#### **McNemar's Test in SPSS**

#### **# Notes**

- 1. The author accepts no responsibility for the topicality, correctness, completeness, or quality of the information provided.
- 2. This pdf is part of a YouTube tutorial: <a href="https://youtu.be/Xp-6BRkPH1U">https://youtu.be/Xp-6BRkPH1U</a>
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## What exactly is McNemar's test?

**Measure at Time 2** 

Measure at Time 1

	Outcome 1	Outcome 2
Outcome 1	а	b
Outcome 2	С	d

Is there a change in proportion for the paired data (i.e., paired data: Time 1 and Time 2)?

## **Hypothesis for McNemar's Test**

Time 2

Time 1

	Outcome 1	Outcome 2	
Outcome 1	а	b	a + b
Outcome 2	С	d	c + d
	2 + C	h + d	•

HO: The marginal probabilities for two outcomes are the same.

Ha: The marginal probabilities for two outcomes are not the same.

H0: 
$$p_a + p_b = p_a + p_c$$

Ha: 
$$p_a + p_b \neq p_a + p_c$$



H0: 
$$p_b = p_c$$

H0: 
$$p_b = p_c$$
  
Ha:  $p_b \neq p_c$ 

#### **Test Statistic for McNemar's Test**

Time 2

Time 1

	Outcome 1	Outcome 2	
Outcome 1	а	b	a + k
Outcome 2	С	d	c + c
	a + c	b + d	•

H0: 
$$p_b = p_c$$

Ha: 
$$p_b \neq p_c$$

$$\chi^2 = \frac{(b-c)^2}{b+c} \qquad \qquad \chi^2 = \frac{(b-c-1)^2}{b+c}$$

# McNemar's Test Data Example

**After Ad** 

**Before Ad** 

	Not Buy	Buy	
Not Buy	28	22	50
Buy	6	44	50
	34	66	

$$\chi^2 = \frac{(b-c)^2}{b+c}$$

$$\chi^2 = \frac{(22-6-1)^2}{22+6} = 8.036$$

Critial Value: 
$$\chi(1)^2 = 3.841$$

$$df = 1$$

# McNemar's Test – Report Finding

We conducted a McNemar test and obtained the following results:  $\chi^2$  = 8.036, p-value = 0.005. Thus, we reject the null hypothesis, suggesting that the ratios of purchasing and not purchasing the product significantly differ between before and after the advertising.

#### After Ad

**Before Ad** 

	Not Buy	Buy	
Not Buy	28	22	50
Buy	6	44	50
	34	 66	

Next...

1. Steps of McNemar's Test in SPSS

2. Difference between McNemar's Test vs. Chi-square Independence Test

# Difference between McNemar's Test vs. Chi-square Independence Test

#### McNemar's Test vs. Chi-square Independence Test

#### **After Ad**

**McNemar's Test** 

**Before Ad** 

	Not Buy	Buy	
Not Buy	28	22	50
Buy	6	44	50
	34	66	ı

**Chi-square Independence Test** 

Gender

	Not Buying	Buying	
Man	28	22	50
Woman	6	44	50
	34	66	100

**Purchase** 

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### McNemar's Test vs. Chi-square Independence Test

**Chi-square Independence Test** 

Gender

	<b>Not Buying</b>	Buying	
Man	28	22	50
Woman	6	44	50
	34	66	100

**Purchase** 

- • $H_0$ : There is no association between gender and the purchase of the product.
- •H<sub>a</sub>: There is an association between gender and the purchase of the product.

$$\chi^2 = \sum \frac{(O-E)^2}{E} = \frac{(28-17)^2}{17} + \frac{(22-33)^2}{33} + \frac{(6-17)^2}{17} + \frac{(44-33)^2}{33} = 21.57$$