



# Simple Main Effect for Two-Way ANOVA (Independent Design)

# When do you need Simple (Main) Effect Tests?

After you get a significant interaction effect.

## Experiment:

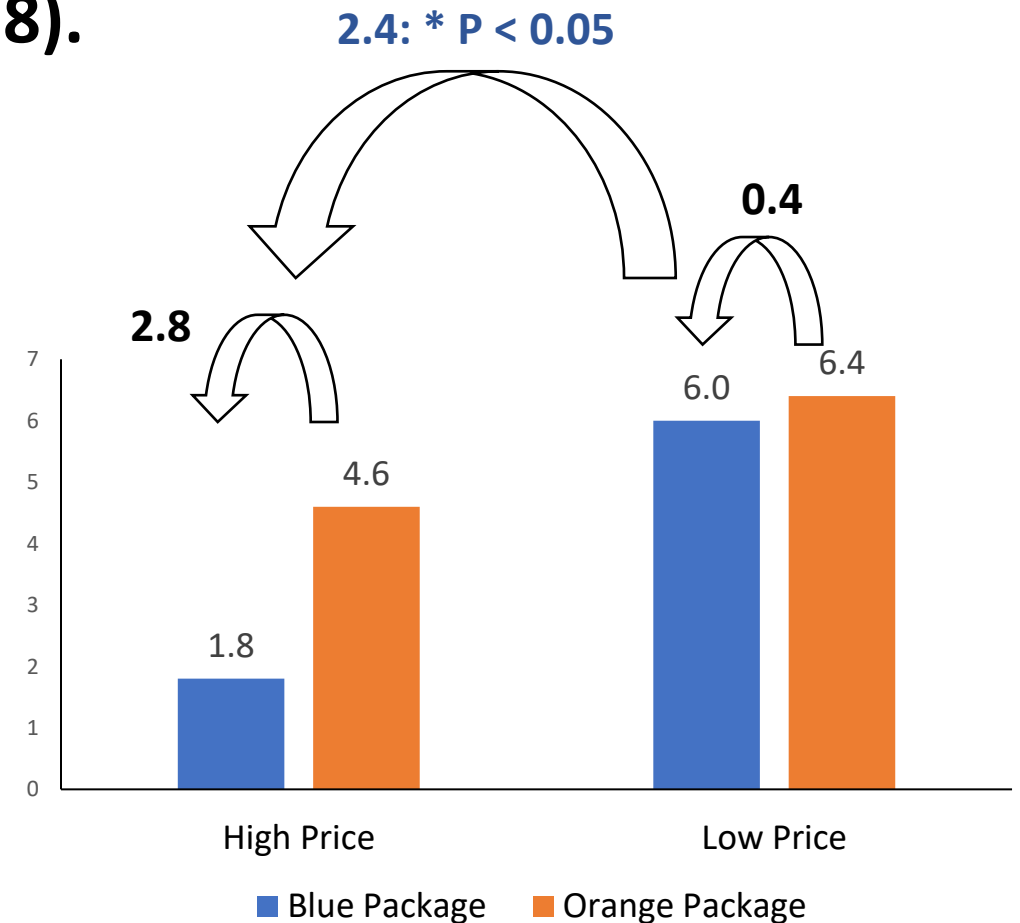
- IV: Price (High vs. Low) × Package Color (Orange vs. Blue)
- DV: Purchase Intention

	High Price	Low Price
Orange Color	$M_{\text{Intention 1}}$	$M_{\text{Intention 2}}$
Blue Color	$M_{\text{Intention 3}}$	$M_{\text{Intention 4}}$

# A significant interaction effect?

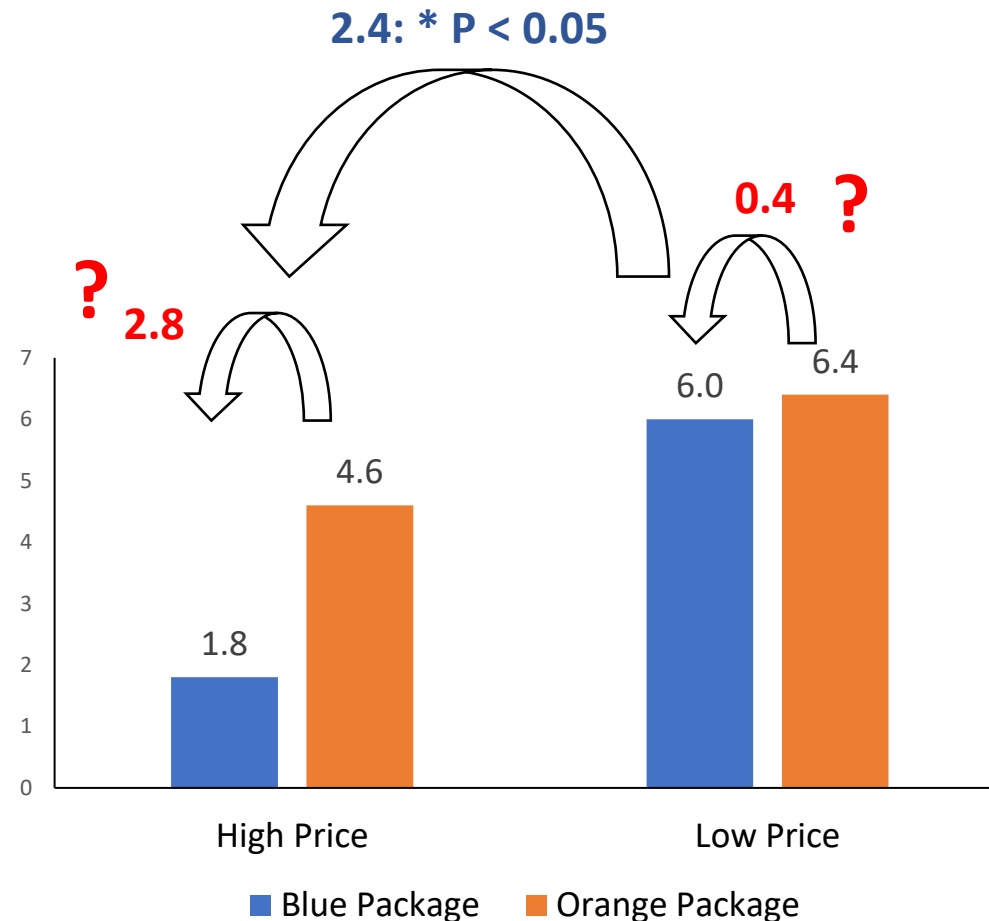
A significant intention effect suggests that the difference in the low price ( $6.4 - 6.0 = 0.4$ ) is significantly different from the difference in the high price ( $4.6 - 1.8 = 2.8$ ).

	High Price	Low Price
Orange Package	$M_{\text{Intention } 1} = 4.6$	$M_{\text{Intention } 2} = 6.4$
Blue Package	$M_{\text{Intention } 3} = 1.8$	$M_{\text{Intention } 4} = 6.0$



# So, what is simple main effect?

Simple Main Effects tests if the effect of **color** on **purchase intention** is significant at each level of **price**.



# SPSS Syntax for Significant interaction effect

```
DATASET ACTIVATE DataSet1.  
UNIANOVA Purchase_intention BY Prices Colors  
  /METHOD=SSTYPE(3)  
  /INTERCEPT=INCLUDE  
  /EMMEANS=TABLES(Prices*Colors) compare(Colors)  
  /PRINT=DESCRIPTIVE  
  /CRITERIA=ALPHA(.05)  
  /DESIGN=Prices Colors Prices*Colors.
```

# Significant Interaction Effect

## Tests of Between-Subjects Effects

Dependent Variable: Purchase\_intention

Source	Type III Sum of Squares	df	Mean Square	F	Sig.
Corrected Model	65.000 <sup>a</sup>	3	21.667	30.952	.000
Intercept	441.800	1	441.800	631.143	.000
Prices	45.000	1	45.000	64.286	.000
Colors	12.800	1	12.800	18.286	.001
Prices * Colors	7.200	1	7.200	10.286	.005
Error	11.200	16	.700		
Total	518.000	20			
Corrected Total	76.200	19			

a. R Squared = .853 (Adjusted R Squared = .825)

# Simple Main Effects

## Prices \* Colors

Estimates					
Dependent Variable: Purchase_intention					
Prices	Colors	Mean	Std. Error	95% Confidence Interval	
				Lower Bound	Upper Bound
.00	.00	6.000	.374	5.207	6.793
	1.00	6.400	.374	5.607	7.193
1.00	.00	1.800	.374	1.007	2.593
	1.00	4.600	.374	3.807	5.393

## Pairwise Comparisons

Dependent Variable: Purchase\_intention

Prices	(I) Colors	(J) Colors	Mean Difference (I-J)	Std. Error	Sig. <sup>b</sup>	95% Confidence Interval for Difference <sup>b</sup>	
						Lower Bound	Upper Bound
.00	.00	1.00	-.400	.529	.461	-1.522	.722
	1.00	.00	.400	.529	.461	-.722	1.522
1.00	.00	1.00	-2.800	.529	.000	-3.922	-1.678
	1.00	.00	2.800	.529	.000	1.678	3.922

Based on estimated marginal means

\*. The mean difference is significant at the .05 level.

b. Adjustment for multiple comparisons: Least Significant Difference (equivalent to no adjustments).

## Univariate Tests

Dependent Variable: Purchase\_intention

Prices		Sum of Squares	df	Mean Square	F	Sig.
.00	Contrast	.400	1	.400	.571	.461
	Error	11.200	16	.700		
1.00	Contrast	19.600	1	19.600	28.000	.000
	Error	11.200	16	.700		

Each F tests the simple effects of Colors within each level combination of the other effects shown. These tests are based on the linearly independent pairwise comparisons among the estimated marginal means.

## Report:

- The Intention effect of Price (High vs. Low)  $\times$  Package Color (Orange vs. Blue) was significant,  $F(1, 16) = 10.29$ ,  $p = 0.005$ .
- Further, we tested the simple main effects, and found that, when the price was low, the simple main effect of color on purchase intention ( $M = 6.0$  vs.  $6.4$ ) was not significant ( $F(1, 16) = 0.57$ ,  $p = 0.46$ ). When the price was high, the simple main effect of color on purchase intention ( $M = 1.8$  vs.  $4.6$ ) was significant ( $F(1, 16) = 28$ ,  $p < 0.05$ ).