class07

Thrisha Praveen

#1. PCA of UK food data Data import:

Q1. How many rows and columns are in your new data frame named x? What R functions could you use to answer this questions?

```
url <- "https://tinyurl.com/UK-foods"
x <- read.csv(url)
nrow(x)</pre>
```

[1] 17

```
ncol(x)
```

[1] 5

```
dim(x)
```

[1] 17 5

Checking your data:

head(x)

	Х	England	Wales	Scotland	N.Ireland
1	Cheese	105	103	103	66
2	Carcass_meat	245	227	242	267
3	Other_meat	685	803	750	586
4	Fish	147	160	122	93
5	Fats_and_oils	193	235	184	209
6	Sugars	156	175	147	139

Hmm, it looks like the row-names here were not set properly as we were expecting 4 columns (one for each of the 4 countries of the UK - not 5 as reported from the dim() function).

Here it appears that the row-names are incorrectly set as the first column of our x data frame (rather than set as proper row-names). This is very common and sometimes what we want - but not in this case. Lets try to fix this up with the following code, which sets the rownames() to the first column and then removes the troublesome first column (with the -1 column index):

```
# Note how the minus indexing works
x <- read.csv(url, row.names=1)
head(x)</pre>
```

	England	Wales	${\tt Scotland}$	N.Ireland
Cheese	105	103	103	66
Carcass_meat	245	227	242	267
Other_meat	685	803	750	586
Fish	147	160	122	93
Fats_and_oils	193	235	184	209
Sugars	156	175	147	139

dim(x)

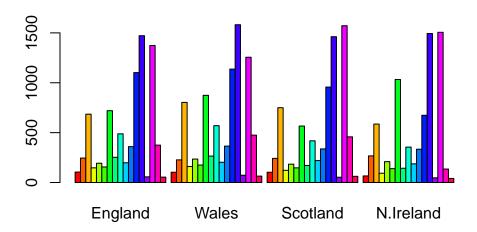
[1] 17 4

Q2. Which approach to solving the 'row-names problem' mentioned above do you prefer and why? Is one approach more robust than another under certain circumstances?

I prefer the second method (x <- read.csv(url, row.names=1)) method since running the first method multiple times would keep removing the first column, which would delete important data. Thus, the second method is more robust.

Spotting major differences and trends:

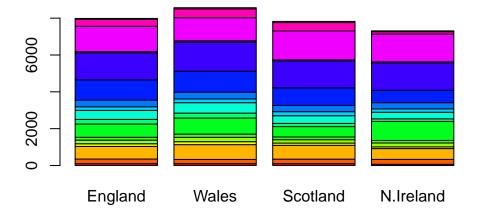
```
barplot(as.matrix(x), beside=T, col=rainbow(nrow(x)))
```



Q3: Changing what optional argument in the above barplot() function results in the following plot?

Changing the beside argument to false (or omitting it completely, since F is the default) gives us the following stacked bar blot.

```
barplot(as.matrix(x), beside=F, col=rainbow(nrow(x)))
```

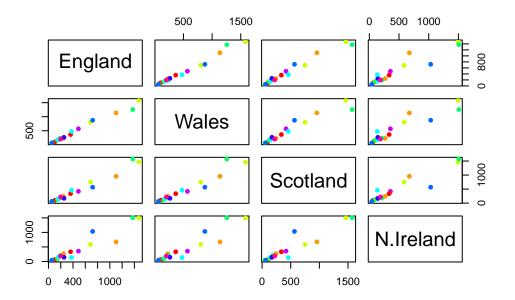


No Q4?

Q5: Generating all pairwise plots may help somewhat. Can you make sense of the following code and resulting figure? What does it mean if a given point lies on the diagonal for a given plot?

Here we have all possible countries plotted against each other. For example, the plot 2 down and 3 across is England on the y-axis plotted against Scotland on the x-axis. Dots on the diagonal represent that people in both countries being compared eat the same amount of food that the dot represents.

pairs(x, col=rainbow(10), pch=16)



Q6. What is the main differences between N. Ireland and the other countries of the UK in terms of this data-set?

Looking at column 4 of the graphs (where N. Ireland is on the x-axis), there are certain dots that much more off the diagonal than in the other charts, such as the orange dot.

PCA to the rescue: (my PC4 st. dev is different than that in the worksheet, not sure why? everything else is the same)

```
# Use the prcomp() PCA function
pca <- prcomp( t(x) )
summary(pca)</pre>
```

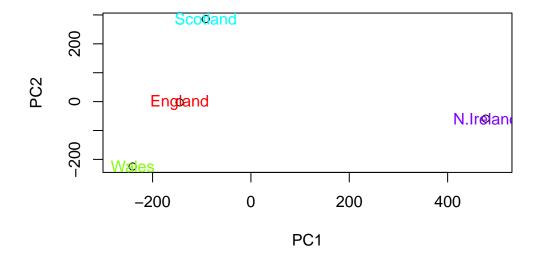
Importance of components:

```
PC1 PC2 PC3 PC4
Standard deviation 324.1502 212.7478 73.87622 2.921e-14
Proportion of Variance 0.6744 0.2905 0.03503 0.000e+00
Cumulative Proportion 0.6744 0.9650 1.00000 1.000e+00
```

Q7. Complete the code below to generate a plot of PC1 vs PC2. The second line adds text labels over the data points.

(Looks different than result in hands-on worksheet, but not sure why)

```
# Plot PC1 vs PC2
plot(pca$x[,1], pca$x[,2], xlab="PC1", ylab="PC2", xlim=c(-270,500))
text(pca$x[,1], pca$x[,2], colnames(x), col=rainbow(4))
```



Below we can use the square of pca\$sdev , which stands for "standard deviation", to calculate how much variation in the original data each PC accounts for.

```
v <- round( pca$sdev^2/sum(pca$sdev^2) * 100 )
v</pre>
```

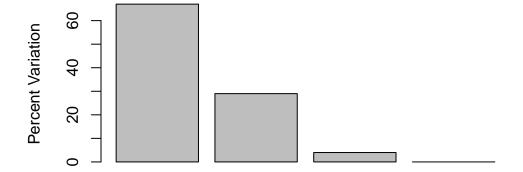
[1] 67 29 4 0

```
## or the second row here...
z <- summary(pca)
z$importance</pre>
```

```
PC1 PC2 PC3 PC4
Standard deviation 324.15019 212.74780 73.87622 2.921348e-14
Proportion of Variance 0.67444 0.29052 0.03503 0.000000e+00
Cumulative Proportion 0.67444 0.96497 1.00000 1.000000e+00
```

This information can be summarized in a plot of the variances (eigenvalues) with respect to the principal component number (eigenvector number), which is given below.

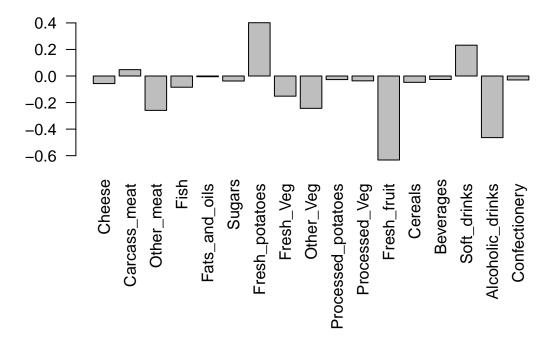
```
barplot(v, xlab="Principal Component", ylab="Percent Variation")
```



Principal Component

Digging deeper (variable loadings): We can also consider the influence of each of the original variables upon the principal components (typically known as loading scores).

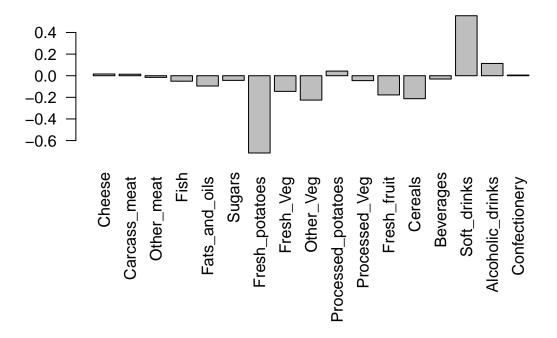
```
## Lets focus on PC1 as it accounts for > 90% of variance
par(mar=c(10, 3, 0.35, 0))
barplot( pca$rotation[,1], las=2 )
```



Q9: Generate a similar 'loadings plot' for PC2. What two food groups feature prominantely and what does PC2 maniply tell us about?

The two food groups that feature prominently are Soft_drinks and Fresh_potatoes. PC2 tells us that Soft_drinks mainly push N. Ireland to right positive side of the plot and that Fresh_potatoes push the other countries to the left side of the plot.

```
## Lets focus on PC1 as it accounts for > 90% of variance
par(mar=c(10, 3, 0.35, 0))
barplot( pca$rotation[,2], las=2 )
```



Using ggplot for these figures:

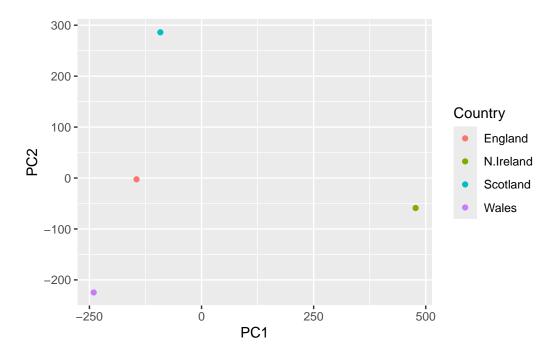
Basic plot: (Looks different than result in hands-on worksheet, but not sure why)

```
library(ggplot2)

df <- as.data.frame(pca$x)

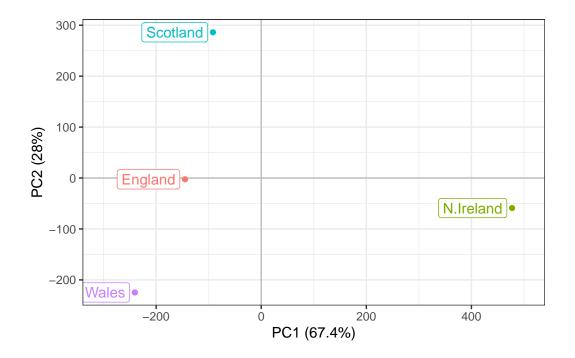
df_lab <- tibble::rownames_to_column(df, "Country")

# Our first basic plot
ggplot(df_lab) +
   aes(PC1, PC2, col=Country) +
   geom_point()</pre>
```



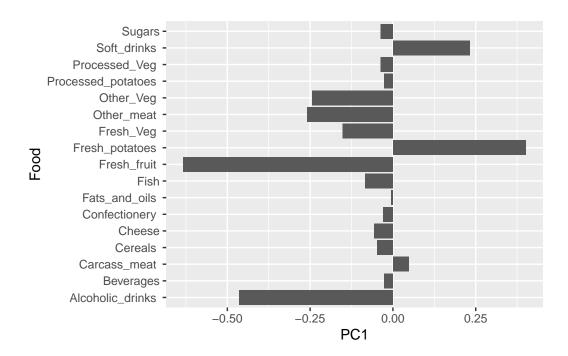
Advanced plot:

```
ggplot(df_lab) +
  aes(PC1, PC2, col=Country, label=Country) +
  geom_hline(yintercept = 0, col="gray") +
  geom_vline(xintercept = 0, col="gray") +
  geom_point(show.legend = FALSE) +
  geom_label(hjust=1, nudge_x = -10, show.legend = FALSE) +
  expand_limits(x = c(-300,500)) +
  xlab("PC1 (67.4%)") +
  ylab("PC2 (28%)") +
  theme_bw()
```



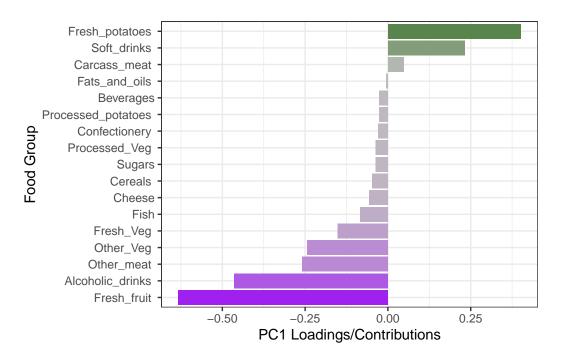
```
ld <- as.data.frame(pca$rotation)
ld_lab <- tibble::rownames_to_column(ld, "Food")

ggplot(ld_lab) +
  aes(PC1, Food) +
  geom_col()</pre>
```



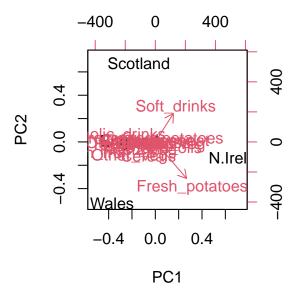
We can now add some additional features to the plot, such as reordering the y axis by the PC1 loadings and selecting a rather ugly color scale (to match our country colors) and our prefered theme layer.

```
ggplot(ld_lab) +
  aes(PC1, reorder(Food, PC1), bg=PC1) +
  geom_col() +
  xlab("PC1 Loadings/Contributions") +
  ylab("Food Group") +
  scale_fill_gradient2(low="purple", mid="gray", high="darkgreen", guide=NULL) +
  theme_bw()
```



Another way to see this: biplot

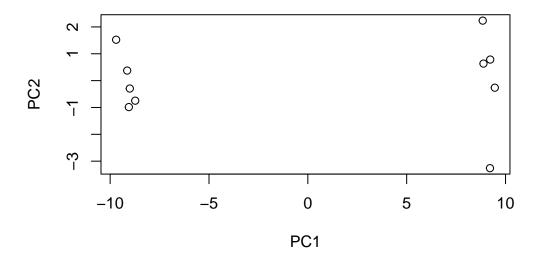
The inbuilt biplot() can be useful for small datasets
biplot(pca)



2. PCA of RNA-seq data

```
url2 <- "https://tinyurl.com/expression-CSV"</pre>
rna.data <- read.csv(url2, row.names=1)</pre>
head(rna.data)
       wt1 wt2 wt3 wt4 wt5 ko1 ko2 ko3 ko4 ko5
gene1 439 458
                408 429 420 90 88
                                      86 90
gene2 219 200
                204 210 187 427 423 434 433 426
gene3 1006 989 1030 1017 973 252 237 238 226 210
gene4
      783 792
                829 856 760 849 856 835 885 894
                204 244 225 277 305 272 270 279
gene5 181 249
gene6 460 502 491 491 493 612 594 577 618 638
nrow(rna.data)
[1] 100
ncol(rna.data)
[1] 10
     Q10: How many genes and samples are in this data set?
100 genes, 10 samples
Simple PCA:
## Again we have to take the transpose of our data
pca <- prcomp(t(rna.data), scale=TRUE)</pre>
## Simple un polished plot of pc1 and pc2
```

plot(pca\$x[,1], pca\$x[,2], xlab="PC1", ylab="PC2")



summary(pca)

Importance of components:

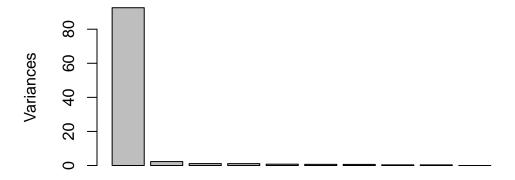
```
PC5
                          PC1
                                 PC2
                                         PC3
                                                 PC4
                                                                  PC6
                                                                          PC7
Standard deviation
                       9.6237 1.5198 1.05787 1.05203 0.88062 0.82545 0.80111
Proportion of Variance 0.9262 0.0231 0.01119 0.01107 0.00775 0.00681 0.00642
Cumulative Proportion
                       0.9262 0.9493 0.96045 0.97152 0.97928 0.98609 0.99251
                           PC8
                                   PC9
                                            PC10
Standard deviation
                       0.62065 0.60342 3.345e-15
Proportion of Variance 0.00385 0.00364 0.000e+00
Cumulative Proportion 0.99636 1.00000 1.000e+00
```

We can see from this results that PC1 is were all the action is (92.6% of it in fact!). This indicates that we have successfully reduced a 100 diminesional data set down to only one dimension that retains the main essential (or principal) features of the original data.

Basic barplot summary:

```
plot(pca, main="Quick scree plot")
```

Quick scree plot



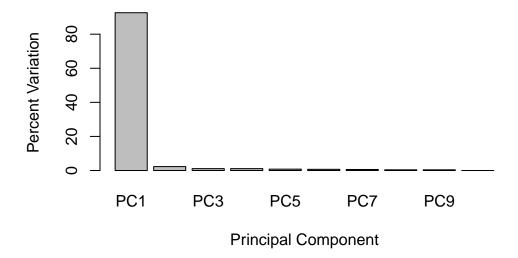
Let's make the above scree plot ourselves and in so doing explore the object returned from prcomp() a little further. We can use the square of pca\$sdev, which stands for "standard deviation", to calculate how much variation in the original data each PC accounts for:

```
## Variance captured per PC
pca.var <- pca$sdev^2

## Percent variance is often more informative to look at
pca.var.per <- round(pca.var/sum(pca.var)*100, 1)
pca.var.per</pre>
```

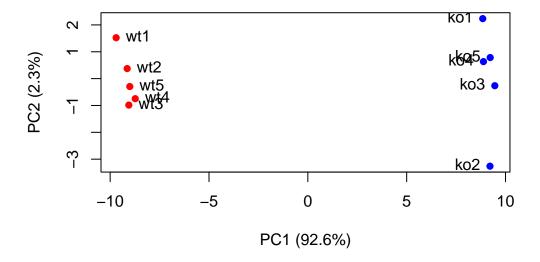
```
[1] 92.6 2.3 1.1 1.1 0.8 0.7 0.6 0.4 0.4 0.0
```

Scree Plot



Again, PC1 was the most important.

More useful main PCA plot:

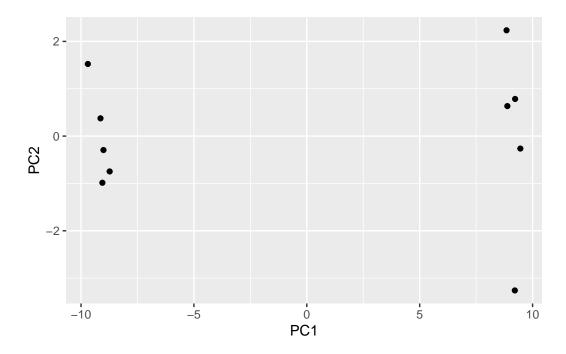


First basic ggplot for PCA results:

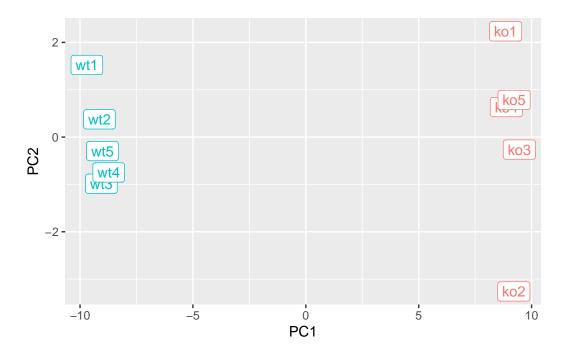
```
library(ggplot2)

df <- as.data.frame(pca$x)

# Our first basic plot
ggplot(df) +
   aes(PC1, PC2) +
   geom_point()</pre>
```



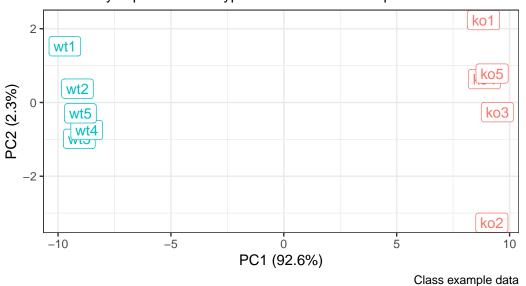
Adding more aesthetics:



More polishing:

PCA of RNASeq Data

PC1 clealy seperates wild-type from knock-out samples



Optional: Gene loadings For demonstration purposes let's find the top 10 measurements (genes) that contribute most to pc1 in either direction (+ or -).

```
loading_scores <- pca$rotation[,1]

## Find the top 10 measurements (genes) that contribute
## most to PC1 in either direction (+ or -)
gene_scores <- abs(loading_scores)
gene_score_ranked <- sort(gene_scores, decreasing=TRUE)

## show the names of the top 10 genes
top_10_genes <- names(gene_score_ranked[1:10])
top_10_genes</pre>
```

- [1] "gene100" "gene66" "gene45" "gene68" "gene98" "gene60" "gene21"
- [8] "gene56" "gene10" "gene90"