

Exercises: Point kinetics

1. Use the m-file pointk.m and ode45 to simulate the response for 60 seconds when the excess reactivity is 80 pcm.

Hints:

- a) Set $\alpha = \log(2)/8$; $\beta = 0.00600$; $L = 1.6825 \times 10^{-5}$;
- b) Define the initial condition $y_0 = [1; \beta \cdot \alpha / L]$
- c) Use ode15s :
`>> [t,y]=ode15s(@pointk,[0 60],y0);`

2. Note that the system is linear if ρ_{aa} is constant. Define the A-matrix for $\rho_{aa} = 80$ pcm and calculate the eigenvalues. Use the positive eigenvalue to evaluate the doubling time.

Hint: $A = \begin{bmatrix} \frac{\rho - \beta}{L} & \lambda \\ \frac{\beta}{L} & -\lambda \end{bmatrix}$

3. In the same plot as you have plotted $y(:,1)$, plot the response corresponding to the positive eigenvalue ($y = y_0 \cdot \exp(t \cdot p)$, where p is the positive eigenvalue).

- a) Why are the curves different?
 - b) Include the impact of the prompt jump, find a good value from the plot and plot again with the new $y_0 \neq 1$ that takes into account the impact of the prompt jump.
4. Use the function dub2raa to plot the doubling time as a function of reactivity for $\tau_2 = 10$ to $\tau_2 = 100$ s.
5. Use the function inv_kinetics to calculate the reactivity and the precursors from n

a) For the simulated signal in exercise 1 and with default values in inv_kinetics:

```
[t,y]=ode15s(@pointk,[0 60],[1;beta/L/alpha]);  
[t1,rho,conc]=inv_kinetics(t,y(:,1));  
plot(t1,rho)
```

b) For the simulated signal in exercise 1 with the actual values:

```
[t1,rho1,conc1]=inv_kinetics(t,y(:,1),beta,alpha);  
plot(t1,rho1)
```

c) Compare conc1 with $y(:,2)$.

```
plot(t1,conc1)  
hold on  
plot(t,y(:,2))
```