New CA Classifiers (random colours)

Wolfram Classes of ECAs

In[1]:=
```
CAclasses = {1, 2, 2, 2, 2, 2, 2, 2, 1, 2, 2, 2, 2, 2, 2, 2, 2, 2, 3, 2, 2, 2, 3,
   2, 2, 2, 2, 2, 2, 2, 3, 2, 1, 2, 2, 2, 2, 2, 2, 2, 1, 3, 2, 2, 2, 3, 2, 2, 2,
   2, 2, 2, 2, 2, 4, 2, 2, 2, 2, 2, 3, 2, 2, 2, 1, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2,
   3, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 3, 2, 2, 3, 3, 2, 2, 2, 2, 2, 1, 3, 2, 2, 2,
   3, 3, 2, 2, 3, 3, 3, 2, 2, 4, 2, 2, 2, 2, 2, 2, 2, 2, 2, 3, 3, 3, 2, 4, 2, 3,
   2, 1, 3, 2, 2, 2, 2, 2, 3, 1, 4, 2, 2, 2, 2, 2, 2, 2, 2, 3, 4, 2, 3, 3, 3, 2,
   3, 2, 2, 2, 2, 2, 2, 1, 3, 2, 2, 2, 3, 2, 2, 1, 3, 2, 2, 2, 2, 2, 2, 2, 2, 2,
   2, 2, 2, 3, 3, 2, 2, 2, 2, 2, 2, 2, 2, 1, 4, 2, 3, 2, 2, 2, 2, 2, 2, 2, 2, 2,
   2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 2, 3, 2, 2, 2, 2, 2,
   2, 2, 2, 1, 1, 2, 2, 1, 1, 2, 2, 2, 2, 2, 2, 2, 2, 1, 1, 1, 1, 1, 1, 1};
```

Functions for creating net and random datasets (ECAs, all 4 classes)

In[2]:=
```
RandomRuleC[n_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[n, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame → False]]
netC[W_Integer, H_Integer] := NetInitialize@
  NetChain[{ConvolutionLayer[16, {2, 3}], Ramp, PoolingLayer[{H, W} - {1, 2}],
    FlattenLayer[], LinearLayer[256], SoftmaxLayer[]},
   "Input" → NetEncoder[{"Image", {W, H}}],
   "Output" → NetDecoder[{"Class", Range[0, 255]}]]
netTwoCC[W_Integer, H_Integer] := NetInitialize@
  NetChain[<|"conv1" → ConvolutionLayer[16, {2, 3}], "ramp1" → Ramp,
    "conv3" → ConvolutionLayer[16, {2, 3}], "ramp2" → Ramp,
    "pooling" → PoolingLayer[{H, W} - {2, 4}], "flatten" → FlattenLayer[],
    "linear" → 512, "linear2" → 4, "softmax" → SoftmaxLayer[]|>,
   "Input" → NetEncoder[{"Image", {W, H}}],
   "Output" → NetDecoder[{"Class", Range[1, 4]}]]
dataC[W_Integer, H_Integer, n_Integer] := Table[
  RandomRuleC[i, W, H] → CAclasses[[i + 1]], {i, RandomChoice[Range[0, 255], n]}]
```

In[6]:=
```
netThreeCC[W_Integer, H_Integer] :=
 NetInitialize@NetChain[<|"conv1" → ConvolutionLayer[16, {2, 3}],
    "ramp1" → Ramp, "conv2" → ConvolutionLayer[16, {2, 3}],
    "ramp2" → Ramp, "conv3" → ConvolutionLayer[16, {2, 3}], "ramp3" → Ramp,
    "pooling" → PoolingLayer[{H, W} - {4, 8}], "flatten" → FlattenLayer[],
    "linear" → 512, "linear2" → 4, "softmax" → SoftmaxLayer[]|>,
   "Input" → NetEncoder[{"Image", {W, H}}],
   "Output" → NetDecoder[{"Class", Range[1, 4]}]]
```

In[7]:=
```
netThreeCC1024[W_Integer, H_Integer] :=
 NetInitialize@NetChain[<|"conv1" → ConvolutionLayer[16, {2, 3}],
    "ramp1" → Ramp, "conv2" → ConvolutionLayer[16, {2, 3}],
    "ramp2" → Ramp, "conv3" → ConvolutionLayer[16, {2, 3}], "ramp3" → Ramp,
    "pooling" → PoolingLayer[{H, W} - {4, 8}], "flatten" → FlattenLayer[],
    "linear" → 1024, "linear2" → 4, "softmax" → SoftmaxLayer[]|>,
   "Input" → NetEncoder[{"Image", {W, H}}],
   "Output" → NetDecoder[{"Class", Range[1, 4]}]]
```

In[8]:=
```
netFourCC512[W_Integer, H_Integer] :=
 NetInitialize@NetChain[<|"conv1" → ConvolutionLayer[32, {2, 3}],
    "ramp1" → Ramp, "conv3" → ConvolutionLayer[32, {2, 3}], "ramp2" → Ramp,
    "pooling" → PoolingLayer[{H, W} - {2, 4}], "flatten" → FlattenLayer[],
    "linear" → 512, "linear2" → 4, "softmax" → SoftmaxLayer[]|>,
   "Input" → NetEncoder[{"Image", {W, H}}],
   "Output" → NetDecoder[{"Class", Range[1, 4]}]]
```

In[9]:=
```
netFiveCC512[W_Integer, H_Integer] :=
 NetInitialize@NetChain[<|"conv1" → ConvolutionLayer[32, {2, 3}],
    "bat1" → BatchNormalizationLayer[], "ramp1" → Ramp,
    "conv3" → ConvolutionLayer[32, {2, 3}],
    "bat2" → BatchNormalizationLayer[], "ramp2" → Ramp,
    "pooling" → PoolingLayer[{H, W} - {2, 4}], "flatten" → FlattenLayer[],
    "linear" → 512, "linear2" → 4, "softmax" → SoftmaxLayer[]|>,
   "Input" → NetEncoder[{"Image", {W, H}}],
   "Output" → NetDecoder[{"Class", Range[1, 4]}]]
```

In[10]:=
```
netSixCC512drop[W_Integer, H_Integer] :=
 NetInitialize@NetChain[<|"drop1" → DropoutLayer[0.2], "conv1" →
     ConvolutionLayer[32, {3, 3}], "bat1" → BatchNormalizationLayer[],
    "ramp1" → Ramp, "conv3" → ConvolutionLayer[32, {3, 3}],
    "bat2" → BatchNormalizationLayer[], "ramp2" → Ramp,
    "pooling" → PoolingLayer[{H, W} - {4, 8}], "flatten" → FlattenLayer[],
    "linear" → 512, "drop2" → DropoutLayer[0.2], "linear2" → 4,
    "softmax" → SoftmaxLayer[]|>, "Input" → NetEncoder[{"Image", {W, H}}],
   "Output" → NetDecoder[{"Class", Range[1, 4]}]]
```

In[11]:=
```
netSevenCC512drop[W_Integer, H_Integer] :=
 NetInitialize@NetChain[<|"conv1" → ConvolutionLayer[24, {3, 3}],
    "bat1" → BatchNormalizationLayer[], "ramp1" → Ramp,
    "conv3" → ConvolutionLayer[24, {3, 3}],
    "bat2" → BatchNormalizationLayer[], "ramp2" → Ramp,
    "pooling" → PoolingLayer[{H, W} - {4, 8}], "flatten" → FlattenLayer[],
    "linear" → 512, "drop2" → DropoutLayer[0.2], "linear2" → 4,
    "softmax" → SoftmaxLayer[]|>, "Input" → NetEncoder[{"Image", {W, H}}],
   "Output" → NetDecoder[{"Class", Range[1, 4]}]]
```

In[12]:=
```
netEightCC512drop[W_Integer, H_Integer] :=
 NetInitialize@NetChain[<|"conv1" → ConvolutionLayer[24, {3, 3}],
    "bat1" → BatchNormalizationLayer[], "ramp1" → Ramp,
    "conv2" → ConvolutionLayer[16, {2, 3}], "bat2" → BatchNormalizationLayer[],
    "ramp2" → Ramp, "conv3" → ConvolutionLayer[24, {3, 3}],
    "bat3" → BatchNormalizationLayer[], "ramp3" → Ramp,
    "pooling" → PoolingLayer[{H, W} - {8, 16}], "flatten" → FlattenLayer[],
    "linear" → 1024, "drop2" → DropoutLayer[0.2], "linear2" → 4,
    "softmax" → SoftmaxLayer[]|>, "Input" → NetEncoder[{"Image", {W, H}}],
   "Output" → NetDecoder[{"Class", Range[1, 4]}]]
```

In[13]:=
```
netNineCC512drop[W_Integer, H_Integer] :=
 NetInitialize@NetChain[<|"conv1" → ConvolutionLayer[24, {3, 3}],
    "bat1" → BatchNormalizationLayer[], "ramp1" → Ramp,
    "conv2" → ConvolutionLayer[24, {3, 3}], "bat2" → BatchNormalizationLayer[],
    "ramp2" → Ramp, "conv3" → ConvolutionLayer[24, {3, 3}],
    "bat3" → BatchNormalizationLayer[], "ramp3" → Ramp,
    "pooling" → PoolingLayer[{H, W} - {12, 12}], "flatten" → FlattenLayer[],
    "linear" → 512, "drop2" → DropoutLayer[0.2], "linear2" → 4,
    "softmax" → SoftmaxLayer[]|>, "Input" → NetEncoder[{"Image", {W, H}}],
   "Output" → NetDecoder[{"Class", Range[1, 4]}]]
```

In[14]:=
```
netTenCC1024drop[W_Integer, H_Integer] :=
 NetInitialize@NetChain[<|"conv1" → ConvolutionLayer[24, {3, 3}],
    "bat1" → BatchNormalizationLayer[], "ramp1" → Ramp,
    "conv2" → ConvolutionLayer[24, {3, 3}], "bat2" → BatchNormalizationLayer[],
    "ramp2" → Ramp, "conv3" → ConvolutionLayer[24, {3, 3}],
    "bat3" → BatchNormalizationLayer[], "ramp3" → Ramp,
    "conv4" → ConvolutionLayer[24, {3, 3}],
    "bat4" → BatchNormalizationLayer[], "ramp4" → Ramp,
    "pooling" → PoolingLayer[{H, W} - {12, 12}], "flatten" → FlattenLayer[],
    "linear" → 1024, "drop2" → DropoutLayer[0.3], "linear2" → 4,
    "softmax" → SoftmaxLayer[]|>, "Input" → NetEncoder[{"Image", {W, H}}],
   "Output" → NetDecoder[{"Class", Range[1, 4]}]]
```

In[15]:=
```
netElevenCC1024drop[W_Integer, H_Integer] :=
 NetInitialize@NetChain[<|"conv1" → ConvolutionLayer[48, {3, 3}],
    "bat1" → BatchNormalizationLayer[], "ramp1" → Ramp,
    "pooling1" → PoolingLayer[{2, 2}], "conv2" → ConvolutionLayer[24, {3, 3}],
    "bat2" → BatchNormalizationLayer[], "ramp2" → Ramp,
    "pooling2" → PoolingLayer[{2, 2}], "conv3" → ConvolutionLayer[24, {3, 3}],
    "bat3" → BatchNormalizationLayer[], "ramp3" → Ramp,
    "pooling3" → PoolingLayer[{2, 2}], "conv4" → ConvolutionLayer[12, {3, 3}],
    "bat4" → BatchNormalizationLayer[], "ramp4" → Ramp,
    "pooling4" → PoolingLayer[{2, 2}], "flatten" → FlattenLayer[],
    "linear" → 1024, "drop2" → DropoutLayer[0.3], "linear2" → 4,
    "softmax" → SoftmaxLayer[]|>, "Input" → NetEncoder[{"Image", {W, H}}],
   "Output" → NetDecoder[{"Class", Range[1, 4]}]]
```

Functions for creating datasets (1D totalistic CAs)

k=3, r=1 totalistic (class 4 only)

In[16]:=
```
gen3TC[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {3, 1}}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
data3T2C[W_Integer, H_Integer, n_Integer] := Table[gen3TC[i, W, H] → 4,
  {i, RandomChoice[{1635, 1815, 2007, 2043, 2049, 1388, 1041}, n]}]
```

k=4, r=1 totalistic (class 4 only, 1 example)

In[18]:=
```
gen4TC[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {4, 1}}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
data4TC[W_Integer, H_Integer, n_Integer] := Table[gen4TC[1 004 600, W, H] → 4, n]
```

k=2, r=2 totalistic (all 4 classes)

In[20]:=
```
gen2r2C[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {2, 1}, 2}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
data2r2c4C[W_Integer, H_Integer, n_Integer] :=
 Table[gen2r2C[i, W, H] → 4, {i, RandomChoice[{20, 52}, n]}]
data2r2c3C[W_Integer, H_Integer, n_Integer] :=
 Table[gen2r2C[i, W, H] → 3, {i, RandomChoice[
    {2, 6, 10, 12, 14, 18, 22, 26, 28, 30, 34, 38, 42, 44, 46, 50}, n]}]
data2r2c2C[W_Integer, H_Integer, n_Integer] :=
 Table[gen2r2C[i, W, H] → 2, {i, RandomChoice[{8, 24, 56}, n]}]
data2r2c1C[W_Integer, H_Integer, n_Integer] := Table[gen2r2C[i, W, H] → 1,
  {i, RandomChoice[{0, 4, 16, 32, 36, 40, 48, 54, 58, 60, 62}, n]}]
genData2r2C[W_Integer, H_Integer, n_Integer] := Join[data2r2c4C[W, H, n],
  data2r2c3C[W, H, n], data2r2c2C[W, H, n], data2r2c1C[W, H, n]]
```

k=5, r=1 totalistic (class 4 only)

In[26]:=
```
gen5T4C[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {5, 1}}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
data5T4C[n_Integer, W_Integer, H_Integer] :=
 Table[gen5T4C[i, W, H] → 4, {i, RandomChoice[
    {781 130 654, 772 514 435, 1 151 319 452, 309 095 787, 880 862 046, 973 835 714,
     779 446 817, 345 466 505, 535 500 975, 793 363 571, 1 052 373 865, 455 984 785,
     339 227 109, 1 050 973 846, 513 368 817, 91 315 820, 113 925 357}, n]}]
```

k=5, r=1 totalistic (classes 2/3/4)

In[28]:=
```
gen5TC[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {5, 1}, 1}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
data5T4CC[W_Integer, H_Integer, n_Integer] := Table[gen5TC[i, W, H] → 4,
  {i, RandomChoice[{644 218 533, 491 739 943, 6 889 640, 986 144 962, 1 099 816 682,
     988 971 204, 300 829 994, 272 622 024, 304 100 638, 626 595 633}, n]}]
data5T3CC[W_Integer, H_Integer, n_Integer] := Table[gen5TC[i, W, H] → 3,
  {i, RandomChoice[{889 082 395, 541 068 260, 807 907 479, 816 180 062, 650 485 139,
     643 827 745, 753 940 864, 871 525 323, 351 440 311, 83 501 460}, n]}]
data5T2CC[W_Integer, H_Integer, n_Integer] :=
 Table[gen5TC[i, W, H] → 2, {i, RandomChoice[
    {525 735 659, 1 022 330 944, 1 007 796 739, 495 633 437, 1 036 827 943}, n]}]
genData5TCC[W_Integer, H_Integer, n_Integer] :=
 Join[data5T4CC[W, H, n], data5T3CC[W, H, n], data5T2CC[W, H, n]]
```

Generate test datasets

k=2, r=2 non-totalistic

In[33]:=
```
genk2r2C[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, 2, 2}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
datak2r2C[W_Integer, H_Integer, n_Integer] :=
 Table[genk2r2C[i, W, H] → i, {i, RandomChoice[Range[0, 4 294 967 295], n]}]
```

k=2, r=3 non-totalistic

In[35]:=
```
genk2r3NT[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, 2, 3}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
datak2r3NT[W_Integer, H_Integer, n_Integer] :=
 Table[genk2r3NT[i, W, H] → i, {i, RandomInteger[2^2^7 - 1, n]}]
```

k=3, r=1 non-totalistic

In[37]:=
```
genk3r1NT[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, 3}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
datak3r1NT[W_Integer, H_Integer, n_Integer] :=
 Table[genk3r1NT[i, W, H] → i, {i, RandomInteger[3^3^3 - 1, n]}]
```

k=3, r=2 totalistic

In[39]:=
```
genk3r2C[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {3, 1}, 2}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
datak3r2C[W_Integer, H_Integer, n_Integer] :=
 Table[genk3r2C[i, W, H] → i, {i, RandomChoice[Range[0, 177146], n]}]
```

k=3, r=3 totalistic

In[41]:=
```
genk3r3C[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {3, 1}, 3}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
datak3r3C[W_Integer, H_Integer, n_Integer] :=
 Table[genk3r3C[i, W, H] → i, {i, RandomChoice[Range[0, 14348906], n]}]
```

k=4, r=1 non-totalistic

In[43]:=
```
genk4r1NT[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, 4}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
datak4r1NT[W_Integer, H_Integer, n_Integer] :=
 Table[genk4r1NT[i, W, H] → i, {i, RandomInteger[4^4^3 - 1, n]}]
```

k=4, r=1 totalistic

In[45]:=
```
genk4r1C[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {4, 1}}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
datak4r1C[W_Integer, H_Integer, n_Integer] :=
 Table[genk4r1C[i, W, H] → i, {i, RandomChoice[Range[0, 1048575], n]}]
```

k=4, r=2 totalistic

In[47]:=
```
genk4r2C[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {4, 1}, 2}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
datak4r2C[W_Integer, H_Integer, n_Integer] :=
 Table[genk4r2C[i, W, H] → i, {i, RandomChoice[Range[0, 4294967295], n]}]
```

k=5, r=1 totalistic

In[49]:=
```
gen5T2C[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {5, 1}, 1}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
data5T2C[n_Integer, W_Integer, H_Integer] := Table[gen5T2C[i, W, H] → i,
  {i, RandomChoice[Range[0, 1220703125], n]}]
```

k=6, r=1 totalistic

In[51]:=
```
gen6TC[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {6, 1}, 1}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
data6TC[n_Integer, W_Integer, H_Integer] := Table[gen6TC[i, W, H] → i,
  {i, RandomInteger[2821109907455, n]}]
```

k=6, r=2 totalistic

In[53]:=
```
gen6T2C[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {6, 1}, 2}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame -> False]]
data6T2C[n_Integer, W_Integer, H_Integer] := Table[gen6T2C[i, W, H] → i,
  {i, RandomInteger[170 581 728 179 578 208 255, n]}]
```

k=7, r=1 totalistic

In[55]:=
```
gen7TC[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {7, 1}, 1}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame → False]]
data7TC[n_Integer, W_Integer, H_Integer] := Table[gen7TC[i, W, H] → i,
  {i, RandomInteger[11 398 895 185 373 142, n]}]
```

k=8, r=1 totalistic

In[57]:=
```
gen8TC[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {8, 1}, 1}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame → False]]
data8TC[n_Integer, W_Integer, H_Integer] := Table[gen8TC[i, W, H] → i,
  {i, RandomInteger[73 786 976 294 838 206 463, n]}]
```

k=8, r=2 totalistic

In[59]:=
```
gen8T2C[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {8, 1}, 2}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[]}, Frame → False]]
data8T2C[n_Integer, W_Integer, H_Integer] := Table[gen8T2C[i, W, H] → i,
  {i, RandomInteger[324 518 553 658 426 726 783 156 020 576 255, n]}]
```

k=9, r=1 totalistic

In[61]:=
```
gen9TC[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {9, 1}, 1}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[], 8 → RandomColor[]}, Frame → False]]
data9TC[n_Integer, W_Integer, H_Integer] := Table[gen9TC[i, W, H] → i,
  {i, RandomInteger[717 897 987 691 852 588 770 248, n]}]
```

k=10, r=1 totalistic

In[1418]:=
```
gen10TC[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {10, 1}, 1}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[], 3 ->
      RandomColor[], 4 → RandomColor[], 5 -> RandomColor[], 6 -> RandomColor[],
     7 -> RandomColor[], 8 → RandomColor[], 9 → RandomColor[]}, Frame → False]]
data10TC[n_Integer, W_Integer, H_Integer] := Table[gen10TC[i, W, H] → i,
  {i, RandomInteger[9 999 999 999 999 999 999 999 999 999, n]}]
```

k=11, r=1 totalistic

In[1446]:=
```
gen11TC[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {11, 1}, 1}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[],
     6 -> RandomColor[], 7 -> RandomColor[], 8 → RandomColor[],
     9 → RandomColor[], 10 → RandomColor[]}, Frame → False]]
data11TC[n_Integer, W_Integer, H_Integer] := Table[gen11TC[i, W, H] → i,
  {i, RandomInteger[191 943 424 957 750 480 504 146 841 291 809, n]}]
```

k=18, r=1 totalistic

In[1448]:=
```
gen18TC[p_Integer, W_Integer, H_Integer] :=
 Image[ArrayPlot[CellularAutomaton[{p, {18, 1}, 1}, RandomInteger[1, W], H - 1],
   ImageSize → {W, H}, ColorRules → {0 -> RandomColor[], 1 -> RandomColor[],
     3 -> RandomColor[], 4 → RandomColor[], 5 -> RandomColor[], 6 ->
      RandomColor[], 7 -> RandomColor[], 8 → RandomColor[], 9 → RandomColor[],
     10 → RandomColor[], 11 → RandomColor[], 12 → RandomColor[],
     13 → RandomColor[], 14 → RandomColor[], 15 → RandomColor[],
     16 → RandomColor[], 17 → RandomColor[]}, Frame → False]]
data18TC[n_Integer, W_Integer, H_Integer] :=
 Table[gen18TC[i, W, H] → i, {i, RandomInteger[
    188 005 374 836 229 120 894 273 278 138 806 956 375 747 747 317 139 671 689 960 882 175
    , n]}]
```

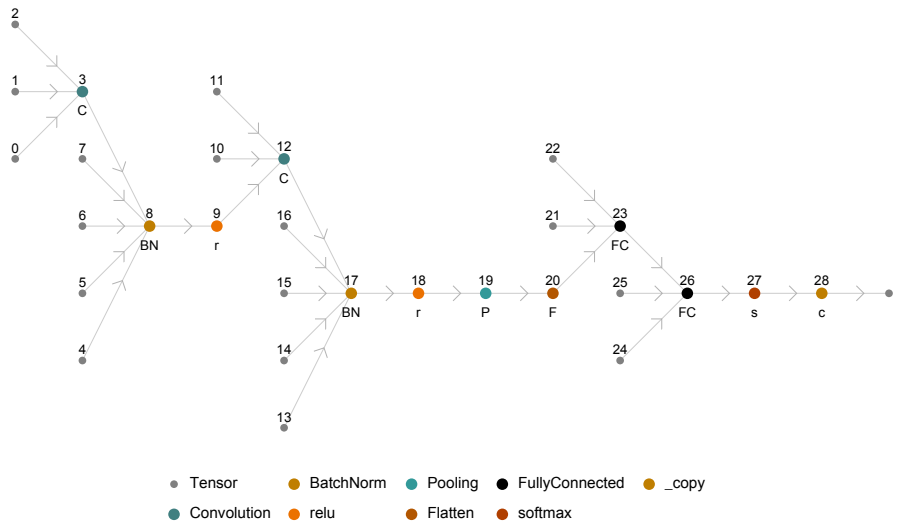
Network XIII - Two convolutions, dropout on linear only, BatchNorm

In[•]:=
```
netECA13 = netSevenCC512drop[128, 128]
```

Out[•]=
```
NetChain[ ⊞ ▮▮▮ Input port: image
                Output port: class
                Number of layers: 12 ]
```

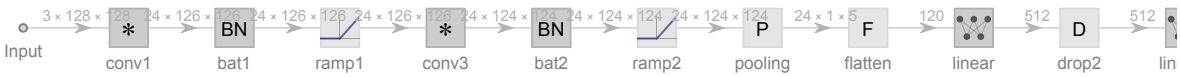
In[•]:=
```
NetInformation[netECA13, "MXNetNodeGraphPlot"]
```

Out[•]=



In[•]:=
```
NetInformation[netECA13, "SummaryGraphic"]
```

Out[•]=



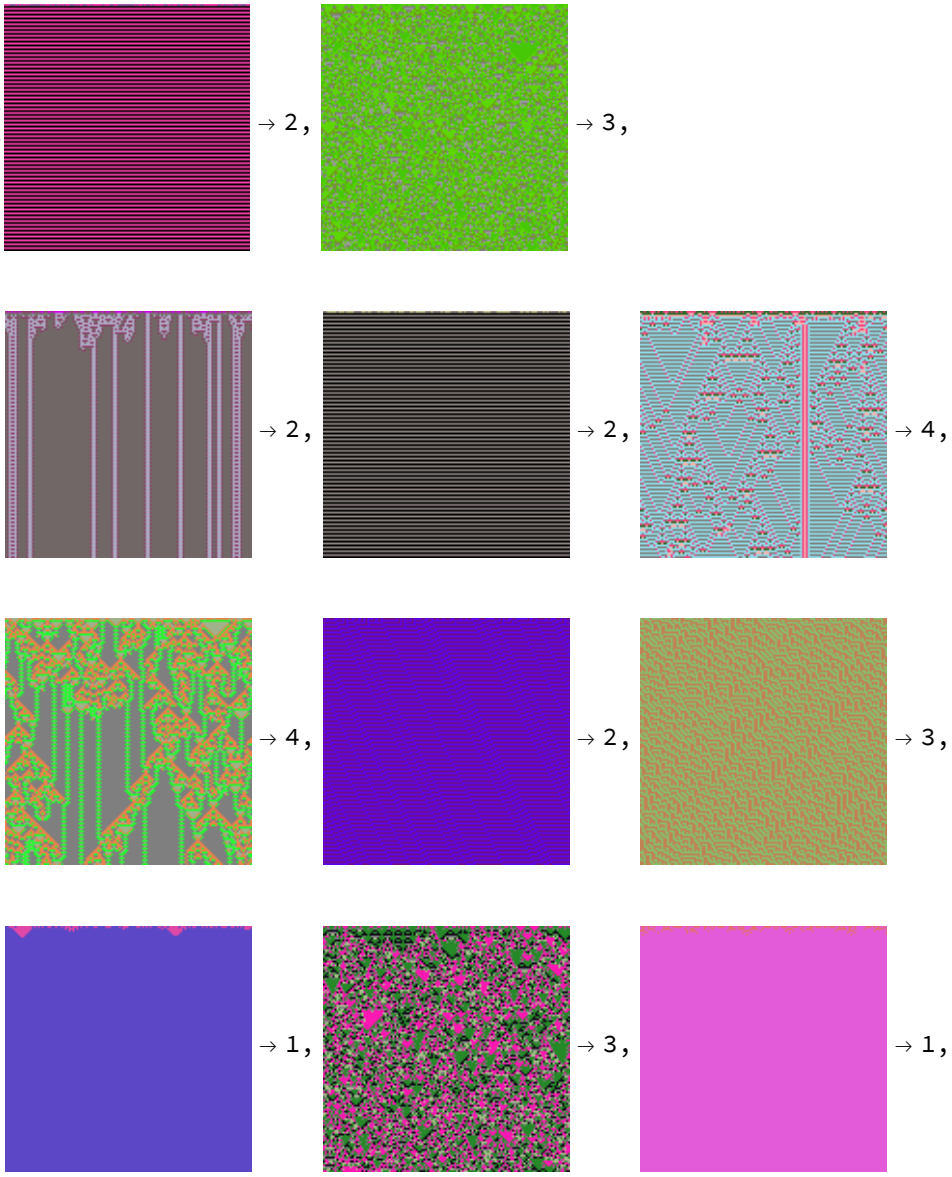
In[•]:=
```
dataECA13 = dataC[128, 128, 8192];
```

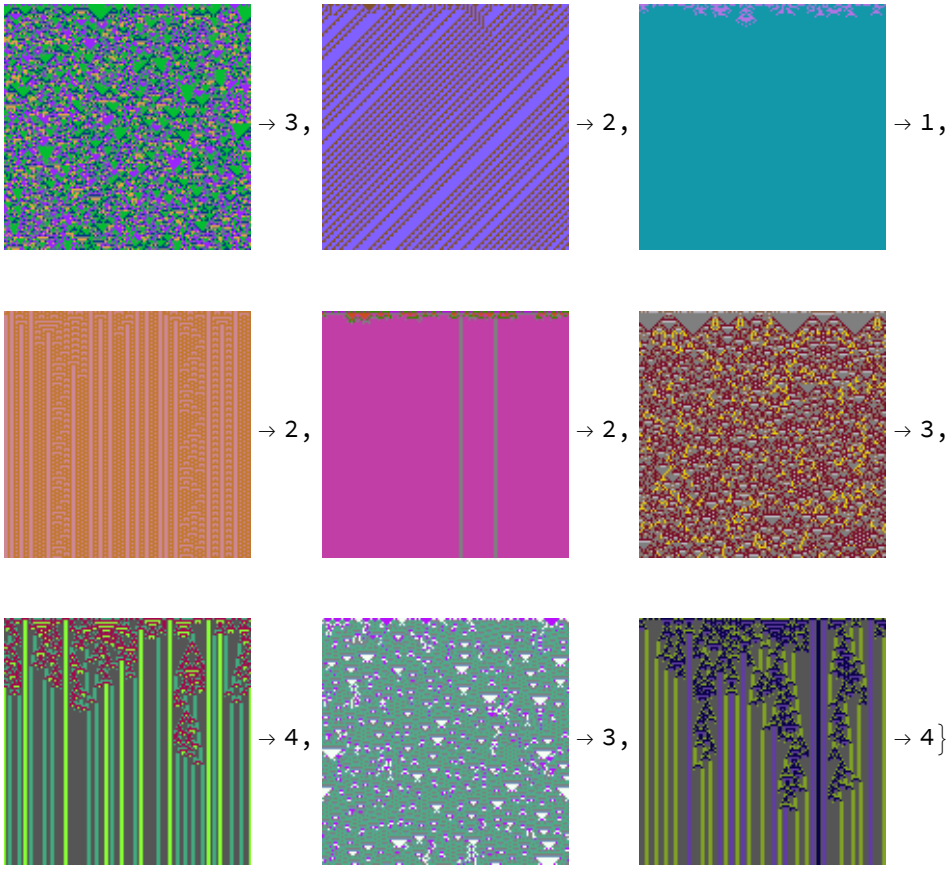
In[•]:=
```
dataTotalistic2BigC13 = genData2r2C[128, 128, 1024];
```

In[•]:=
```
dataTotalistic3BigC13 = data3T2C[128, 128, 1024];
```

```
In[•]:= dataTotalistic4BigC13 = data4TC[128, 128, 1024];

In[•]:= dataTotalistic5BigC13 = genData5TCC[128, 128, 4096];

In[•]:= fullTrainingBigC13 = Join[dataECA13, dataTotalistic2BigC13,
          dataTotalistic3BigC13, dataTotalistic4BigC13, dataTotalistic5BigC13];
        Length[fullTrainingBigC13]
Out[•]= 26 624

In[•]:= RandomSample[fullTrainingBigC13, 20]
```

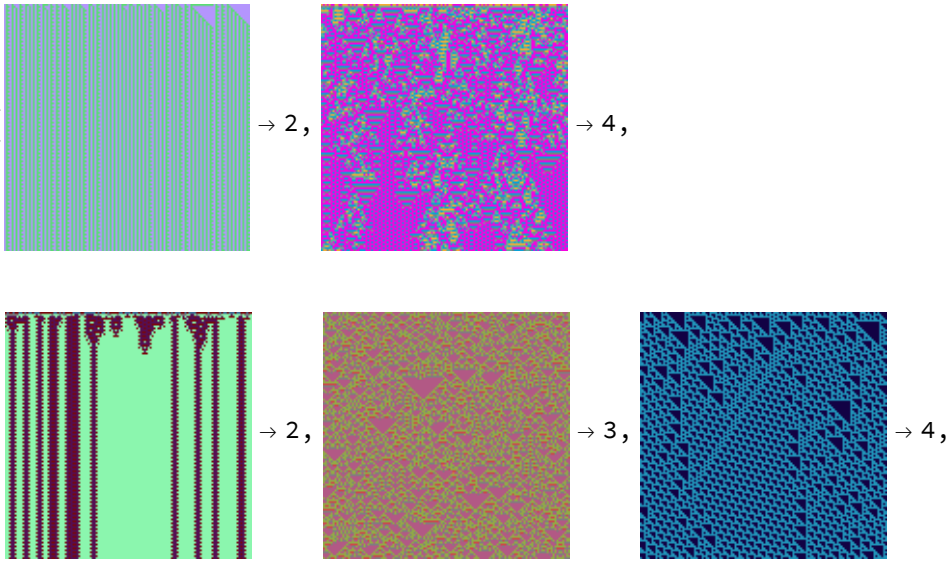
Out[•]=

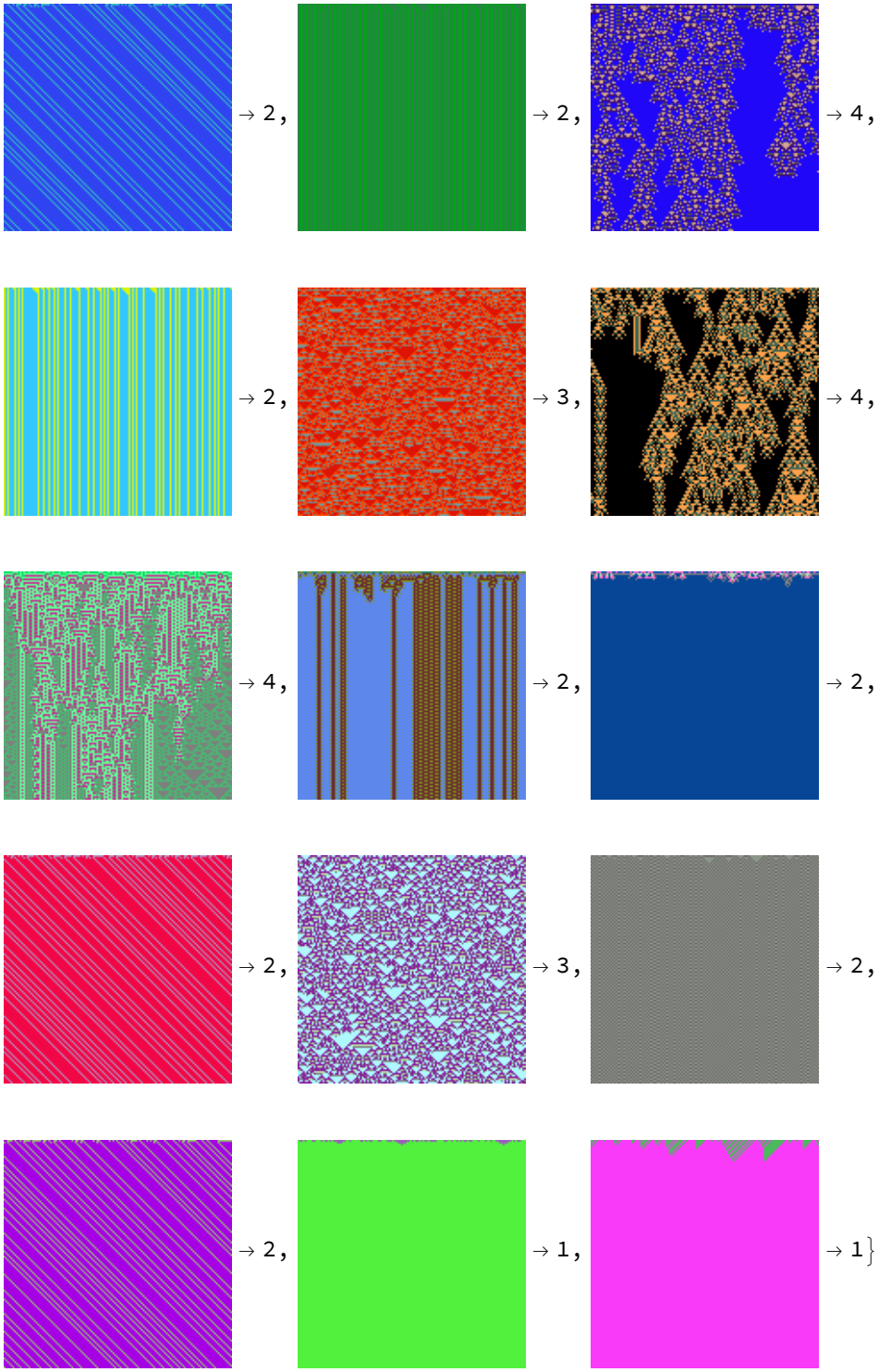




In[•]:= **RandomSample[fullTrainingBigC13, 20]**

Out[•]= {





In[•]:= `dir = SetDirectory[NotebookDirectory[]]`

Out[•]= `/Users/thorsilver/Downloads/Wolfram notebooks`

```
In[•]:= netECA12 = Import["netECA12-r12.wlnet"]
```

Out[•]= NetChain

	Input	image array (size: 3 × 120 × 200)
conv1	ConvolutionLayer	array (size: 24 × 118 × 198)
bat1	BatchNormalizationLayer	array (size: 24 × 118 × 198)
ramp1	Ramp	array (size: 24 × 118 × 198)
conv3	ConvolutionLayer	array (size: 24 × 116 × 196)
bat2	BatchNormalizationLayer	array (size: 24 × 116 × 196)
ramp2	Ramp	array (size: 24 × 116 × 196)
pooling	PoolingLayer	array (size: 24 × 1 × 5)
flatten	FlattenLayer	vector (size: 120)
linear	LinearLayer	vector (size: 512)
drop2	DropoutLayer	vector (size: 512)
linear2	LinearLayer	vector (size: 4)
softmax	SoftmaxLayer	vector (size: 4)
	Output	class

```
In[•]:= netECA13 = NetTrain[netECA13, fullTrainingBigC13,
          MaxTrainingRounds → 20, BatchSize → 256 * 4, TargetDevice → "CPU",
          TrainingProgressCheckpointing → {"Directory", dir}]
```

Out[•]= NetChain

Input port:	image
Output port:	class
Number of layers:	12

```
In[•]:= netECA13 = Import["netECA13-r20.wlnet"]
```

Out[•]= NetChain

Input port:	image
Output port:	class
Number of layers:	12

```
In[•]:= netECA13 = NetTrain[netECA13, fullTrainingBigC13,
          MaxTrainingRounds → 20, BatchSize → 256 * 4, TargetDevice → "CPU",
          TrainingProgressCheckpointing → {"Directory", dir}]
```

Out[•]= NetChain

Input port:	image
Output port:	class
Number of layers:	12

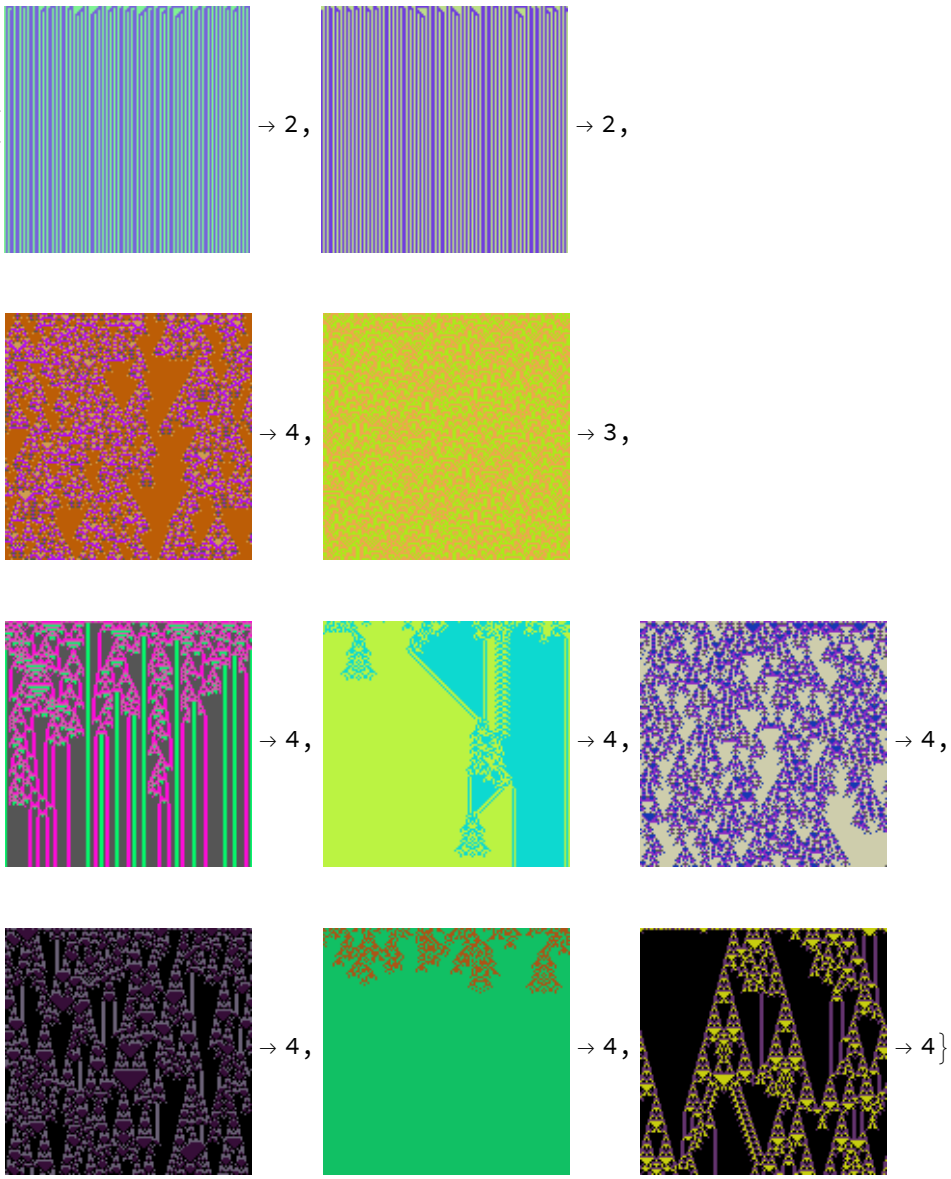
Generate test data for Network XIII

```
In[•]:= testDataECABigC = dataC[128, 128, 1024];
        testData2TBigC = genData2r2C[128, 128, 1024];
        testData3TBigC = data3T2C[128, 128, 1024];
        testData4TBigC = data4TC[128, 128, 1024];
        testData5TBigC = genData5TCC[128, 128, 1024];
        fullTestSetBigC = Join[testDataECABigC,
           testData2TBigC, testData3TBigC, testData4TBigC, testData5TBigC];
        Length[fullTestSetBigC]
```

Out[•]= 10 240

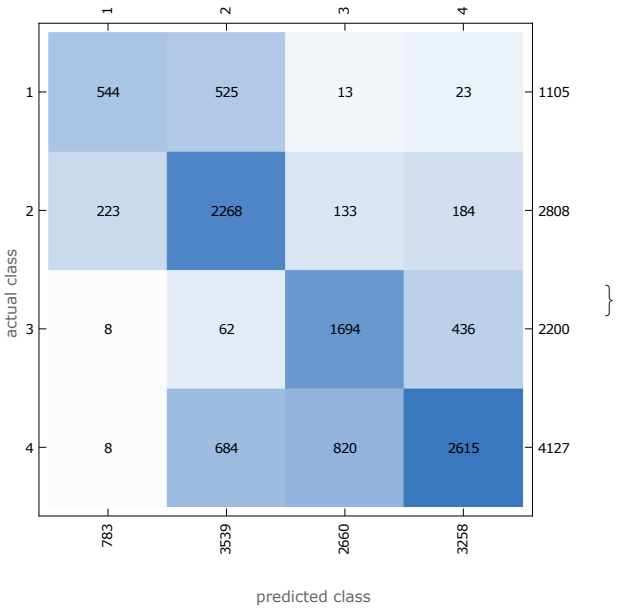
In[•]:= `RandomSample[fullTestSetBigC, 10]`

Out[•]=



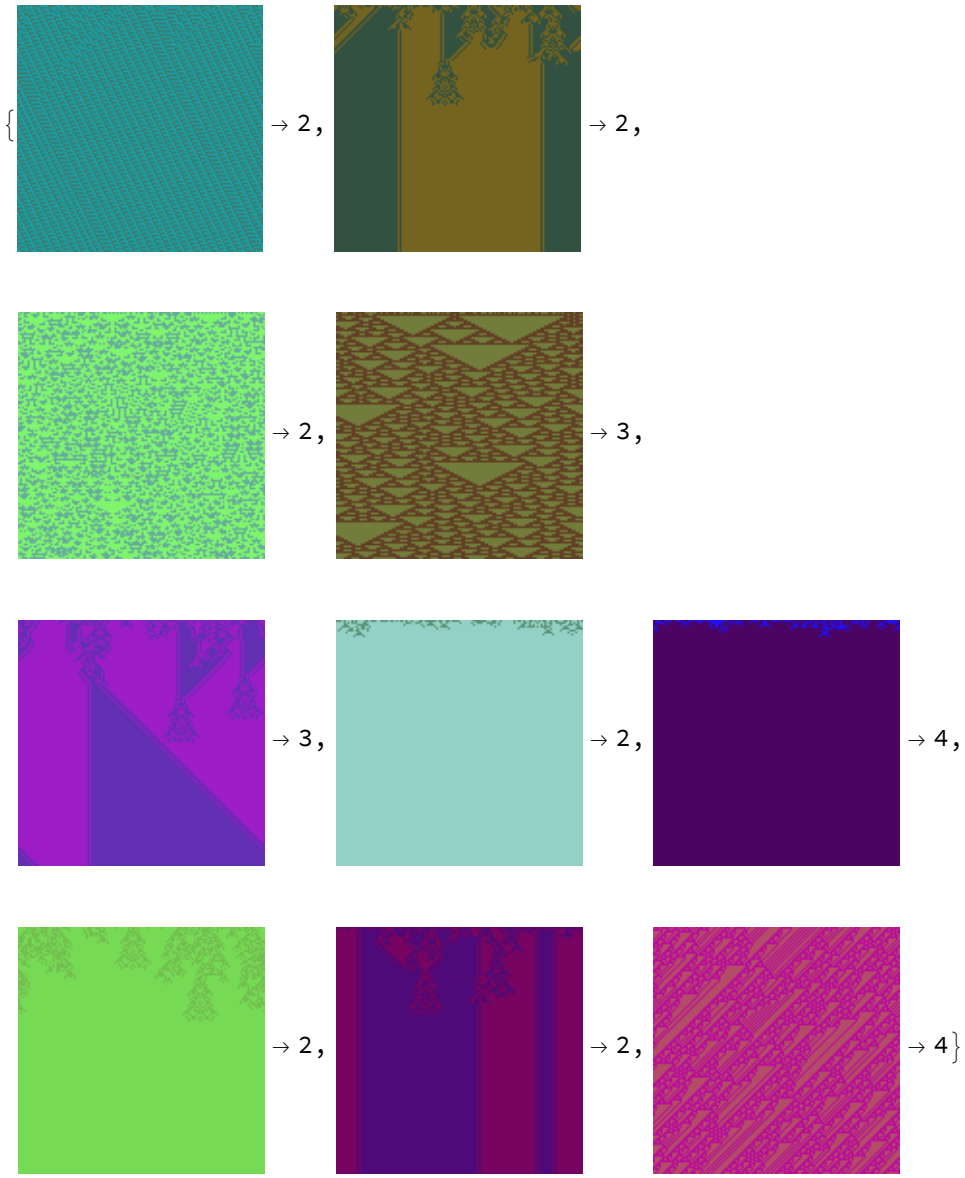
In[]:=
```
NetMeasurements[netECA13, fullTestSetBigC,
 {"Accuracy", "Precision", "ConfusionMatrixPlot"}]
```

Out[]=
```
{0.69541, ⟨|1 → 0.694764, 2 → 0.640859, 3 → 0.636842, 4 → 0.80264|⟩,
```

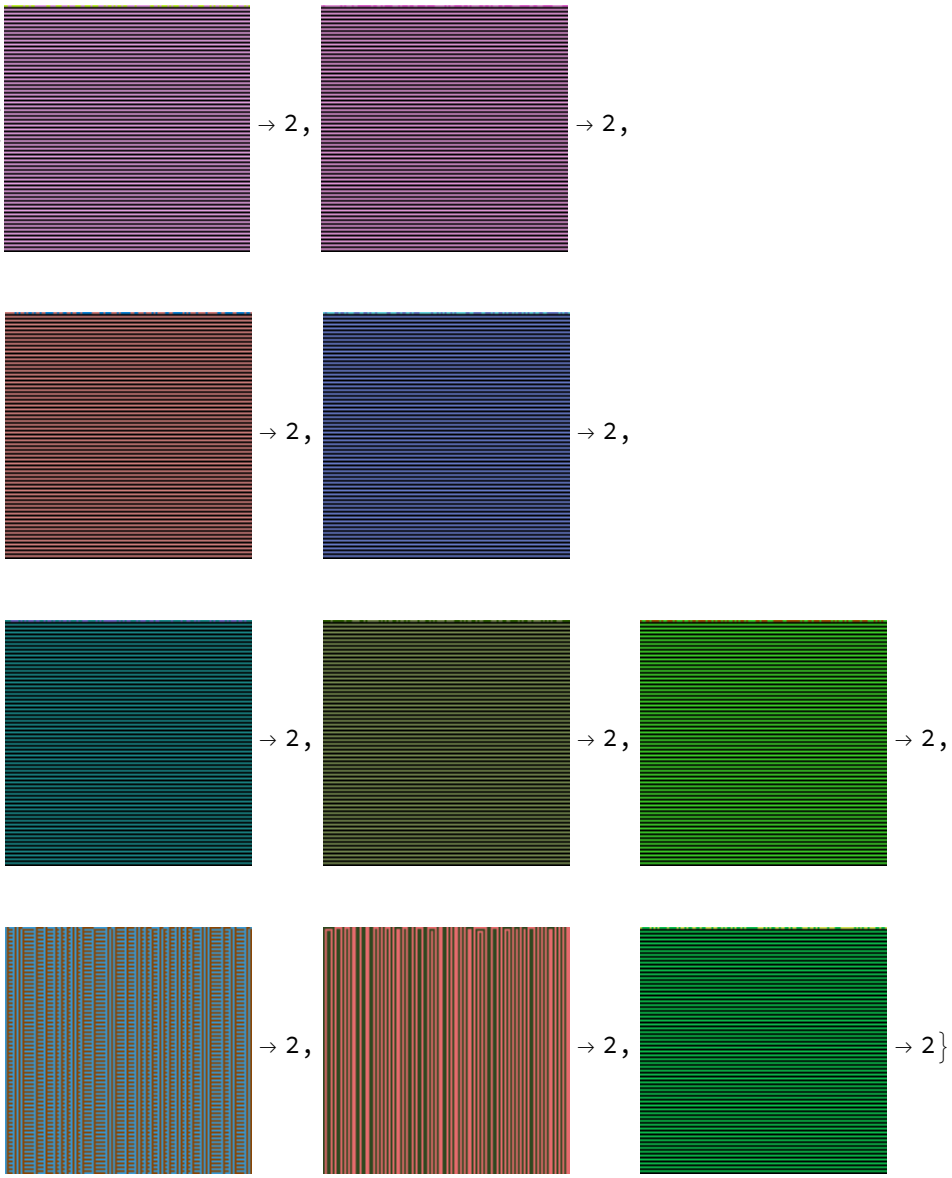


In[]:=
```
entropyImagesBigC = RandomSample[Keys[fullTestSetBigC], 500];
entropiesBigC = netECA13[entropyImagesBigC, "Entropy"];
highEntBigC = entropyImagesBigC[[Ordering[entropiesBigC, -10]]];
lowEntBigC = entropyImagesBigC[[Ordering[entropiesBigC, 10]]];
Thread[highEntBigC → netECA13[highEntBigC]]
Thread[lowEntBigC → netECA13[lowEntBigC]]
```

Out[•]=



Out[ ]=



Network XIV - BatchNorm, 1024 linear, dropout

In[ ]:=
```
netECA14 = netEightCC512drop[128, 128]
```

Out[ ]=

NetChain[

		image
	Input	array (size: 3 × 128 × 128)
conv1	ConvolutionLayer	array (size: 24 × 126 × 126)
bat1	BatchNormalizationLayer	array (size: 24 × 126 × 126)
ramp1	Ramp	array (size: 24 × 126 × 126)
conv2	ConvolutionLayer	array (size: 16 × 125 × 124)
bat2	BatchNormalizationLayer	array (size: 16 × 125 × 124)
ramp2	Ramp	array (size: 16 × 125 × 124)
conv3	ConvolutionLayer	array (size: 24 × 123 × 122)
bat3	BatchNormalizationLayer	array (size: 24 × 123 × 122)
ramp3	Ramp	array (size: 24 × 123 × 122)
pooling	PoolingLayer	array (size: 24 × 4 × 11)
flatten	FlattenLayer	vector (size: 1056)
linear	LinearLayer	vector (size: 1024)
drop2	DropoutLayer	vector (size: 1024)
linear2	LinearLayer	vector (size: 4)
softmax	SoftmaxLayer	vector (size: 4)
	Output	class

]

```
netECA14 = NetTrain[netECA14, fullTrainingBigC13,
  MaxTrainingRounds → 20, BatchSize → 256 * 4, TargetDevice → "CPU",
  TrainingProgressCheckpointing → {"Directory", dir}]
```

In[•]:=
```
dir = SetDirectory[NotebookDirectory[]]
```

Out[•]=
```
/Users/thorsilver/Downloads/Wolfram notebooks
```

In[•]:=
```
netECA14 = Import["netECA14-r20.wlnet"]
```

Out[•]=
NetChain[

	Input	image array (size: 3 × 128 × 128)
conv1	ConvolutionLayer	array (size: 24 × 126 × 126)
bat1	BatchNormalizationLayer	array (size: 24 × 126 × 126)
ramp1	Ramp	array (size: 24 × 126 × 126)
conv2	ConvolutionLayer	array (size: 16 × 125 × 124)
bat2	BatchNormalizationLayer	array (size: 16 × 125 × 124)
ramp2	Ramp	array (size: 16 × 125 × 124)
conv3	ConvolutionLayer	array (size: 24 × 123 × 122)
bat3	BatchNormalizationLayer	array (size: 24 × 123 × 122)
ramp3	Ramp	array (size: 24 × 123 × 122)
pooling	PoolingLayer	array (size: 24 × 4 × 11)
flatten	FlattenLayer	vector (size: 1056)
linear	LinearLayer	vector (size: 1024)
drop2	DropoutLayer	vector (size: 1024)
linear2	LinearLayer	vector (size: 4)
softmax	SoftmaxLayer	vector (size: 4)
	Output	class

]

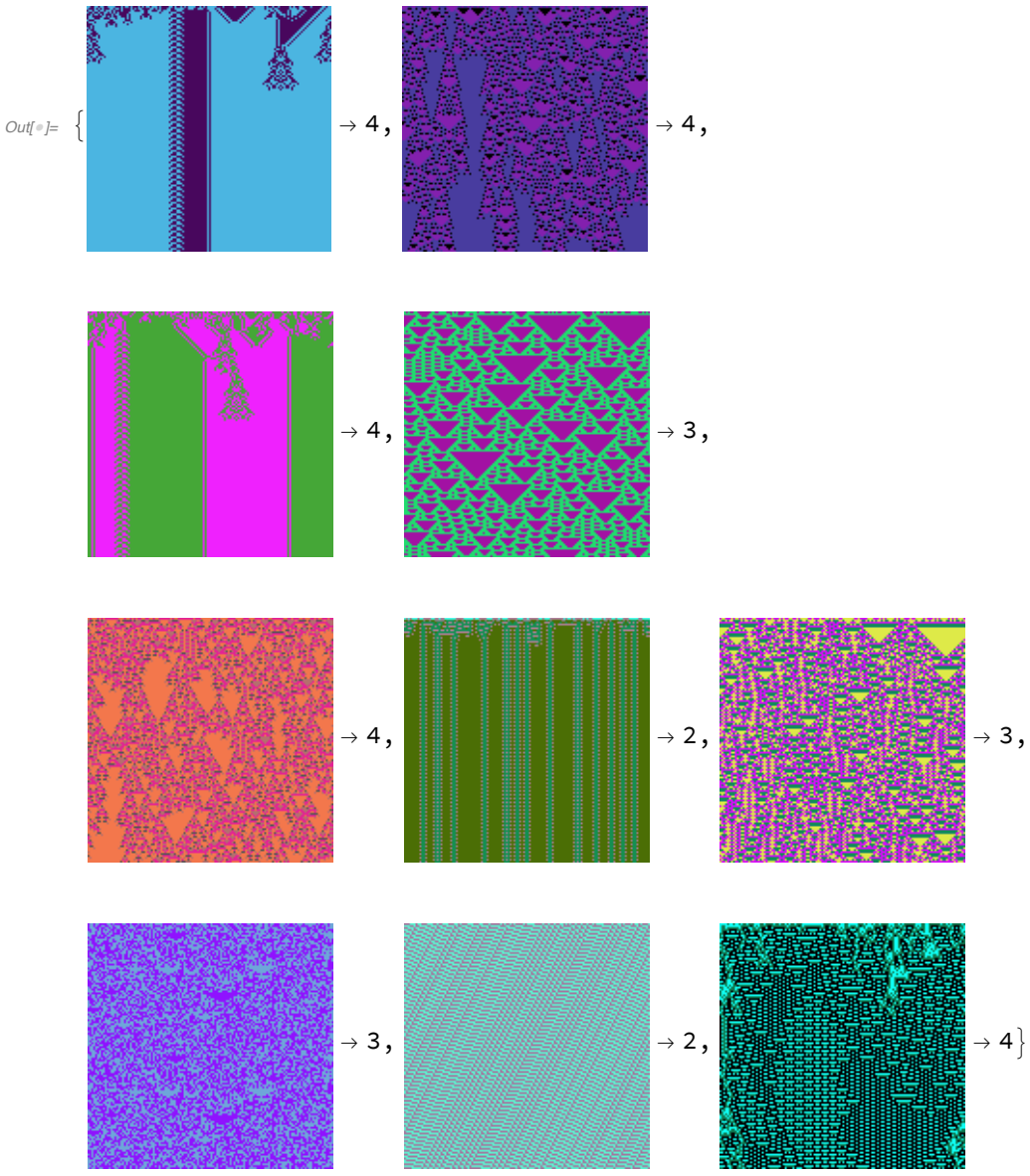
Generating test data for Network XIV

In[•]:=
```
testDataECABigC = dataC[128, 128, 1024];
testData2TBigC = genData2r2C[128, 128, 1024];
testData3TBigC = data3T2C[128, 128, 1024];
testData4TBigC = data4TC[128, 128, 1024];
testData5TBigC = genData5TCC[128, 128, 1024];
fullTestSetBigC = Join[testDataECABigC,
   testData2TBigC, testData3TBigC, testData4TBigC, testData5TBigC];
Length[fullTestSetBigC]
```

Out[•]=
```
10 240
```

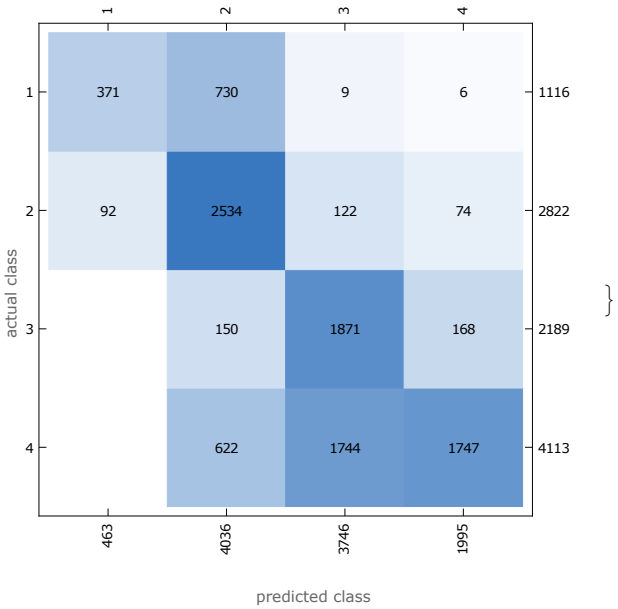
In[•]:= **RandomSample[fullTestSetBigC, 10]**

Out[•]=

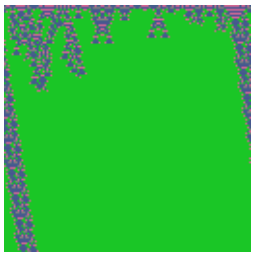


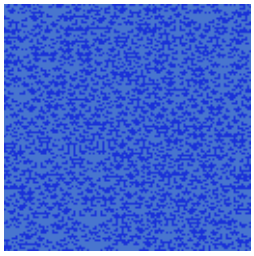
In[•]:=
```
NetMeasurements[netECA14, fullTestSetBigC,
 {"Accuracy", "Precision", "ConfusionMatrixPlot"}]
```

Out[•]=
```
{0.637012, ⟨|1 → 0.801296, 2 → 0.627849, 3 → 0.499466, 4 → 0.875689|⟩,
```

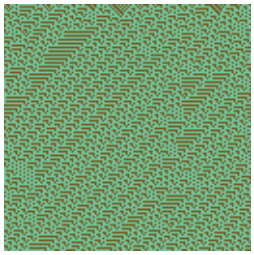


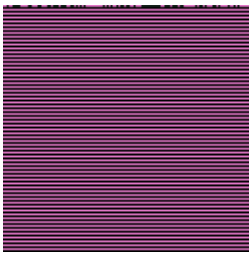
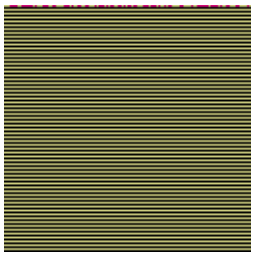
In[•]:=
```
entropyImagesBigC = RandomSample[Keys[fullTestSetBigC], 500];
entropiesBigC = netECA14[entropyImagesBigC, "Entropy"];
highEntBigC = entropyImagesBigC[[Ordering[entropiesBigC, -10]]];
lowEntBigC = entropyImagesBigC[[Ordering[entropiesBigC, 10]]];
Thread[highEntBigC → netECA14[highEntBigC]]
Thread[lowEntBigC → netECA14[lowEntBigC]]
```

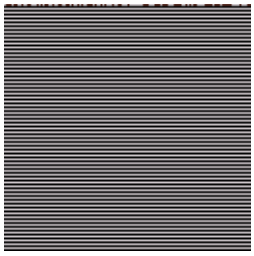
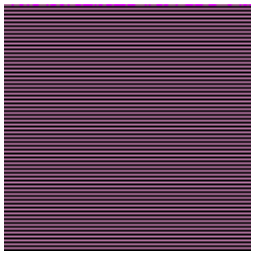
Out[•]= {  → 3,  → 4,

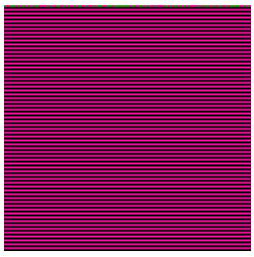
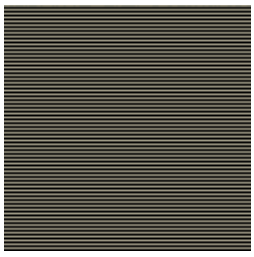
 → 2,  → 3,

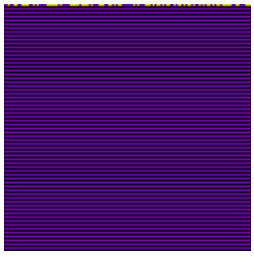
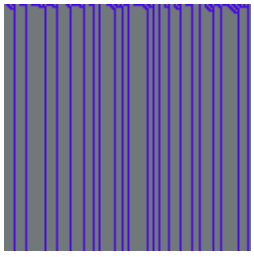
 → 3,  → 2,  → 3,

 → 2,  → 2,  → 3 }

Out[•]= {  → 2,  → 2,

 → 2,  → 2,

 → 2,  → 2,  → 2,

 → 2,  → 2,  → 2 }

Network XV - Transfer learning with pre-trained image recognition net (VGG-16)

```
In[•]:= netECA15 = NetModel["VGG-16 Trained on ImageNet Competition Data"]
```

Out[•]= NetChain

	Input	image array (size: 3 × 224 × 224)
conv1_1	ConvolutionLayer	array (size: 64 × 224 × 224)
relu1_1	Ramp	array (size: 64 × 224 × 224)
conv1_2	ConvolutionLayer	array (size: 64 × 224 × 224)
relu1_2	Ramp	array (size: 64 × 224 × 224)
pool1	PoolingLayer	array (size: 64 × 112 × 112)
conv2_1	ConvolutionLayer	array (size: 128 × 112 × 112)
relu2_1	Ramp	array (size: 128 × 112 × 112)
conv2_2	ConvolutionLayer	array (size: 128 × 112 × 112)
relu2_2	Ramp	array (size: 128 × 112 × 112)
pool2	PoolingLayer	array (size: 128 × 56 × 56)
conv3_1	ConvolutionLayer	array (size: 256 × 56 × 56)
relu3_1	Ramp	array (size: 256 × 56 × 56)
conv3_2	ConvolutionLayer	array (size: 256 × 56 × 56)
relu3_2	Ramp	array (size: 256 × 56 × 56)
conv3_3	ConvolutionLayer	array (size: 256 × 56 × 56)
relu3_3	Ramp	array (size: 256 × 56 × 56)
pool3	PoolingLayer	array (size: 256 × 28 × 28)
conv4_1	ConvolutionLayer	array (size: 512 × 28 × 28)
relu4_1	Ramp	array (size: 512 × 28 × 28)
conv4_2	ConvolutionLayer	array (size: 512 × 28 × 28)
relu4_2	Ramp	array (size: 512 × 28 × 28)
conv4_3	ConvolutionLayer	array (size: 512 × 28 × 28)
relu4_3	Ramp	array (size: 512 × 28 × 28)
pool4	PoolingLayer	array (size: 512 × 14 × 14)
conv5_1	ConvolutionLayer	array (size: 512 × 14 × 14)
relu5_1	Ramp	array (size: 512 × 14 × 14)
conv5_2	ConvolutionLayer	array (size: 512 × 14 × 14)
relu5_2	Ramp	array (size: 512 × 14 × 14)
conv5_3	ConvolutionLayer	array (size: 512 × 14 × 14)
relu5_3	Ramp	array (size: 512 × 14 × 14)
pool5	PoolingLayer	array (size: 512 × 7 × 7)
flatten_0	FlattenLayer	vector (size: 25088)
fc6	LinearLayer	vector (size: 4096)
relu6	Ramp	vector (size: 4096)
drop6	DropoutLayer	vector (size: 4096)
fc7	LinearLayer	vector (size: 4096)
relu7	Ramp	vector (size: 4096)
drop7	DropoutLayer	vector (size: 4096)
fc8	LinearLayer	vector (size: 1000)
prob	SoftmaxLayer	vector (size: 1000)
	Output	class

```
In[•]:= subNet = NetTake[netECA15, {"conv1_1", "flatten_0"}]
```

Out[•]= NetChain

Input port:	image
Output port:	vector (size: 25088)
Number of layers:	32

```
In[•]:= joinedNet = NetJoin[subNet,
  NetChain@<|"linear_new" → LinearLayer[1024], "linear_out" → LinearLayer[4],
    "prob" → SoftmaxLayer[]|>, "Output" → NetDecoder[{"Class", Range[1, 4]}]]
```

Out[•]= NetChain

uninitialized

Input port:	image
Output port:	class
Number of layers:	35

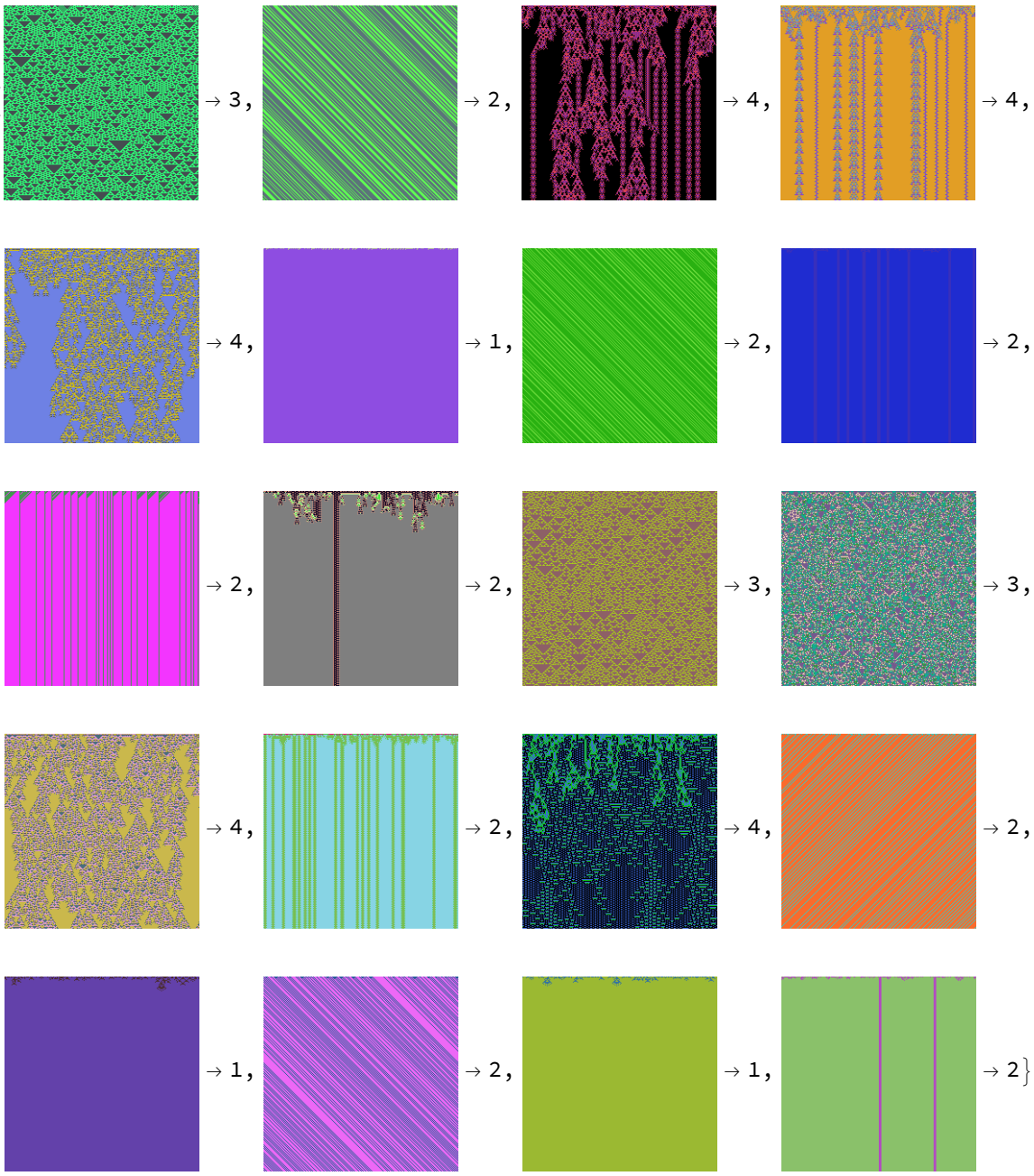
```
In[•]:= netECA15final =
         NetPrepend[joinedNet, {"augment" → ImageAugmentationLayer[{224, 224}]},
          "Input" → NetExtract[joinedNet, "Input"]]
```

Out[•]= NetChain[uninitialized | Input port: image; Output port: class; Number of layers: 36]

```
In[•]:= dataECA15 = dataC[224, 224, 8192];

In[•]:= dataTotalistic2BigC15 = genData2r2C[224, 224, 1024];

In[•]:= dataTotalistic3BigC15 = data3T2C[224, 224, 512];

In[•]:= dataTotalistic4BigC15 = data4TC[224, 224, 512];

In[•]:= dataTotalistic5BigC15 = genData5TCC[224, 224, 1024];

In[•]:= fullTrainingBigC15 = Join[dataECA15, dataTotalistic2BigC15,
           dataTotalistic3BigC15, dataTotalistic4BigC15, dataTotalistic5BigC15];
        Length[fullTrainingBigC15]

Out[•]= 16 384
```

```
In[•]:= RandomSample[fullTrainingBigC15, 20]
```

Out[•]=

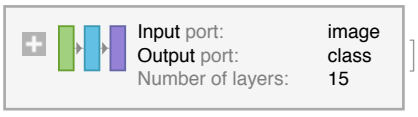



```
In[•]:= netECA15final = NetTrain[netECA15final, fullTrainingBigC15,
          MaxTrainingRounds → 5, BatchSize → 256 * 4, TargetDevice → "CPU",
          TrainingProgressCheckpointing → {"Directory", dir},
          LearningRateMultipliers → {"linear_new" → 1, "linear_out" → 1, _ → 0}]
```

Network XVI - Three convolutions, dropout on linear only, BatchNorm

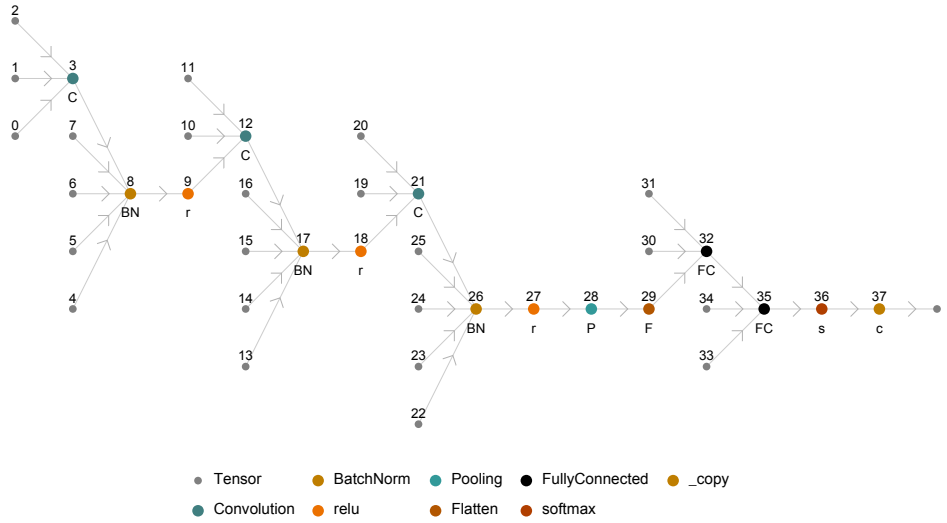
```
In[•]:= netECA16 = netNineCC512drop[128, 128]
```

Out[•]=

NetChain[]

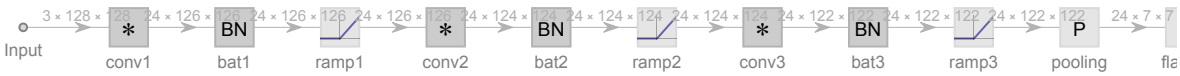
In[•]:=
```
NetInformation[netECA16, "MXNetNodeGraphPlot"]
```

Out[•]=



In[•]:=
```
NetInformation[netECA16, "SummaryGraphic"]
```

Out[•]=



In[•]:=
```
dataECA16 = dataC[128, 128, 8192];
```

In[•]:=
```
dataTotalistic2BigC16 = genData2r2C[128, 128, 1024];
```

In[•]:=
```
dataTotalistic3BigC16 = data3T2C[128, 128, 1024];
```

In[•]:=
```
dataTotalistic4BigC16 = data4TC[128, 128, 1024];
```

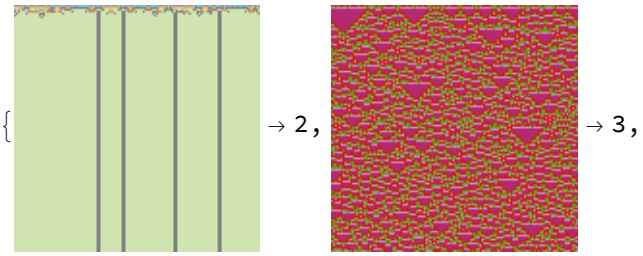
In[•]:=
```
dataTotalistic5BigC16 = genData5TCC[128, 128, 4096];
```

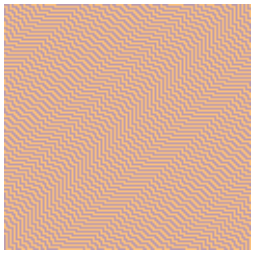
In[•]:=
```
fullTrainingBigC16 = Join[dataECA16, dataTotalistic2BigC16,
   dataTotalistic3BigC16, dataTotalistic4BigC16, dataTotalistic5BigC16];
Length[fullTrainingBigC16]
```

Out[•]=
```
26 624
```

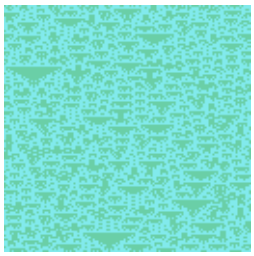
In[•]:=
```
RandomSample[fullTrainingBigC16, 20]
```

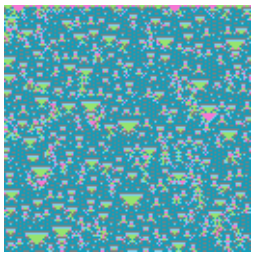
Out[•]=

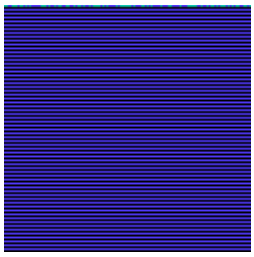


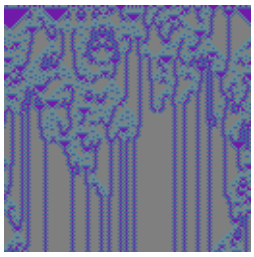

→ 2,

→ 2,

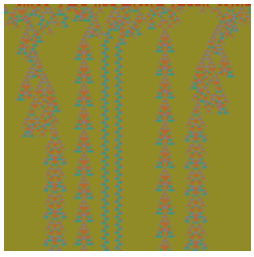
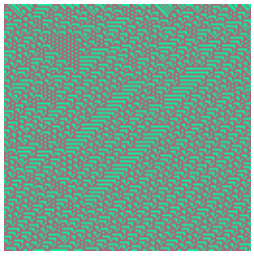
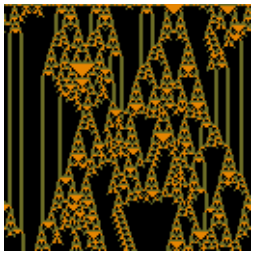
→ 1,

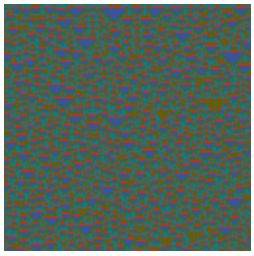
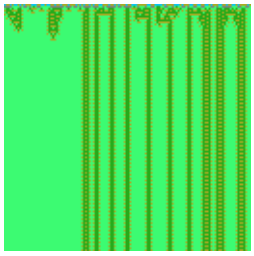

→ 3,

→ 2,

→ 3,

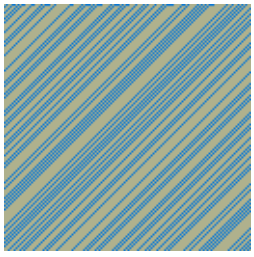

→ 2,

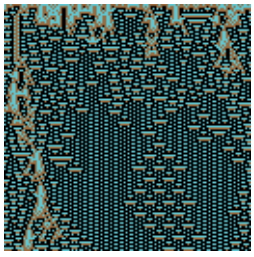
→ 1,

→ 4,


→ 4,

→ 3,

→ 4,

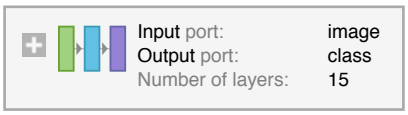

→ 3,

→ 2,

→ 1,


→ 2,

→ 2,

→ 4}

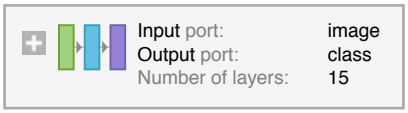
```
In[•]:= dir = SetDirectory[NotebookDirectory[]]
Out[•]= /home/esilverman/Documents

In[•]:= netECA16 = NetTrain[netECA16, fullTrainingBigC16,
          MaxTrainingRounds → 200, BatchSize → 256, TargetDevice → "GPU",
          TrainingProgressCheckpointing → {"Directory", dir}]
```

Out[•]= NetChain[]


```
netECA16 = Import["netECA16-r20.wlnet"]

netECA16 = NetTrain[netECA16, fullTrainingBigC16,
          MaxTrainingRounds → 20, BatchSize → 256 * 4, TargetDevice → "CPU",
          TrainingProgressCheckpointing → {"Directory", dir}]
```

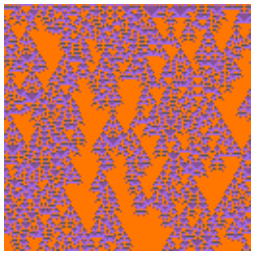
Generate test data for Network XVI

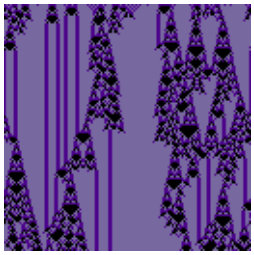
```
In[•]:= dir = SetDirectory[NotebookDirectory[]]
Out[•]= /Users/thorsilver/Downloads/Wolfram notebooks

In[•]:= netECA16 = Import["netECA16-r20.wlnet"]
```

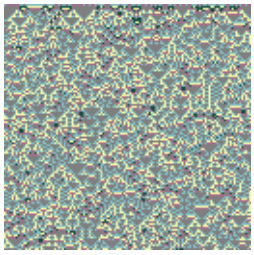
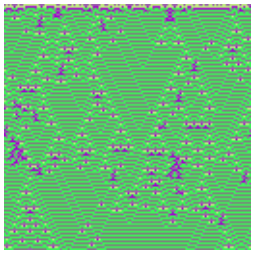
Out[•]= NetChain[]

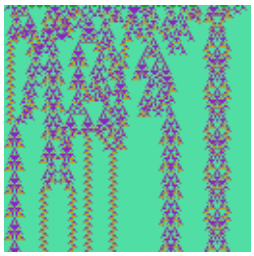
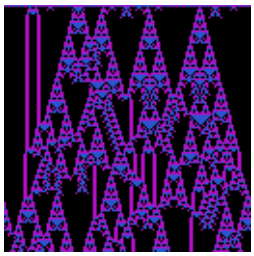

```
In[•]:= testDataECABigC = dataC[128, 128, 1024];
        testData2TBigC = genData2r2C[128, 128, 1024];
        testData3TBigC = data3T2C[128, 128, 1024];
        testData4TBigC = data4TC[128, 128, 1024];
        testData5TBigC = genData5TCC[128, 128, 1024];
        fullTestSetBigC = Join[testDataECABigC,
           testData2TBigC, testData3TBigC, testData4TBigC, testData5TBigC];
        Length[fullTestSetBigC]
Out[•]= 10 240
```

In[]:= RandomSample[fullTestSetBigC, 10]

Out[]= {  → 1,  → 4,

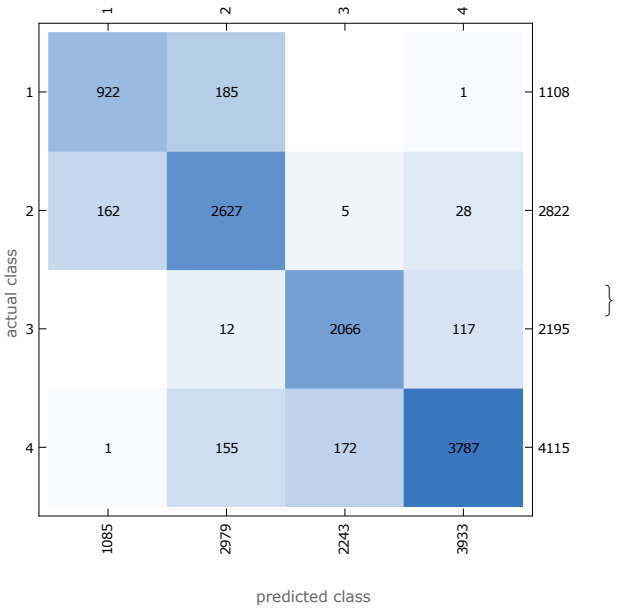
 → 2,  → 4,

 → 3,  → 4,  → 4,

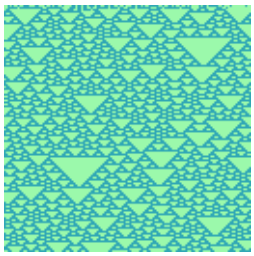
 → 4,  → 4,  → 4}

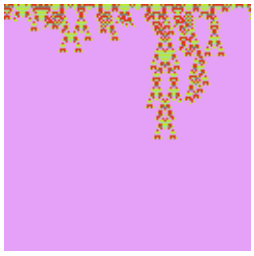
In[•]:=
```
NetMeasurements[netECA16, fullTestSetBigC,
 {"Accuracy", "Precision", "ConfusionMatrixPlot"}]
```

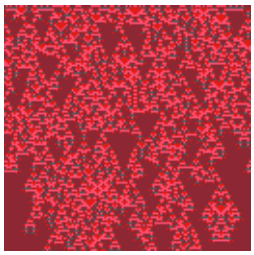
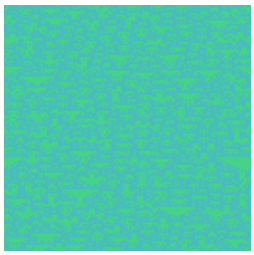
Out[•]=
```
{0.918164, ⟨|1 → 0.84977, 2 → 0.88184, 3 → 0.921088, 4 → 0.962878|⟩,
```

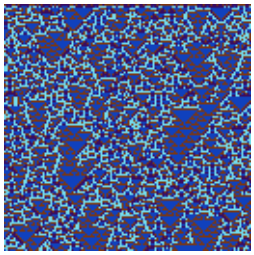


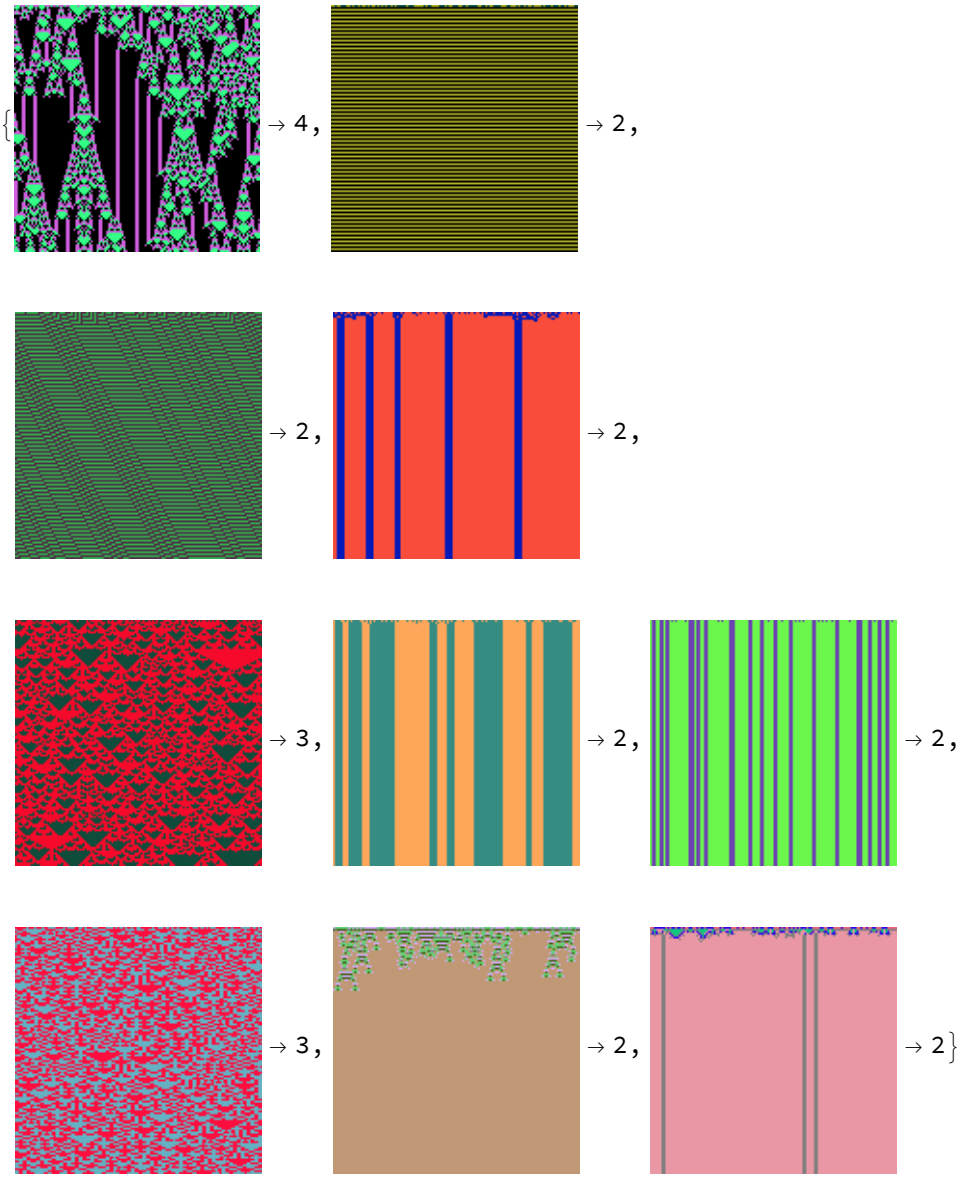
In[•]:=
```
entropyImagesBigC = RandomSample[Keys[fullTestSetBigC], 500];
entropiesBigC = netECA16[entropyImagesBigC, "Entropy"];
highEntBigC = entropyImagesBigC[[Ordering[entropiesBigC, -10]]];
lowEntBigC = entropyImagesBigC[[Ordering[entropiesBigC, 10]]];
Thread[highEntBigC → netECA16[highEntBigC]]
Thread[lowEntBigC → netECA16[lowEntBigC]]
```

Out[•]= {  → 1,  → 3,

 → 4,  → 2,

 → 1,  → 3,  → 4,

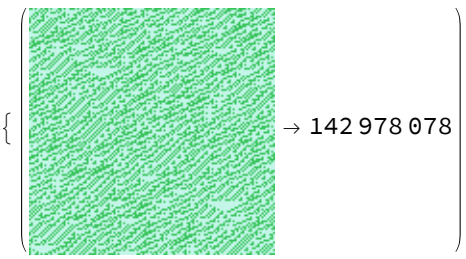
 → 3,  → 2,  → 4}

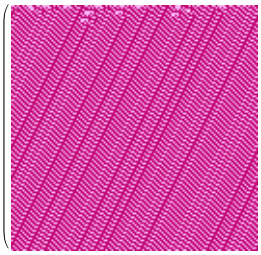
Out[•]= 

Testing Network XVI on unseen CA rule spaces

2-colour non-totalistic, range 2

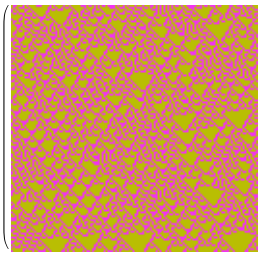
In[•]:=
```
test4Data2kr2C16 = datak2r2C[128, 128, 8];
Thread[
 test4Data2kr2C16 → netECA16[Keys@test4Data2kr2C16, {"TopProbabilities", 2}]]
```

Out[•]=  → 142 978 078 → {4 → 0.0000385332, 3 → 0.999961},

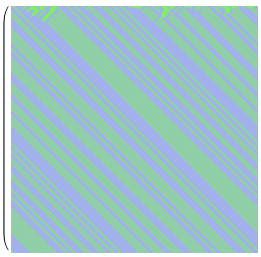


$\to 2\,651\,048\,833 \to \{4 \to 8.69455 \times 10^{-12}, 2 \to 1.\},$

$\to 2\,132\,867\,963 \to \{4 \to 2.86202 \times 10^{-17}, 2 \to 1.\},$

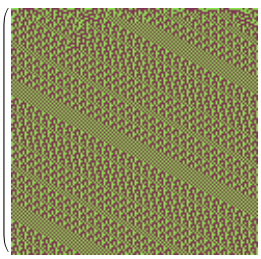


$\to 3\,644\,758\,968 \to \{4 \to 6.11899 \times 10^{-7}, 3 \to 0.999999\},$

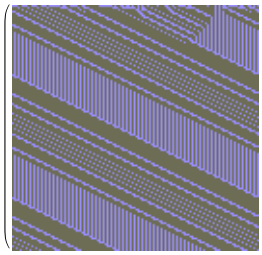


$\to 1\,762\,420\,096 \to \{1 \to 2.34707 \times 10^{-9}, 2 \to 1.\},$

$\to 1\,983\,429\,391 \to \{4 \to 0.0547227, 3 \to 0.945277\},$



$\to 3\,013\,553\,323 \to \{3 \to 0.0109364, 2 \to 0.989064\},$

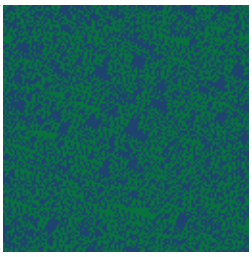


→ 4 222 841 103 → {4 → 0.406794, 3 → 0.593206}

2-colour non-totalistic, range 3

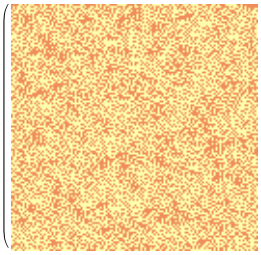
In[•]:=
```
test4Data2kr3C16 = datak2r3NT[128, 128, 8];
Thread[
 test4Data2kr3C16 → netECA16[Keys@test4Data2kr3C16, {"TopProbabilities", 2}]]
```

Out[•]=



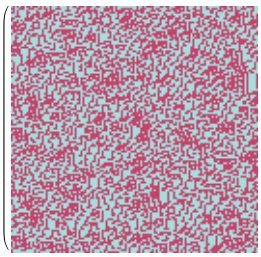
→ 326 920 608 662 421 742 840 307 341 423 521 605 984 →

{4 → 0.250823, 3 → 0.749175},



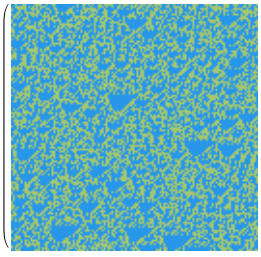
→ 207 378 363 536 986 723 396 466 725 374 349 770 886 →

$\{4 \to 3.99297 \times 10^{-14}, 3 \to 1.\}$,



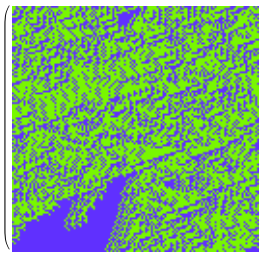
→ 208 879 936 260 575 914 948 311 642 807 908 540 203 →

$\{4 \to 1.58015 \times 10^{-11}, 3 \to 1.\}$,



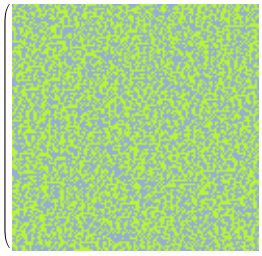
→ 287 306 647 832 264 924 895 832 728 648 359 695 369 →

$\{4 \to 1.21845 \times 10^{-8}, 3 \to 1.\},$



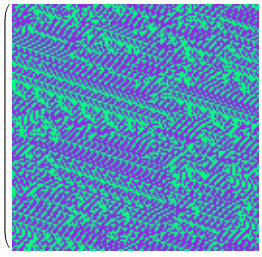
$\to 229\,589\,239\,336\,289\,801\,086\,527\,228\,211\,518\,173\,928 \to$

$\{3 \to 0.0173989, 4 \to 0.982601\},$



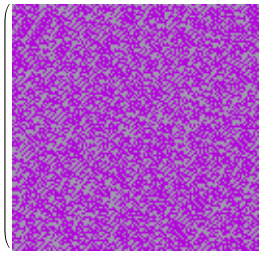
$\to 25\,263\,864\,036\,549\,856\,421\,518\,677\,057\,185\,002\,153 \to$

$\{4 \to 2.486 \times 10^{-11}, 3 \to 1.\},$



$\to 122\,573\,209\,377\,430\,367\,268\,072\,050\,742\,932\,826\,218 \to$

$\{4 \to 1.46881 \times 10^{-9}, 3 \to 1.\},$



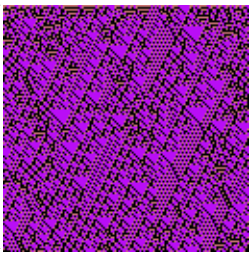
$\to 120\,291\,014\,848\,530\,508\,056\,036\,077\,228\,147\,332\,137 \to$

$\{4 \to 0.00683298, 3 \to 0.993167\}\}$

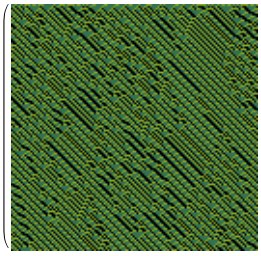
3-colour non-totalistic, range 1

In[•]:=
```
test4Data3kr1C16 = datak3r1NT[128, 128, 8];
Thread[
 test4Data3kr1C16 → netECA16[Keys@test4Data3kr1C16, {"TopProbabilities", 2}]]
```

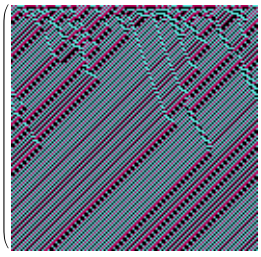
Out[•]= {



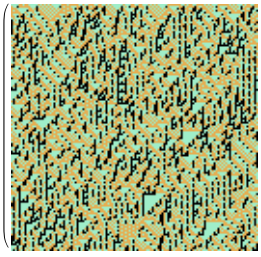
→ 4 431 477 695 805 → {4 → 0.000746188, 3 → 0.999254},



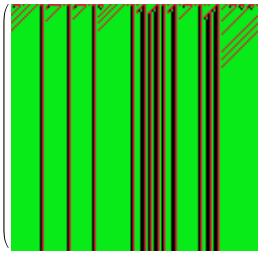
→ 1 627 958 441 874 → {4 → 0.00025369, 3 → 0.999746},



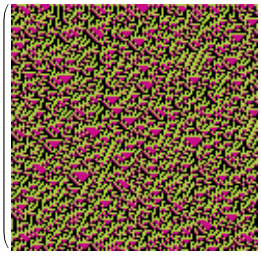
→ 4 241 674 451 024 → {3 → 0.194892, 2 → 0.805108},



→ 4 177 916 755 057 → $\{3 \to 9.07174 \times 10^{-18}, 4 \to 1.\}$,

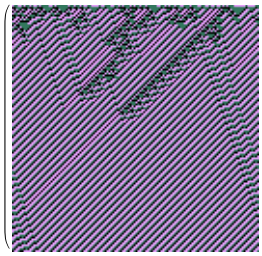


→ 2 504 235 138 103 → $\{4 \to 1.3375 \times 10^{-21}, 2 \to 1.\}$,



→ 2 281 646 033 785 → {4 → 0.164883, 3 → 0.835117},

→ 886 946 817 375 → {2 → 0.000352038, 1 → 0.999648},



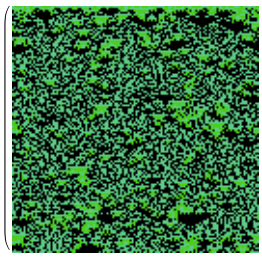
→ 1 468 391 136 669 → {4 → 1.85451 × 10^-11, 2 → 1.}}

3-colour totalistic, range 2

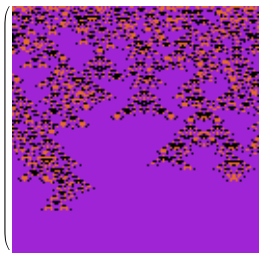
In[•]:=
```
test4Data3kr2C16 = datak3r2C[128, 128, 8];
Thread[
 test4Data3kr2C16 → netECA16[Keys@test4Data3kr2C16, {"TopProbabilities", 2}]]
```

Out[•]=

→ 31 794 → {2 → 0.0000274564, 1 → 0.999973},

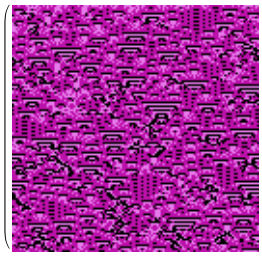


→ 154 722 → {4 → 3.53893 × 10^-6, 3 → 0.999996},

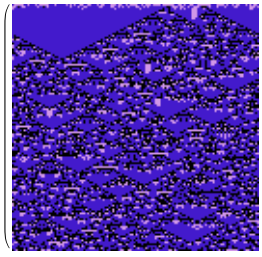


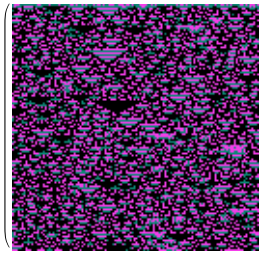
→ 47 093 → {3 → 0.0000226662, 4 → 0.999977},


→ 40 833 → {2 → 7.38958 × 10^-10, 1 → 1.},


→ 70 499 → {4 → 9.14168 × 10^-7, 3 → 0.999999},


→ 104 031 → {2 → 0.00469642, 1 → 0.995304},

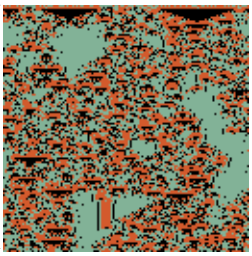

→ 102 416 → {4 → 0.00127827, 3 → 0.998722},


→ 143 812 → {3 → 0.00152229, 4 → 0.998478}

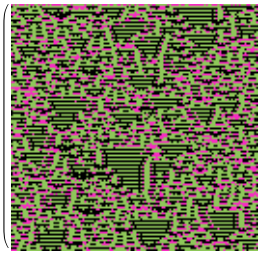
3-colour totalistic, range 3

In[•]:=
```
test4Data3kr3C16 = datak3r3C[128, 128, 8];
Thread[
 test4Data3kr3C16 → netECA16[Keys@test4Data3kr3C16, {"TopProbabilities", 2}]]
```

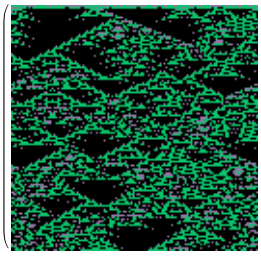
Out[•]= {



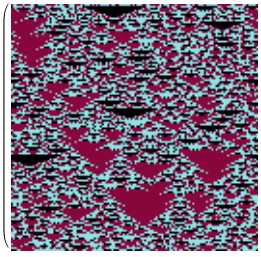
→ 9 694 493 | → {3 → 0.480724, 4 → 0.519276},



→ 1 266 350 | → $\{3 \to 2.07073 \times 10^{-17}, 4 \to 1.\}$,

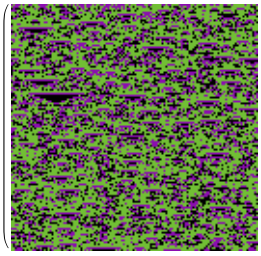


→ 10 922 251 | → {4 → 0.0000302967, 3 → 0.99997},

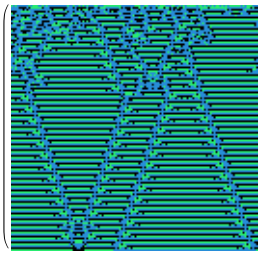


→ 10 284 081 | → {4 → 0.0000121386, 3 → 0.999988},

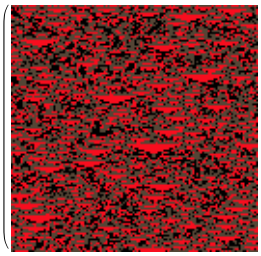
→ 3 664 255 | → {1 → 0.0137727, 2 → 0.986227},



→ 10 298 881 | → {4 → 0.000133186, 3 → 0.999867},



→ 8 621 297 → {3 → 5.17911 × 10^-10, 4 → 1.},

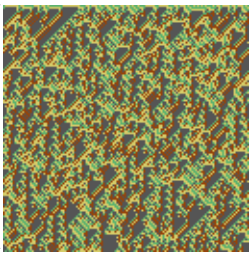


→ 11 392 150 → {4 → 8.14877 × 10^-14, 3 → 1.}}

4-colour non-totalistic, range 1

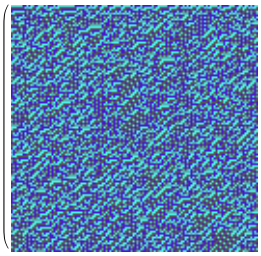
In[•]:=
```
test4Data4kr1C16 = datak4r1NT[128, 128, 8];
Thread[
 test4Data4kr1C16 → netECA16[Keys@test4Data4kr1C16, {"TopProbabilities", 2}]]
```

Out[•]=

{ 

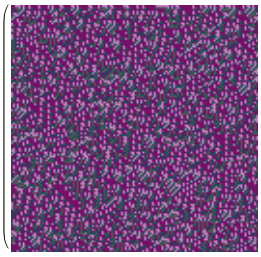
→ 154 080 220 988 097 676 666 997 866 552 654 645 473 →

{3 → 2.29402 × 10^-6, 4 → 0.999998},



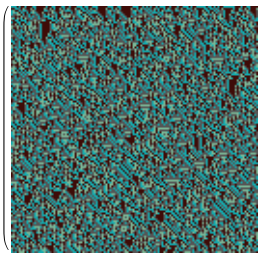
→ 23 699 455 383 307 433 676 732 305 926 546 946 154 →

{4 → 9.18698 × 10^-10, 3 → 1.},



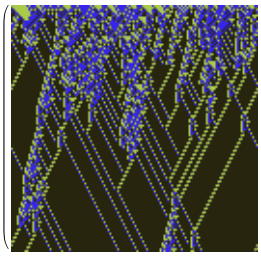
→ 128 473 503 291 830 537 978 738 932 215 015 934 320 →

{4 → 0.016884, 3 → 0.983116},



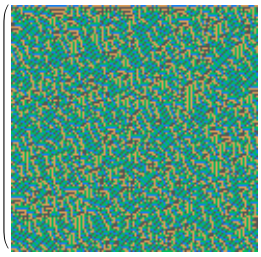
→ 229 632 577 374 973 873 063 824 352 556 638 470 668 →

$\{3 \to 3.66751 \times 10^{-6}, 4 \to 0.999996\}$,



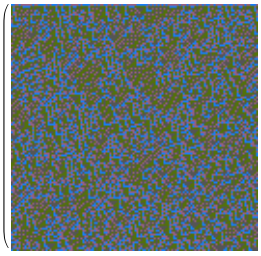
→ 296 751 325 089 499 848 049 286 011 129 052 334 280 →

$\{2 \to 0.0356663, 4 \to 0.964334\}$,



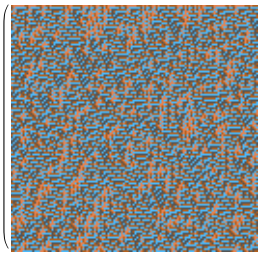
→ 58 389 931 388 288 805 968 545 394 973 250 265 077 →

$\{4 \to 0.392533, 3 \to 0.607467\}$,



→ 190 838 234 746 017 730 793 117 442 629 783 928 461 →

$\{3 \to 0.0000369307, 4 \to 0.999963\}$,



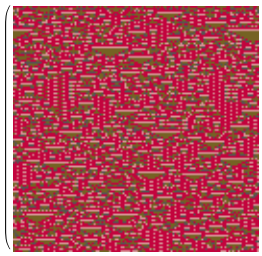
→ 203 920 243 365 735 713 208 234 812 082 196 839 807 →

$\{4 \to 0.00577653, 3 \to 0.994223\}\}$

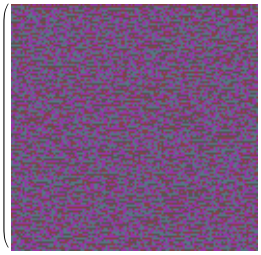
4-colour totalistic, range 2

```
In[•]:= test4Data4kr2C16 = datak4r2C[128, 128, 8];
        Thread[
         test4Data4kr2C16 → netECA16[Keys@test4Data4kr2C16, {"TopProbabilities", 2}]]
```

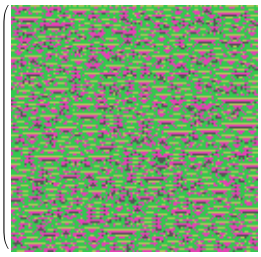
Out[•]=



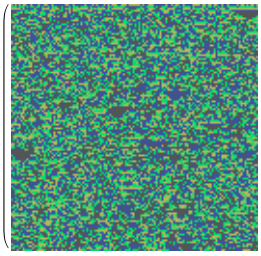
→ 25 517 204 → {4 → 1.29127 × 10^-13, 3 → 1.},



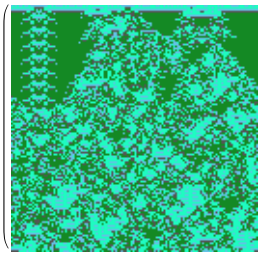
→ 3 053 925 273 → {4 → 0.00215091, 3 → 0.997849},



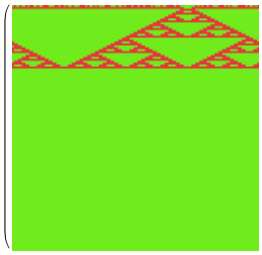
→ 2 735 868 989 → {4 → 0.000282149, 3 → 0.999718},



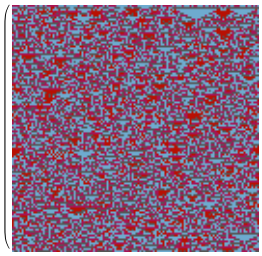
→ 1 440 927 950 → {4 → 0.0889018, 3 → 0.911098},



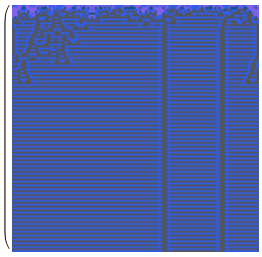
→ 3 727 816 705 → {3 → 2.78599 × 10^-7, 4 → 1.},



→ 818 963 457 → {4 → 4.45422 × 10^-19, 3 → 1.},



→ 3 948 742 311 → {4 → 2.06369 × 10^-10, 3 → 1.},

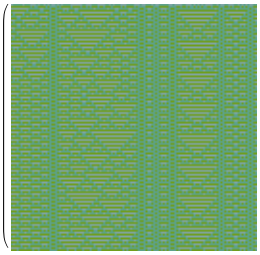


→ 1 159 108 912 → {4 → 0.431018, 2 → 0.568975}}

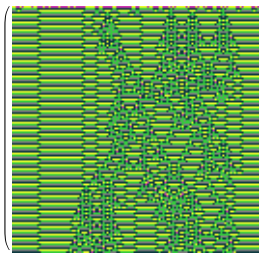
5-colour totalistic, range 1

In[•]:=
```
test4Data5kr1C16 = data5T2C[8, 128, 128];
Thread[
 test4Data5kr1C16 → netECA16[Keys@test4Data5kr1C16, {"TopProbabilities", 2}]]
```

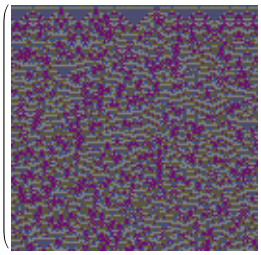
Out[•]=



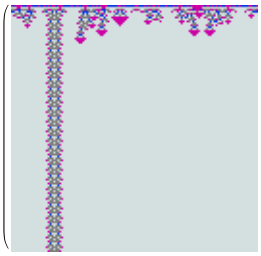
→ 81 353 109 → {4 → 4.44391 × 10^-7, 2 → 1.},



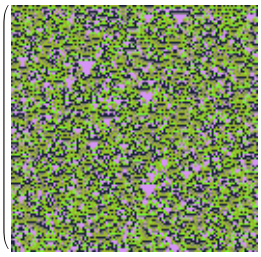
→ 626 536 724 → {3 → 3.46291 × 10^-8, 4 → 1.},



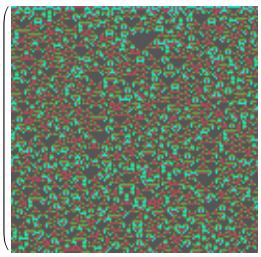
→ 129 595 314 → {4 → 0.00257287, 3 → 0.997427},



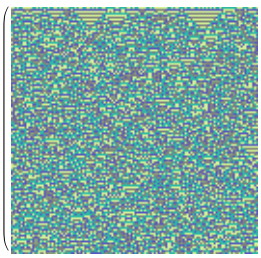
→ 513 885 470 → $\{1 \to 1.41572 \times 10^{-11}, 2 \to 1.\}$,



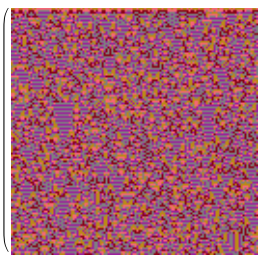
→ 494 894 021 → {3 → 0.0136503, 4 → 0.98635},



→ 459 414 632 → {4 → 0.0000813289, 3 → 0.999919},



→ 327 281 621 → $\{4 \to 2.29489 \times 10^{-8}, 3 \to 1.\}$,

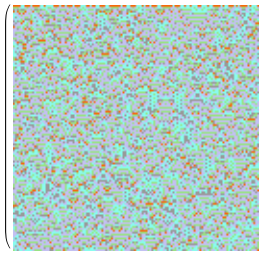


→ 503 044 041 → {4 → 0.191949, 3 → 0.808051}}

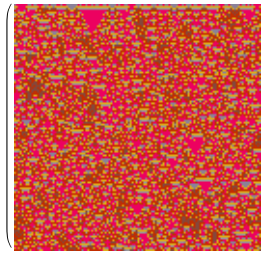
6-colour totalistic, range 1

```
In[•]:= test4Data6kr1C16 = data6TC[8, 128, 128];
        Thread[
         test4Data6kr1C16 → netECA16[Keys@test4Data6kr1C16, {"TopProbabilities", 2}]]
```

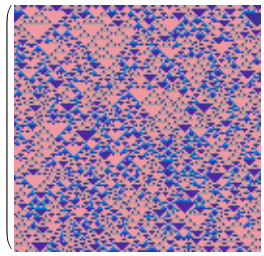
Out[•]=



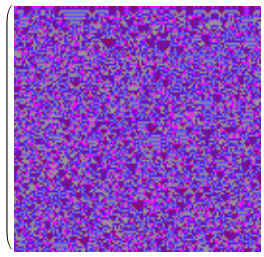
→ 1 522 715 109 251 → {4 → 2.02852 × 10^-8, 3 → 1.},



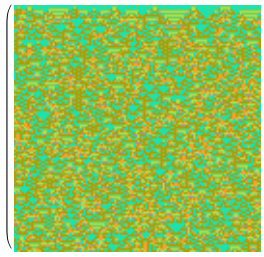
→ 1 026 953 898 330 → {4 → 2.88279 × 10^-8, 3 → 1.},



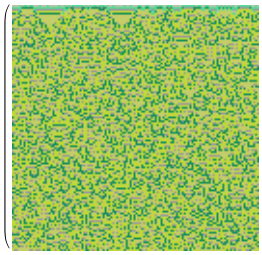
→ 1 583 652 682 → {3 → 0.429972, 4 → 0.570028},

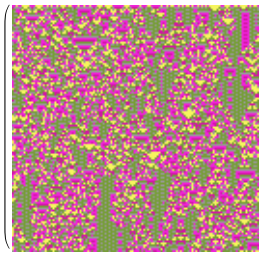


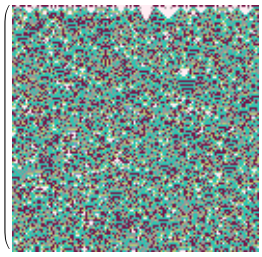
→ 2 123 073 201 165 → {4 → 6.23239 × 10^-10, 3 → 1.},



→ 341 591 565 791 → {4 → 0.00212154, 3 → 0.997878},


→ 2 568 539 246 083 → {4 → 0.00197237, 3 → 0.998028},

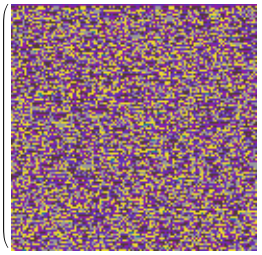

→ 1 213 730 554 155 → {4 → 0.0020281, 3 → 0.997972},

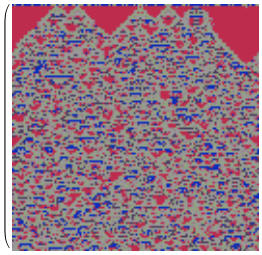

→ 389 841 312 036 → $\{4 \to 2.91693 \times 10^{-11}, 3 \to 1.\}\}$

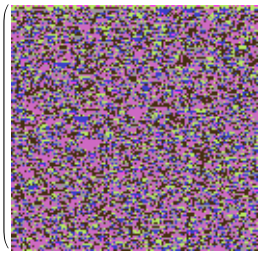
6-colour totalistic, range 2

In[•]:=
```
test4Data6kr2C16 = data6T2C[8, 128, 128];
Thread[
 test4Data6kr2C16 → netECA16[Keys@test4Data6kr2C16, {"TopProbabilities", 2}]]
```

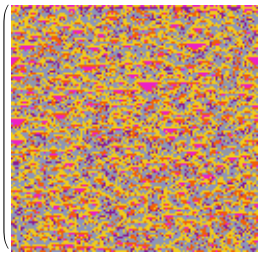
Out[•]=


→ 46 177 535 535 728 053 148 → $\{4 \to 6.75757 \times 10^{-8}, 3 \to 1.\}$,

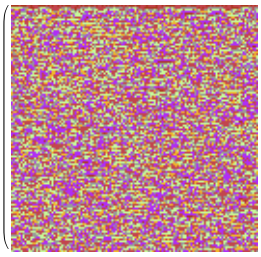

→ 35 643 164 656 729 746 413 → $\{4 \to 4.68349 \times 10^{-15}, 3 \to 1.\}$,



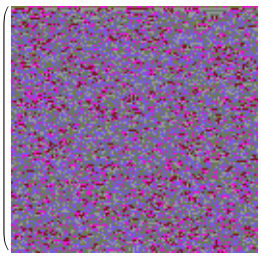
→ 151 294 335 263 255 298 785 | → {4 → 0.0673459, 3 → 0.932654},



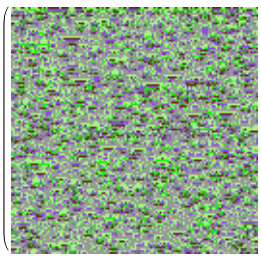
→ 8 803 703 818 914 948 546 | → {4 → 0.00560205, 3 → 0.994398},



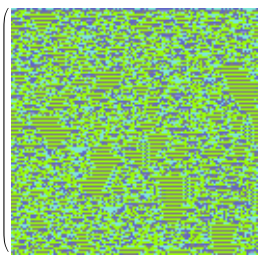
→ 46 723 275 025 483 150 950 | → {4 → 0.00307226, 3 → 0.996928},



→ 72 312 079 279 485 910 528 | → {4 → 0.00153324, 3 → 0.998467},



→ 22 158 237 683 799 083 047 | → $\{4 \to 3.51784 \times 10^{-13}, 3 \to 1.\}$,

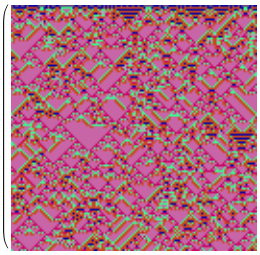


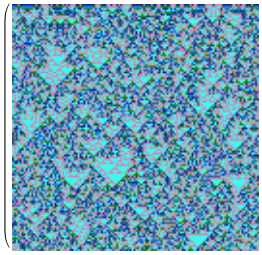
→ 142 446 781 366 136 429 283 | → $\{4 \to 3.01302 \times 10^{-11}, 3 \to 1.\}\}$

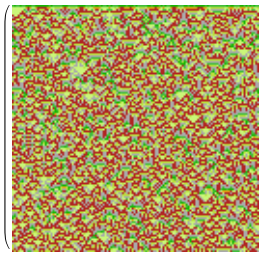
7-colour totalistic, range 1

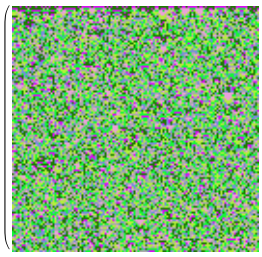
In[•]:=
```
test4Data7kr1C16 = data7TC[8, 128, 128];
Thread[
 test4Data7kr1C16 → netECA16[Keys@test4Data7kr1C16, {"TopProbabilities", 2}]]
```

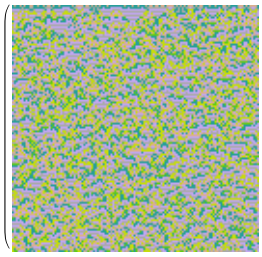
Out[•]=

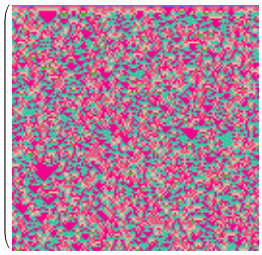

→ 3 109 608 593 887 262 → {2 → 0.0267983, 4 → 0.973202},


→ 10 516 337 788 191 339 → {4 → 0.202783, 3 → 0.797217},

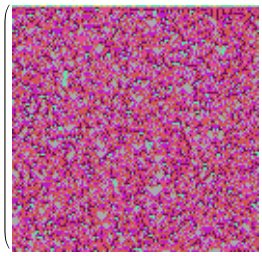

→ 10 218 434 972 470 056 → $\{4 \to 2.59313 \times 10^{-9}, 3 \to 1.\}$,


→ 11 301 098 979 433 534 → $\{4 \to 5.31247 \times 10^{-20}, 3 \to 1.\}$,

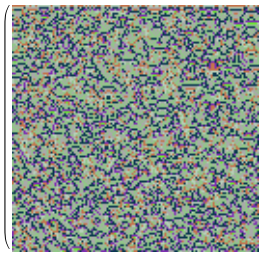

→ 4 222 218 586 098 008 → $\{4 \to 2.3505 \times 10^{-8}, 3 \to 1.\}$,



$\to 6\,272\,918\,110\,265\,620 \to \{4 \to 2.82334 \times 10^{-12},\ 3 \to 1.\},$



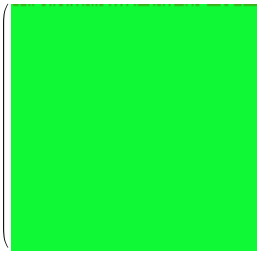
$\to 7\,237\,960\,144\,206\,103 \to \{4 \to 1.82804 \times 10^{-11},\ 3 \to 1.\},$



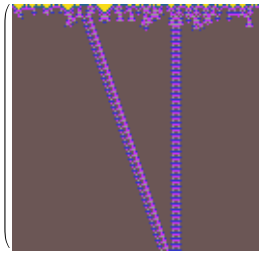
$\to 8\,157\,411\,943\,012\,914 \to \{4 \to 7.30163 \times 10^{-8},\ 3 \to 1.\}\}$

In[•]:=
```
test4Data7kr1C16 = data7TC[8, 128, 128];
Thread[
 test4Data7kr1C16 → netECA16[Keys@test4Data7kr1C16, {"TopProbabilities", 2}]]
```

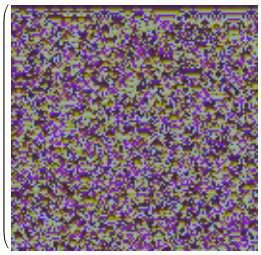
Out[•]=



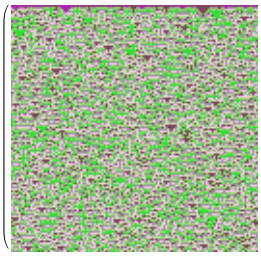
$\to 2\,054\,187\,704\,193\,738 \to \{2 \to 1.00393 \times 10^{-7},\ 1 \to 1.\},$



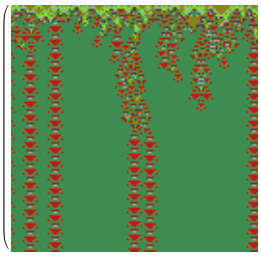
$\to 4\,502\,314\,670\,347\,259 \to \{1 \to 0.000272502,\ 2 \to 0.999727\},$



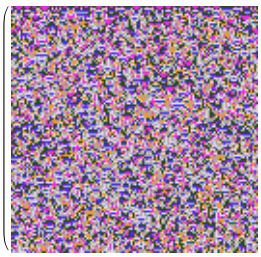
→ 6 433 286 718 439 853 → $\{4 \to 3.57308 \times 10^{-13}, 3 \to 1.\}$,



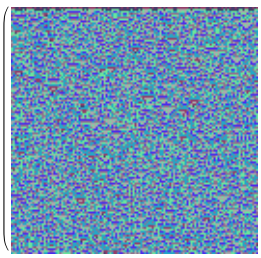
→ 10 115 271 094 201 812 → $\{4 \to 1.83956 \times 10^{-14}, 3 \to 1.\}$,



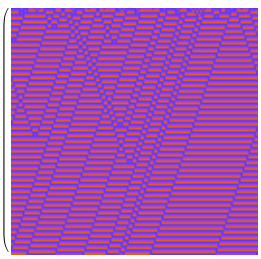
→ 2 056 629 839 849 700 → $\{4 \to 7.03567 \times 10^{-6}, 2 \to 0.999993\}$,



→ 6 016 684 767 156 829 → $\{4 \to 0.0021258, 3 \to 0.997874\}$,



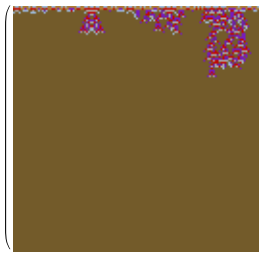
→ 1 150 898 749 617 983 → $\{4 \to 5.05985 \times 10^{-9}, 3 \to 1.\}$,



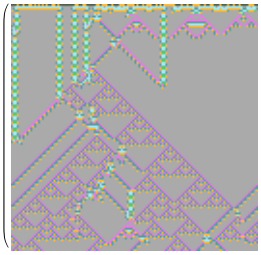
→ 3 441 885 208 643 463 → $\{3 \to 1.57168 \times 10^{-8}, 2 \to 1.\}\}$

In[•]:=
```
test4Data7kr1C16 = data7TC[8, 128, 128];
Thread[
 test4Data7kr1C16 → netECA16[Keys@test4Data7kr1C16, {"TopProbabilities", 2}]]
```

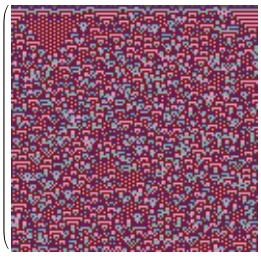
Out[•]=



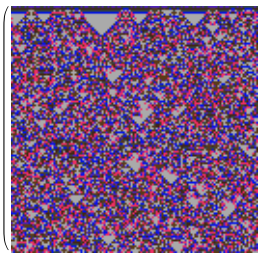
→ 8 718 538 805 570 808 → {4 → 0.0199047, 2 → 0.980095},



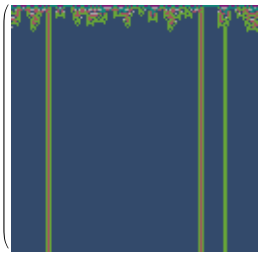
→ 5 687 458 247 703 346 → $\{3 \to 3.931 \times 10^{-6}, 4 \to 0.999995\}$,



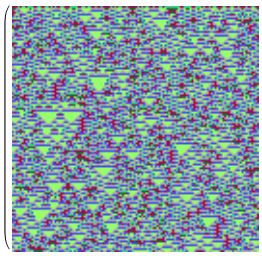
→ 2 004 300 484 518 722 → {3 → 0.0438658, 4 → 0.956134},

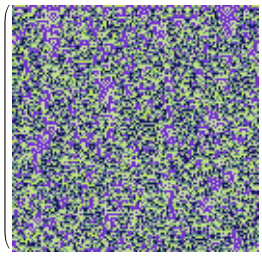


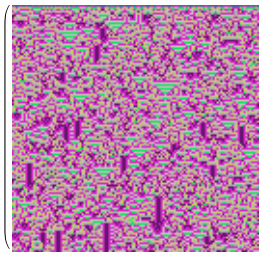
→ 2 106 485 862 858 275 → $\{4 \to 3.36807 \times 10^{-10}, 3 \to 1.\}$,



→ 10 335 102 717 390 268 → $\{4 \to 1.40275 \times 10^{-9}, 2 \to 1.\}$,


→ 1 948 304 137 097 478 → {4 → 3.0757 × 10^-6, 3 → 0.999997},

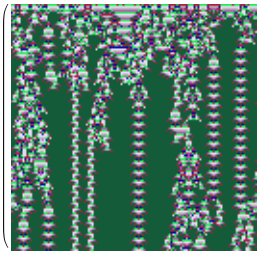

→ 742 855 573 082 935 → {3 → 0.00423487, 4 → 0.995765},

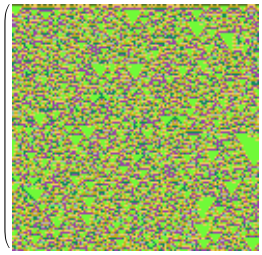

→ 550 991 988 954 034 → {3 → 0.0000158322, 4 → 0.999984}}

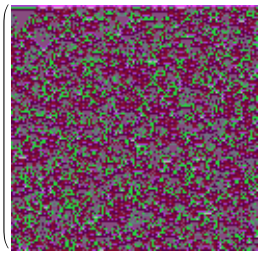
8-colour totalistic, range 1

In[•]:=
```
test4Data8kr1C16 = data8TC[8, 128, 128];
Thread[
 test4Data8kr1C16 → netECA16[Keys@test4Data8kr1C16, {"TopProbabilities", 2}]]
```

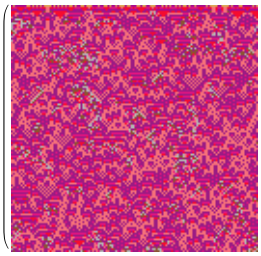
Out[•]=


→ 26 660 220 729 300 317 631 → {3 → 4.53753 × 10^-16, 4 → 1.},

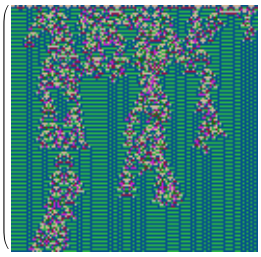

→ 57 706 619 077 455 169 987 → {4 → 0.00012086, 3 → 0.999879},



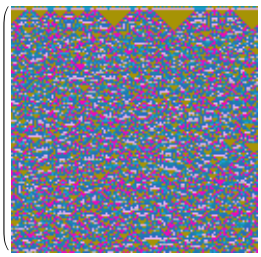
$\to 64\,248\,301\,738\,433\,598\,883 \to \{4 \to 8.62498 \times 10^{-7}, 3 \to 0.999999\},$



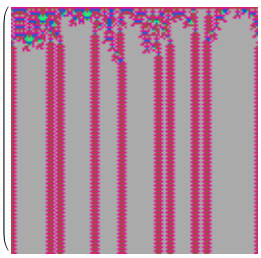
$\to 38\,309\,191\,234\,358\,472\,181 \to \{3 \to 0.0920227, 4 \to 0.907977\},$



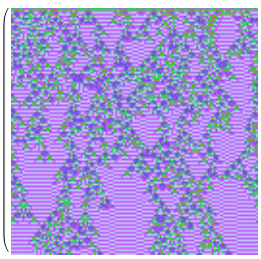
$\to 10\,057\,418\,236\,647\,939\,786 \to \{3 \to 0.00153869, 4 \to 0.998461\},$



$\to 55\,038\,816\,396\,722\,824\,044 \to \{4 \to 7.93818 \times 10^{-11}, 3 \to 1.\},$



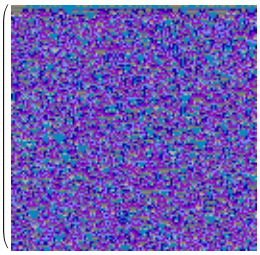
$\to 13\,857\,790\,822\,319\,662\,750 \to \{4 \to 1.6375 \times 10^{-9}, 2 \to 1.\},$



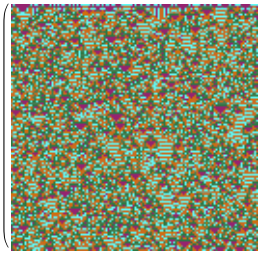
$\to 35\,001\,739\,471\,058\,241\,746 \to \{3 \to 0.146189, 4 \to 0.853811\}\}$

In[•]:=
```
test4Data8kr1C16 = data8TC[8, 128, 128];
Thread[
 test4Data8kr1C16 → netECA16[Keys@test4Data8kr1C16, {"TopProbabilities", 2}]]
```

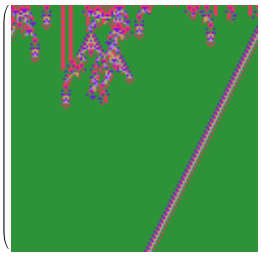
Out[•]=



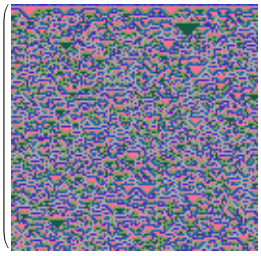
→ 8 889 571 206 431 822 669 → $\{4 \to 7.71651 \times 10^{-13}, 3 \to 1.\}$,



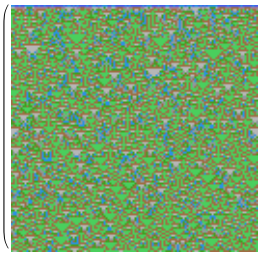
→ 12 932 107 158 159 577 869 → $\{4 \to 0.000487127, 3 \to 0.999513\}$,



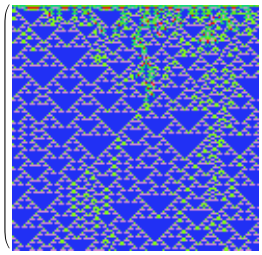
→ 38 300 014 541 797 689 408 → $\{2 \to 4.40131 \times 10^{-9}, 4 \to 1.\}$,



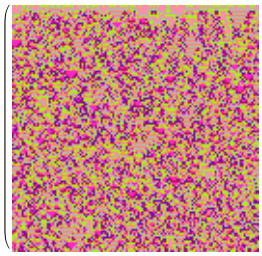
→ 73 619 662 786 582 031 542 → $\{4 \to 2.6954 \times 10^{-22}, 3 \to 1.\}$,



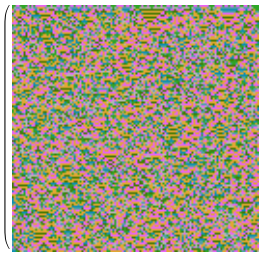
→ 25 075 664 454 379 326 631 → $\{4 \to 2.7484 \times 10^{-6}, 3 \to 0.999997\}$,



→ 66 251 301 754 800 867 134 → {4 → 0.045885, 3 → 0.954115},



→ 45 939 929 171 629 412 480 → {3 → 0.0015837, 4 → 0.998416},



→ 48 918 067 825 593 479 863 → {4 → 0.000601606, 3 → 0.999398}}

Network XVII - Four convolutions, dropout on linear only, BatchNorm

In[ ]:= `netECA17 = netTenCC1024drop[128, 128]`

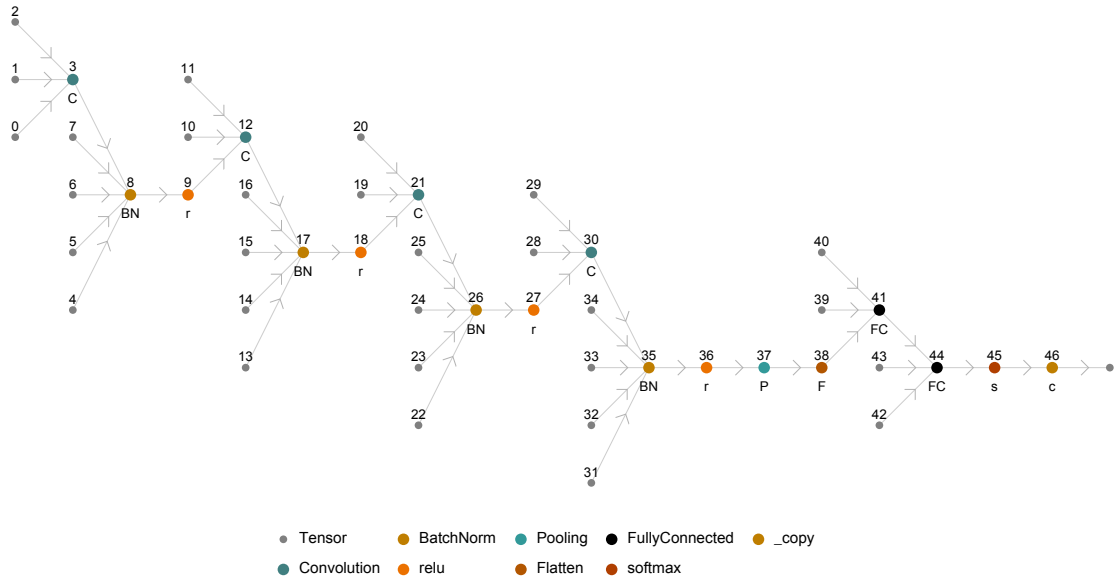
Out[ ]= NetChain[

	Input	image array (size: 3 × 128 × 128)
conv1	ConvolutionLayer	array (size: 24 × 126 × 126)
bat1	BatchNormalizationLayer	array (size: 24 × 126 × 126)
ramp1	Ramp	array (size: 24 × 126 × 126)
conv2	ConvolutionLayer	array (size: 24 × 124 × 124)
bat2	BatchNormalizationLayer	array (size: 24 × 124 × 124)
ramp2	Ramp	array (size: 24 × 124 × 124)
conv3	ConvolutionLayer	array (size: 24 × 122 × 122)
bat3	BatchNormalizationLayer	array (size: 24 × 122 × 122)
ramp3	Ramp	array (size: 24 × 122 × 122)
conv4	ConvolutionLayer	array (size: 24 × 120 × 120)
bat4	BatchNormalizationLayer	array (size: 24 × 120 × 120)
ramp4	Ramp	array (size: 24 × 120 × 120)
pooling	PoolingLayer	array (size: 24 × 5 × 5)
flatten	FlattenLayer	vector (size: 600)
linear	LinearLayer	vector (size: 1024)
drop2	DropoutLayer	vector (size: 1024)
linear2	LinearLayer	vector (size: 4)
softmax	SoftmaxLayer	vector (size: 4)
	Output	class

]

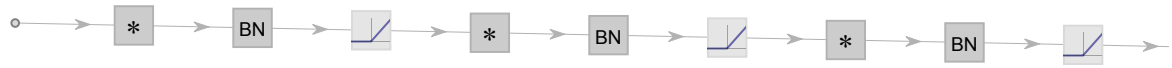
In[•]:=
```
NetInformation[netECA17, "MXNetNodeGraphPlot"]
```

Out[•]=



In[•]:=
```
NetInformation[netECA17, "SummaryGraphic"]
```

Out[•]=



In[•]:=
```
dataECA17 = dataC[128, 128, 16 384];
```

In[•]:=
```
dataTotalistic2BigC17 = genData2r2C[128, 128, 2048];
```

In[•]:=
```
dataTotalistic3BigC17 = data3T2C[128, 128, 2048];
```

In[•]:=
```
dataTotalistic4BigC17 = data4TC[128, 128, 2048];
```

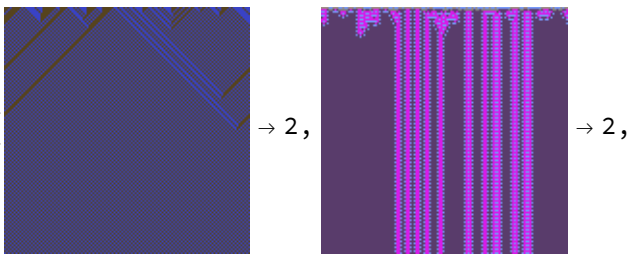
In[•]:=
```
dataTotalistic5BigC17 = genData5TCC[128, 128, 8192];
```

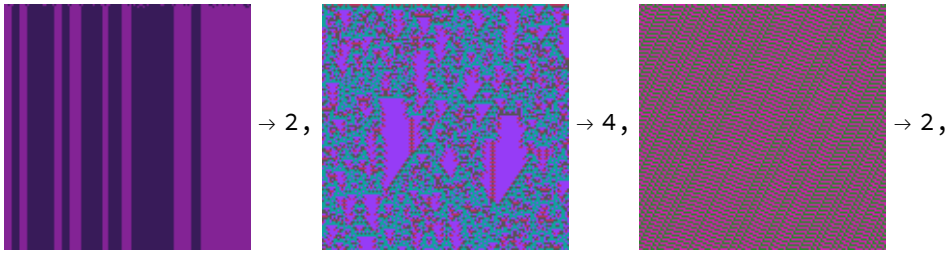
In[•]:=
```
fullTrainingBigC17 = Join[dataECA17, dataTotalistic2BigC17,
   dataTotalistic3BigC17, dataTotalistic4BigC17, dataTotalistic5BigC17];
Length[fullTrainingBigC17]
```

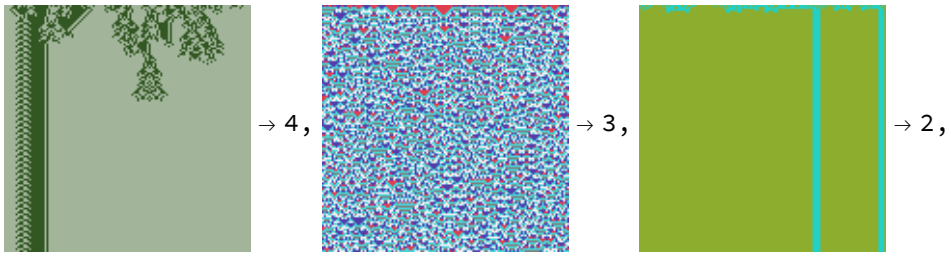
Out[•]=
```
53 248
```

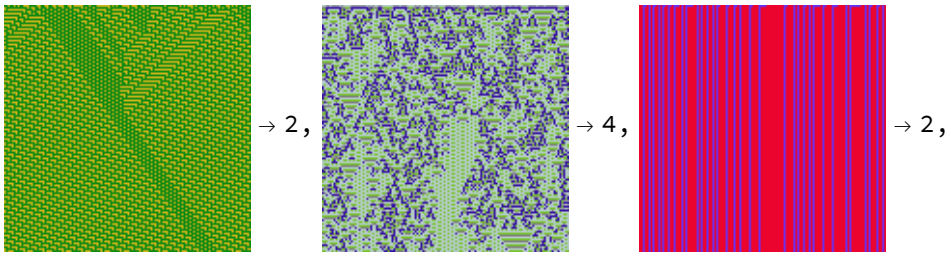
In[•]:=
```
RandomSample[fullTrainingBigC17, 20]
```

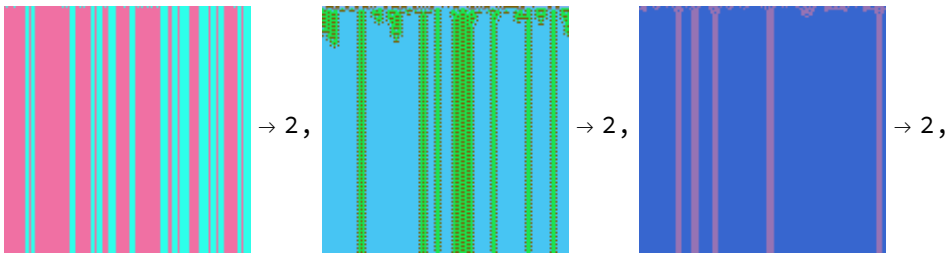
Out[•]=

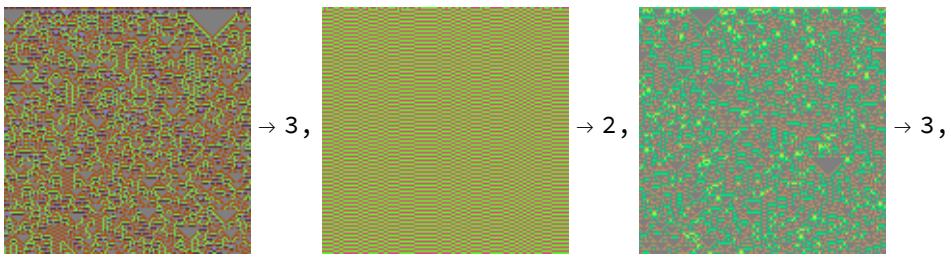


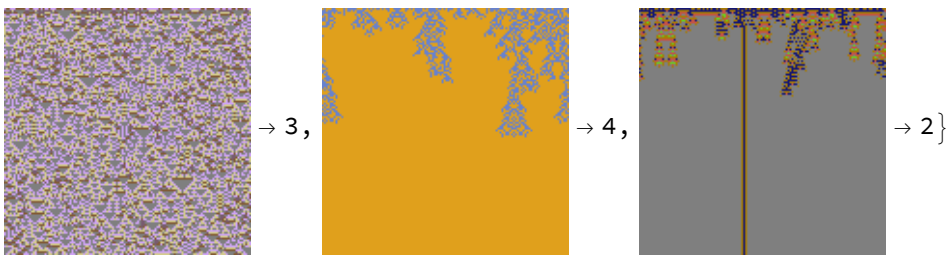

→ 2,
→ 4,
→ 2,


→ 4,
→ 3,
→ 2,

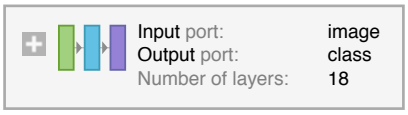

→ 2,
→ 4,
→ 2,


→ 2,
→ 2,
→ 2,


→ 3,
→ 2,
→ 3,


→ 3,
→ 4,
→ 2}

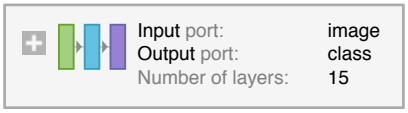
```
In[•]:= dir = SetDirectory[NotebookDirectory[]]
In[•]:= "/home/esilverman/Documents"
Out[•]= /home/esilverman/Documents

In[•]:= netECA17 = NetTrain[netECA17, fullTrainingBigC17,
          MaxTrainingRounds → 200, BatchSize → 256, TargetDevice → "GPU",
          TrainingProgressCheckpointing → {"Directory", dir}]
```

Out[•]= NetChain[]


```
netECA17 = Import["netECA17-r200.wlnet"]
```

Generate test data for Network XVII (200 epochs)

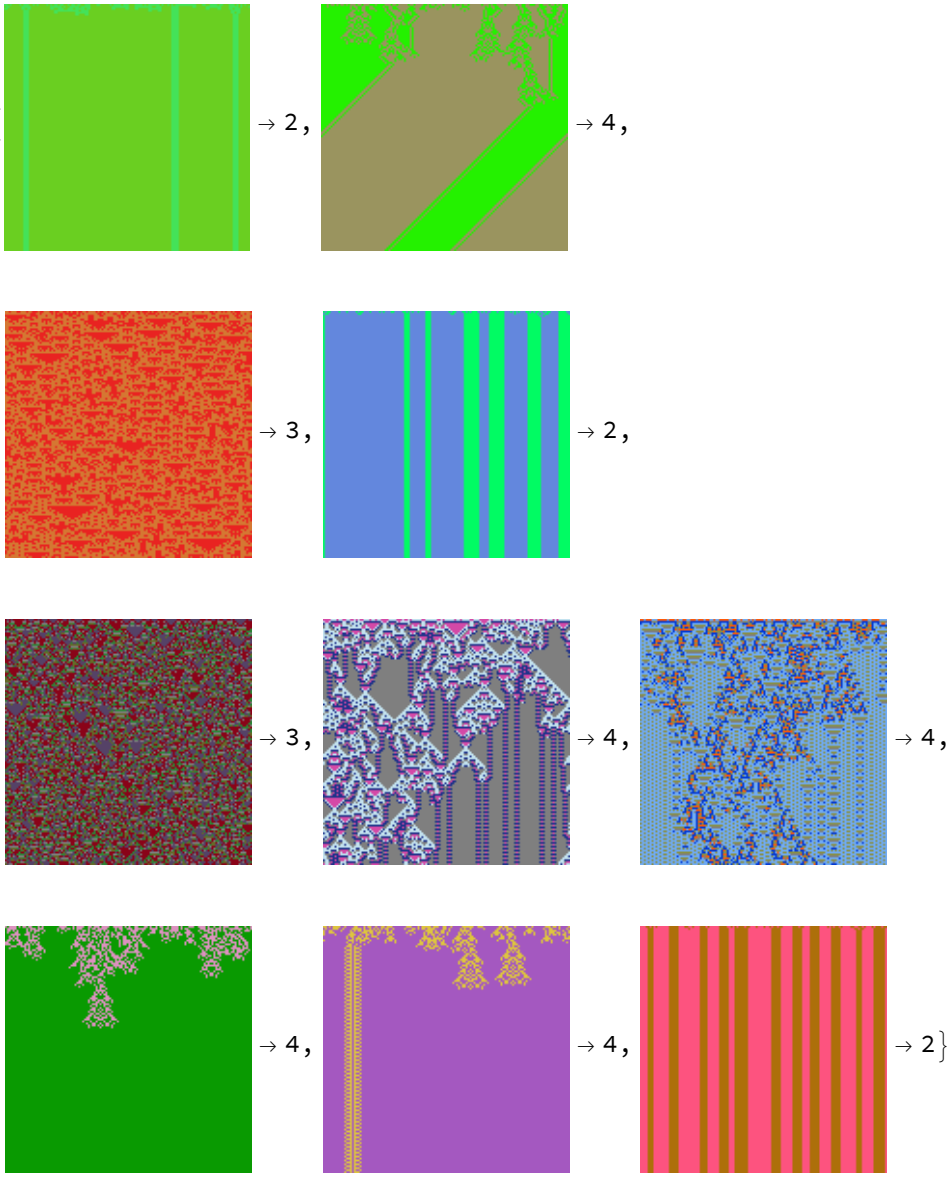
```
In[•]:= dir = SetDirectory[NotebookDirectory[]]
Out[•]= /Users/thorsilver/Downloads/Wolfram notebooks

netECA17 = Import["netECA17-r200.wlnet"]
```

Out[•]= NetChain[]


```
In[•]:= testDataECABigC = dataC[128, 128, 1024];
        testData2TBigC = genData2r2C[128, 128, 1024];
        testData3TBigC = data3T2C[128, 128, 1024];
        testData4TBigC = data4TC[128, 128, 1024];
        testData5TBigC = genData5TCC[128, 128, 1024];
        fullTestSetBigC = Join[testDataECABigC,
           testData2TBigC, testData3TBigC, testData4TBigC, testData5TBigC];
        Length[fullTestSetBigC]
Out[•]= 10 240
```

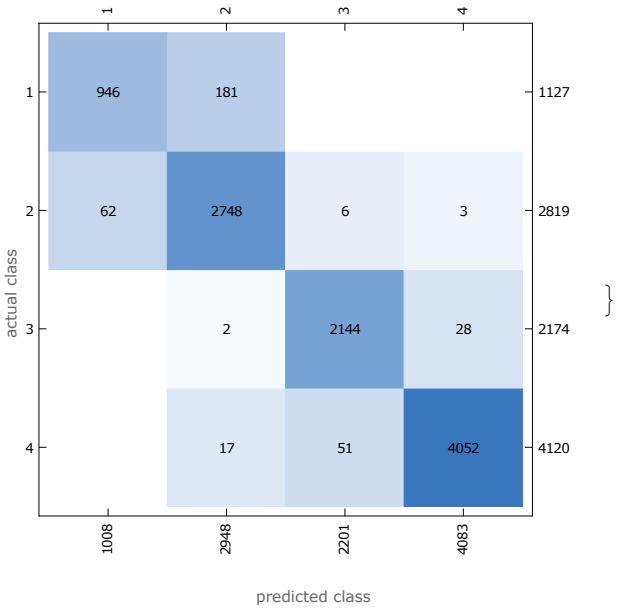
In[•]:= `RandomSample[fullTestSetBigC, 10]`

Out[•]=



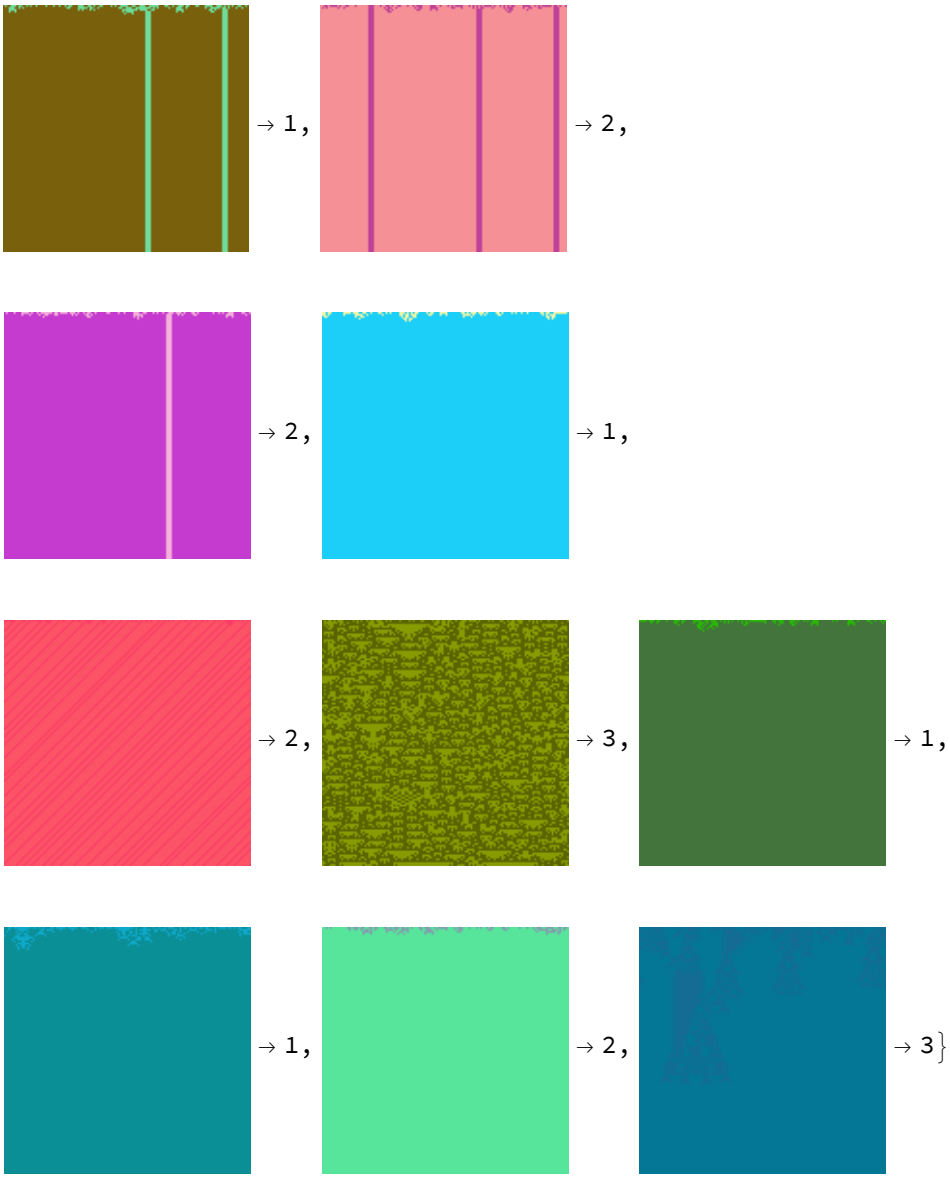
In[]:=
```
NetMeasurements[netECA17, fullTestSetBigC,
 {"Accuracy", "Precision", "ConfusionMatrixPlot"}]
```

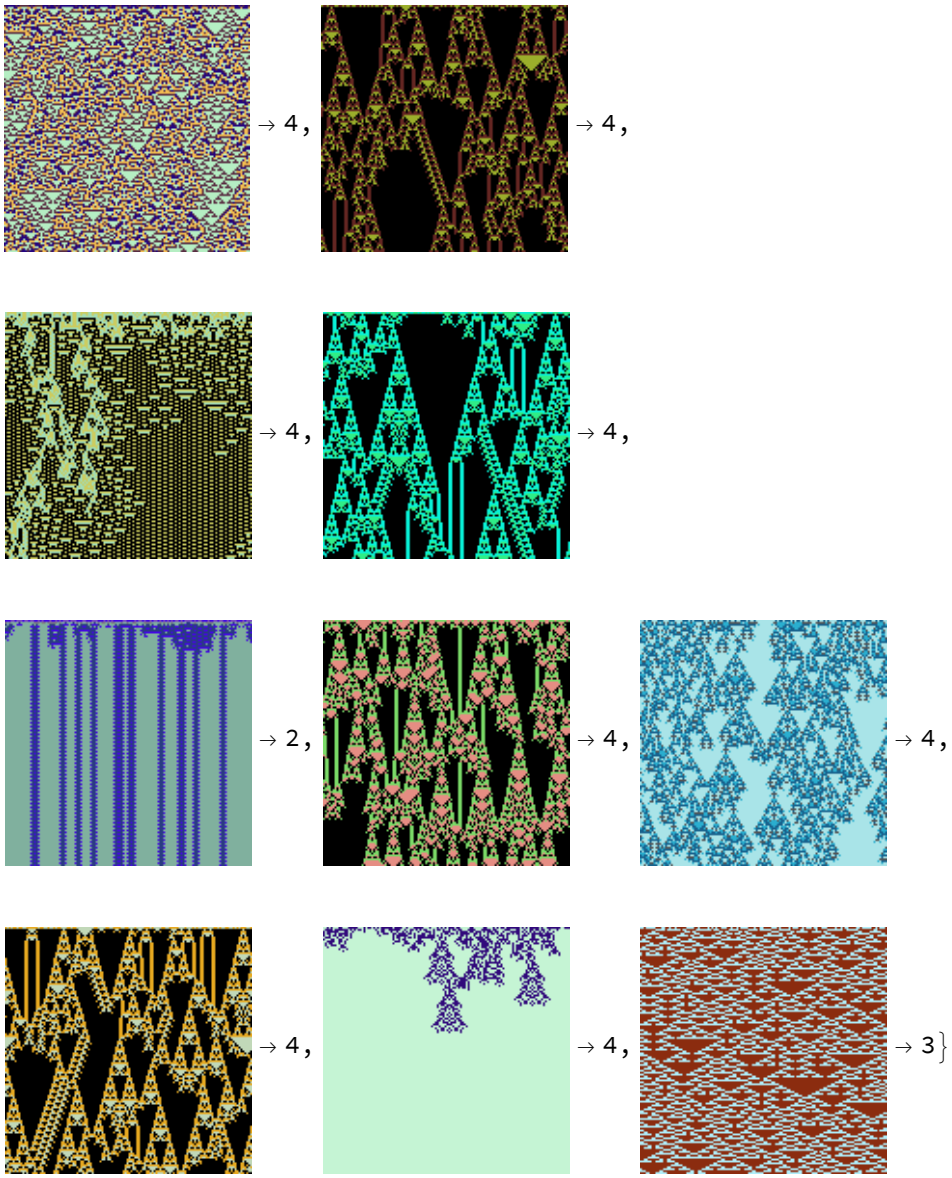
Out[]=
```
{0.96582, ⟨|1 → 0.938492, 2 → 0.932157, 3 → 0.974103, 4 → 0.992408|⟩,
```



In[]:=
```
entropyImagesBigC = RandomSample[Keys[fullTestSetBigC], 500];
entropiesBigC = netECA17[entropyImagesBigC, "Entropy"];
highEntBigC = entropyImagesBigC[[Ordering[entropiesBigC, -10]]];
lowEntBigC = entropyImagesBigC[[Ordering[entropiesBigC, 10]]];
Thread[highEntBigC → netECA17[highEntBigC]]
Thread[lowEntBigC → netECA17[lowEntBigC]]
```

Out[ ]=

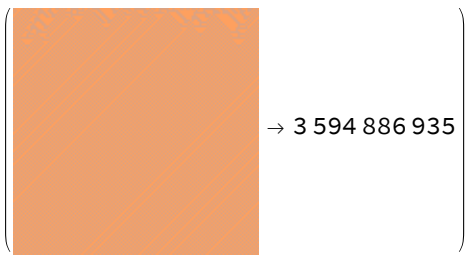


Out[•]= 

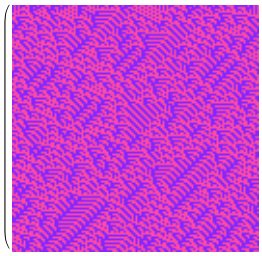
Testing Network XVII (200 epochs) on unseen CA rule spaces

2-colour non-totalistic, range 2

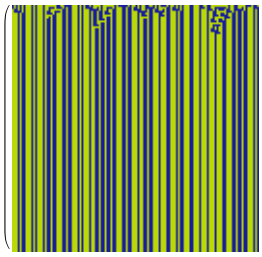
In[•]:=
```
test4Data2kr2C17 = datak2r2C[128, 128, 8];
Thread[
 test4Data2kr2C17 → netECA17[Keys@test4Data2kr2C17, {"TopProbabilities", 2}]]
```

Out[•]=  → 3 594 886 935 → {3 → 1.19587 × 10^-7, 2 → 1.},

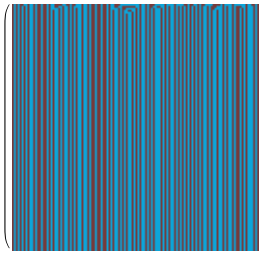
→ 4 012 014 789 → {4 → 0.00317589, 3 → 0.996824},



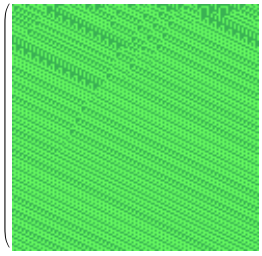
→ 736 342 145 → {4 → 0.000138652, 3 → 0.999861},



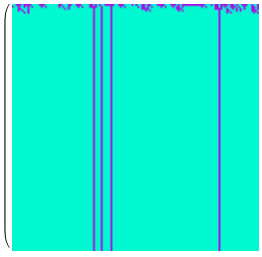
→ 3 597 938 931 → $\{4 \to 5.42024 \times 10^{-16}, 2 \to 1.\}$,



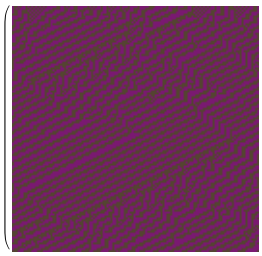
→ 49 406 137 → $\{1 \to 4.03179 \times 10^{-30}, 2 \to 1.\}$,



→ 669 500 034 → {4 → 0.0129747, 2 → 0.983657},



→ 4 122 605 661 → $\{1 \to 6.18382 \times 10^{-9}, 2 \to 1.\}$,

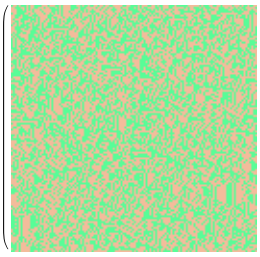


→ 2 751 618 302 → {4 → 5.91412 × 10^-9, 3 → 1.}}

2-colour non-totalistic, range 3

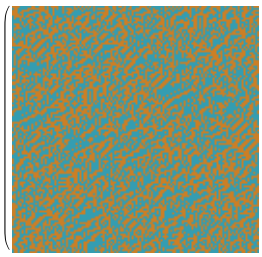
In[•]:=
```
test4Data2kr3C17 = datak2r3NT[128, 128, 8];
Thread[
 test4Data2kr3C17 → netECA17[Keys@test4Data2kr3C17, {"TopProbabilities", 2}]]
```

Out[•]=

{ 

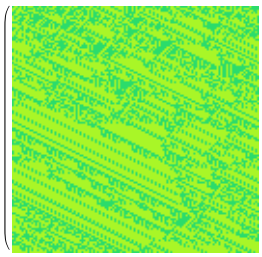
→ 34 540 309 799 423 528 179 267 302 306 223 835 543 →

{4 → 0.0000190167, 3 → 0.999981},



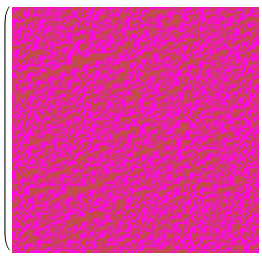
→ 271 913 994 962 168 934 532 188 611 494 783 284 369 →

{4 → 8.79258 × 10^-15, 3 → 1.},



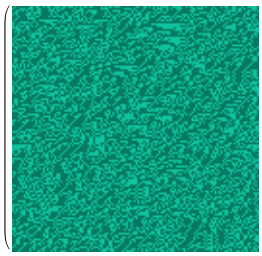
→ 328 899 203 265 424 040 719 063 648 351 222 904 052 →

{3 → 0.000609094, 4 → 0.999391},



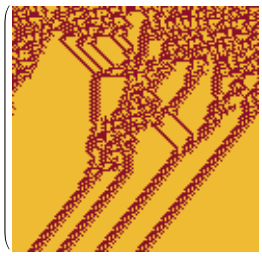
→ 193 952 196 319 600 964 880 345 641 761 505 849 023 →

$\{4 \to 8.96571 \times 10^{-10}, 3 \to 1.\}$,



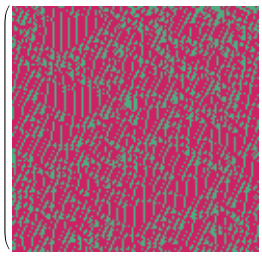
→ 196 656 308 173 162 097 107 061 836 715 379 270 739 →

$\{4 \to 3.36397 \times 10^{-6}, 3 \to 0.999997\}$,



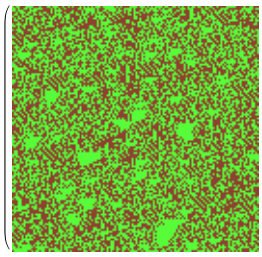
→ 26 038 517 878 084 050 104 120 010 197 636 533 172 →

$\{3 \to 5.4757 \times 10^{-7}, 4 \to 0.999999\}$,



→ 252 109 815 601 340 225 609 723 212 759 419 626 786 →

$\{4 \to 1.35911 \times 10^{-8}, 3 \to 1.\}$,



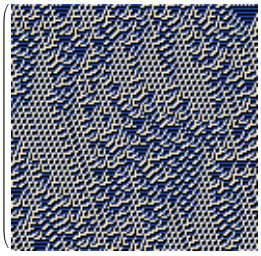
→ 306 252 930 975 464 521 922 673 887 271 988 404 115 →

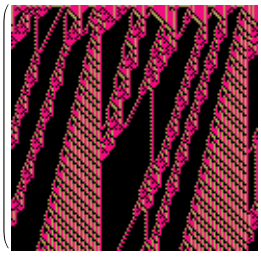
$\{4 \to 5.68649 \times 10^{-7}, 3 \to 0.999999\}\}$

3-colour non-totalistic, range 1

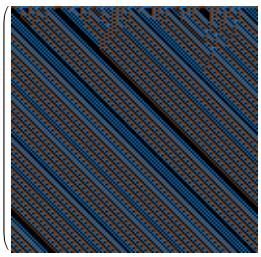
In[•]:=
```
test4Data3kr1C17 = datak3r1NT[128, 128, 8];
Thread[
 test4Data3kr1C17 → netECA17[Keys@test4Data3kr1C17, {"TopProbabilities", 2}]]
```

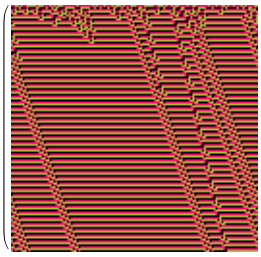
Out[•]= {  → 1 924 646 489 567 | → {3 → 1.76606 × 10^-30, 2 → 1.},

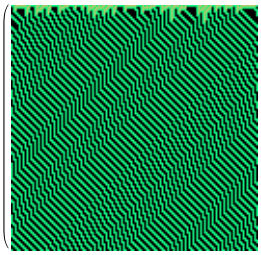
 → 3 672 534 501 071 | → {2 → 0.0000110699, 4 → 0.999989},

 → 5 833 330 297 781 | → {2 → 0.000232935, 4 → 0.999767},

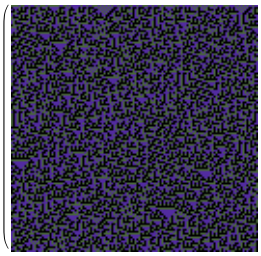
 → 7 606 192 973 798 | → {2 → 6.802 × 10^-10, 1 → 1.},

 → 7 622 301 560 954 | → {3 → 0.0391643, 2 → 0.960836},

 → 3 685 910 174 297 | → {3 → 2.7602 × 10^-8, 4 → 1.},



→ 5 743 838 876 456 → {1 → 6.15406 × 10^-23, 2 → 1.},

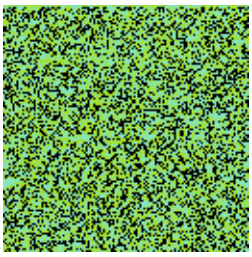


→ 3 655 040 152 191 → {4 → 0.0374305, 3 → 0.962569}}

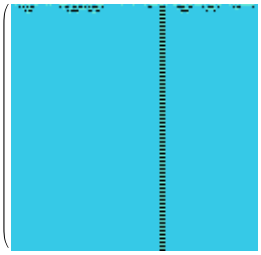
3-colour totalistic, range 2

In[•]:=
```
test4Data3kr2C17 = datak3r2C[128, 128, 8];
Thread[
 test4Data3kr2C17 → netECA17[Keys@test4Data3kr2C17, {"TopProbabilities", 2}]]
```

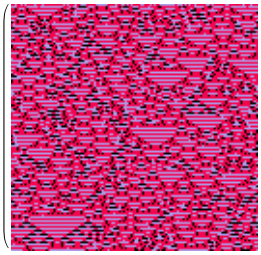
Out[•]=



→ 43 149 → {4 → 1.6989 × 10^-8, 3 → 1.},



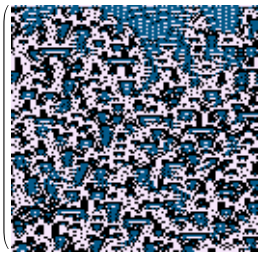
→ 160 434 → {1 → 2.05354 × 10^-18, 2 → 1.},



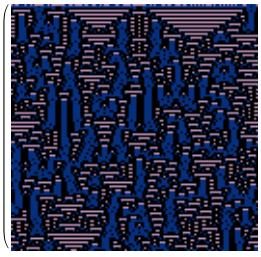
→ 9535 → {3 → 0.0000598239, 4 → 0.99994},

→ 172 239 → {1 → 0.00705153, 2 → 0.992948},

→ 174 680 → $\{2 \to 5.824 \times 10^{-11}, 1 \to 1.\}$,



→ 55 945 → {4 → 0.0138349, 3 → 0.986165},



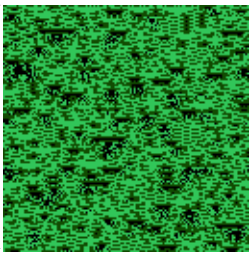
→ 113 483 → $\{4 \to 3.72822 \times 10^{-6}, 3 \to 0.999996\}$,

→ 67 810 → $\{1 \to 6.91386 \times 10^{-17}, 2 \to 1.\}\}$

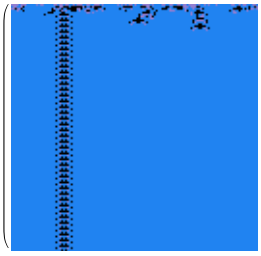
3-colour totalistic, range 3

In[•]:=
```
test4Data3kr3C17 = datak3r3C[128, 128, 8];
Thread[
 test4Data3kr3C17 → netECA17[Keys@test4Data3kr3C17, {"TopProbabilities", 2}]]
```

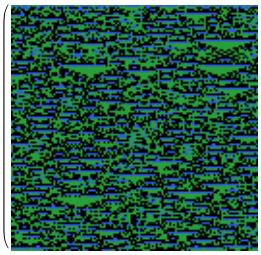
Out[•]= {



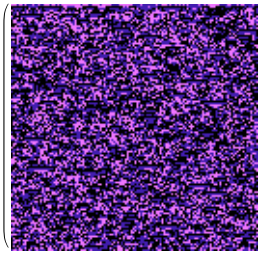
→ 3 046 610 → {4 → 7.58312 × 10^-7, 3 → 0.999999},



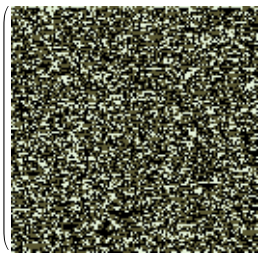
→ 7 801 434 → {1 → 1.19167 × 10^-14, 2 → 1.},



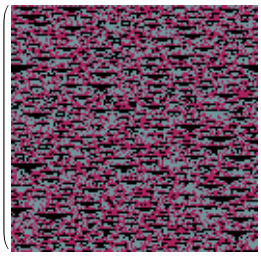
→ 5 445 843 → {4 → 1.60992 × 10^-19, 3 → 1.},



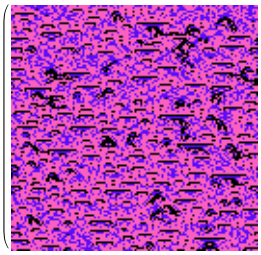
→ 1 451 413 → {4 → 0.144413, 3 → 0.855587},



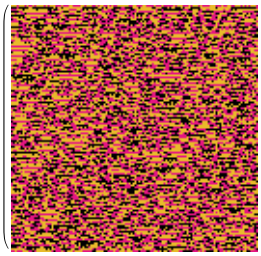
→ 10 676 790 → {3 → 0.0738921, 4 → 0.926108},



→ 10 375 449 → {4 → 1.04031 × 10^-17, 3 → 1.},



→ 5 181 761 → {4 → 1.75908 × 10^-8, 3 → 1.},

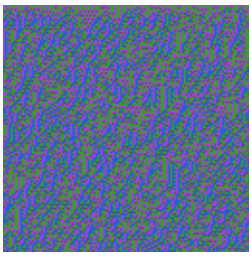


→ 8 884 285 → {4 → 7.91486 × 10^-6, 3 → 0.999992}}

4-colour non-totalistic, range 1

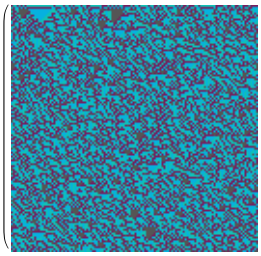
In[•]:=
```
test4Data4kr1C17 = datak4r1NT[128, 128, 8];
Thread[
 test4Data4kr1C17 → netECA17[Keys@test4Data4kr1C17, {"TopProbabilities", 2}]]
```

Out[•]=

{ 

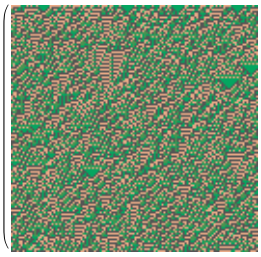
→ 255 219 118 556 246 495 764 448 982 135 818 252 673 →

{3 → 2.62807 × 10^-6, 4 → 0.999997},



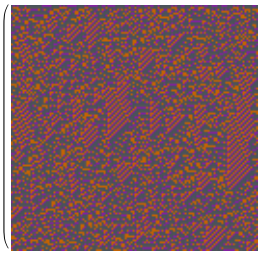
→ 256 372 744 774 750 994 462 308 116 064 689 670 029 →

{4 → 1.66442 × 10^-17, 3 → 1.},



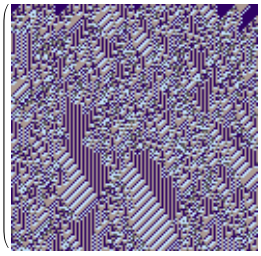
→ 287 015 413 736 003 568 798 718 608 141 279 906 438 →

$\{4 \to 2.56385 \times 10^{-7}, 3 \to 1.\}$,



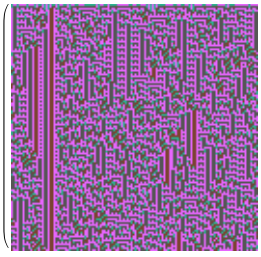
$\to 102\,047\,809\,483\,228\,794\,436\,919\,245\,364\,544\,665\,433 \to$

$\{4 \to 0.000696463, 3 \to 0.999304\}$,



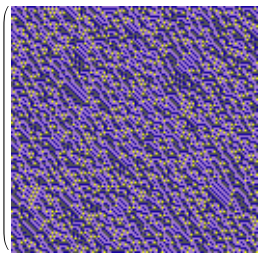
$\to 240\,555\,046\,861\,732\,528\,519\,285\,194\,385\,835\,154\,772 \to$

$\{4 \to 3.62136 \times 10^{-16}, 3 \to 1.\}$,



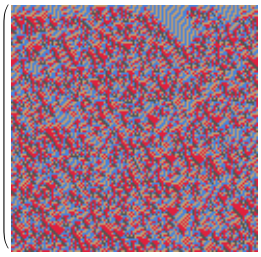
$\to 16\,370\,468\,900\,338\,540\,956\,022\,703\,184\,589\,781\,262 \to$

$\{3 \to 1.45252 \times 10^{-15}, 4 \to 1.\}$,



$\to 121\,099\,422\,536\,966\,135\,180\,998\,722\,819\,969\,755\,137 \to$

$\{4 \to 0.0000270873, 3 \to 0.999973\}$,



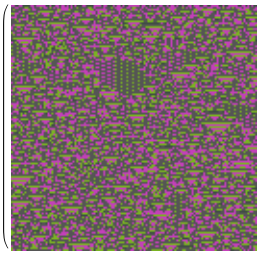
$\to 264\,867\,193\,286\,423\,906\,380\,401\,526\,070\,744\,380\,919 \to$

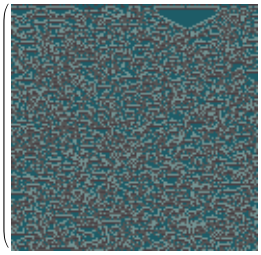
$\{4 \to 0.105214, 3 \to 0.894786\}\}$

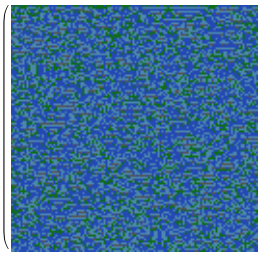
4-colour totalistic, range 2

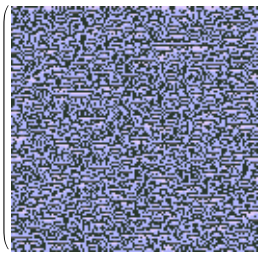
In[•]:=
```
test4Data4kr2C17 = datak4r2C[128, 128, 8];
Thread[
 test4Data4kr2C17 → netECA17[Keys@test4Data4kr2C17, {"TopProbabilities", 2}]]
```

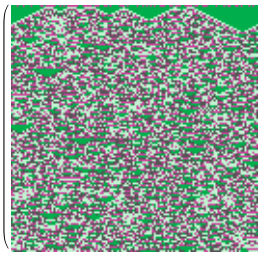
Out[•]=

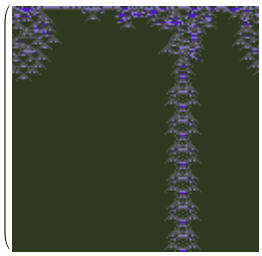

→ 616 082 315 → {4 → 8.8653 × 10^-10, 3 → 1.},


→ 1 568 191 428 → {4 → 5.21264 × 10^-11, 3 → 1.},

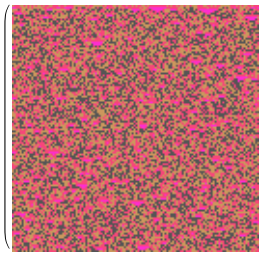

→ 1 216 110 065 → {4 → 0.000040346, 3 → 0.99996},


→ 2 419 903 949 → {4 → 3.69897 × 10^-10, 3 → 1.},

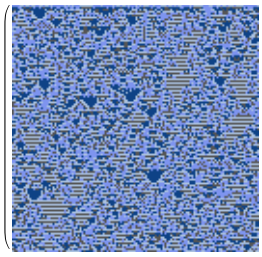

→ 453 961 055 → {4 → 3.89961 × 10^-8, 3 → 1.},



→ 3 969 029 930 → {2 → 0.0000237283, 4 → 0.999976},



→ 3 970 208 335 → {4 → 4.03487 × 10^-9, 3 → 1.},

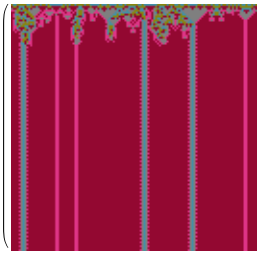


→ 3 418 384 250 → {4 → 9.0126 × 10^-15, 3 → 1.}}

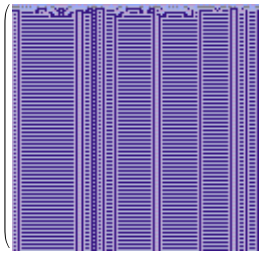
5-colour totalistic, range 1

In[•]:=
```
test4Data5kr1C17 = data5T2C[8, 128, 128];
Thread[
 test4Data5kr1C17 → netECA17[Keys@test4Data5kr1C17, {"TopProbabilities", 2}]]
```

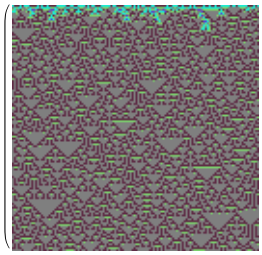
Out[•]=



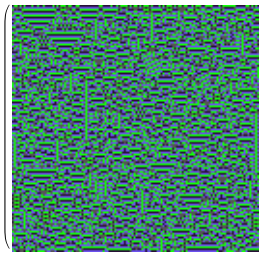
→ 720 503 516 → {2 → 0.000105936, 4 → 0.999894},



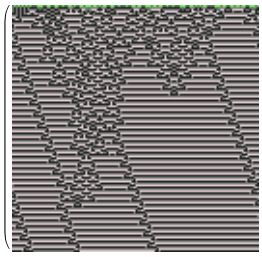
→ 771 013 684 → {4 → 1.94282 × 10^-8, 2 → 1.},



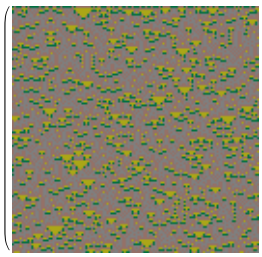
$\to 543\,872\,434 \Big| \to \left\{4 \to 6.11423 \times 10^{-7},\ 3 \to 0.999999\right\},$



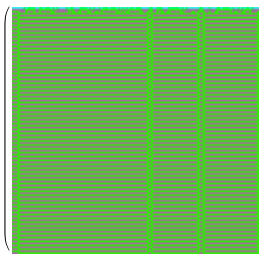
$\to 341\,908\,586 \Big| \to \{4 \to 0.310854,\ 3 \to 0.689146\},$



$\to 664\,036\,861 \Big| \to \{2 \to 0.00511847,\ 4 \to 0.994882\},$



$\to 1\,182\,110\,899 \Big| \to \{4 \to 0.039023,\ 3 \to 0.960977\},$



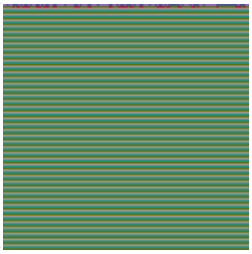
$\to 976\,082\,949 \Big| \to \left\{4 \to 9.09593 \times 10^{-19},\ 2 \to 1.\right\},$

$\to 1\,019\,517\,181 \Big| \to \left\{1 \to 6.47917 \times 10^{-10},\ 2 \to 1.\right\}\}$

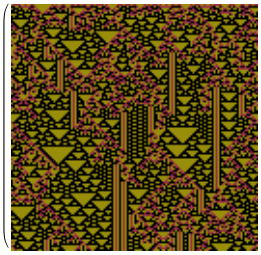
6-colour totalistic, range 1

```
In[•]:= test4Data6kr1C17 = data6TC[8, 128, 128];
        Thread[
         test4Data6kr1C17 → netECA17[Keys@test4Data6kr1C17, {"TopProbabilities", 2}]]
```

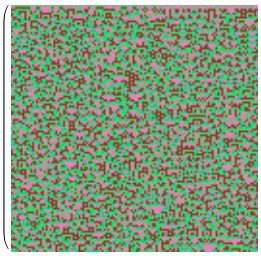
Out[•]=



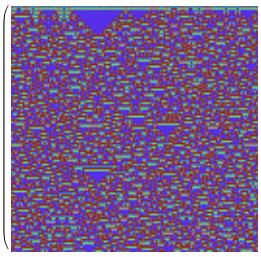
→ 1 128 957 409 115 → {2 → 0.387573, 1 → 0.612427},



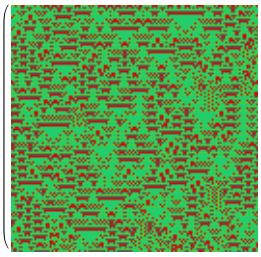
→ 744 151 919 694 → $\{3 \to 1.28454 \times 10^{-11}, 4 \to 1.\}$,



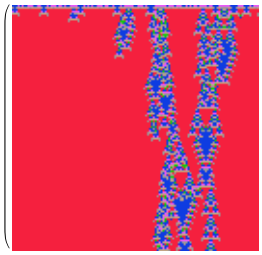
→ 411 482 269 593 → $\{4 \to 9.50671 \times 10^{-6}, 3 \to 0.99999\}$,



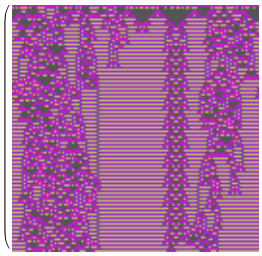
→ 2 122 826 252 429 → $\{4 \to 4.58698 \times 10^{-10}, 3 \to 1.\}$,



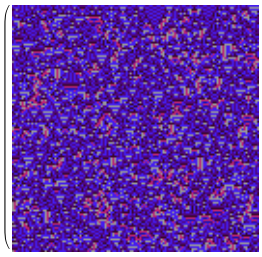
→ 2 443 710 325 124 → $\{4 \to 5.97811 \times 10^{-9}, 3 \to 1.\}$,



→ 2 519 595 515 832 → {2 → 0.396179, 4 → 0.603821},



→ 572 558 234 379 → $\{4 \to 1.63969 \times 10^{-11}, 3 \to 1.\}$,

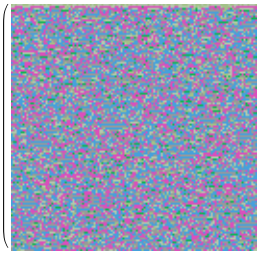


→ 2 103 617 145 248 → $\{3 \to 8.41391 \times 10^{-9}, 4 \to 1.\}\}$

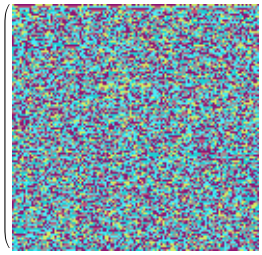
6-colour totalistic, range 2

In[•]:=
```
test4Data6kr2C17 = data6T2C[8, 128, 128];
Thread[
 test4Data6kr2C17 → netECA17[Keys@test4Data6kr2C17, {"TopProbabilities", 2}]]
```

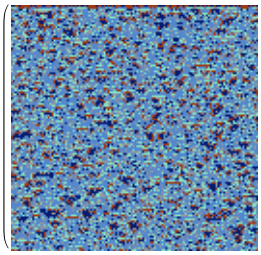
Out[•]=



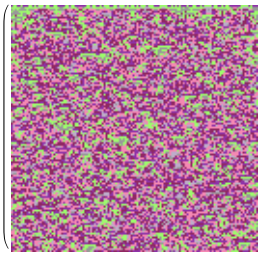
→ 56 518 611 906 036 513 420 → {4 → 0.00132297, 3 → 0.998677},



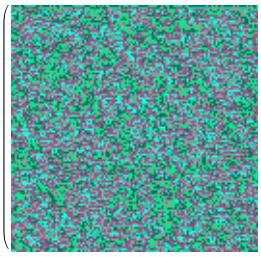
→ 149 111 145 742 470 978 404 → {4 → 0.00110016, 3 → 0.9989},



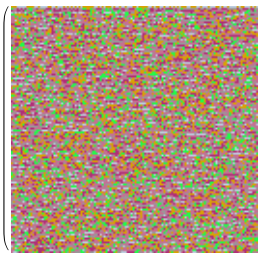
$\to 60\,075\,298\,400\,874\,491\,559 \Big| \to \{4 \to 0.0000816385, 3 \to 0.999918\},$



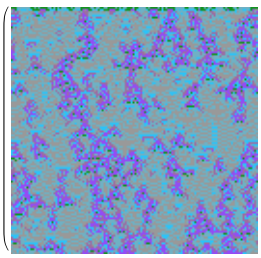
$\to 61\,137\,219\,885\,741\,406\,688 \Big| \to \{4 \to 6.01526 \times 10^{-9}, 3 \to 1.\},$



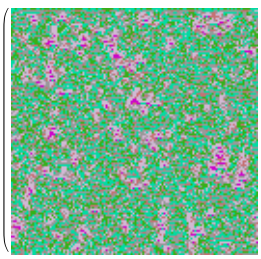
$\to 138\,083\,937\,800\,052\,503\,915 \Big| \to \{4 \to 1.63338 \times 10^{-6}, 3 \to 0.999998\},$



$\to 102\,848\,890\,668\,267\,918\,696 \Big| \to \{4 \to 4.51684 \times 10^{-8}, 3 \to 1.\},$



$\to 52\,002\,759\,529\,482\,240\,344 \Big| \to \{4 \to 0.0161382, 3 \to 0.983862\},$

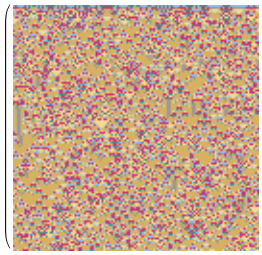


$\to 3\,771\,326\,190\,903\,203\,597 \Big| \to \{4 \to 1.57635 \times 10^{-10}, 3 \to 1.\}\}$

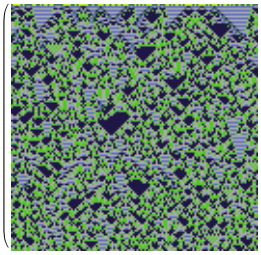
7-colour totalistic, range 1

In[•]:=
```
test4Data7kr1C17 = data7TC[8, 128, 128];
Thread[
 test4Data7kr1C17 → netECA17[Keys@test4Data7kr1C17, {"TopProbabilities", 2}]]
```

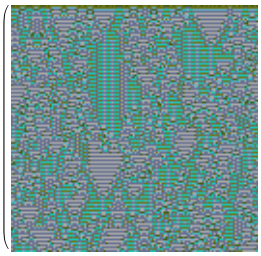
Out[•]=



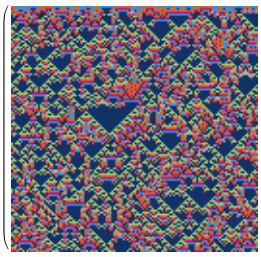
→ 249 739 897 876 317 → {4 → 7.58753 × 10^-13, 3 → 1.},



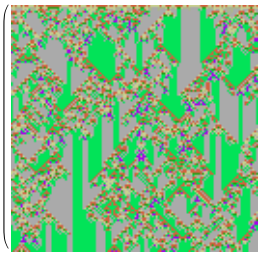
→ 6 589 873 174 284 234 → {4 → 3.70203 × 10^-21, 3 → 1.},



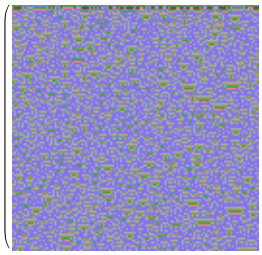
→ 2 838 251 451 633 386 → {3 → 0.0000362001, 4 → 0.999964},



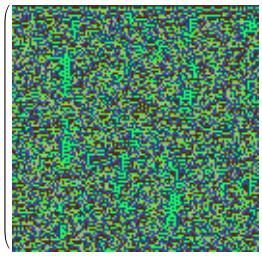
→ 3 069 021 856 393 877 → {4 → 4.6982 × 10^-6, 3 → 0.999995},



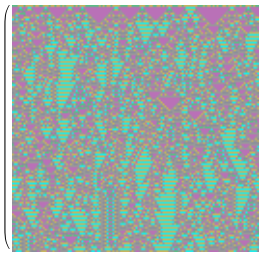
→ 10 282 712 720 317 214 → {3 → 4.14045 × 10^-19, 4 → 1.},



→ 203 015 413 423 084 → {4 → 2.87431 × 10^-9, 3 → 1.},



→ 9 746 864 148 555 591 → {3 → 1.53822 × 10^-7, 4 → 1.},

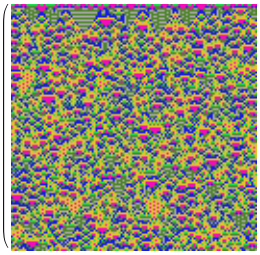


→ 8 003 062 538 664 128 → {3 → 2.05185 × 10^-8, 4 → 1.}}

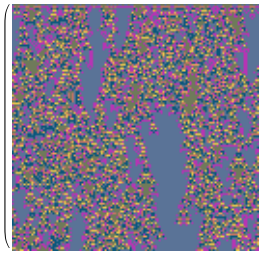
8-colour totalistic, range 1

In[•]:=
```
test4Data8kr1C17 = data8TC[8, 128, 128];
Thread[
 test4Data8kr1C17 → netECA17[Keys@test4Data8kr1C17, {"TopProbabilities", 2}]]
```

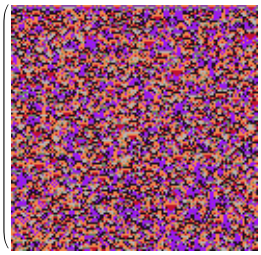
Out[•]=



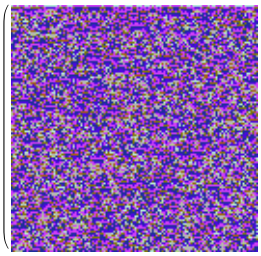
{→ 10 266 196 594 935 096 075 → {4 → 8.5791 × 10^-18, 3 → 1.},



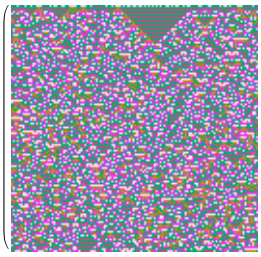
→ 731 338 973 990 773 560 → {2 → 7.53019 × 10^-12, 4 → 1.},



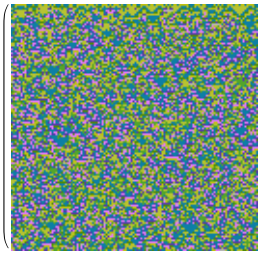
→ 11 247 173 012 174 218 620 → {4 → 0.0000380778, 3 → 0.999962},



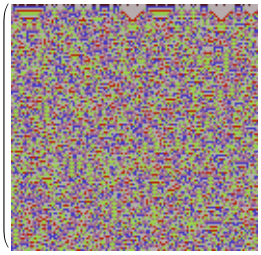
→ 63 742 472 032 617 219 918 → {4 → 0.0000371126, 3 → 0.999963},



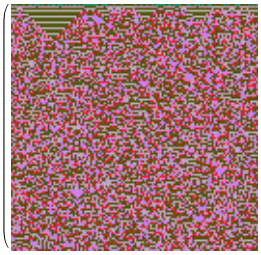
→ 7 382 455 380 800 363 015 → $\{4 \to 8.07468 \times 10^{-15}, 3 \to 1.\}$,



→ 59 100 651 667 569 734 000 → $\{4 \to 1.27228 \times 10^{-11}, 3 \to 1.\}$,



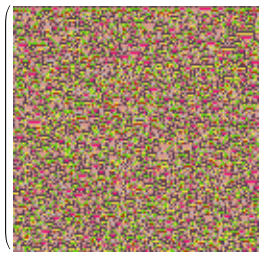
→ 24 971 306 247 396 766 335 → {4 → 0.0333734, 3 → 0.966627},



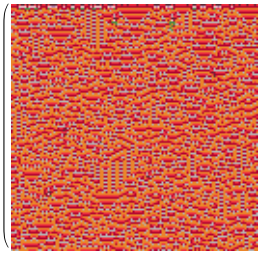
→ 45 946 581 080 593 555 746 → $\{4 \to 1.08598 \times 10^{-15}, 3 \to 1.\}\}$

```
In[•]:= test4Data8kr1C17 = data8TC[8, 128, 128];
        Thread[
         test4Data8kr1C17 → netECA17[Keys@test4Data8kr1C17, {"TopProbabilities", 2}]]
```

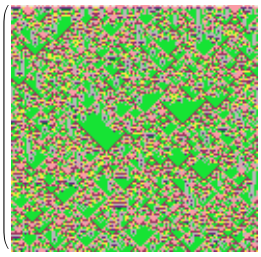
Out[•]=



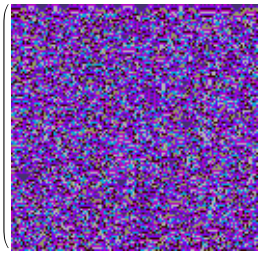
→ 14 955 350 598 586 141 683 → {4 → 1.70104 × 10^-7, 3 → 1.},



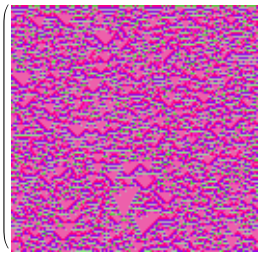
→ 30 727 455 169 449 395 964 → {4 → 4.31945 × 10^-11, 3 → 1.},



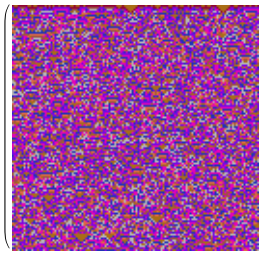
→ 42 490 152 676 883 207 115 → {3 → 0.0000793636, 4 → 0.999921},



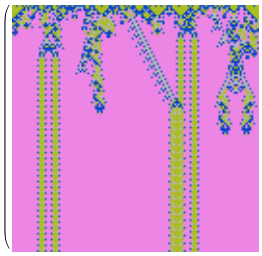
→ 18 395 296 261 071 222 192 → {4 → 0.0142026, 3 → 0.985797},



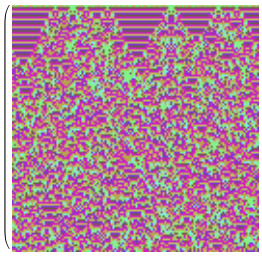
→ 22 317 090 484 634 250 431 → {3 → 0.00783339, 4 → 0.992167},



→ 33 329 414 465 629 594 174 → {4 → 0.00851294, 3 → 0.991487},



→ 68 439 232 681 205 604 962 → {2 → 1.97568 × 10^-13, 4 → 1.},



→ 53 049 830 479 062 864 751 → {4 → 3.6815 × 10^-10, 3 → 1.}}

Network XVIII- Four convolutions, dropout on linear only, BatchNorm

In[ ]:= **netECA18 = netTenCC1024drop[128, 128]**

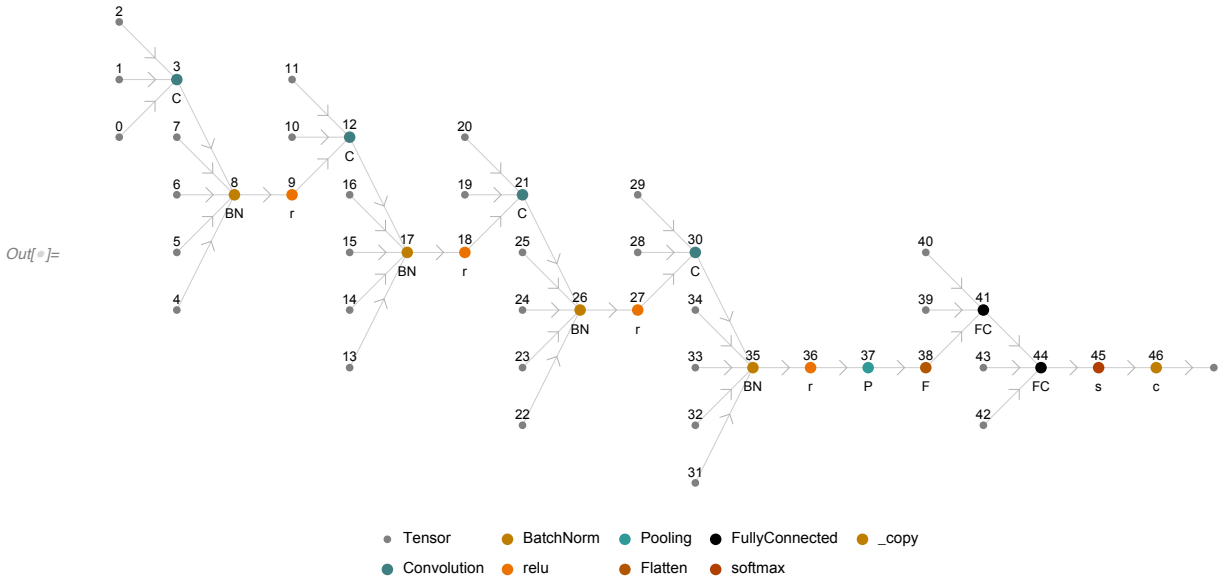
Out[ ]= NetChain[

	Input	image array (size: 3 × 128 × 128)
conv1	ConvolutionLayer	array (size: 24 × 126 × 126)
bat1	BatchNormalizationLayer	array (size: 24 × 126 × 126)
ramp1	Ramp	array (size: 24 × 126 × 126)
conv2	ConvolutionLayer	array (size: 24 × 124 × 124)
bat2	BatchNormalizationLayer	array (size: 24 × 124 × 124)
ramp2	Ramp	array (size: 24 × 124 × 124)
conv3	ConvolutionLayer	array (size: 24 × 122 × 122)
bat3	BatchNormalizationLayer	array (size: 24 × 122 × 122)
ramp3	Ramp	array (size: 24 × 122 × 122)
conv4	ConvolutionLayer	array (size: 24 × 120 × 120)
bat4	BatchNormalizationLayer	array (size: 24 × 120 × 120)
ramp4	Ramp	array (size: 24 × 120 × 120)
pooling	PoolingLayer	array (size: 24 × 5 × 5)
flatten	FlattenLayer	vector (size: 600)
linear	LinearLayer	vector (size: 1024)
drop2	DropoutLayer	vector (size: 1024)
linear2	LinearLayer	vector (size: 4)
softmax	SoftmaxLayer	vector (size: 4)
	Output	class

]

In[•]:=
```
NetInformation[netECA18, "MXNetNodeGraphPlot"]
```

Out[•]=



In[526]:=
```
NetInformation[netECA18, "SummaryGraphic"]
```

Out[526]=

In[•]:=
```
dataECA18 = dataC[128, 128, 16 384];
```

In[•]:=
```
dataTotalistic2BigC18 = genData2r2C[128, 128, 4096];
```

In[•]:=
```
dataTotalistic3BigC18 = data3T2C[128, 128, 4096];
```

In[•]:=
```
dataTotalistic4BigC18 = data4TC[128, 128, 4096];
```

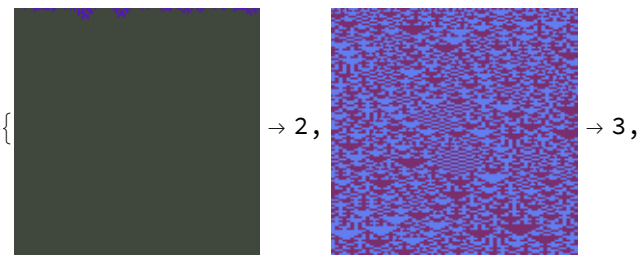
In[•]:=
```
dataTotalistic5BigC18 = genData5TCC[128, 128, 16 384];
```

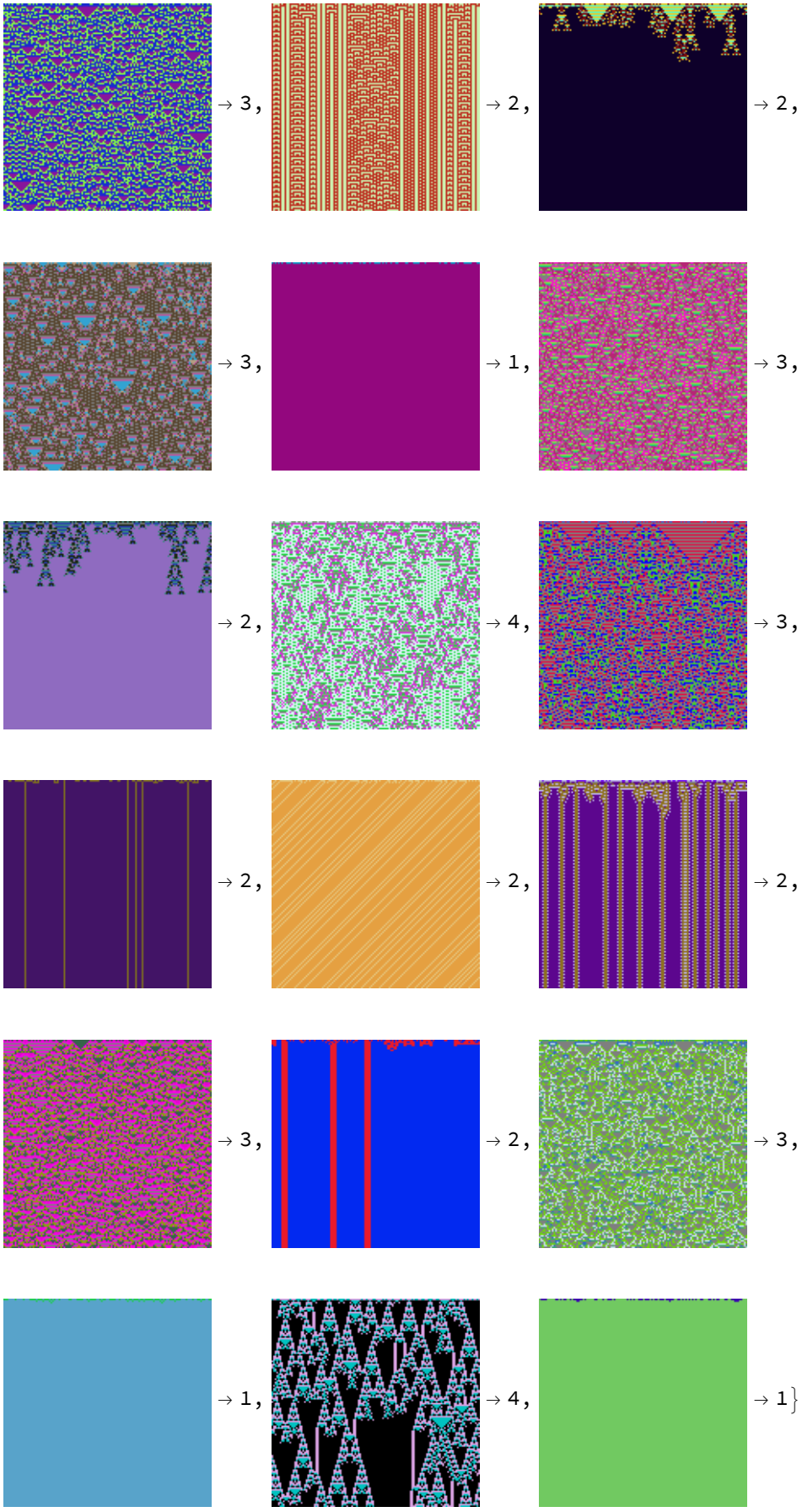
In[•]:=
```
fullTrainingBigC18 = Join[dataECA18, dataTotalistic2BigC18,
   dataTotalistic3BigC18, dataTotalistic4BigC18, dataTotalistic5BigC18];
Length[fullTrainingBigC18]
```

Out[•]=
```
90 112
```

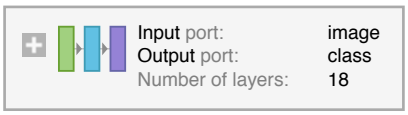
In[•]:=
```
RandomSample[fullTrainingBigC18, 20]
```

Out[•]=



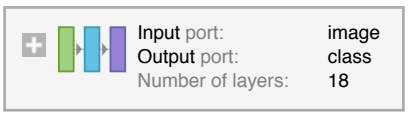

→ 3,
→ 2,
→ 2,
→ 3,
→ 1,
→ 3,
→ 2,
→ 4,
→ 3,
→ 2,
→ 2,
→ 2,
→ 3,
→ 2,
→ 3,
→ 1,
→ 4,
→ 1}

```
In[ ]:= dir = SetDirectory[NotebookDirectory[]]
Out[ ]= /home/esilverman/Documents

In[ ]:= "/home/esilverman/Documents"
Out[ ]= /home/esilverman/Documents

In[ ]:= netECA18 = NetTrain[netECA18, fullTrainingBigC18,
          MaxTrainingRounds → 200, BatchSize → 256, TargetDevice → "GPU",
          TrainingProgressCheckpointing → {"Directory", dir}]
```

Out[ ]= NetChain[

]

```
In[ ]:= netECA18 = Import["netECA18-r200.wlnet"]
```

Out[ ]= NetChain[

]

Generate test data for Network XVII (200 epochs)

```
In[ ]:= dir = SetDirectory[NotebookDirectory[]]
Out[ ]= /Users/thorsilver/Downloads/Wolfram notebooks

In[180]:= netECA18 = Import["netECA18-r200.wlnet"]
```

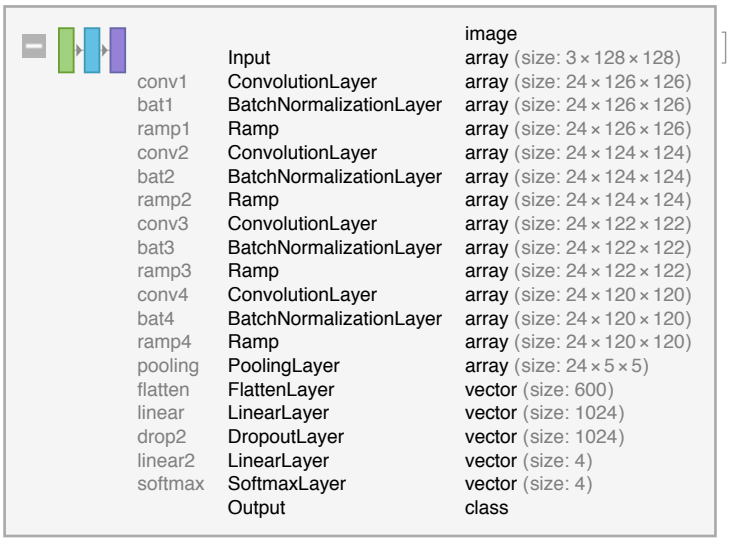
Out[180]= NetChain[

		image
	Input	array (size: 3 × 128 × 128)
conv1	ConvolutionLayer	array (size: 24 × 126 × 126)
bat1	BatchNormalizationLayer	array (size: 24 × 126 × 126)
ramp1	Ramp	array (size: 24 × 126 × 126)
conv2	ConvolutionLayer	array (size: 24 × 124 × 124)
bat2	BatchNormalizationLayer	array (size: 24 × 124 × 124)
ramp2	Ramp	array (size: 24 × 124 × 124)
conv3	ConvolutionLayer	array (size: 24 × 122 × 122)
bat3	BatchNormalizationLayer	array (size: 24 × 122 × 122)
ramp3	Ramp	array (size: 24 × 122 × 122)
conv4	ConvolutionLayer	array (size: 24 × 120 × 120)
bat4	BatchNormalizationLayer	array (size: 24 × 120 × 120)
ramp4	Ramp	array (size: 24 × 120 × 120)
pooling	PoolingLayer	array (size: 24 × 5 × 5)
flatten	FlattenLayer	vector (size: 600)
linear	LinearLayer	vector (size: 1024)
drop2	DropoutLayer	vector (size: 1024)
linear2	LinearLayer	vector (size: 4)
softmax	SoftmaxLayer	vector (size: 4)
	Output	class

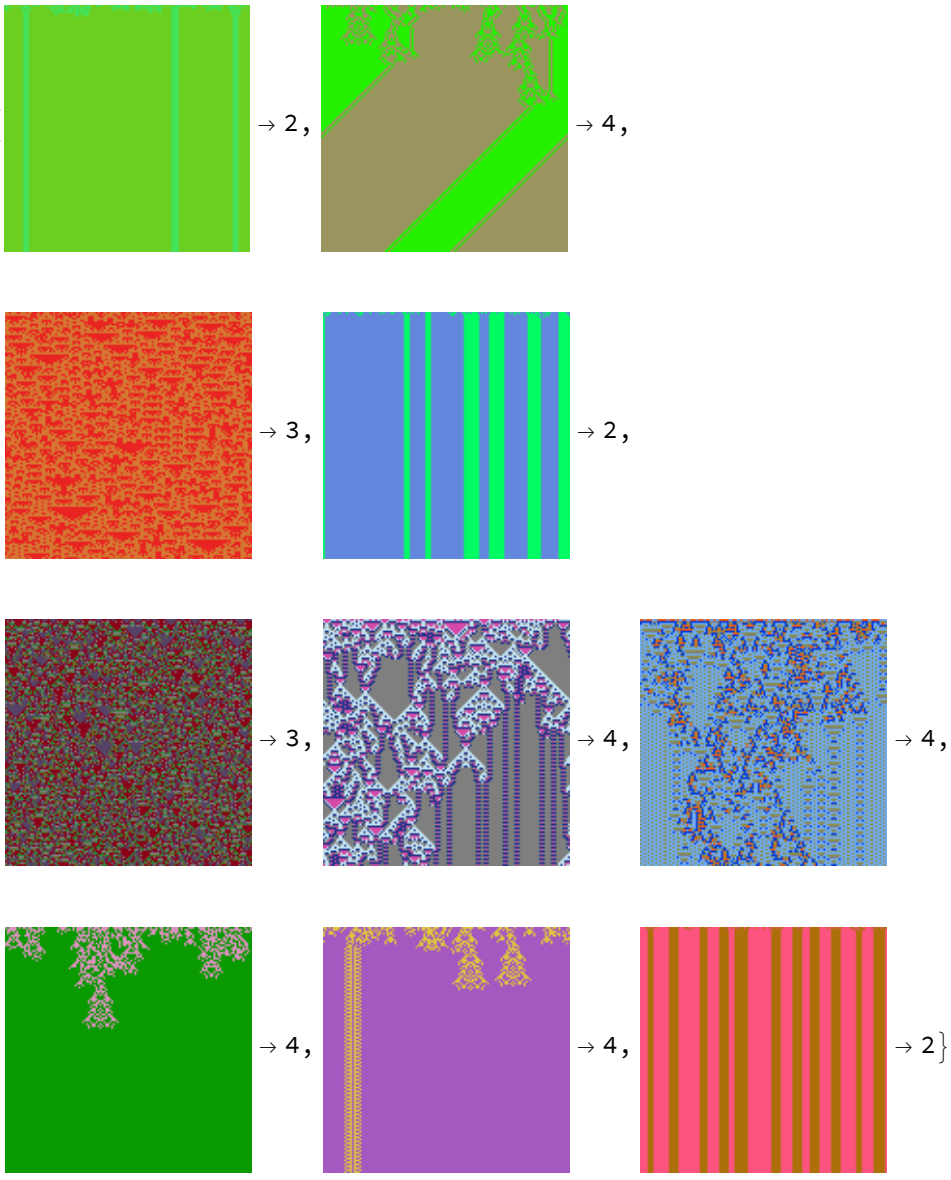
]

In[•]:=
```
testDataECABigC = dataC[128, 128, 1024];
testData2TBigC = genData2r2C[128, 128, 1024];
testData3TBigC = data3T2C[128, 128, 1024];
testData4TBigC = data4TC[128, 128, 1024];
testData5TBigC = genData5TCC[128, 128, 1024];
fullTestSetBigC = Join[testDataECABigC,
   testData2TBigC, testData3TBigC, testData4TBigC, testData5TBigC];
Length[fullTestSetBigC]
```

Out[•]=
```
10 240
```

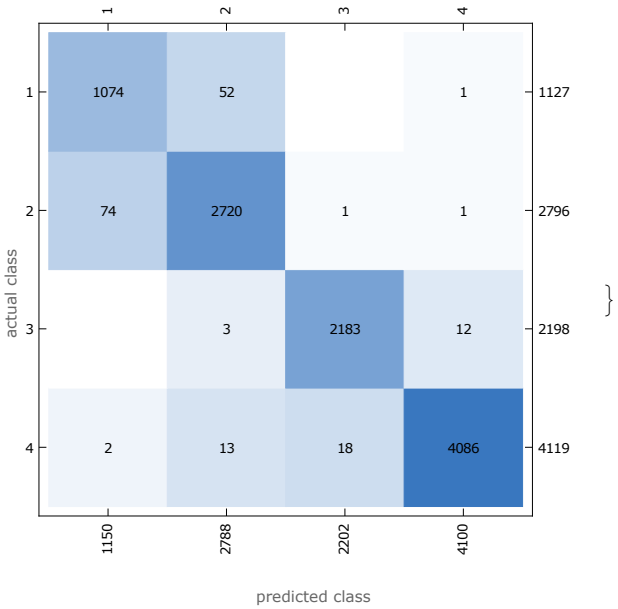
In[•]:=
```
RandomSample[fullTestSetBigC, 10]
```

Out[•]=

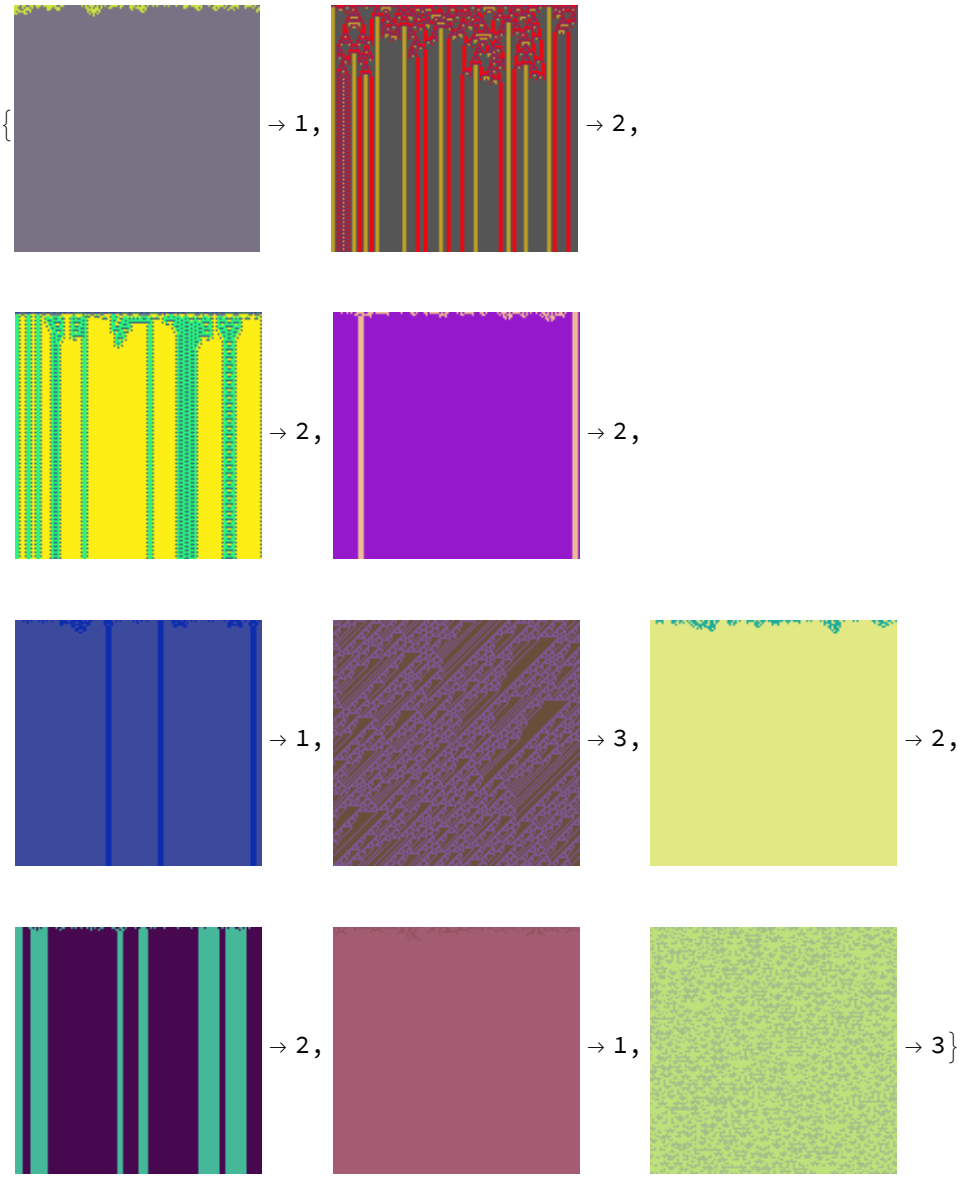


In[181]:=
```
NetMeasurements[netECA18, fullTestSetBigC,
 {"Accuracy", "Precision", "ConfusionMatrixPlot"}]
```

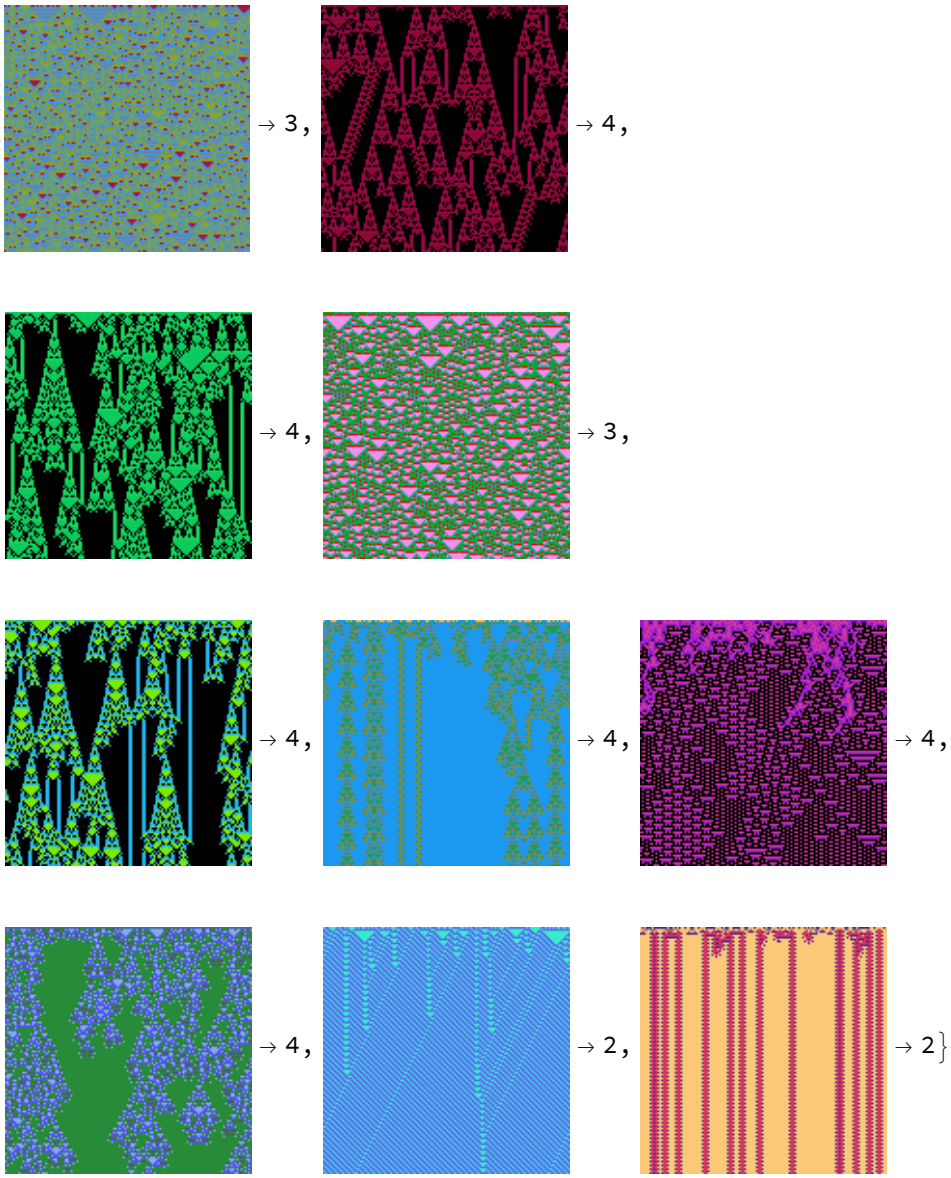
Out[181]=
```
{0.982715, ⟨|1 → 0.933913, 2 → 0.97561, 3 → 0.991371, 4 → 0.996585|⟩,
```



In[188]:=
```
entropyImagesBigC = RandomSample[Keys[fullTestSetBigC], 500];
entropiesBigC = netECA18[entropyImagesBigC, "Entropy"];
highEntBigC = entropyImagesBigC[[Ordering[entropiesBigC, -10]]];
lowEntBigC = entropyImagesBigC[[Ordering[entropiesBigC, 10]]];
Thread[highEntBigC → netECA18[highEntBigC]]
Thread[lowEntBigC → netECA18[lowEntBigC]]
```

Out[192]= 

Out[193]=

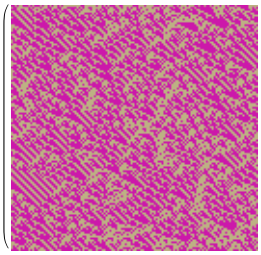


Testing Network XVIII (200 epochs) on unseen CA rule spaces

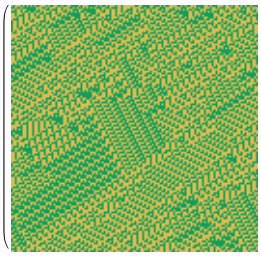
2-colour non-totalistic, range 2

In[527]:=
```
test4Data2kr2C18 = datak2r2C[128, 128, 8];
Thread[
 test4Data2kr2C18 → netECA18[Keys@test4Data2kr2C18, {"TopProbabilities", 2}]]
```

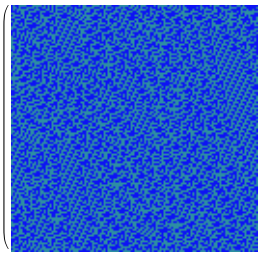
Out[528]=



→ 1 807 990 148 → $\{2 \to 3.85446 \times 10^{-17}, 3 \to 1.\}$,



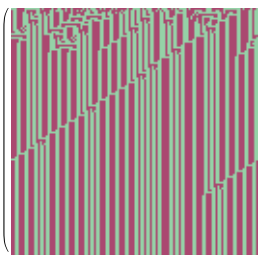
→ 2 530 190 276 → $\{4 \to 2.53726 \times 10^{-6}, 3 \to 0.999997\}$,



→ 2 788 659 278 → $\{4 \to 7.89003 \times 10^{-11}, 3 \to 1.\}$,

→ 1 183 464 169 → $\{4 \to 8.12001 \times 10^{-9}, 3 \to 1.\}$,

→ 3 203 768 679 → $\{4 \to 1.44395 \times 10^{-7}, 3 \to 1.\}$,



→ 1 424 091 569 → $\{2 \to 2.16345 \times 10^{-7}, 4 \to 1.\}$,

→ 52 465 461 → {3 → 2.74807 × 10^-7, 2 → 1.}}

2-colour non-totalistic, range 3

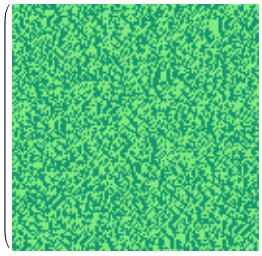
In[•]:=
```
test4Data2kr3C18 = datak2r3NT[128, 128, 8];
Thread[
 test4Data2kr3C18 → netECA18[Keys@test4Data2kr3C18, {"TopProbabilities", 2}]]
```

Out[•]=

{ 

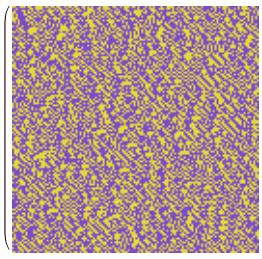
→ 330 416 984 885 540 388 017 354 162 041 951 825 587 →

{3 → 8.74296 × 10^-8, 4 → 1.},



→ 279 656 361 264 376 888 074 030 685 915 728 704 181 →

{4 → 0.0213521, 3 → 0.978648},

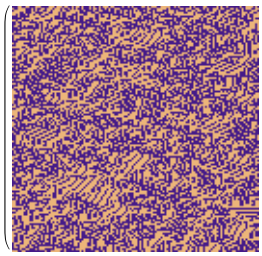


→ 197 632 068 292 332 388 955 030 541 940 304 062 122 →

{4 → 5.0499 × 10^-16, 3 → 1.},

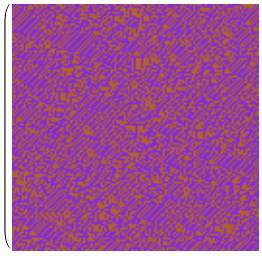
→ 188 082 660 194 176 799 122 844 083 244 865 677 445 →

$\{4 \to 2.34238 \times 10^{-6}, 3 \to 0.999998\}$,



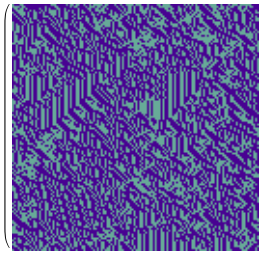
→ 99 467 121 511 183 621 679 443 804 486 384 512 063 →

$\{4 \to 0.00329566, 3 \to 0.996704\}$,



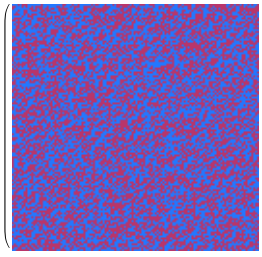
→ 56 219 309 346 455 872 630 743 597 889 899 213 800 →

$\{4 \to 1.38574 \times 10^{-10}, 3 \to 1.\}$,



→ 308 130 247 560 683 500 868 656 567 738 983 907 586 →

$\{4 \to 5.1263 \times 10^{-8}, 3 \to 1.\}$,

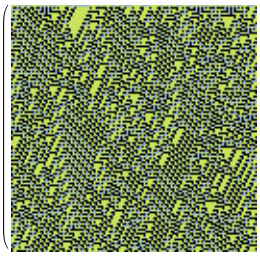


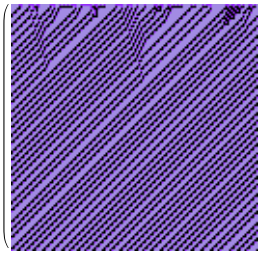
→ 333 388 526 947 822 905 616 741 326 831 869 137 342 →

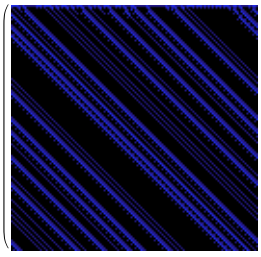
$\{4 \to 7.10494 \times 10^{-8}, 3 \to 1.\}\}$

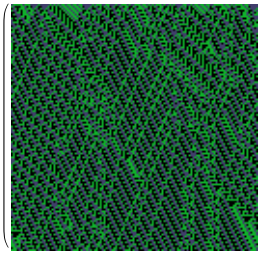
3-colour non-totalistic, range 1

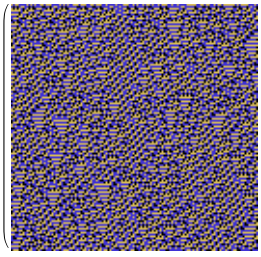
In[•]:=
```
test4Data3kr1C18 = datak3r1NT[128, 128, 8];
Thread[
 test4Data3kr1C18 → netECA18[Keys@test4Data3kr1C18, {"TopProbabilities", 2}]]
```

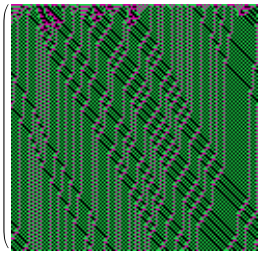
Out[•]= $\Big\{$  $\to 1\,592\,394\,332\,064 \to \{2 \to 7.59314 \times 10^{-6}, 4 \to 0.999992\}$,

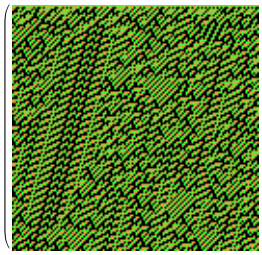
 $\to 4\,098\,174\,485\,356 \to \{4 \to 8.44302 \times 10^{-20}, 2 \to 1.\}$,

 $\to 5\,930\,373\,291\,731 \to \{1 \to 2.34989 \times 10^{-7}, 2 \to 1.\}$,

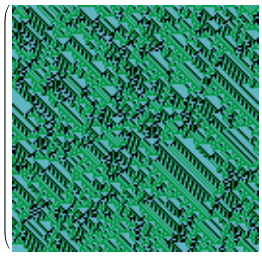
 $\to 6\,363\,744\,081\,807 \to \{3 \to 0.0000390704, 4 \to 0.999961\}$,

 $\to 1\,193\,083\,886\,293 \to \{4 \to 0.0126455, 3 \to 0.987355\}$,

 $\to 1\,957\,822\,902\,340 \to \{3 \to 0.0000561806, 2 \to 0.999944\}$,



→ 2 179 566 018 820 → {4 → 1.10915 × 10^-6, 3 → 0.999999},

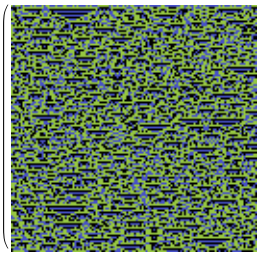


→ 4 111 476 009 175 → {4 → 1.84666 × 10^-16, 3 → 1.}}

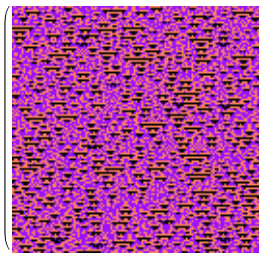
3-colour totalistic, range 2

In[•]:=
```
test4Data3kr2C18 = datak3r2C[128, 128, 8];
Thread[
 test4Data3kr2C18 → netECA18[Keys@test4Data3kr2C18, {"TopProbabilities", 2}]]
```

Out[•]=

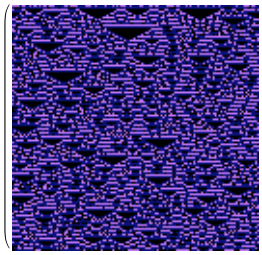
{ 

→ 101 105 → {4 → 1.49159 × 10^-7, 3 → 1.},

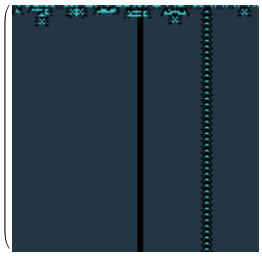


→ 48 212 → {4 → 3.39887 × 10^-8, 3 → 1.},

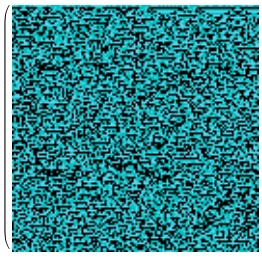
→ 81 243 → {2 → 6.61823 × 10^-15, 1 → 1.},



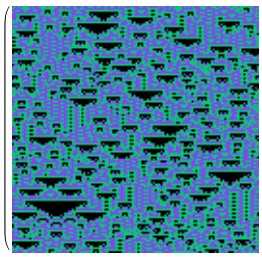
→ 144 952 → $\{4 \to 5.58692 \times 10^{-14}, 3 \to 1.\}$,



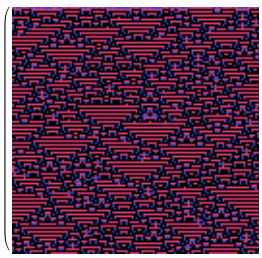
→ 167 730 → $\{1 \to 3.79715 \times 10^{-7}, 2 \to 1.\}$,



→ 102 220 → $\{4 \to 3.5215 \times 10^{-7}, 3 \to 1.\}$,



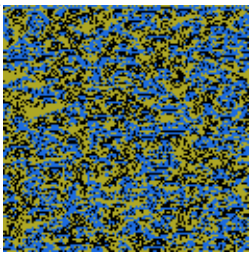
→ 129 071 → $\{4 \to 5.28522 \times 10^{-29}, 3 \to 1.\}$,

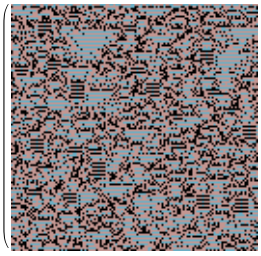


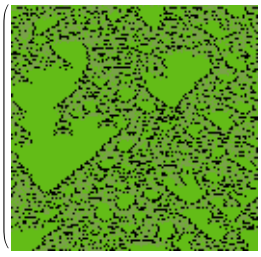
→ 94 027 → $\{4 \to 3.95426 \times 10^{-7}, 3 \to 1.\}\}$

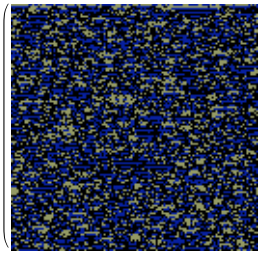
3-colour totalistic, range 3

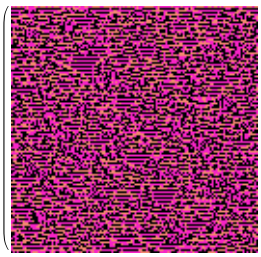
In[•]:=
```
test4Data3kr3C18 = datak3r3C[128, 128, 8];
Thread[
 test4Data3kr3C18 → netECA18[Keys@test4Data3kr3C18, {"TopProbabilities", 2}]]
```

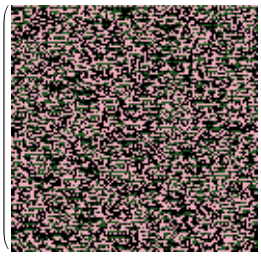
Out[•]= $\left\{\left(\right.\right.$  $\left.\left.\rightarrow 461\,960\right)\right.$ $\rightarrow \{4 \rightarrow 4.84455 \times 10^{-6}, 3 \rightarrow 0.999995\}$,

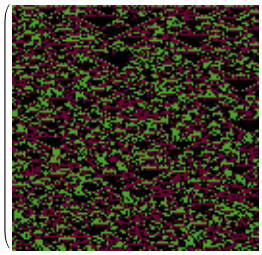
$\left(\right.$  $\left.\rightarrow 4\,823\,863\right)$ $\rightarrow \{4 \rightarrow 1.80913 \times 10^{-22}, 3 \rightarrow 1.\}$,

$\left(\right.$  $\left.\rightarrow 7\,272\,180\right)$ $\rightarrow \{3 \rightarrow 3.43734 \times 10^{-9}, 4 \rightarrow 1.\}$,

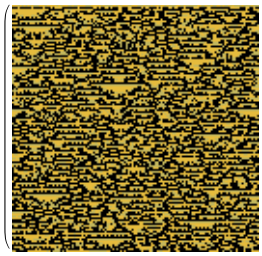
$\left(\right.$  $\left.\rightarrow 8\,672\,980\right)$ $\rightarrow \{4 \rightarrow 6.70981 \times 10^{-6}, 3 \rightarrow 0.999993\}$,

$\left(\right.$  $\left.\rightarrow 254\,357\right)$ $\rightarrow \{4 \rightarrow 2.17773 \times 10^{-6}, 3 \rightarrow 0.999998\}$,

$\left(\right.$  $\left.\rightarrow 9\,226\,537\right)$ $\rightarrow \{4 \rightarrow 1.70317 \times 10^{-12}, 3 \rightarrow 1.\}$,



→ 13 913 899 → {4 → 1.88245 × 10^-14, 3 → 1.}},

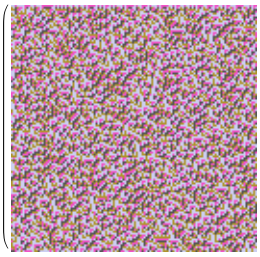


→ 2 641 642 → {4 → 1.17168 × 10^-16, 3 → 1.}}

4-colour non-totalistic, range 1

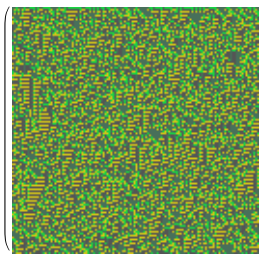
In[•]:=
```
test4Data4kr1C18 = datak4r1NT[128, 128, 8];
Thread[
 test4Data4kr1C18 → netECA18[Keys@test4Data4kr1C18, {"TopProbabilities", 2}]]
```

Out[•]=

{ 

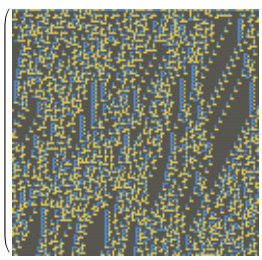
→ 102 061 531 028 325 101 056 411 203 373 159 921 153 →

{4 → 1.52655 × 10^-6, 3 → 0.999998},



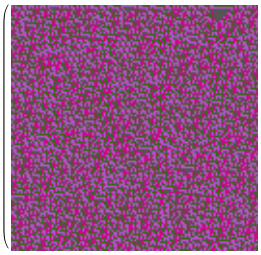
→ 220 826 430 777 843 014 546 276 939 581 509 597 468 →

{4 → 3.71156 × 10^-15, 3 → 1.},



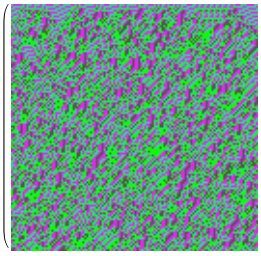
→ 189 759 227 742 452 338 669 016 752 488 159 725 978 →

$\{3 \to 1.71606 \times 10^{-19}, 4 \to 1.\}$,



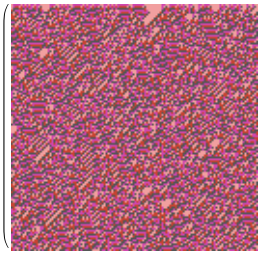
$\to 39\,086\,343\,891\,936\,177\,646\,298\,077\,938\,677\,400\,893 \to$

$\{4 \to 0.0000617923, 3 \to 0.999938\}$,



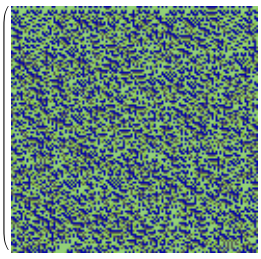
$\to 325\,561\,419\,730\,770\,765\,208\,110\,988\,081\,624\,688\,453 \to$

$\{4 \to 4.25321 \times 10^{-7}, 3 \to 1.\}$,



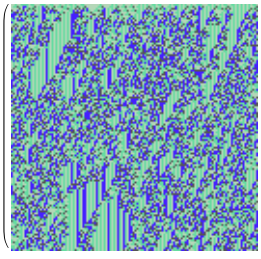
$\to 247\,405\,682\,417\,519\,114\,838\,497\,454\,468\,289\,242\,544 \to$

$\{4 \to 3.94091 \times 10^{-12}, 3 \to 1.\}$,



$\to 173\,148\,209\,233\,830\,655\,560\,355\,066\,654\,224\,721\,166 \to$

$\{4 \to 1.19081 \times 10^{-14}, 3 \to 1.\}$,



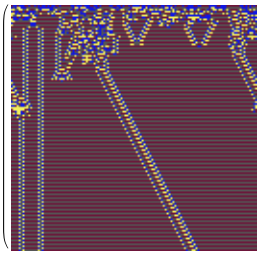
$\to 272\,790\,974\,570\,863\,467\,026\,653\,486\,918\,315\,112\,723 \to$

$\{3 \to 2.26679 \times 10^{-10}, 4 \to 1.\}\}$

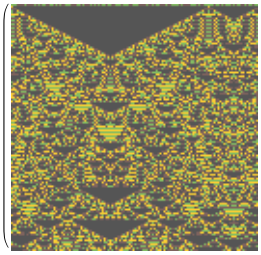
4-colour totalistic, range 2

In[•]:=
```
test4Data4kr2C18 = datak4r2C[128, 128, 8];
Thread[
 test4Data4kr2C18 → netECA18[Keys@test4Data4kr2C18, {"TopProbabilities", 2}]]
```

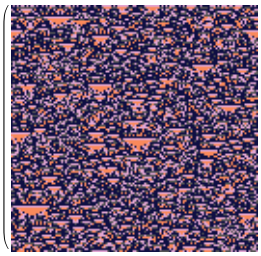
Out[•]=



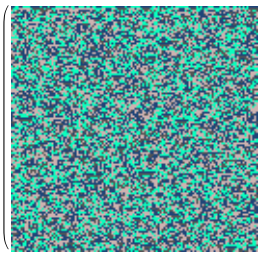
→ 3 511 876 239 → {2 → 1.5807 × 10^-10, 4 → 1.},



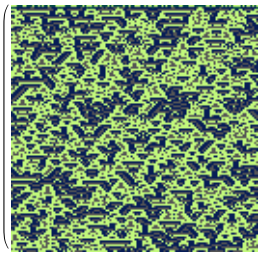
→ 1 629 765 289 → {4 → 1.84811 × 10^-17, 3 → 1.},



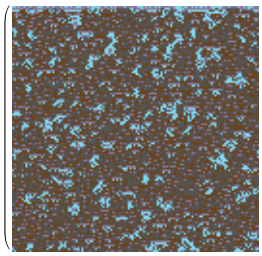
→ 3 309 785 711 → {4 → 5.75659 × 10^-20, 3 → 1.},



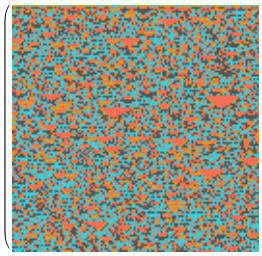
→ 521 880 538 → {4 → 2.42952 × 10^-8, 3 → 1.},



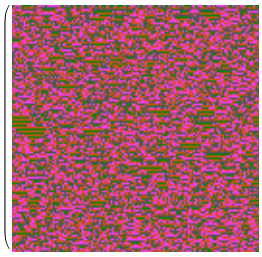
→ 2 882 903 289 → {4 → 0.00262183, 3 → 0.997378},



→ 3 874 370 131 → {4 → 0.000817121, 3 → 0.999183},



→ 3 978 874 812 → $\{4 \to 4.99897 \times 10^{-19}, 3 \to 1.\}$,

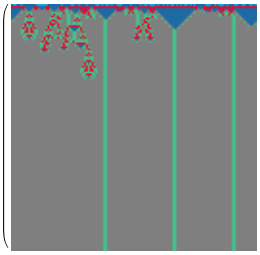


→ 1 758 609 338 → $\{4 \to 1.64955 \times 10^{-9}, 3 \to 1.\}\}$

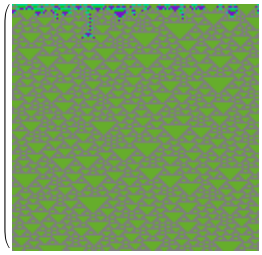
5-colour totalistic, range 1

In[•]:=
```
test4Data5kr1C18 = data5T2C[8, 128, 128];
Thread[
 test4Data5kr1C18 → netECA18[Keys@test4Data5kr1C18, {"TopProbabilities", 2}]]
```

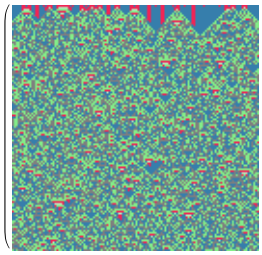
Out[•]=



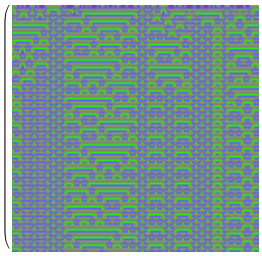
→ 419 338 996 → {4 → 0.471539, 2 → 0.528461},



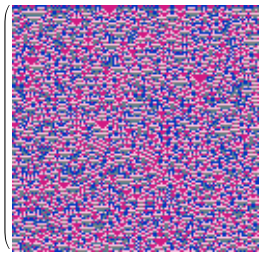
→ 884 788 964 → {4 → 0.0217201, 3 → 0.97828},



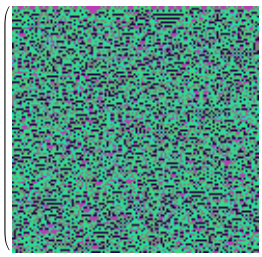
→ 743 542 029 → {3 → 1.08355 × 10^-9, 4 → 1.},



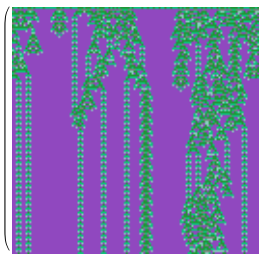
→ 782 108 342 → {4 → 3.73846 × 10^-6, 3 → 0.999996},



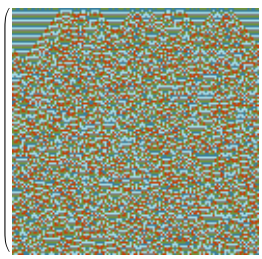
→ 785 621 045 → {4 → 1.13554 × 10^-10, 3 → 1.},



→ 540 834 160 → {4 → 0.0000100212, 3 → 0.99999},



→ 1 180 125 611 → {3 → 8.69272 × 10^-10, 4 → 1.},

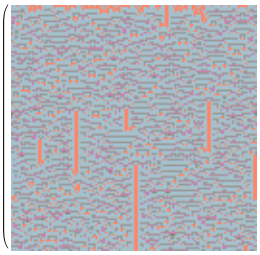


→ 604 699 906 → {4 → 5.02809 × 10^-11, 3 → 1.}}

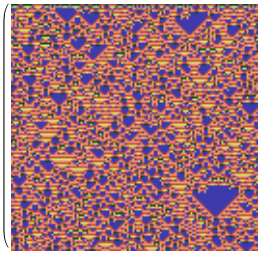
6-colour totalistic, range 1

In[•]:=
```
test4Data6kr1C18 = data6TC[8, 128, 128];
Thread[
 test4Data6kr1C18 → netECA18[Keys@test4Data6kr1C18, {"TopProbabilities", 2}]]
```

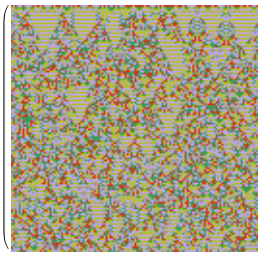
Out[•]=



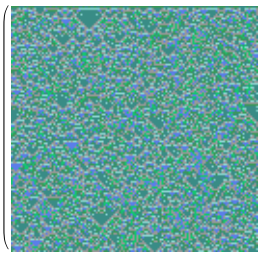
→ 1 598 104 240 744 → {4 → 0.385354, 3 → 0.614646},



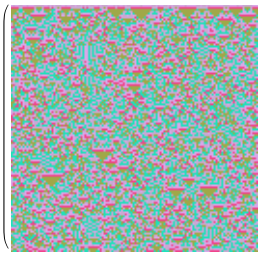
→ 2 744 610 103 617 → {4 → 4.14684 × 10^-12, 3 → 1.},



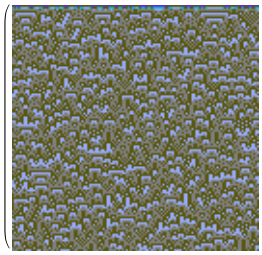
→ 2 679 723 007 553 → {4 → 0.0146554, 3 → 0.985345},



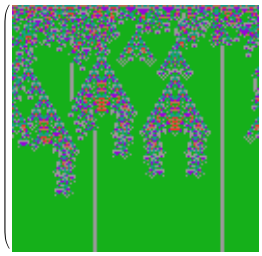
→ 333 206 194 422 → {4 → 1.77212 × 10^-6, 3 → 0.999998},



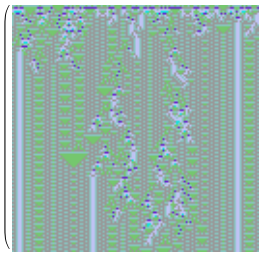
→ 385 745 608 648 → {4 → 4.96414 × 10^-18, 3 → 1.},



→ 1 376 556 791 013 → {4 → 1.60883 × 10^-6, 3 → 0.999998},



→ 1 497 722 744 619 → {2 → 5.2004 × 10^-22, 4 → 1.},

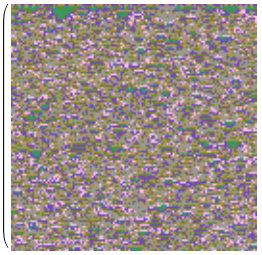


→ 1 461 122 595 667 → {4 → 0.0117104, 3 → 0.98829}}

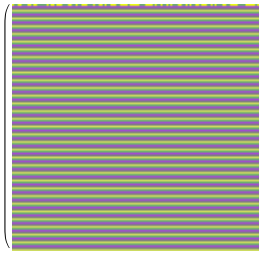
6-colour totalistic, range 2

In[•]:=
```
test4Data6kr2C18 = data6T2C[8, 128, 128];
Thread[
 test4Data6kr2C18 → netECA18[Keys@test4Data6kr2C18, {"TopProbabilities", 2}]]
```

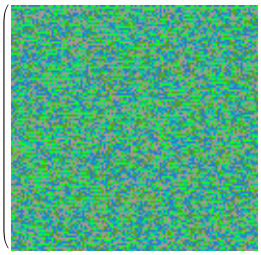
Out[•]=



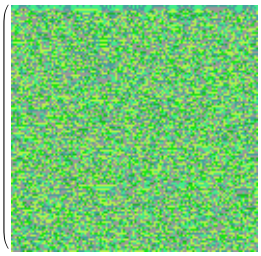
→ 94 758 619 520 606 075 339 → {4 → 3.45801 × 10^-14, 3 → 1.},



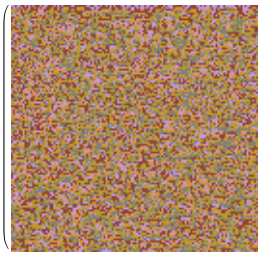
→ 20 009 329 597 666 396 569 → {1 → 0.000569901, 3 → 0.999395},



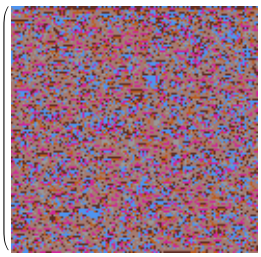
$\to 143\,751\,744\,015\,528\,766\,387 \Big| \to \{4 \to 4.63781 \times 10^{-12}, 3 \to 1.\},$



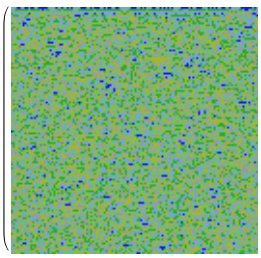
$\to 14\,907\,007\,420\,911\,525\,245 \Big| \to \{4 \to 2.71632 \times 10^{-7}, 3 \to 1.\},$



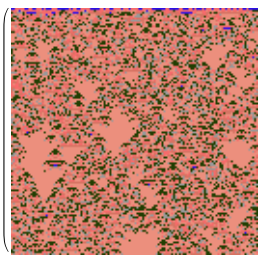
$\to 153\,725\,842\,134\,059\,084\,151 \Big| \to \{4 \to 8.53867 \times 10^{-11}, 3 \to 1.\},$



$\to 21\,849\,107\,846\,366\,361\,856 \Big| \to \{4 \to 4.26147 \times 10^{-8}, 3 \to 1.\},$



$\to 39\,897\,609\,306\,289\,130\,946 \Big| \to \{4 \to 3.43225 \times 10^{-8}, 3 \to 1.\},$

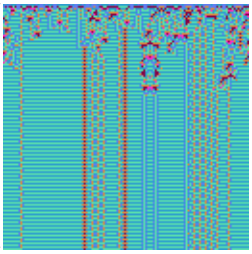


$\to 24\,452\,844\,112\,980\,510\,505 \Big| \to \{3 \to 2.30799 \times 10^{-17}, 4 \to 1.\}\}$

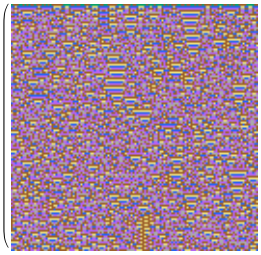
7-colour totalistic, range 1

```
In[ ]:= test4Data7kr1C18 = data7TC[8, 128, 128];
        Thread[
         test4Data7kr1C18 → netECA18[Keys@test4Data7kr1C18, {"TopProbabilities", 2}]]
```

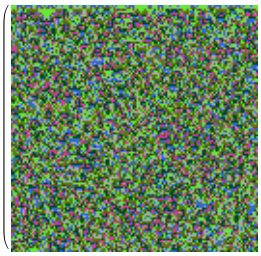
Out[ ]=



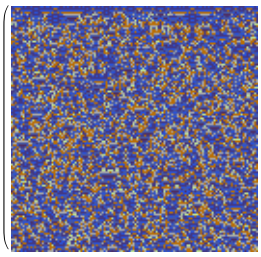
→ 9 377 524 399 313 965 → {3 → 1.74389 × 10^-8, 4 → 1.}



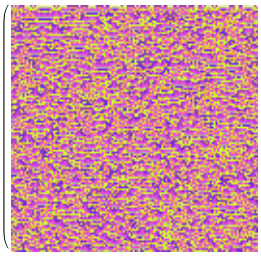
→ 4 962 953 862 340 599 → {4 → 0.0137316, 3 → 0.986268}



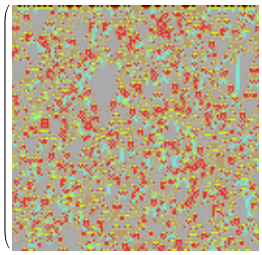
→ 8 745 570 953 687 246 → {4 → 2.19284 × 10^-7, 3 → 1.}



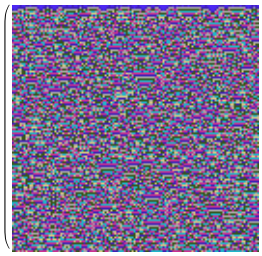
→ 5 868 018 872 447 407 → {4 → 0.000111761, 3 → 0.999888}



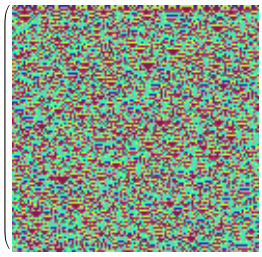
→ 4 309 418 628 605 253 → {4 → 1.75407 × 10^-6, 3 → 0.999998}



→ 602 881 578 564 447 → {3 → 1.85106 × 10^-9, 4 → 1.},



→ 2 664 890 136 425 923 → {4 → 3.52309 × 10^-12, 3 → 1.},

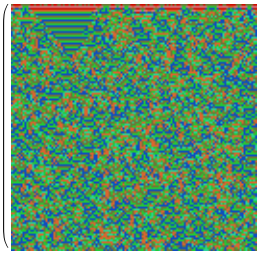


→ 2 116 828 975 265 896 → {4 → 3.12886 × 10^-9, 3 → 1.}}

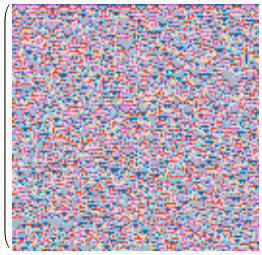
8-colour totalistic, range 1

In[•]:=
```
test4Data8kr1C18 = data8TC[8, 128, 128];
Thread[
 test4Data8kr1C18 → netECA18[Keys@test4Data8kr1C18, {"TopProbabilities", 2}]]
```

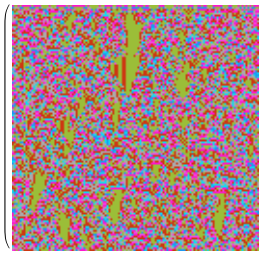
Out[•]=



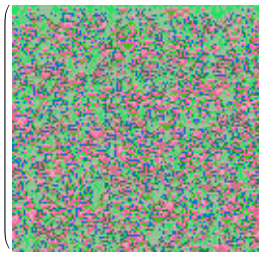
→ 4 354 635 422 940 040 188 → {4 → 0.0522672, 3 → 0.947733},



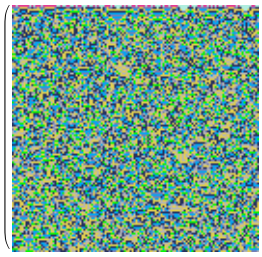
→ 69 178 369 869 620 121 447 → {4 → 1.13339 × 10^-12, 3 → 1.},



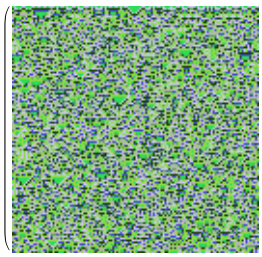
$\to 52\,954\,223\,906\,783\,093\,008 \Big| \to \left\{3 \to 7.29147 \times 10^{-15},\ 4 \to 1.\right\},$



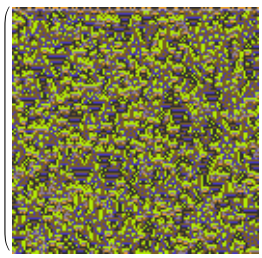
$\to 68\,658\,165\,468\,973\,438\,000 \Big| \to \left\{4 \to 1.9166 \times 10^{-11},\ 3 \to 1.\right\},$



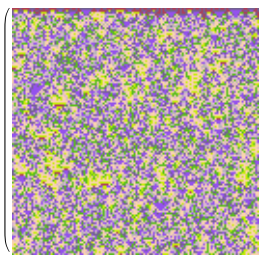
$\to 40\,882\,704\,313\,683\,534\,715 \Big| \to \{4 \to 0.0000183002,\ 3 \to 0.999982\},$



$\to 4\,334\,236\,228\,138\,547\,400 \Big| \to \left\{4 \to 1.8216 \times 10^{-12},\ 3 \to 1.\right\},$



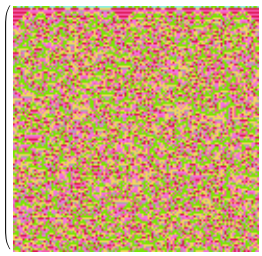
$\to 38\,056\,813\,477\,139\,716\,563 \Big| \to \{4 \to 0.025224,\ 3 \to 0.974776\},$



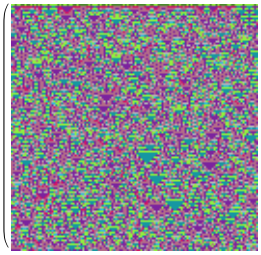
$\to 17\,144\,034\,197\,046\,476\,300 \Big| \to \left\{4 \to 1.1918 \times 10^{-10},\ 3 \to 1.\right\}\}$

In[•]:=
```
test4Data8kr1C18 = data8TC[8, 128, 128];
Thread[
 test4Data8kr1C18 → netECA18[Keys@test4Data8kr1C18, {"TopProbabilities", 2}]]
```

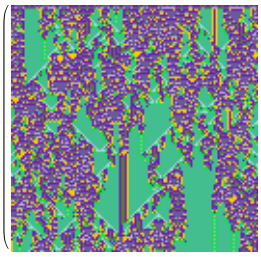
Out[•]=



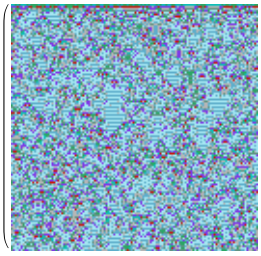
→ 27 295 602 810 117 462 452 → {4 → 1.93716 × 10^-14, 3 → 1.},



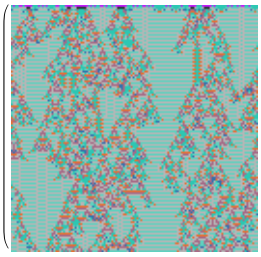
→ 68 187 226 482 692 112 227 → {4 → 1.97888 × 10^-15, 3 → 1.},



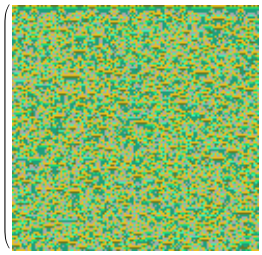
→ 26 338 422 679 712 858 793 → {2 → 1.54265 × 10^-15, 4 → 1.},



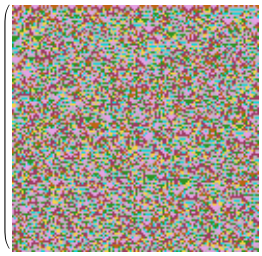
→ 20 106 191 194 925 098 456 → {4 → 1.32784 × 10^-9, 3 → 1.},



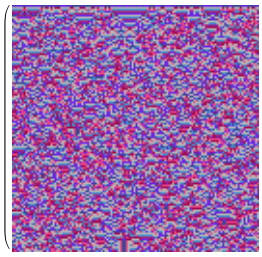
→ 27 427 530 853 867 733 909 → {3 → 7.69696 × 10^-6, 4 → 0.999992},



→ 67 626 281 665 658 424 537 → {4 → 1.31383 × 10^-8, 3 → 1.},



→ 25 326 375 293 896 897 208 → {4 → 9.39517 × 10^-8, 3 → 1.},

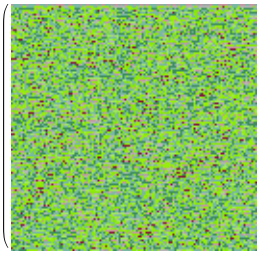


→ 17 284 363 590 068 343 962 → {4 → 0.000164327, 3 → 0.999836}}

8-colour totalistic, range 2

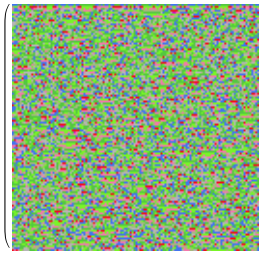
In[•]:=
```
test4Data8kr2C18 = data8T2C[8, 128, 128];
Thread[
 test4Data8kr2C18 → netECA18[Keys@test4Data8kr2C18, {"TopProbabilities", 2}]]
```

Out[•]=



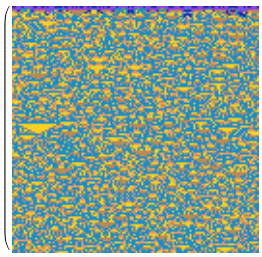
→ 91 605 229 994 459 866 473 701 555 510 459 →

{4 → 8.95721 × 10^-9, 3 → 1.},



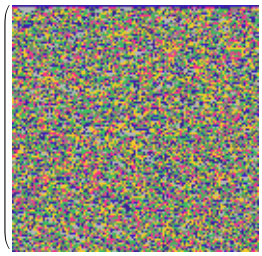
→ 148 194 329 210 486 766 360 332 149 681 908 →

{4 → 0.000259168, 3 → 0.999741},



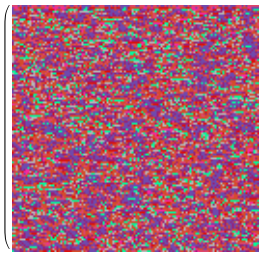
→ 312 941 122 843 853 005 350 894 081 598 045 →

$\{4 \to 3.01437 \times 10^{-25}, 3 \to 1.\}$,



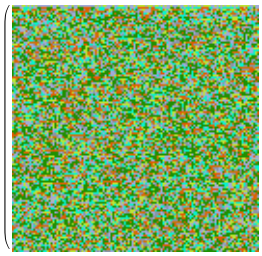
→ 218 758 040 018 464 082 211 209 760 600 342 →

$\{4 \to 1.84707 \times 10^{-6}, 3 \to 0.999998\}$,



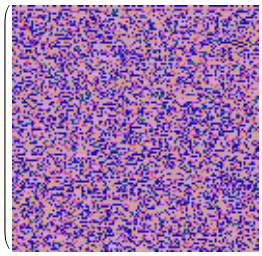
→ 1 618 101 134 718 809 353 656 768 953 028 →

$\{4 \to 8.91462 \times 10^{-12}, 3 \to 1.\}$,



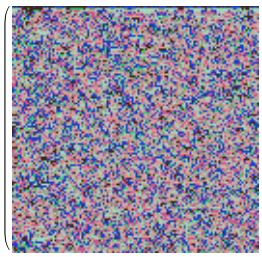
→ 117 778 321 396 037 048 003 724 837 215 261 →

$\{4 \to 1.56349 \times 10^{-7}, 3 \to 1.\}$,



→ 158 334 416 764 854 082 261 529 458 487 247 →

$\{3 \to 0.381514, 4 \to 0.618486\}$,

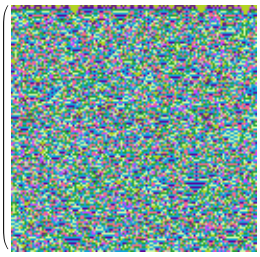

→ 64 962 204 199 289 039 065 352 424 560 944 →

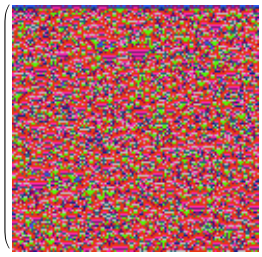
$\{4 \to 3.15489 \times 10^{-10}, 3 \to 1.\}\}$

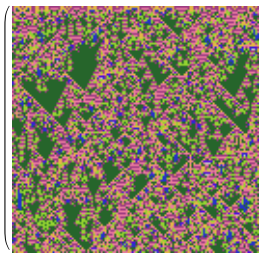
9-colour totalistic, range 1

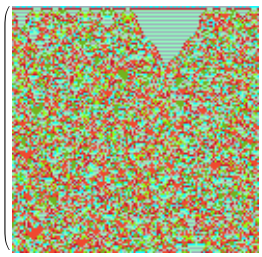
In[•]:=
```
test4Data9kr1C18 = data9TC[8, 128, 128];
Thread[
 test4Data9kr1C18 → netECA18[Keys@test4Data9kr1C18, {"TopProbabilities", 2}]]
```

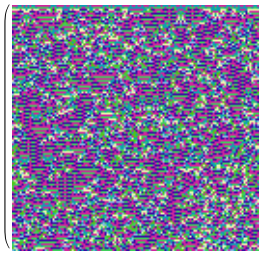
Out[•]=


→ 522 568 741 028 775 861 250 602 → $\{4 \to 1.89765 \times 10^{-9}, 3 \to 1.\}$,

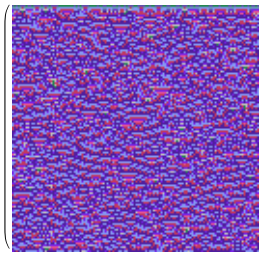

→ 150 105 663 552 960 221 109 656 → $\{4 \to 8.50808 \times 10^{-11}, 3 \to 1.\}$,


→ 177 646 283 305 699 098 325 471 → $\{3 \to 2.75142 \times 10^{-13}, 4 \to 1.\}$,


→ 649 888 623 407 447 388 665 878 → $\{4 \to 9.1783 \times 10^{-8}, 3 \to 1.\}$,

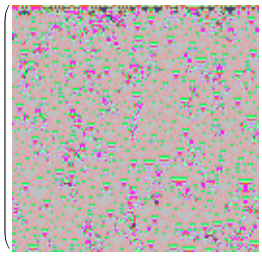


→ 572 736 978 221 231 214 545 140 → {4 → 1.19931 × 10^-8, 3 → 1.},



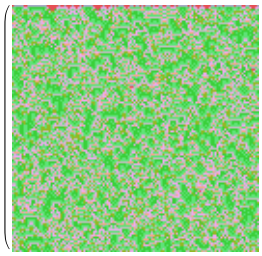
→ 577 735 506 397 144 743 916 701 →

{4 → 5.16186 × 10^-6, 3 → 0.999995},



→ 38 290 460 957 561 945 226 664 →

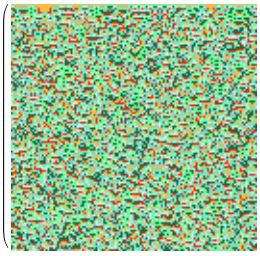
{4 → 0.0000332421, 3 → 0.999967},



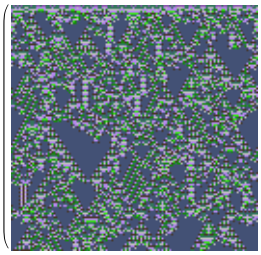
→ 65 266 980 214 577 653 296 276 → {4 → 2.0037 × 10^-9, 3 → 1.}}

In[•]:=
```
test4Data9kr1C18 = data9TC[8, 128, 128];
Thread[
 test4Data9kr1C18 → netECA18[Keys@test4Data9kr1C18, {"TopProbabilities", 2}]]
```

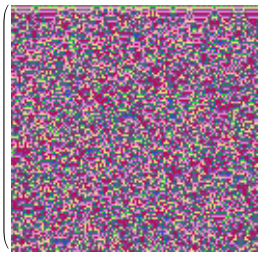
Out[•]= {



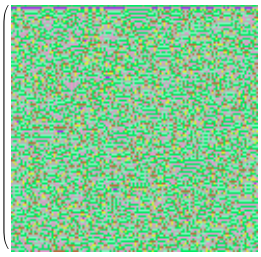
→ 376 251 875 419 739 043 750 089 → {4 → 8.56952 × 10^-8, 3 → 1.},



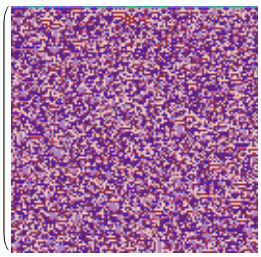
→ 292 480 217 936 066 672 681 870 → $\{3 \to 5.77312 \times 10^{-11}, 4 \to 1.\}$,



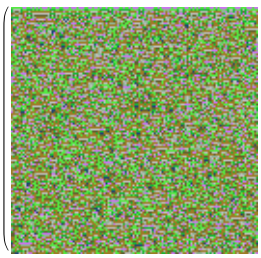
→ 641 652 971 419 956 634 593 698 → $\{4 \to 9.34668 \times 10^{-11}, 3 \to 1.\}$,



→ 560 384 664 222 257 507 134 238 → $\{4 \to 1.28321 \times 10^{-8}, 3 \to 1.\}$,

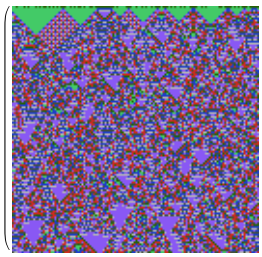


→ 431 262 759 200 417 990 085 248 → $\{4 \to 0.000429963, 3 \to 0.99957\}$,



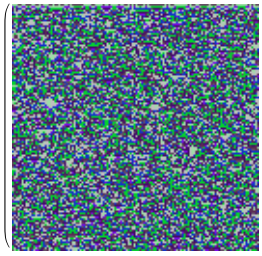
→ 349 851 539 333 502 282 320 618 →

$\{4 \to 5.50927 \times 10^{-7}, 3 \to 0.999999\}$,



→ 141 618 270 878 027 879 702 319 →

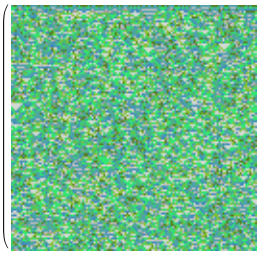
{4 → 0.0000610287, 3 → 0.999939},



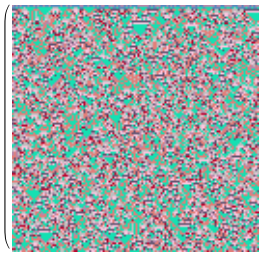
→ 401 516 309 538 894 848 288 118 → {4 → 6.7734 × 10^-12, 3 → 1.}}

In[•]:=
```
test4Data9kr1C18 = data9TC[8, 128, 128];
Thread[
 test4Data9kr1C18 → netECA18[Keys@test4Data9kr1C18, {"TopProbabilities", 2}]]
```

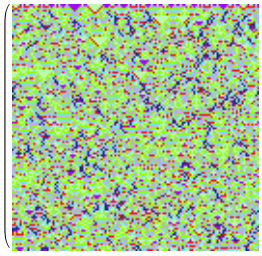
Out[•]=

{ 

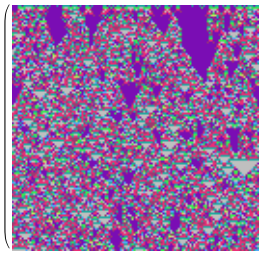
→ 102 484 955 339 910 707 201 065 → {4 → 2.85292 × 10^-12, 3 → 1.},



→ 225 104 493 515 167 213 968 116 → {4 → 2.59132 × 10^-19, 3 → 1.},

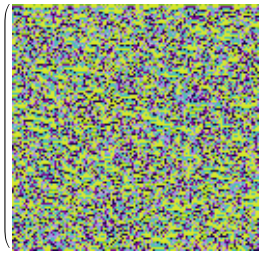


→ 82 955 736 870 484 114 072 206 → {4 → 7.69447 × 10^-10, 3 → 1.},

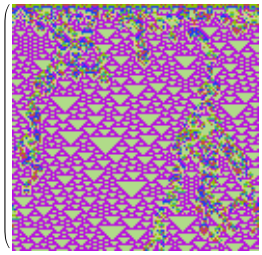


→ 671 885 429 563 685 913 440 220 →

{3 → 0.0000324644, 4 → 0.999968},

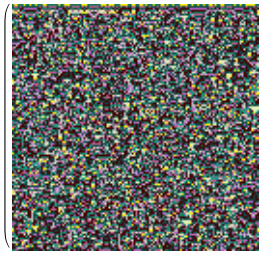


→ 319 540 285 313 900 469 182 543 → {4 → 1.25701 × 10^-7, 3 → 1.},

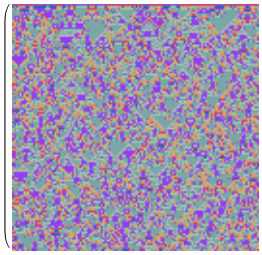


→ 472 683 159 387 864 865 560 932 →

{4 → 0.0000136606, 3 → 0.999986},



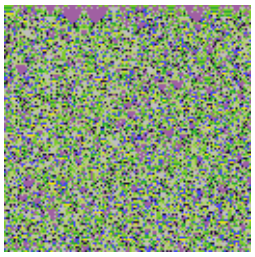
→ 522 719 371 598 196 985 234 941 → {4 → 5.12875 × 10^-11, 3 → 1.},



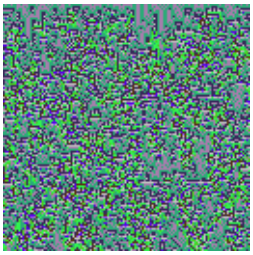
→ 135 699 531 967 322 696 819 064 → {4 → 4.81907 × 10^-12, 3 → 1.}}

In[313]:=
```
test4Data9kr1C18 = data9TC[8, 128, 128];
test4Data9kr1C18labeled = Thread[Labeled[
    Keys@test4Data9kr1C18, Values@test4Data9kr1C18, LabelStyle → Small]];
Thread[test4Data9kr1C18labeled → netECA18[Keys@test4Data9kr1C18,
   {"TopProbabilities", 2}]]
```

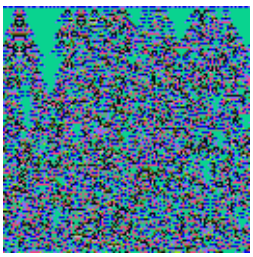
Out[315]= {



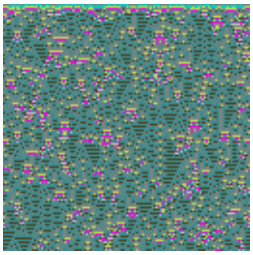
349 053 945 078 960 182 984 058 → {4 → 3.42626 × 10^-14, 3 → 1.},



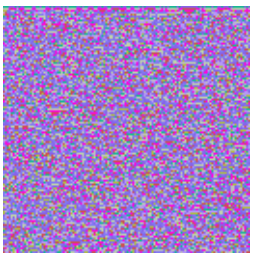
436 609 066 684 808 759 301 987 → {4 → 2.76129 × 10^-8, 3 → 1.},



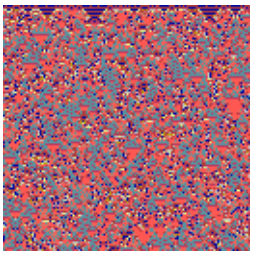
109 306 125 150 234 096 172 548 → {3 → 3.31294 × 10^-20, 4 → 1.},



418 672 174 548 024 537 683 242 → {4 → 0.00193157, 3 → 0.998068},

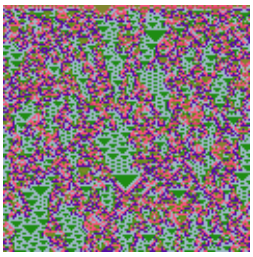


384 634 547 406 938 511 788 486 → {4 → 5.19538 × 10^-7, 3 → 0.999999},



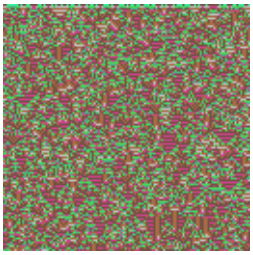
$\to \{4 \to 6.78179 \times 10^{-9}, 3 \to 1.\},$

395 758 960 768 423 349 691 715



$\to \{4 \to 8.80994 \times 10^{-6}, 3 \to 0.999991\},$

396 890 553 438 981 909 112 518



$\to \{4 \to 0.00035471, 3 \to 0.999645\}\}$

221 637 308 166 169 056 395 230

Network XIX - Four convolutions, dropout on linear only, BatchNorm, MaxPool

In[•]:= **netECA19 = netElevenCC1024drop[128, 128]**

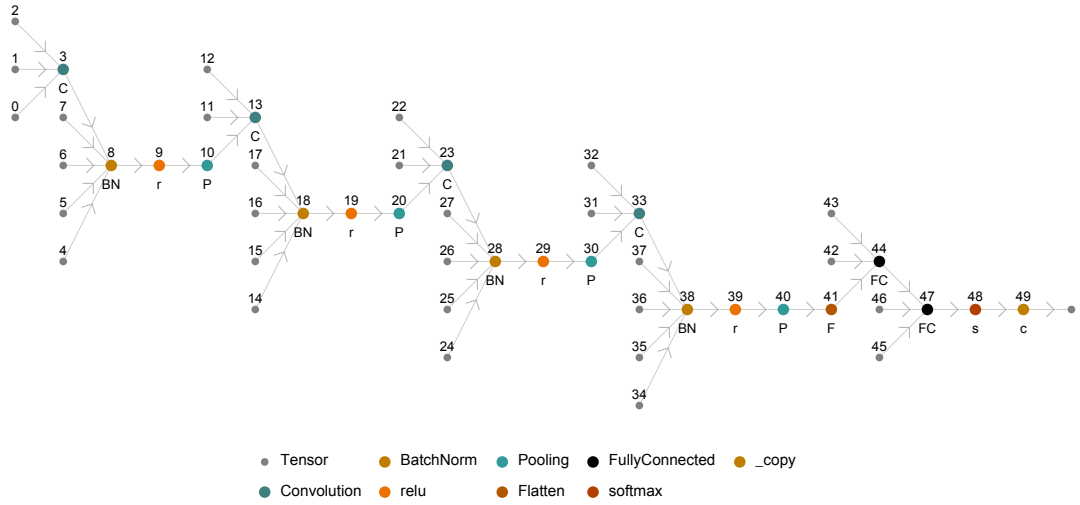
Out[•]= NetChain[

	Input	image array (size: 3 × 128 × 128)
conv1	ConvolutionLayer	array (size: 48 × 126 × 126)
bat1	BatchNormalizationLayer	array (size: 48 × 126 × 126)
ramp1	Ramp	array (size: 48 × 126 × 126)
pooling1	PoolingLayer	array (size: 48 × 125 × 125)
conv2	ConvolutionLayer	array (size: 24 × 123 × 123)
bat2	BatchNormalizationLayer	array (size: 24 × 123 × 123)
ramp2	Ramp	array (size: 24 × 123 × 123)
pooling2	PoolingLayer	array (size: 24 × 122 × 122)
conv3	ConvolutionLayer	array (size: 24 × 120 × 120)
bat3	BatchNormalizationLayer	array (size: 24 × 120 × 120)
ramp3	Ramp	array (size: 24 × 120 × 120)
pooling3	PoolingLayer	array (size: 24 × 119 × 119)
conv4	ConvolutionLayer	array (size: 12 × 117 × 117)
bat4	BatchNormalizationLayer	array (size: 12 × 117 × 117)
ramp4	Ramp	array (size: 12 × 117 × 117)
pooling4	PoolingLayer	array (size: 12 × 116 × 116)
flatten	FlattenLayer	vector (size: 161472)
linear	LinearLayer	vector (size: 1024)
drop2	DropoutLayer	vector (size: 1024)
linear2	LinearLayer	vector (size: 4)
softmax	SoftmaxLayer	vector (size: 4)
	Output	class

]

In[•]:=
```
NetInformation[netECA19, "MXNetNodeGraphPlot"]
```

Out[•]=



In[•]:=
```
NetInformation[netECA19, "SummaryGraphic"]
```

Out[•]=

In[•]:=
```
dataECA19 = dataC[128, 128, 16 384];
```

In[•]:=
```
dataTotalistic2BigC19 = genData2r2C[128, 128, 4096];
```

In[•]:=
```
dataTotalistic3BigC19 = data3T2C[128, 128, 4096];
```

In[•]:=
```
dataTotalistic4BigC19 = data4TC[128, 128, 4096];
```

In[•]:=
```
dataTotalistic5BigC19 = genData5TCC[128, 128, 16 384];
```

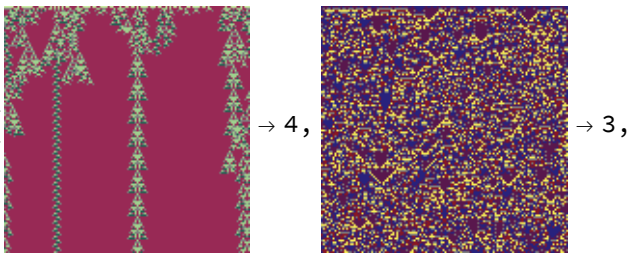
In[•]:=
```
fullTrainingBigC19 = Join[dataECA19, dataTotalistic2BigC19,
    dataTotalistic3BigC19, dataTotalistic4BigC19, dataTotalistic5BigC19];
```

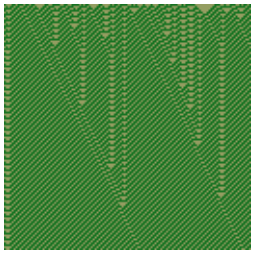
In[•]:=
```
Length[fullTrainingBigC19]
```

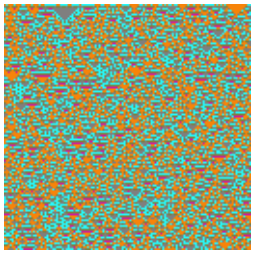
Out[•]=
```
90 112
```

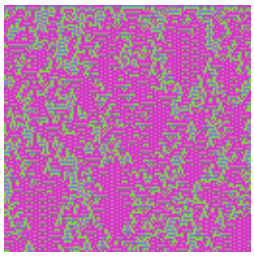
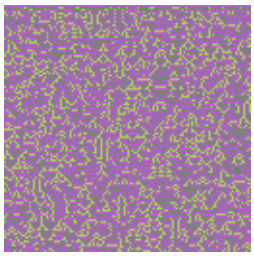
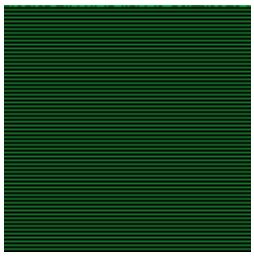
In[•]:=
```
RandomSample[fullTrainingBigC19, 20]
```

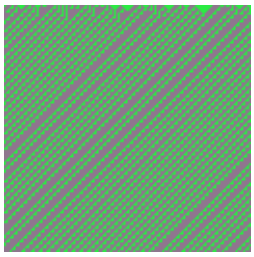
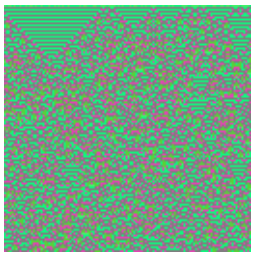
Out[•]=

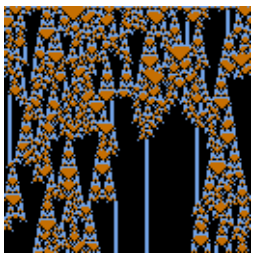
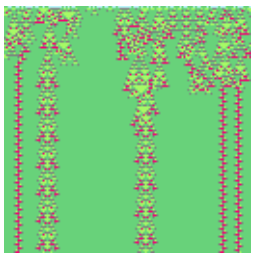


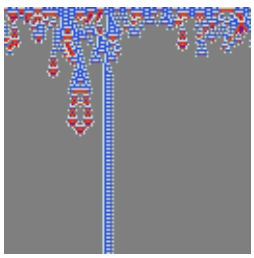
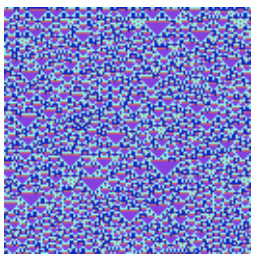
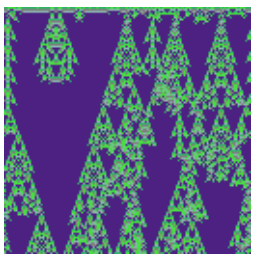

→ 2,

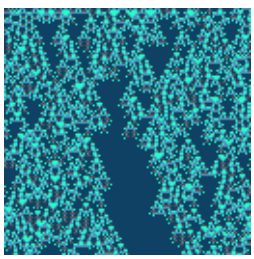
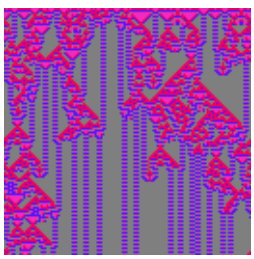
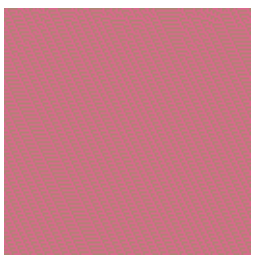
→ 2,

→ 3,


→ 4,

→ 3,

→ 2,


→ 2,

→ 2,

→ 3,


→ 4,

→ 4,

→ 4,


→ 2,

→ 3,

→ 4,


→ 4,

→ 4,

→ 2}

```
In[ ]:= dir = SetDirectory[NotebookDirectory[]]
Out[ ]= /home/esilverman/Documents

In[ ]:= netECA19 = NetTrain[netECA19, fullTrainingBigC19,
          MaxTrainingRounds → 200, BatchSize → 256, TargetDevice → "GPU",
          TrainingProgressCheckpointing → {"Directory", dir}]
```

Generate test data for Network XIX (200 epochs)

```
In[71]:= dir = SetDirectory[NotebookDirectory[]]
Out[71]= /Users/thorsilver/Downloads/Wolfram notebooks

In[72]:= netECA19 = Import["netECA19-r200.wlnet"]
Out[72]= NetChain[
```

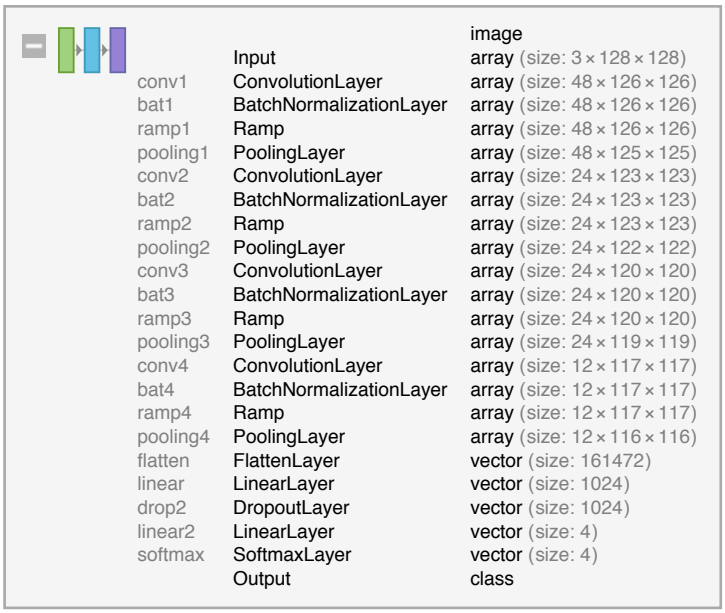
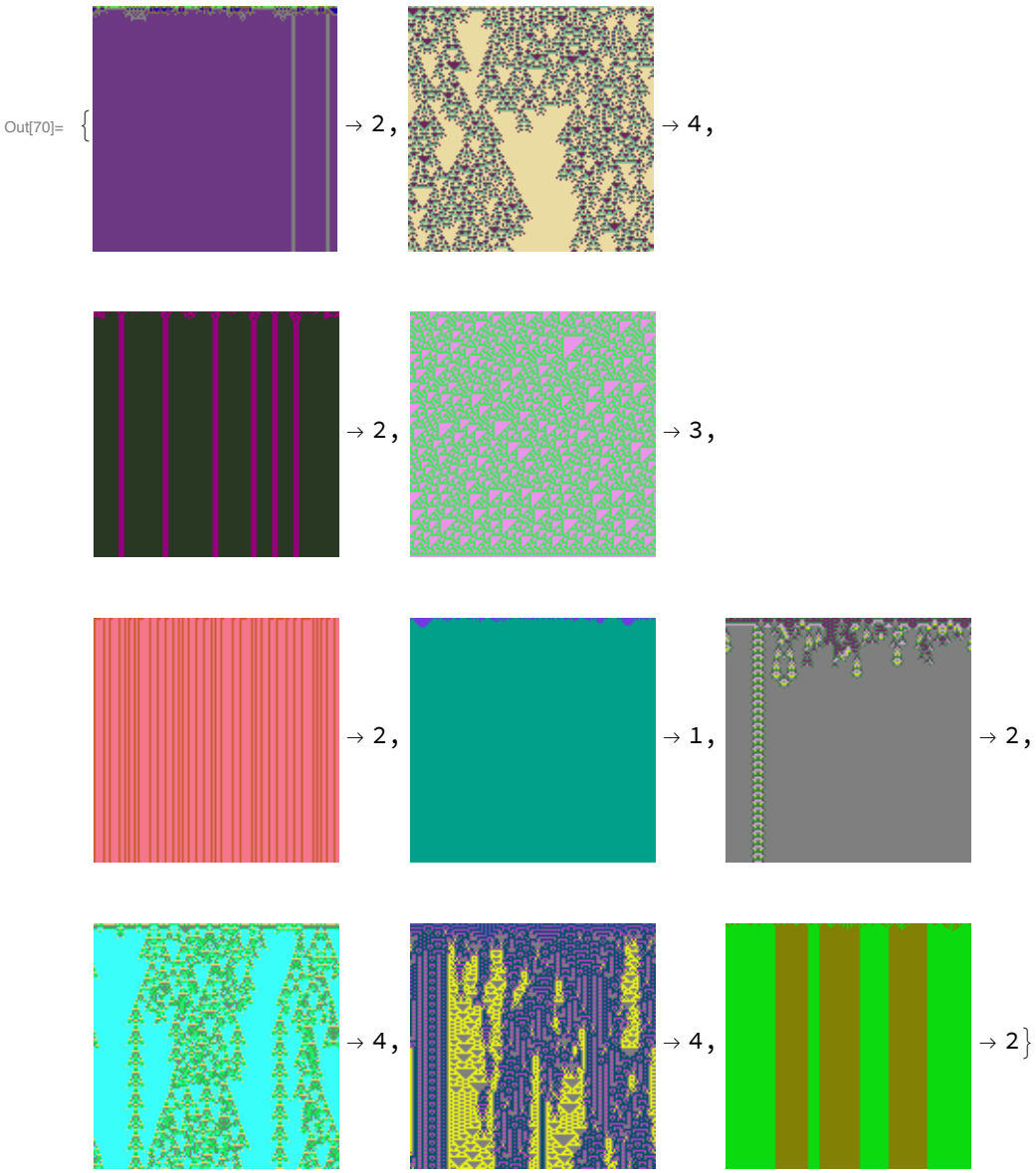


		image
	Input	array (size: 3 × 128 × 128)
conv1	ConvolutionLayer	array (size: 48 × 126 × 126)
bat1	BatchNormalizationLayer	array (size: 48 × 126 × 126)
ramp1	Ramp	array (size: 48 × 126 × 126)
pooling1	PoolingLayer	array (size: 48 × 125 × 125)
conv2	ConvolutionLayer	array (size: 24 × 123 × 123)
bat2	BatchNormalizationLayer	array (size: 24 × 123 × 123)
ramp2	Ramp	array (size: 24 × 123 × 123)
pooling2	PoolingLayer	array (size: 24 × 122 × 122)
conv3	ConvolutionLayer	array (size: 24 × 120 × 120)
bat3	BatchNormalizationLayer	array (size: 24 × 120 × 120)
ramp3	Ramp	array (size: 24 × 120 × 120)
pooling3	PoolingLayer	array (size: 24 × 119 × 119)
conv4	ConvolutionLayer	array (size: 12 × 117 × 117)
bat4	BatchNormalizationLayer	array (size: 12 × 117 × 117)
ramp4	Ramp	array (size: 12 × 117 × 117)
pooling4	PoolingLayer	array (size: 12 × 116 × 116)
flatten	FlattenLayer	vector (size: 161472)
linear	LinearLayer	vector (size: 1024)
drop2	DropoutLayer	vector (size: 1024)
linear2	LinearLayer	vector (size: 4)
softmax	SoftmaxLayer	vector (size: 4)
	Output	class

```
In[63]:= testDataECABigC = dataC[128, 128, 1024];
         testData2TBigC = genData2r2C[128, 128, 1024];
         testData3TBigC = data3T2C[128, 128, 1024];
         testData4TBigC = data4TC[128, 128, 1024];
         testData5TBigC = genData5TCC[128, 128, 1024];
         fullTestSetBigC = Join[testDataECABigC,
            testData2TBigC, testData3TBigC, testData4TBigC, testData5TBigC];
         Length[fullTestSetBigC]
Out[69]= 10 240
```

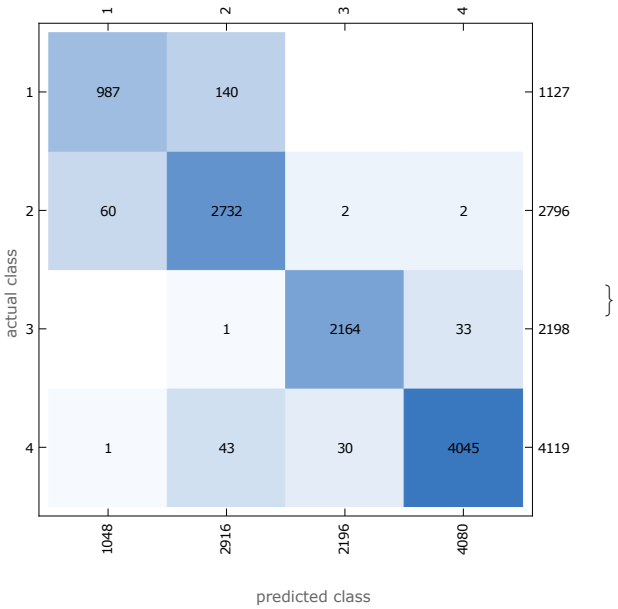
In[70]:= `RandomSample[fullTestSetBigC, 10]`

Out[70]=

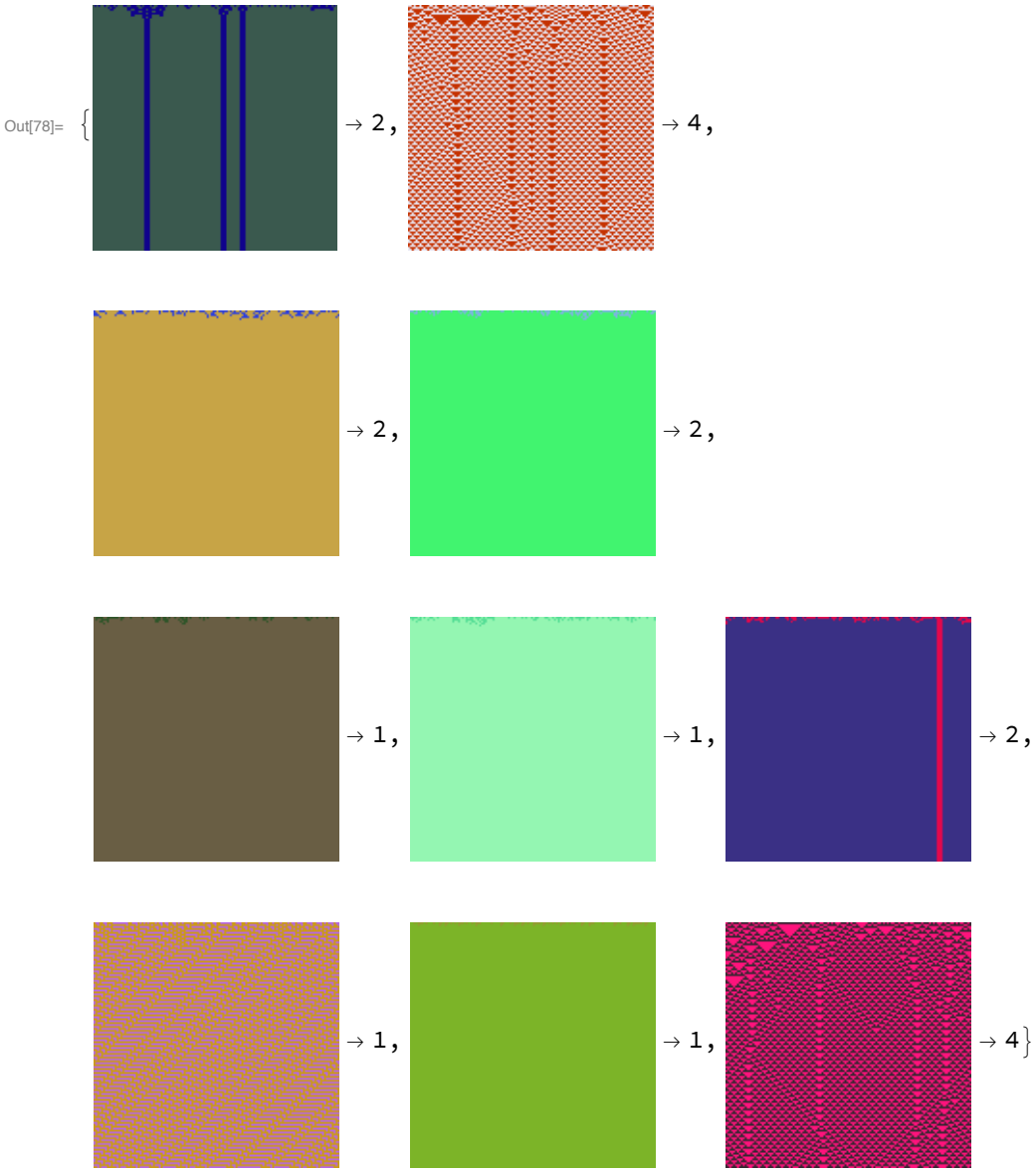


In[73]:=
```
NetMeasurements[netECA19, fullTestSetBigC,
 {"Accuracy", "Precision", "ConfusionMatrixPlot"}]
```

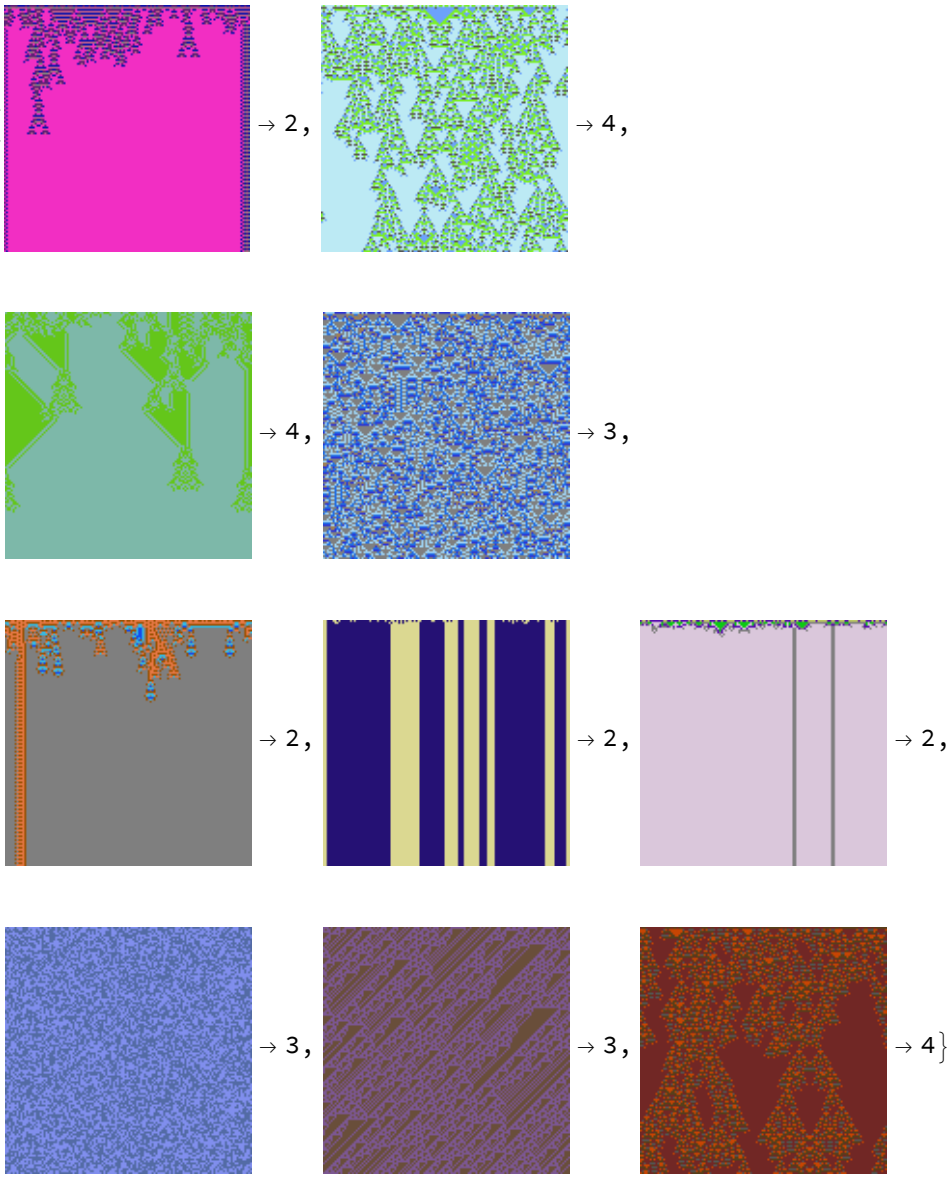
Out[73]=
```
{0.969531, ⟨|1 → 0.941794, 2 → 0.9369, 3 → 0.985428, 4 → 0.991422|⟩,
```



In[74]:=
```
entropyImagesBigC = RandomSample[Keys[fullTestSetBigC], 500];
entropiesBigC = netECA19[entropyImagesBigC, "Entropy"];
highEntBigC = entropyImagesBigC[[Ordering[entropiesBigC, -10]]];
lowEntBigC = entropyImagesBigC[[Ordering[entropiesBigC, 10]]];
Thread[highEntBigC → netECA19[highEntBigC]]
Thread[lowEntBigC → netECA19[lowEntBigC]]
```

Out[78]= 

Out[79]=

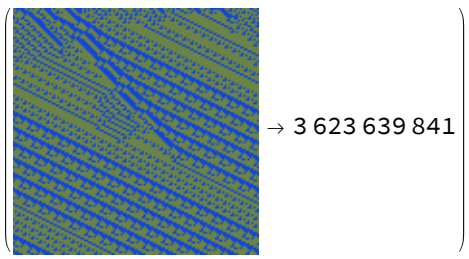


Testing Network XIX (200 epochs) on unseen CA rule spaces

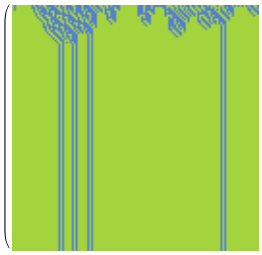
2-colour non-totalistic, range 2

In[84]:=
```
test4Data2kr2C19 = datak2r2C[128, 128, 8];
Thread[
 test4Data2kr2C19 → netECA19[Keys@test4Data2kr2C19, {"TopProbabilities", 2}]]
```

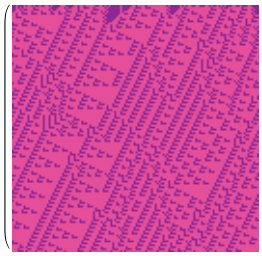
Out[85]=



$\to 3\,623\,639\,841 \to \{4 \to 5.92466 \times 10^{-19}, 3 \to 1.\},$

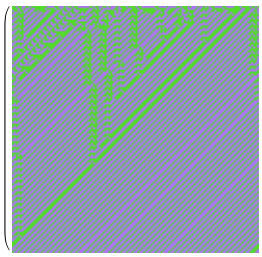


$\to 4\,204\,902\,033 \to \{4 \to 2.56823 \times 10^{-8}, 2 \to 1.\},$

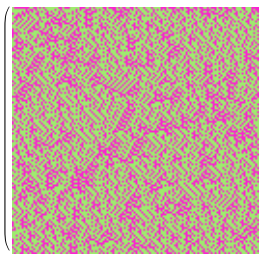


$\to 3\,766\,586\,648 \to \{1 \to 0., 3 \to 1.\},$

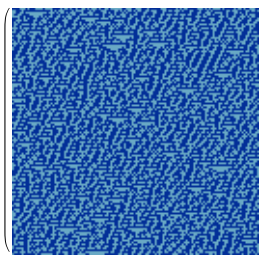
$\to 3\,083\,711\,710 \to \{4 \to 2.17708 \times 10^{-25}, 3 \to 1.\},$



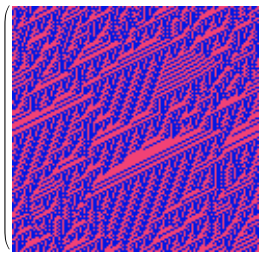
$\to 3\,912\,062\,127 \to \{1 \to 0., 2 \to 1.\},$



$\to 3\,127\,103\,417 \to \{1 \to 0., 3 \to 1.\},$



$\to 1\,368\,223\,734 \to \{3 \to 0.0375692, 4 \to 0.962431\},$


→ 1 157 293 582 → {4 → 0.253713, 3 → 0.746287}

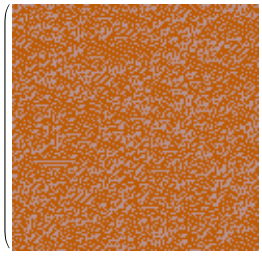
2-colour non-totalistic, range 3

In[86]:=
```
test4Data2kr3C19 = datak2r3NT[128, 128, 8];
Thread[
 test4Data2kr3C19 → netECA19[Keys@test4Data2kr3C19, {"TopProbabilities", 2}]]
```

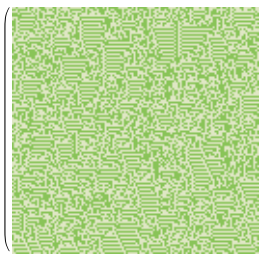
Out[87]=


→ 124 905 465 127 170 717 525 549 371 999 495 851 185 →

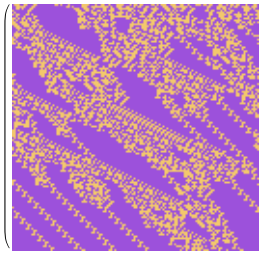
{4 → 4.25787 × 10^-22, 3 → 1.},


→ 64 150 751 993 555 644 365 500 719 311 625 036 355 →

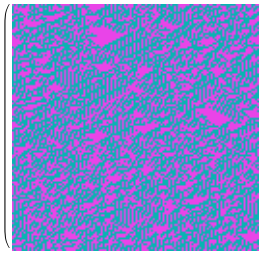
{4 → 3.40968 × 10^-31, 3 → 1.},


→ 36 728 299 501 322 596 356 207 863 519 173 249 151 →

{4 → 1.92235 × 10^-12, 3 → 1.},

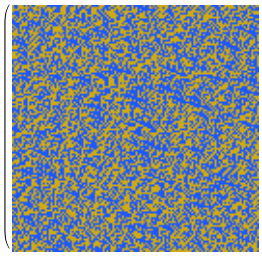

→ 323 119 304 778 780 202 562 738 468 472 713 800 353 →

$$\{3 \to 0.190559,\ 4 \to 0.809441\},$$



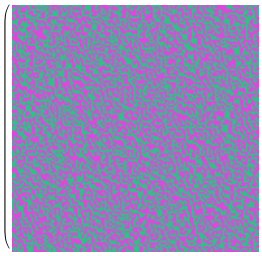
$$\to 176\,137\,957\,070\,216\,127\,711\,947\,686\,257\,562\,998\,744 \to$$

$$\{1 \to 0.,\ 3 \to 1.\},$$



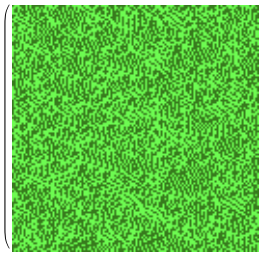
$$\to 66\,657\,172\,551\,850\,916\,438\,827\,226\,271\,776\,823\,681 \to$$

$$\{4 \to 9.37229 \times 10^{-18},\ 3 \to 1.\},$$



$$\to 95\,305\,147\,057\,683\,925\,587\,325\,090\,943\,101\,523\,205 \to$$

$$\{4 \to 1.7544 \times 10^{-26},\ 3 \to 1.\},$$

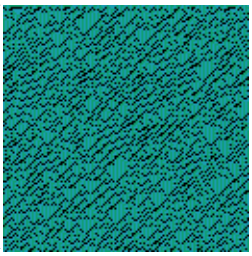


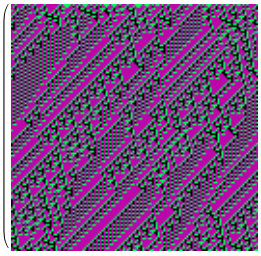
$$\to 75\,507\,431\,845\,018\,814\,437\,187\,840\,734\,694\,338\,361 \to$$

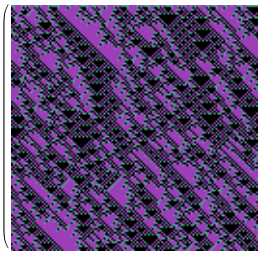
$$\{4 \to 1.14088 \times 10^{-28},\ 3 \to 1.\}\}$$

3-colour non-totalistic, range 1

In[90]:=
```
test4Data3kr1C19 = datak3r1NT[128, 128, 8];
Thread[
 test4Data3kr1C19 → netECA19[Keys@test4Data3kr1C19, {"TopProbabilities", 2}]]
```

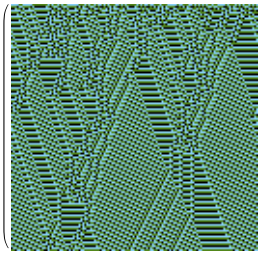
Out[91]= $\Big\{$  $\to 903\,740\,772\,813 \to \{4 \to 1.43387 \times 10^{-14}, 3 \to 1.\}$,

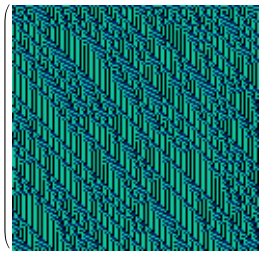
 $\to 4\,969\,181\,144\,217 \to \{2 \to 0.0805151, 4 \to 0.919485\}$,

 $\to 7\,038\,367\,528\,689 \to \{3 \to 8.64922 \times 10^{-26}, 4 \to 1.\}$,

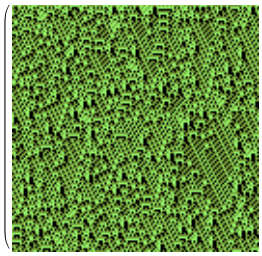
 $\to 432\,813\,174\,387 \to \{4 \to 1.4013 \times 10^{-45}, 2 \to 1.\}$,

 $\to 2\,083\,475\,355\,420 \to \{4 \to 1.38076 \times 10^{-8}, 3 \to 1.\}$,

 $\to 966\,244\,316\,659 \to \{4 \to 8.30269 \times 10^{-33}, 3 \to 1.\}$,



→ 2 855 715 719 711 → {1 → 0., 3 → 1.},

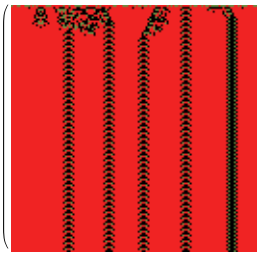


→ 2 262 027 167 458 → {4 → 9.07924 × 10^-22, 3 → 1.}}

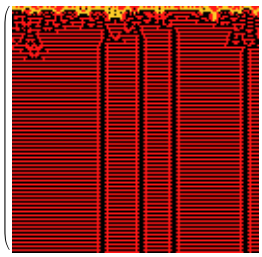
3-colour totalistic, range 2

In[100]:=
```
test4Data3kr2C19 = datak3r2C[128, 128, 8];
Thread[
 test4Data3kr2C19 → netECA19[Keys@test4Data3kr2C19, {"TopProbabilities", 2}]]
```

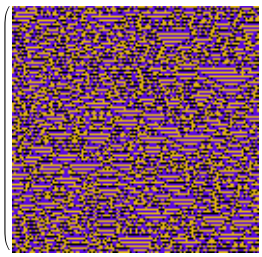
Out[101]=



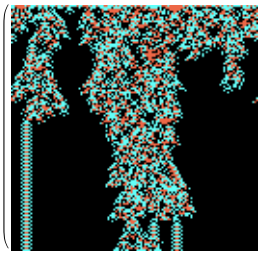
→ 44 637 → {1 → 0., 4 → 1.},



→ 97 532 → {1 → 0.0136907, 2 → 0.985288},

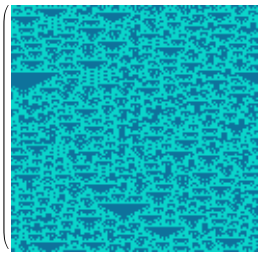


→ 81 718 → {4 → 2.22072 × 10^-29, 3 → 1.},

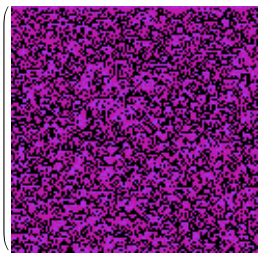


→ 168 849 → {1 → 0., 4 → 1.},

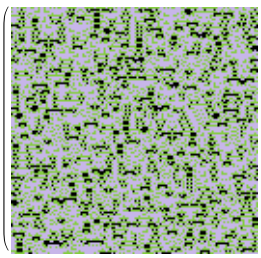
→ 169 937 → {2 → 0.0000493435, 1 → 0.999913},



→ 172 884 → {4 → 0.0000281311, 3 → 0.999972},



→ 76 127 → $\{4 \to 1.65065 \times 10^{-10}, 3 \to 1.\}$,

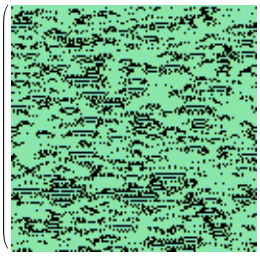


→ 72 457 → {3 → 0.0406162, 4 → 0.959384}}

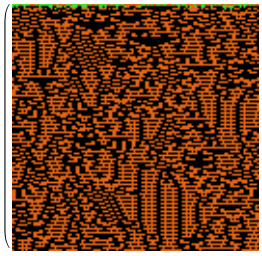
3-colour totalistic, range 3

In[104]:=
```
test4Data3kr3C19 = datak3r3C[128, 128, 8];
Thread[
 test4Data3kr3C19 → netECA19[Keys@test4Data3kr3C19, {"TopProbabilities", 2}]]
```

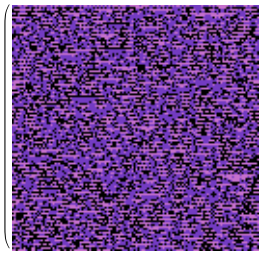
Out[105]=



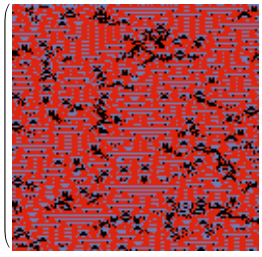
→ 5 332 402 → {1 → 0., 3 → 1.},



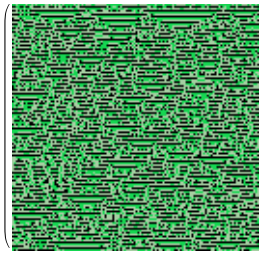
→ 12 215 348 → {3 → 0.0215091, 4 → 0.978491},



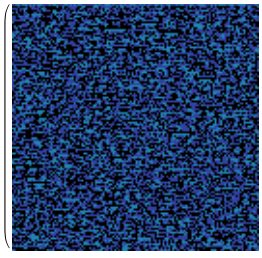
→ 5 882 266 → $\{4 \to 7.74599 \times 10^{-10}, 3 \to 1.\}$,



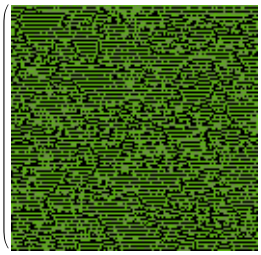
→ 3 262 519 → {1 → 0., 3 → 1.},



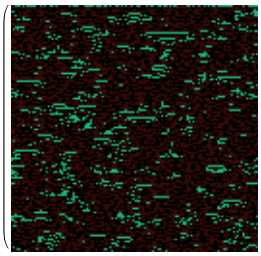
→ 4 981 094 → {4 → 0.000228014, 3 → 0.999772},



→ 9 082 439 → $\{4 \to 1.88074 \times 10^{-13}, 3 \to 1.\}$,



→ 1 672 559 → {3 → 0.0000689613, 4 → 0.999931},

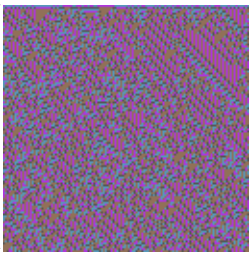


→ 4 454 413 → {3 → 0.152785, 4 → 0.847215}}

4-colour non-totalistic, range 1

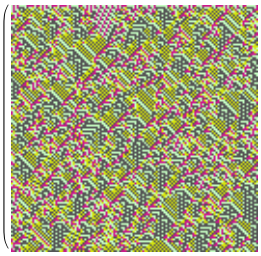
In[110]:=
```
test4Data4kr1C19 = datak4r1NT[128, 128, 8];
Thread[
 test4Data4kr1C19 → netECA19[Keys@test4Data4kr1C19, {"TopProbabilities", 2}]]
```

Out[111]=



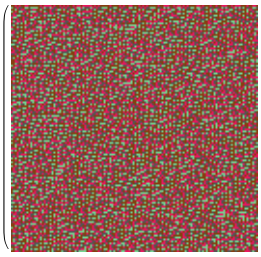
→ 268 480 064 929 651 762 891 007 015 829 128 083 689 →

$\{4 \to 5.90905 \times 10^{-31}, 3 \to 1.\}$,



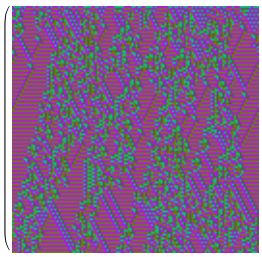
→ 309 415 291 386 320 905 513 458 675 451 823 606 210 →

{3 → 0.0527879, 4 → 0.947212},



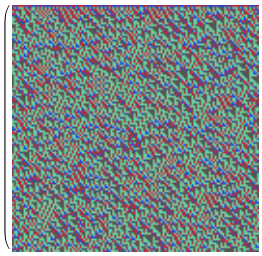
→ 30 989 344 170 865 628 249 558 072 247 841 941 742 →

$\{4 \to 1.13198 \times 10^{-13}, 3 \to 1.\}$,



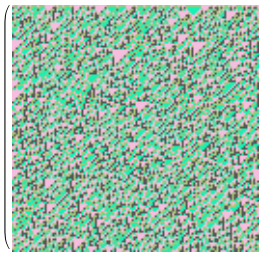
→ 38 159 113 987 244 829 576 355 750 648 069 816 463 →

$\{3 \to 5.90041 \times 10^{-36}, 4 \to 1.\}$,



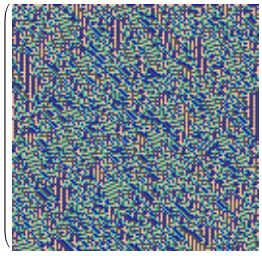
→ 249 183 157 890 630 189 577 220 606 861 906 191 102 →

$\{4 \to 5.20515 \times 10^{-10}, 3 \to 1.\}$,



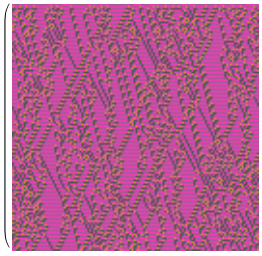
→ 303 528 074 844 669 290 852 560 133 934 740 411 631 →

$\{3 \to 0.0369437, 4 \to 0.963056\}$,



→ 86 045 152 578 514 755 153 037 573 764 695 519 542 →

$\{4 \to 9.68725 \times 10^{-27}, 3 \to 1.\}$,



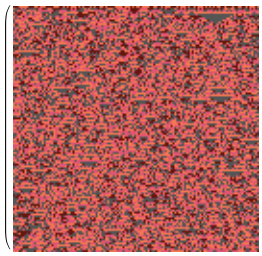
→ 35 725 484 667 282 961 631 098 969 929 047 786 325 →

$\{3 \to 2.96151 \times 10^{-29}, 4 \to 1.\}\}$

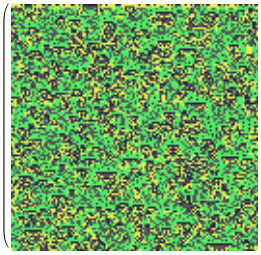
4-colour totalistic, range 2

In[112]:=
```
test4Data4kr2C19 = datak4r2C[128, 128, 8];
Thread[
 test4Data4kr2C19 → netECA19[Keys@test4Data4kr2C19, {"TopProbabilities", 2}]]
```

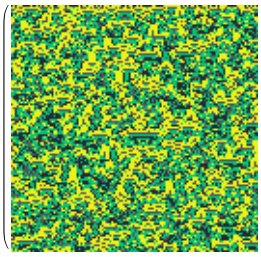
Out[113]=



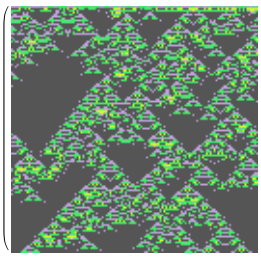
→ 3 039 279 908 → {4 → 1.99769 × 10^-22, 3 → 1.},



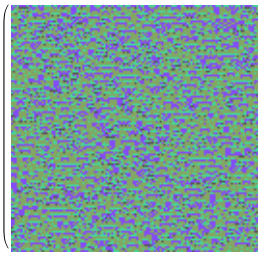
→ 1 004 857 722 → {4 → 2.69276 × 10^-14, 3 → 1.},



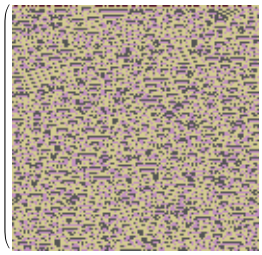
→ 1 136 086 050 → {4 → 5.1036 × 10^-14, 3 → 1.},



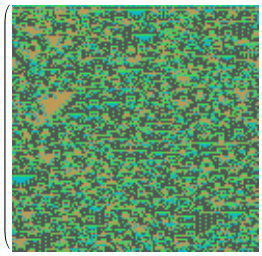
→ 3 492 358 882 → {3 → 1.56014 × 10^-7, 4 → 1.},



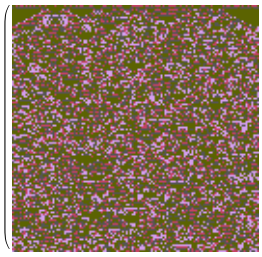
→ 1 069 866 717 → {4 → 8.91689 × 10^-21, 3 → 1.},



$\to 171\,122\,738 \to \{4 \to 2.21848 \times 10^{-11}, 3 \to 1.\},$



$\to 3\,452\,577\,709 \to \{4 \to 1.17042 \times 10^{-13}, 3 \to 1.\},$

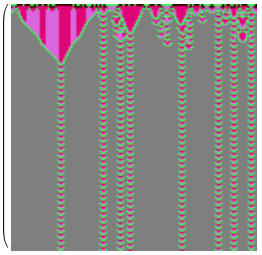


$\to 701\,805\,990 \to \{4 \to 2.21188 \times 10^{-16}, 3 \to 1.\}\}$

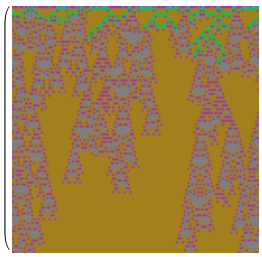
5-colour totalistic, range 1

In[116]:=
```
test4Data5kr1C19 = data5T2C[8, 128, 128];
Thread[
 test4Data5kr1C19 → netECA19[Keys@test4Data5kr1C19, {"TopProbabilities", 2}]]
```

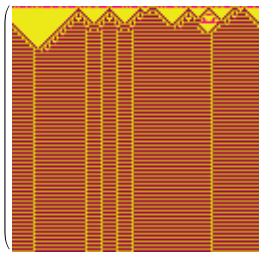
Out[117]=



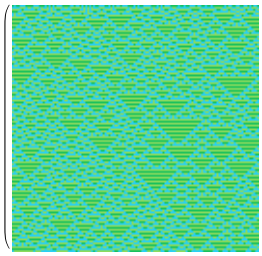
$\{ \to 1\,207\,540\,399 \to \{4 \to 2.97016 \times 10^{-21}, 2 \to 1.\},$



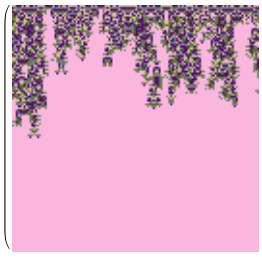
$\to 1\,142\,383\,118 \to \{1 \to 0., 4 \to 1.\},$



→ 1 123 443 123 → {4 → 0.0000133564, 2 → 0.999987},

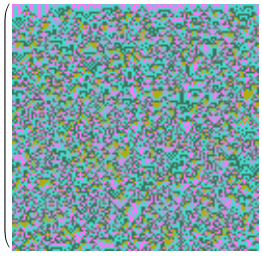


→ 179 147 268 → {3 → 0.00253984, 4 → 0.99746},

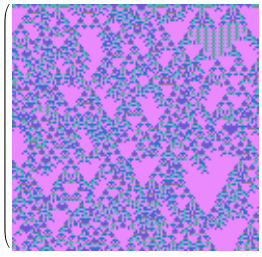


→ 1 070 088 188 → $\{4 \to 5.16433 \times 10^{-17}, 2 \to 1.\}$,

→ 839 709 526 → $\{1 \to 1.99965 \times 10^{-42}, 2 \to 1.\}$,



→ 1 029 145 401 → $\{4 \to 4.63463 \times 10^{-18}, 3 \to 1.\}$,

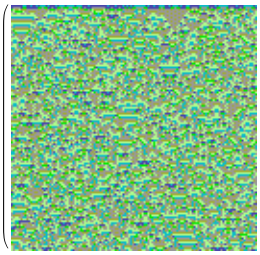


→ 153 105 290 → $\{3 \to 4.82742 \times 10^{-35}, 4 \to 1.\}\}$

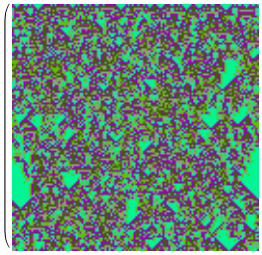
6-colour totalistic, range 1

In[124]:=
```
test4Data6kr1C19 = data6TC[8, 128, 128];
Thread[
 test4Data6kr1C19 → netECA19[Keys@test4Data6kr1C19, {"TopProbabilities", 2}]]
```

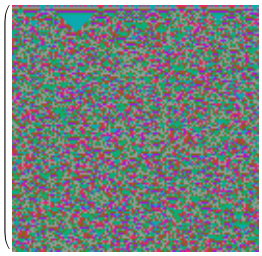
Out[125]=



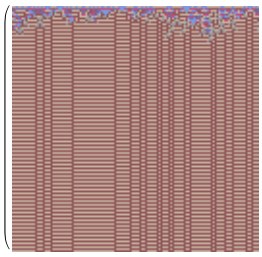
→ 521 151 757 166 → $\{4 \to 4.2538 \times 10^{-27}, 3 \to 1.\}$,



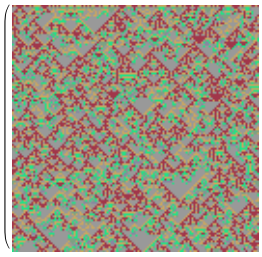
→ 1 148 948 615 051 → $\{3 \to 1.05684 \times 10^{-11}, 4 \to 1.\}$,



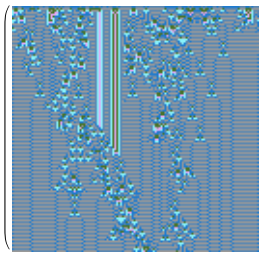
→ 1 701 138 861 521 → $\{3 \to 0.344279, 4 \to 0.655721\}$,



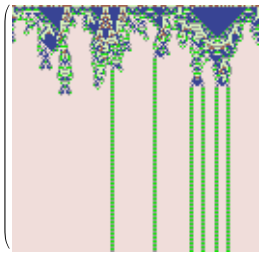
→ 772 044 852 372 → $\{4 \to 3.00861 \times 10^{-22}, 2 \to 1.\}$,



→ 401 641 356 701 → $\{4 \to 1.64612 \times 10^{-16}, 3 \to 1.\}$,



→ 1 317 230 504 887 → $\{3 \to 7.00649 \times 10^{-45}, 4 \to 1.\}$,



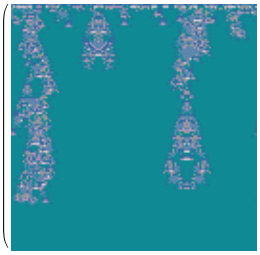
→ 688 870 202 959 → $\{2 \to 4.08491 \times 10^{-13}, 4 \to 1.\}$,

→ 2 362 168 351 069 → $\{2 \to 9.19252 \times 10^{-43}, 4 \to 1.\}\}$

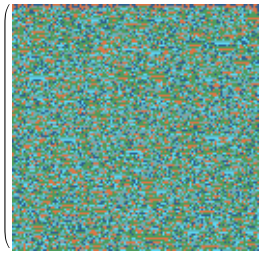
6-colour totalistic, range 2

In[134]:=
```
test4Data6kr2C19 = data6T2C[8, 128, 128];
Thread[
 test4Data6kr2C19 → netECA19[Keys@test4Data6kr2C19, {"TopProbabilities", 2}]]
```

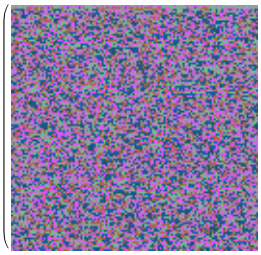
Out[135]= {



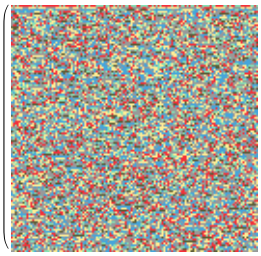
→ 148 490 913 881 245 616 342 → $\{3 \to 6.33961 \times 10^{-15}, 4 \to 1.\}$,



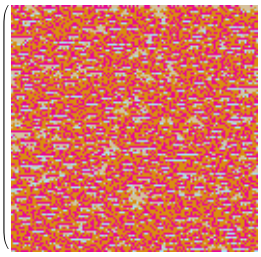
→ 137 813 202 347 051 710 725 → $\{4 \to 2.24399 \times 10^{-27}, 3 \to 1.\}$,



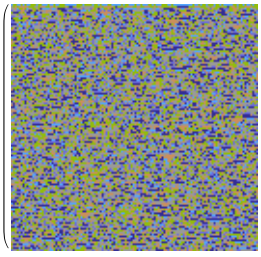
$\to 145\,612\,570\,579\,789\,266\,485 \Big| \to \left\{4 \to 1.52405 \times 10^{-9},\ 3 \to 1.\right\},$



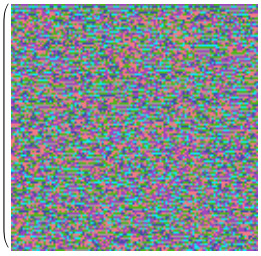
$\to 57\,362\,919\,586\,594\,306\,710 \Big| \to \{4 \to 0.031388,\ 3 \to 0.968612\},$



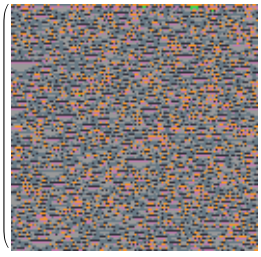
$\to 24\,770\,952\,214\,224\,040\,296 \Big| \to \left\{4 \to 5.16516 \times 10^{-16},\ 3 \to 1.\right\},$



$\to 143\,600\,862\,017\,240\,236\,453 \Big| \to \left\{4 \to 1.30214 \times 10^{-22},\ 3 \to 1.\right\},$



$\to 160\,410\,817\,633\,450\,677\,074 \Big| \to \{4 \to 0.000231853,\ 3 \to 0.999768\},$

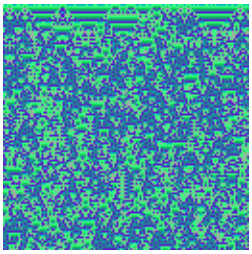


$\to 99\,035\,735\,849\,117\,353\,433 \Big| \to \left\{4 \to 7.72208 \times 10^{-20},\ 3 \to 1.\right\}\}$

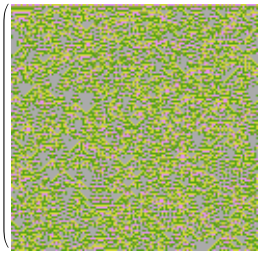
7-colour totalistic, range 1

In[140]:=
```
test4Data7kr1C19 = data7TC[8, 128, 128];
Thread[
 test4Data7kr1C19 → netECA19[Keys@test4Data7kr1C19, {"TopProbabilities", 2}]]
```

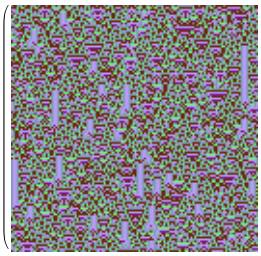
Out[141]=



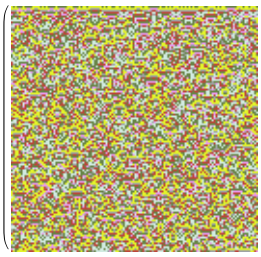
→ 7 905 962 486 151 833 → {4 → 0.000554173, 3 → 0.999446},



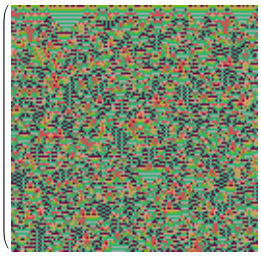
→ 5 986 825 348 569 542 → {4 → 0.0000562114, 3 → 0.999944},



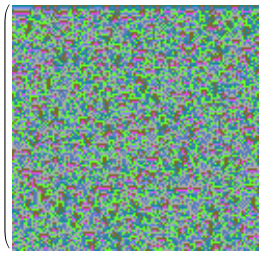
→ 5 160 779 372 988 604 → $\{3 \to 1.30743 \times 10^{-8}, 4 \to 1.\}$,



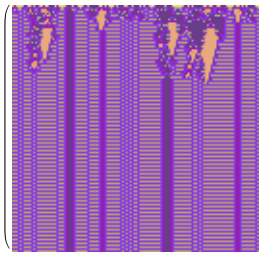
→ 2 668 104 076 298 035 → $\{4 \to 3.94844 \times 10^{-18}, 3 \to 1.\}$,



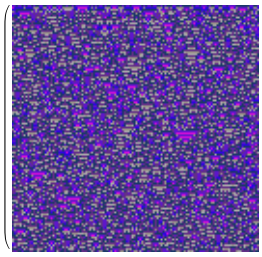
→ 3 691 759 700 407 743 → $\{4 \to 4.45377 \times 10^{-16}, 3 \to 1.\}$,



→ 1 440 812 301 139 250 → {4 → 2.17204 × 10^-16, 3 → 1.},



→ 10 929 419 536 918 414 → {4 → 0.0898063, 2 → 0.910194},

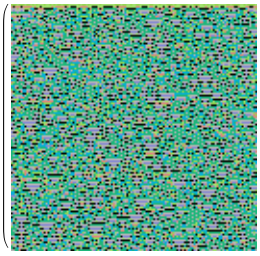


→ 870 299 002 890 078 → {4 → 2.68048 × 10^-10, 3 → 1.}}

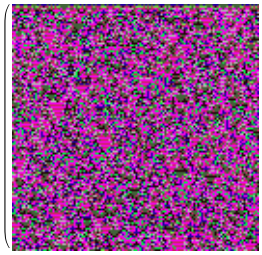
8-colour totalistic, range 1

In[142]:=
```
test4Data8kr1C19 = data8TC[8, 128, 128];
Thread[
 test4Data8kr1C19 → netECA19[Keys@test4Data8kr1C19, {"TopProbabilities", 2}]]
```

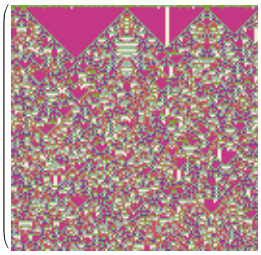
Out[143]=



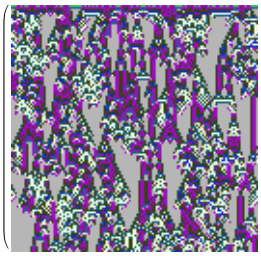
→ 59 125 043 292 911 533 831 → {4 → 2.29341 × 10^-24, 3 → 1.},



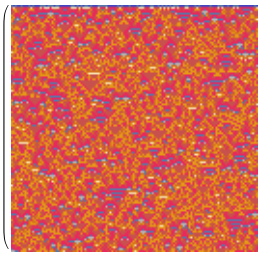
→ 42 327 489 577 905 146 096 → {4 → 2.26592 × 10^-16, 3 → 1.},



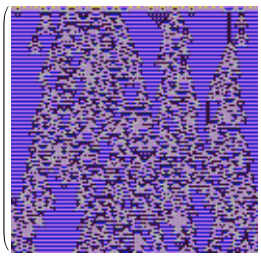
→ 27 493 918 164 619 079 600 → $\{4 \to 1.41836 \times 10^{-22}, 3 \to 1.\}$,



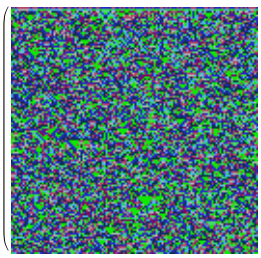
→ 44 604 484 385 457 579 525 → $\{1 \to 0., 4 \to 1.\}$,



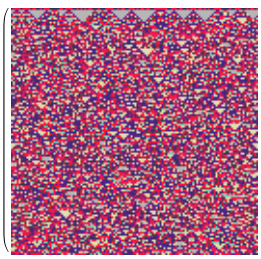
→ 44 601 321 771 076 613 987 → $\{4 \to 7.78289 \times 10^{-25}, 3 \to 1.\}$,



→ 41 129 731 740 372 203 883 → $\{3 \to 0.274545, 4 \to 0.725455\}$,



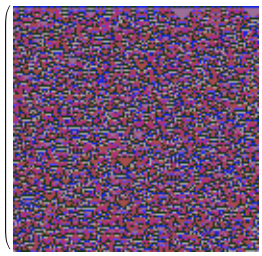
→ 69 557 501 891 528 005 051 → $\{4 \to 5.60689 \times 10^{-12}, 3 \to 1.\}$,



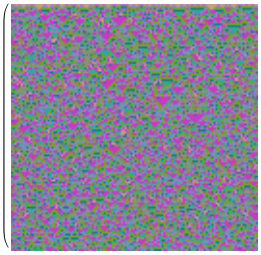
→ 71 754 449 283 143 194 262 → $\{4 \to 2.72879 \times 10^{-13}, 3 \to 1.\}\}$

In[146]:=
```
test4Data8kr1C19 = data8TC[8, 128, 128];
Thread[
 test4Data8kr1C19 → netECA19[Keys@test4Data8kr1C19, {"TopProbabilities", 2}]]
```

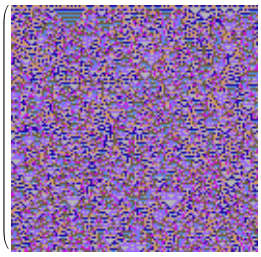
Out[147]=



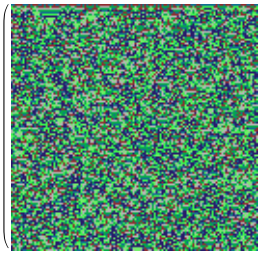
→ 30 958 781 818 328 214 442 → {4 → 4.62524 × 10^-15, 3 → 1.},



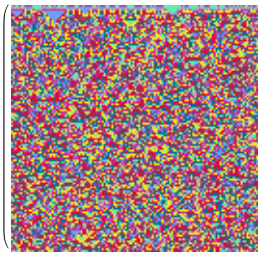
→ 61 018 914 870 782 867 384 → {4 → 1.13687 × 10^-12, 3 → 1.},



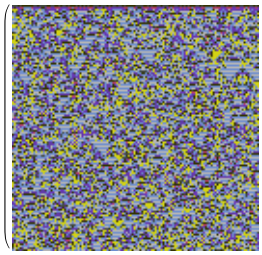
→ 20 705 257 985 378 094 677 → {4 → 1.82975 × 10^-19, 3 → 1.},



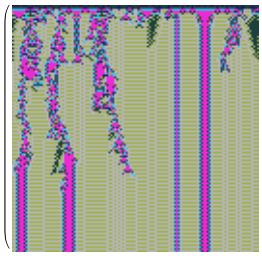
→ 43 941 374 463 684 638 030 → {4 → 1.04552 × 10^-6, 3 → 0.999999},



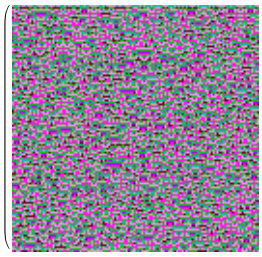
→ 3 024 227 929 898 264 848 → {4 → 1.85219 × 10^-8, 3 → 1.},



→ 17 487 862 603 567 426 913 → {4 → 3.05308 × 10^-7, 3 → 1.},



→ 63 093 631 381 744 169 828 → {2 → 1.26841 × 10^-29, 4 → 1.},

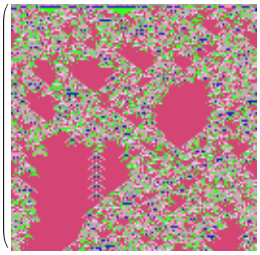


→ 27 830 330 837 012 619 129 → {4 → 0.126106, 3 → 0.873894}}

8-colour totalistic, range 2

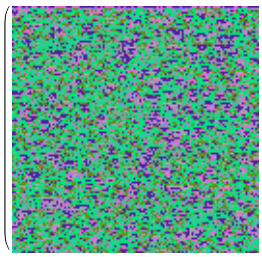
In[162]:=
```
test4Data8kr2C19 = data8T2C[8, 128, 128];
Thread[
 test4Data8kr2C19 → netECA19[Keys@test4Data8kr2C19, {"TopProbabilities", 2}]]
```

Out[163]=



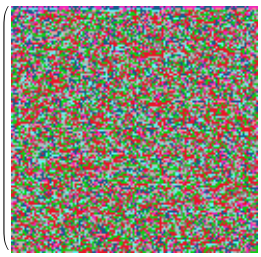
→ 147 951 460 881 093 444 119 820 865 699 524 →

{3 → 1.95996 × 10^-6, 4 → 0.999998},



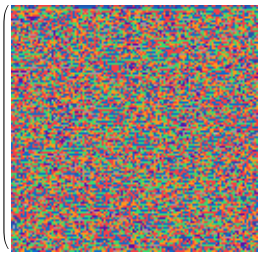
→ 119 355 423 761 325 445 881 228 685 558 134 →

{4 → 0.060776, 3 → 0.939224},



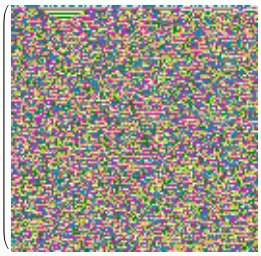
→ 307 982 756 305 321 800 462 830 043 829 803 →

$\{4 \to 2.91468 \times 10^{-9}, 3 \to 1.\}$,



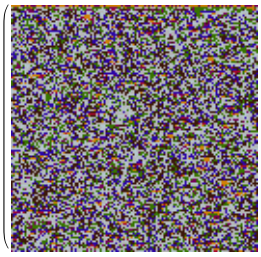
→ 62 874 465 515 649 272 486 967 493 933 559 →

$\{4 \to 5.81908 \times 10^{-7}, 3 \to 0.999999\}$,



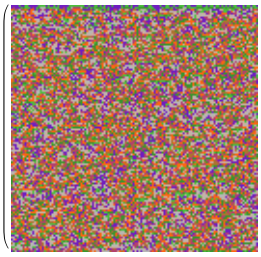
→ 65 948 684 565 606 780 569 516 519 912 636 →

$\{4 \to 0.0000545016, 3 \to 0.999946\}$,



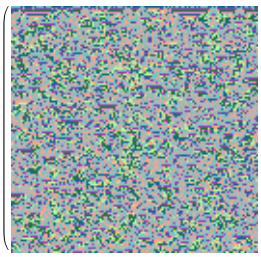
→ 181 374 136 488 855 143 429 706 946 971 289 →

$\{4 \to 2.66552 \times 10^{-19}, 3 \to 1.\}$,



→ 176 951 646 325 376 055 797 052 520 179 269 →

$\{4 \to 1.80483 \times 10^{-11}, 3 \to 1.\}$,



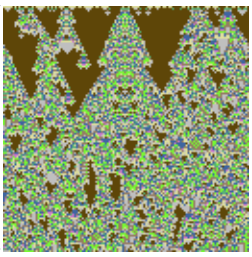
→ 223 691 650 274 434 738 686 390 233 580 833 →

$\{4 \to 1.5659 \times 10^{-25}, 3 \to 1.\}\}$

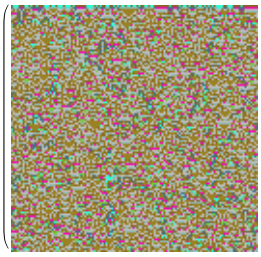
9-colour totalistic, range 1

In[164]:=
```
test4Data9kr1C19 = data9TC[8, 128, 128];
Thread[
 test4Data9kr1C19 → netECA19[Keys@test4Data9kr1C19, {"TopProbabilities", 2}]]
```

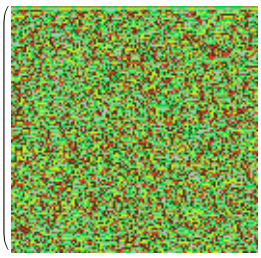
Out[165]=



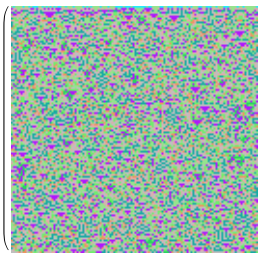
→ 650 813 664 375 243 924 798 654 → $\{3 \to 1.79014 \times 10^{-12}, 4 \to 1.\}$,



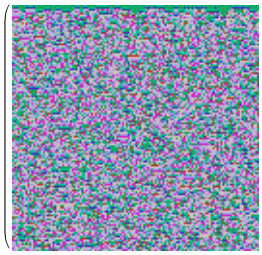
→ 693 038 569 142 680 517 501 061 → $\{4 \to 1.91095 \times 10^{-15}, 3 \to 1.\}$,



→ 172 075 759 297 755 102 243 593 → $\{4 \to 8.47525 \times 10^{-15}, 3 \to 1.\}$,

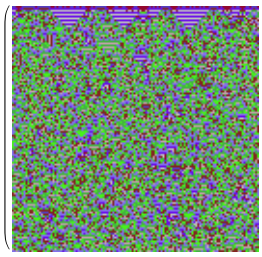


→ 635 936 007 119 328 418 474 377 → $\{4 \to 8.59589 \times 10^{-12}, 3 \to 1.\}$,

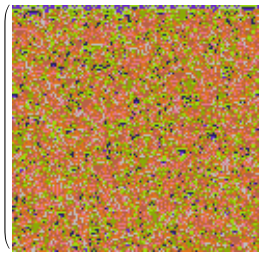


→ 83 078 033 797 966 507 654 335 →

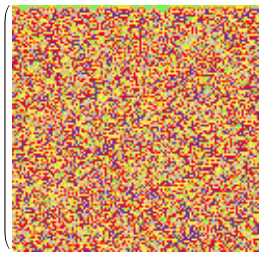
$\{4 \to 2.50512 \times 10^{-6}, 3 \to 0.999997\}$,



→ 61 694 440 956 086 220 642 257 → $\{4 \to 1.8296 \times 10^{-15}, 3 \to 1.\}$,



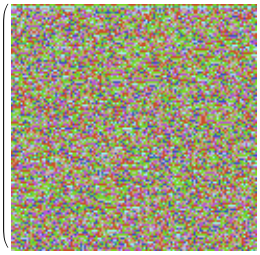
→ 19 805 866 291 496 747 949 388 → $\{4 \to 4.2757 \times 10^{-11}, 3 \to 1.\}$,



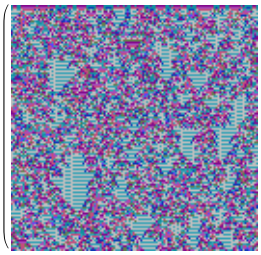
→ 117 792 334 074 770 391 492 414 → $\{4 \to 4.76414 \times 10^{-21}, 3 \to 1.\}\}$

In[168]:=
```
test4Data9kr1C19 = data9TC[8, 128, 128];
Thread[
 test4Data9kr1C19 → netECA19[Keys@test4Data9kr1C19, {"TopProbabilities", 2}]]
```

Out[169]=

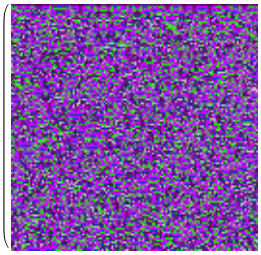


→ 345 366 264 162 505 652 483 033 → $\{4 \to 8.11519 \times 10^{-8}, 3 \to 1.\}$,

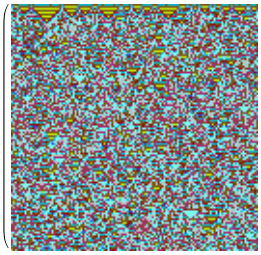


→ 169 035 156 573 517 225 784 083 →

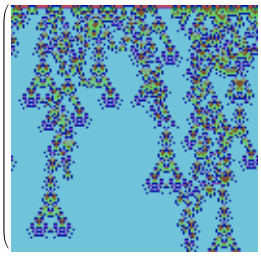
{4 → 0.000967143, 3 → 0.999033},



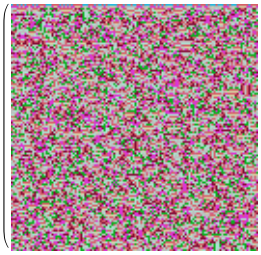
→ 241 423 372 275 813 570 992 926 → {4 → 1.72993 × 10^-11, 3 → 1.},



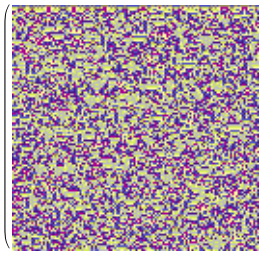
→ 323 997 218 462 529 363 923 161 → {4 → 7.27233 × 10^-16, 3 → 1.},



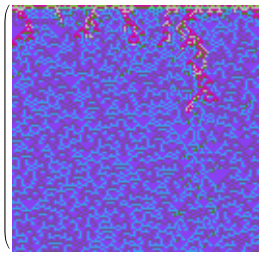
→ 274 602 130 627 677 155 314 032 → {1 → 0., 4 → 1.},



→ 538 007 856 396 749 781 700 396 → {4 → 1.82013 × 10^-20, 3 → 1.},



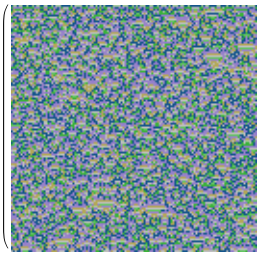
→ 282 255 417 383 452 533 668 794 → {4 → 1.74469 × 10^-12, 3 → 1.},



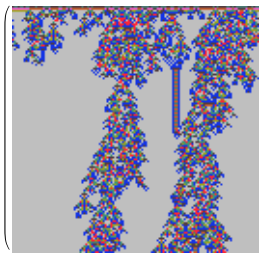
→ 386 779 672 558 013 182 448 702 → {4 → 1.71419 × 10^-17, 3 → 1.}}

In[178]:=
```
test4Data9kr1C19 = data9TC[8, 128, 128];
Thread[
 test4Data9kr1C19 → netECA19[Keys@test4Data9kr1C19, {"TopProbabilities", 2}]]
```

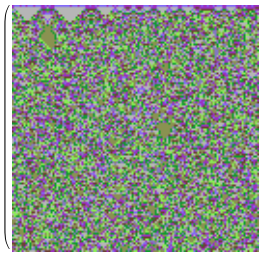
Out[179]= {



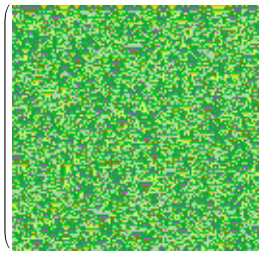
→ 161 973 745 861 678 692 145 183 → {4 → 1.92323 × 10^-16, 3 → 1.},

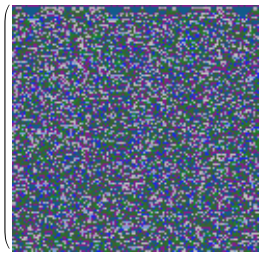


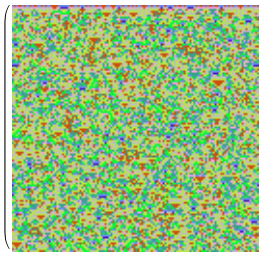
→ 195 265 225 475 606 991 826 639 → {1 → 0., 4 → 1.},

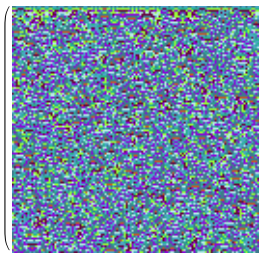


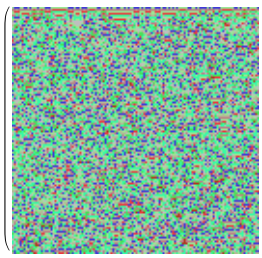
→ 229 976 304 993 680 042 622 116 → {4 → 1.13598 × 10^-14, 3 → 1.},


→ 45 546 192 831 416 331 168 463 → {4 → 1.78072 × 10^-8, 3 → 1.},


→ 271 317 841 721 163 552 341 788 → {4 → 5.28559 × 10^-9, 3 → 1.},


→ 386 796 588 960 959 381 307 104 → {4 → 0.00324702, 3 → 0.996753},


→ 13 757 000 133 048 760 792 605 → {4 → 0.00048392, 3 → 0.999516},


→ 148 054 017 088 260 077 744 039 → {4 → 9.52466 × 10^-14, 3 → 1.}}

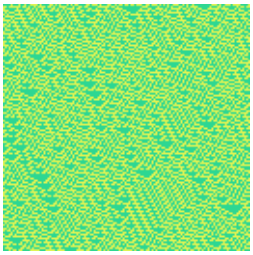
New Format for Unseen CA Testing

Testing Network XVIII (200 epochs) on unseen CA rule spaces - V2

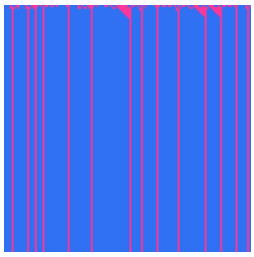
2-colour non-totalistic, range 2

In[535]:=
```
test4Data2kr2C18 = datak2r2C[128, 128, 8];
test4Data2kr2C18labeled = Thread[Labeled[
    Keys@test4Data2kr2C18, Values@test4Data2kr2C18, LabelStyle → Small]];
Thread[test4Data2kr2C18labeled → netECA18[Keys@test4Data2kr2C18,
   {"TopProbabilities", 2}]]
```

Out[537]=



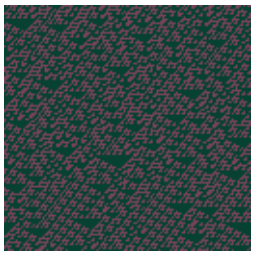
3 312 387 869 → $\{2 \to 2.26578 \times 10^{-13}, 3 \to 1.\}$,



3 524 058 672 → $\{1 \to 4.21624 \times 10^{-13}, 2 \to 1.\}$,

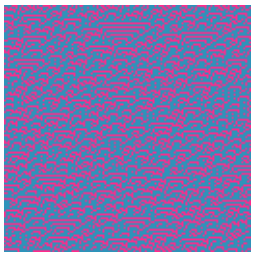
1 514 702 741 → $\{3 \to 0.00795884, 2 \to 0.992041\}$,

3 475 818 427 → $\{4 \to 1.67007 \times 10^{-14}, 2 \to 1.\}$,



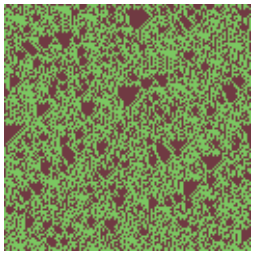
$\to \{4 \to 1.01054 \times 10^{-21}, 3 \to 1.\},$

1 083 655 580



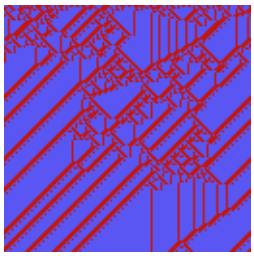
$\to \{4 \to 3.28444 \times 10^{-8}, 3 \to 1.\},$

1 874 576 323



$\to \{4 \to 2.23374 \times 10^{-7}, 3 \to 1.\},$

3 605 674 388



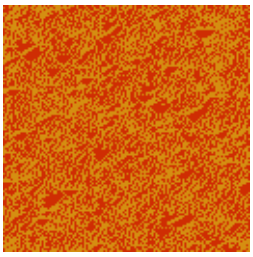
$\to \{3 \to 2.80205 \times 10^{-10}, 4 \to 1.\}\}$

1 126 749 880

2-colour non-totalistic, range 3

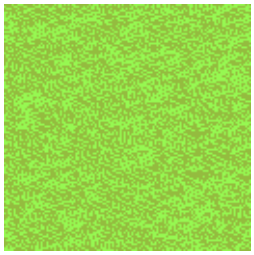
In[325]:=
```
test4Data2kr3C18 = datak2r3NT[128, 128, 8];
test4Data2kr3C18labeled = Thread[Labeled[
    Keys@test4Data2kr3C18, Values@test4Data2kr3C18, LabelStyle → Small]];
Thread[test4Data2kr3C18labeled → netECA18[Keys@test4Data2kr3C18,
   {"TopProbabilities", 2}]]
```

Out[327]= {



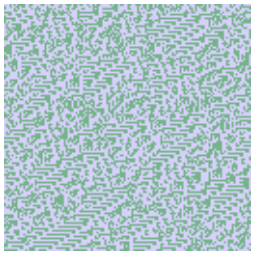
$\to \{4 \to 5.62684 \times 10^{-8}, 3 \to 1.\},$

99 551 578 148 273 169 198 897 208 006 147 826 360



$\to \{4 \to 1.32113 \times 10^{-7}, 3 \to 1.\},$

35 358 475 798 907 316 951 827 787 611 479 385 250

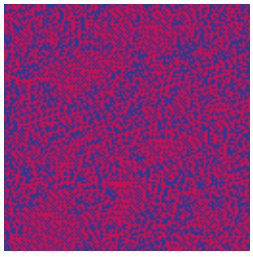


$\to \{4 \to 1.0417 \times 10^{-7}, 3 \to 1.\},$

36 803 933 801 526 909 853 220 062 789 962 811 275

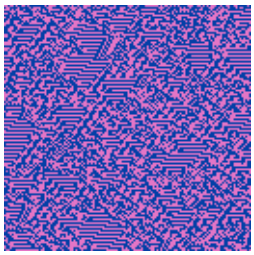
$\to \{4 \to 0.000644552, 3 \to 0.999355\},$

39 903 313 515 891 506 093 935 743 211 538 222 222



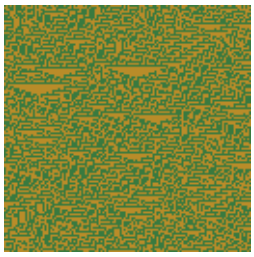
$\to \{3 \to 0.285508, 4 \to 0.714492\},$

222 838 263 066 957 626 662 046 671 803 153 620 637



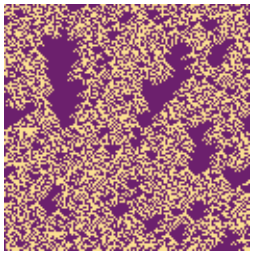
$\to \{4 \to 1.83681 \times 10^{-10}, 3 \to 1.\},$

12 468 494 678 383 889 361 821 753 917 325 448 539



$\to \{4 \to 1.0842 \times 10^{-19}, 3 \to 1.\},$

44 305 856 055 937 701 345 862 540 328 298 186 550



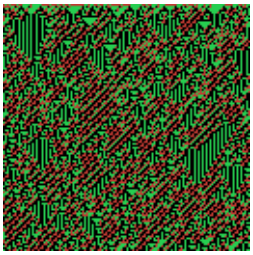
$\to \{3 \to 9.105 \times 10^{-6}, 4 \to 0.999991\}\}$

267 617 510 768 053 109 256 323 006 038 446 324 056

3-colour non-totalistic, range 1

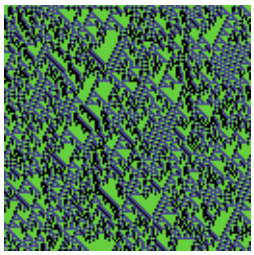
In[331]:=
```
test4Data3kr1C18 = datak3r1NT[128, 128, 8];
test4Data3kr1C18labeled = Thread[Labeled[
    Keys@test4Data3kr1C18, Values@test4Data3kr1C18, LabelStyle → Small]];
Thread[test4Data3kr1C18labeled → netECA18[Keys@test4Data3kr1C18,
   {"TopProbabilities", 2}]]
```

Out[333]=



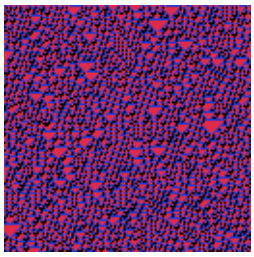
$\{\to \{3 \to 0.0917874, 4 \to 0.908213\},$

1 571 302 467 213



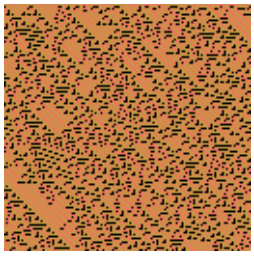
$\to \left\{3 \to 4.22647 \times 10^{-10}, 4 \to 1.\right\},$

3 341 423 193 643



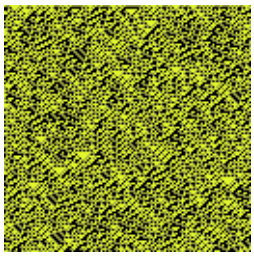
$\to \left\{4 \to 1.09209 \times 10^{-6}, 3 \to 0.999999\right\},$

6 038 131 516 158



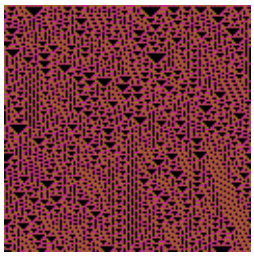
$\to \{4 \to 0.0019874, 3 \to 0.998013\},$

2 964 330 506 711



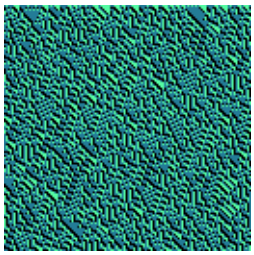
$\to \{4 \to 0.149341, 3 \to 0.850659\},$

2 043 795 596 664



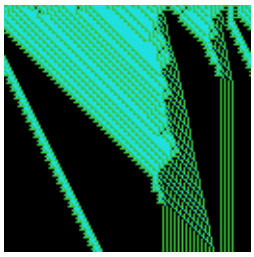
$\to \left\{4 \to 4.64997 \times 10^{-15}, 3 \to 1.\right\},$

6 229 038 683 407



2 323 009 082 805

$\to \{4 \to 1.23256 \times 10^{-6}, 3 \to 0.999999\},$



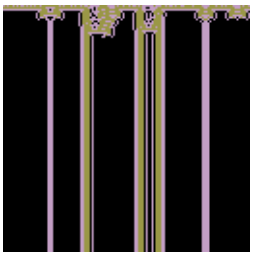
7 237 003 779 873

$\to \{2 \to 5.05033 \times 10^{-6}, 4 \to 0.999995\}\}$

3-colour totalistic, range 2

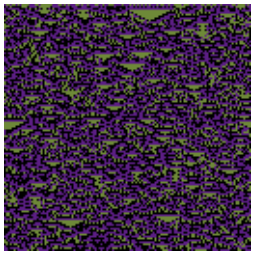
In[334]:=
```
test4Data3kr2C18 = datak3r2C[128, 128, 8];
test4Data3kr2C18labeled = Thread[Labeled[
    Keys@test4Data3kr2C18, Values@test4Data3kr2C18, LabelStyle → Small]];
Thread[test4Data3kr2C18labeled → netECA18[Keys@test4Data3kr2C18,
   {"TopProbabilities", 2}]]
```

Out[336]=



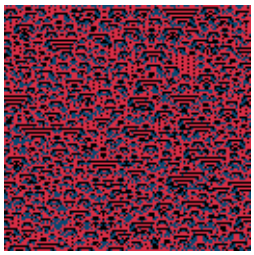
174 070

$\{ \to \{4 \to 3.78844 \times 10^{-13}, 2 \to 1.\},$

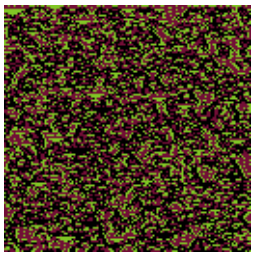


108 828

$\to \{4 \to 4.95807 \times 10^{-12}, 3 \to 1.\},$

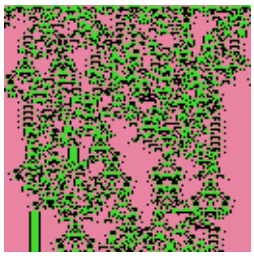


27 791 → $\{4 \to 7.17529 \times 10^{-14}, 3 \to 1.\}$,

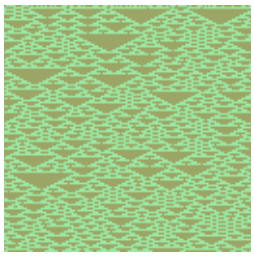


130 620 → $\{4 \to 3.4037 \times 10^{-10}, 3 \to 1.\}$,

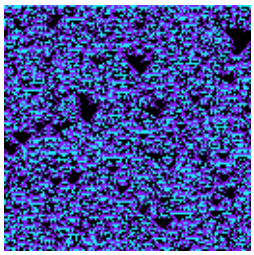
36 125 → $\{1 \to 2.30518 \times 10^{-32}, 2 \to 1.\}$,



92 996 → $\{3 \to 1.06918 \times 10^{-9}, 4 \to 1.\}$,



121 053 → $\{4 \to 9.93266 \times 10^{-17}, 3 \to 1.\}$,



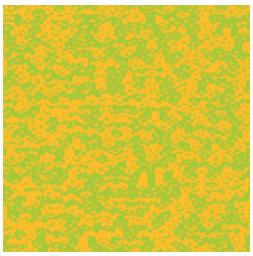
151 528

→ {3 → 0.0824379, 4 → 0.917562}}

3-colour totalistic, range 3

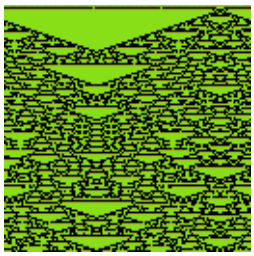
In[337]:=
```
test4Data3kr3C18 = datak3r3C[128, 128, 8];
test4Data3kr3C18labeled = Thread[Labeled[
    Keys@test4Data3kr3C18, Values@test4Data3kr3C18, LabelStyle → Small]];
Thread[test4Data3kr3C18labeled → netECA18[Keys@test4Data3kr3C18,
   {"TopProbabilities", 2}]]
```

Out[339]=



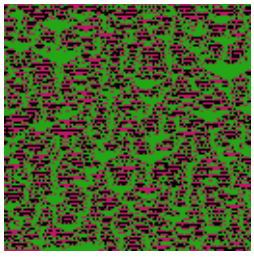
3 099 306

{ → {4 → 0.0000133774, 3 → 0.999987},



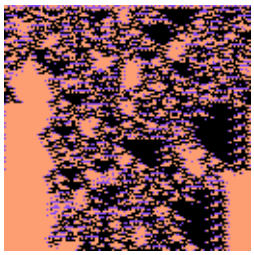
7 029 009

→ {4 → 2.05188 × 10^-26, 3 → 1.},



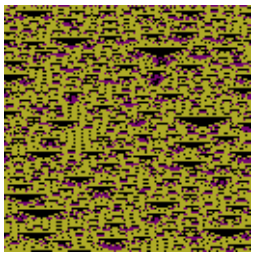
1 125 303

→ {4 → 0.000016444, 3 → 0.999984},



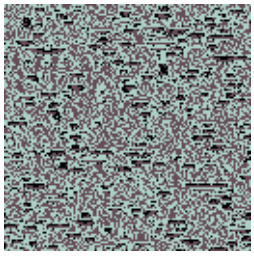
$\to \{3 \to 1.2371 \times 10^{-15}, 4 \to 1.\},$

13 655 070



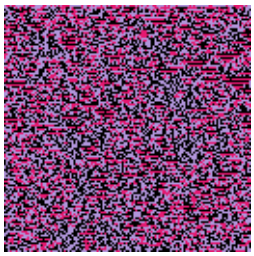
$\to \{4 \to 1.94068 \times 10^{-11}, 3 \to 1.\},$

9 614 108



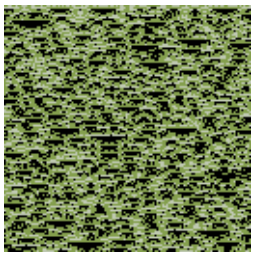
$\to \{4 \to 1.5376 \times 10^{-9}, 3 \to 1.\},$

11 960 980



$\to \{4 \to 4.52632 \times 10^{-9}, 3 \to 1.\},$

8 698 120



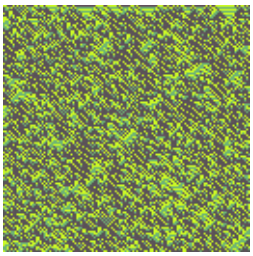
$\to \{4 \to 4.75949 \times 10^{-25}, 3 \to 1.\}\}$

13 126 418

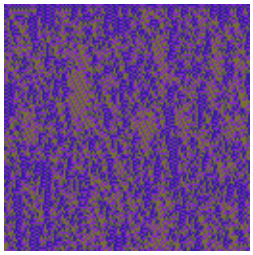
4-colour non-totalistic, range 1

In[340]:=
```
test4Data4kr1C18 = datak4r1NT[128, 128, 8];
test4Data4kr1C18labeled = Thread[Labeled[
    Keys@test4Data4kr1C18, Values@test4Data4kr1C18, LabelStyle → Small]];
Thread[test4Data4kr1C18labeled → netECA18[Keys@test4Data4kr1C18,
   {"TopProbabilities", 2}]]
```

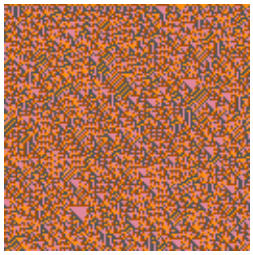
Out[342]=

{  → $\{4 \to 3.30619 \times 10^{-13}, 3 \to 1.\}$,

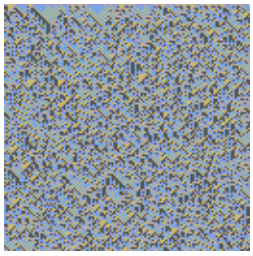
47 363 336 282 129 006 026 820 981 542 521 963 471

 → $\{4 \to 5.80167 \times 10^{-10}, 3 \to 1.\}$,

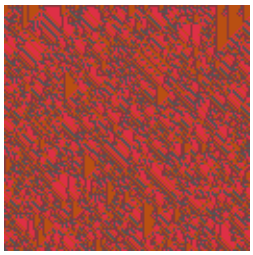
329 817 774 570 860 109 019 844 624 987 993 225 974

 → $\{4 \to 0.00309639, 3 \to 0.996904\}$,

296 989 328 924 775 435 626 986 693 102 679 269 368

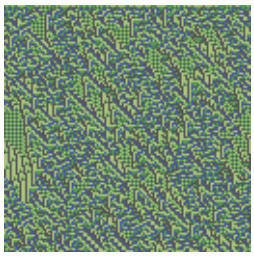
 → $\{4 \to 4.8693 \times 10^{-12}, 3 \to 1.\}$,

277 043 840 053 627 505 746 917 475 000 616 813 220



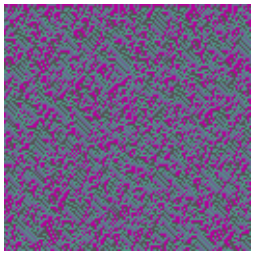
→ {3 → 0.000043137, 4 → 0.999957},

297 372 458 771 516 273 056 931 610 077 577 840 227



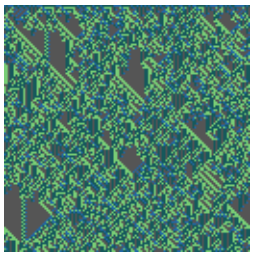
→ {4 → 0.0000362744, 3 → 0.999964},

26 912 895 002 299 472 576 733 451 589 891 132 584



→ {4 → 0.000179133, 3 → 0.999821},

45 190 769 914 069 167 984 586 974 565 370 938 754

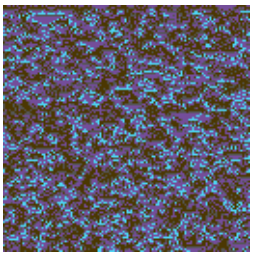


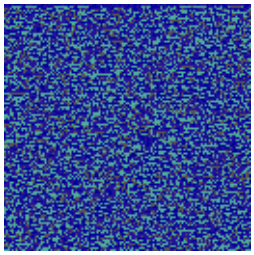
→ $\left\{3 \to 5.37614 \times 10^{-19}, 4 \to 1.\right\}\}$

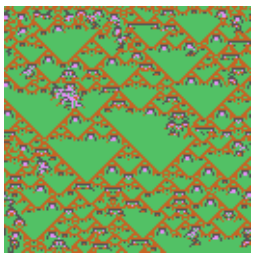
162 808 182 811 890 428 892 567 565 752 290 349 790

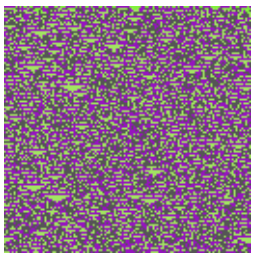
4-colour totalistic, range 2

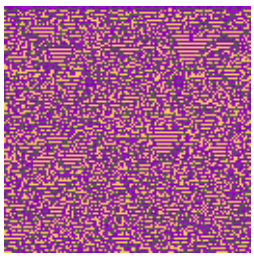
In[346]:=
```
test4Data4kr2C18 = datak4r2C[128, 128, 8];
test4Data4kr2C18labeled = Thread[Labeled[
    Keys@test4Data4kr2C18, Values@test4Data4kr2C18, LabelStyle → Small]];
Thread[test4Data4kr2C18labeled → netECA18[Keys@test4Data4kr2C18,
   {"TopProbabilities", 2}]]
```

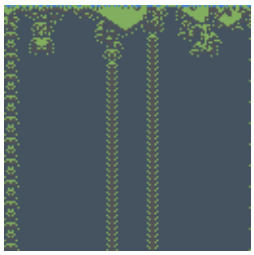
Out[348]= { 
974 505 478
$\to \{4 \to 3.19169 \times 10^{-18}, 3 \to 1.\}$,


454 439 710
$\to \{4 \to 5.4737 \times 10^{-8}, 3 \to 1.\}$,


3 923 547 398
$\to \{3 \to 0.000135287, 4 \to 0.999865\}$,

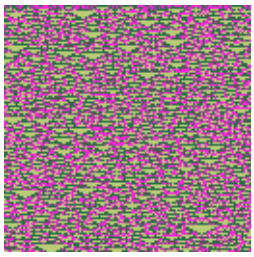

3 585 727 644
$\to \{4 \to 4.07997 \times 10^{-7}, 3 \to 1.\}$,


1 717 353 892
$\to \{3 \to 0.363185, 4 \to 0.636815\}$,



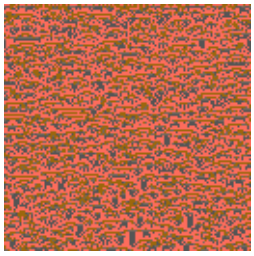
$\to \{3 \to 5.64166 \times 10^{-15}, 4 \to 1.\},$

3 421 678 732



$\to \{4 \to 2.15542 \times 10^{-17}, 3 \to 1.\},$

3 575 136 071



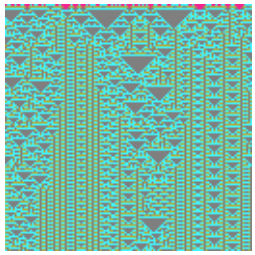
$\to \{4 \to 1.07391 \times 10^{-8}, 3 \to 1.\}\}$

2 794 869 637

5-colour totalistic, range 1

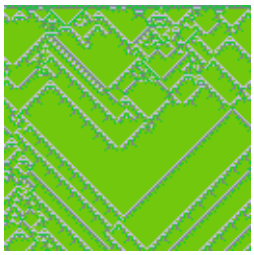
In[349]:=
```
test4Data5kr1C18 = data5T2C[8, 128, 128];
test4Data5kr1C18labeled = Thread[Labeled[
    Keys@test4Data5kr1C18, Values@test4Data5kr1C18, LabelStyle → Small]];
Thread[test4Data5kr1C18labeled → netECA18[Keys@test4Data5kr1C18,
   {"TopProbabilities", 2}]]
```

Out[351]=



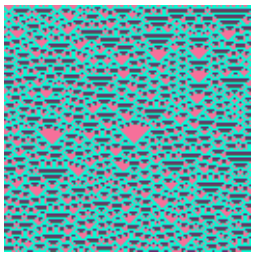
$\{\to \{4 \to 3.50365 \times 10^{-17}, 3 \to 1.\},$

52 843 997



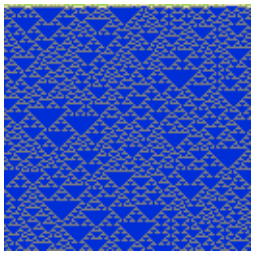
191 855 511

→ {3 → 0.000149786, 4 → 0.99985},



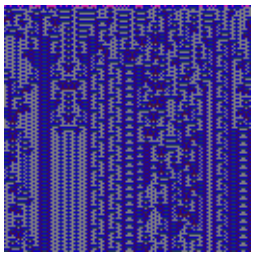
132 578 878

→ $\left\{4 \to 6.7807 \times 10^{-17}, 3 \to 1.\right\}$,



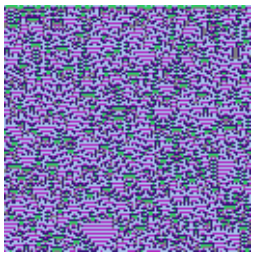
1 050 460 689

→ {4 → 0.0000493967, 3 → 0.999951},



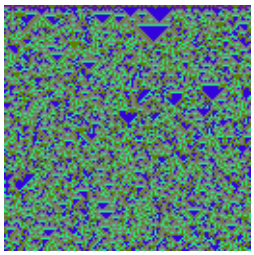
521 486 054

→ $\left\{2 \to 3.37816 \times 10^{-13}, 4 \to 1.\right\}$,



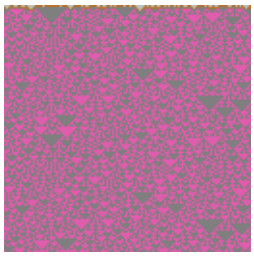
208 155 477

→ $\left\{4 \to 9.39393 \times 10^{-8}, 3 \to 1.\right\}$,



1 151 305 852

$\to \{4 \to 2.54559 \times 10^{-18}, 3 \to 1.\},$



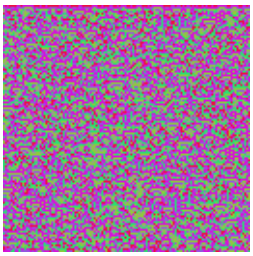
1 054 499 680

$\to \{4 \to 1.2891 \times 10^{-27}, 3 \to 1.\}\}$

6-colour totalistic, range 1

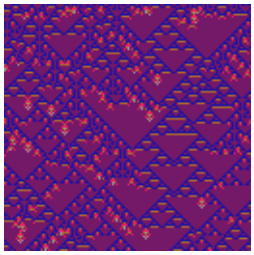
In[352]:=
```
test4Data6kr1C18 = data6TC[8, 128, 128];
test4Data6kr1C18labeled = Thread[Labeled[
    Keys@test4Data6kr1C18, Values@test4Data6kr1C18, LabelStyle → Small]];
Thread[test4Data6kr1C18labeled → netECA18[Keys@test4Data6kr1C18,
   {"TopProbabilities", 2}]]
```

Out[354]=



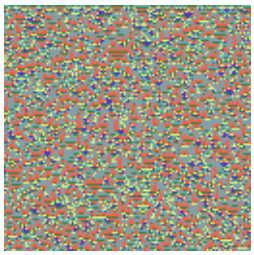
2 087 706 472 301

$\{\to \{4 \to 0.000143323, 3 \to 0.999857\},$



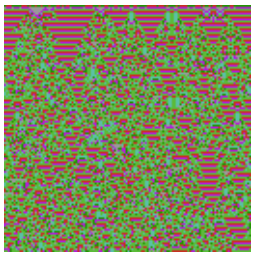
1 359 662 596 278

$\to \{3 \to 4.24896 \times 10^{-11}, 4 \to 1.\},$



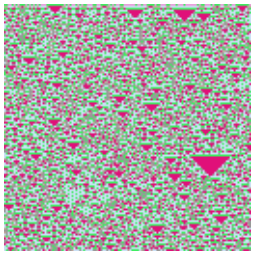
101 715 726 127

$\to \{4 \to 2.22334 \times 10^{-10}, 3 \to 1.\},$



626 135 479 216

$\to \{4 \to 0.00949019, 3 \to 0.99051\},$

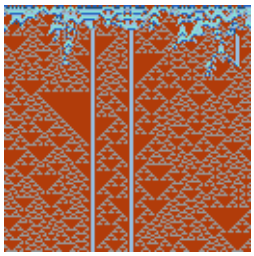


236 160 187 623

$\to \{4 \to 2.7105 \times 10^{-17}, 3 \to 1.\},$

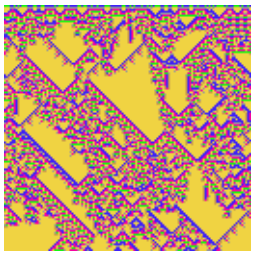
2 194 216 283 700

$\to \{2 \to 0.000408826, 1 \to 0.999591\},$



282 791 124 711

$\to \{3 \to 1.58059 \times 10^{-15}, 4 \to 1.\},$



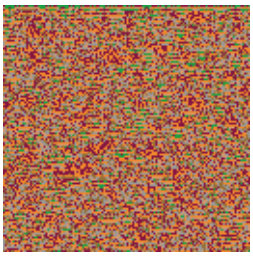
585 122 220 446

$\to \{3 \to 2.46304 \times 10^{-19}, 4 \to 1.\}\}$

6-colour totalistic, range 2

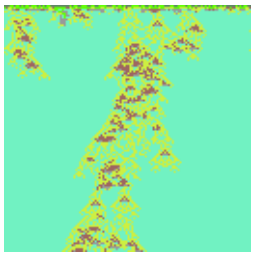
In[355]:=
```
test4Data6kr2C18 = data6T2C[8, 128, 128];
test4Data6kr2C18labeled = Thread[Labeled[
    Keys@test4Data6kr2C18, Values@test4Data6kr2C18, LabelStyle → Small]];
Thread[test4Data6kr2C18labeled → netECA18[Keys@test4Data6kr2C18,
   {"TopProbabilities", 2}]]
```

Out[357]=



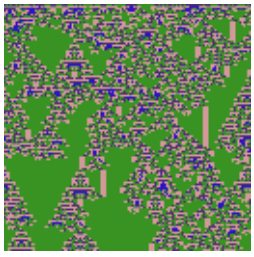
126 492 262 779 280 967 245

$\to \{4 \to 1.56299 \times 10^{-6}, 3 \to 0.999998\},$



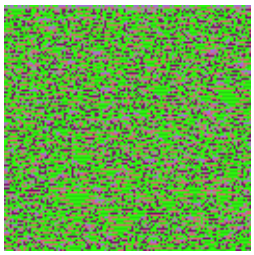
170 164 089 950 923 780 299

$\to \{3 \to 1.71257 \times 10^{-19}, 4 \to 1.\},$

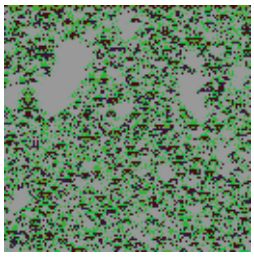


155 892 327 712 219 067 638

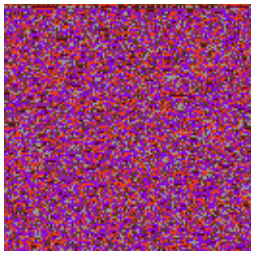
$\to \{3 \to 8.95514 \times 10^{-13}, 4 \to 1.\},$



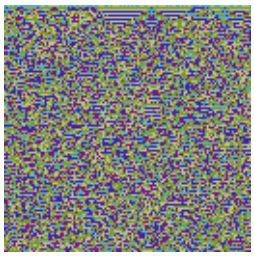
93 368 100 412 663 805 755 $\to \{4 \to 1.25818 \times 10^{-8}, 3 \to 1.\},$



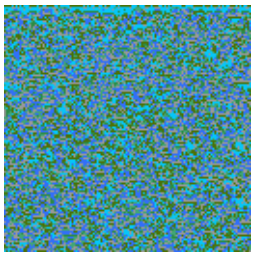
135 899 886 200 004 305 929 $\to \{4 \to 4.75288 \times 10^{-6}, 3 \to 0.999995\},$



40 491 495 414 090 990 843 $\to \{4 \to 3.28831 \times 10^{-13}, 3 \to 1.\},$



52 482 358 297 896 098 096 $\to \{4 \to 0.00354854, 3 \to 0.996451\},$

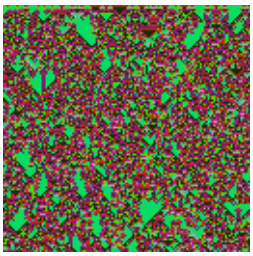


126 066 113 157 629 415 623 $\to \{4 \to 9.04766 \times 10^{-8}, 3 \to 1.\}\}$

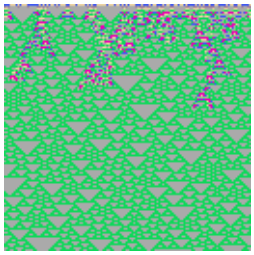
7-colour totalistic, range 1

In[373]:=
```
test4Data7kr1C18 = data7TC[8, 128, 128];
test4Data7kr1C18labeled = Thread[Labeled[
    Keys@test4Data7kr1C18, Values@test4Data7kr1C18, LabelStyle → Small]];
Thread[test4Data7kr1C18labeled → netECA18[Keys@test4Data7kr1C18,
   {"TopProbabilities", 2}]]
```

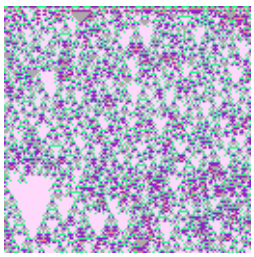
Out[375]=



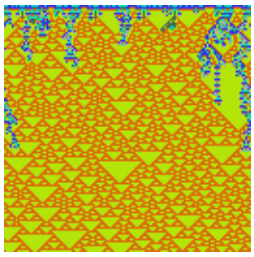
5 419 415 476 292 874 → {4 → 0.000603501, 3 → 0.999397},



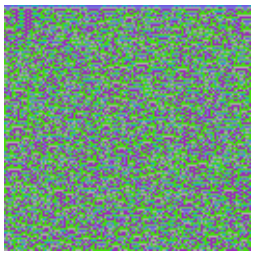
5 263 032 896 718 823 → $\{4 \to 1.58323 \times 10^{-9}, 3 \to 1.\}$,



7 020 291 676 264 106 → $\{2 \to 4.05481 \times 10^{-11}, 4 \to 1.\}$,

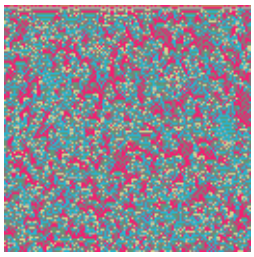


1 156 837 474 592 456 → $\{2 \to 7.7001 \times 10^{-21}, 4 \to 1.\}$,



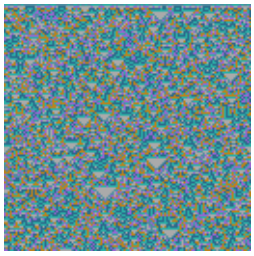
975 822 040 535 045

$\to \{4 \to 0.00665255, 3 \to 0.993347\},$



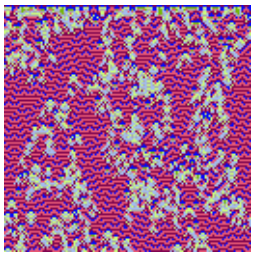
6 831 445 863 597 275

$\to \{4 \to 2.9215 \times 10^{-8}, 3 \to 1.\},$



2 999 900 742 201 901

$\to \{4 \to 4.22974 \times 10^{-19}, 3 \to 1.\},$

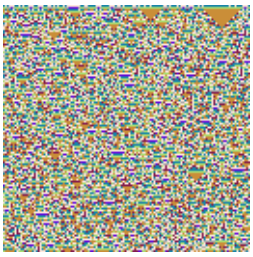


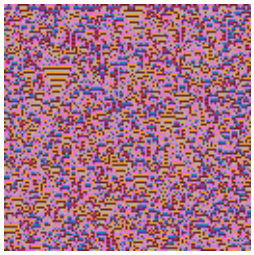
4 165 489 127 562 489

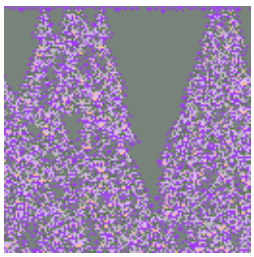
$\to \{4 \to 1.14567 \times 10^{-16}, 3 \to 1.\}\}$

8-colour totalistic, range 1

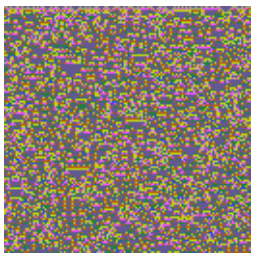
In[379]:=
```
test4Data8kr1C18 = data8TC[8, 128, 128];
test4Data8kr1C18labeled = Thread[Labeled[
    Keys@test4Data8kr1C18, Values@test4Data8kr1C18, LabelStyle → Small]];
Thread[test4Data8kr1C18labeled → netECA18[Keys@test4Data8kr1C18,
   {"TopProbabilities", 2}]]
```

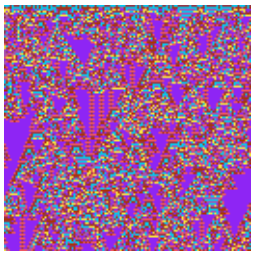
Out[381]= $\{$ 
50 929 070 805 542 865 748 $\to \{4 \to 1.25442 \times 10^{-20}, 3 \to 1.\}$,


27 586 839 754 323 551 733 $\to \{4 \to 0.137072, 3 \to 0.862928\}$,


44 346 528 569 663 390 240 $\to \{3 \to 2.12525 \times 10^{-8}, 4 \to 1.\}$,

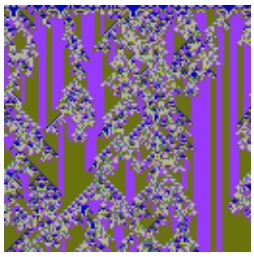

41 611 153 852 033 383 161 $\to \{4 \to 0.000612088, 3 \to 0.999388\}$,


52 397 043 003 283 631 304 $\to \{4 \to 5.68443 \times 10^{-18}, 3 \to 1.\}$,



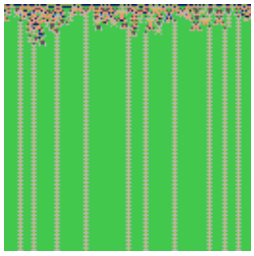
$\to \{3 \to 3.53547 \times 10^{-13}, 4 \to 1.\},$

4 859 584 663 297 976 265



$\to \{3 \to 1.23709 \times 10^{-23}, 4 \to 1.\},$

40 462 293 174 819 572 784

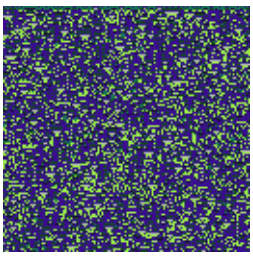


$\to \{1 \to 4.45234 \times 10^{-14}, 2 \to 1.\}\}$

31 565 401 331 503 942 033

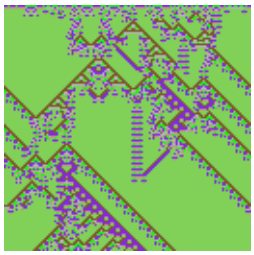
In[382]:=
```
test4Data8kr1C18 = data8TC[8, 128, 128];
test4Data8kr1C18labeled = Thread[Labeled[
    Keys@test4Data8kr1C18, Values@test4Data8kr1C18, LabelStyle → Small]];
Thread[test4Data8kr1C18labeled → netECA18[Keys@test4Data8kr1C18,
   {"TopProbabilities", 2}]]
```

Out[384]=



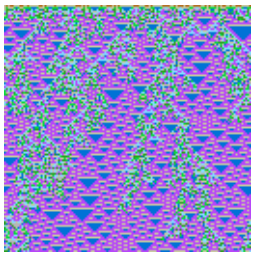
$\to \{4 \to 1.29992 \times 10^{-6}, 3 \to 0.999999\},$

37 704 545 164 847 890 018



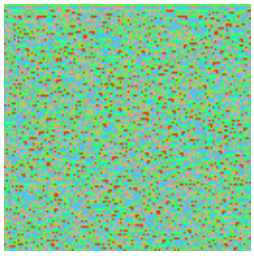
$\to \{3 \to 9.65757 \times 10^{-15}, 4 \to 1.\},$

27 648 091 129 795 825 837



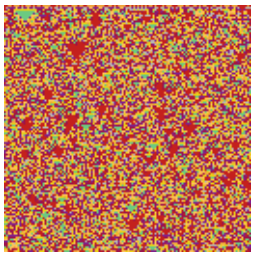
$\to \{4 \to 3.23122 \times 10^{-6}, 3 \to 0.999997\},$

60 505 018 748 296 148 542



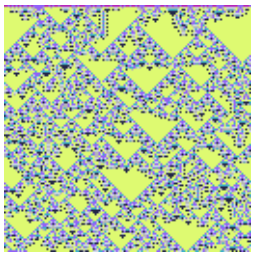
$\to \{4 \to 3.09422 \times 10^{-6}, 3 \to 0.999997\},$

54 287 354 911 476 152 107



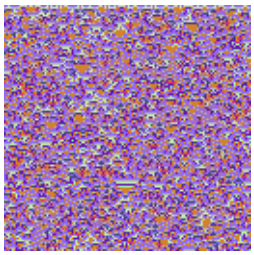
$\to \{4 \to 1.61319 \times 10^{-13}, 3 \to 1.\},$

51 683 500 767 429 363 920



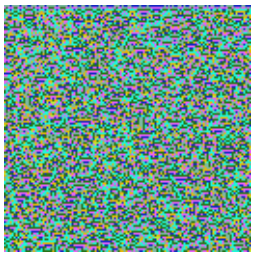
$\to \{4 \to 0.0000932216, 3 \to 0.999907\},$

41 609 680 851 379 694 800



$\to \{4 \to 1.21235 \times 10^{-9}, 3 \to 1.\},$

63 509 679 527 843 614 538



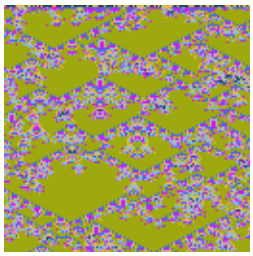
$\to \{4 \to 1.98827 \times 10^{-9}, 3 \to 1.\}\}$

6 460 427 784 035 907 917

8-colour totalistic, range 2

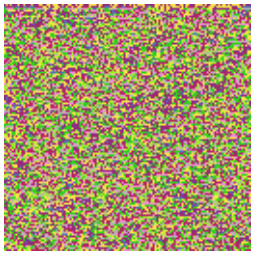
In[487]:=
```
test4Data8kr2C18 = data8T2C[8, 128, 128];
test4Data8kr2C18labeled = Thread[Labeled[
    Keys@test4Data8kr2C18, Values@test4Data8kr2C18, LabelStyle → Small]];
Thread[test4Data8kr2C18labeled → netECA18[Keys@test4Data8kr2C18,
   {"TopProbabilities", 2}]]
```

Out[489]= $\{$



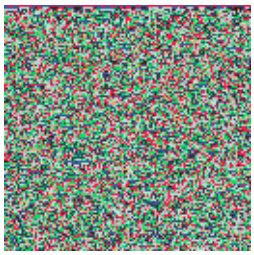
$\to \{3 \to 7.88283 \times 10^{-12}, 4 \to 1.\},$

229 321 369 541 173 903 171 226 198 126 330



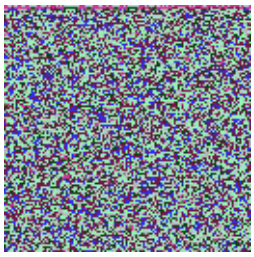
$\to \{4 \to 0.00109673, 3 \to 0.998903\},$

291 185 141 089 185 274 214 583 413 507 046



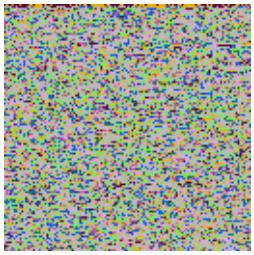
$\to \{4 \to 0.000326178, 3 \to 0.999674\},$

282 186 565 988 139 310 685 504 387 498 444



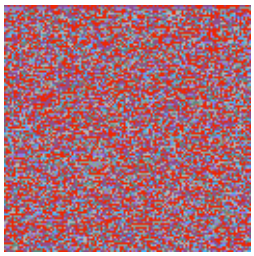
$\to \left\{4 \to 1.02374 \times 10^{-9}, 3 \to 1.\right\},$

112 532 574 870 883 354 099 356 064 113 252



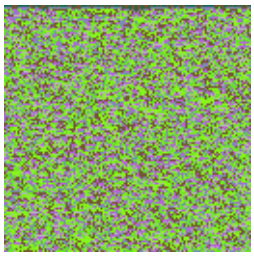
$\to \left\{4 \to 1.24142 \times 10^{-11}, 3 \to 1.\right\},$

236 991 826 693 416 819 134 399 943 087 298



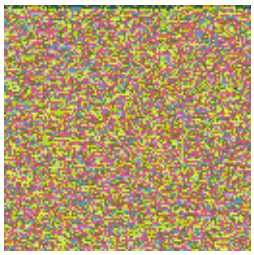
$\to \left\{4 \to 1.45662 \times 10^{-13}, 3 \to 1.\right\},$

63 680 569 239 782 716 398 778 656 016 965



$\to \left\{4 \to 6.68537 \times 10^{-7}, 3 \to 0.999999\right\},$

308 344 304 481 068 219 036 959 151 470 092



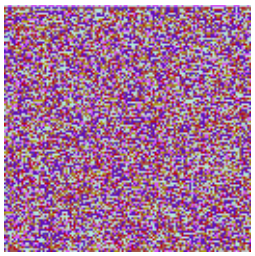
105 724 215 011 096 612 281 834 858 043 422

$\to \{4 \to 1.57705 \times 10^{-8}, 3 \to 1.\}\}$

9-colour totalistic, range 1

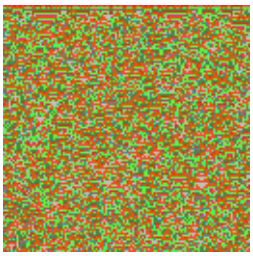
In[496]:=
```
test4Data9kr1C18 = data9TC[8, 128, 128];
test4Data9kr1C18labeled = Thread[Labeled[
    Keys@test4Data9kr1C18, Values@test4Data9kr1C18, LabelStyle → Small]];
Thread[test4Data9kr1C18labeled → netECA18[Keys@test4Data9kr1C18,
   {"TopProbabilities", 2}]]
```

Out[498]=



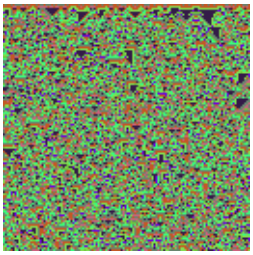
457 094 757 911 682 583 135 513

$\to \{4 \to 5.83823 \times 10^{-9}, 3 \to 1.\},$



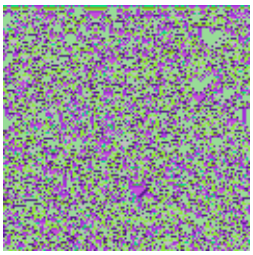
425 392 860 893 969 211 015 901

$\to \{4 \to 0.0000180204, 3 \to 0.999982\},$



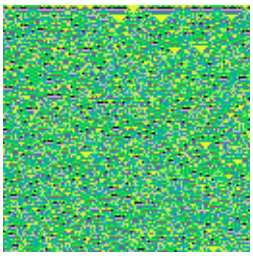
619 273 769 732 372 476 607 237

$\to \{4 \to 4.45654 \times 10^{-7}, 3 \to 1.\},$



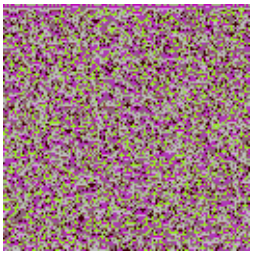
529 952 216 513 222 451 975 404

$\to \{4 \to 8.57981 \times 10^{-11}, 3 \to 1.\},$



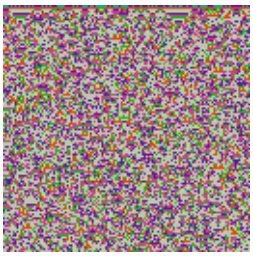
180 356 719 388 510 007 067 549

$\to \{4 \to 2.43131 \times 10^{-7}, 3 \to 1.\},$



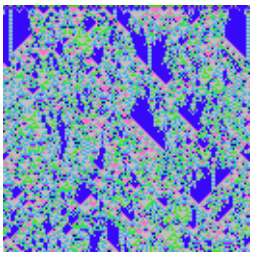
433 148 230 728 762 736 100 900

$\to \{4 \to 1.51658 \times 10^{-8}, 3 \to 1.\},$



396 827 895 882 577 775 438 185

$\to \{4 \to 6.70076 \times 10^{-10}, 3 \to 1.\},$

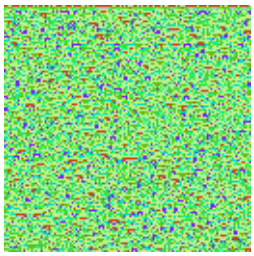


351 429 815 695 311 172 396 620

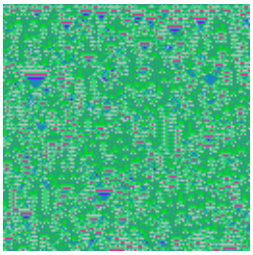
$\to \{2 \to 4.02659 \times 10^{-6}, 4 \to 0.999996\}\}$

In[511]:=
```
test4Data9kr1C18 = data9TC[8, 128, 128];
test4Data9kr1C18labeled = Thread[Labeled[
    Keys@test4Data9kr1C18, Values@test4Data9kr1C18, LabelStyle → Small]];
Thread[test4Data9kr1C18labeled → netECA18[Keys@test4Data9kr1C18,
   {"TopProbabilities", 2}]]
```

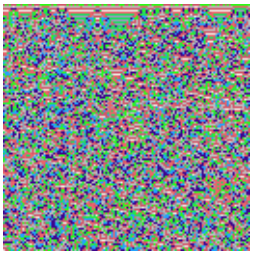
Out[513]=



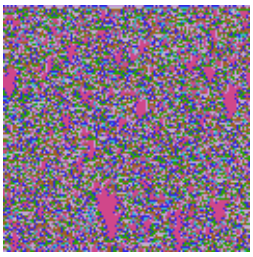
571 898 225 263 709 171 935 181 → {4 → 2.58219 × 10^-8, 3 → 1.},



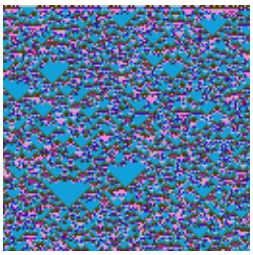
16 416 436 883 866 903 040 539 → {4 → 4.17492 × 10^-16, 3 → 1.},



505 080 187 994 424 945 599 908 → {4 → 6.31934 × 10^-11, 3 → 1.},

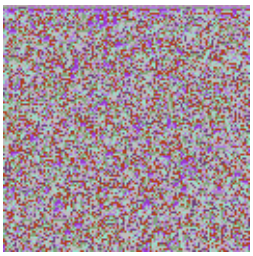


405 543 563 336 574 719 930 798 → {3 → 9.02887 × 10^-6, 4 → 0.999991},



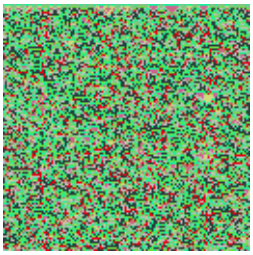
$\to \{4 \to 1.01538 \times 10^{-9}, 3 \to 1.\},$

640 899 150 274 978 311 294 101



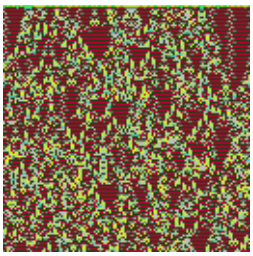
$\to \{4 \to 1.45824 \times 10^{-11}, 3 \to 1.\},$

477 880 861 207 247 090 323 396



$\to \{4 \to 9.03987 \times 10^{-7}, 3 \to 0.999999\},$

356 314 942 681 551 111 282 584

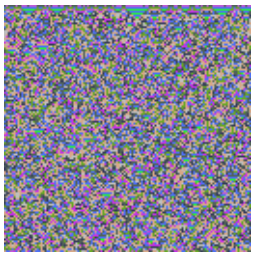


$\to \{3 \to 0.000582645, 4 \to 0.999417\}\}$

298 013 848 612 651 157 159 625

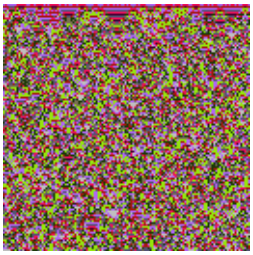
In[517]:=
```
test4Data9kr1C18 = data9TC[8, 128, 128];
test4Data9kr1C18labeled = Thread[Labeled[
    Keys@test4Data9kr1C18, Values@test4Data9kr1C18, LabelStyle → Small]];
Thread[test4Data9kr1C18labeled → netECA18[Keys@test4Data9kr1C18,
   {"TopProbabilities", 2}]]
```

Out[519]= {



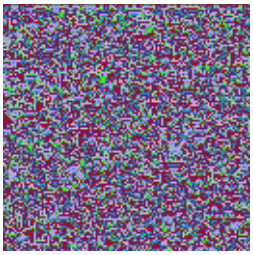
404 972 488 645 689 700 322 864

$\to \{4 \to 1.13815 \times 10^{-9}, 3 \to 1.\},$



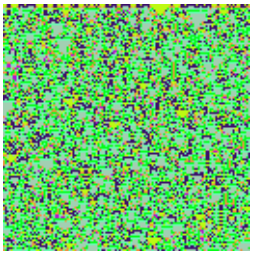
156 272 014 430 518 577 617 637

$\to \{4 \to 3.0794 \times 10^{-6}, 3 \to 0.999997\},$



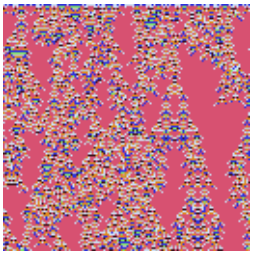
284 513 558 853 107 156 814 399

$\to \{4 \to 3.81028 \times 10^{-10}, 3 \to 1.\},$



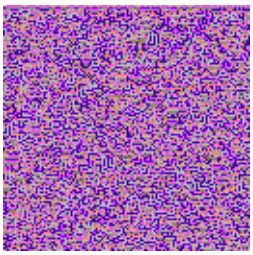
267 248 041 318 669 677 071 928

$\to \{4 \to 3.3638 \times 10^{-20}, 3 \to 1.\},$



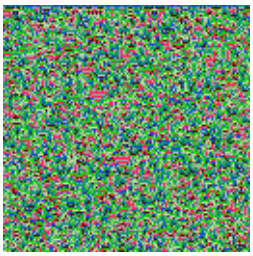
153 914 863 772 284 089 057 679

$\to \{3 \to 5.54447 \times 10^{-10}, 4 \to 1.\},$



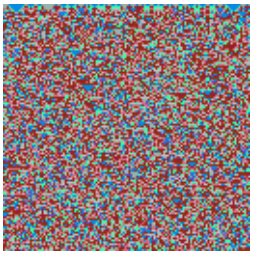
254 141 771 646 448 052 827 109

$\to \{4 \to 1.13692 \times 10^{-9}, 3 \to 1.\},$



404 793 401 643 156 100 738 375

$\to \{4 \to 5.3356 \times 10^{-12}, 3 \to 1.\},$



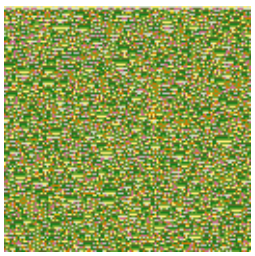
670 268 613 476 400 266 631 186

$\to \{4 \to 6.60115 \times 10^{-9}, 3 \to 1.\}\}$

In[523]:=
```
test4Data9kr1C18 = data9TC[8, 128, 128];
test4Data9kr1C18labeled = Thread[Labeled[
    Keys@test4Data9kr1C18, Values@test4Data9kr1C18, LabelStyle → Small]];
Thread[test4Data9kr1C18labeled → netECA18[Keys@test4Data9kr1C18,
   {"TopProbabilities", 2}]]
```

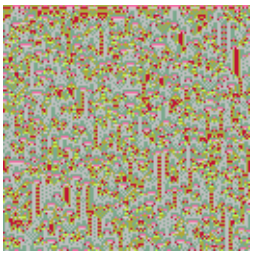
Out[525]=

$\{$



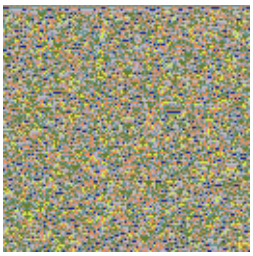
355 971 169 427 388 040 424 582

$\to \{4 \to 2.4276 \times 10^{-9}, 3 \to 1.\},$



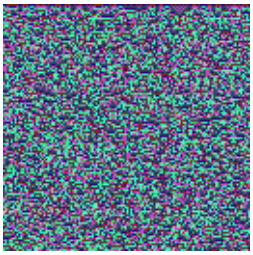
533 897 222 146 305 160 363 448

$\to \{3 \to 0.059592, 4 \to 0.940408\},$



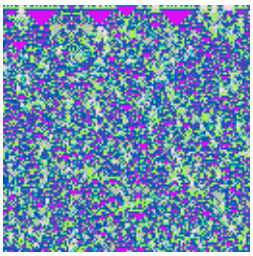
691 506 306 126 519 782 511 638

$\to \left\{4 \to 2.29648 \times 10^{-11}, 3 \to 1.\right\},$



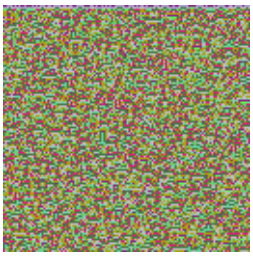
323 208 263 876 392 814 574 412

$\to \{4 \to 0.0929386, 3 \to 0.907061\},$



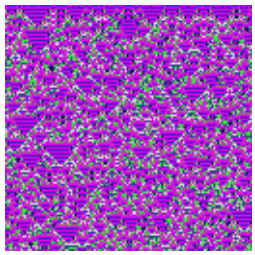
616 227 181 029 580 959 691 458

$\to \left\{4 \to 7.66009 \times 10^{-12}, 3 \to 1.\right\},$



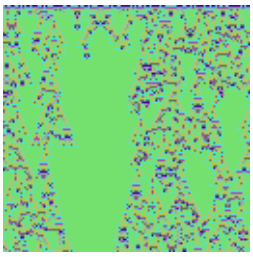
190 650 889 368 707 191 921 149

$\to \left\{4 \to 6.44332 \times 10^{-9}, 3 \to 1.\right\},$



$\to \{4 \to 1.31887 \times 10^{-21}, 3 \to 1.\},$

73 319 162 863 689 362 047 643



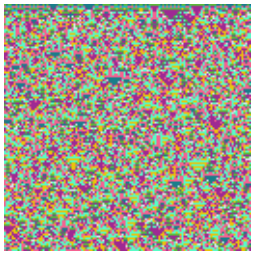
$\to \{3 \to 6.58991 \times 10^{-13}, 4 \to 1.\}\}$

287 724 570 221 091 851 404 918

10-colour totalistic, range 1

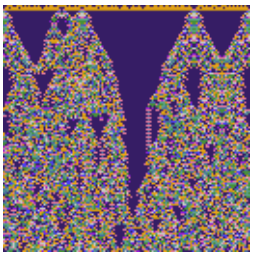
In[1428]:=
```
test4Data10kr1C18 = data10TC[8, 128, 128];
test4Data10kr1C18labeled = Thread[Labeled[
    Keys@test4Data10kr1C18, Values@test4Data10kr1C18, LabelStyle → Small]];
Thread[test4Data10kr1C18labeled → netECA18[Keys@test4Data10kr1C18,
   {"TopProbabilities", 2}]]
```

Out[1430]= $\{$



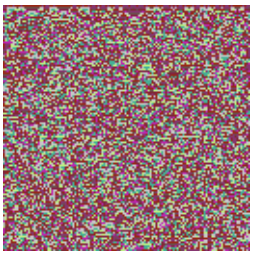
$\to \{4 \to 6.66216 \times 10^{-6}, 3 \to 0.999993\},$

1 903 096 544 443 096 393 988 581 973



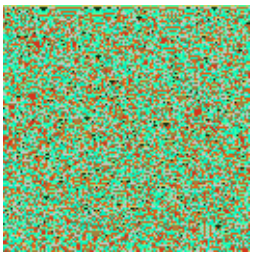
$\to \{3 \to 8.7366 \times 10^{-26}, 4 \to 1.\},$

4 036 261 294 900 174 856 088 230 770



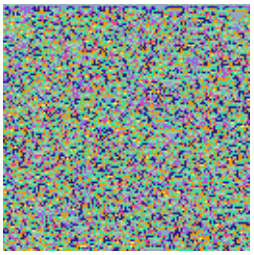
$\to \left\{4 \to 5.38208 \times 10^{-7},\ 3 \to 0.999999\right\},$

5 776 611 602 355 309 071 925 208 128



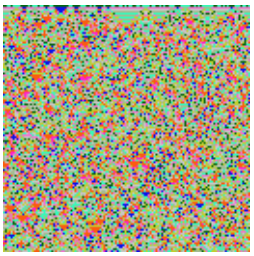
$\to \{4 \to 0.0000249653,\ 3 \to 0.999975\},$

9 368 607 075 136 056 205 288 539 286



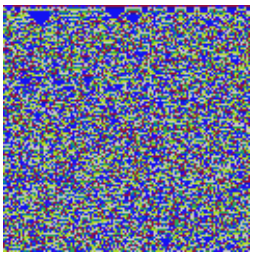
$\to \left\{4 \to 4.39227 \times 10^{-11},\ 3 \to 1.\right\},$

1 159 609 440 706 048 934 937 421 381



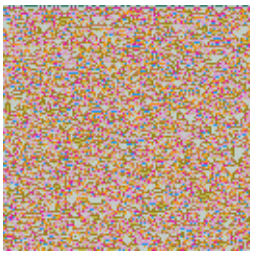
$\to \{4 \to 0.0000298941,\ 3 \to 0.99997\},$

9 585 758 006 399 290 542 154 306 334



$\to \left\{4 \to 8.01368 \times 10^{-14},\ 3 \to 1.\right\},$

7 176 425 566 624 142 460 503 296 528



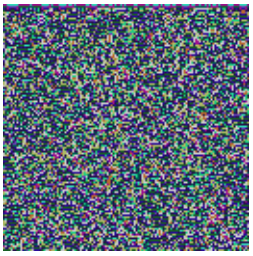
$\to \{4 \to 2.83049 \times 10^{-14}, 3 \to 1.\}\}$

3 224 320 499 780 698 506 582 500 278

11-colour totalistic, range 1

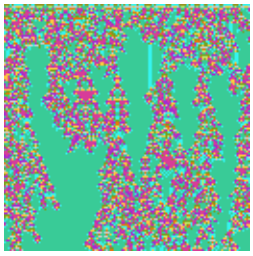
In[1440]:=
```
test4Data11kr1C18 = data11TC[8, 128, 128];
test4Data11kr1C18labeled = Thread[Labeled[
    Keys@test4Data11kr1C18, Values@test4Data11kr1C18, LabelStyle → Small]];
Thread[test4Data11kr1C18labeled → netECA18[Keys@test4Data11kr1C18,
   {"TopProbabilities", 2}]]
```

Out[1442]= $\{$



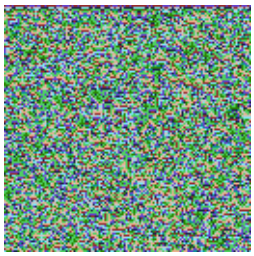
$\to \{4 \to 9.41752 \times 10^{-9}, 3 \to 1.\},$

27 602 157 973 840 641 007 105 652 106 671



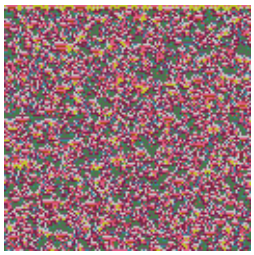
$\to \{2 \to 1.96872 \times 10^{-15}, 4 \to 1.\},$

9 422 428 048 625 511 295 094 670 912 285



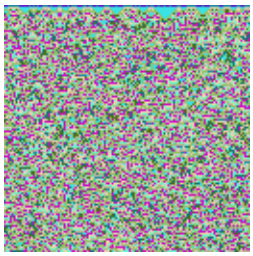
$\to \{4 \to 1.70571 \times 10^{-6}, 3 \to 0.999998\},$

152 007 042 234 913 357 388 586 460 753 588



$\to \left\{4 \to 3.79533 \times 10^{-12},\ 3 \to 1.\right\},$

177 741 547 512 091 115 527 598 027 282 597

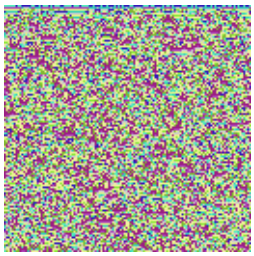


$\to \left\{4 \to 2.11903 \times 10^{-11},\ 3 \to 1.\right\},$

6 410 005 958 600 172 029 712 985 812 034

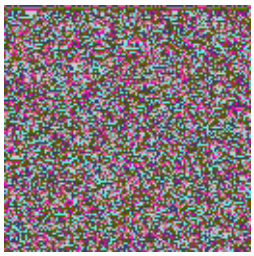
$\to \{4 \to 0.0000280034,\ 3 \to 0.999972\},$

62 674 162 164 599 079 657 718 948 002 220



$\to \{4 \to 0.000625919,\ 3 \to 0.999374\},$

54 565 635 982 317 707 368 048 715 194 998



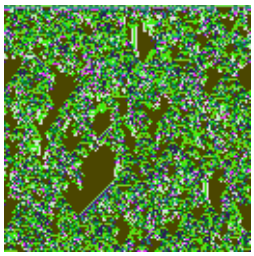
$\to \{4 \to 0.0318018,\ 3 \to 0.968198\}\}$

106 166 310 463 190 697 380 502 476 410 631

18-colour totalistic, range 1

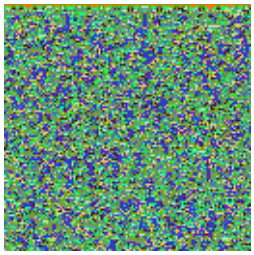
In[1450]:=
```
test4Data18kr1C18 = data18TC[8, 128, 128];
test4Data18kr1C18labeled = Thread[Labeled[
    Keys@test4Data18kr1C18, Values@test4Data18kr1C18, LabelStyle → Small]];
Thread[test4Data18kr1C18labeled → netECA18[Keys@test4Data18kr1C18,
   {"TopProbabilities", 2}]]
```

Out[1452]=

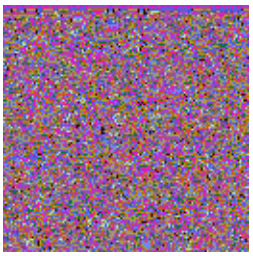
{  →

100 432 709 745 221 968 471 400 004 161 272 421 785 313 175 864 424 392 860 092 443 780

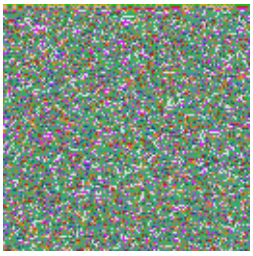
$\{2 \to 9.88542 \times 10^{-16}, 4 \to 1.\}$,

 $\to \{4 \to 9.2871 \times 10^{-12}, 3 \to 1.\}$,

107 101 642 185 879 469 855 619 597 786 715 865 594 446 574 702 301 683 198 426 820 028

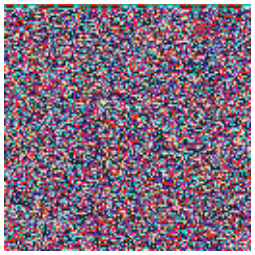
 $\to \{4 \to 3.28886 \times 10^{-9}, 3 \to 1.\}$,

4 694 181 392 858 132 208 106 823 918 969 450 417 444 631 398 095 827 854 395 585 117

 →

77 700 327 286 014 060 041 114 089 271 941 524 874 778 257 975 616 225 192 759 868 025

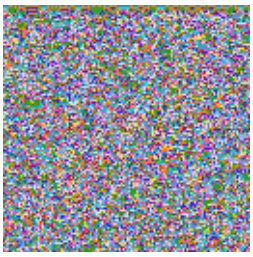
$\{4 \to 0.000136886, 3 \to 0.999863\}$,



→

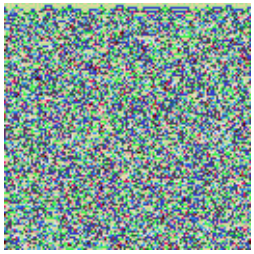
101 275 737 719 588 313 499 958 188 776 684 645 488 887 964 763 703 077 870 951 309 667

$\{4 \to 0.00148989, 3 \to 0.99851\},$



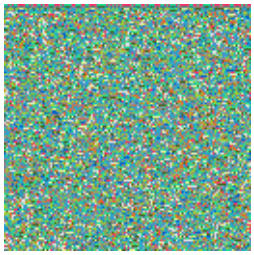
$\to \{4 \to 4.94333 \times 10^{-12}, 3 \to 1.\},$

31 330 139 254 828 030 520 812 274 076 452 349 678 165 064 863 828 483 555 288 280 047



$\to \{3 \to 0.28896, 4 \to 0.71104\},$

160 047 496 270 492 329 204 041 848 237 376 187 065 045 724 082 331 147 631 919 936 795



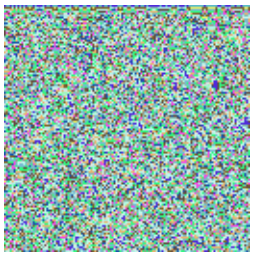
→

131 248 368 813 783 732 937 063 439 793 510 226 771 975 010 899 085 872 633 783 660 532

$\{4 \to 0.0000118765, 3 \to 0.999988\}\}$

In[1459]:=
```
test4Data18kr1C18 = data18TC[8, 128, 128];
test4Data18kr1C18labeled = Thread[Labeled[
    Keys@test4Data18kr1C18, Values@test4Data18kr1C18, LabelStyle → Small]];
Thread[test4Data18kr1C18labeled → netECA18[Keys@test4Data18kr1C18,
   {"TopProbabilities", 2}]]
```

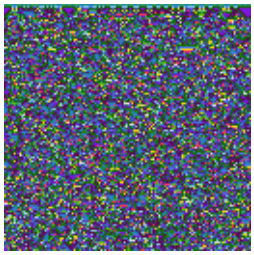
Out[1461]= {



→

84 407 891 860 608 186 800 342 925 777 103 111 012 730 709 614 871 448 322 966 842 743

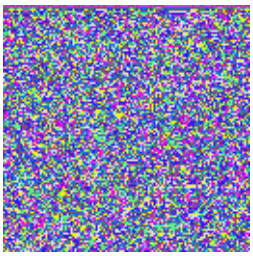
$\{4 \to 0.000107331, 3 \to 0.999893\}$,



→

161 424 174 456 430 728 167 518 922 554 123 708 832 493 894 459 273 117 300 803 992 860

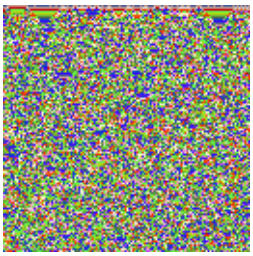
$\left\{4 \to 1.09406 \times 10^{-10}, 3 \to 1.\right\}$,



→

78 032 217 344 344 330 867 403 680 915 204 373 154 822 648 823 501 092 588 035 610 835

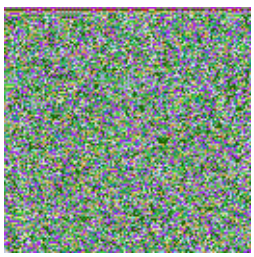
$\left\{4 \to 4.26104 \times 10^{-6}, 3 \to 0.999996\right\}$,



→

17 514 930 310 957 860 289 760 217 211 982 312 893 914 895 733 884 156 147 675 071 979

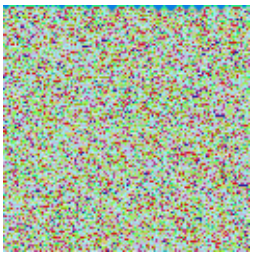
$\left\{4 \to 3.02896 \times 10^{-6}, 3 \to 0.999997\right\}$,



→

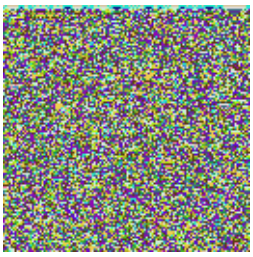
126 337 368 684 499 452 874 800 008 665 847 585 515 559 961 310 661 358 461 150 478 987

$\{4 \to 6.83088 \times 10^{-11}, 3 \to 1.\},$



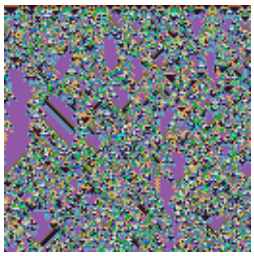
$\to \{4 \to 4.53993 \times 10^{-9}, 3 \to 1.\},$

40 213 870 254 046 402 060 993 100 884 679 132 055 568 662 380 628 182 270 851 703 964



$\to \{4 \to 1.55591 \times 10^{-10}, 3 \to 1.\},$

51 884 643 645 127 688 338 260 865 508 261 671 962 402 238 325 831 463 126 617 291 758



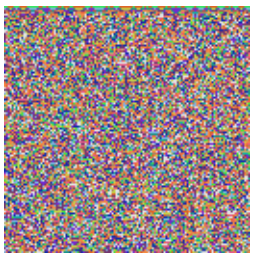
$\to$

105 981 239 442 692 171 040 307 215 500 165 460 050 735 782 946 669 540 434 861 001 557

$\{2 \to 1.37062 \times 10^{-16}, 4 \to 1.\}\}$

In[1516]:=
```
test4Data18kr1C18 = data18TC[8, 128, 128];
test4Data18kr1C18labeled = Thread[Labeled[
    Keys@test4Data18kr1C18, Values@test4Data18kr1C18, LabelStyle → Small]];
Thread[test4Data18kr1C18labeled → netECA18[Keys@test4Data18kr1C18,
   {"TopProbabilities", 2}]]
```

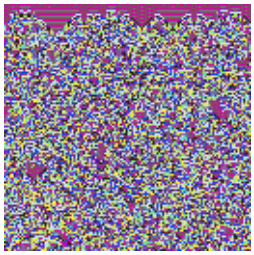
Out[1518]= $\{$



$\to$

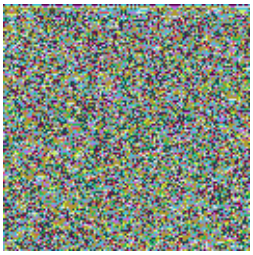
67 097 332 073 690 877 096 462 393 318 551 121 105 627 611 874 073 821 346 080 316 259

$\{4 \to 5.10358 \times 10^{-11}, 3 \to 1.\},$



$\to \{4 \to 6.51776 \times 10^{-10}, 3 \to 1.\},$

469 341 525 975 528 605 442 938 764 400 684 210 544 509 817 697 780 635 610 240 385

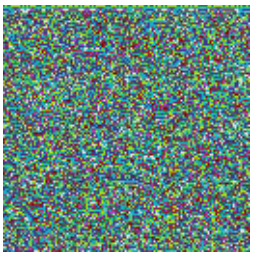


$\to \{4 \to 5.69048 \times 10^{-9}, 3 \to 1.\},$

92 797 071 861 825 599 650 393 018 230 465 068 427 103 727 472 152 026 271 875 491 041

$\to \{2 \to 4.64192 \times 10^{-12}, 4 \to 1.\},$

48 707 525 714 524 878 716 517 127 579 370 682 054 079 882 568 456 080 106 934 725 549



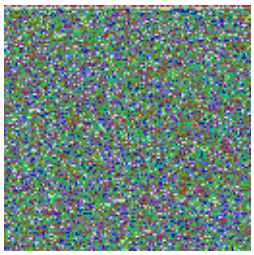
$\to$

44 770 759 776 338 013 160 561 529 662 542 939 808 723 595 235 004 541 281 157 081 136

$\{4 \to 9.2328 \times 10^{-7}, 3 \to 0.999999\},$

$\to \{4 \to 1.19647 \times 10^{-8}, 3 \to 1.\},$

860 018 757 961 576 225 864 410 760 233 199 100 592 057 684 375 923 534 430 897 683



→

164 751 184 453 635 689 907 701 761 887 389 137 319 437 941 824 750 165 777 001 238 660

$\{4 \to 0.000073185, 3 \to 0.999927\},$

→

30 824 548 023 101 519 695 632 494 294 594 245 489 101 989 183 582 883 081 905 253 160

$\{4 \to 0.00834654, 3 \to 0.991653\}\}$