

Task 1:

The most difficult part of the line drawing algorithm was handling all the different cases. First the program has to determine which axis to iterate over by comparing $|dx|$ and $|dy|$:

```
if (abs(dx) > abs(dy))  
{
```

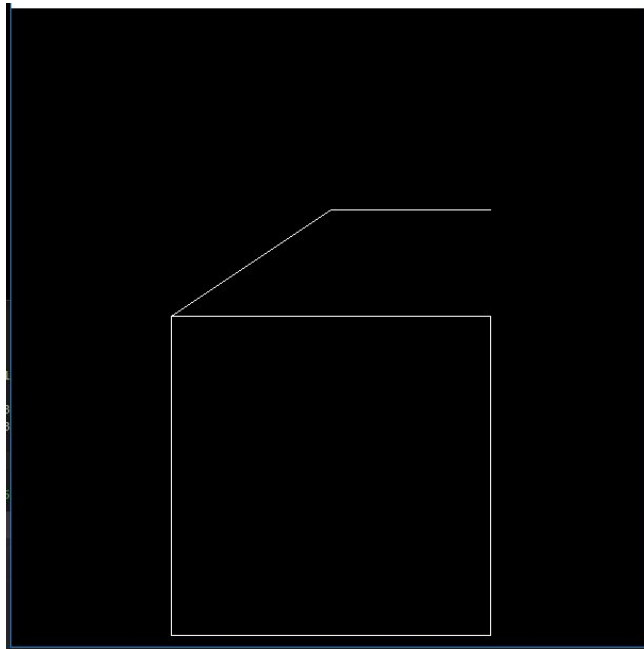
Then it needs to decide which vertex to start from, swapping the two if necessary:

```
if (x2 < x1)  
{  
    int temp = x1;  
    x1 = x2;  
    x2 = temp;  
  
    temp = y1;  
    y1 = y2;  
    y2 = temp;  
}
```

Then it needs to decide whether the slope of the line is positive or negative. I handled this with an int slopeFactor that is either 1 or -1 depending on the slope of the line.

```
int slopeFactor = 1;  
if (y2 < y1)  
    slopeFactor = -1;
```

This is the is what the non-dominant axis gets incremented by every time it needs to change. It is also used to initially calculate D and inc1. Originally, I didn't have this which caused the negative line to be horizontal because D was always less than 0:



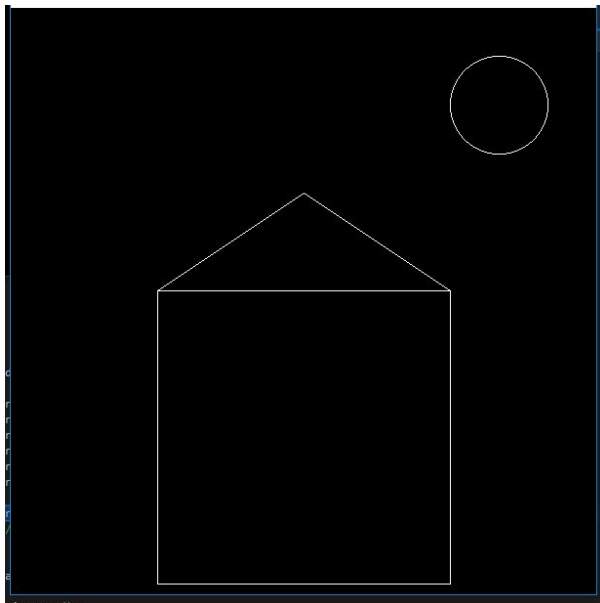
Once all of this is determined, my code runs a slightly modified version of the Bresenham algorithm from the slides.

```
int D = 2 * dy - dx * slopeFactor;
int inc0 = 2 * dy;
int inc1 = 2 * (dy - dx * slopeFactor);

putPixel(x1, y1);
while (x1 < x2)
{
    if ((D <= 0 && slopeFactor == 1) || (D >= 0 && slopeFactor == -1))
    {
        D += inc0;
    }
    else
    {
        D += inc1;
        y1 += slopeFactor;
    }
    x1++;
    putPixel(x1, y1);
}
```

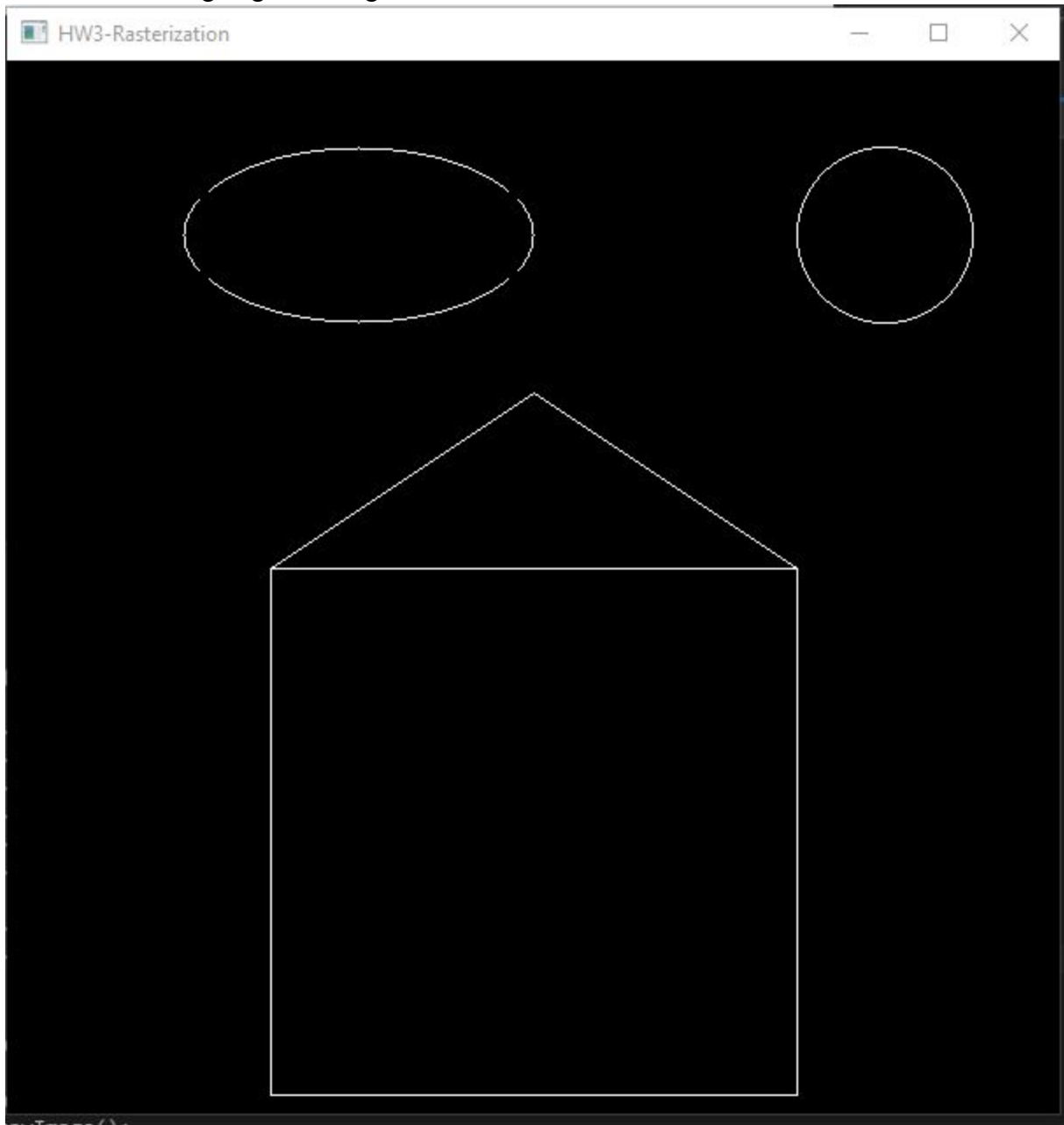
Task2:

Rasterizing the circle was much easier because there is only one case to worry about, since most of the circle can be constructed through symmetry. I basically just adapted the algorithm straight from the slides:



Extra:

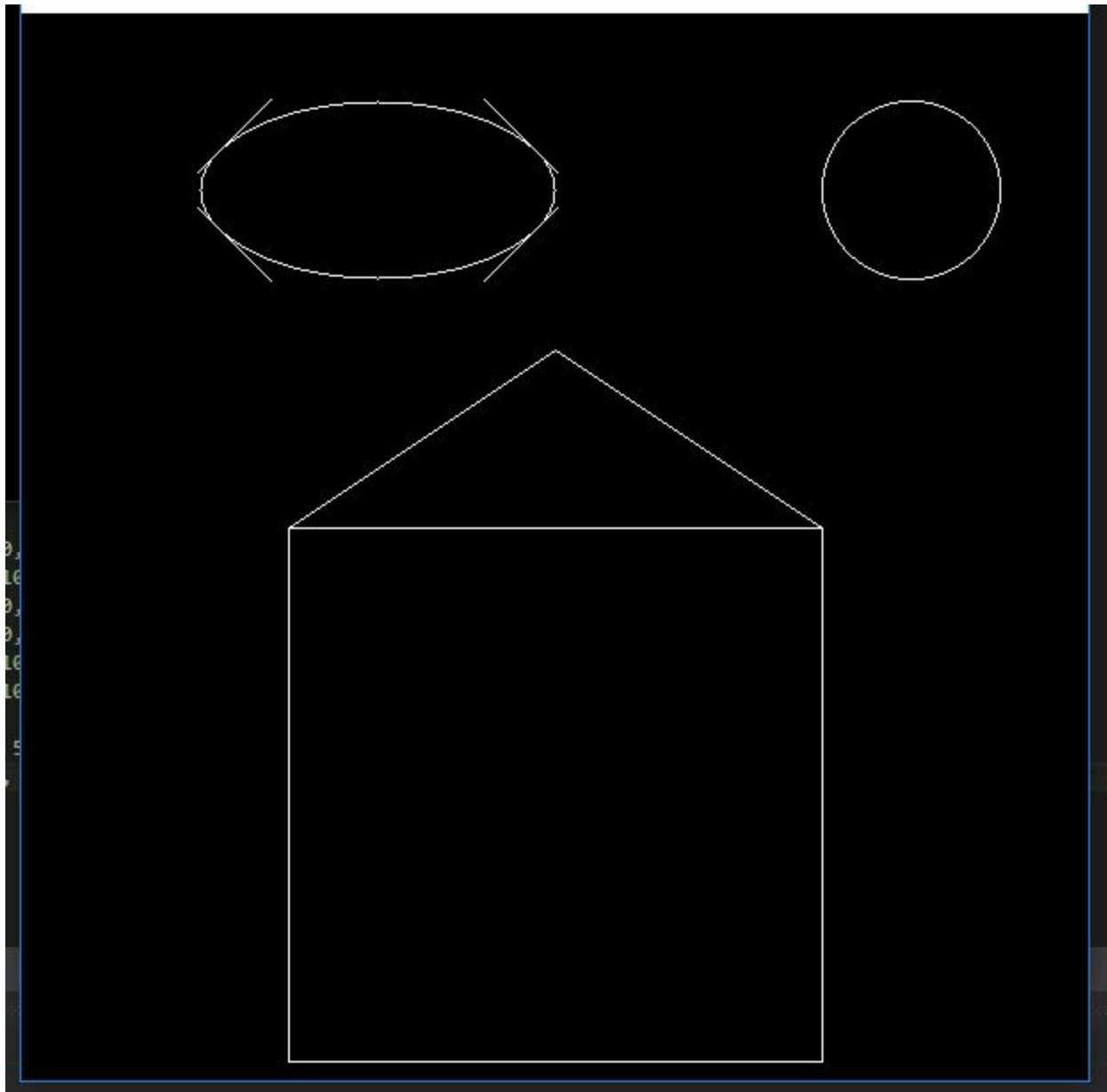
I also tried to rasterize an ellipse in the same manner, which is substantially more difficult than a circle because symmetry only works for quarters of the circle, not eighths. This means I had to separately rasterize the two halves of each quadrant. The problem is that I couldn't find a good way to determine when to stop and begin rasterizing the other half. For example, I tried having an int that counts the number of consecutive iterations where $D > 0$ and stopping when it reached a certain amount. This worked for a few cases, but a lot of times it would either leave gaps because it wasn't going far enough:



Or have diagonal lines coming off because it was going too far.

The closest I got was by taking the derivative of the curve of my ellipse and comparing that to -1, which should be the point that the algorithm should switch over:

```
while (Rx * y2 / (sqrt(1 - pow(y2 / Ry, 2)) * pow(Ry, 2)) >= -1)
{
```



I feel like there must be a simpler way of doing this, but I haven't been able to come up with one.