

f: unit vector along Oxí

g: unit vector along Oy'

k: unit vector perpendicular on

the (02'y') plane.

Based on the information in the figure: $\vec{\xi} = \cos \theta \vec{t} + \sin \theta \vec{j} + 0 \cdot \vec{k} =$ $\vec{\xi} = \cos \theta \vec{t} + \sin \theta \vec{j} + 0 \cdot \vec{k} =$ [es-]=C = 5.0+ [eco+ 5.6m2-= [九=の、え+の・ナイ・ペート R= [3] Then, $A = [fg] M = \begin{bmatrix} CD & -SD & O \\ SB & CD & O \end{bmatrix}$ Then, $A = [fg] M = \begin{bmatrix} CD & -SD & O \\ SB & CD & O \end{bmatrix}$ Then, $A = [fg] M = \begin{bmatrix} CD & -SD & O \\ SB & CD & O \end{bmatrix}$ Then, $A = [fg] M = \begin{bmatrix} CD & -SD & O \\ SB & CD & O \end{bmatrix}$ Then, $A = [fg] M = \begin{bmatrix} CD & -SD & O \\ SB & CD & O \end{bmatrix}$ Then, $A = [fg] M = \begin{bmatrix} CD & -SD & O \\ SB & CD & O \end{bmatrix}$ Then, $A = [fg] M = \begin{bmatrix} CD & -SD & O \\ SB & CD & O \end{bmatrix}$ Then, $A = [fg] M = \begin{bmatrix} CD & -SD & O \\ SB & CD & O \end{bmatrix}$ Then, A = [fg] M = [fg] M = [fg]Then, A = [fg] M =OB in L-RF: $\overline{b} = \begin{bmatrix} b \\ 0 \end{bmatrix}$ DE in G-RF: 8 = A. 8 = [-L CO] 00 in L-RF: 0 = 1 0]