.num layers-1):
   h_i, cache = affine_relu_forward(hs[i-1],self.params[w_i], self.params[b_i])
   hs.append(h_i)
   caches.append(cache)
   h_i,cache = affine_forward(hs[i-1],self.params[w_i], self.params[b_i])
   scores = h_i
   caches.append(cache)
# ----- #
# END YOUR CODE HERE
# ------ #
# If test mode return early
if mode == 'test':
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return scores
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loss, grads = 0.0, \{\}
   # ----- #
   # YOUR CODE HERE:
   # Implement the backwards pass of the FC net and store the gradients
   # in the grads dict, so that grads[k] is the gradient of self.params[k]
   # Be sure your L2 regularization includes a 0.5 factor.
   # ------ #
   loss,dLdupstream = softmax_loss(scores,y)
   dLdhi,dLdwi, dLdbi =0,0,0
   for i in reversed(range(self.num_layers)):
     #generate keys
     w i = 'W' + str(i+1)
    b i = 'b' + str(i+1)
    loss += 0.5*self.reg*np.linalg.norm(self.params[w_i])**2
     if(i == self.num_layers-1):
      dLdhi,dLdwi, dLdbi = affine_backward(dLdupstream,caches[i])
     else:
      dLdhi,dLdwi,dLdbi = affine_relu_backward(dLdupstream,caches[i])
     dLdupstream = dLdhi
     grads[w_i]=dLdwi + self.reg*self.params[w_i]
     grads[b_i]=dLdbi
   # END YOUR CODE HERE
   # ------ #
   return loss, grads
layers.py
import numpy as np
import pdb
def affine_forward(x, w, b):
 Computes the forward pass for an affine (fully-connected) layer.
 The input x has shape (N, d_1, \ldots, d_k) and contains a minibatch of N
 examples, where each example x[i] has shape (d_1, \ldots, d_k). We will
 reshape each input into a vector of dimension D = d_1 + \ldots + d_k, and
 then transform it to an output vector of dimension M.
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Inputs:
 -x: A numpy array containing input data, of shape (N, d_1, \ldots, d_k)
 - w: A numpy array of weights, of shape (D, M)
 - b: A numpy array of biases, of shape (M,)
 Returns a tuple of:
 - out: output, of shape (N, M)
 - cache: (x, w, b)
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 # ----- #
 # YOUR CODE HERE:
 # Calculate the output of the forward pass. Notice the dimensions
 # of w are D \times M, which is the transpose of what we did in earlier
 # assignments.
 # ----- #
 x_shapes = x.shape
 D = np.prod(x_shapes[1:])
 N = x_shapes[0]
 X = x.reshape(N,D)
 out = X@w+b
 # ----- #
 # END YOUR CODE HERE
 # =========== #
 cache = (x, w, b)
 return out, cache
def affine_backward(dout, cache):
 Computes the backward pass for an affine layer.
 Inputs:
 - dout: Upstream derivative, of shape (N, M)
 - cache: Tuple of:
   - x: Input data, of shape (N, d_1, ... d_k)
   - w: Weights, of shape (D, M)
 Returns a tuple of:
 - dx: Gradient with respect to x, of shape (N, d1, ..., d_k)
 - dw: Gradient with respect to w, of shape (D, M)
 - db: Gradient with respect to b, of shape (M,)
 HHHH
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x, w, b = cache
 dx, dw, db = None, None, None
 # YOUR CODE HERE:
   Calculate the gradients for the backward pass.
 # dout is N x M
 # dx should be N x d1 x ... x dk; it relates to dout through multiplication with w, which
 # dw should be D x M; it relates to dout through multiplication with x, which is N x D af
 # db should be M; it is just the sum over dout examples
 x_shapes = x.shape
 D = np.prod(x shapes[1:])
 N = x_shapes[0]
 x_reshape = x.reshape(N,D)
 dx = (dout@w.T).reshape(x_shapes)
 dw = x_reshape.T@dout
 db = dout.T@np.ones((N,))
 # END YOUR CODE HERE
 # ----- #
 return dx, dw, db
def relu forward(x):
 Computes the forward pass for a layer of rectified linear units (ReLUs).
 Input:
 - x: Inputs, of any shape
 Returns a tuple of:
 - out: Output, of the same shape as x
 - cache: x
 # YOUR CODE HERE:
  Implement the ReLU forward pass.
 out = (x>0)*x
 # =========== #
 # END YOUR CODE HERE
 # ----- #
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cache = x
 return out, cache
def relu_backward(dout, cache):
 Computes the backward pass for a layer of rectified linear units (ReLUs).
 Input:
 - dout: Upstream derivatives, of any shape
 - cache: Input x, of same shape as dout
 Returns:
 - dx: Gradient with respect to x
 x = cache
 # YOUR CODE HERE:
   Implement the ReLU backward pass
 # ReLU directs linearly to those > 0
 dx = dout*(x>0)
 # ========== #
 # END YOUR CODE HERE
 # ----- #
 return dx
def svm_loss(x, y):
 Computes the loss and gradient using for multiclass SVM classification.
 Inputs:
 - x: Input data, of shape (N, C) where x[i, j] is the score for the jth class
   for the ith input.
 - y: Vector of labels, of shape (N,) where y[i] is the label for x[i] and
   0 \leftarrow y[i] < C
 Returns a tuple of:
 - loss: Scalar giving the loss
 - dx: Gradient of the loss with respect to x
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 N = x.shape[0]
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correct_class_scores = x[np.arange(N), y]
 margins = np.maximum(0, x - correct_class_scores[:, np.newaxis] + 1.0)
 margins[np.arange(N), y] = 0
 loss = np.sum(margins) / N
 num_pos = np.sum(margins > 0, axis=1)
 dx = np.zeros_like(x)
 dx[margins > 0] = 1
 dx[np.arange(N), y] -= num_pos
 dx /= N
 return loss, dx
def softmax_loss(x, y):
  Computes the loss and gradient for softmax classification.
  Inputs:
  - x: Input data, of shape (N, C) where x[i, j] is the score for the jth class
   for the ith input.
  - y: Vector of labels, of shape (N,) where y[i] is the label for x[i] and
    0 <= y[i] < C
 Returns a tuple of:
  - loss: Scalar giving the loss
  - dx: Gradient of the loss with respect to x
 probs = np.exp(x - np.max(x, axis=1, keepdims=True))
 probs /= np.sum(probs, axis=1, keepdims=True)
 N = x.shape[0]
 loss = -np.sum(np.log(probs[np.arange(N), y])) / N
 dx = probs.copy()
 dx[np.arange(N), y] -= 1
 dx /= N
 return loss, dx
```