

D. An overnight dance in discotheque

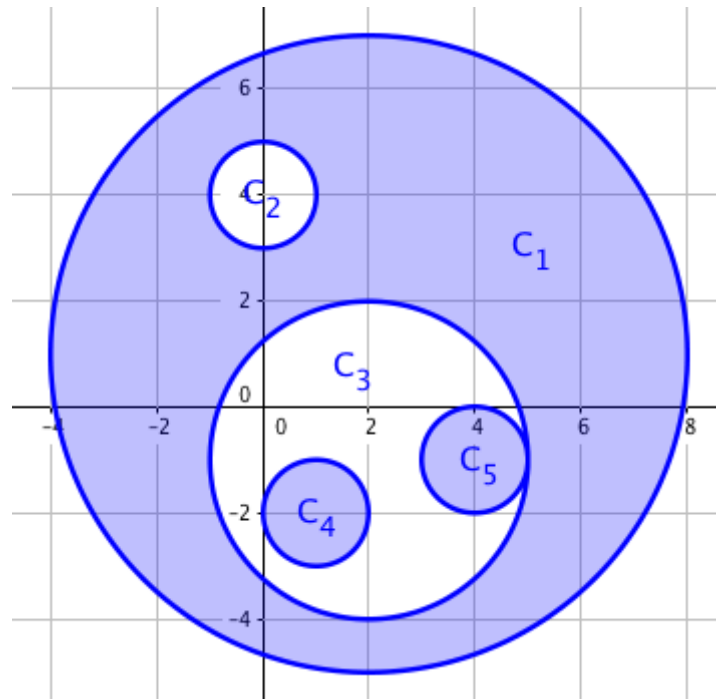
Time limit: 2s

Memory limit: 256 MB

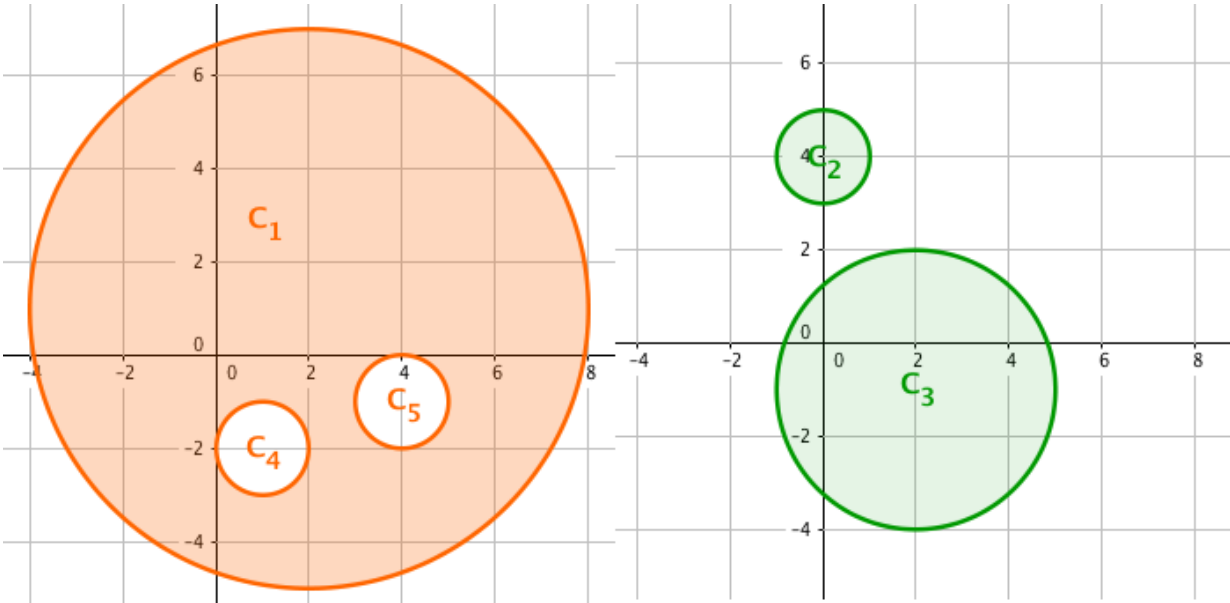
The crowdedness of the discotheque would never stop our friends from having fun, but a bit more spaciousness won't hurt, will it?

The discotheque can be seen as an infinite xy -plane, in which there are a total of n dancers. Once someone starts moving around, they will move only inside their own movement range, which is a circular area C_i described by a center (x_i, y_i) and a radius r_i . **No two ranges' borders have more than one common point**, that is for every pair (i, j) ($1 \leq i < j \leq n$) either ranges C_i and C_j are disjoint, or one of them is a subset of the other. Note that it's possible that two ranges' borders share a single common point, but no two dancers have exactly the same ranges.

Tsukihi, being one of them, defines the *spaciousness* to be **the area covered by an odd number of movement ranges of dancers who are moving**. An example is shown below, with shaded regions representing the *spaciousness* if everyone moves at the same time.



But no one keeps moving for the whole night after all, so the whole night's time is divided into two halves — before midnight and after midnight. Every dancer moves around in one half, while sitting down with friends in the other. The *spaciousness* of two halves are calculated separately and their sum should, of course, be as large as possible. The following figure shows an optimal solution to the example above.



By different plans of who dances in the first half and who does in the other, different sums of *spaciousness* over two halves are achieved. You are to find the largest achievable value of this sum.

Input

The first line of input contains a positive integer n ($1 \leq n \leq 1\,000$) — the number of dancers.

The following n lines each describes a dancer: the i -th line among them contains three space-separated integers x_i , y_i and r_i ($-10^6 \leq x_i, y_i \leq 10^6$, $1 \leq r_i \leq 10^6$), describing a circular movement range centered at (x_i, y_i) with radius r_i .

Output

Output one decimal number — the largest achievable sum of *spaciousness* over two halves of the night.

The output is considered correct if it has a relative or absolute error of at most 10^{-9} . Formally, let your answer be a , and the jury's answer be b . Your answer is considered correct if $\frac{|a-b|}{\max(1, |b|)} \leq 10^{-9}$.

Examples

input
5 2 1 6 0 4 1 2 -1 3 1 -2 1 4 -1 1
output
138.23007676

input
8 0 0 1 0 0 2 0 0 3 0 0 4 0 0 5 0 0 6 0 0 7 0 0 8

output

289.02652413

Note

The first sample corresponds to the illustrations in the legend.