

13. and

13. and

a) Evaluated from left to right:

$$\text{Sum1} = (i/2) + \text{fun}(2^i);$$

$$\rightarrow \text{Sum1} = (10/2) + \text{fun}(\Delta i) \&$$

→ sum1 = 5 + fun(&i);

→ Sum 1 = 5 + 41)

$\Rightarrow \boxed{\text{Sum 1} = 46}$

$$\text{sum } 2 = f_m(8j) + (j/2);$$

→ Sum 2 = ~~$\binom{41}{2}$~~ + $\binom{40}{2}$; (by ①)

$$\rightarrow \text{Sum 2} = 41 + \binom{14}{2};$$

→ Sum2 = 41+7 = 48

①-8 { func(4i)
 $n_k = 4; (10+4)$
 $\rightarrow x_{k+1} = (3^k (n_k) - 1)$
 $\rightarrow x_{k+1} = (3^k 14 - 1)$
 { terms 41;
~~for sum~~

b) Right to left

$$\text{Sum 1} = (i/2) + \text{fun}(\&i);$$

$$\text{Sum 2} = \text{fun}(e_j) + (j/2);$$

Since its Right to left now, $i=j=10$,

Sum 1 will be similar to left to right of Sum 2 and vice-versa.

$$\therefore \boxed{\text{Sum 1} = 48};$$

$$\boxed{\text{Sum 2} = 46};$$

②
Sol:

The output was

$$\text{Sum 1} : 46$$

$$\text{Sum 2} : 48.$$

This is because C++ compiler read from left to right the function is

Also since, its call-by-reference the values of i and j are changed after

The function is called.

So,

$$\text{Sum 1} = \left[\left(\frac{1}{2} \right) \text{func}(8) \right] = 5 + 41 = 46;$$

$$\text{Sum 2} = 41 + 7 = 48.$$
$$\left[\text{func}(8) \right] + \left(\frac{1}{2} \right)$$

More detailed ~~exp~~ explanation (step-by-step) is given in problem 1 part (a).
Please do consider that as an explanation as well.

Problem 3:

Sol: The output is b
With function call on the right, b is 30.
With function call on the left, b is 40.
This is because, when
the function is called on right,
 $b = a + \text{func}(a)$ a is not changed so
its $(10 + \text{func}(a))$;
Scanned by CamScanner

Later,

$$b = \cancel{a} 10 + 20;$$

(\therefore function add 10 to a and returns a)

$$\boxed{b = 30} :$$

But when function is call on left, i.e.,

$$b = \text{fun}(\&a) + a;$$

$$b = 20 + a; \quad \text{and}$$

a is 20 now and its call by reference and value of a is changed

$$\therefore b = 20 + 20;$$

$$\boxed{b = 40} .$$