

Adversarial Learning

NLP-SC

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2017.7.18

Outline

- GAN
- Adversarial learning in NLP
 - Adversarial Examples
 - Properties of NN
 - Adversarial and Virtual Adversarial Learning
 - Adversarial and Virtual Adversarial Learning in NLP
- GAN in NLP
 - SeqGAN

Generative Adversarial Nets(GANs)

2014 NIPS
Goodfellow
Montreal, Canada
citation: 931

GANs

- Goal
 - “estimating generative models via an adversarial process” by author
 - Improve on generative model and/or discriminative model

- Idea

- G: generative model $G(\mathbf{z}; \theta_g)$
 - \mathbf{z} (random noise) $\rightarrow \mathbf{x}$ (data)
 - Capture data distribution, fool the discriminative model
- D: discriminative model $D(\mathbf{x}; \theta_d)$
 - \mathbf{x} (data(real data & generated data)) $\rightarrow P$ (possibility of real data)
 - Estimate the probability: real data vs generated data

- Loss function

$$\min_G \max_D V(D, G) = \mathbb{E}_{\mathbf{x} \sim p_{\text{data}}(\mathbf{x})} [\log D(\mathbf{x})] + \mathbb{E}_{\mathbf{z} \sim p_{\mathbf{z}}(\mathbf{z})} [\log(1 - D(G(\mathbf{z})))]$$

GANs

- Experiments
 - Discriminative model
 - Test set: real data(positive) generated data(negative)
 - Metric: log-likelihood

Model	MNIST	TFD
DBN [3]	138 ± 2	1909 ± 66
Stacked CAE [3]	121 ± 1.6	2110 ± 50
Deep GSN [5]	214 ± 1.1	1890 ± 29
Adversarial nets	225 ± 2	2057 ± 26

- Generative model
 - Ability to capture data distribution



GANs

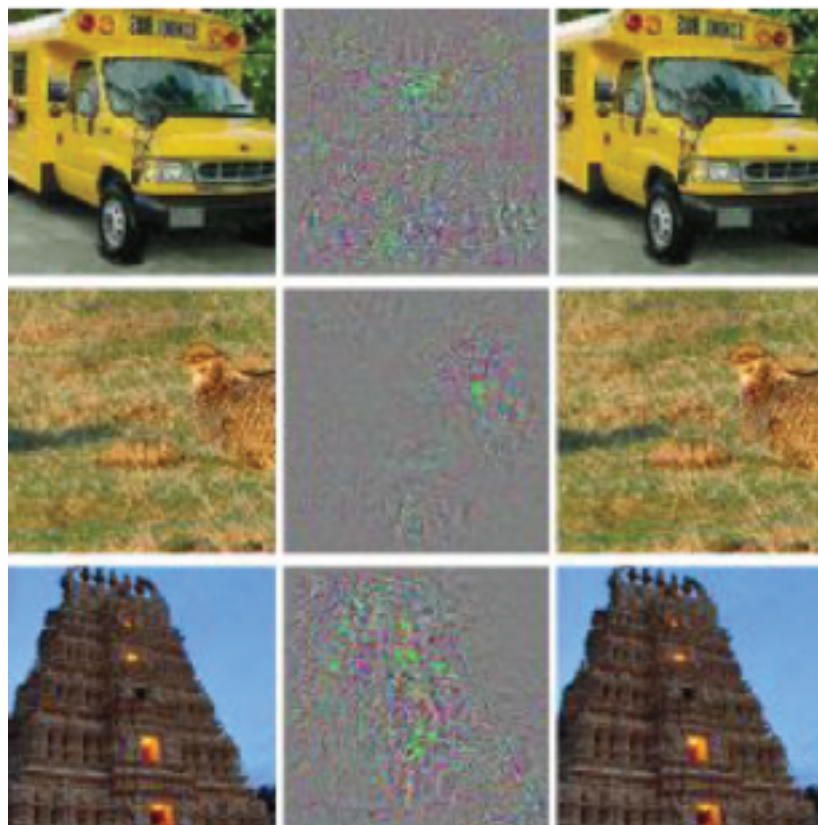
- Discuss
 - Min-max two-player game
 - Exist an unique solution (if capacities of G and D are enough)
 - G: capture the data distribution totally
 - D: can not work ($P \equiv 1/2$)
- Future work (selected)
 - Conditional generative model
 - more practical
 - Semi-supervised learning
 - improve the discriminative model when limited labeled data is available

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Properties of NN

- About
 - Intriguing properties of neural networks
 - Christian Szegedy, Google Inc, arxiv 2013
- Contributions (selected)
 - Blind spots in nerual networks



1	great	great
2	decent	decent
3	× <u>bad</u>	excellent
4	excellent	nice
5	Good	Good
6	fine	× <u>bad</u>
7	nice	fine
8	interesting	interesting
9	solid	entertaining
10	entertaining	solid

- For deep neural networks, the smoothness assumption that underlies many kernel methods does not hold.

(Virtual) Adversarial Training

- About
 - Distributional Smoothing with Virtual Adversarial Training
 - Miyato(Tokyo University), Goodfellow(Google), 2016 ICLR
- Idea
 - Adversarial training(Supervise): $F(x) \rightarrow y$, $F(x+r) \rightarrow y$ r :perturbation
 - Virtual Adversarial training(Semi-supervise): $F(x) \rightarrow y$, $\text{sim}(F(x'), F(x'+r))$

- Loss function

- Adversarial $r_{adv}^{(n)} = \arg \min_r \{p(y^{(n)} | x^{(n)} + r^{(n)}); ||r||_2 \leq \epsilon\}$

$$J = \frac{1}{N} \sum_{n=1}^N \log(p(y^{(n)} | x^{(n)}, \theta)) + \lambda \frac{1}{N} \sum_{n=1}^N \log(p(y^{(n)} | x^{(n)} + r_{adv}^{(n)}, \theta))$$

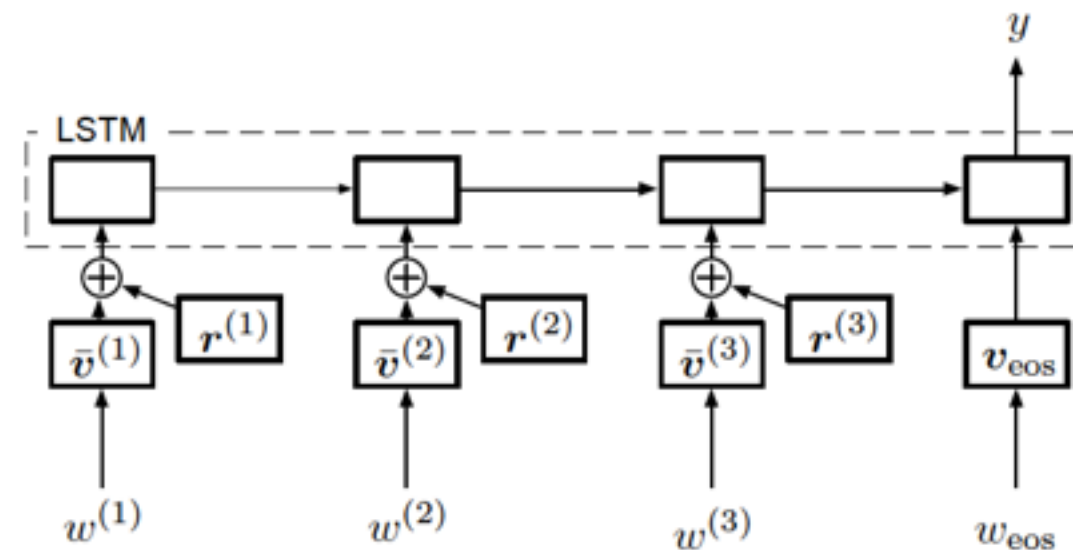
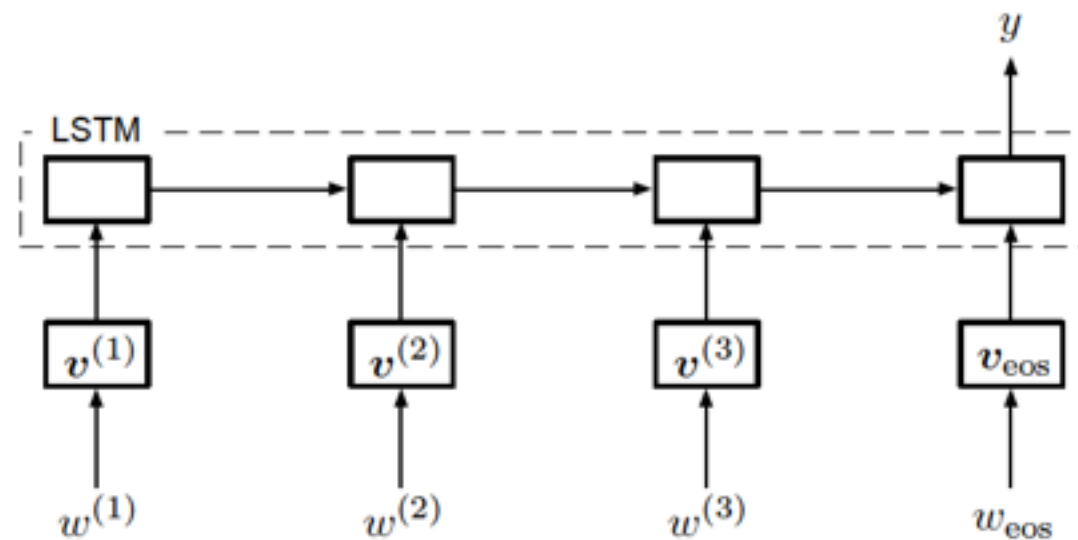
- Virtual Adversarial

$$r_{v-adv}^{(n)} = \arg \max_r \{KL[p(y|x^{(n)}, \theta) || p(y|x^{(n)} + r^{(n)}, \theta)]; ||r||_2 \leq \epsilon\}$$

$$J = \frac{1}{N} \sum_{n=1}^N \log(p(y^{(n)} | x^{(n)}, \theta)) - \lambda \frac{1}{N} \sum_{n=1}^N KL[p(y|x^{(n)}, \theta) || p(y|x^{(n)} + r_{v-adv}^{(n)}, \theta)]$$

(Virtual) Adversarial in NLP

- About
 - Adversarial Training Methods for Semi-Supervised Text Classification
 - Miyato(Tokyo University), Goodfellow(Google), 2017 ICLR
- Idea
 - Apply (virtual) adversarial training on NLP (text classification)
 - Get adversarial examples by perturbing embeddings



(Virtual) Adversarial in NLP

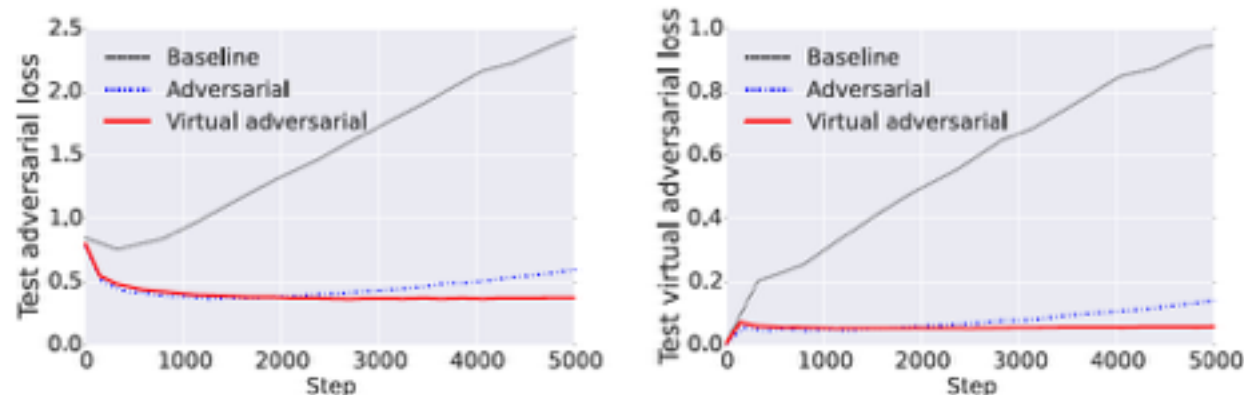
- Experiment & Analysis

- Task: text classification

- Accuracy on Classification

Method	Test error rate
Baseline (without embedding normalization)	7.33%
Baseline	7.39%
Random perturbation with labeled examples	7.20%
Random perturbation with labeled and unlabeled examples	6.78%
Adversarial	6.21%
Virtual Adversarial	5.91%

- Performance on test data with noise



(b) $L_{adv}(\theta)$

(c) $L_{v-adv}(\theta)$

- Performance on “blind spots”

'good'				
	Baseline	Random	Adversarial	Virtual Adversarial
1	great	great	decent	decent
2	decent	decent	great	great
3	× <u>bad</u>	excellent	nice	nice
4	excellent	nice	fine	fine
5	Good	Good	entertaining	entertaining
6	fine	× <u>bad</u>	interesting	interesting
7	nice	fine	Good	Good
8	interesting	interesting	excellent	cool
9	solid	entertaining	solid	enjoyable
10	entertaining	solid	cool	excellent

Summary on Adversarial Examples

- Adapt to NLP
- Similar to GANs
 - Min-max two-player game
 - Product new samples to improve the discriminative model
 - GAN: $z \rightarrow G \text{ model} \rightarrow G(z) \rightarrow D \text{ model} \rightarrow D(G(z))$
 - Adv Exam: $x \rightarrow D \text{ model} \rightarrow r+x \rightarrow D \text{ model} \rightarrow D(x+r)$
- Different with GANs
 - Optimization: GANs joint optimization $D(G(z))$
 - Applications: GANs only adapt to real-value data (eg: image)
 - Goal: GANs output: G & D
 - Role of Samples:
 - GANs: capture data distribution \rightarrow act as negative samples
 - Adv Exam: capture blind spots \rightarrow act as positive samples

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SeqGAN: Sequence Generative Adversarial Nets with Policy Gradient

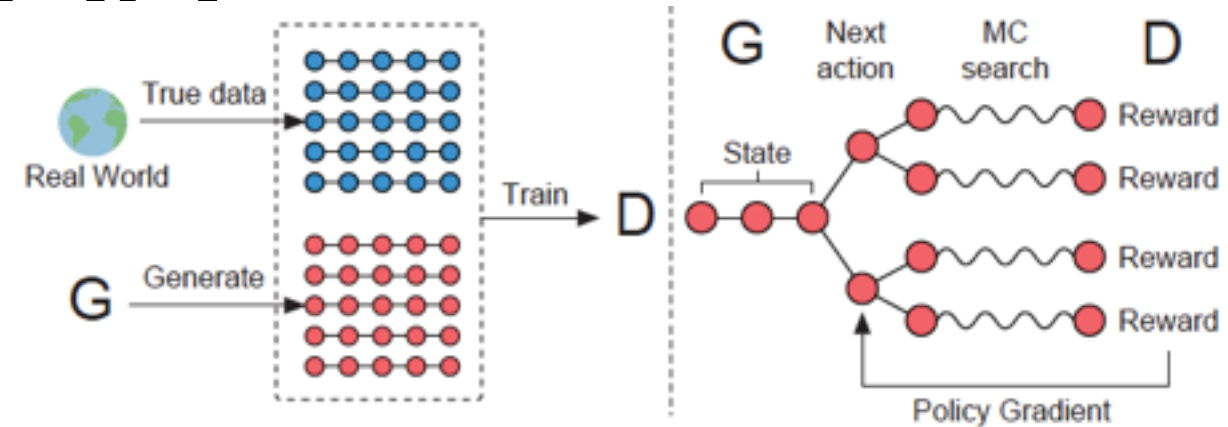
2017 AAAI

Lantao Yu, Weinan Zhang(Shanghai Jiao Tong)

Jun Wang(UCL, UK)

SeqGAN

- Goal
 - Adapt GAN to NLP
 - GAN requires real-value data
 - Discriminative model can only assess a complete sequence



- Idea
 - Real-value data: RL: G(policy network) D(reward function)
 - Discriminate a Sequence: complete the rest by Monte Carlo search

Model

RL

- Given reward function Q, maximize the expectation of reward on G

$$J(\theta) = \mathbb{E}[R_T | s_0, \theta] = \sum_{y_1 \in \mathcal{Y}} G_{\theta}(y_1 | s_0) \cdot Q_{D_{\phi}}^{G_{\theta}}(s_0, y_1)$$

- Re-train reward function Q, minimize log-likelihood on D

$$Y_{1:T} = (y_1, \dots, y_t, \dots, y_T) \quad Q_{D_{\phi}}^{G_{\theta}}(a = y_T, s = Y_{1:T-1}) = D_{\phi}(Y_{1:T})$$

$$\min_{\phi} -\mathbb{E}_{Y \sim p_{\text{data}}} [\log D_{\phi}(Y)] - \mathbb{E}_{Y \sim G_{\theta}} [\log(1 - D_{\phi}(Y))]$$

SeqGAN

- Model
 - Monte Carlo search
 - Given current sequence, get future outcome (similar to Chess)

$$Y_{1:T} = (y_1, \dots, y_t, \dots, y_T)$$

$$\{Y_{1:T}^1, \dots, Y_{1:T}^N\} = \text{MC}^{G_\beta}(Y_{1:t}; N)$$

G_β same as generator, but can use a simplified version

- Rewrite the reward function Q

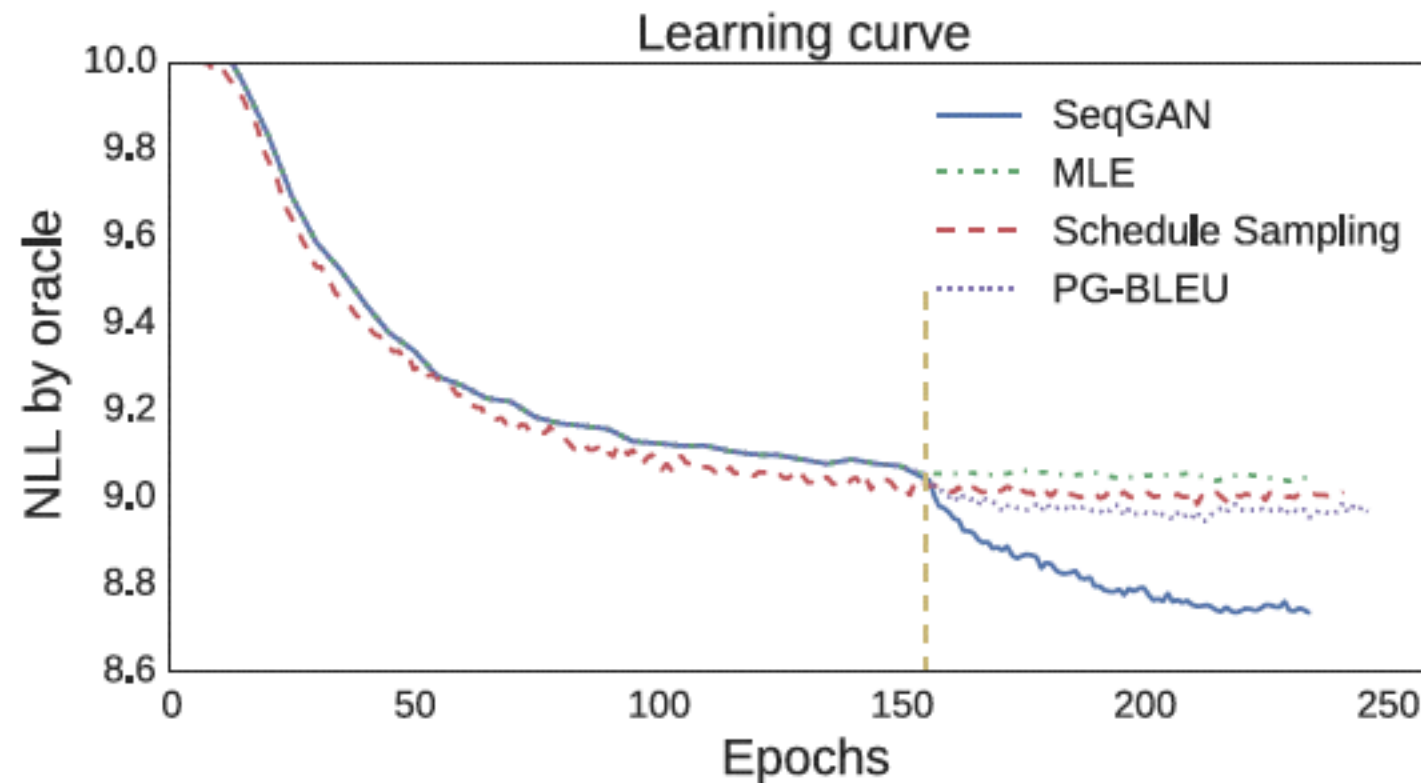
$$Q_{D_\phi}^{G_\theta}(s = Y_{1:t-1}, a = y_t) = \begin{cases} \frac{1}{N} \sum_{n=1}^N D_\phi(Y_{1:T}^n), & Y_{1:T}^n \in \text{MC}^{G_\beta}(Y_{1:t}; N) & \text{for } t < T \\ D_\phi(Y_{1:t}) & & \text{for } t = T, \end{cases}$$

SeqGAN

- Experiments
 - G: RNN D: CNN
 - Evaluation Metric: evaluate G by language model
 - The expectation of LM score on G_{θ}

$$\text{NLL}_{\text{oracle}} = -\mathbb{E}_{Y_{1:T} \sim G_{\theta}} \left[\sum_{t=1}^T \log G_{\text{oracle}}(y_t | Y_{1:t-1}) \right]$$

- Result



Some Thoughts

- Effects
 - For G: GANs bring a better loss function / reward
 - Ground-truth are sometimes not suitable (eg: dialog systems / MT)
 - For D: GANs bring the better negative samples
 - Discriminative models are common on industry.
 - Data may be the most important.
 - Stronger negative samples for ranking/classification tasks
 - More random negative samples for retrieval tasks ?
 - More controlled samples for specific tasks
- GAN in NLP
 - Generate embedding as example in GAN
 - x : embedding; $x = G(z)$; $D(x)$

Q & A