While skimming his phone directory in 1982, Albert Wilansky, a mathematician of Lehigh Universit
noticed that the telephone number of his brother-in-law H. Smith had the following peculiar propert
The sum of the digits of that number was equal to the sum of the digits of the prime factors of th
number. Got it? Smith's telephone number was 493-7775. This number can be written as the produ
of its prime factors in the following way:

$$4937775 = 3 \cdot 5 \cdot 5 \cdot 65837$$

The sum of all digits of the telephone number is $4 + 9 + 3 + 7 + 7 + 7 + 5 = 42$, and the sum of t
digits of its prime factors is equally $3 + 5 + 5 + 6 + 5 + 8 + 3 + 7 = 42$. Wilansky was so amazed by h
discovery that he named this type of numbers after his brother-in-law: Smith numbers.

As this observation is also true for every prime number, Wilansky decided later that a (simple a
unsophisticated) prime number is not worth being a Smith number and he excluded them from t
definition.

Wilansky published an article about Smith numbers in the *Two Year College Mathematics Journ*
and was able to present a whole collection of different Smith numbers: For example, 9985 is a Smi
number and so is 6036. However, Wilansky was not able to give a Smith number which was larger th
the telephone number of his brother-in-law. It is your task to find Smith numbers which are larg
than 4937775.

Input

The input consists of several test cases, the number of which you are given in the first line of the inpu

Each test case consists of one line containing a single positive integer smaller than 10^9.

Output

For every input value n, you are to compute the smallest Smith number which is larger than n a
print each number on a single line. You can assume that such a number exists.

Sample Input

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1
4937774
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Sample Output

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4937775
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